

# SPelAgent - Model Overview - ODD protocol

Elisa Donati

August 17, 2025

## Contents

<b>1</b>	<b>Overview</b>	<b>3</b>
1.1	Purpose . . . . .	3
1.2	Entities, State Variables, and Scales . . . . .	3
1.2.1	Entities and State Variables . . . . .	3
1.2.2	Scales . . . . .	6
<b>2</b>	<b>Design concepts: Process Overview and Scheduling</b>	<b>6</b>
2.1	Initialization . . . . .	6
2.2	Processes and Scheduling . . . . .	6
2.3	Design Concepts . . . . .	9
<b>3</b>	<b>Details</b>	<b>15</b>
3.1	Initialization . . . . .	15
3.1.1	Agent Initialization . . . . .	15
3.2	Input Data . . . . .	18
3.2.1	Environmental Variables . . . . .	18
3.2.2	Mortality Rates . . . . .	18
3.2.3	DEB Parameters . . . . .	18
3.3	Submodels . . . . .	21
3.3.1	Mortality ( <code>die!()</code> ) . . . . .	21
3.3.2	Energy Dynamics ( <code>DEB!()</code> ) . . . . .	23
3.3.3	Hatching ( <code>egghatch!()</code> ) . . . . .	24
3.3.4	Maturation ( <code>juvemature!()</code> ) . . . . .	24
3.3.5	Aging ( <code>aging!()</code> ) . . . . .	24
3.3.6	Spawning ( <code>adultspawn!</code> ) . . . . .	24
3.4	General Dynamics . . . . .	26
3.4.1	Environment Evolution ( <code>evolve_environment!</code> ) . . . . .	26
3.4.2	Output Collection . . . . .	27

The **SPelAgent** simulates the population dynamics of European pilchard (*Sardina pilchardus*) and European anchovy (*Engraulis encrasicolus*) using an agent-based framework informed by Dynamic Energy Budget (DEB) theory (Kooijman, 2009). This approach enables a mechanistic representation of individual energy acquisition and allocation throughout the life cycle—from egg masses to juveniles and adults—while capturing emergent population-level patterns such as biomass fluctuations, recruitment, and mortality (Martin et al., 2012).

SPelAgent is implemented in Julia (Bezanson et al., 2017), using the high-performance Agents.jl library, which offers superior computational efficiency compared to other platforms commonly used for agent-based modeling (Datseris et al., 2024). The model builds upon the individual-based model (IBM) developed by Haberle et al. (2023), but has been specifically adapted to reflect the biology of sardine and anchovy species and scale-up to realistic population dynamics simulation. The model investigates how environmental conditions (e.g., temperature, food availability), density dependence, and age-specific mortality interact with intrinsic biological processes (growth, reproduction, survival) at the individual level, to eventually shape population structure. Anthropogenic pressures, specifically fishing mortality, are also included to evaluate their impact on population dynamics.

In SPelAgent, the agent is a group of functionally identical fish (individuals) born on the same day - a *SuperIndividual* (*SI*s). The use of agents as *SI*s ensure computational efficiency while maintaining ecological realism: the model performs bioenergetic computations at the superindividual level, making large-scale simulations feasible without compromising biological details (Scheffer et al., 1995; Rose et al., 2015). Each *SI* progresses through three life stages: **egg**, **juvenile**, and **adult**. Superindividuals are respectively called `:EggMass` (a superindividuals made of egg batches released from different adults), `:Juvenile` and `:Adult`. The model runs at a daily time step and it is not spatially explicit: the model simulates processes within the upper 200 meters of the water column, the core habitat for both species. In this protocol, the term *agent* refers to the entities on which model calculations are performed. In **SPelAgent**, these correspond to the superindividuals of type `:EggMass`, `:Juvenile`, and `:Adult`. By contrast, the term *individuals* denotes the single fish represented within each superindividual.

Environmental drivers (section 3.2.1) include daily temperature and food availability, which can be obtained from regional physical and biogeochemical reanalysis. In SPelAgent, food is defined as the integrated zooplankton biomass (expressed as  $\frac{mgC}{m^2}$ , in the upper 200 m, converted in Joules. Both temperature and food availability affect energy fluxes according to DEB theory (see Section 2.3 for DEB formulation).

All agents undergo core processes for aging, energy assimilation and allocation, and mortality (see 2.2). Mortality (section 3.3.1) may result from natural causes (predation and aging), fishing, or starvation, and is modulated by life stage, age, and environmental conditions. A

fixed egg mortality rate (99.98%) is applied prior to hatching (section 3.3.3)(Haberle et al., 2023).

Life stage-specific processes include hatching for egg masses, maturation for juveniles, and reproduction for adults (see section 3.3). Spawning occurs within a defined reproductive window, and batch size depends on adult weight, energy reserves, and batch fecundity (see section 3.3.6). At each time step, surviving agents go to the next timestep, the environment is refreshed, and dead individuals are removed from the simulation (section 3.4.1).

Daily outputs (section 3.4.2) include individual-level states (see Table 1) and population-level metrics (e.g., biomass, mortality by cause, individual reproductive success). Stochasticity (section 2.3, 3.3.6) is introduced through variability in key DEB parameters, maturation thresholds, and reproductive success, enhancing realism and capturing natural variation in sardine and anchovy populations.

The model is documented using the *ODD* (Overview, Design Concepts, and Details) protocol (Grimm *et al.*, 2010, 2020), a standardized framework for agent-based model description. ODD provides a structured, transparent way to present the model’s purpose, underlying mechanisms, and implementation details, facilitating reproducibility and comparative analysis across studies.

# 1 Overview

## 1.1 Purpose

The model simulates the population dynamics of sardine and anchovy using SuperIndividuals (SIs) agents, focusing on energy allocation, life-history transitions, and population-level interactions under the framework of Dynamic Energy Budget (DEB) theory. Its goal is to investigate how environmental factors (e.g., temperature, food availability), fishing pressure, and intrinsic biological processes (e.g., growth, reproduction, natural mortality) influence the demography and life-history traits of sardine and anchovy populations.

## 1.2 Entities, State Variables, and Scales

### 1.2.1 Entities and State Variables

- **Agent** The `SPelAgent` model currently supports simulations for either sardine or anchovy independently. The primary entities in the model are sardine or anchovy SuperIndividuals (SIs), defined as cohorts of functionally identical individuals born on the same day. Each SI comprises both sexes, assuming a 1:1 sex ratio. SIs can belong to one of the following life stages:

- **Egg**: The SI is coded as `:EggMass` and represents a collection of egg batches spawned from multiple adults on the same day (see section 3.3.6).
- **Juvenile**: The SI is coded as `:Juvenile` and represents individuals survived to hatching, up to the onset of maturity.
- **Adult**: The SI is coded as `:Adult` and represents mature individuals capable of reproduction.

All SIs attributes are defined in Table 1.

- **Environment** The model environment is a homogeneous water column representing the upper 200 meters, which is the primary habitat of both species. It is described by the average water temperature (°C) and food availability, as the total zooplankton available expressed in Joules. Conversion from  $mgCm^{-2}$ , the typical output of biogeochemical reanalysis, is possible assuming that 1g of carbon is equal to 46 kJ (Salonen et al., 1976; Postel et al., 2000)

Table 1: Description of individual-level attributes in SPelAgent.

Key	Definition
<code>type</code>	The life stage of the sardine: <code>:EggMass</code> , <code>:Juvenile</code> , or <code>:Adult</code> .
<code>reproduction</code>	Indicates whether the fish is a spawner or not: <code>:spawner</code> , <code>:nonspawner</code> .
<code>Nind</code>	Number of individuals at the timestep in the superindividual group.
<code>Nind0</code>	Number of individuals when the superindividual is initialized.
<code>Age</code>	The age of the fish in days.
<code>L</code>	Structural length of the sardine. This is assumed to be close to zero for eggs according to DEB Theory.
<code>H</code>	Maturation state variable.
<code>maternal_EggEn</code>	Energy of the egg due to maternal effects (E0).
<code>superind_Neggs</code>	Number of eggs produced by a superindividual.
<code>En</code>	Reserve energy state variable.

