

## Sandeel data used

Three treatments

- Control (*C*)
- Food (*F*)
- Olfactory (*O*)

For 492 individuals the time between the events “head up” and “swim”/”bury” is available, *C*: 46, *F*: 240, *O*: 206. In the following, “time” always refers to this time.

In the treatments *F* and *O* these times seem to differ between the containers.

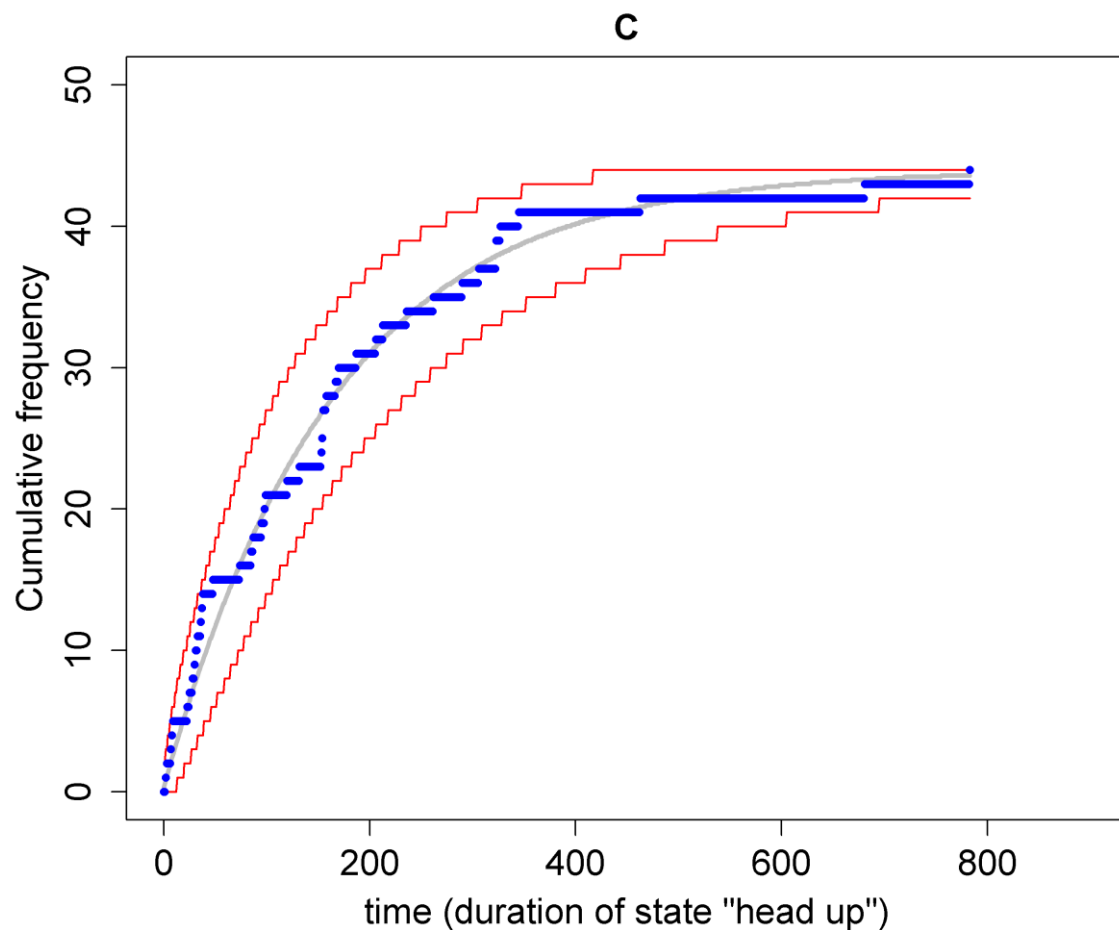
For my analyses I removed container D6 [2 values for *C* (1 s, 1 s), 1 value for *F* (2041 s), 1 value for *O* (624)], and 3 extreme values from *O* (1368 s, 2148 s, 3190 s).

The resulting ranges of times for the three treatments are

- *C*: 2 s - 783 s (*N*=44)
- *F*: 0 s - 866 s (*N*=239)
- *O*: 0 s - 868 s (*N*=202)

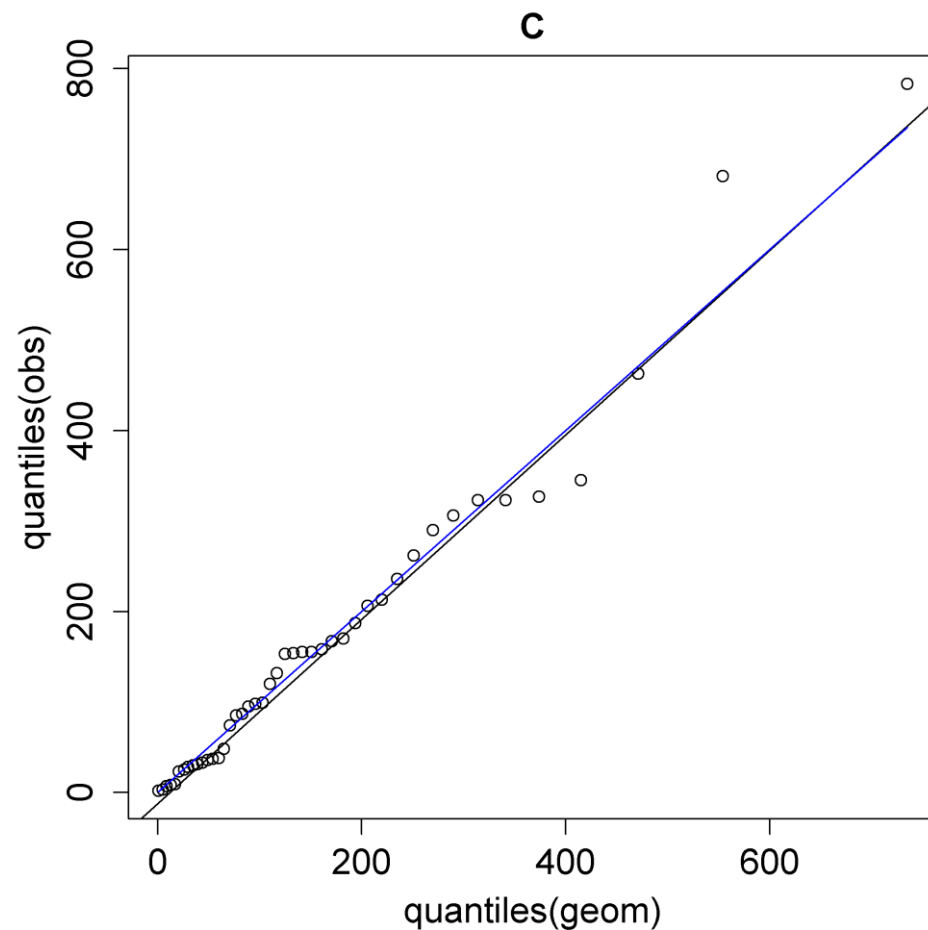
The times for **C** can be explained by a geometric distribution (with parameter  $p=0.0061$ ).

