

Tópicos

Close binary stars

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Lecture 3

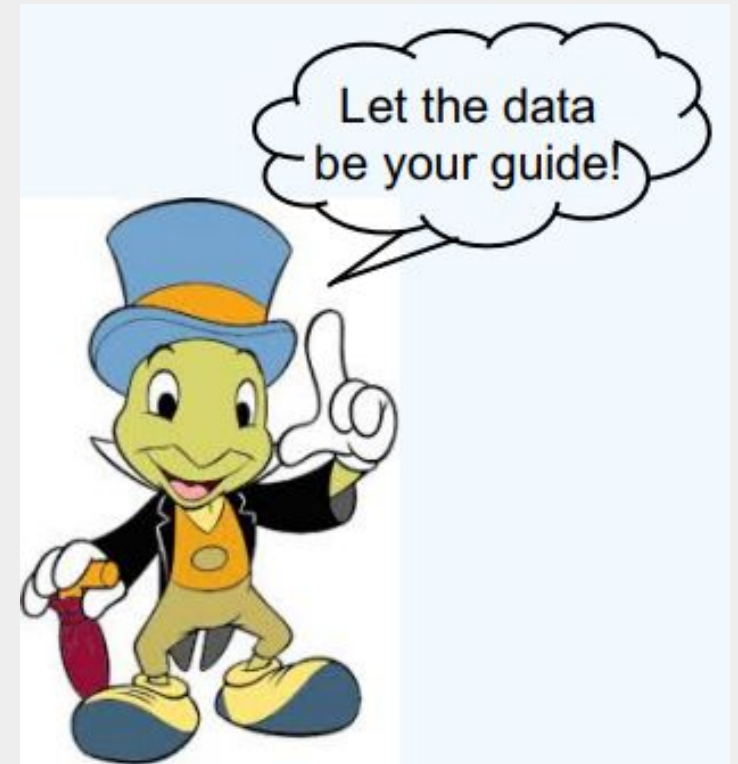
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Parameter distribution for binaries

Parameter distribution for binaries

How many binaries have a given

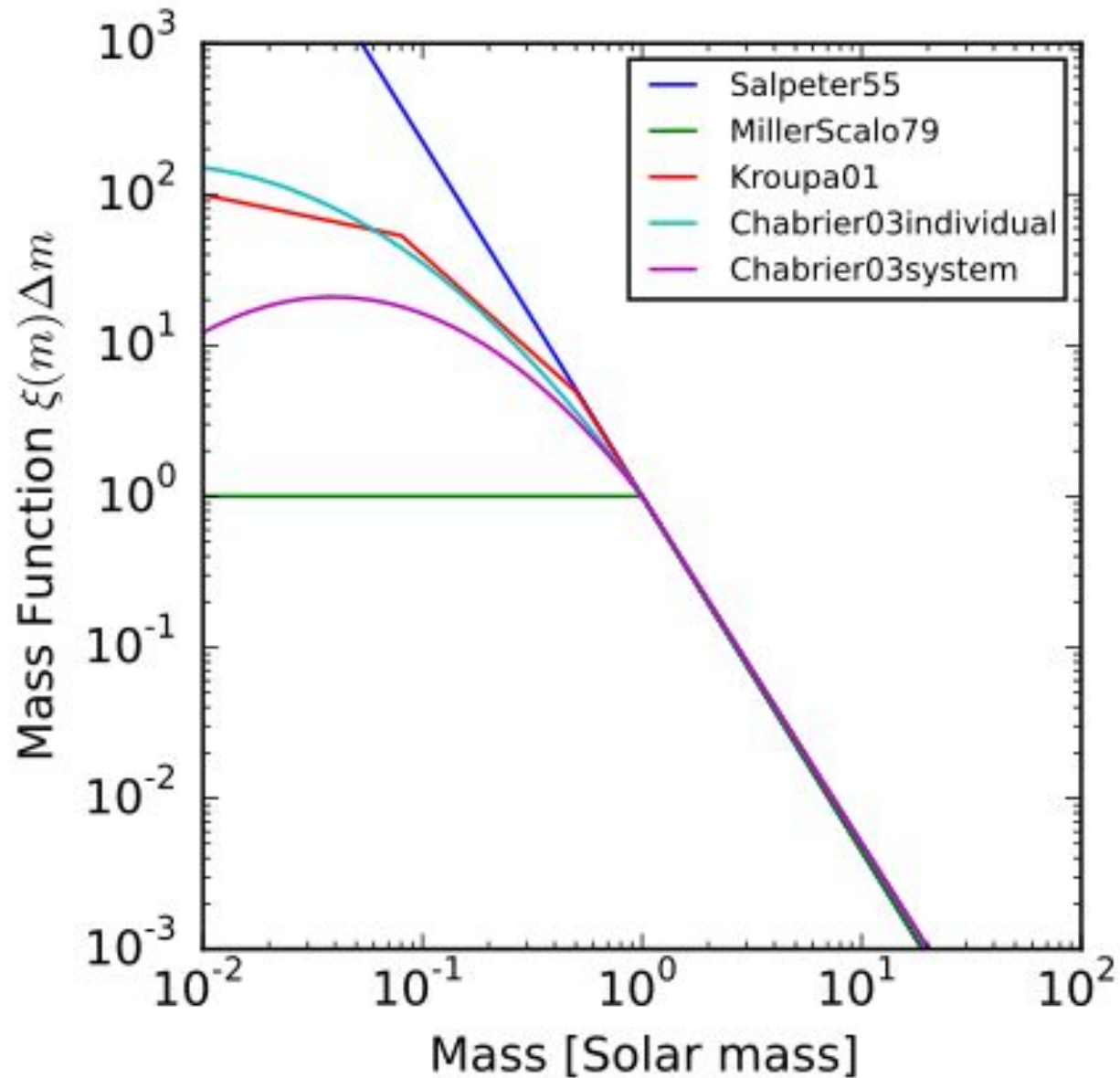
- Primary mass M_1
- Secondary mass M_2 (or mass ratio q)
- Orbital period P (or separation a)
- Eccentricity e



Very important for statistical comparisons between models and observational data.

Also give us clues on the binary formation channels.

Primary Mass M1: IMF



Mass ratio

Widely discrepant conclusions (difficult detection of low-mass companions).

It has been proposed that the mass ratio distribution of solar-type binaries is:

- flat
- single peaked
- bimodal
- monotonically decreasing with q (i.e. $f(q) \propto q^x$ with $x < 0$)
- increasing with q (i.e. $f(q) \propto q^x$ with $x > 0$)
- ...

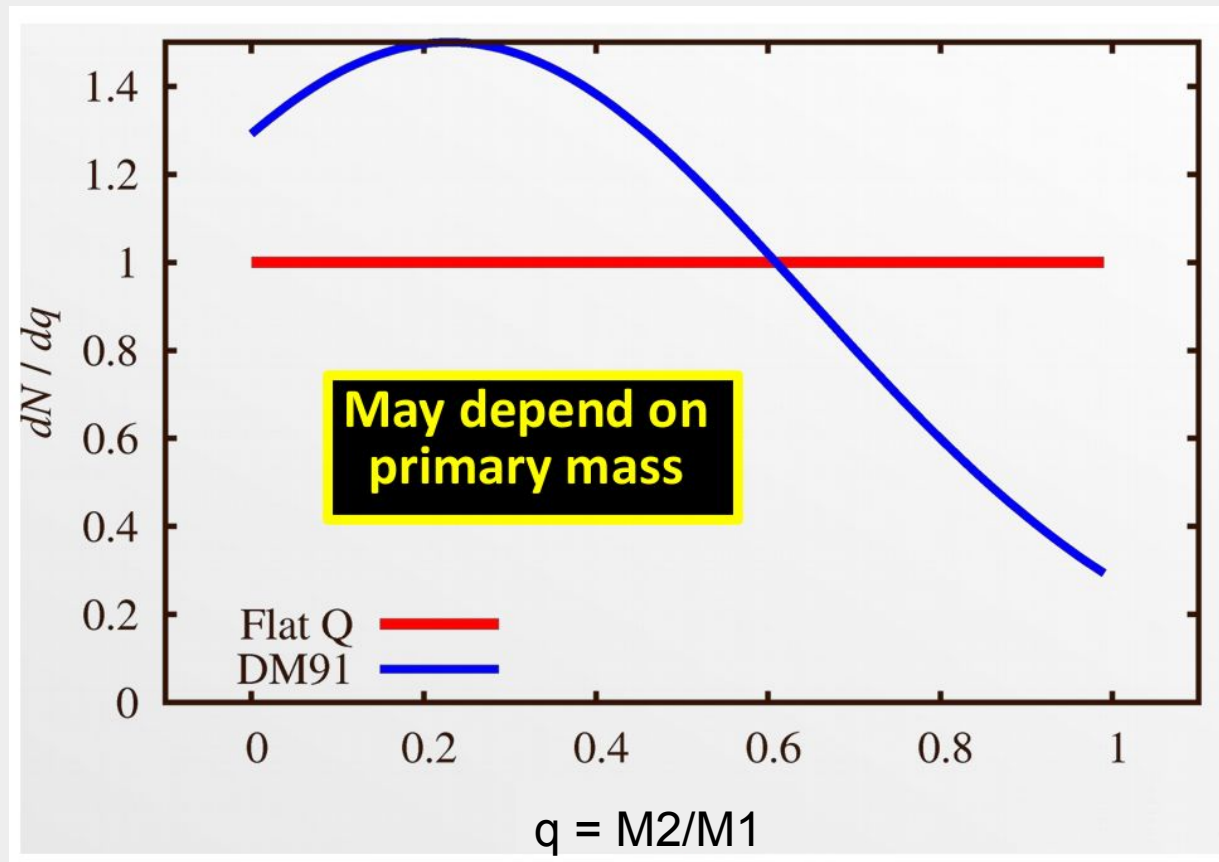


Mass ratio

Example:

Duquennoy & Mayor (1991), solar type primaries

Single peak around $q \sim 0.3$



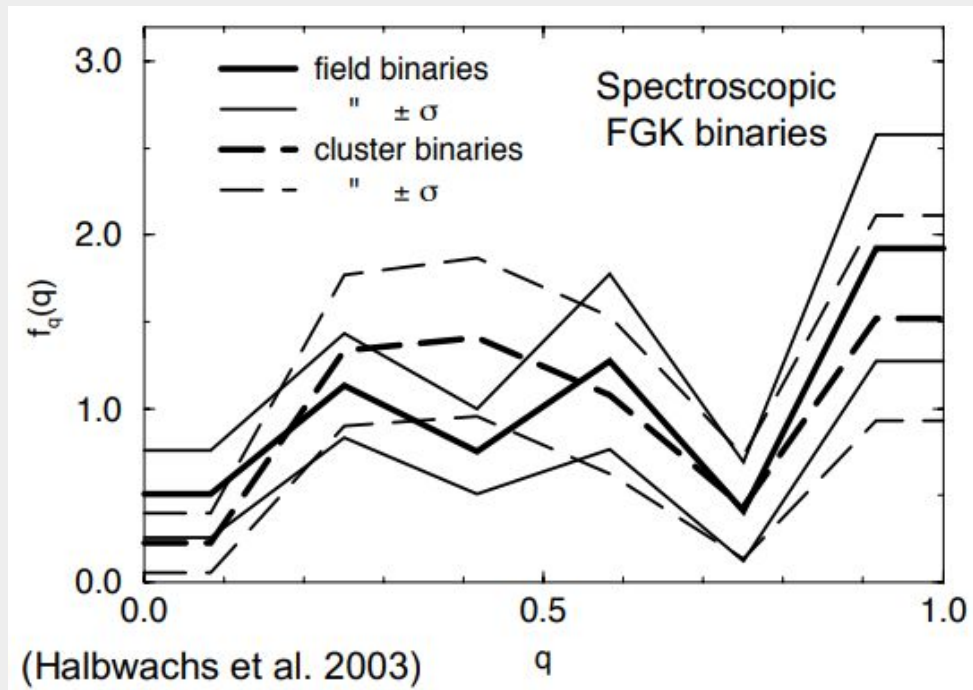
Mass ratio

Example

Hallwachs et al (2003), FGK primaries

2 power laws + peak at $q \sim 1$

A single-component power-law model $f(q) \propto q^x$ does NOT adequately describe the data.



power-law slope across $q = 0.1 - 0.3$
power-law slope across $q = 0.3 - 1.0$
excess fraction of twins with $q \approx 1.0$

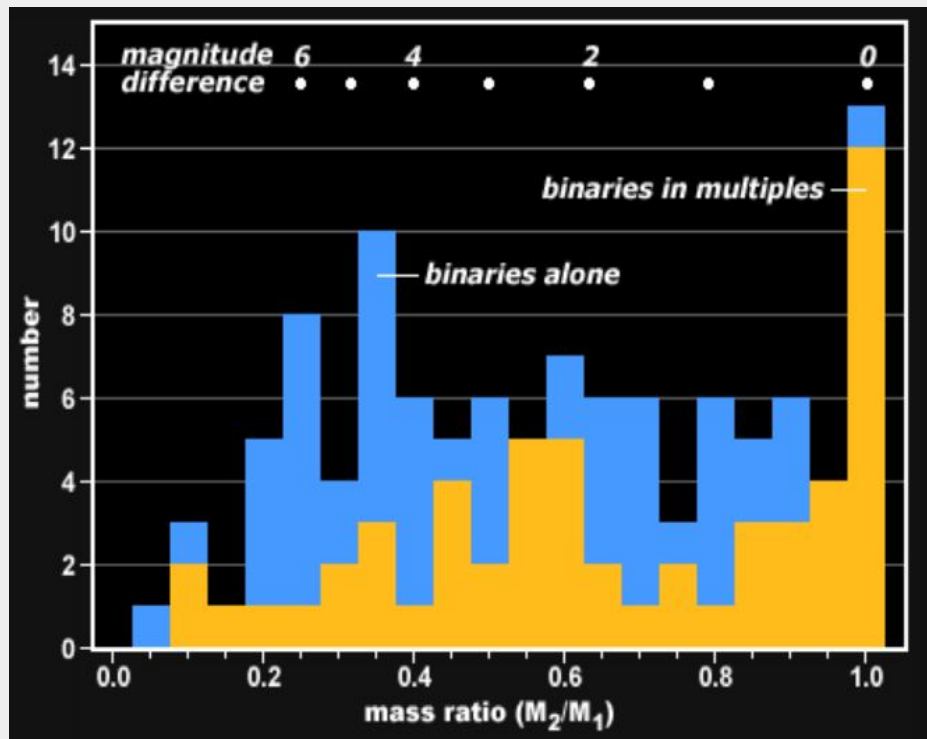
Mass ratio

Example

Raghavan et al. (2010), solar type

Flat down to $q \sim 0.1-0.2$ with a marginally significant peak at $q \gtrsim 0.95$.

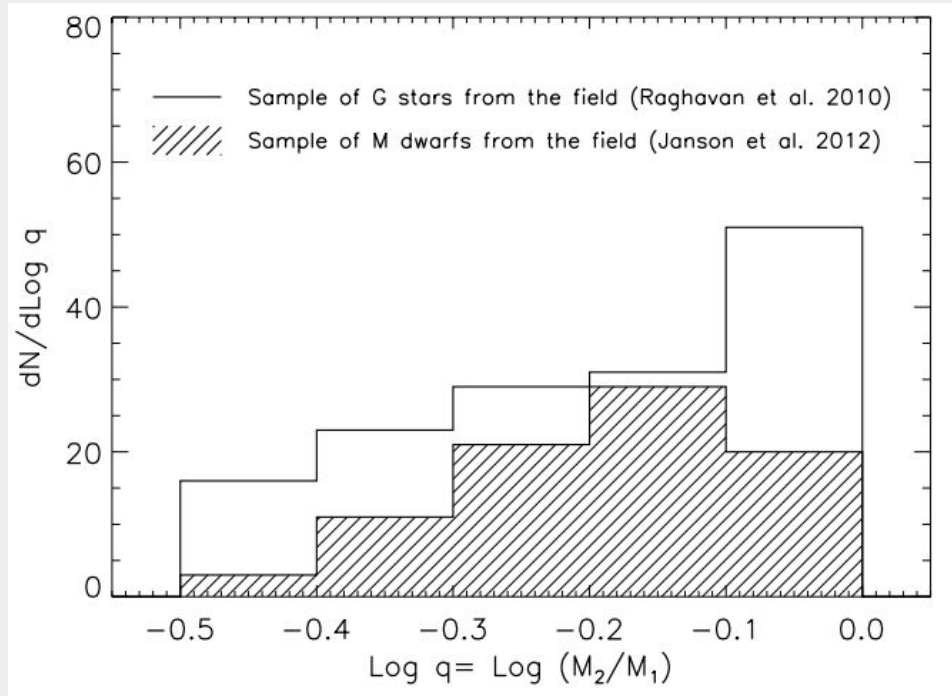
Divided the sample distinguishing binaries that are known to have at least a third companion: 3 features



- The spike at $q \sim 1$ (two equal mass stars) comes especially from binary stars that are components of multiple systems.
- Broad flat distribution that may have a secondary peak at $q \sim 0.3-0.4$ (more apparent in isolated binary systems) as noted by DM91.
- Lack of systems with $q \lesssim 0.2$ (Brown dwarf desert?)

Mass ratio

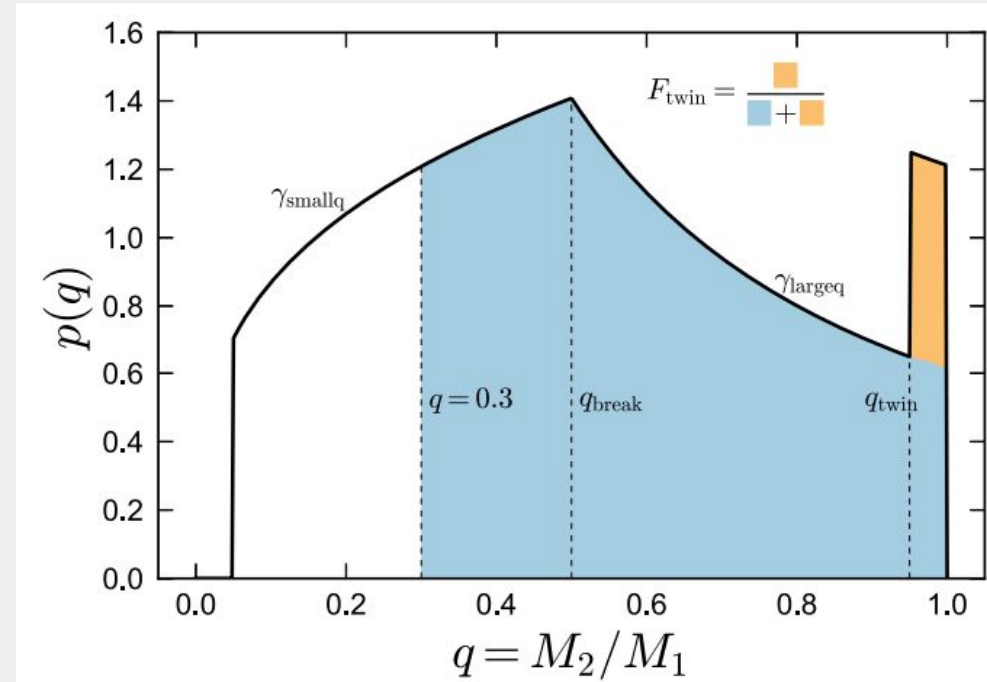
More recent examples



Reggiani & Meyer (2013):

Cumulative distribution for solar-type (G) and M-dwarf primaries in the field.

