

Scarring Body and Mind: The Long-Term Belief-Scarring Effects of COVID-19

Julian Kozlowski ¹ Laura Veldkamp ² Venky Venkateswaran ³

¹St. Louis Fed ²Columbia ³NYU Stern

- Economic upheaval typically has long-lived consequences: Depression (Nagel-Malmendier), WWII, financial crisis and secular stagnation.
- What long-term consequences will Covid pandemic have?
- We need theory to predict structural changes.
- Once a vaccine comes, why wouldn't normal return?
because we learned something and changed our behavior.
- How can we measure and quantify the effect of the knowledge we've gained?
- Solution: Treat agents like econometricians, estimate the change in beliefs from tail realizations, feed updated distributions into an economic/financial model.

Main finding: **Long-term costs are many times larger than economic loss during the pandemic.**

- No one knows the true distribution of aggregate shocks
 - Re-estimate beliefs as new data arrives
- **Estimation of beliefs:**
 - Non-parametric approach to estimation
 - Flexible, avoid distributional assumptions, tail risk vs uncertainty
 - Use observed macro data, empirical discipline
- **Tail events:** (e.g. the Great Recession)
 - large changes in beliefs, in tail probabilities
 - these changes are long-lived, even if the underlying shocks are iid
- **Standard SEIR & macroeconomic framework:**
 - Quantitatively successful in explaining the post-fin crisis ¹KVV, forthcoming) → Consistent with financial market data and popular narratives

1. Belief formation
2. Epidemiological and economic environment
3. Calibration, COVID scenarios, quantitative results
4. Analysis & Robustness

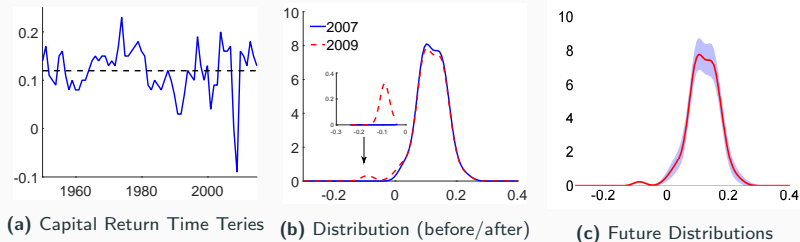
Belief formation

- Consider an **iid** shock, ϕ_t , with unknown distribution g
- Information set: **finite** history of shock realizations $\{\phi_{t-s}\}_{s=0}^{n_t-1}$
- **Goal:** a flexible specification that can capture **tail risk**
- We use a **non-parametric** estimator: the Gaussian kernel density

$$\hat{g}_t(x) = \frac{1}{n_t \kappa} \sum_{s=0}^{n_t-1} \Omega\left(\frac{x - \phi_{t-s}}{\kappa}\right)$$

- **Beliefs are martingales:** $\mathbb{E}_t[\hat{g}_{t+j}|\mathcal{I}_t] \approx \hat{g}_t \rightarrow \text{Persistence}$

Example: How Return Distribution Changed in '09



Tail events → persistent belief changes (even without future crises)

Source: Operating surplus plus holding gains for US corporate business, Flow of Funds

Last panel: Mean and 2-std dev bands for \hat{g}_{2039} , drawing from \hat{g}_{2007}

Economic Model: Existing Ingredients

SEIR model, \tilde{t} is daily (Atkeson (2020), Wang et al (2020), many).