Fig. 1a



blue: cumulative frequency distribution of the observed  $N$  times  
grey: fitted geometric distribution  
red: 95% range of the fitted distribution, if  $N$  values are drawn

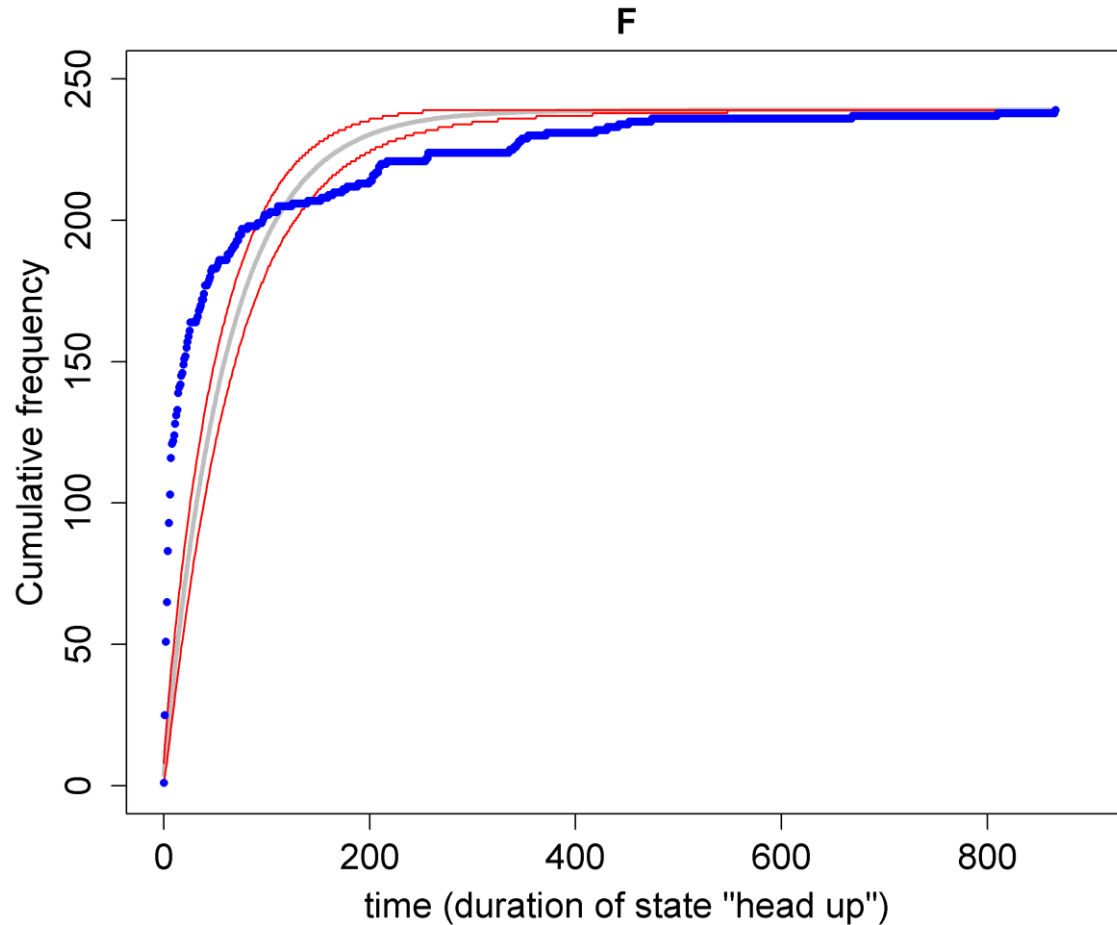
Fig. 1b QQ-plot



blue: expected line  
black: qq line (1<sup>st</sup> and 3<sup>rd</sup> quartile)

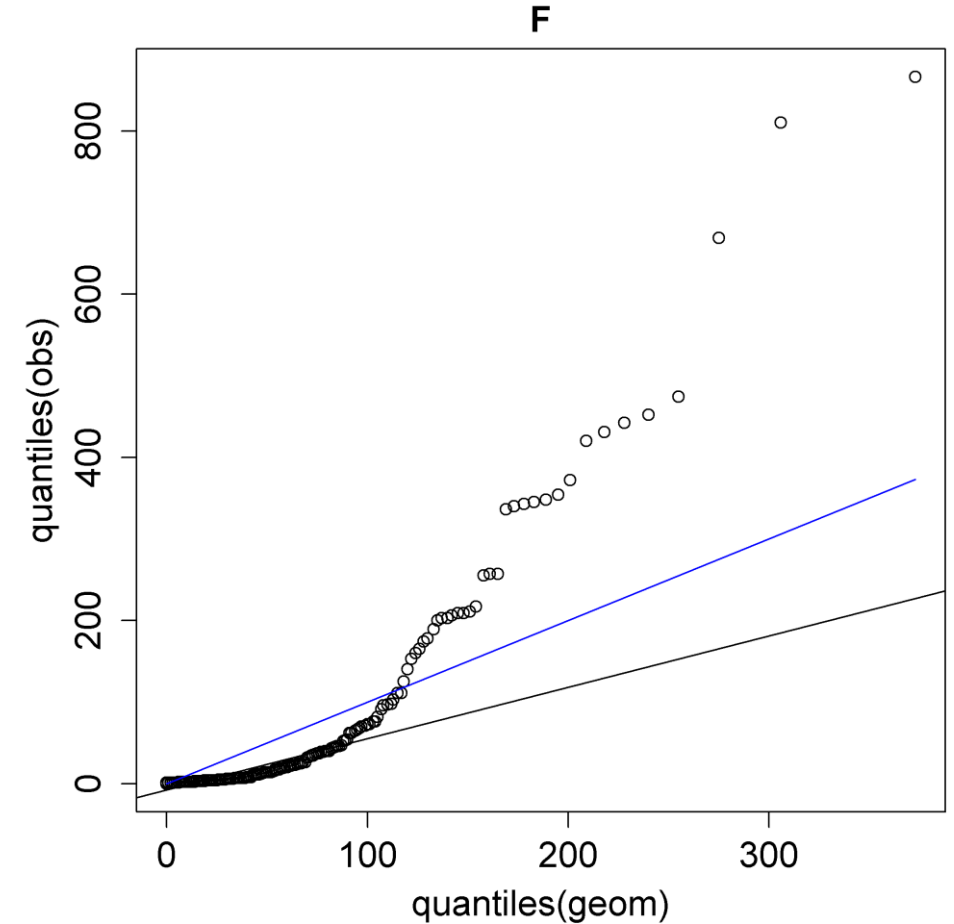
The times for  $F$  cannot be explained by a geometric distribution. Might be a combination of two distributions, a geometric distr. and a second one that explains the short times.

Fig. 1c



blue: cumulative frequency distribution of the observed  $N$  times  
grey: fitted geometric distribution  
red: 95% range of the fitted distribution, if  $N$  values are drawn

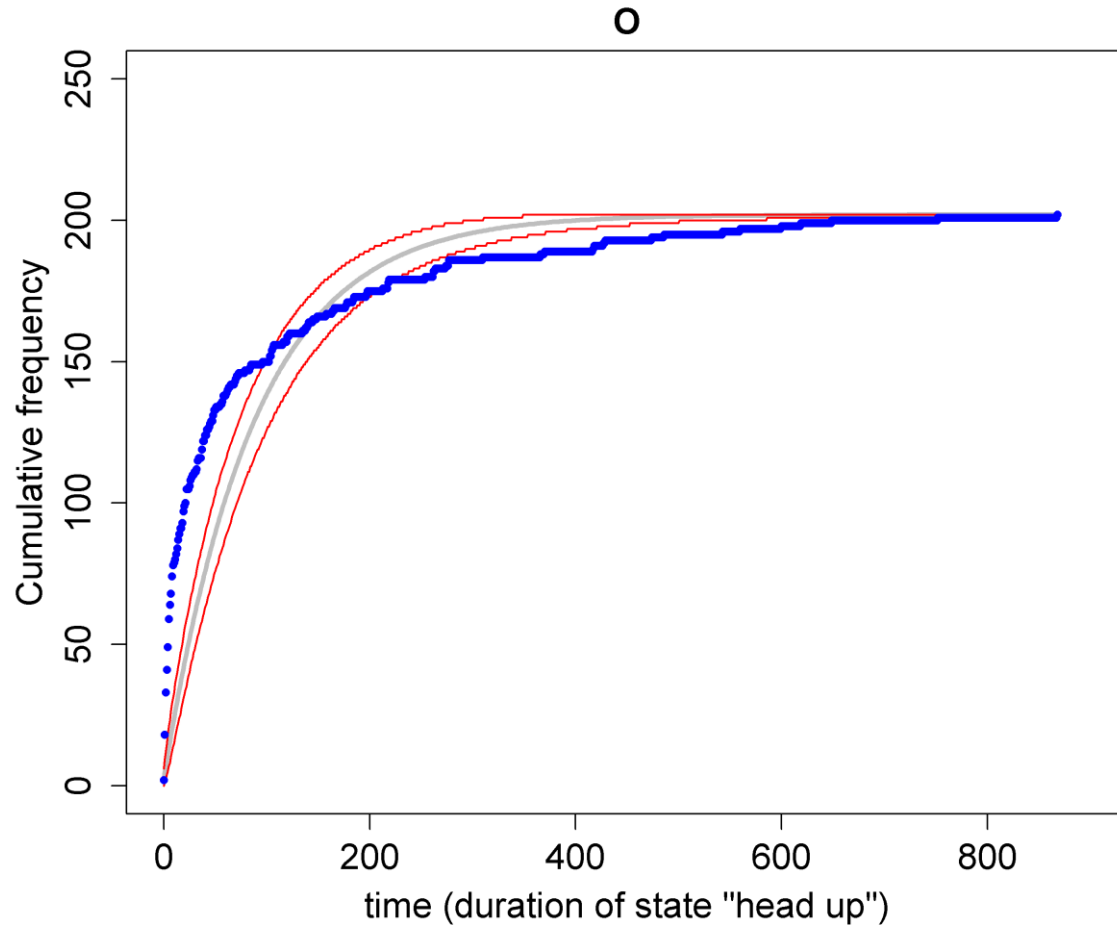
Fig. 1d QQ-plot



blue: expected line  
black: qq line (1<sup>st</sup> and 3<sup>rd</sup> quartile)