Key	Definition
Dead	Indicates if the sardine is dead ( <b>true</b> ) or alive ( <b>false</b> ).
Death_type	<i>natural</i> if $N_{ind}$ falls below the death threshold due to natural or fishing mortality, or <i>starved</i> otherwise.
f_i	Individual functional response. Applicable for juveniles and adults and derived from the communal functional response.
t_puberty	Time to reach puberty. Fixed once matured.
Lw	Physical length (real in cm).
Ww	Total weight of the fish.
Wg	Gonads weight of the fish.
R	Reproduction state variable. Positive for adults, set to 0 otherwise.
Scaled En	Scaled energy reserve density, equal to $[E]/[E_m] = \frac{E/V}{\{\dot{p}_{Am}\}\dot{v}}$
s_M_i	Individual acceleration factor $s_M$ of abj model.
pA	Realized individual assimilation at timestep $\dot{p}_A$ .
pAm_i	Individual specific max assimilation rate $\{\dot{p}_{Am}\}$ .
pXm_i	Individual specific max ingestion rate.
pM_i	Individual specific maintenance rate $[\dot{p}_M]$ .
Hp_i	Individual specific energy threshold to puberty $E_H^p$ .
Hj_i	Individual specific energy threshold to metamorphosis $E_H^j$ .
Hb_i	Individual specific energy threshold to birth $E_H^b$ .
K_i	Individual specific allocation fraction to soma $\kappa$ .
Lm_i	Individual specific maximum length $L_m$ .
Em_i	Individual specific maximum reserve density $[E_m]$ .
g_i	Individual specific energy investment ration $g$ .
k_M_i	Individual specific somatic maintenance rate coefficient $\dot{\kappa}_M$ .
zoom_i	Individual specific zoom factor.
Lb_i	Length at birth for the individuals. Structural.
Lj_i	Length at metamorphosis for the individual. Structural.
CI	Condition Index.

Key	Definition
GSI	Gonadosomatic Index.
dryGSI	Gonadosomatic Index based on dry weight of gonads to avoid overestimation.
spawned	Number of times the sardine has spawned. Applicable to adults.

### 1.2.2 Scales

- **Temporal:** Daily time step.
- **Spatial:** Implicit; homogeneous environment in the 0–200 m water column.

## 2 Design concepts: Process Overview and Scheduling

### 2.1 Initialization

The `model_initialize()` function sets the initial population structure and environmental conditions. It requires the number of superindividuals that should be initialized for each lifestage, environmental time series (temperature and food), and mortality rates for age classes 0+ to 4+. Boolean flags activate mechanisms such as DEB parameter inheritance (see 3.3.6), weighted inheritance by fecundity, thinning mortality (see 3.3.1), covariation between  $\{\dot{p}_{Am}\}$  and  $E_H^p$ , and size- or age-based fishing selectivity. More details in Section 3.1.

### 2.2 Processes and Scheduling

Each simulation step represents one day and follows a defined sequence of operations involving both agents and the environment. At the beginning of each day, output variables are reset to zero to save outputs at a daily temporal resolution and not cumulatively. Agents flagged as dead are removed from the population, while surviving agents proceed through life-stage-specific submodels. The model decision flow chart is shown in Fig 1.

:**EggMass** undergo aging, DEB-based energy allocation, and hatching when the maturation threshold is reached, with a fixed pre-hatching mortality of 99.98%, similarly to Haberle et al. (2023).

:**Juveniles** experience natural mortality, starvation, and—if longer than 10 cm, fishing mortality. Energy is assimilated and allocated according to DEB theory into maintenance, growth, and maturation. If enough energy is stored in the maturity state variable, they become adults.

**:Adults** are subject to the same mortality types. Energy is allocated to maintenance, growth, and reproduction. Adults spawning during a species-specific reproductive window are flagged as **:spawner**: all the eggs released by the spawners, on the same day, are collected into a new SuperIndividual (SI), whose initial number of individuals (**Nind0**) is equal to the number of eggs simultaneously released. If inheritance is active, offspring inherit DEB parameters based on parental traits, optionally weighted by egg contribution.

At the end of each day, population-level outputs are collected, including population biomass and abundance, total deaths by cause and stage, and mean individual traits. Environmental variables, temperature ( $T_c$ ) and food availability ( $X_{tot}$ ), are updated from input time series. More details are provided in Sections 3.3 and 3.4.

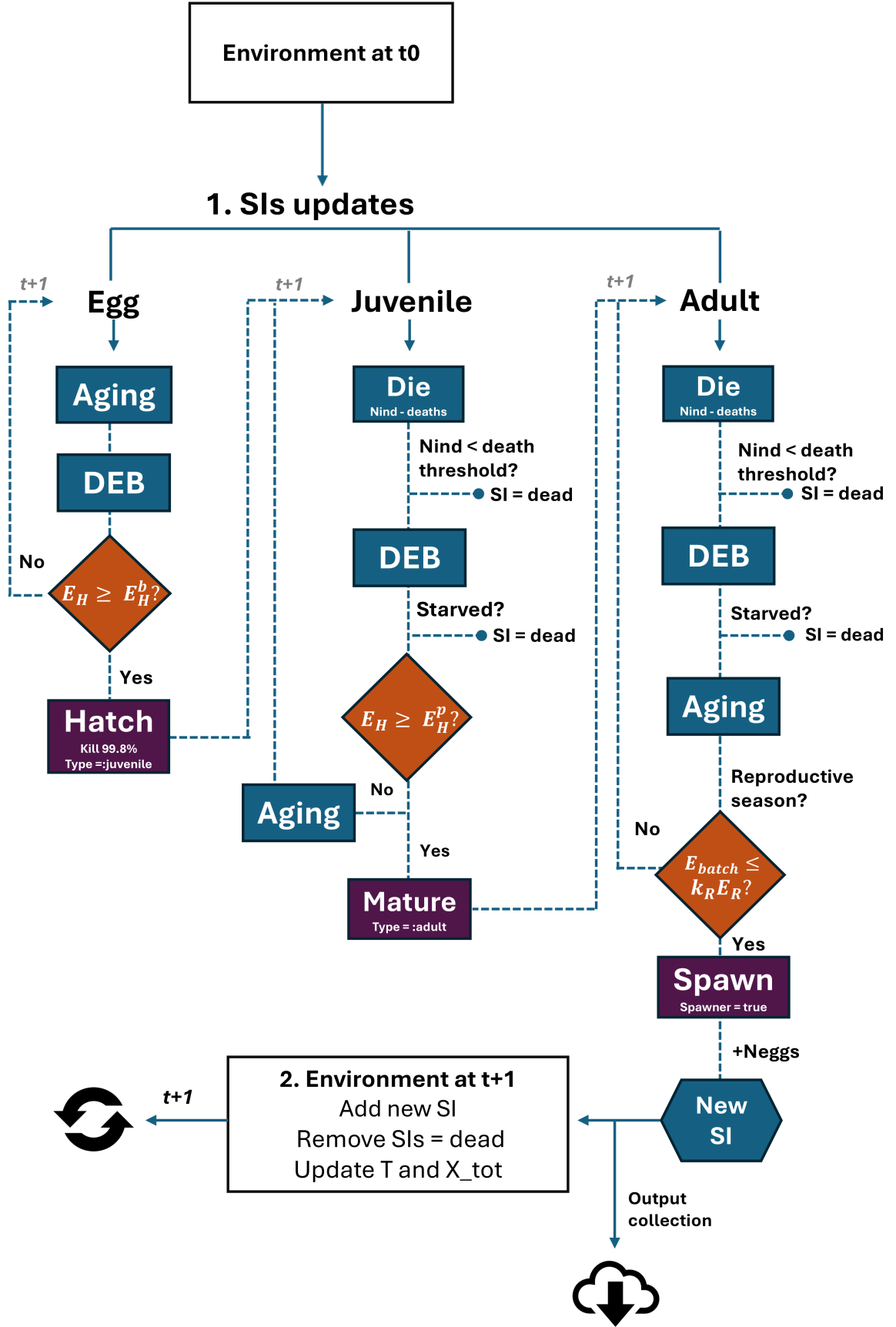


Figure 1: SPelAgent daily timestep scheduling



## 2.3 Design Concepts

**Basic Principles** The model is grounded in the Dynamic Energy Budget (DEB) theory (Kooijman, 2009; Nisbet et al., 2012; Van Der Meer, 2006), which describes how organisms assimilate energy from their environment and allocate it to maintenance, growth, maturation, and reproduction. Life-stage-specific processes are explicitly represented, with transitions from egg to juvenile (birth) and from juvenile to adult (puberty) driven by maturation thresholds and energy dynamics. In DEB, the physical length of an organism ( $L_w$ , measurable) is related to the individual structural length  $L$  by a shape parameter  $\delta_M$ , so that:

$$L_w = \frac{L}{\delta_M} \quad (1)$$

The structural length is used in DEB equations and quantifies the structural body of the organism,  $V = L^3$ . All energetic processes are related to  $V$ : energy acquisition is proportional to the body surface ( $V^{2/3}$  or  $L^2$ , for isomorphy, see paragraph 2.3 "DEB Model Variant: abj") while metabolic demands depend mostly on volume ( $V$  or  $L^3$ ). Structure  $V$  is the first of the four main state variables in the standard DEB model:

- **Structural volume**  $V$  [ $\text{cm}^3$ ], representing the organism's physical biomass, which determines its body size (length) and requires maintenance. It is calculated as the structural length of the organism to the power of 3 ( $L^3$ ). It contributes to the total body weight.
- **Reserve energy**  $E$  [J], the assimilated energy stored in a generalized pool that can be mobilized to support metabolism and buffer starvation during periods of limited food availability. It doesn't require maintenance but contributes to body weight.
- **Maturity energy**  $E_H$  [J], the cumulative energy invested into development, which drives ontogenetic transitions. It requires maintenance, but do not contribute to body weight. After puberty  $E_H = E_H^p$ .
- **Reproduction buffer**  $E_R$  [J], starts wehn  $E_H \geq E_H^p$ : the energy allocated to reproduction after maturation is complete, typically associated with gonadal development and egg production. It contributes to body weight.

Transitions between life stages are governed by  $E_H$ : individuals are considered *born* (juvenile) when  $E_H \geq E_H^b$  and reach *puberty* (adult and capable of reproducing) when  $E_H \geq E_H^p$ . After puberty,  $E_H$  remains constant at  $E_H = E_H^p$ .

The DEB framework defines energy fluxes (in units of  $\text{J day}^{-1}$ ) among compartments. The main fluxes include:

- **Ingestion flux**  $\dot{p}_A$ : the rate at which food is ingested. This flux is proportional to the organism's surface area ( $L^2$  or  $V^{2/3}$ ), to the species-specific maximum ingestion rate per unit of surface area  $\{\dot{J}_{Xm}\}$ , and to the food availability via a scaled functional response:

$$f = \frac{X}{X_K + X} \quad (2)$$

where  $X$  is the food density in the environment, and  $X_K$  is the half-saturation coefficient (i.e., the food density at which the ingestion rate is half its maximum). Then, the ingestion flux is:

$$\dot{J}_X = f \{\dot{J}_{Xm}\} L^2 \quad (3)$$

- **Assimilation flux**  $\dot{p}_A$ : the rate at which ingested energy is stored in the reserve pool. This flux is equal to the ingestion flux multiplied by a conversion efficiency coefficient  $k_X = \{\dot{p}_{Am}\} / \{\dot{J}_{Xm}\}$ . Then:

$$\dot{p}_A = \dot{J}_X k_X = f \{\dot{J}_{Xm}\} \frac{\{\dot{p}_{Am}\}}{\{\dot{J}_{Xm}\}} L^2 = f \{\dot{p}_{Am}\} L^2 \quad (4)$$

The assimilation flux is proportional to the organism's surface area ( $L^2$  or  $V^{2/3}$ ) and to the food availability via the scaled functional response  $f$ .

In this model, only the assimilation flux is explicitly modelled, and we incorporate density dependence using the *communal functional response* introduced by Haberle et al. (2023); see Section 3.4 for details.

- **Mobilization flux**  $\dot{p}_C$ : the energy mobilized from the reserve pool to meet metabolic demands.

A fixed fraction  $\kappa$  of  $\dot{p}_C$  is allocated to the *somatic branch*, consisting of:

- **Somatic maintenance flux**  $\dot{p}_S \propto V$  (i.e.,  $L^3$ )
- **Growth flux**  $\dot{p}_G$ , increasing the structural volume  $V$

The remaining energy  $(1 - \kappa)\dot{p}_C$  is directed to the *maturity/reproduction branch*:

- **Maturity maintenance flux**  $\dot{p}_J$
- **Maturation or reproduction flux**  $\dot{p}_R$

The mobilization flux is equal to:

$$\dot{p}_C = E \frac{[E_G] \dot{v} V^{2/3} + \dot{p}_s}{\kappa E + [E_G] V} \quad (5)$$

where  $E$  is the reserve,  $[Eg]$  the cost per unit of structure ( $\text{cm day}^{-1}$ ),  $\dot{v}$  the energy conductance ( $\text{J cm}^{-3}$ ) and  $V$  the structural volume.

*Note that assimilation and ingestion are processes associated with exogenous feeding, which occurs only in juveniles and adults. In contrast, eggs rely solely on the mobilization of energy from maternal reserves provided at the time of spawning. See section 3.3.6.*

The  $\kappa$  partitioning makes growth and reproduction only indirectly in competition, as the allocation is fixed by  $\kappa$ . However, since  $\dot{p}_A$  scales with surface area ( $L^2$ ), smaller individuals assimilate less, limiting the energy available for mobilization, and ultimately for reproduction.

In juveniles,  $\dot{p}_R$  is first used to cover  $\dot{p}_J$ ; any surplus increases  $E_H$ . In adults,  $E_H$  no longer increases, and the surplus energy is stored in the reproductive buffer  $E_R$ .

It is important to note that:

- Assimilation depends on the surface area ( $\propto L^2$ )
- Somatic maintenance depends on the volume ( $\propto L^3$ )

State variables and fluxes equations are shown in Tab. 2 and in Fig. 2, while core primary parameters of the standard DEB model are shown in Tab. 3.

Table 2: State variables, dynamics, and energy fluxes

State Variable and Dynamics	Energy Fluxes
$E$ : reserve energy	$\dot{p}_A = \{\dot{p}_{Am}\} f V^{2/3}$
$V$ : structural volume	$\dot{p}_C = E \left( \frac{[E_G] \dot{v} V^{2/3} + \dot{p}_s}{\kappa E + [E_G] V} \right)$
$E_H$ : maturity	$\dot{p}_S = [\dot{p}_M] V$
$E_R$ : reproduction buffer energy	$\dot{p}_G = \kappa \dot{p}_C - \dot{p}_S$
$\frac{dE}{dt} = \dot{p}_A - \dot{p}_C$	$\dot{p}_J = \dot{k}_J E_H$
$\frac{dV}{dt} = \frac{\dot{p}_G}{[E_G]}$	$\dot{p}_R = (1 - \kappa) \dot{p}_C - \dot{p}_J$
$\frac{dE_H}{dt} = p_R \quad (E_H < E_H^p)$	
$\frac{dE_R}{dt} = k_R \dot{p}_R \quad (E_H \geq E_H^p)$	

Table 3: The 12 primary parameters of the standard DEB model, shown in both a time–length–energy and a time–length–mass framework. Units:  $e$  in J,  $t$  in  $\text{day}^{-1}$ ,  $L$  in cm. The parameter  $\{\dot{p}_T\}$  is not used for marine ectotherms.

Symbol	Dimension (time–length–energy)	Description
$\{\dot{F}_m\}$	$L^2t^{-1}$	Specific searching rate
$\{\dot{p}_{Am}\}$	$eL^{-2}t^{-1}$	max spec. assimilation rate
$\kappa_X$	—	Assimilation efficiency
$\dot{v}$	$Lt^{-1}$	Energy conductance
$\kappa$	—	Allocation fraction to soma
$\kappa_R$	—	Reproduction efficiency
$[\dot{p}_M]$	$eL^{-3}t^{-1}$	Volume-specific som. maint. cost
$\dot{k}_j$	$t^{-1}$	maturity maintenance rate coefficient
$[E_G]$	$eL^{-3}$	Specific cost for structure
$E_H^b$	$e$	Maturity at birth
$E_H^p$	$e$	Maturity at puberty
$\{\dot{p}_T\}$	$eL^{-2}t^{-1}$	Surface-specific maintenance cost

**Temperature Correction** All metabolic rates are corrected for environmental temperature using the Arrhenius correction:

$$T_c = \exp\left(\frac{T_A}{T_r} - \frac{T_A}{T}\right) \quad (6)$$

where:

- $T_A$ : Arrhenius temperature (K), a species-specific constant
- $T_r$ : reference temperature, set to 293 K (20°C), at which DEB parameters are calculated
- $T$ : current temperature (K)

While temperature accelerates physiological rates, it does not affect asymptotic size or size at maturity. The higher the value of  $T_A$ , the greater the species’ sensitivity to temperature (Lika et al., 2011).

