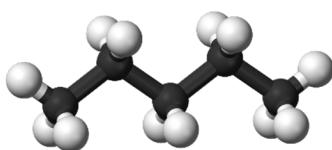


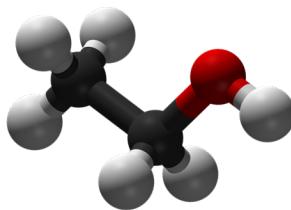
## KEY

Quantifying IMF – BP +  $\Delta H_{vap}$  +  $P_{vap}$ 

Now that we have a good handle on intermolecular forces let's work to connect them to quantifiable measurements. Whether a compound has weak or strong IMF will have major implications on the boiling point (BP), the enthalpy of vaporization ( $\Delta H_{vap}$ ), and the vapor pressure ( $P_{vap}$ ). Using the material we learn in lecture this week and your textbook, work with your group to determine the interrelations between the variables:



pentane



ethanol

Determine the chemical formula and molecular weight of the two compounds.

	pentane	ethanol
Formula	$C_5H_{12}$	$C_2H_6O$
Molar Mass (g/mol)	72.05	46.02

Using the molecules determine the strongest IMF for each. Explain how you came to this conclusion.

	pentane	ethanol
Strongest IMF	dispersion	hydrogen bonding

pentane only has C-C and C-H bonds therefore there is no dipole on the molecule.

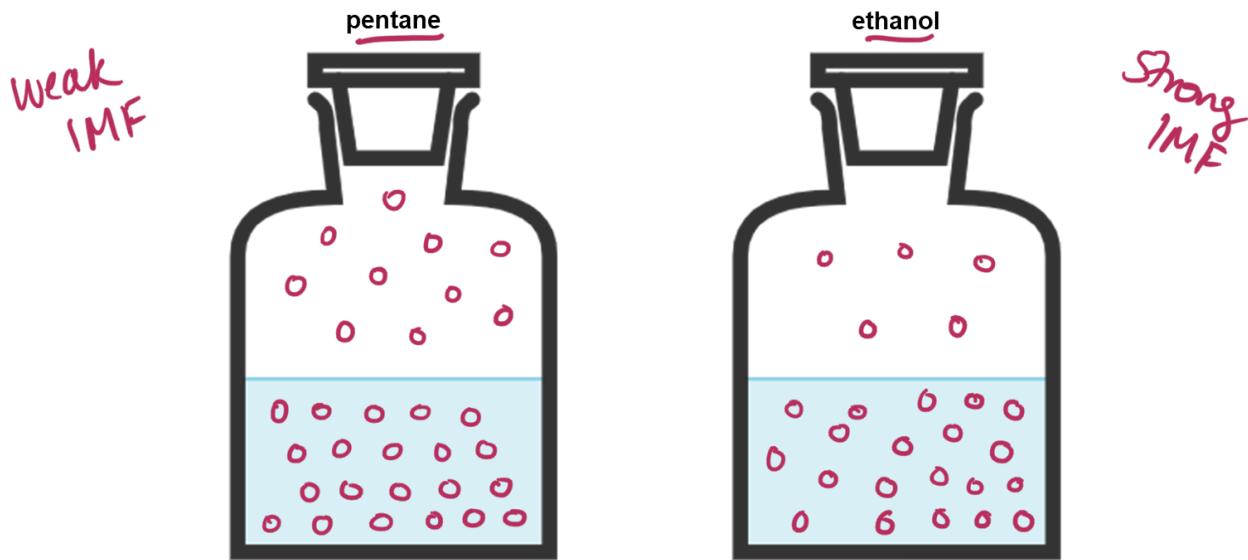
Ethanol contains an O-H bond therefore it can participate in H-bonding

Using what you have learned so far this semester, hypothesize which molecule will have the highest boiling point. How did you come to this conclusion?

Even though pentane has a larger molar mass, the presence of O-H in the ethanol molecule will cause it to have a higher BP due to stronger IMF. More heat is needed to increase the KE of the H-bonded molecule versus the molecule which only has dispersion.

To understand how boiling point (BP), the enthalpy of vaporization ( $\Delta H_{\text{vap}}$ ), and the vapor pressure ( $P_{\text{vap}}$ ) are all related, let's take a closer look. Below are two closed bottles of the compounds at room temperature (21 °C).

First, draw 20 circles in each liquid to represent molecules in this phase.