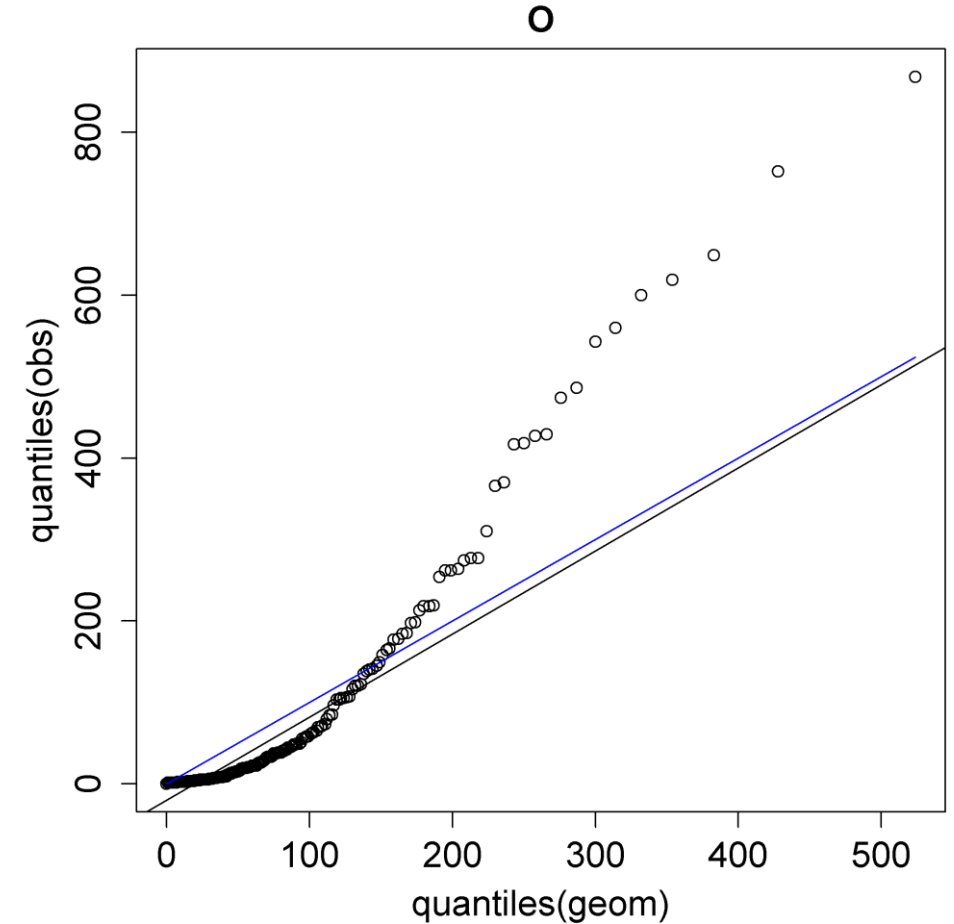
The times for **O** cannot be explained by a geometric distribution. Deviation similar to *F*.

Fig. 1e



blue: cumulative frequency distribution of the observed  $N$  times  
grey: fitted geometric distribution  
red: 95% range of the fitted distribution, if  $N$  values are drawn

Fig. 1f QQ-plot



blue: expected line  
black: qq line (1<sup>st</sup> and 3<sup>rd</sup> quartile)

If only those cases are taken into account, where the second event is “bury”, the times in each treatment can be explained by a geometric distribution with almost the same parameter value ( $p$  in the range 0.0053 – 0.0058). For the second event “swim” this is different. Here, only  $C$  follows a geom. distribution.

Fig. 2a

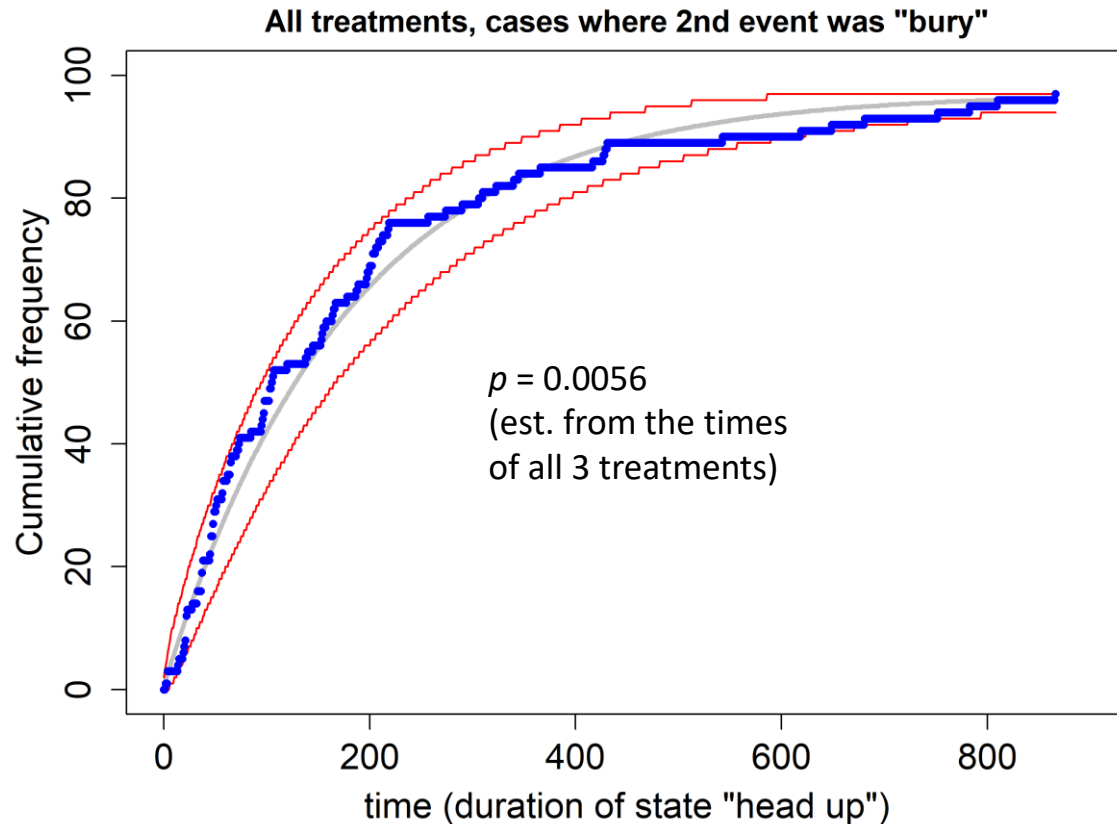
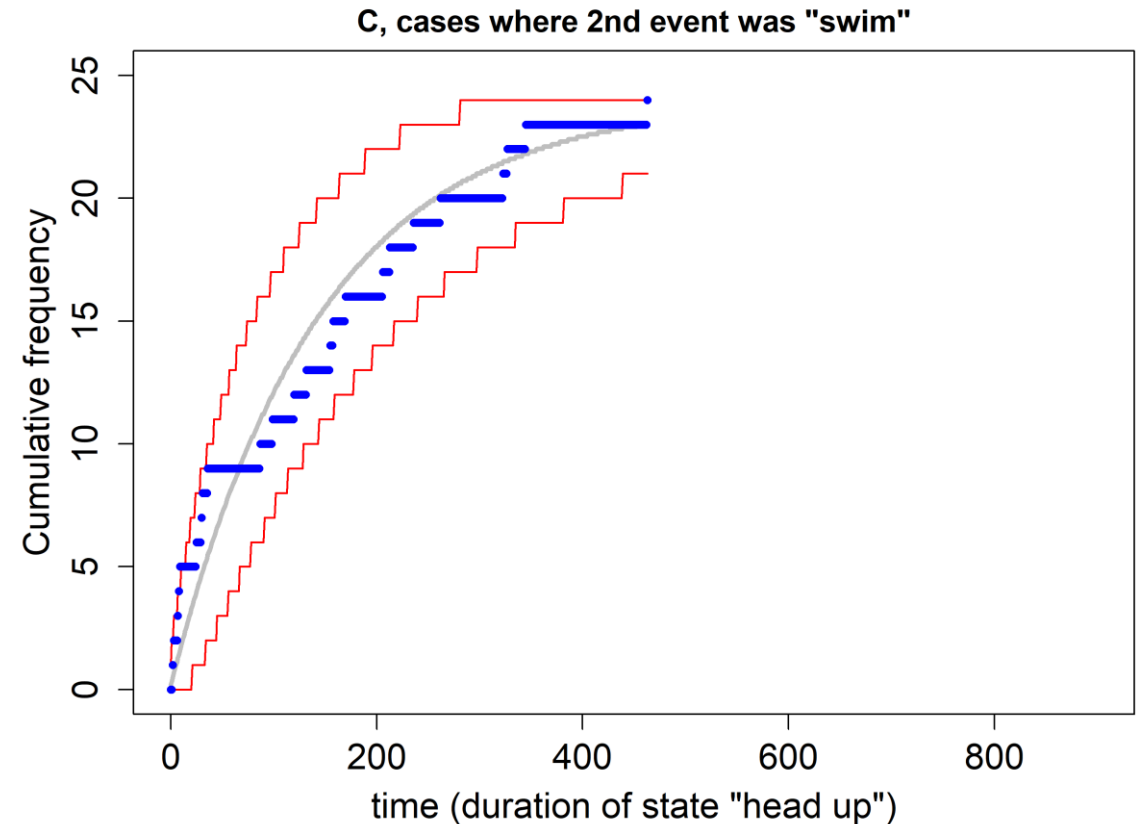


Fig. 2b



blue: cumulative frequency distribution of the observed  $N$  times  
grey: fitted geometric distribution  
red: 95% range of the fitted distribution, if  $N$  values are drawn

For the cases, where the second event was “swim”, the times in neither of the treatments  $F$  and  $O$  followed a geometric distribution.

Fig. 2c

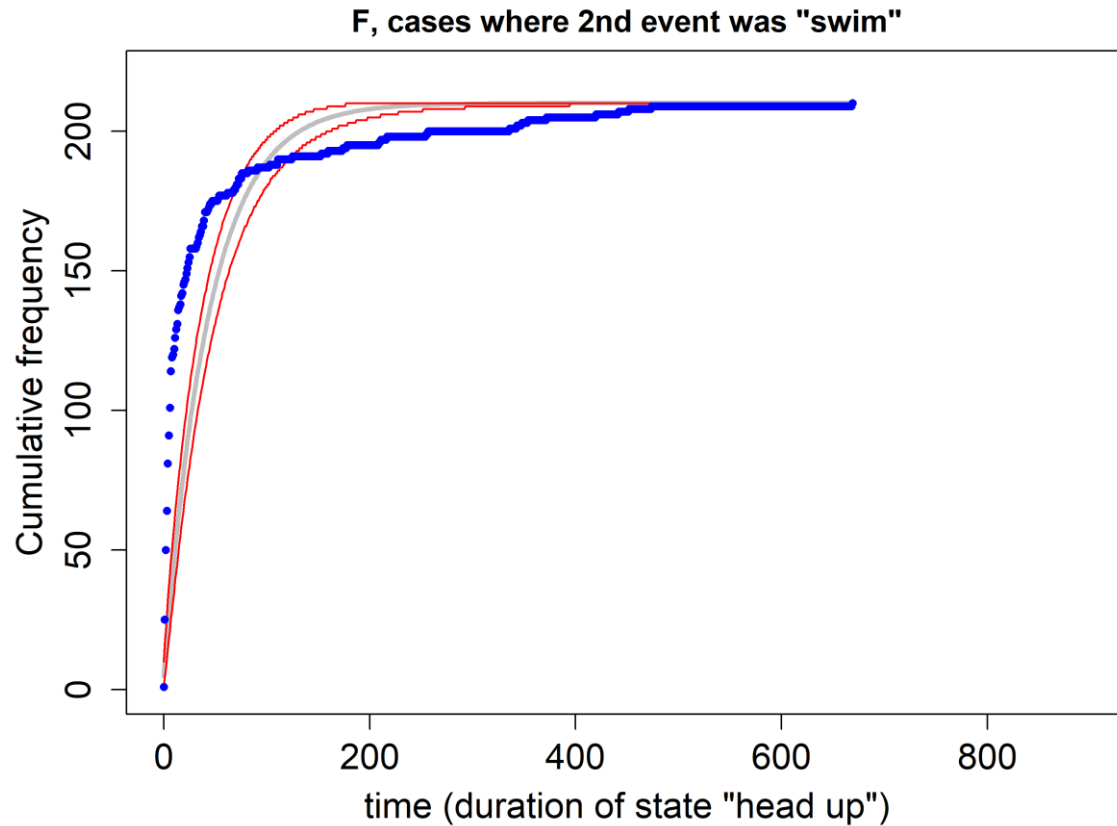
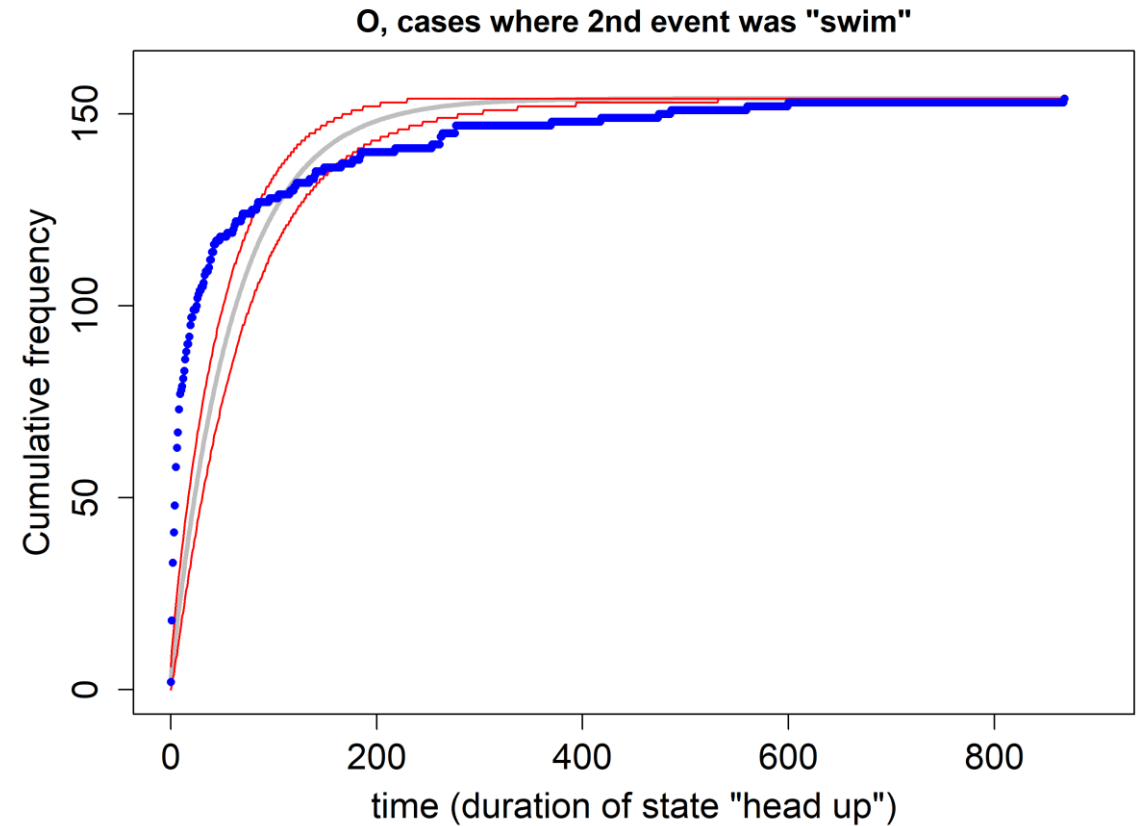