Less twins in M-dwarf



El-Badry et al. (2019):

42 000 MS wide binaries from Gaia with
 $50 < a/\text{AU} < 50000$

$0.1 M_{\odot} < M_1 < 2.5 M_{\odot}$

peak at $q \sim 0.5$

Large incidence of twins ($q=1$)

Summary: mass ratio not clear!

Different surveys produce different q distributions.



One remarkable feature of the mass ratio distribution for solar-type binaries is the dearth of substellar companions, the so-called “**BD desert**”.

Is it real?

Theoretical computer simulations of star formation predict there should be a large number of systems with $q \lesssim 0.2$ and few that actually reach $q = 1.0$.

Is this an observational bias?

- Low mass (K - M) stars and BDs are faint and difficult to detect.
- Twin binaries are the easiest to discover

Summary: mass ratio not clear!

Current evidence shows that the mass ratio distribution differs significantly between short- and long-period binaries.

Short-period binaries (members of triple systems??):

- slowly declining $f(q)$ function towards high q (i.e. $f(q) \propto q^x$ with $x < 0$)
- But strong peak at $q \approx 1$

Long-period (isolated) binaries:

- single peak around $q \approx 0.3$ (similar to DM91)

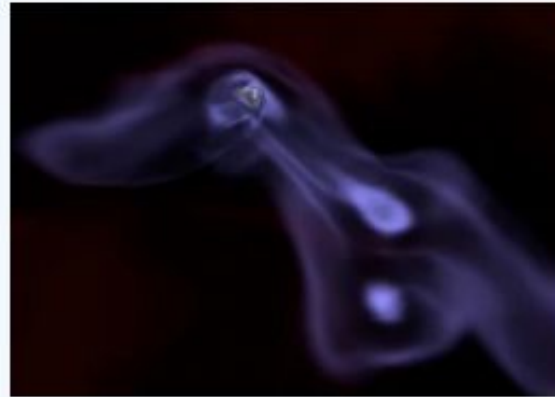
Multiplicity Statistics: Diagnostics for Binary Star Formation

(Abt+ 90; Kroupa 95a,b; Bate+ 95,02; Tokovinin 00,06; Tohline 02; Goodwin & Kroupa 05; Sana+ 12; Kratter+ 06,10; Raghavan+ 10; Offner+ 12; Duchene & Krause 13; Tobin+ 16a,b; **Moe & Di Stefano 17**

Wide Companions:

$\log P$ (days) = 5 - 9;
 a = 100 - 30,000 AU;

Core Fragmentation

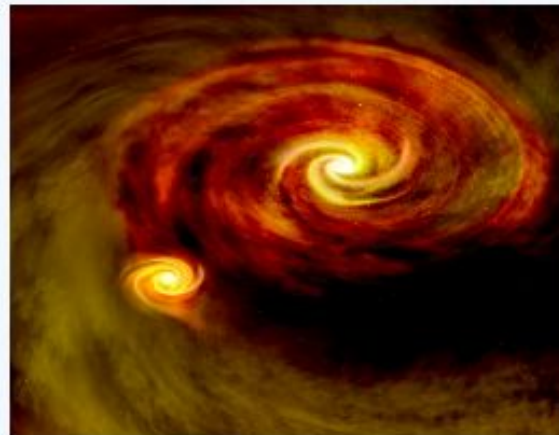


- $f_{\text{wide}} = 0.5$, initially independent of M_1
- $f(q)$ initially consistent with random pairings drawn from IMF
- Subsequent dynamical ejections: systems with smaller M_1 and q are preferentially disrupted by ZAMS

Intermediate-Period Companions:

$\log P$ (days) = 1 - 5;
 a = 0.1 - 100 AU;

Disk Fragmentation

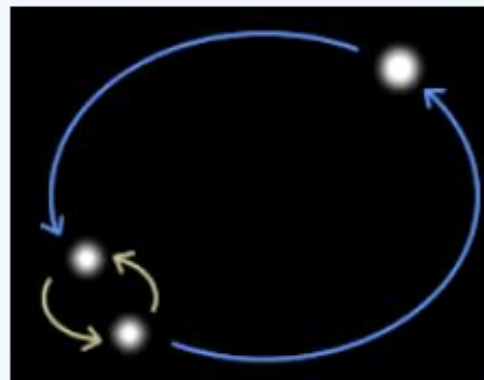


- $f_{\text{mid}} = 0.4$ ($M_1 = 1M_{\odot}$) - 1.5 ($30M_{\odot}$)
- $f(q)$ correlated due to co-evolution / shared accretion in the disk
- $M_1 = 1M_{\odot}$: uniform $f(q)$
- $M_1 > 5M_{\odot}$: weighted toward $q = 0.2$

Very Close Binaries

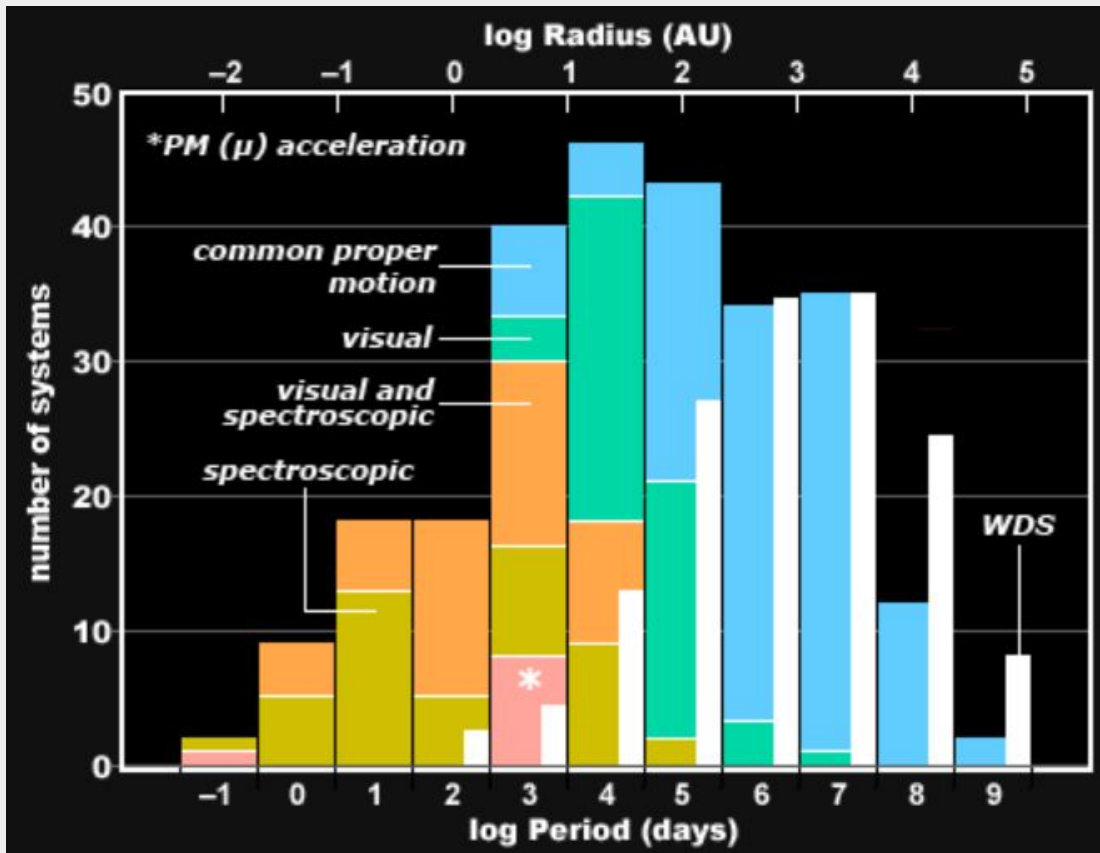
$\log P$ (days) < 1;
 a < 0.1 AU;

Dynamical Hardening in Triples during Pre-MS



- $f_{\text{close}} = 0.02$ ($M_1 = 1M_{\odot}$) - 0.2 ($30M_{\odot}$)
- Most have outer tertiaries
- Uniform $f(q)$ with excess twin fraction

Orbital Period: different techniques needed



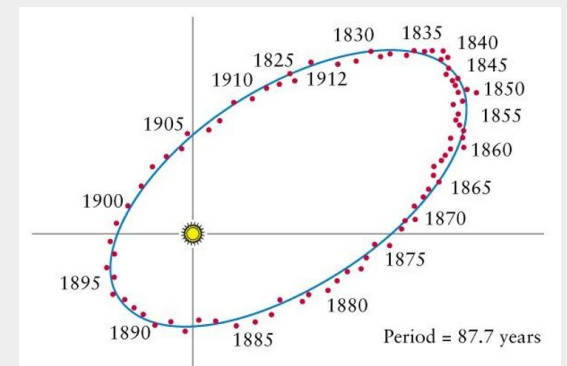
Systems which have orbits smaller than the orbit of Saturn predominantly identified by:

- spectroscopy (doppler → RV)
- interferometric imaging
- astrometry (wobble in proper motion)

Systems with $\log P[\text{d}] \gtrsim 6$ (~ 3000 yr, $a \gtrsim 250$ AU) are almost entirely identified by common proper motion.

Systems with $\log P[\text{d}] \sim 4.0$ to 4.9 comprise the largest number of double stars that can be resolved by visual observations.

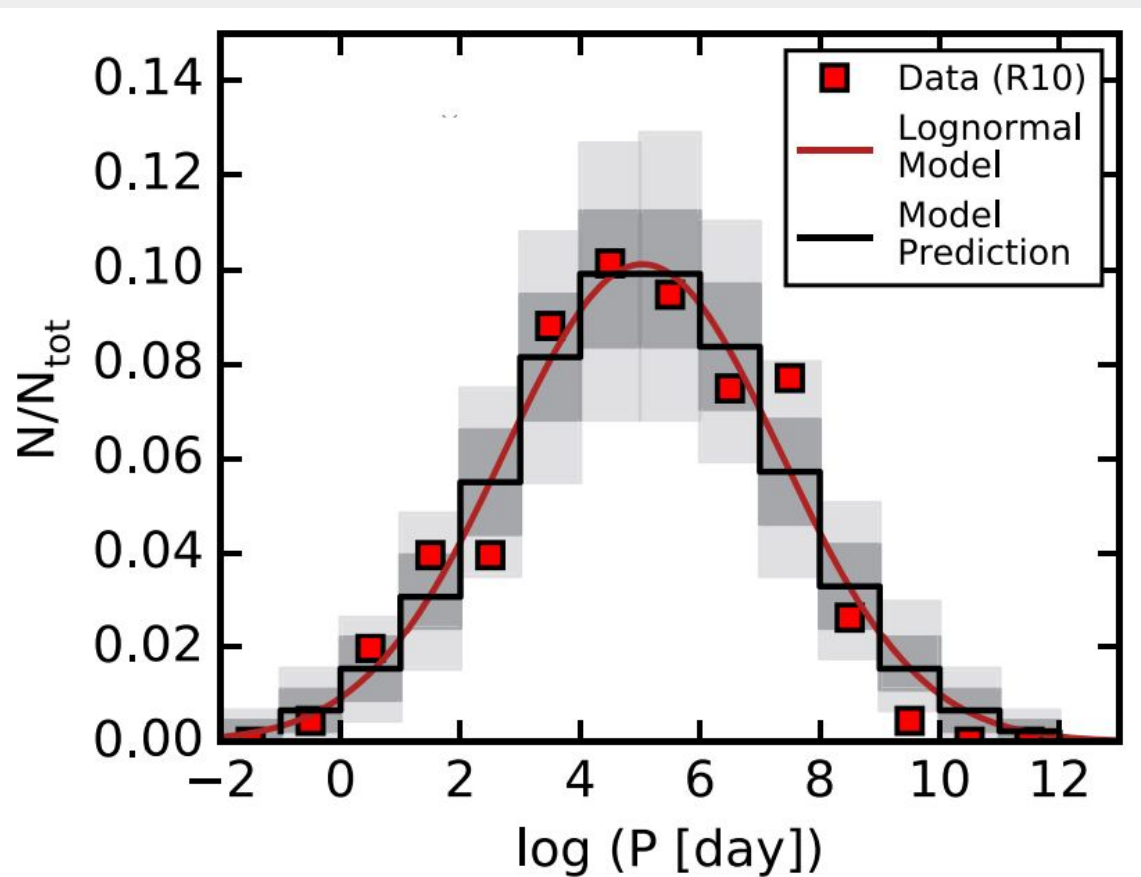
Larger periods need longer baseline (only ~ 200 years of binary studies)



Orbital Period: log normal

A distribution normal in $\log P$ was first proposed by Gerard Kuiper in 1935

Most reliable multiplicity surveys: orbital periods form a "bell shaped" distribution on log period (log normal), currently believed to best represent the distribution of binary orbits.



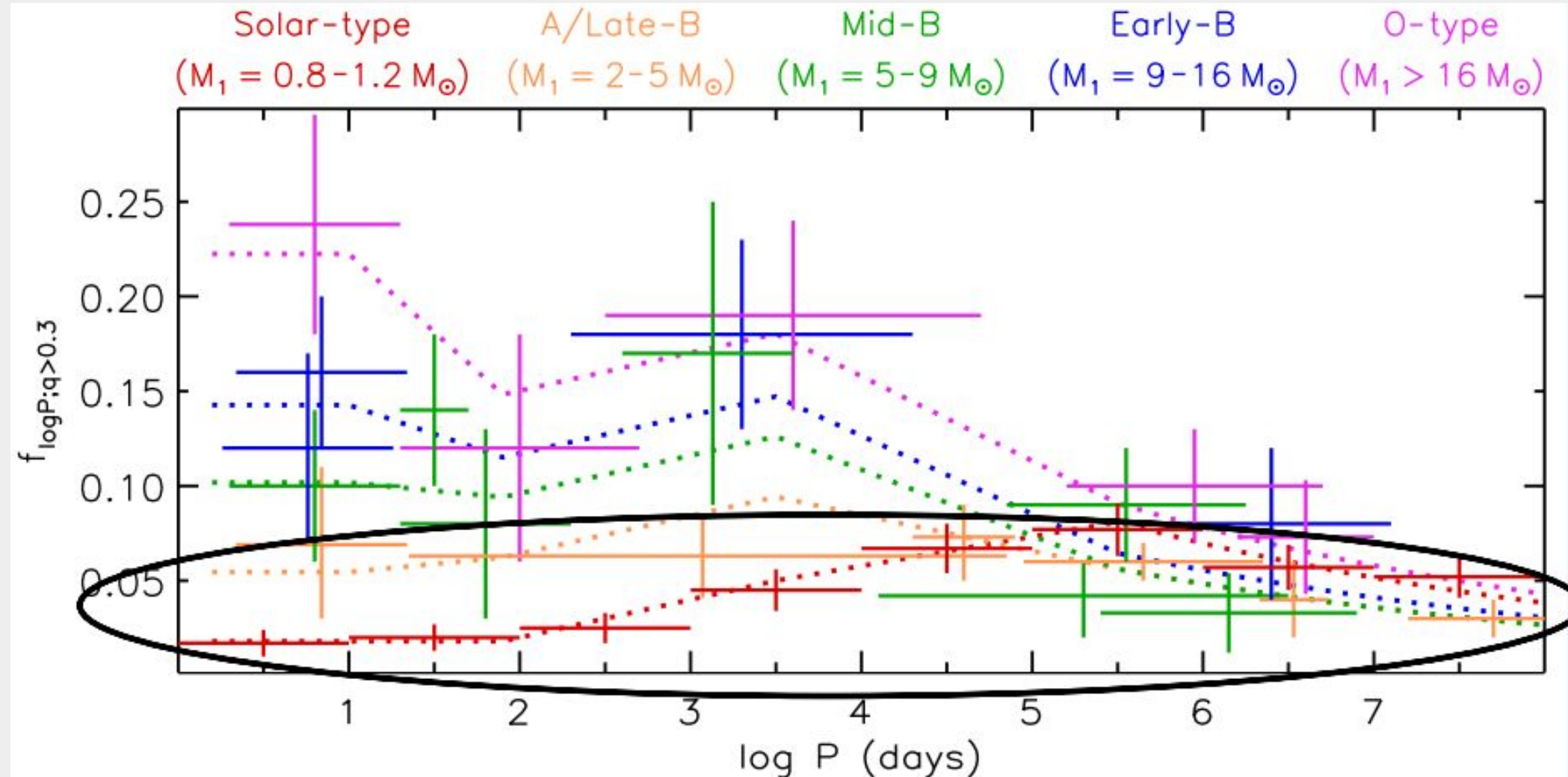
Period distribution for the Sun-like MS stars in Raghavan et al. 2010 (R10, red squares): log normal distribution with median $P \sim 260$ years ($\log P[\text{d}] \sim 4.98$)

Black: distribution predicted by simulations with the log normal model with the median from R10, based on the observations (red).

DM91: was similar, but with median $P \sim 180$ years ($\log P[\text{d}] \sim 4.82$)