**DEB Model Variant: abj Model for Fish** The standard DEB model assumes isomorphy of the organism throughout life ( $Area \propto V^{2/3}$ ). However, sardine and anchovy are modeled using a typified DEB model, the **abj** model, which incorporates a temporary phase of metabolic acceleration, where the organism is considered a V1-morph ( $Area \propto V$ ; Kooijman et al. 2011, 2014, Marques et al. 2018).

This **acceleration model** introduces an additional life stage transition — *metamorphosis* — occurring between birth and puberty, when  $E_H^b \leq E_H \leq E_H^j$ . In this transition the individual is a V1 morph, while before and after, an isomorph.

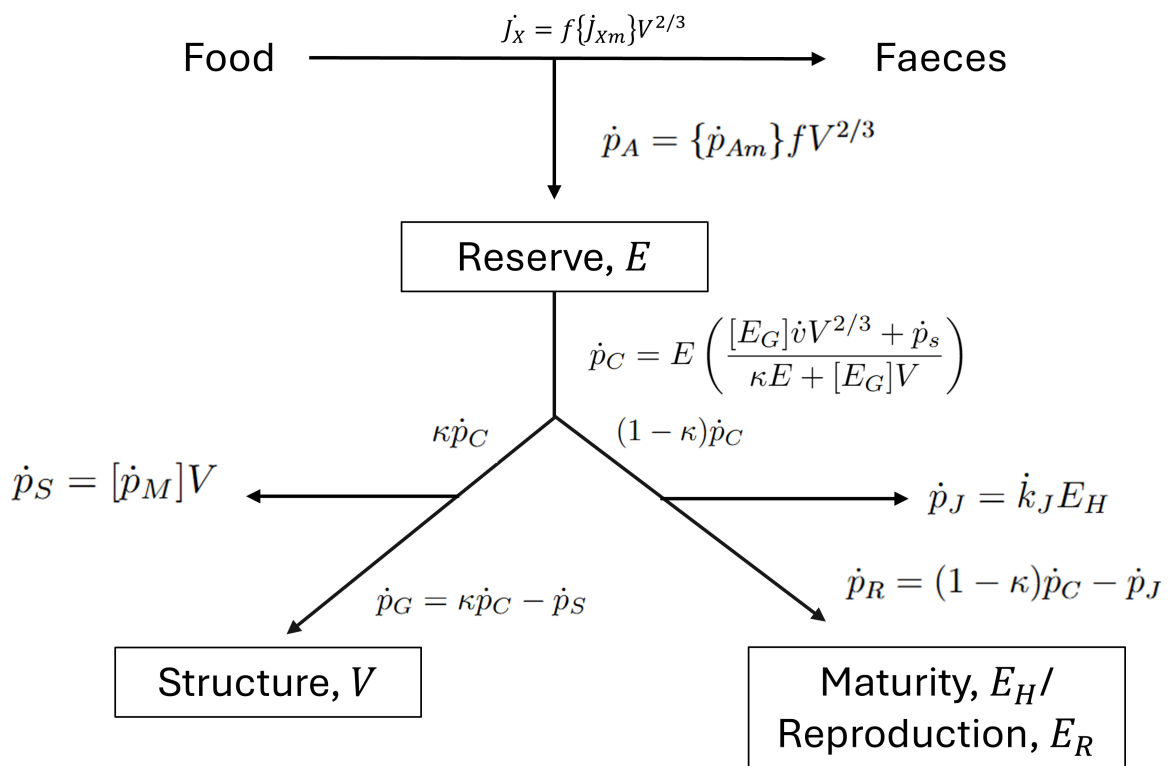


Figure 2: Standard DEB model state variables and fluxes

The **abj** model extends the standard DEB model with a single additional parameter, the **acceleration factor**  $s_M$ . The  $\{\dot{p}_{Am}\}$  and  $\dot{v}$  parameters are multiplied by  $s_M$  to reflect the increased assimilation and mobilization rates during the metamorphosis of the fish (V1 morph). This allows for faster growth during early juvenile stages, reflecting biological observations in many fish species.

Before birth  $s_M$  is set to 1; during metamorphosis ( $E_H^b \leq E_H \leq E_H^j$ ),  $s_M = \frac{L_w \cdot \delta_M}{L_b}$ ; after metamorphosis,  $s_M = \frac{L_j}{L_b}$ .

**Emergence** Population-level phenomena such as biomass dynamics, age structure, and reproductive success emerge from the aggregation of individual-level processes and their interactions with a dynamic environment.

**Adaptation** Agents dynamically adjust their energy allocation depending on environmental conditions, particularly temperature and food availability, but are not capable of learning or goal-seeking behavior.

**Objectives** Agents do not pursue explicit goals; their behavior is determined by physiological rules embedded in DEB.

**Learning** No learning mechanism is implemented.

**Prediction** Agents do not predict future environmental conditions. They respond dynamically to their current physiological state and local environmental variables.

**Sensing** Agents sense food availability and competition for food via the communal functional response ( $f_{comm}$ , Section 3.4.1). Temperature influences all metabolic rates (see Section 2.3).

**Interaction** Agents interact indirectly through resource competition. Food availability is shared and influences individual assimilation rates via the communal functional response (3.4.1).

**Stochasticity** Stochastic variation is incorporated into several biological traits and processes to reflect natural variability observed in real populations:

- **Maturation energy threshold ( $E_H^p$ ) and somatic maintenance rate coefficient ( $\dot{p}_M$ ):** sampled from a normal distribution centered on the estimated parameters with a standard deviation of 0.1, to avoid juvenile-driven cycles (Kooijman 2024; see Section 3.1.1).

- **Reproduction-related traits:** stochasticity affects spawning onset, individual fecundity, and reproductive efficiency (see Section 3.3.6 for details).

Stochasticity is also applied during agent initialization (Section 3.1.1): if not specified, individual structural length is randomly sampled from a biologically realistic distribution centered on the mean length for juveniles or adults, drawn from the literature.

Mortality processes are modeled as stochastic events: at each time step, the number of deaths is determined by drawing from a binomial distribution, incorporating age-specific and environmentally driven mortality probabilities (see Section 3.3.1).

## 3 Details

### 3.1 Initialization

A simulation is initialized through the `model_initialize()` function, which defines the starting conditions for both the population and the environment. A set of boolean inputs controls the activation of key biological and ecological mechanisms:

- **inheritance:** Enables inheritance of selected DEB parameters from parents to offspring (see Section 3.1.1).
- **weight:** Weights inheritance by the number of eggs each SI produces (see Section 3.1.1).
- **thinning:** If true, applies additional mortality to juveniles, to prevent density-driven juvenile cycles (Kooijman 2024; see Subsection 3.3.1).
- **zoom:** Activates covariation between  $\{\dot{p}_{Am}\}$  and  $E_H^p$ , scaled by a zoom factor (Lika et al. 2011; see Section 3.1.1).

The user must provide the initial number of SIs in each life stage and the starting day of the year. Environmental drivers—daily time series of temperature (°C) and food availability (J)—must cover the entire simulation period. Additionally, stage-specific natural and fishing mortality rates for age classes 0+ to 4+ are required.

#### 3.1.1 Agent Initialization

The `generate_()` family of functions creates the specified number of superindividuals of a given type (`:Adult`, `:Juvenile`, or `:EggMass`) and initializes their biological and DEB-related properties (Table 1). These properties include length, weight, age, and key DEB parameters. The initial values of DEB state variables are set to be consistent with DEB theory. For example,

juveniles start with a reproduction buffer  $E_R = 0$ , and maturity energy is set to  $E_H = E_H^p$  for adults.

**Parameter Initialization: Inheritance vs. No Inheritance Simulations** Each agent receives individualized DEB parameters depending on whether inheritance is enabled:

- **No Inheritance:** stochastic variation is introduced only in  $E_H^p$  and  $[\dot{p}_M]$  to prevent the emergence of strong juvenile-driven population cycles, as recommended by Kooijman (2024). All other parameters remain fixed across individuals.

$$E_{H,i}^p = E_H^p \cdot \exp(\mathcal{N}(0, 0.1)) \quad (7)$$

$$[\dot{p}_{M,i}] = [\dot{p}_M] \cdot \exp(\mathcal{N}(0, 0.1)) \quad (8)$$

- **Inheritance Enabled:** inter-individual variability is introduced in  $[\dot{p}_M]$ ,  $\{\dot{p}_{Am}\}$ , and  $E_H^p$  to investigate the evolution of life-history traits. Two modes of inheritance are supported:
  - **With Zoom Factor:** parameters  $\{\dot{p}_{Am}\}$  and  $E_H^p$  covary via a shared zoom factor  $z_i \sim \mathcal{N}(1, 0.066)$  (Lika et al., 2011). This indicates that 99.7% of the population has a zoom factor within  $\pm 20\%$  of the mean (set at 1, corresponding to the original individual; Menu 2024). The maintenance coefficient  $[\dot{p}_M]$  is drawn independently from a normal distribution centered in the DEB standard parameter. The standard deviation was empirically derived in single-individual simulations to reproduce realistic variability in the resulting length, weight, and reproductive rates. This standard deviation reflects the assumed proportion of trait variability due to genetic (heritable) differences:

$$\text{zoom}_i = \mathcal{N}(1, 0.066) \quad (9)$$

$$E_{H,i}^p = E_H^p \cdot \text{zoom}_i \quad (10)$$

$$\{\dot{p}_{Am,i}\} = \{\dot{p}_{Am}\} \cdot \text{zoom}_i \quad (11)$$

$$\{\dot{p}_{Xm,i}\} = \frac{\{\dot{p}_{Am}\}}{\kappa_X} \quad (12)$$

$$[\dot{p}_{M,i}] = \mathcal{N}([\dot{p}_M], \sigma), \quad \text{with } \sigma = \text{sardine: 15; anchovy: 5} \quad (13)$$

- **Without Zoom Factor:** all three parameters are sampled independently from normal distributions centered on their original DEB standard parameter. As above,



standard deviations were empirically tested to be realistic and can be scaled to reflect the fraction of observed variability attributable to genetic differences:

$$E_{H,i}^p = \mathcal{N}(E_H^p, \sigma) \quad \text{with } \sigma = \text{sardine: 500; anchovy: 30} \quad (14)$$

$$\{\dot{p}_{Am,i}\} = \mathcal{N}(\{\dot{p}_{Am}\}, \sigma) \quad \text{with } \sigma = \text{sardine: 15; anchovy: 0.5} \quad (15)$$

$$\{\dot{p}_{Xm,i}\} = \frac{\{\dot{p}_{Am,i}\}}{\kappa_X} \quad (16)$$

$$[\dot{p}_{M,i}] = \mathcal{N}(p_M, \sigma) \quad \text{with } \sigma = \text{sardine: 15; anchovy: 2} \quad (17)$$

Once individual parameters are assigned, the following DEB quantities are computed using standard formulae:

$$L_m = \frac{\kappa \{\dot{p}_{Am,i}\} s_M}{[\dot{p}_M]}, \quad E_m = \frac{\{\dot{p}_{Am,i}\}}{\dot{v}}, \quad g = \frac{[E_G]}{\kappa [E_m]}, \quad k_M = \frac{[\dot{p}_M]}{[E_G]}$$

If not specified, the individual's physical length  $L_w$  is sampled from a normal distribution centered on life-stage-appropriate values. Structural length is then calculated as:

$$L = L_w \cdot \delta_M \quad (18)$$

where  $\delta_M$  is the shape coefficient for converting from physical to structural length and vice-versa. Age is estimated from the ratio of current structural length  $L$  to  $L_m$  and Age at  $L_m$ .

The number of individuals represented by the superindividual (**Nind**) is set either to a fixed default value ( $10^7$ ) or passed explicitly by the user. The initial number of individuals at initialization (**Nind0**) is then back-calculated using cumulative mortality probabilities for each age class (0+ to 4+).

The reproductive buffer  $E_R$  is initialized to zero unless otherwise specified. Reserve energy is calculated as:

$$E = f \cdot [E_m] \cdot L^3 \quad \text{and scaled reserve: } e = \frac{E}{[E_m] \cdot L^3}$$

Wet weight is computed as the sum of structure, reserve, and reproduction buffer, if adults (Nisbet et al., 2012):

$$W_w = w \cdot \left( d_V \cdot L^3 + \frac{w_E}{\mu_E} (E + E_R) \right) \quad (19)$$

with  $w$  the wet-to-dry conversion factor,  $d_V$  the dry density of structure.

Finally, physiological indices such as the condition index (CI), gonadosomatic index (GSI), and dry GSI are computed to assess reproductive condition and energy allocation. The dry

GSI, calculated as the ratio between the dry weight of the gonads and the total body weight, prevents its overestimation by accounting for the fact that eggs hydrate only after being released into the environment.

## 3.2 Input Data

### 3.2.1 Environmental Variables

Daily temperature (**Temp**, °C), food availability, expressed as total zooplankton in the basin (**Xtot**, J), along with the day of year at which the simulation should start, are required.

### 3.2.2 Mortality Rates

Daily age-specific natural mortality ( $M_0$  to  $M_4$ ) and fishing mortality ( $MF_0$  to  $MF_4$ ) should be provided. In SPelAgent, both are derived from stock assessments.

### 3.2.3 DEB Parameters

Parameters for the **abj** DEB model are supplied for sardines and anchovies. Since reproduction rates in the SPelAgent IBM were not satisfactory, sardines were re-parametrized using the Add-my-Pet (AmP) estimation procedure (AmPtool 2024; Marques et al. 2018) available in the DEBtool Matlab package (DEBtool 2024; deblab website) with supplementary data for the Adriatic Sea (Dulčić, 1995; Mustač et al., 2020; Basilone et al., 2023); anchovy parametrization was taken from the AmP collection (Pecquerie and Kooijman 2015; *Engralis encrasicolus* - AmP). Parameters of the SPelAgent model are shown in Table 4.

Table 4: Estimated DEB parameters and mortality rates for sardine and anchovy used in SPelAgent

Symbol	Sardine	Anchovy	Unit of measure	Definition
$M_{\text{egg}}$	0.9998	0.9998	-	Egg mortality fraction at hatching
$M_0$	1.08	1.06	per day	Mortality rate (age 0)
$M_1$	0.86	1.01	per day	Mortality rate (age 1)
$M_2$	0.69	0.82	per day	Mortality rate (age 2)
$M_3$	0.62	0.69	per day	Mortality rate (age 3)
$M_4$	0.48	0.62	per day	Mortality rate (age 4)
$M_{F0}$	-	-	per day	Fishing mortality (age 0)
$M_{F1}$	-	-	per day	Fishing mortality (age 1)
$M_{F2}$	-	-	per day	Fishing mortality (age 2)
$M_{F3}$	-	-	per day	Fishing mortality (age 3)
$M_{F4}$	-	-	per day	Fishing mortality (age 4)
$f_{\text{comm}}$	-	-	-	Communal functional response
$Temp$	-	-	C	Daily temperature from time-series, then converted in Kelvin
$T_A$	8000.0	9800	K	Arrhenius species specific temperature
$T_r$	293.0	293.0	K	Reference temperature at which params are calculated
$T_c$	-	-	-	Temperature correction factor, daily value calculated from the Arrhenius equation
<code>death_thres</code>	-	-	-	Death threshold: fraction to be multiplied by $N_{\text{ind}0}$ , below which the SI is removed from the simulation
<code>repro_start</code>	270.0	90.0	day of year	Start of reproduction period
<code>repro_end</code>	90.0	270.0	day of year	End of reproduction period
$f_r$	400	450	$\text{eggsbatch}^{-1}\text{g}^{-1}$	Eggs per gram of free gonad female weight (batch)
$\kappa$	0.883	0.9901	-	Allocation fraction to soma
$\dot{p}_{Am}$	554.351	11.1372	$\text{J}/\text{cm}^3/\text{day}$	Max assimilation coefficient
$\dot{v}$	0.02165	0.01944	$\text{cm}/\text{day}$	Energy conductance rate
$\kappa_X$	0.8	0.8	-	Digestion efficiency
$\kappa_R$	0.95	0.95	-	Reproduction efficiency
$\{\dot{F}_m\}$	6.5	6.5	$\text{cm}^2/\text{day}$	Max specific searching rate
$\delta_M$	0.1152	0.1656	-	Shape coefficient