Fig. 2d

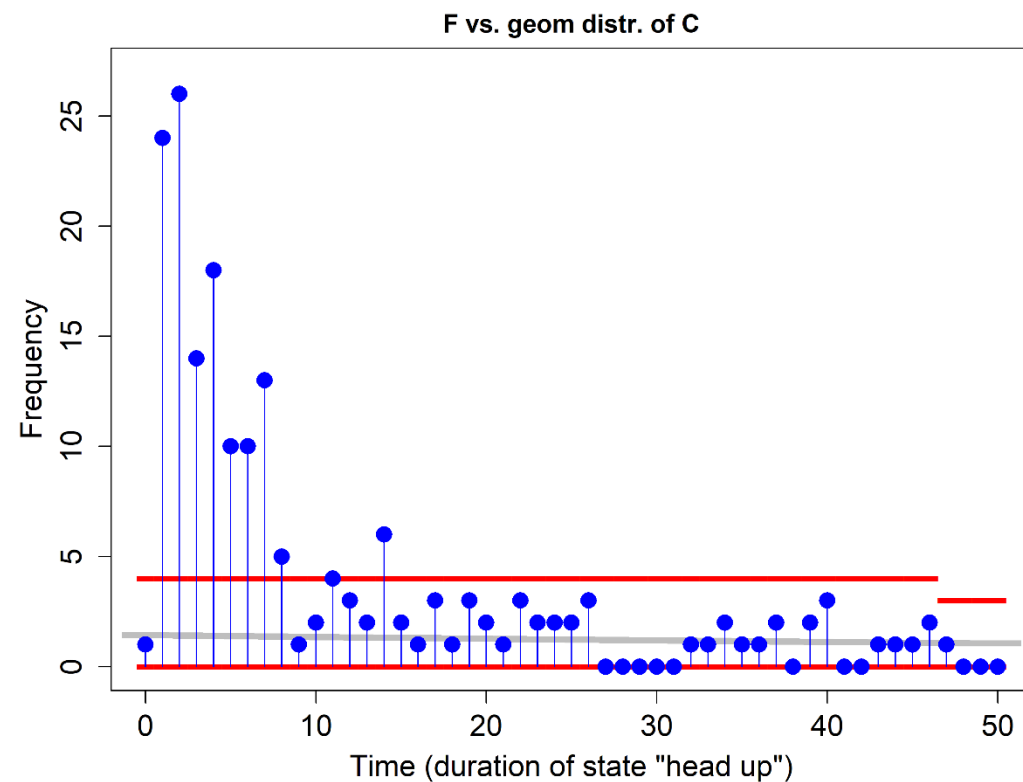


blue: cumulative frequency distribution of the observed  $N$  times  
grey: fitted geometric distribution  
red: 95% range of the fitted distribution, if  $N$  values are drawn

These results suggest that the distributions for  $F$  and  $O$  can be explained by a combination of a geometric distribution  $D_1$  and an additional distribution  $D_2$ , where some individuals follow  $D_1$  (e.g. the not so hungry/motivated ones) and the others  $D_2$  (e.g. the hungry/motivated ones).

To separate these distributions, I made the assumption that  $D_1$  is the distribution observed in the control treatment. I extracted the times “belonging” to  $D_2$  from  $F$  and  $O$ , respectively, in the following way:

Fig. 3



blue: Frequency distribution of the observed  $N$  times, grey: fitted distribution of  $C$  (geometric,  $p=0.0061$ )

red: 95% range of the fitted distribution, if  $N$  values are drawn

From the frequency distribution of all times  $\leq 50$  s I repeatedly subtracted 1 from the most unlikely value, given the geom. distr. of  $C$  with parameter value  $p_C$ .

The process stopped, when the estimated value of  $p$  of the remaining set of times for this treatment (including the times  $> 50$  s) was  $\leq p_C$ .

The removed times then formed the set of times belonging to  $D_2$ .

No information about the second event was used by this procedure.

After removing the specified times in the interval 0 s – 50 s from  $F$  and  $O$ , respectively, the times of both  $F$  and  $O$  followed the geometric distribution estimated from  $C$ .