Dependence of P on M_1

Moe & Di Stefano (2017) for binaries with $q > 0.3$

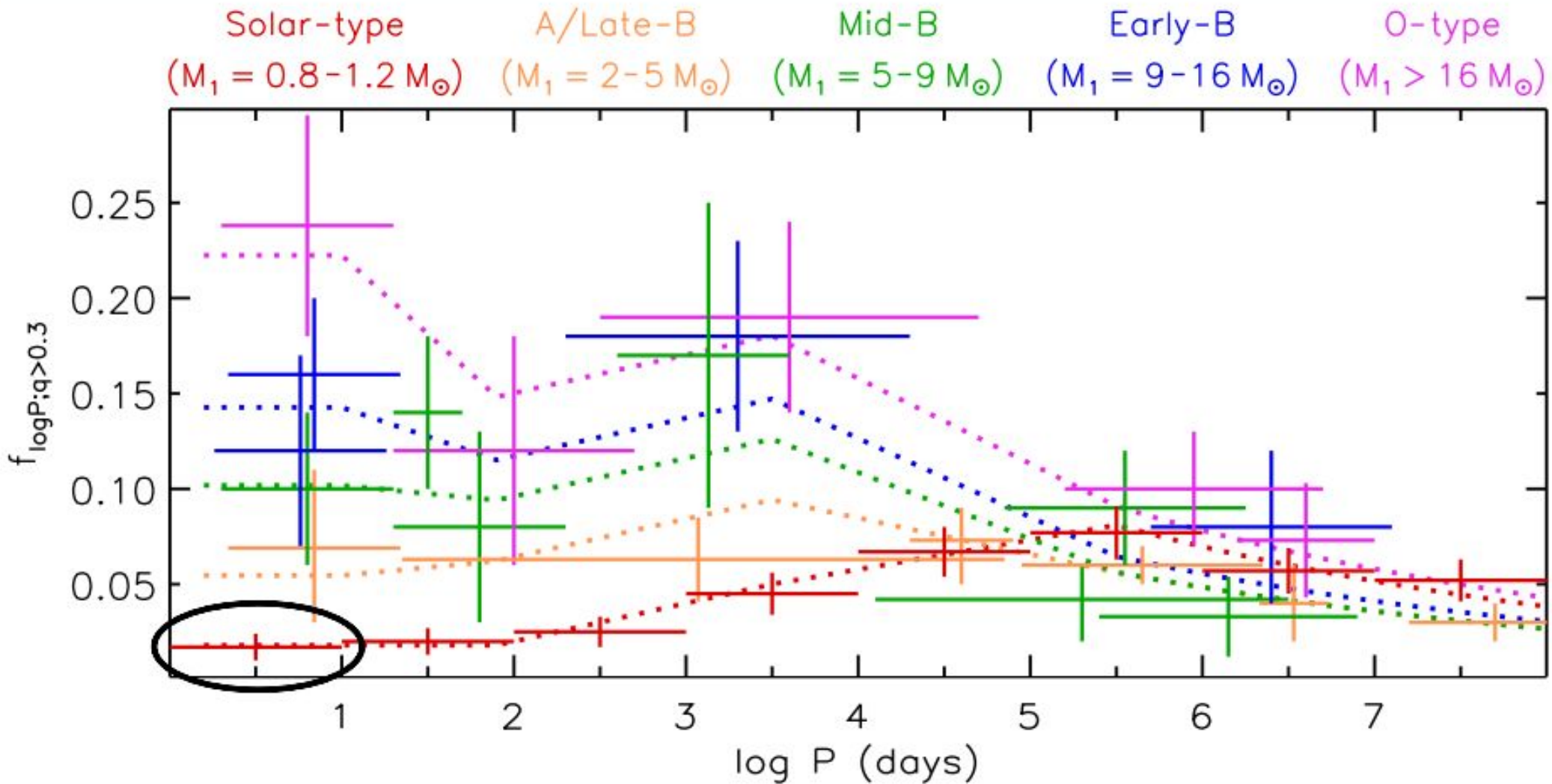


Companions to solar-type MS stars: log-normal period distribution as found by Duquennoy & Mayor (1991) and Raghavan et al. (2010)

but peak at larger $\log P$ (5-6)

Dependence of P on M_1

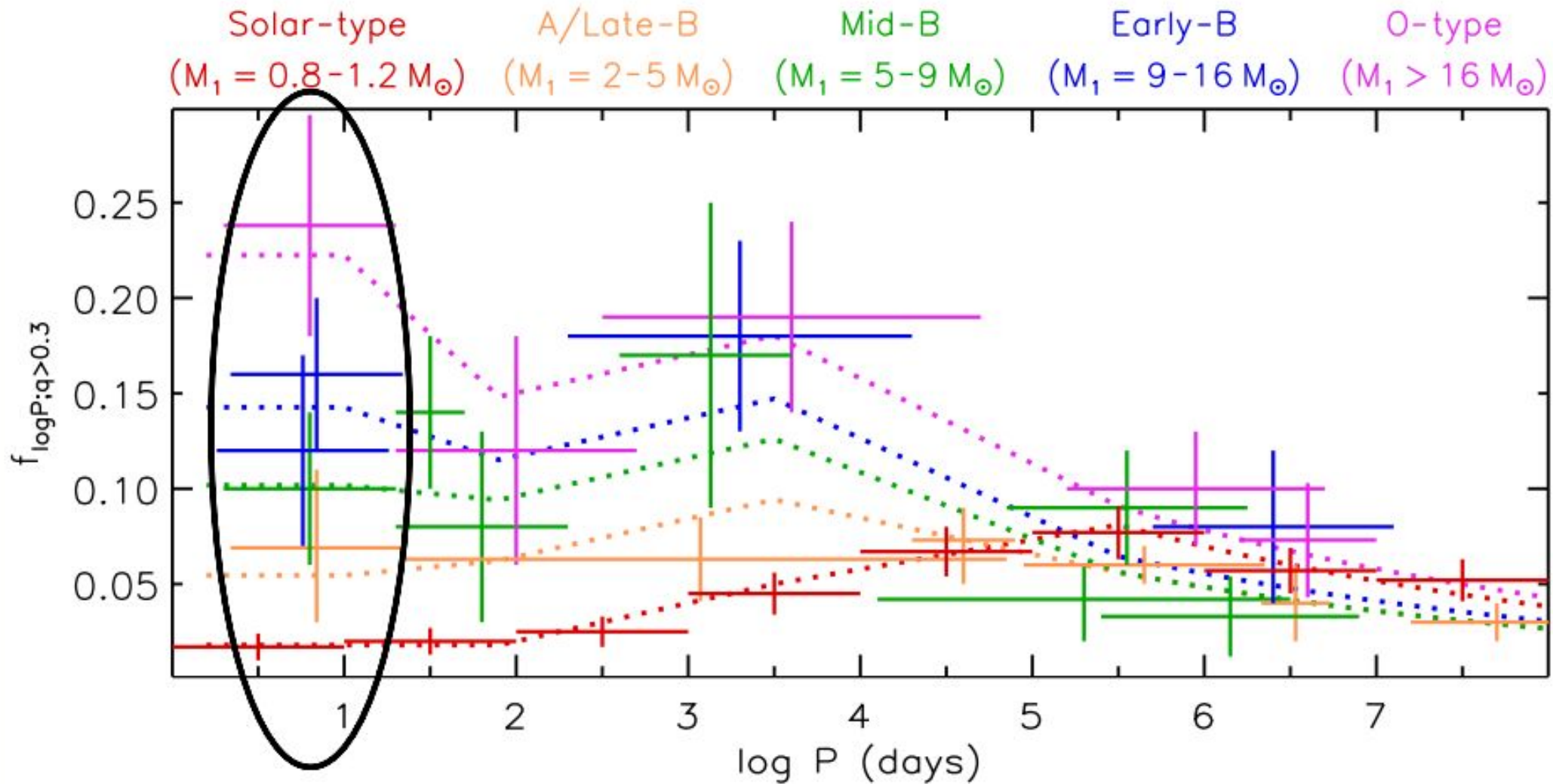
Moe & Di Stefano (2017) for binaries with $q > 0.3$



~2% of solar-type MS primaries have companions with $q > 0.3$ and $P = 1 - 10$ days.

Dependence of P on M_1

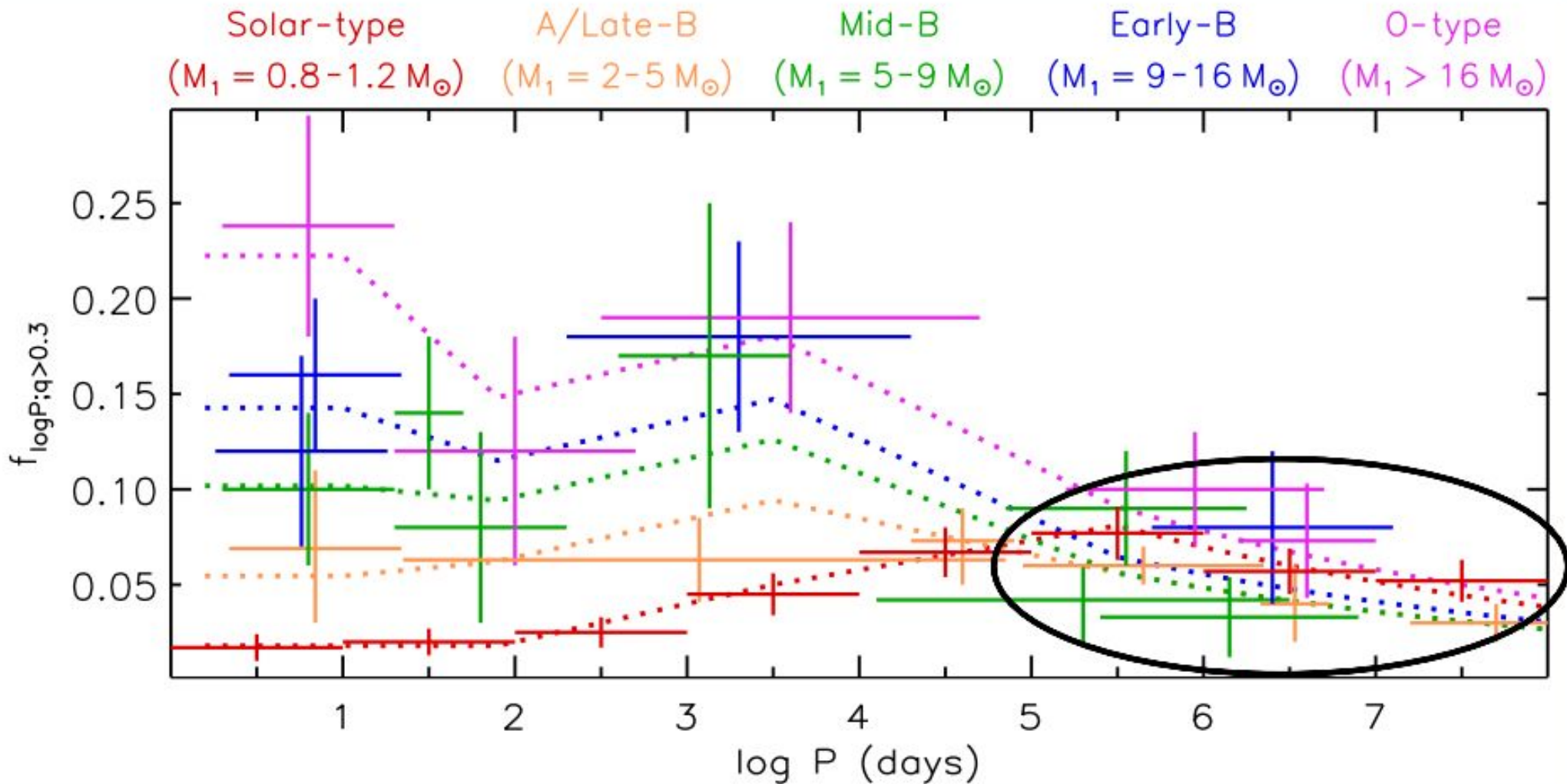
Moe & Di Stefano (2017) for binaries with $q > 0.3$