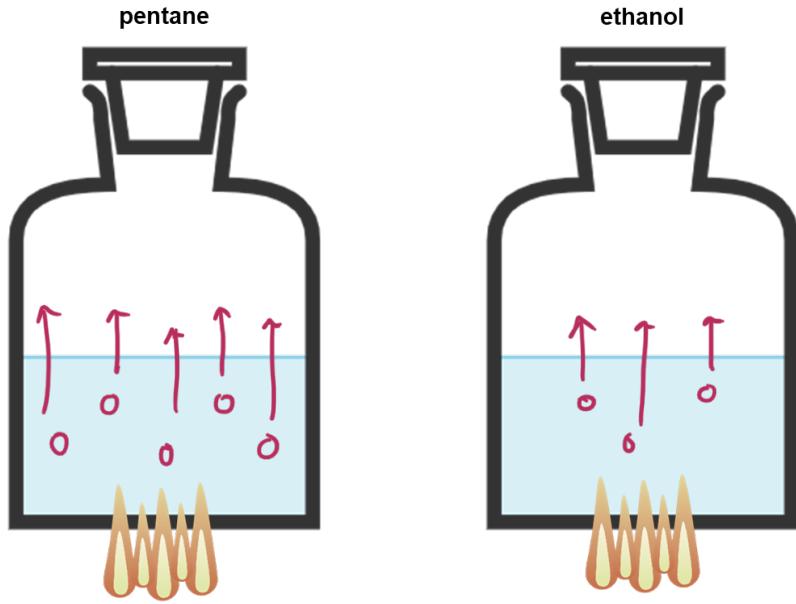


Because temperature is the average kinetic energy of the molecules, we know that even at 21 °C there will be some molecules that can escape to the gas phase. Based on your analysis of IMF, draw 5 vapor molecules in the container with strong IMF and 10 vapor molecules in the container with weak IMF.

Look at your containers, which has a higher vapor pressure? What is the relationship between vapor pressure and IMF?

*pentane! More molecules are in gas phase so  $P_{\text{vap}}$  is higher. Therefore  $\uparrow P_{\text{vap}} \downarrow \text{IMF}$ .*

If a small amount of heat were added to both containers, how would the systems react? Would one molecule have more vapor than the other, why? Draw and explain.



*Both containers would see vaporization increase because molecules gain KE as temp goes up. The pentane molecules will gain more vaporized molecules however because of weaker IMF.*

$P_{\text{vap}} \text{ pentane} > P_{\text{vap}} \text{ ethanol}$

Since the systems reacted differently to heat, this indicates there is a difference in the energy required to vaporize the molecules. **This is the enthalpy of vaporization!** Which molecule has a lower  $\Delta H_{\text{vap}}$ ? Explain.

$\Delta H_{\text{vap}}$  is the energy required to vaporize, so the molecule with weaker IMF would be expected have smaller  $\Delta H_{\text{vap}}$ .  $\Delta H_{\text{vap}} \text{ pentane} < \Delta H_{\text{vap}} \text{ ethanol}$

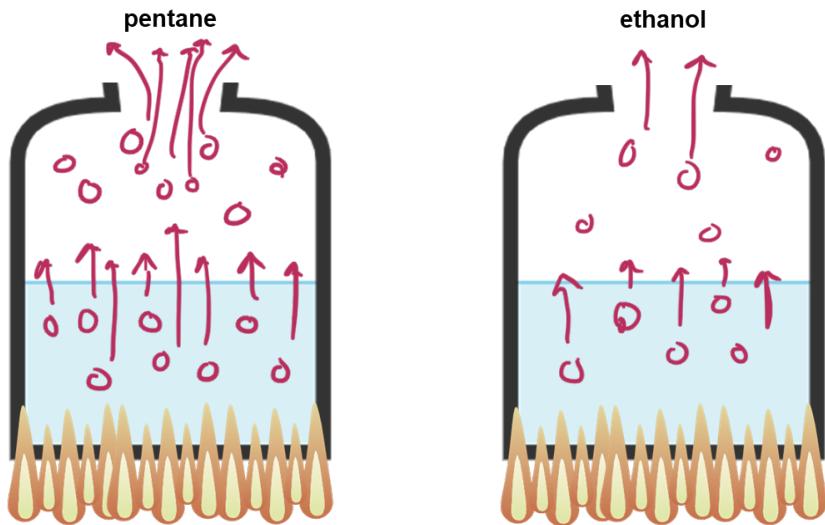
Is  $\Delta H_{\text{vap}}$  endothermic or exothermic? Why?

To vaporize, energy needs to be added since the molecules need to speed up.

Heat enters

$\Delta H_{\text{vap}} \oplus$  endothermic

So far we have been looking at closed containers to visualize the vapor pressure, now we'll switch to open containers.



If I added the same amount of heat to both open containers, which would empty first? Why?

The pentane will empty first because of the smaller  $\Delta H_{\text{vap}}$ . Less E is needed per mole of material.

So, which compound has a lower boiling point?

Because less E is needed and  $P_{\text{vap}}$  will reach  $P_{\text{ext}}$  sooner, pentane has lower BP.

Now, link them all together! Check the box for the molecule with the higher value for each variable:

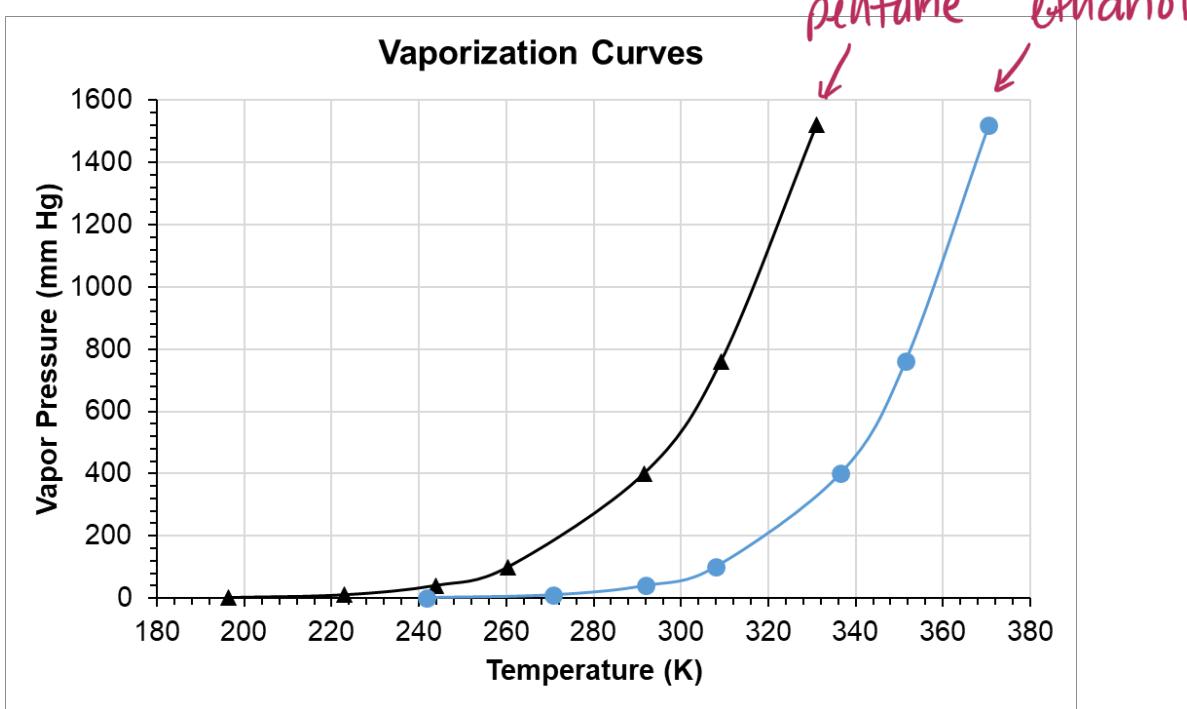
	pentane	ethanol
IMF		X
$P_{\text{vap}}$	X	
$\Delta H_{\text{vap}}$		X
BP		X

Because we can qualitatively see the relationships between the variables, we can now quantitatively link them together with the Clausius Clapeyron equation.

$$\ln(P) = \left(\frac{-\Delta H_{vap}}{R}\right)\left(\frac{1}{T}\right) + \ln(\beta)$$

$$\ln\left(\frac{P_2}{P_1}\right) = \left(\frac{-\Delta H_{vap}}{R}\right)\left(\frac{1}{T_2} - \frac{1}{T_1}\right)$$

Using the graph below, calculate the  $\Delta H_{vap}$  for each curve. Then label each curve for the molecule it represents.



Black Triangles

$$P_1 = 400 \text{ mmHg} \quad T_1 = 292 \text{ K}$$

$$P_2 = 100 \text{ mmHg} \quad T_2 = 260 \text{ K}$$

$$\ln\left(\frac{400 \text{ mmHg}}{100 \text{ mmHg}}\right) = \frac{\Delta H_{vap}}{8.314 \text{ J/mol}\cdot\text{K}} \left(\frac{1}{260 \text{ K}} - \frac{1}{292 \text{ K}}\right)$$

$$\Delta H_{vap} = 36257 \text{ J/mol}$$

$$\hookrightarrow 36.2 \text{ kJ/mol}$$

Blue Circles

$$P_1 = 400 \text{ mmHg} \quad T_1 = 334 \text{ K}$$

$$P_2 = 100 \text{ mmHg} \quad T_2 = 308 \text{ K}$$

$$\ln\left(\frac{400 \text{ mmHg}}{100 \text{ mmHg}}\right) = \frac{\Delta H_{vap}}{8.314 \text{ J/mol}\cdot\text{K}} \left(\frac{1}{308 \text{ K}} - \frac{1}{334 \text{ K}}\right)$$

$$\Delta H_{vap} = 42.6 \text{ kJ/mol}$$

Blue  $\Delta H_{vap} >$  Black  $\Delta H_{vap}$       So      Blue = Ethanol