Fig. 4a

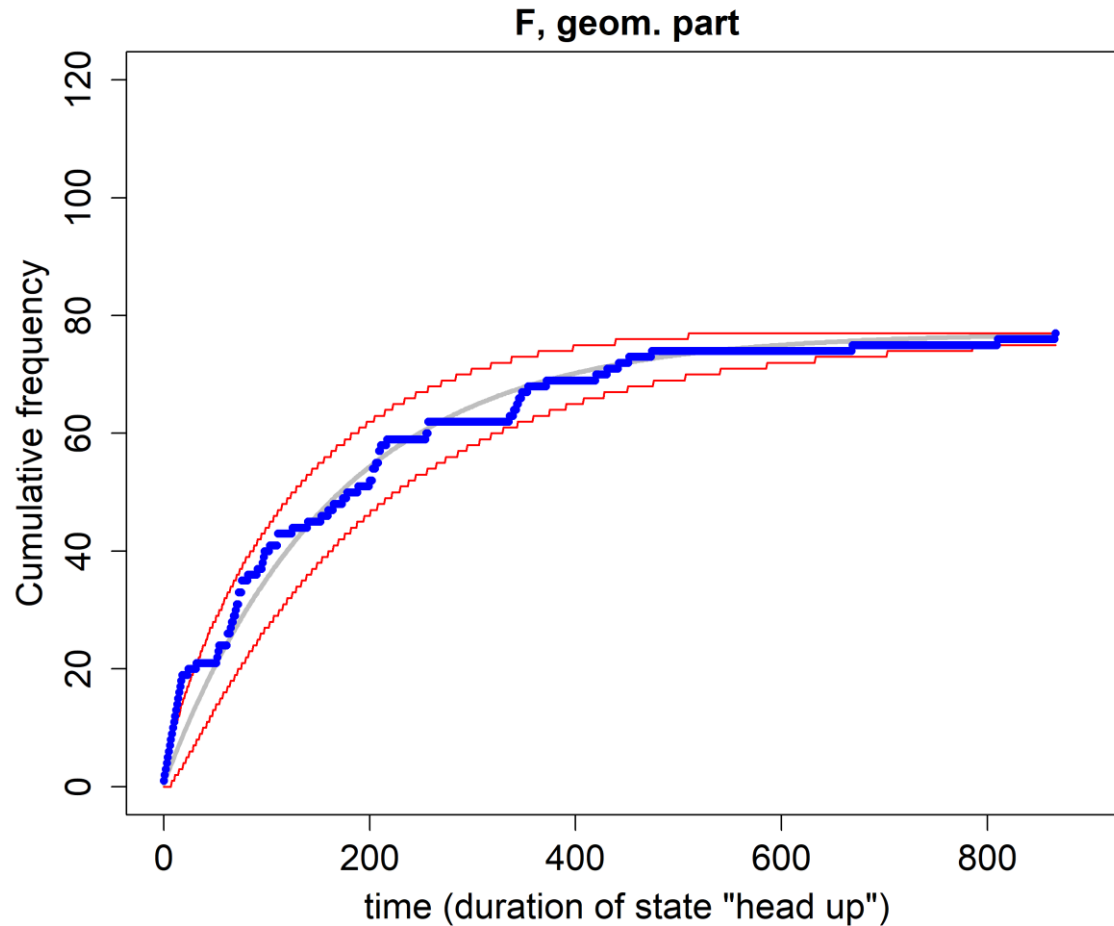
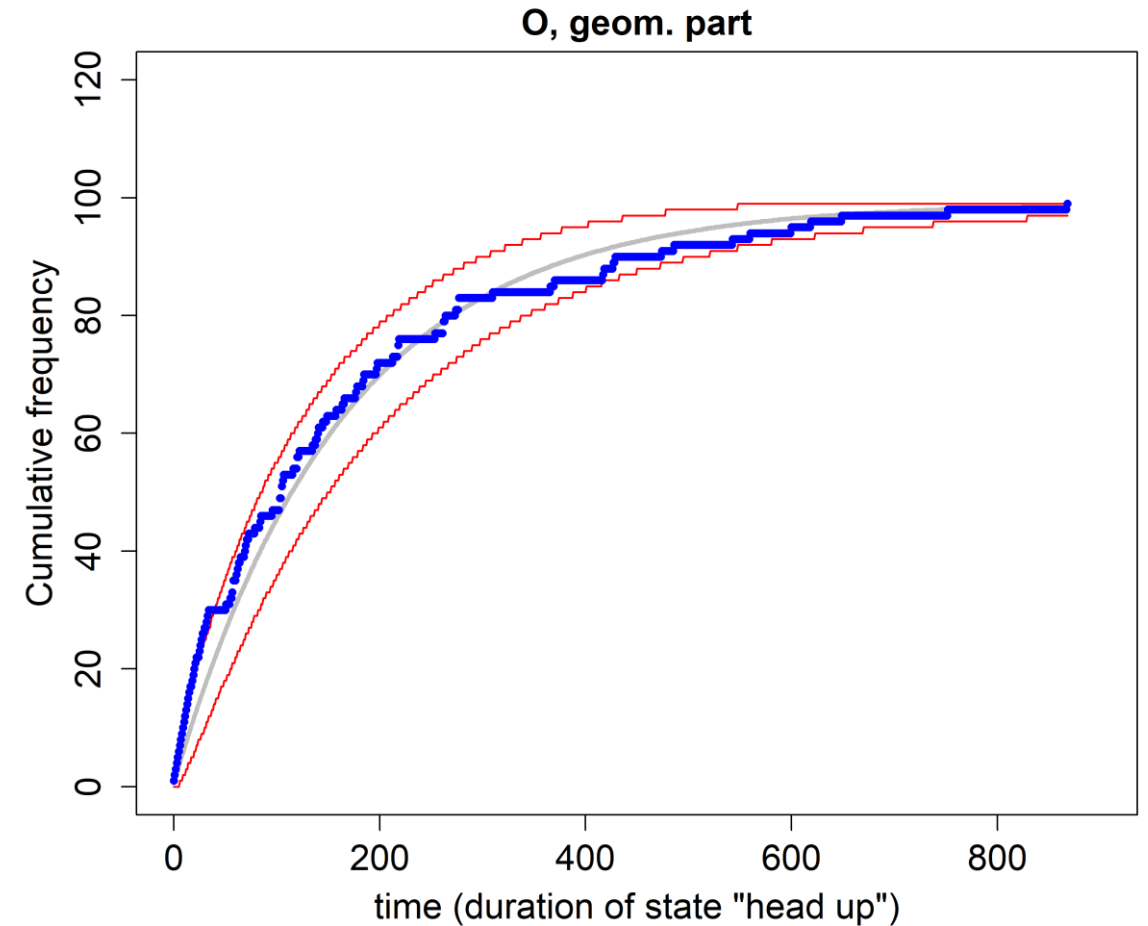


Fig. 4b



blue: cumulative frequency distribution of the observed  $N$  times minus the extracted times

grey: fitted geometric distribution with  $p$  est. from  $C$

red: 95% range of the fitted distribution, if  $N$  values are drawn



The resulting distributions of extracted times look roughly lognormal with similar parameters (*F*:  $meanlog = 1.70$ ,  $sdlog = 1.16$ ; *O*:  $meanlog = 1.81$   $sdlog = 1.32$ ). This means, in these cases the state “head up” seems to have a “typical” duration.

(The local maxima between the x values 3 and 4 are probably an artefact of the split procedure.)

Fig. 5a

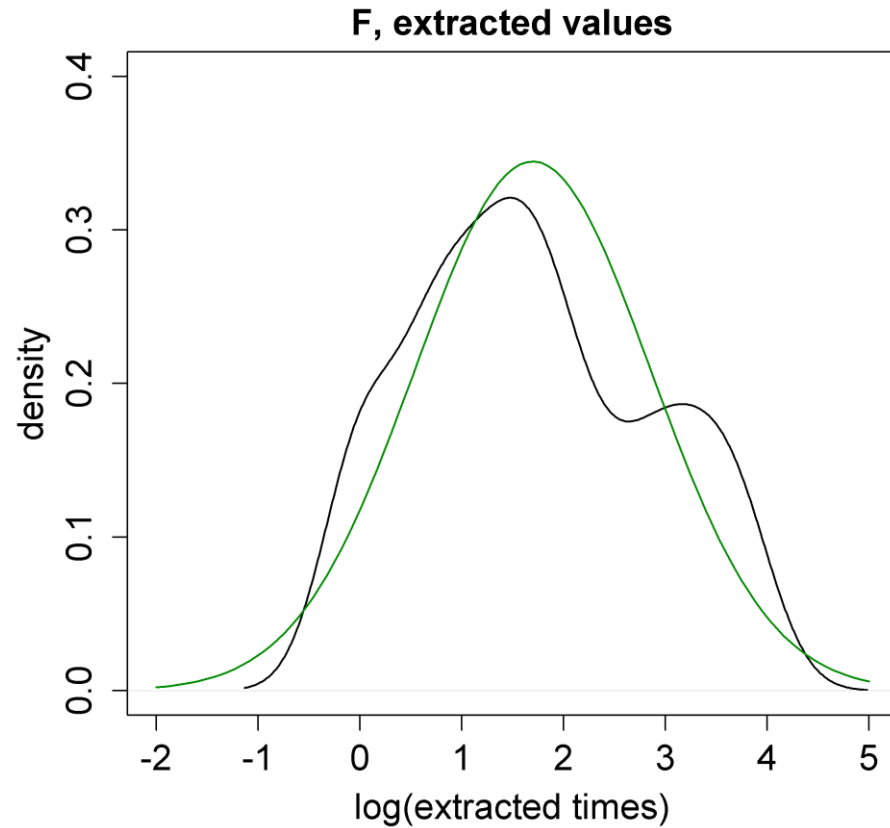
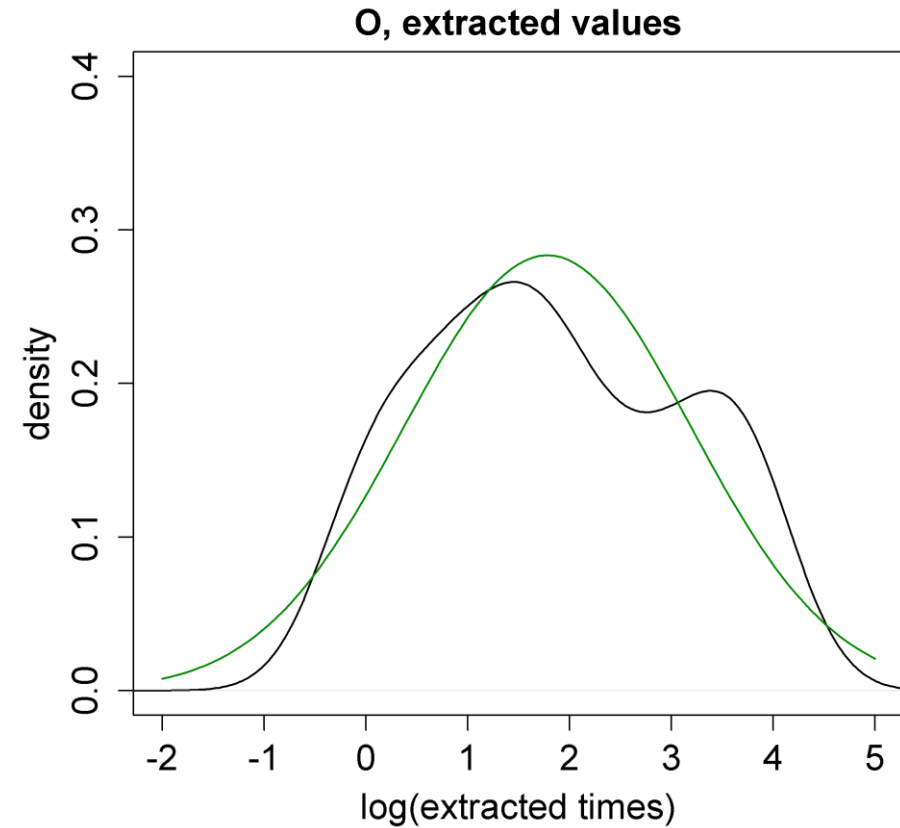