Very close binary fraction increases dramatically with M_1
(Abt et al. 1990; Sana et al. 2012; Chini et al. 2012; Kobulnicky et al. 2014)

Dependence of P on M_1

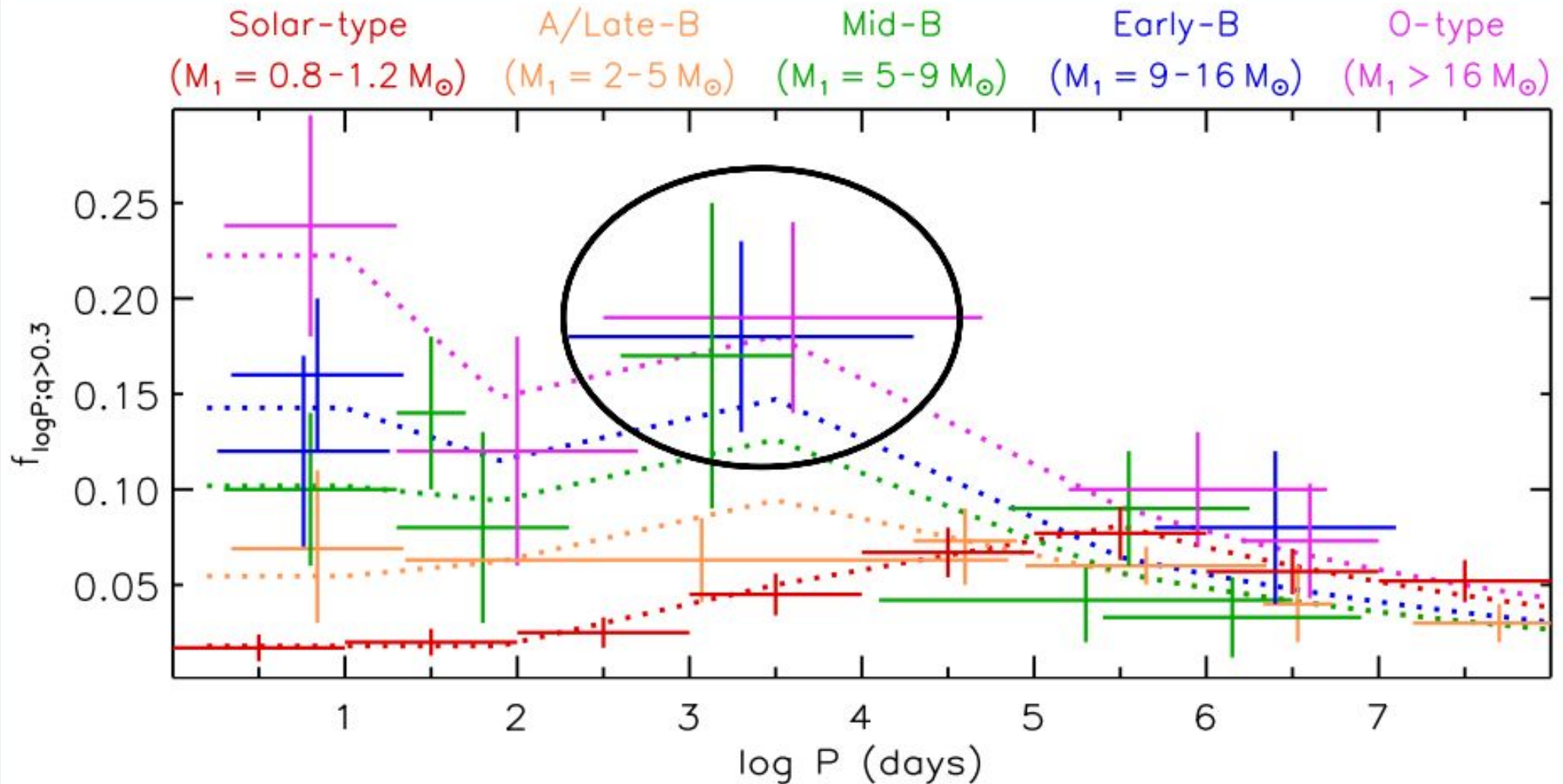
Moe & Di Stefano (2017) for binaries with $q > 0.3$



Frequency of wide companions with $q > 0.3$ relatively independent of M_1 ,
consistent with theories of core fragmentation
(Goodwin & Kroupa 2005; Offner et al. 2012; Thies et al. 2015)

Dependence of P on M_1

Moe & Di Stefano (2017) for binaries with $q > 0.3$

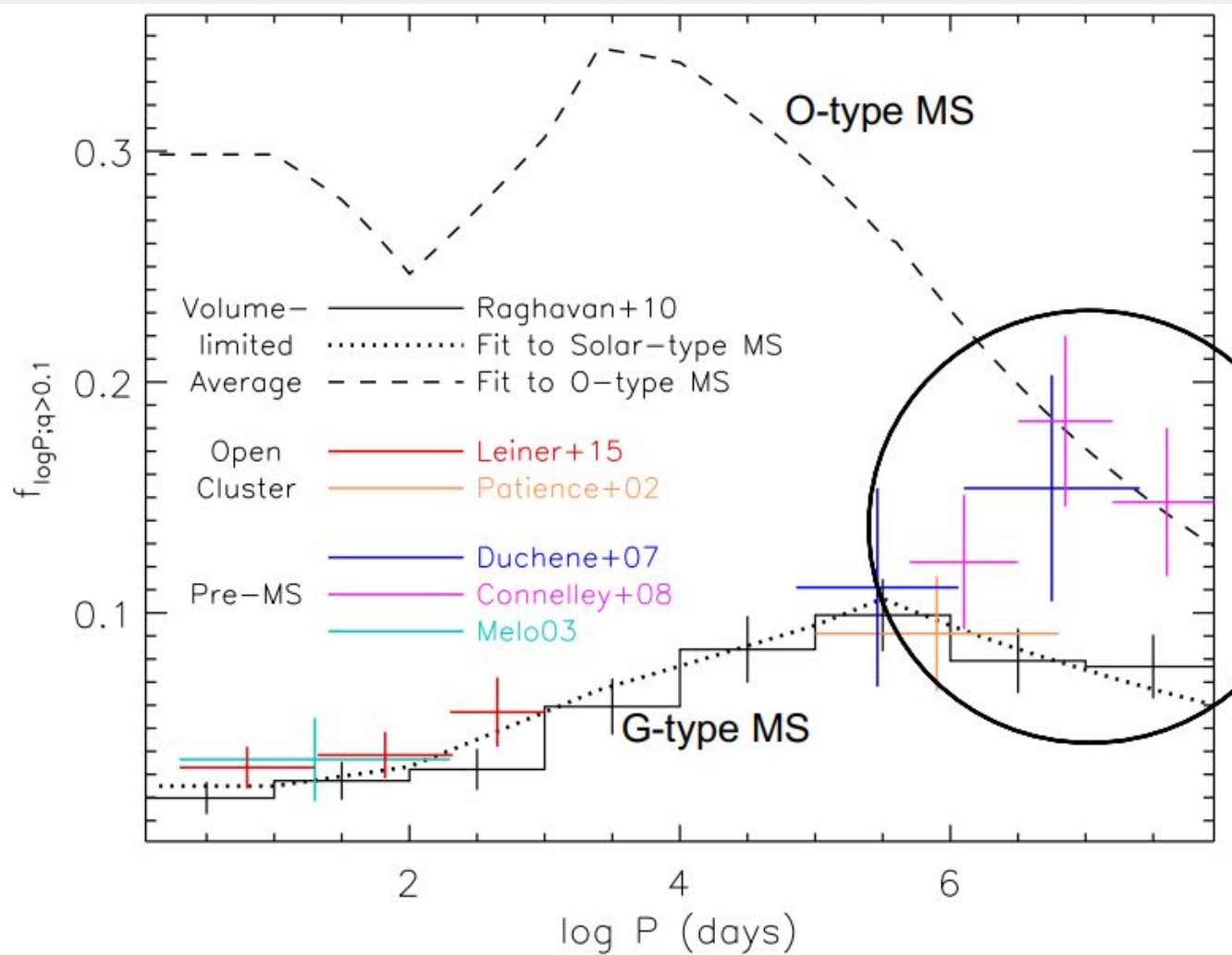


Early-type MS stars also have a large companion frequency at intermediate P;
Rizzuto+2013, LBI, early-B; Sana+2014, LBI, O-type; Evans+2015, SB2s, Cepheids
Disks around massive protostars are more prone to fragmentation

(Kratter et al. 2006, 2011)

Dependence of P on age

When pre-MS stars are included:



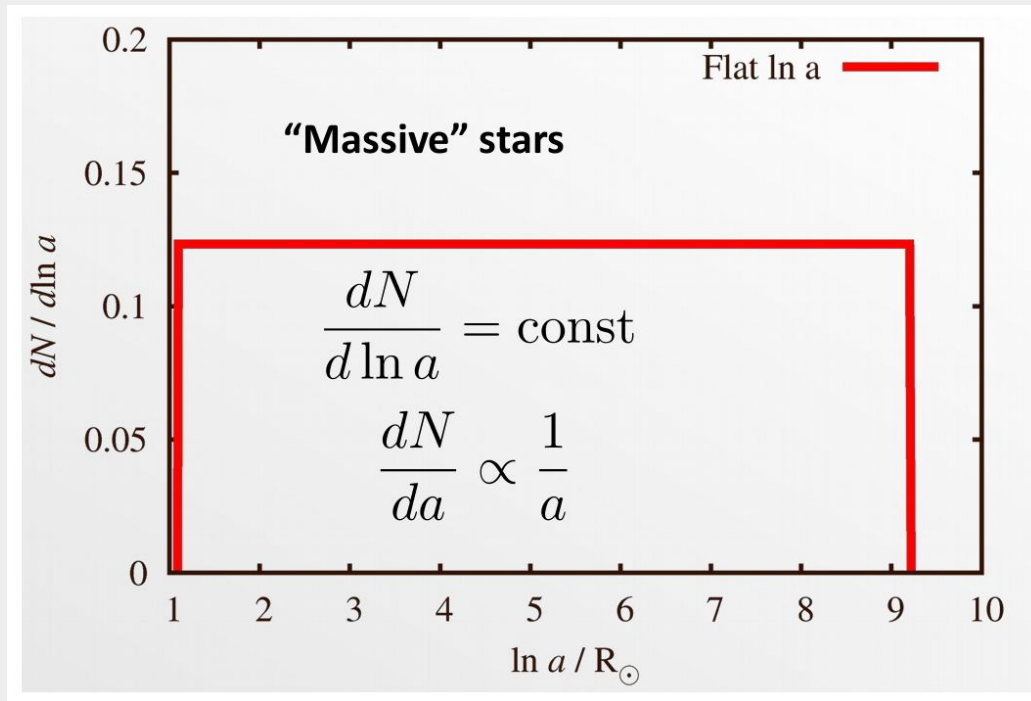
Systems with $q > 0.1$

Frequency of wide companions ($a > 100$ AU) to so solar-type pre-MS primaries is 2 - 3 times larger than that measured for solar-type MS stars, and consistent with that measured for O-type MS primaries.

(Duchene+07, Connelley+08)

Suggests that the wider binaries are almost equally likely to form, regardless of primary mass, but do not remain bound for long if M1 is small

Initial Orbital Separation: flat in $\ln(a)$?



Opik’s law

$$dn \propto d \log a = \frac{da}{a}$$

The initial orbital separation is usually assumed to be flat in $\ln(a)$ (e.g., Opik 1924, Popova, Tutukov & Yungelson 1982).

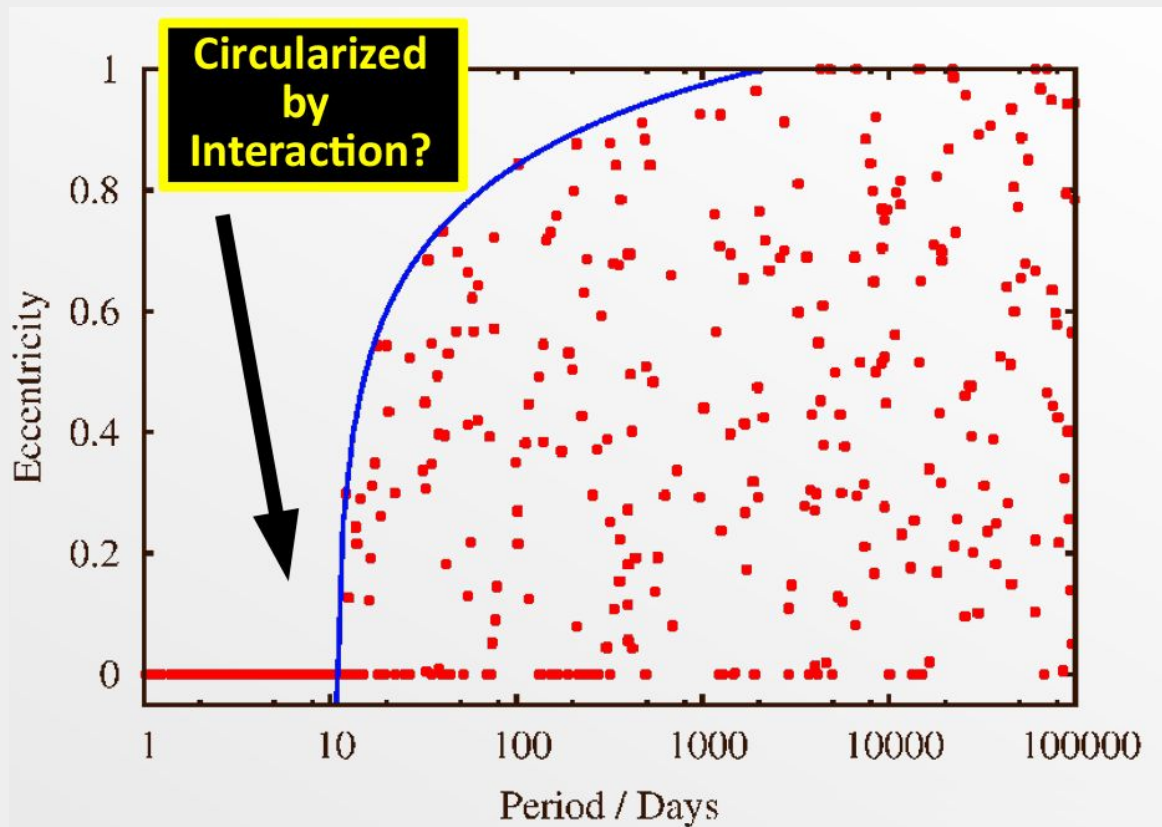
But it is also not clear:

- For $a \lesssim 3 \times 10^3$ AU, the distribution of separations of binaries in the disc is approximated well by Opik’s law.
- At larger separations, the number of binaries falls more steeply, roughly as $dn \propto da/a^{1.6}$ for $3 \times 10^3 \text{ AU} \lesssim a \lesssim 10^5 \text{ AU}$ (Lepine & Bongiorno 2007)

Eccentricity

J. H. Jeans (1919) predicted no correlation between period and eccentricity, and that e would be distributed according to the law: $2ede$, i.e. all values of e^2 would be equally likely (called a **thermal distribution**).

BUT, Jeans compared with samples and found e is not thermallized.

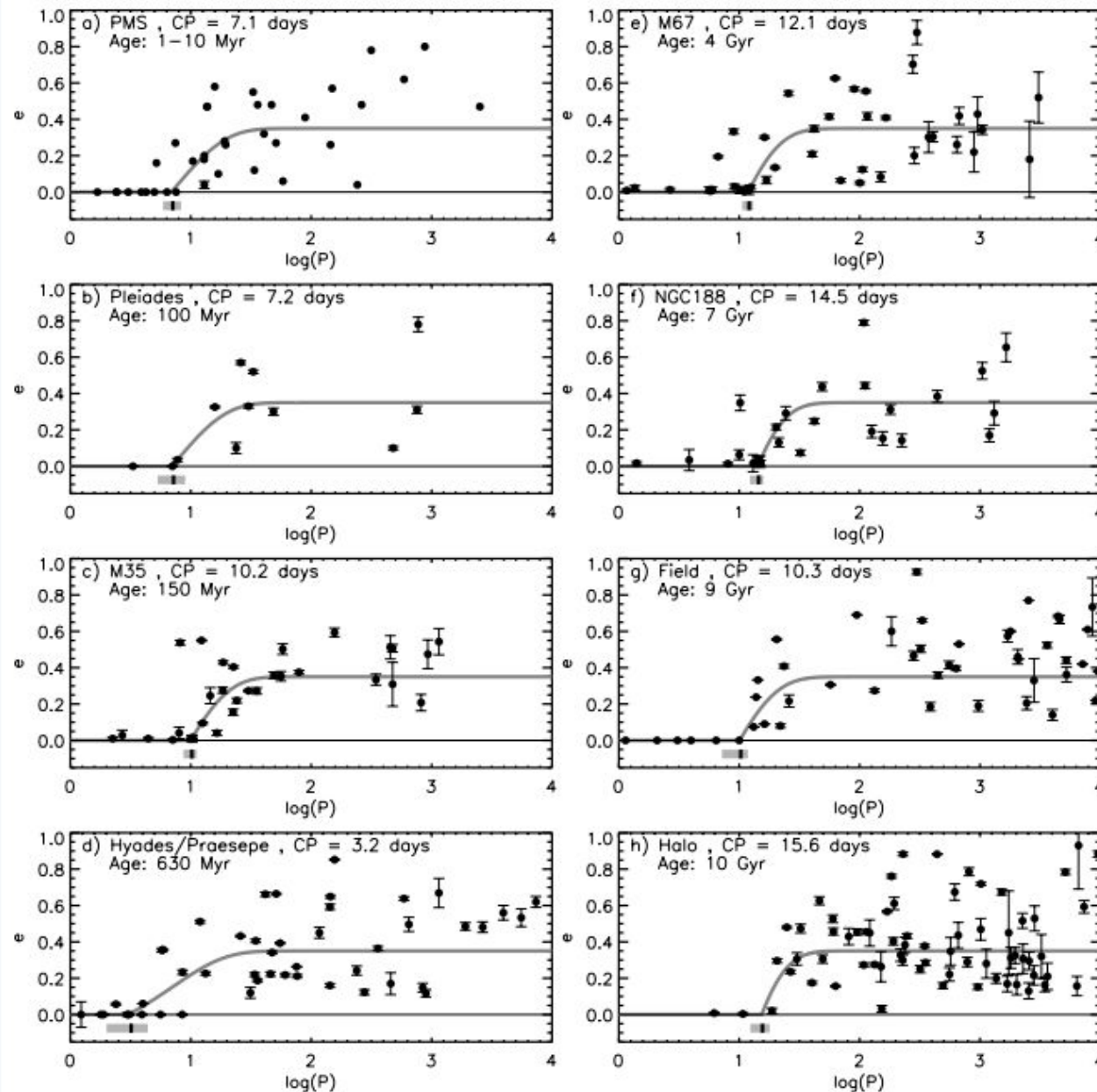


Modern samples confirm Jeans's original observation that binaries in the field do not appear to be thermalized, but the prediction of no correlation between e and P seems to be true, except for very short period binaries (get circularized).