- Susceptible: $S(\tilde{t} + 1) = S(\tilde{t}) - \beta_{It} S(\tilde{t}) I(\tilde{t}) / N$
- Exposed: $E(\tilde{t} + 1) = E(\tilde{t}) + \beta_{It} S(\tilde{t}) I(\tilde{t}) / N - \sigma_E E(\tilde{t})$
- Infected: $I(\tilde{t} + 1) = I(\tilde{t}) + \sigma_E E(\tilde{t}) - \gamma_I I(\tilde{t})$
- Recovered / Dead: $D(\tilde{t} + 1) = D(\tilde{t}) + \gamma_I I(\tilde{t})$
- Policy determines contact rate $\beta_{It} = \gamma_I \times \min(R_0, \max(R_{min}, R_0 - \zeta * \Delta I_t))$.
lagged infection change ΔI_t is $\text{avg } I(t - (15 - 30)) - \text{avg } I(t - (31 - 45))$.
- Shutdowns, which reduce β_I , also idle capital: $K_t^- = \vartheta * (R_0 - \gamma_I \beta_{It})$.
- Idle capital depreciates at $\tilde{\delta}$ (changes in pref.s, rules, accelerated obsolescence)

Takeaway: Disease tiggers temporary shutdowns and permanent obsolescence of capital.

From Gourio (2012, 2013), annual frequency t

- **Preferences:**

- Representative HH with Epstein-Zin preferences over $C_t - \frac{L_t^{1+\gamma}}{1+\gamma}$

- **Production:** $y_{it} = z_t(\phi_t \hat{k}_{it})^\alpha l_{it}^{1-\alpha}$

- ϕ_t : obsolescence shock to capital
- z_t : temporary productivity shock ($z_t = \phi_t^\nu$ for simplicity)
- Law of motion $\hat{k}_{it+1} = k_{it}(1 - \delta) + x_{it}$

- **Firm Credit and Labor Markets:**

- Firms borrow with 1-period defaultable debt (Eaton-Gersovitz, 1981)
- Idiosyncratic shocks (iid) \rightarrow positive default in equilibrium
- Default feedback: Triggers more capital depreciation.

- **Obsolescence:** $\ln \phi_t = \ln \tilde{\phi}_t + \kappa_0 d_t^{1-\varpi}$

- $\tilde{\phi}_t$: direct effects of disease/shutdown, $\tilde{\phi}_t \sim g(\cdot)$
- d_t : default rate, amplifies obsolescence

- **Beliefs :**

- Distribution of aggregate shocks g unknown to all agents
- At each date, observe $\{\tilde{\phi}_1, \dots, \tilde{\phi}_t\}$
- Gaussian kernel density estimator $\rightarrow \hat{g}_t$

- Firm cost of capital:

$$q_{it} = E_t \left[M_{t+1} \left((1 - F(\underline{\nu}_{it+1})) + \theta h(\underline{\nu}_{it+1}) R_{t+1}^k \right) \right]$$

Quantitative Results

Estimating the history of the depreciation shock:

$$\phi_t = \frac{K_t}{\hat{K}_t} = \frac{\text{Effective capital}}{\text{Yesterday's effective capital} + \text{Investment}}$$

Data: Non-financial assets of US Corporate Business (Flow of Funds)

- Commercial real estate ($\sim 55\%$), equipment and software
 - Market value \rightarrow Effective capital
 - Historical cost \rightarrow Investment
- } \Rightarrow Map ϕ_t to observed data

$$\phi_t = \frac{K_t}{\hat{K}_t} = \left(\frac{P_t^k K_t}{P_{t-1}^k \hat{K}_t} \right) \left(\frac{PINDX_{t-1}^k}{PINDX_t^k} \right)$$

