The Present Value of Future Market Power

Cho, Grotteria, Kremens & Kung

Discussion by Matthieu Gomez May 2024, Columbia University

Paper Context

- ► De Loecker et al (2020) provide methodology to measure markups using Compustat data
- ► Uses firm cost minimization:

Firm Markup =
$$\theta \times \frac{\text{Sales}}{\text{Variable Costs}}$$

where θ is the output elasticity of variable factor

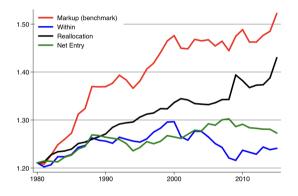


Figure 1: Aggregate $\mathsf{Markup} = \sum_i \mathsf{Sales} \ \mathsf{Weight}_i \times \mathsf{Firm} \ \mathsf{Markup}_i$

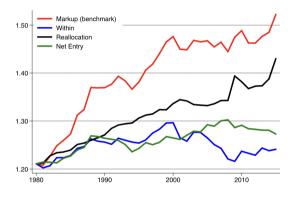


Figure 1: Aggregate Markup $= \sum_i \text{Sales Weight}_i \times \text{Firm Markup}_i$

1 Relatively small increase in within (sharp rise for few firms, no rise for most)

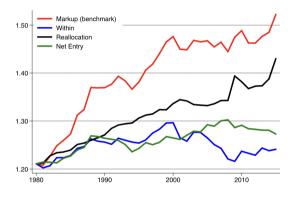


Figure 1: Aggregate Markup $= \sum_i Sales Weight_i \times Firm Markup_i$

2 High reallocation term (reallocation of sales from low to high markup firms)

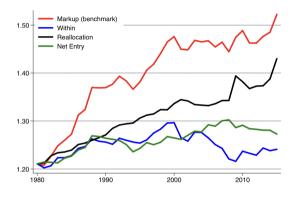


Figure 1: Aggregate Markup $= \sum_i Sales Weight_i \times Firm Markup_i$

3 High net entry term markups for entering firms relative to exiting firms

Some Push-backs in the Literature

- 1. Weighting w.r.t. costs gives much smaller increase than weighting w.r.t. sales
- 2. Focusing on public firms may overstate aggregate markups for economy
- 3. Markup sensitive on what is counted as fixed v.s. variable cost (e.g. SG&A)

Paper Contribution

Cho, Grotteria, Kremens & Kung use valuations to answer two questions

- 1. Role of markup in valuations
 - Does heterogeneity in markups explain heterogeneity in valuations?
 - ► Can the rise in expected markups account for the rise in valuations since 1980?
- 2. Measure expected markups (rather than realized markups)
 - Document rise in average expected markup (but not in realized markups)
 - Mergers increase expected markups (but not realized markups)

► The return of owning a firm is

$$R_{t+1} = \frac{CF_{t+1} + M_{t+1}}{M_t}$$

► Log-linearizing and solving forward gives usual Campbell-Shiller:

$$\log M_t \approx \kappa + (1 - \rho) \sum_{k=1}^{\infty} \rho^k \log CF_{t+k+1} \underbrace{-\sum_{k=1}^{\infty} \rho^k \log R_{t+k+1}}_{\text{lower future discount rates}}$$

► This paper further decomposes the cash-flow term into three parts

$$CF_t = Y_t - VC_t - FC_t = Y_t \left(1 - \frac{VC_t}{Y_t} - \frac{FC_t}{Y_t}\right)$$

 Y_t is total sales, VC_t is variable costs and FC_t is fixed costs (incl. investment)

▶ Using the De Loecker et al (2020)

$$\mu_t = \theta_t \frac{Y_t}{VC_t} \implies CF_t = Y_t \left(1 - \frac{\theta_t}{\mu_t} - \frac{FC_t}{Y_t} \right)$$

► Log-linearizing gives

$$\log CF_t = \alpha + \log Y_t + \frac{\overline{\theta}}{\overline{\mu}} \log \mu_t - e^{\overline{fc}} fc_t \tag{1}$$

(Omitting fluctuations in θ ?)

$$\log M_{t} \approx \tilde{\kappa} + \underbrace{(1-\rho)\sum_{k=1}^{\infty}\rho^{k}\log Y_{t+k+1}}_{\text{higher sales}} \\ + \underbrace{(1-\rho)\frac{\overline{\theta}}{\overline{\mu}}\sum_{k=1}^{\infty}\rho^{k}\log \mu_{t}}_{\text{higher markups}} - \underbrace{(1-\rho)e^{\overline{fc}}\sum_{k=1}^{\infty}\rho^{k}fcy_{t}}_{\text{lower fixed costs}} \\ - \underbrace{\sum_{k=1}^{\infty}\rho^{k}\log R_{t+k+1}}_{\text{lower discount rates}}$$

- ► Important limitation of Campbell-Schiller decomposition: atheoretical
- What does it mean to have "market power term"?
 - ► Term does not move if market power does not move
 - ► Yet, does it represent economic/causal contribution of market power on valuations?

► For example, an alternative decomposition for cash-flows could be

$$CF_t = Y_t - VC_t - FC_t$$

$$= \underbrace{Y_t - \frac{1}{\mu_t} Y_t}_{\text{Monopoly rents}} + \underbrace{\frac{1}{\mu} Y_t - VC_t - FC_t}_{\text{Ricardian rents}}$$

▶ Would lead to different decompositions and importance of market power

Comment 2: Cross-Sectional vs Aggregate

- ▶ One key limitation of the De Loecker (et al) article relates to firm composition
 - Weighting by costs versus sales
 - Heterogeneity
- ▶ Given this, not sure how to interpret homogeneous VAR with firm-level data
 - ightharpoonup valuation to sales is different over firms (ρ in paper)
 - lacktriangle Average market up very different across industries (ϕ_1 in paper)

Comment 3: Predicting Markup

- ightharpoonup One of the most interesting results is \neq realized vs predicted markups
- ► Empirically: this could be treated as a "simple" prediction problem
 - ► Maybe could use something more transparent than the VAR framework
 - ► Maybe explain more what is explaining your results
- ► Theoretically: what does it mean for a firm to have high expected market power tomorrow but not today?

Conclusion

- ► Great paper: clear, topical, & interesting
- ► Would encourage the authors to
 - 1. Clarifies the causal effect of markups in firm valuation
 - 2. Makes more transparent the variation in data that generates their results