Fig. 5b



black: kernel density estimate of log values  
green: fitted (log)normal distribution

By combining the distributions  $D_1$  (geom. with param.  $p$  estimated from  $C$ ) and  $D_2$  (lognorm with param.  $meanlog$  and  $sdlog$  estimated from the combined extracted times of  $F$  and  $O$ ), the distributions of times of the treatments  $F$  and  $O$  can be explained. The only values specific to  $F$  and  $O$ , respectively, are the numbers of individuals following each of the two distributions, which are different for the two treatments (determined by the extraction procedure).

Fig. 6a

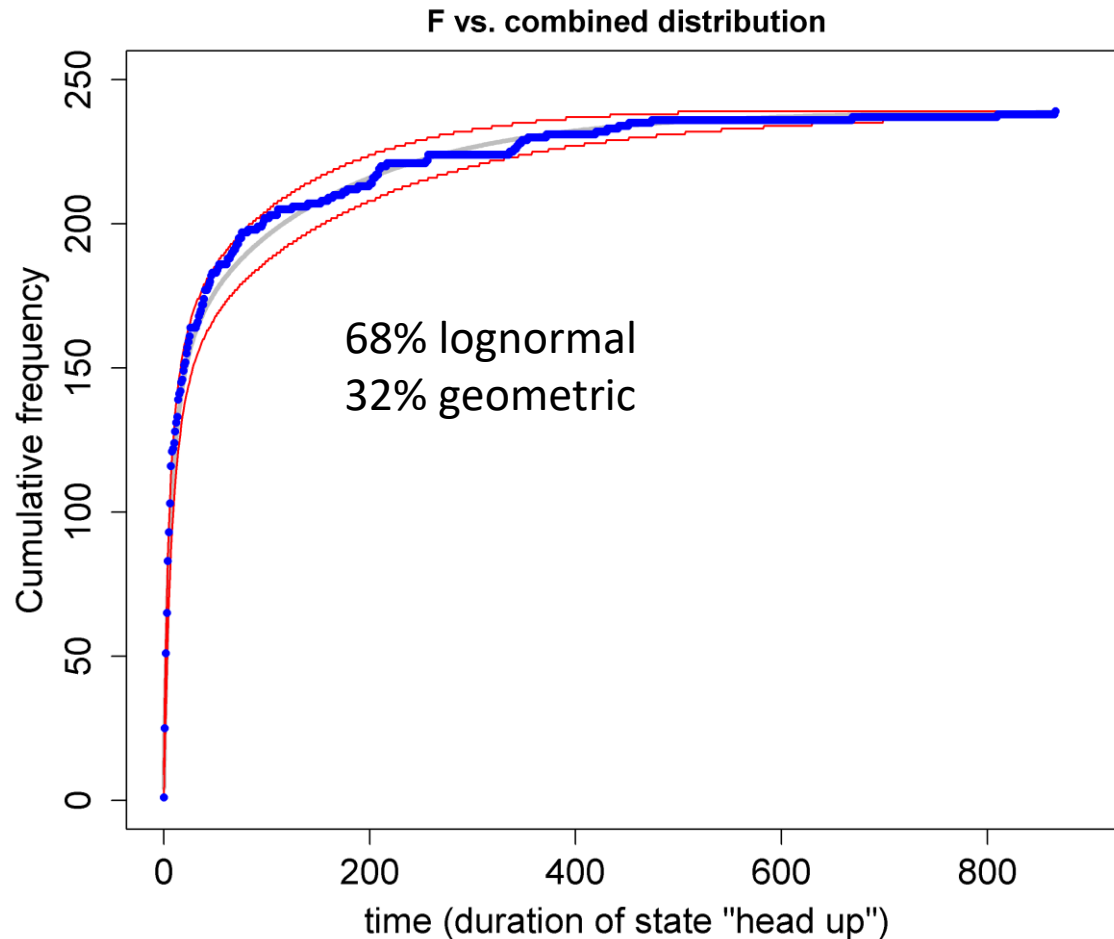
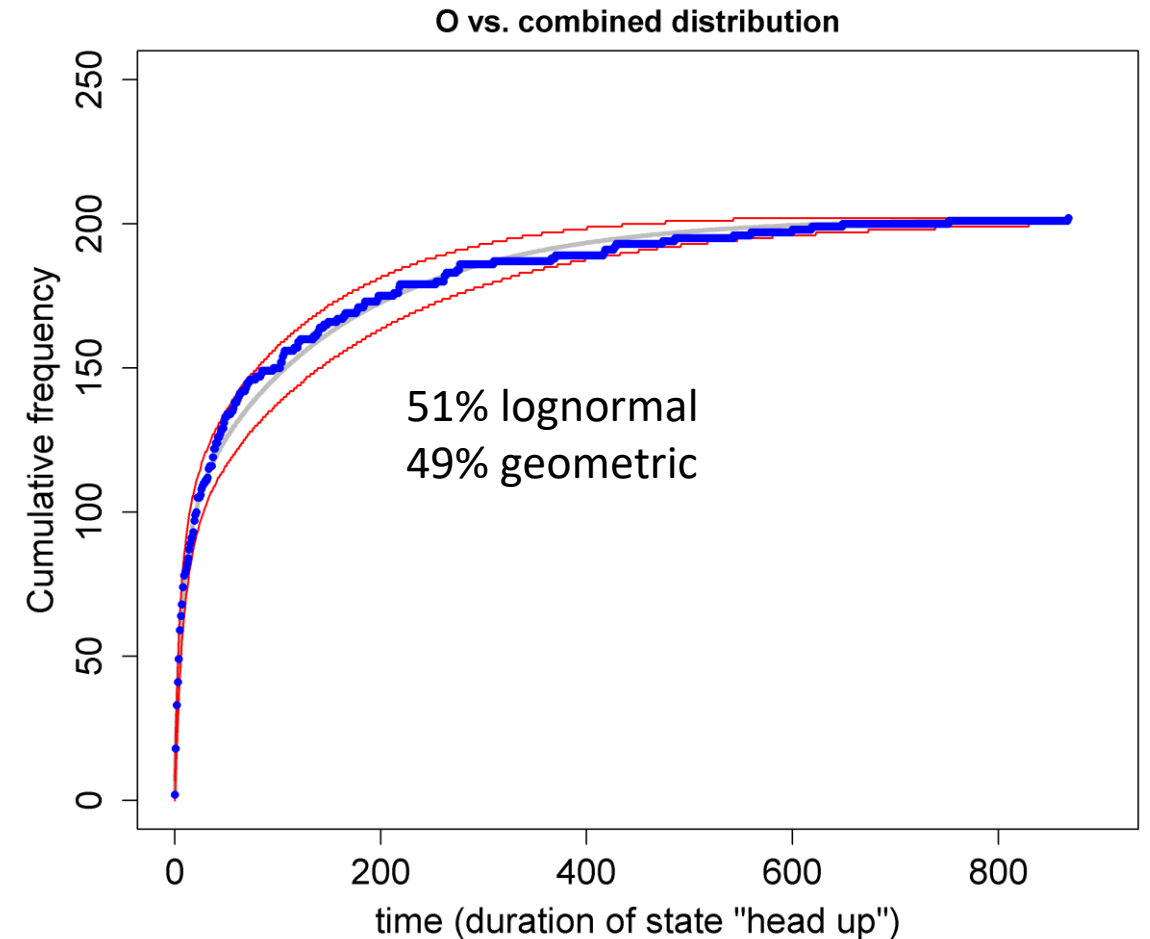


Fig. 6b



blue: cumulative frequency distribution of the observed  $N$  times, grey: fitted distribution (geometric + lognorm)

red: 95% range of the fitted distribution, if  $N$  values are drawn

Fig. 7a. Prediction of the percentages of “bury” and “swim” events based on the percentages of individuals following each of the two distributions.

