

Introductory Computer Sciences
Problem set #4
Repetition Structures

1. Prompt the user to enter a vector.
 - i. Use a *for loop* to sum the elements in the entered vector.
 - ii. Use a *while loop* to sum the elements in the entered vector.
 - iii. Check the answers with the *sum* function.
2. A Fibonacci sequence is composed of elements created by adding the two previous elements. The simplest Fibonacci sequence starts with 1, 1 and proceeds as follows:

1, 1, 2, 3, 5, 8, 13, ...

However, a Fibonacci sequence can be created with any two starting numbers. Fibonacci sequences appear regularly in nature. For example, the shell of the chambered nautilus grows in accordance with a Fibonacci sequence.

Prompt the user to enter the first two numbers in a Fibonacci sequence and the total number of elements requested for the sequence. Find the sequence and store it in an array by using a *for loop*.

3. Repeat the preceding problem, this time using a *while loop*.
4. One interesting property of a Fibonacci sequence is that the ratio of the values of adjacent members of the sequence approaches a number called "the golden ratio". Create a program that accepts the first two numbers of a Fibonacci sequence as user input and then calculates additional values in the sequence until the ratio of adjacent values converges to within 0.001. You can do this in a while loop by comparing the ratio of element k to element $k - 1$ and the ratio of element $k - 1$ to element $k - 2$. If you call your sequence x , then the code for the while statement is

while abs($x(k)/x(k - 1) - x(k - 1)/x(k - 2)$) > 0.001

5. Edmond Halley (the astronomer famous for discovering Halley's comet) invented a fast algorithm for computing the square root of a number, A . Halley's algorithm approximates \sqrt{A} as follows:

Start with an initial guess x_1 . The new approximation is then given by

$$y_n = \frac{1}{A}x_n^2$$
$$x_{n+1} = \frac{x_n}{8} (15 - y_n(10 - 3y_n)).$$

These two calculations are repeated until some convergence criterion, ε , is met.

$$|x_{n+1} - x_n| \leq \varepsilon$$

Write an m-file that approximates the square root of a number. It should prompt the user to enter two inputs, the initial guess and the convergence criterion. Test your code by comparing it to the value calculated with the built-in MATLAB function, *sqrt*.

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clear
close all
clc

while(true)
    index = input('which answer do you want to see ==> ');
    fprintf('-----Answer of the %g. question----- \n',index);
    switch(index)
        case 1
            disp('------(i)-----');
            IN_VECTOR = input('Enter a vector defined in brackets [-] ::> ');
            IN_VECTOR
            disp('------(ii)-----');
            SUM = 0;
            i = 1;
            while(i <= numel(IN_VECTOR))
                SUM = SUM + IN_VECTOR(i);
                i = i + 1;
            end
            SUM
            disp('------(iii)-----');
            sumFunc = sum(IN_VECTOR)
            SUM
        case 2
            FIRST_ELEMENT = input('Enter the 1st starting number ::> ');
            SECOND_ELEMENT = input('Enter the 2nd starting number ::> ');
            SEQUENCE_SIZE = input('Enter the sequence length ::> ');
            FIBONACCI_SEQUENCE(SEQUENCE_SIZE) = 0;
            FIBONACCI_SEQUENCE(1) = FIRST_ELEMENT;
            FIBONACCI_SEQUENCE(2) = SECOND_ELEMENT;
            for i = 3 : SEQUENCE_SIZE
                FIBONACCI_SEQUENCE(i) = FIBONACCI_SEQUENCE(i - 1) + FIBONACCI_SEQUENCE(i - 2);
            end
            FIBONACCI_SEQUENCE
        case 3
            FIRST_ELEMENT = input('Enter the 1st starting number ::> ');
            SECOND_ELEMENT = input('Enter the 2nd starting number ::> ');
            SEQUENCE_SIZE = input('Enter the sequence length ::> ');
            FIBONACCI_SEQUENCE(SEQUENCE_SIZE) = 0;
            FIBONACCI_SEQUENCE(1) = FIRST_ELEMENT;
            FIBONACCI_SEQUENCE(2) = SECOND_ELEMENT;
            i = 3;
            while(i <= SEQUENCE_SIZE)
                FIBONACCI_SEQUENCE(i) = FIBONACCI_SEQUENCE(i - 1) + FIBONACCI_SEQUENCE(i - 2);
                i = i + 1;
            end
            FIBONACCI_SEQUENCE
        case 4
            FIRST_ELEMENT = input('Enter the 1st starting number ::> ');
            SECOND_ELEMENT = input('Enter the 2nd starting number ::> ');
            FIBONACCI_SEQUENCE(1) = FIRST_ELEMENT;
            FIBONACCI_SEQUENCE(2) = SECOND_ELEMENT;
            FIBONACCI_SEQUENCE(3) = FIBONACCI_SEQUENCE(1) + FIBONACCI_SEQUENCE(2);
            i = 3;
            while (abs(FIBONACCI_SEQUENCE(i) / FIBONACCI_SEQUENCE(i - 1) - ...
                FIBONACCI_SEQUENCE(i - 1) / FIBONACCI_SEQUENCE(i - 2)) > 0.001)
                i = i + 1;
                FIBONACCI_SEQUENCE(i) = FIBONACCI_SEQUENCE(i - 1) + FIBONACCI_SEQUENCE(i - 2);
            end
            FIBONACCI_SEQUENCE
    end
end

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case 5
    % It is up to you to take A as pre-defined value(e.g: 16)
    A = input('Enter the number whose square root to be found::> ');
    INITIAL_GUESS = input('Enter the initial guess [X0] ::> ');
    CONVERGENCE = input('Enter the convergence criterion [EPS] ::> ');
    disp('Edmond Halley Algorithm For square root');
    Sqrt_of_A = EdmondHalleySqrt(A, INITIAL_GUESS, CONVERGENCE)
    disp('MATLab built-in function sqrt(x) For square root');
    Sqrt_of_A = sqrt(A)
otherwise
    disp('Please enter a valid value!!');
end
disp('*****');
control = input('Do you want to look another one?(Y/N)==> ','s');
if(control == 'y' | control == 'Y')
    clear
    close all
    clc
    continue
else
    clear
    close all
    clc
    disp('Bye bye..');
    break
end
end

function OUT = EdmondHalleySqrt(A, X, EPS)
X_PREV = X;
Y = 0;
while (1)
    Y = X_PREV ^ 2 / A;
    X = (X_PREV / 8) * (15 - Y * (10 - 3 * Y));
    if (abs(X - X_PREV) <= EPS)
        OUT = X;
        break
    end
    X_PREV = X;
end
end

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