- Historical default rates \rightarrow Recover $d_t, \tilde{\phi}_t$

Calibration

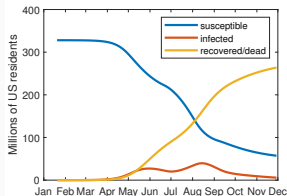
Preferences	β	0.95	Discount factor
	η	10	Risk aversion
	ψ	0.50	1/Intertemporal elasticity of substitution
	γ	1.50	1/Frisch elasticity
	ζ	1	Labor disutility
Technology	α	0.40	Capital share
	ν	0.10	Elasticity of temporary shock
	δ	0.06	Depreciation of active capital
	$\hat{\sigma}$	0.28	Idiosyncratic volatility
Credit	χ	1.06	Debt tax adv. Targets: Leverage = 0.5
	θ	0.70	Recovery rate default rate = 0.02
	κ_0	0.2	Default-obsolescence feedback
	ϖ	0.5	Default-obsolescence elasticity
Epidemiology	ϑ	0.5	Amount of capital idling to reduce transmission
	γ_I	1/18	Recovery / death rate
	ζ_I	300, 50	Sensitivity of lockdown policy to past infections
	$\tilde{\delta}$	6.5%	Monthly obsolescence of idled capital (\downarrow 10% comm.RE)

Strategy:

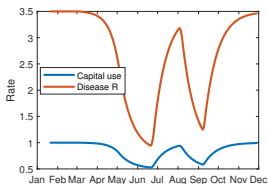
1. Start at 'steady state' of \hat{g}_{2019} (estimated using 1950-2019 data)
2. Run 2 Covid policy scenarios (tough, lite lockdown) \rightarrow 2 COVID shocks ($\tilde{\phi}_{2020}$'s):
 - $\zeta_I = 300 \rightarrow \tilde{\phi}_{2020} = 0.9, (\Delta \ln y_{2020} = -10\%)$
 - $\zeta_I = 50 \rightarrow \tilde{\phi}_{2020} = 0.95, (\Delta \ln y_{2020} = -6\%)$
3. For each scenario, estimate \hat{g}_{2020}
4. Simulate future paths, both with and without future pandemics
5. Compute updated beliefs, aggregate K, Y, N along each path
6. Plot the mean future path of aggregates

Scenarios: Infections, Shutdowns and Beliefs

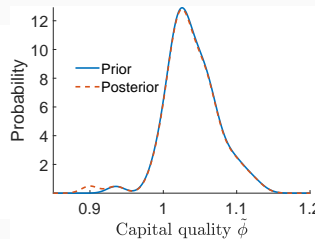
Scenario 1: Aggressive



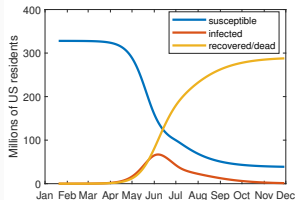
Policy



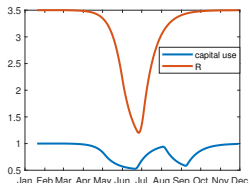
Beliefs with $\tilde{\phi} = 0.9$



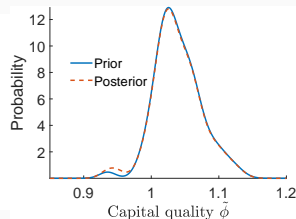
Scenario 2: Lax



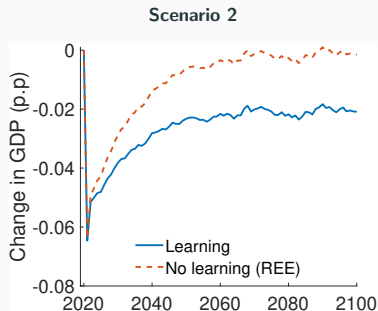
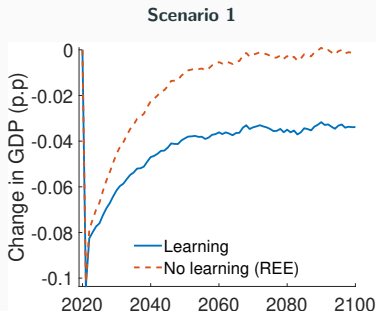
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Beliefs with $\tilde{\phi} = 0.95$