Symbol	Sardine	Anchovy	Unit	Definition
$\dot{k}_J$	0.002	0.002	$day^{-1}$	Maturity maintenance rate
$s_M$	2.25531	17.3829	-	Acceleration factor
$\dot{p}_M$	438.602	54.67	$J/cm^3/day$	Somatic maintenance per unit volume
$[E_g]$	5017.55	5077.00	$J/cm^3$	Cost per unit of structure
$d_V$	0.2	0.2	$g/cm^3$	Specific density of structure (dry)
$\mu_V$	500000.0	500000.0	$J/mol$	Chemical potential of structure
$\mu_E$	550000.0	550000.0	$J/mol$	Chemical potential of reserve
$w_V$	23.9	23.9	$g/mol$	Molecular dry weight of structure
$w_E$	23.9	23.9	$g/mol$	Molecular dry weight of reserve
$w$	5.0	5.0	$J/g$	Conversion factor from dry to wet weight
$E_H^b$	0.01578	0.00012	J	Maturity at birth
$E_H^j$	0.18735	0.6741	J	Maturity at end of metamorphosis
$E_H^p$	4553.63	244.0	J	Maturity at puberty
$L_b$	0.02794	0.01335	-	Structural length at birth
$L_j$	0.06301	0.23201	-	Structural length at juvenile stage
$L_p$	1.19937	1.50	-	Structural length at puberty
$L_m$	2.23	3.47	-	Structural maximum length $Lm = \kappa \dot{p}_{Am} s_M / [\dot{p}_M]$
$A_b$	6.0	6.0	days	Predicted age at birth from DEB parametrization
$A_p$	202	292.0	days	Predicted age at puberty from DEB parametrization
$A_m$	3461	1825.0	days	Predicted lifespan
$E_0$	0.69402	0.01375	J	Initial reserve = $E_{0max}$
$ep_{min}$	0.22	0.30	-	scaled reserve density whereby maturation and growth cease at puberty = minimum scaled reserve density of a fertile mother
$E_{0min}$	0.3	0.004	J	Initial reserve of eggs produced by a fertile mother with scaled reserve density equal to $ep_{min}$

Symbol	Sardine	Anchovy	Unit	Definition
$E_{0max}$	0.69402	0.01375	J	Initial reserve of eggs produced by a fertile mother with reserve density equal to $[E_m] = \dot{p}_{Am} / \dot{v}$

### 3.3 Submodels

#### 3.3.1 Mortality (`die!()`)

Adult mortality is handled by the `adultdie!` function, which incorporates natural, fishing, and thinning-induced mortality. The total mortality rate  $M$  is computed as the sum of age-specific daily rate natural mortality  $M_n$ , fishing mortality  $M_f$  (Hilborn and Walters, 1992), and an optional thinning term  $h_t$  (Kooijman, 2024) :

$$M = M_n + M_f + h_t \quad (20)$$

Fishing mortality for age class 0+ is applied to juveniles only if the individual size is larger than 10cm.

Mortality by starvation is described in section 3.3.1.

**Thinning Mortality** Thinning extra hazard is a way to counterbalance juveniles' outcompetition of adults due to their relatively high surface-volume ratio (Kooijman 2024; juvenile-driven cycles). Among the artifacts resulting from juvenile-driven cycles, we have high synchronization in reproduction timing of the agents and decreased lifespan of adults due to starvation when juveniles enter the population. In SPelAgent, the thinning hazard formulation is based on the freely available code of the `abj` model in the `popDyn` folder of the `DEB_Tool` repository for DEB parameter estimation (DEBtool, 2024). When the `thinning` option is set to `true` in the `model_initialize!()` function, an additional hazard is applied based on the individual's scaled reserve energy density and structural length to juveniles. If the scaled reserve energy density exceeds the threshold:

$$e \geq \frac{L}{L_m s_M}$$

where  $e$  is the scaled reserve energy density,  $L$  is the structural length,  $L_m$  is the maximum structural length, and  $s_M$  is the acceleration factor, then the growth rate  $r$  is positive and computed as:

$$r = T_c \cdot s_M \cdot v \cdot \frac{e/L - \frac{1}{L_m s_M}}{e + g} \quad (21)$$

where  $T_c$  is the temperature correction factor and  $g$  is the investment of energy in growth. Otherwise, the growth rate is negative and would imply shrinking of body structure, a phenomenon observed in some species (Kooijman, 2009):

$$r = T_c \cdot s_M \cdot v \cdot \frac{e/L - \frac{1}{L_m s_M}}{e + \kappa_G g} \quad (22)$$

where  $\kappa_G$  is the fraction of growth energy fixed into structure.

The thin hazard  $h_t$  is applied only when the growth rate is positive and calculated as:

$$h_t = \frac{2}{3} \frac{r}{c} \quad (23)$$

where  $\frac{2}{3}c$  is an adjusted parameter to reduce the effect of hazard and avoid population collapse, while still reducing the effect of juvenile-driven cycles. In fact, around 20% of the species in the AddMyPet database cannot survive thinning (Kooijman, 2024). Other approaches to overcome juvenile-driven cycles would require more complexity, like multiple food resources differentiated according to the life-stage or spatial separation.

The factor  $c$  is equal to 5 for sardines and 15 for anchovies, the latter being very high since the anchovies were almost unaffected by the artifacts of juvenile-driven cycles. These values are sufficient to mitigate the effects of juvenile-driven cycles and enable the population to reach a steady state.

Thinning is applied only to juveniles.

**Total deaths** The number of deaths  $D$  is drawn from a binomial distribution:

$$D \sim \text{Binomial}(N_{\text{ind}}, 1 - e^{-M}) \quad (24)$$

If fishing mortality is present, deaths are partitioned between natural and fishing deaths:

$$D_{\text{nat}} \sim \text{Binomial}(D, 1 - e^{-M_n/M}) \quad (25)$$

$$D_{\text{fish}} = D - D_{\text{nat}} \quad (26)$$

The SI size ( $N_{\text{ind}}$ ) is updated by removing the deaths:

$$N_{\text{ind}_{SI_{t+1}}} = N_{\text{ind}_{SI_t}} - D \quad (27)$$

If the number of individuals in the SuperIndividual (SI) falls below a threshold, the SI is removed from the simulation:

$$N_{\text{ind}} \leq N_{\text{ind}0} \cdot \text{death\_thres} \quad (28)$$

Here,  $N_{\text{ind},0}$  is the initial number of individuals in the SI, and **death\_thres** is a scaling factor computed to ensure that, under natural mortality alone, the expected lifespan of the species is respected—10 years for sardines and 7 years for anchovies.

The **death\_thres** is calculated at the beginning of the simulation, simulating the decline in  $N_{\text{ind}}$  inside the SI over time, using age-specific daily mortality rates provided as input. Daily survival is modeled as a binomial process, and the function `calculate_death_thres()` uses binary search to estimate the minimum fraction of the initial number of individuals in the SI ( $N_{\text{ind}0}$ ) that must persist for the population to survive until the maximum lifespan. If the  $N_{\text{ind}}$  is below this fraction, the SI is removed from the simulation. This provides a biologically consistent and computationally efficient criterion for removing negligible SIs from the simulation.

### 3.3.2 Energy Dynamics (DEB!())

This submodel updates DEB state variables, calculating at a daily timestep all the energy fluxes described in the section 2.3. Fluxes are influenced by the communal functional response  $f_{\text{comm}}$  and the current temperature according to the temperature correction factor  $T_C$ . Eggs do not assimilate energy from the environment but directly mobilize energy from the reserve. This module also includes the starvation rules (Kooijman, 2009): if the energy mobilized from the reserve is not enough to pay somatic maintenance, juveniles die directly of starvation, while adults are allowed to use the energy stored in the gonads to pay for the deficit. Starvation occurs when mobilized energy cannot cover somatic maintenance:

$$\kappa \cdot \dot{p}_C \leq \dot{p}_S \quad (29)$$

For adults, energy can also be withdrawn from reproductive reserves  $E_R$ , and death occurs if the available energy in the reproduction buffer is not enough:

$$E_R \leq \dot{p}_S - \kappa \cdot \dot{p}_C \quad (30)$$

Otherwise, the buffer is used to pay somatic maintenance and is updated as:

$$\Delta E_R = E_R - (\dot{p}_S - \kappa \cdot \dot{p}_C) \quad (31)$$

### 3.3.3 Hatching (egghatch!())

If  $E_H \geq E_H^b$  then the SI become a juvenile and starts to assimilate energy from the environment. A 99.98% of the eggs in the SI are killed at this stage to represent the high early life stage mortality (Haberle et al., 2023).

### 3.3.4 Maturation (juvemature!())

If  $E_H \geq E_H^p$ , the SI becomes an adult and starts to store energy in the reproductive buffer.

### 3.3.5 Aging (aging!())

All the SIs that survive the daily timestep get older by 1 day.

### 3.3.6 Spawning (adultspawn!)

Spawning occurs during a defined reproductive season, from March to September for anchovy and from September to March for sardine (Regner et al., 1987, 1988; Zavodnik, 1969, 1970; Sinovčić and Zorica, 2006). The onset of the reproductive period is subject to inter-individual variability by introducing noise of up to two weeks around the predefined start date:

$$\text{reprostart} = \text{model.repro\_start} + \mathcal{U}(-14, 14) \quad (32)$$

Spawning is allowed if the current day of the year falls within the species-specific reproductive window. Each individual female produces a number of eggs proportional to its free gonad weight (body weight  $W_w$  minus the weight of the reproduction buffer  $E_R$ , the latter equal to  $W_g$ ), scaled by fecundity  $f_r$  (eggs batch<sup>-1</sup> g<sup>-1</sup>) and perturbed by Gaussian noise to reproduce interindividual variability:

$$N_{\text{eggs}} = (f_r + \mathcal{N}(0, 50)) \cdot (W_w - W_g) \quad (33)$$

The batch fecundity is set at 400 eggs per gram per batch for sardines and 450 eggs per gram per batch for anchovies (Casavola et al., 1996a,b).

The total number of eggs produced by the SI assuming a sex-ratio of 0.5 is:

$$N_{\text{eggs,SI}} = N_{\text{eggs}} \cdot \left\lceil \frac{N_{\text{ind}}}{2} \right\rceil \quad (34)$$

The energy content per egg  $E_0$  is determined according to the maternal effect, i.e., which states that energy density at birth equals the reserve density of the mother at the moment of spawning. The initial energy content of the egg  $E_0$  is then calculated as proposed in Haberle et al. (2023) using the scaled reserve density formulation:



$$E_0 = \left( \frac{E_{0\max} - E_{0\min}}{1 - e_{p\min}} \cdot (e - e_{p\min}) + E_{0\min} \right) + \mathcal{N}(0, 0.1E_{0\min}) \quad (35)$$

where  $e$  is the scaled reserve energy density of the individual, and  $e_{p\min}$  is the minimal reserve energy density of a fertile mother producing viable eggs.  $E_{0\min}$  is the energy content of the egg if the scaled reserve energy density of the mother is  $e_{p\min}$ , and  $E_{0\max}$  is the energy content of the egg if the scaled reserve density of the mother is equal to 1, meaning that the reserve density of the mother is equal to  $[E_M]$ . The total energy to be invested in eggs by a single female is:

$$E_{\text{spawn}} = N_{\text{eggs}} \cdot E_0 \quad (36)$$

Spawning occurs only if this energy is less than or equal to the available energy in the reproductive buffer  $E_R$ , scaled by  $\kappa_R$  and subject to a small noise:

$$E_{\text{spawn}} \leq E_R \cdot (\kappa_R + \mathcal{N}(0, 0.01\kappa_R)) \quad (37)$$

If this condition is met, the sardine is marked as a **:spawner**, its reproductive buffer is reduced by  $E_{\text{spawn}}$ , and the spawning counter of the SI is incremented of 1. Otherwise, the individual remains a non-spawner for that time step. Noise added on the start day of reproduction, to individual fertilization,  $E_0$ , and to  $\kappa_R$  was introduced to account for inter-individual variability and to avoid artificial thresholds leading to excessive synchronization in reproductive events, increasing the risks of juvenile-driven cycles.

**A new SI in the simulation** All the eggs produced on the same timestep by the SIs who met the spawning conditions are collected into a new SI, which is added to the simulation with  $E_0$  equal to the mean of the parental  $E_0$ , as calculated in Section 3.3.6.

The values of the individual parameters  $\{\dot{p}_{Am,i}\}$ ,  $[\dot{p}_{M,i}]$ , and  $E_{H,i}^p$  are assigned differently depending on whether inheritance is activated once the simulation is initialized. If inheritance is turned off, each new individual receives the standard DEB parameter  $\{\dot{p}_{Am}\}$ , while  $[\dot{p}_M]$  and  $E_H^p$  are sampled independently by applying a log-normal variation around the respective reference values (see section 3.1.1).

When inheritance is active, we apply the quantitative genetic principles based on the infinite loci assumption, that is, parameter values are derived from the parental spawner distribution of parameters (Lynch and Walsh, 1998; Robertson and George, 1983; Romero-Mujalli et al., 2019).

When inheritance is active and the zoom factor mechanism is enabled,  $\{\dot{p}_{Am}\}$  and  $E_H^p$  covary by being multiplied by the same zoom-factor sampled from the parental distribution (Lika et al.

2011; for more details see 3.1.1).

If the zoom mechanism is disabled, we do not assume covariation between  $\{\dot{p}_{Am}\}$  and  $E_H^p$  values so they will be sampled similarly to  $[\dot{p}_{M,i}]$  parental values, with the same standard deviations used at the initialization of the agents (Section 3.1). In this case, the user can decide at initialization whether the normal distributions should be centered on the arithmetic mean or a weighted mean (weighted by the number of eggs spawned by each spawner) of the parental values (section 3.1).

## 3.4 General Dynamics

### 3.4.1 Environment Evolution (`evolve_environment!`)

All time-dependent environmental parameters and input time series are updated via the `update_!()` functions, which are called within the `evolve_environment!()` routine.

The parameters updated include:

- **Temperature:** updated from the input daily time series (in °C). Based on temperature, the temperature correction factor  $T_c$  is calculated using the Arrhenius equation (see Section 2.3).
- **Food availability:** provided as the total amount of zooplankton energy available in the basin (in Joules).
- **Fishing mortality ( $F$ ):** age-specific fishing mortality is updated daily, based on annual estimates from stock assessment models for sardine and anchovy.

After updating temperature and food conditions, the communal functional response is calculated following the formulation of Haberle et al. (2023) and assigned to all individuals that feed exogenously (juveniles and adults; see below).

**Density dependence.** At the individual level, given  $\Delta t = 1$  day, we know from section 2.3 that the assimilation flux is:

$$\dot{p}_A = f \cdot \{\dot{p}_{Am}\} \cdot T_c \cdot s_M \cdot L^2 \quad (38)$$

The scaled functional response  $f$  can be rewritten as:

$$f = \frac{\dot{p}_A}{\{\dot{p}_{Am}\} \cdot L^2 \cdot T_c \cdot s_M} \quad (39)$$

This formulation can be interpreted as the ratio between the actual assimilation of an individual—given its environment—and the maximum possible assimilation at that temperature and body size.

Following this approach for scaling at the population level, Haberle et al. (2023) introduces the *communal functional response*,  $f_{\text{comm}}$ , defined as the ratio between the total assimilable food in the water basin ( $X_{\text{tot}} k_X$ ), and the theoretical maximum assimilation of the population. This latter is calculated as the sum of the individual maximum theoretical assimilation in the population, accounting for their current size ( $L^2$ ), the inter-individual variability in  $\{\dot{p}_{Am}\}$ , and temperature ( $T_c$ ). Given  $\Delta t = 1$  day:

$$f_{\text{comm}} = \frac{X_{\text{tot}} \cdot \kappa_X}{\sum_{i=1}^N \dot{p}_{Am,i} \cdot L_i^2 \cdot T_c \cdot s_{Mi} \cdot \Delta t} \quad (40)$$

The numerator represents the actual availability of food in the basin, accounting for assimilation efficiency. The denominator represents the population's theoretical assimilation potential at the given temperature, i.e., the sum over all individuals of their maximum possible assimilation rates, incorporating individual-specific  $p_{Am,i}$  values.