Blue line from DM91 (maximum eccentricity without filling Roche lobe).
Fast circularization of orbits with $P \lesssim 12$ d (circularization period)

Eccentricity

Solar-type binaries (Meibom & Mathieu 2005)



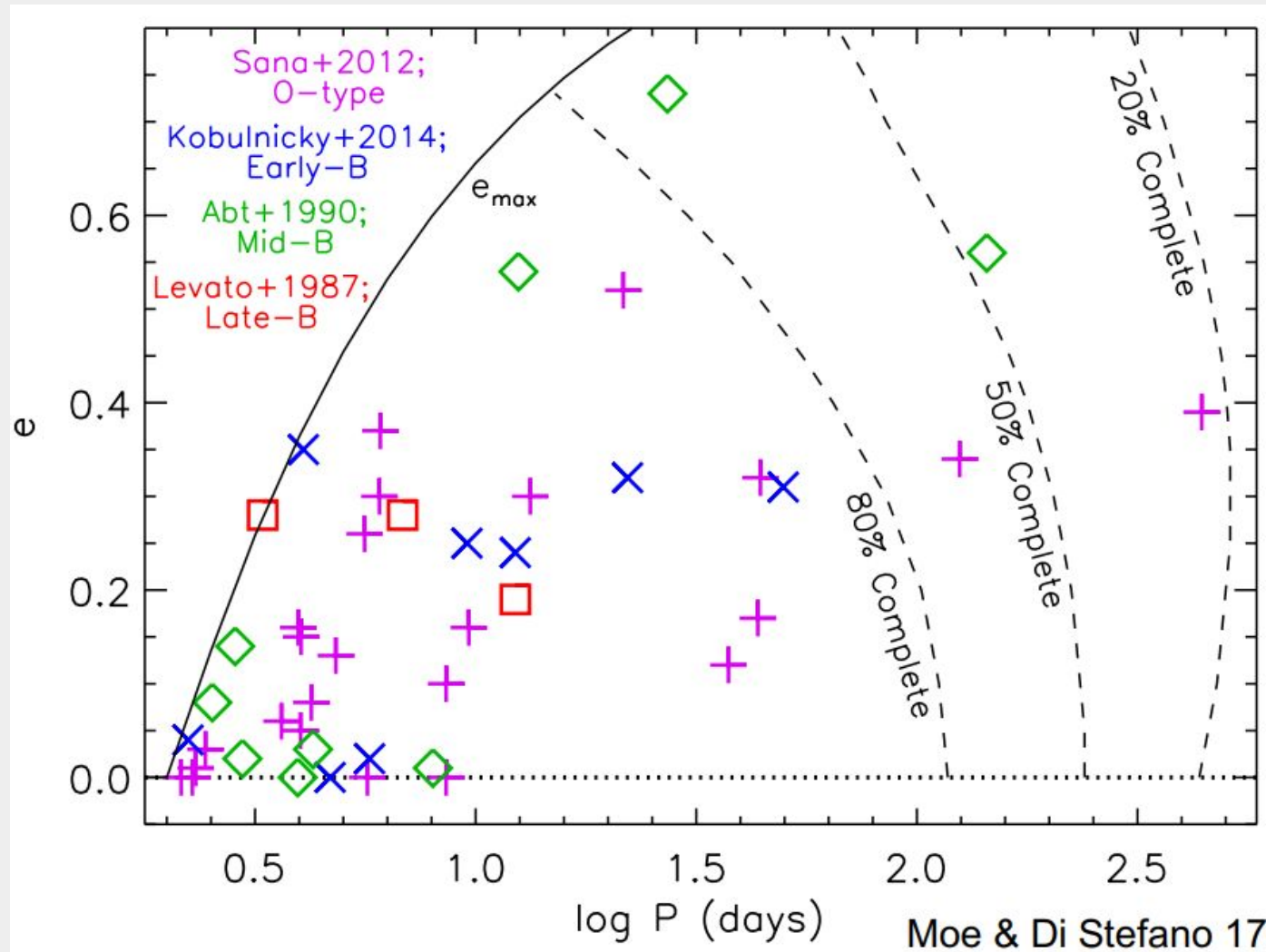
Tidal circularization
period increases from
 $P_{\text{circ}} = 6$ days (pre-MS)
to $P_{\text{circ}} = 15$ days (halo)

Beyond $P > 100$ days,
 $f_e \propto e^\eta$ with $\eta = 0.4$

Eccentricity

Massive stars

Circularization less efficient in massive stars (tides less efficient).



O and B stars:

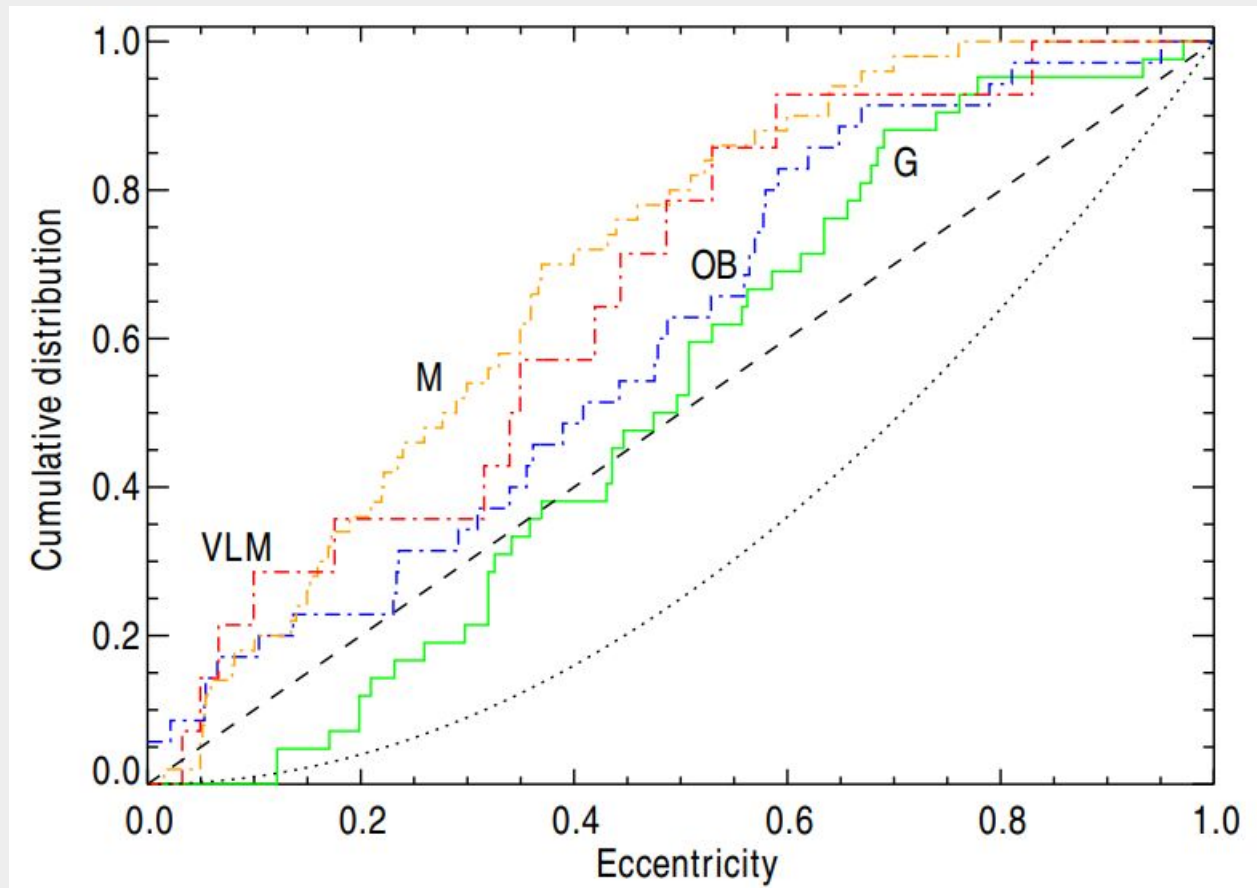
$$P_{\text{circ}} = 2 \text{ days}$$

For $P > 20$ d, early type binaries are consistent with a thermal distribution, indicating dynamical interactions play a role in their formation.

Eccentricity

Flat v/s thermal

Duchêne & Kraus 2013: Cumulative distribution of eccentricities for field multiple systems with $2 \leq \log P \leq 4$ among:



Solar-type (G) stars

(Raghavan et al. 2010),

Low-mass (M) stars

(Pourbaix et al. 2004)

Very low-mass stars and BDs

(Dupuy & Liu 2011)

High-mass stars (OB)

(Abt 2005, Sana et al. 2012a).

The dot-dashed curves (all samples except solar type) indicate incomplete samples (i.e. potentially biased).

Black dashed/dotted curves: expected for flat/thermal distribution.

Evolutionary effects

Binary evolution affects your multiplicity statistics (Moe & Di Stefano 2017)

For a volume-limited sample:

$30\% \pm 10\%$ of massive stars are the products of binary evolution (de Mink+ 2014)
mass transfer and mergers

$20\% \pm 10\%$ of early-type “primaries” are actually the secondaries in which
the true primaries have already evolved into compact remnants

$11\% \pm 4\%$ of solar-type “primaries” have WD companions

$30\% \pm 10\%$ of SB1s contain compact remnant companions

SB1 = spectroscopic binaries where only 1 star is clearly detected

Next: Classification of binary stars
(Based on observational techniques)