### Food treatment

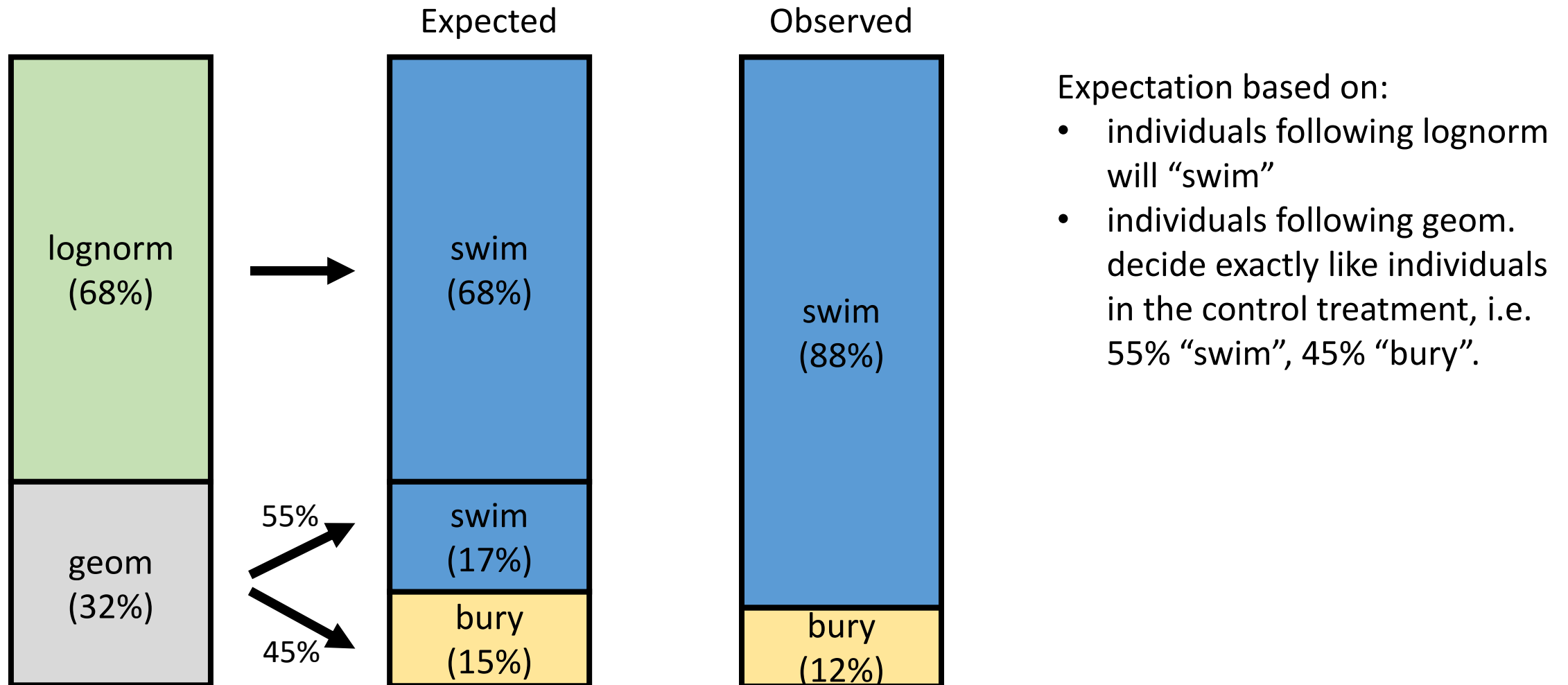
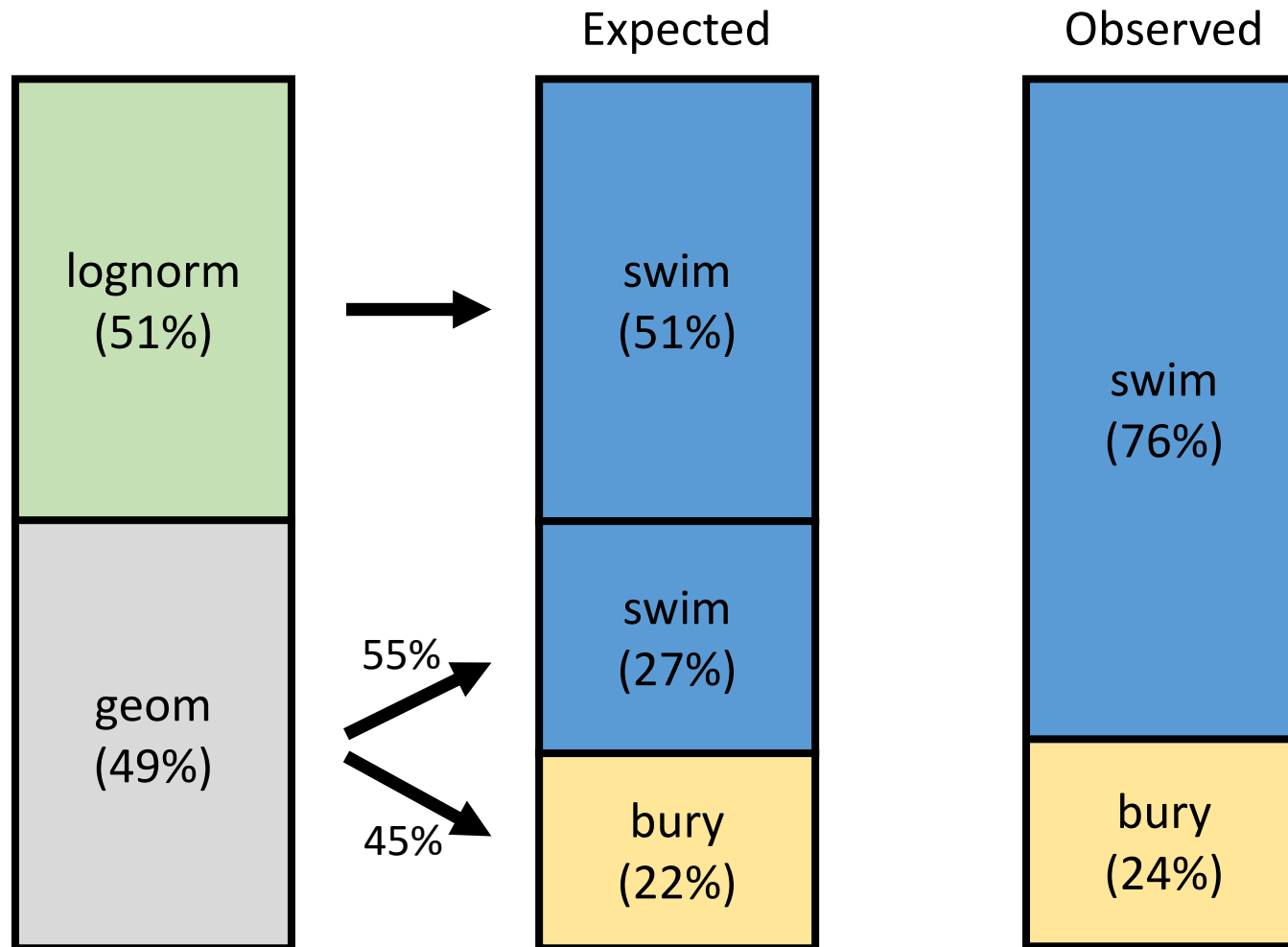


Fig. 7b. Prediction of the percentages of “bury” and “swim” events based on the percentages of individuals following each of the two distributions.

### Olfactory treatment



Expectation based on:

- individuals following lognorm will “swim”
- individuals following geom. decide exactly like individuals in the control treatment, i.e. 55% “swim”, 45% “bury”.