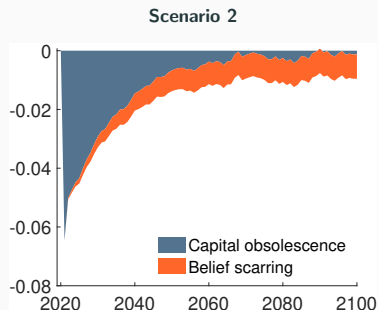
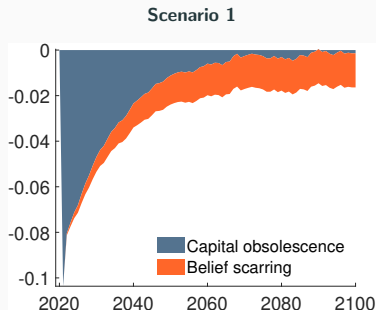
Results: Average Future Output



3 reasons costs last beyond 2020 (6%) loss

- Takes time to replenish obsolete capital
- Pandemics continue to occur with positive prob (recur once every 70 years)
- Fear of new pandemics reduces investment (**belief scarring**)

Where do the losses come from? (if no more pandemics)



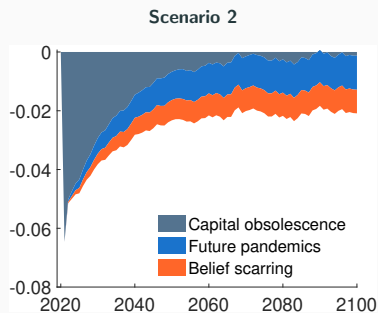
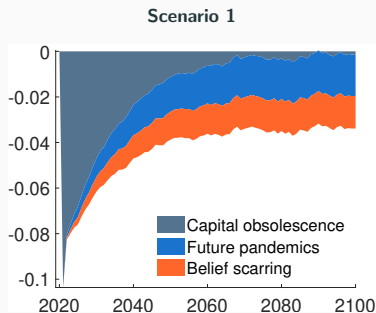
NPV of output losses, in percentages of 2019 GDP

Scenario	2020 GDP drop	NPV(Belief Scarring)	NPV(Obsolete capital)
I. Tough	-10%	-16%	-78%
II. Lite	- 6%	-9%	-48%

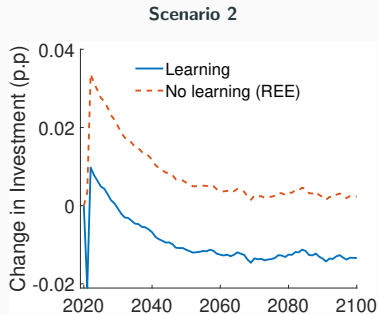
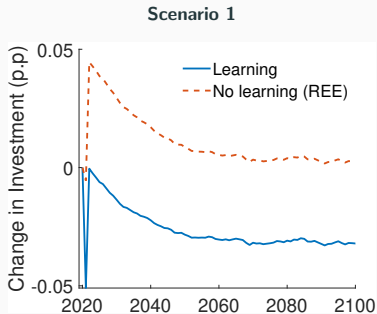
Where do the losses come from? (with future pandemics)

To assess the benefits of public health investments, note that:

Future 1-in-70 year pandemics will subtract another 16% (10%) of GDP in NPV cost. In both cases, this is $1.5 \times$ the estimated one-year cost of COVID.

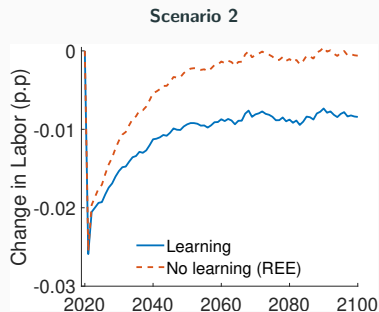
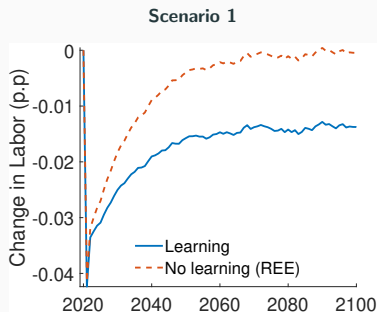


Results: Average Future Investment



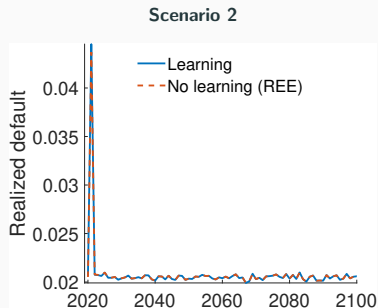
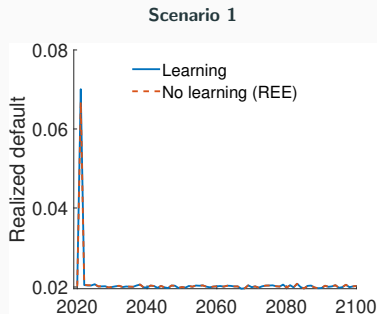
No belief revisions → investment surges

Results: Average Future Labor



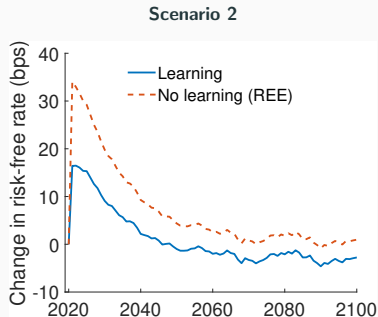
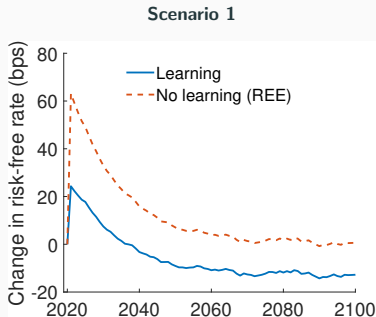
No belief revisions → quick rebound

Results: Average Future Defaults



Realized defaults do not change much (belief revisions \rightarrow lower debt).

Results: Average Risk Free Rate



Belief scarring makes safe assets more valuable ($R_f \downarrow$).

Changes in	Scenario 1	Scenario 2
Asset prices and debt		
Credit Spreads	0.9%	0.1%
Equity Premium	5.2%	1.4%
Equity (Market value)/Assets	0.3%	0.1%
Risk free rate	-0.13%	-0.04%
Debt	-6.3%	-3.6%
SKEW	8.7	1.1
Third moment $E \left[(R^e - \bar{R}^e)^3 \right]$	-1.21	-0.12

Model: Difference between the long run average values under 2009 and 2007 beliefs. For the no-learning model, all changes are zero. Tail risk indicators are under the risk-neutral measure. Data: 2010-2015 average minus 1990-2007 average.

Increase in tail risk produces modest changes in asset markets

What if the learning sample includes Spanish flu?

Potential mechanism

- More data \rightarrow each new observation matters less
- Past tail realizations \rightarrow tail probabilities change less

Two issues

- Historical data on ϕ_t , defaults ?
- Shouldn't we discount old data ?

Strategy: Use the 1950-2020 sample as a proxy for 1880-1949

- Weights: Observation in $t - s$ is given a weight λ^s , $\lambda \leq 1$

Results:

- With no discounting, long run effect cut in 1/2.
- With 1% discounting, Spanish flu almost completely forgotten by 2020.
Bigger reaction to more recent data, net effect is the same as baseline.

More data (+ modest discounting) yields similar results

- The effects of COVID and pandemics will not leave us once the vaccine arrives.

Largest welfare effects are the long-run ones.

- Fact: no one knows the true distribution of shocks.
Not important for normal events. Matters for tail events.

- New data on rare events permanently reshapes our assessment of macro risks

→ Changes in beliefs substantially amplify cost of tail events.

- Tools for embedding and disciplining belief scarring in quantitative macro models