This communal response determines the actual functional response  $f$  assigned to each feeding individual in the population.

### 3.4.2 Output Collection

All SuperIndividual (SI) properties (see Table 1) are recorded at each daily time step.

Population-level outputs include aggregated statistics such as:

- Mean structural length, wet weight, and age at puberty
- Total number of individuals alive
- Total biomass by life stage and mortality cause (natural, starvation, fishing)

## References

- AmPtool (2024). Amptool [software package], version: 2024/01/25. <https://github.com/add-my-pet/AmPtool>. Main contributors: S.A.L.M. Kooijman, G. Marques, S. Augustine, D. Lika, N. Marn.
- Basilone, G., Ferreri, R., Bonanno, A., Genovese, S., Barra, M., and Aronica, S. (2023). Age and growth of european sardine (*sardina pilchardus*) in the central mediterranean sea: Implication for stock assessment. *Fishes*, 8(4):202.
- Bezanson, J., Edelman, A., Karpinski, S., and Shah, V. B. (2017). Julia: A fresh approach to numerical computing. *SIAM Review*, 59(1):65–98.

- Casavola, N., Marano, G., and Rizzi, E. (1996a). Batch fecundity of *engraulis encrasicolus* l. in the south-western adriatic sea. *Scientia Marina*, 60(2-3):369–377.
- Casavola, N., Rizzi, E., and Marano, G. (1996b). First data on batch fecundity and relative fecundity of *sardina pilchardus* (walbaum, 1792) (clupeidae) in the south-western adriatic sea. *Boletín del Instituto Español de Oceanografía*, 12:53–63.
- Datseris, G., Vahdati, A. R., and DuBois, T. C. (2024). Agents.jl: a performant and feature-full agent-based modeling software of minimal code complexity. *Simulation*, 100(10):1019–1031.
- DEBtool (2024). Debtool [software package], version: 2024/01/25. <https://github.com/add-my-pet/DEBtool>. Main contributors: S.A.L.M. Kooijman, G. Marques, S. Augustine, D. Lika, N. Marn.
- Dulčić, J. (1995). Estimation of age and growth of sardine, *sardina pilchardus* (walbaum, 1792), larvae by reading daily otolith increments. *Fisheries Research*, 22(3–4):265–277.
- Haberle, I., Bavčević, L., and Klanjsček, T. (2023). Fish condition as an indicator of stock status: Insights from condition index in a food-limiting environment. *Fish and Fisheries*, 24(4):567–581.
- Hilborn, R. and Walters, C. J. (1992). *Quantitative Fisheries Stock Assessment: Choice, Dynamics and Uncertainty*. Chapman and Hall, New York.
- Kooijman, B. (2009). *Dynamic Energy Budget Theory for Metabolic Organisation*. Cambridge University Press, 3 edition.
- Kooijman, S. A. L. M. (2014). Metabolic acceleration in animal ontogeny: An evolutionary perspective. *Journal of Sea Research*, 94:128–137.
- Kooijman, S. A. L. M. (2024). Ways to reduce or avoid juvenile-driven cycles in individual-based population models. *Ecological Modelling*, 490:110649.
- Kooijman, S. A. L. M., Pecquerie, L., Augustine, S., and Jusup, M. (2011). Scenarios for acceleration in fish development and the role of metamorphosis. *Journal of Sea Research*, 66:419–423.
- Lika, K., Kearney, M. R., Freitas, V., Van Der Veer, H. W., Van Der Meer, J., Wijsman, J. W. M., Pecquerie, L., and Kooijman, S. A. L. M. (2011). The “covariation method” for estimating the parameters of the standard dynamic energy budget model i: Philosophy and approach. *Journal of Sea Research*, 66(4):270–277.

- Lynch, M. and Walsh, B. (1998). *Genetics and Analysis of Quantitative Traits*. Sinauer Associates, Inc., Sunderland, MA, USA.
- Marques, G. M., Augustine, S., Lika, K., Pecquerie, L., Domingos, T., and Kooijman, S. A. L. M. (2018). The amp project: Comparing species on the basis of dynamic energy budget parameters. *PLoS Computational Biology*, 14:1–23.
- Martin, B. T., Zimmer, E. I., Grimm, V., and Jager, T. (2012). Dynamic energy budget theory meets individual-based modelling: a generic and accessible implementation. *Methods in Ecology and Evolution*, 3(2):445–449.
- Menu, C. (2024). *Population dynamics and evolution of biological traits of anchovy and sardine in the Bay of Biscay: a coupled DEB-IBM approach*. Phd thesis, Université de Bretagne Occidentale - Brest. NNT: 2024BRES0003.
- Mustać, B., Zoja Cukar, G., and Vidović, A. (2020). Comparison of growth parameters between sardine *Sardina pilchardus* (walbaum, 1792) and anchovy *Engraulis encrasicolus* (linnaeus, 1758) from the eastern adriatic sea. *Pomorski Zbornik*, Special edition(3):325–333.
- Nisbet, R. M., Jusup, M., Klanjscek, T., and Pecquerie, L. (2012). Integrating dynamic energy budget (deb) theory with traditional bioenergetic models. *Journal of Experimental Biology*, 215(7):1246–1246.
- Pecquerie, L. and Kooijman, B. (2015). Amp engraulis encrasicolus. [https://www.bio.vu.nl/thb/deb/deblab/add\\_my\\_pet/AmPdata/](https://www.bio.vu.nl/thb/deb/deblab/add_my_pet/AmPdata/). Version 2015/09/21.
- Postel, L., Fock, H., and Hagen, W. (2000). *ICES Zooplankton Methodology Manual*. Elsevier.
- Regner, S., Piccinetti Manfrin, G., and Piccinetti, C. (1988). The spawning of the sardine (*sardina pilchardus* walb.) in the adriatic as related to the distribution of temperature. In *FAO Fisheries Report*, volume 39, pages 127–132.
- Regner, S., Regner, D., Marasović, I., and Kršinić, F. (1987). Spawning of sardine, *sardina pilchardus* (walbaum, 1972), in the adriatic under upwelling conditions. *Acta Adriatica*, 28:161–198.
- Robertson, A. and George, W. (1983). Population and quantitative genetics of many linked loci in finite populations. *Proceedings of the Royal Society of London. Series B. Biological Sciences*, 219(1216):253–264.
- Romero-Mujalli, D., Jeltsch, F., and Tiedemann, R. (2019). Individual-based modeling of eco-evolutionary dynamics: state of the art and future directions. *Regional Environmental Change*, 19(1):1–12.

- Rose, K. A., Fiechter, J., Curchitser, E. N., Hedstrom, K., Bernal, M., Creekmore, S., Haynie, A., Ito, S.-i., Lluch-Cota, S., Megrey, B. A., Edwards, C. A., Checkley, D., Koslow, T., McClatchie, S., Werner, F., MacCall, A., and Agostini, V. (2015). Demonstration of a fully-coupled end-to-end model for small pelagic fish using sardine and anchovy in the california current. *Progress in Oceanography*, 138:348–380.
- Salonen, K., Sarvala, J., Hakala, I., and Viljanen, M.-L. (1976). The relation of energy and organic carbon in aquatic invertebrates. *Limnology and Oceanography*, 21:724–730.
- Scheffer, M., Baveco, J. M., DeAngelis, D. L., Rose, K. A., and van Nes, E. H. (1995). Super-individuals: a simple solution for modelling large populations on an individual basis. *Ecological Modelling*, 80(2):161–170.
- Sinovčić, G. and Zorica, B. (2006). Reproductive cycle and minimal length at sexual maturity of engraulis encrasicolus (l.) in the zrnjawa river estuary (adriatic sea, croatia). *Estuarine, Coastal and Shelf Science*, 69:439–448.
- Van Der Meer, J. (2006). An introduction to dynamic energy budget (deb) models with special emphasis on parameter estimation. *Journal of Sea Research*, 56(2):85–102.
- Zavodnik, D. (1969). On the spawning of the anchovy (engraulis encrasicolus l.) along the coast of the istrian peninsula (north adriatic). *Ichthyologia*, 1(1):89–98.
- Zavodnik, D. (1970). Comparative data of the spawning of sardine (sardina pilchardus walb.), sprat (sprattus sprattus l.) and anchovy (engraulis encrasicolus l.) in the north adriatic. *Ichthyologia*, 2:171–178.