Computer Vision — Homework 4

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1 Dilation

The definition of *Dilation* is as follows.

$$A \oplus B = \{c \in E^N | c = a+b, a \in A, b \in B\}$$

Then, here is the code.

Result:



Figure 1: Dilation

2 Erosion

The definition of *Erosion* is as follows.

$$A \ominus B = \{x \in E^N | (x+b) \in A, b \in B\}$$

All B will be contained in A. Then, here is the code.

```
def erosion(img, kernel):
15
16
           ero = np.zeros(img.shape, int)
17
           for i in range(img.shape[0]):
                 for j in range(img.shape[1]):
18
19
                       for dot in kernel:
20
                            if i + dot[0] < 0 or i + dot[0] >= img.shape[0] \
or j + dot[1] < 0 or j + dot[1] >= img.shape[1] \
or img[i + dot[0]][j + dot[1]] == 0:
21
22
23
24
                                  ok = 0
25
26
                       if ok:
                            ero[i][j] = 255
28
           return ero
```

Result:



Figure 2: Erosion

3 Opening

The definition of *Opening* is as follows.

$$A \circ B = (A \ominus B) \oplus B$$

. Do Erosion first, then do Dilation.

$\underline{\textbf{Result:}}$



Figure 3: Opening

4 Closing

The definition of *Closing* is as follows. It's contrary to *Opening*.

$$A \bullet B = (A \oplus B) \ominus B$$

Result:



Figure 4: Closing

5 Hit-and-miss transform

The definition of *Hit-and-miss transform* is as follows.

$$A \otimes (J, K) = (A \ominus J) \cap (A^c \ominus K)$$

Here is the code.

```
def Hit_and_Miss(img, J_kernel, K_kernel):
30
        imgC = np.zeros(img.shape, int)
31
        imgC = -img + 255
32
        cv2.imwrite('img_comp.bmp', imgC)
33
        J = erosion(img, J_kernel)
34
        K = erosion(imgC, K kernel)
35
        ham = np.zeros(img.shape, int)
36
        for i in range(img.shape[0]):
37
             for j in range(img.shape[1]):
38
                 if J[i][j] != 0 and K[i][j] != 0:
39
                     ham[i][j] = 255
40
41
        return ham
```

Result:

