Taxes and Labor Supply

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Fiscal Policy and Inequality

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Estimation of labor supply elasticity

 Basic cross-section estimation: Ordinary Least Squares (OLS) regression

$$\log h_i = \alpha + \beta \log w_i + \gamma \log R_i + \mathbf{X_i} \delta + \zeta_i$$

- \triangleright h_i , hours worked
- ▶ w_i, after-tax wage
- $ightharpoonup R_i$, non-labor income (eg, earnings of the spouse)
- ➤ X_i, vector of demographic controls (gender, age, marital status)
- Since all variables in the regression are in logs:
 - \triangleright β provides an estimate of ____ ?

Summary of Empirical labor Supply Literature

- Very extensive literature trying to estimate these parameters
- lacktriangle Small elasticities ($\simeq 0.1$) for males with ages 20-55
- Larger responses for married women, retirees, low-income workers
- Responses driven by extensive margin
 - Intensive margin (hours) elasticity is close to zero
 - ightharpoonup Extensive margin (participation) elasticity around 0.2 0.5

Issues with cross-sectional estimation

- 1. Econometric issues:
 - 1.1 Wages (w) correlated with taste for work
 - 1.2 Measurement error in hours worked (h)
 - 1.3 Selection into labor force
- 2. Extensive vs. Intensive margin responses
- 3. Non-hours responses

Issue #1a: Wage correlated with taste for work

$$\log h_i = \alpha + \beta \log w_i + \gamma \log R_i + \mathbf{X}_i \delta + \zeta_i$$

- $ightharpoonup \zeta_i$ includes unobserved characteristics, including whether you like working.
- If high-skill workers enjoy working more hours, then:

$$\operatorname{corr}(w_i, \zeta_i) > 0,$$

leading to **upward bias** in β (the elasticity estimate)

Controlling for individual characteristics X_i helps, but never sure that we have controlled for everything

⇒ Omitted variable bias

Issue #1b: Measurement error in hours (h)

- \triangleright Usually w is computed as earnings (z) divided by hours (h)
 - ▶ But hours are measured with error: $\log h = \log h^* + \mu$, where $\mu \neq 0$
- ► Measurement error adds noise and biases results toward zero⇒ downward bias

Issue #1c: Selection into labor force

- Some individuals are not in the labor force
 - For example, due to fixed cost of working
- We don't observe wages of non-participants
- Then, OLS is biased because it ignores people with potentially low wages
 - Existing solutions, like Heckman's (1979) selection model, depend on strong functional-form assumptions

Issue #2: Extensive vs. Intensive margin responses

- Related to the selection issue just discussed
- Do people join the labor force if taxes are lower?
 - Could happen if there is a fixed cost of working
 - ▶ People may also switch from part-time to full-time
- Estimation requires tax variation, because wages unobserved for non-participants

Issue #3: Non-hours responses

- ► Traditional research focuses on hours and labor force participation
- ▶ But income taxes distort other choices:
 - Occupational choices (including education)
 - Avoidance/evasion decisions
- ▶ These non-hours responses can be quantitatively large

From Labor Supply to Taxable Income

- ► How do people respond when the marginal income tax rate goes up?
 - ightharpoonup Reduce working hours ightarrow Real labor supply response (short-term)
 - lacktriangle Look harder for tax deductions ightarrow Tax avoidance response
 - ightharpoonup Misreport (part of) their income ightarrow Tax evasion response
 - Make different career decisions (eg, education, migration) \rightarrow Real labor supply response (long-term)
- Elasticity of taxable income captures all behavioral responses to taxation
 - Labor supply elasticity only captures the hours response

Elasticity of Taxable Income (ETI): Advantages

Elasticity of Taxable Income definition:

$$\varepsilon = \frac{\partial z/z}{\partial (1-\tau)/(1-\tau)} = \frac{\% \text{ change in } z}{\% \text{ change in } (1-\tau)}$$
$$= \frac{\partial z}{\partial (1-\tau)} \cdot \frac{(1-\tau)}{z}$$

- Key parameter in public economics for two main reasons:
 - 1. What matters for policy is the total behavioral response
 - ► Not only the hours response
 - 2. Data availability: taxable income is precisely measured in tax return data

Elasticity of Taxable Income (ETI): Estimation

➤ Start with a simple model of income choice as function of tax (Saez, Slemrod, Giertz, 2012):

$$z_{it} = z_{it}^0 \cdot (1 - \tau_{it})^{\varepsilon}$$

 $ightharpoonup z_{it}^0 = ext{Potential earnings (income reported when } au_{it} = 0)$

Elasticity of Taxable Income (ETI): Estimation

$$z_{it} = z_{it}^0 \cdot (1 - \tau_{it})^{\varepsilon}$$

► Taking logs:

$$\log z_{it} = \varepsilon \cdot \log (1 - \tau_{it}) + \log (z_{it}^0)$$

- ▶ OLS estimation is biased because corr $(\tau_{it}, z_{it}^0) > 0$ due to progressivity of tax system
 - People with positive income shock $(z_{it}^0 \uparrow)$ face higher tax rate $(\tau_{it} \uparrow)$

Feldstein (JPE, 1995): Methodology

- Constructs three income groups:
 - M = medium (N = 3,538)
 - \vdash H = High (N = 197)
 - \blacktriangleright HH = Very high (N = 57)
- Compares how incomes (z^j) and marginal tax rates (τ^j) evolve from 1985 to 1988 for individuals in each group j, where $j = \{M, H, HH\}$

Feldstein (JPE, 1995): Methodology

► Feldstein forms a diff-in-diff estimator of the ETI:

$$\widehat{\varepsilon} = \frac{\Delta \log (z^{H}) - \Delta \log (z^{M})}{\Delta \log (1 - \tau^{H}) - \Delta \log (1 - \tau^{M})}$$

$$= \frac{\% \text{ change in taxable income in H vs M}}{\% \text{ change in net-of-tax rate in H vs M}}$$

ETI estimation: Diff-in-diff Assumption

- Identification assumption: absent tax change, log income changes pre- and post-reform would have been the same in treatment and control groups
 - Requires parallel trends assumption.
 - Assumption fails if, for example, there is growing inequality for reasons unrelated to tax changes

Feldstein (JPE, 1995): Results

Table 1: Summary of Data

				% change	% changes, 1985-88		
Group	au in 1985	z in 1985 (\$000)	Obs.	(1- au)	z*		
М	22% - 38%	\$30 - \$67	3,538	12.1%	6.2%		
Н	42% - 45%	\$94 - \$127	197	25.6%	21.0%		
НН	49% - 50%	\$177 - \$479	57	42.2%	71.6%		

Adapted from Feldstein (JPE, 1985). Includes only married taxpayers.

^{*} z = Adjusted Taxable Income

Feldstein (JPE, 1995): Results

Table 2: Elasticity of Taxable Income

Tubic 2.	Liasticity of	Taxable Tileottie				
Group	(1- au)	z*				
	Percentage	Percentage changes, 1985-1988				
Μ	12.1%	6.2%				
Н	25.6%	21.0%				
НН	42.2%	71.6%				
	Elastic	Elasticity Estimates $(\widehat{arepsilon})$				
H vs M		1.10				
HH vs H		3.05				
HH vs M		2.14				

Adapted from Feldstein (JPE, 1985)

^{*} z = Adjusted Taxable Income (ATI)

Feldstein (JPE, 1995): Implications of Results

- lacktriangle Feldstein obtains very high elasticities (arepsilon>1) for top earners
- If results are true:
 - ▶ US was on the wrong side of the Laffer curve for the rich
 - lowering tax rate increases tax revenue!
- Efficiency implications (Feldstein, REStats 1999):
 - ▶ If $\varepsilon = 1.04$, income tax causes an efficiency loss of 32%
 - That is, compared to lump-sum taxes that collect the same revenue, economy produces 32% less income due to tax distortions

Feldstein (JPE, 1995): Issues

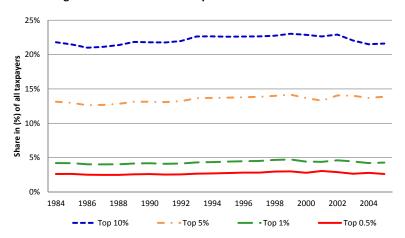
- 1. Changes in inequality unrelated to tax reform could increase elasticity estimates
- 2. Small sample size (only 57 people in top group)
- 3. Mean reversion: rich people in t revert to the mean in t+1.
 - ▶ Biases ε downward when $\tau \downarrow$ for the rich
- 4. Only measures short-term response, not long-term
- 5. Diff-in-diff biased when arepsilon differs across groups
- 6. Response could be avoidance or evasion, rather than productive earnings.

Kleven and Schultz (AEJ-EP 2014)

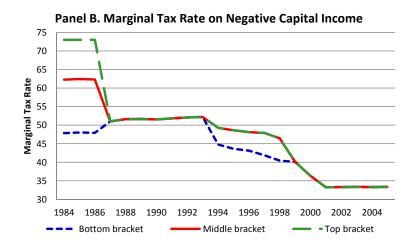
- ▶ Data: administrative tax returns in Denmark 1980-2005
 - Includes socioeconomic variables
- Empirical Strategy: diff-in-diff
- Advantages:
 - 1. No discernible trends in overall inequality
 - 2. Multiple tax reforms (some $\tau \uparrow$, some $\tau \downarrow$)
 - 3. Parallel trends assumption holds

Kleven and Schultz (AEJ-EP 2014): Tax Reforms

Figure 1. The Evolution of Top Income Shares in Denmark



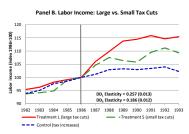
Kleven and Schultz (AEJ-EP 2014): Graphical Analysis

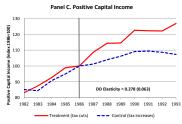


Kleven and Schultz (AEJ-EP 2014): Results

Figure 4. Graphical Evidence on Taxable Income Responses to the Danish 1987-Reform







Kleven and Schultz (AEJ-EP 2014): Results

Table 4. The Elasticity of Labor Income: Heterogeneity

	Full sample	Top 20 percent	Top 10 percent	College degree or more	Women	With kids below 18 years old	With kids below 6 years old
	(1)	(2)	(3)	(4)	(5)	(6)	(7)
All workers							
Elasticity wrt. 1- $ au$	0.049*** (0.002)	0.076*** (0.008)	0.085*** (0.012)	0.062*** (0.009)	0.054*** (0.004)	0.054*** (0.005)	0.083*** (0.010)
Number of observations	31,215,140	6,243,028	3,121,514	5,056,852	15,295,419	14,325,926	4,751,852
Wage earners							
Elasticity wrt. 1- $ au$	0.046*** (0.002)	0.073*** (0.009)	0.081*** (0.012)	0.061*** (0.010)	0.052*** (0.005)	0.052*** (0.006)	0.080*** (0.010)
Number of observations	29,568,870	5,913,774	2,956,887	4,844,483	14,785,075	13,631,249	4,593,606
Self-employed							
Elasticity wrt. 1- $ au$	0.090*** (0.014)	0.135*** (0.037)	0.147*** (0.044)	0.113*** (0.039)	0.116*** (0.026)	0.119*** (0.022)	0.171*** (0.046)
Number of observations	1,646,270	329,254	164,627	212,369	510,344	694,677	158,246

Slemrod (NTJ 1998): "ETI is not an immutable parameter"

- ► ETI varies with government policy and across different contexts
- ► ETI is larger when the number of deductions and exemptions in the tax system is larger
 - ► Intuition: there are more margins of response available to taxpayers
 - In other words, ETI is smaller when the tax base is wider
- "ETI is a policy choice"

Slemrod (NTJ 1998)

Examples of alternative margins of response to a change in tax rates:

- Income shifting across years
 - ► Alternative measure: elasticity of the *present value* of the tax base
- ► Income shifting across tax bases
 - E.g., between personal income tax and corporation tax (depending on which has a lower marginal rate)
 - One interesting example is, again, the TRA'86 as we will see in the lecture on inequality