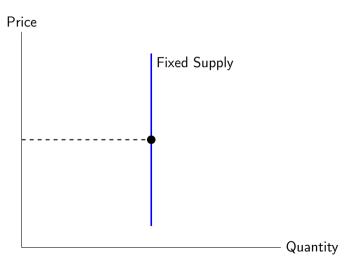
# How Competitive is the Stock Market? Theory, Evidence from Portfolios, and Implications for the Rise of Passive Investing

Valentin Haddad

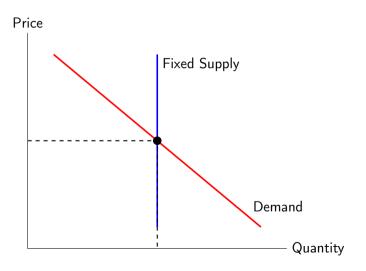
Paul Huebner
Stockholm School of
Economics

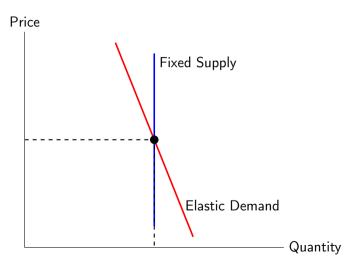
Erik Loualiche
University of Minnesota
Carlson School of
Management

University of Minnesota, Carlson School of Management
Finance Advisory Board Meeting
March 2025

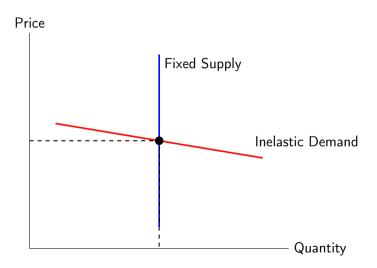


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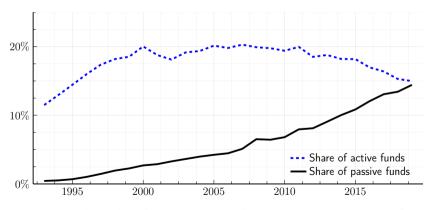
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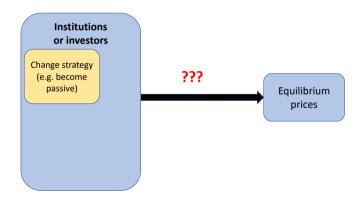
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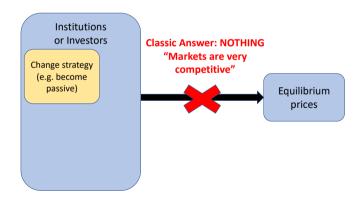
#### The Rise of Passive Investing

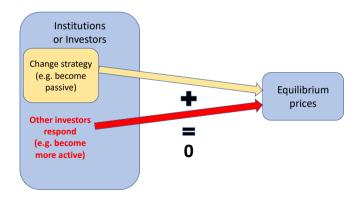
Active and passive (+ ETF) mutual funds as fraction of US total market cap. (source: ICI)

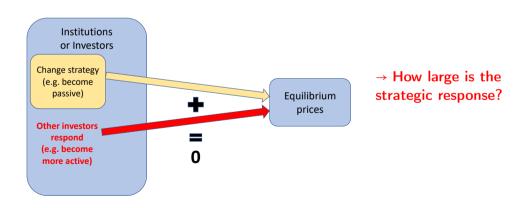


→ How does this change prices and investment opportunities?

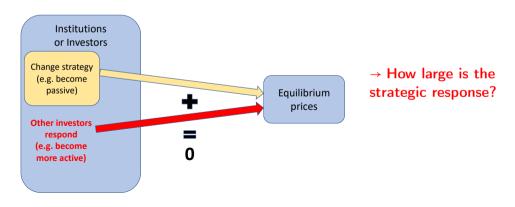








- The rise of passive investing
- Regulated financial intermediaries trading more conservatively
- An "arbitrageur" (e.g. Melvin Capital) going bust



# Framework: how to estimate the strategic response of investors?

■ Simple statistic, degree of strategic response  $\chi$ :

how much does my demand elasticity respond to the aggregate demand elasticity?

■ If someone stops looking for \$20 bills on the floor, how much harder do you look?

#### Measurement: quantify the degree of strategic respo

- Demand system of investors' portfolio
  - Understand and account for large heterogeneity across stocks and investors
- Two-step equilibrium
  - ▶ Competition for the asset: Prices so that investor demands clear market
  - ▶ Competition in strategies: Investor interactions in choosing their demand elasticities

#### Results: strategic responses in the US stock market

#### On the strategic response ...

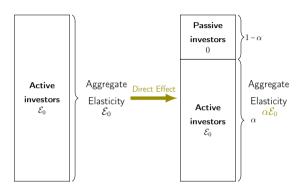
- Strategic response much weaker than standard finance
- Direct effect of changes in individual behavior reduced by 60%

#### On the rise of passive investing ...

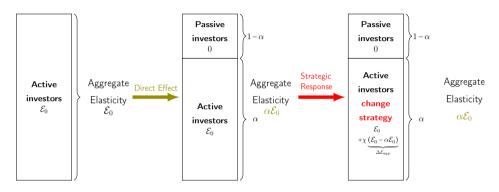
- Rise of passive investing leads to 15% more inelastic aggregate demand curves for individual stocks
  - ▶ If buying \$1 of a stock used to raise its price by \$2.5, now the response is \$3
  - More volatility, less liquidity

 $\begin{array}{c|c} \textbf{Active} & & \mathsf{Ag} \\ \textbf{investors} & & \mathsf{El} \\ \mathcal{E}_0 & & & \end{array}$ 

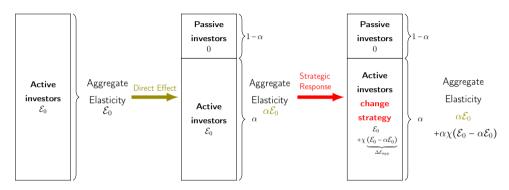
Aggregate Elasticity  $\mathcal{E}_0$ 



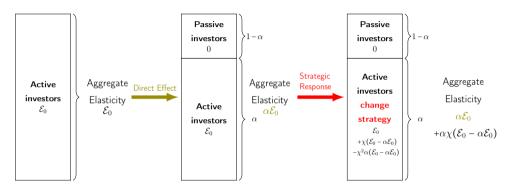
- Empirical increase in fraction of passive investors:  $\alpha = 70\%$ 
  - ▶ No strategic response  $(\chi = 0)$ : proportional reduction,  $\mathcal{E}_{NEW} = \alpha \mathcal{E}_0 = 70\% \times \mathcal{E}_0$



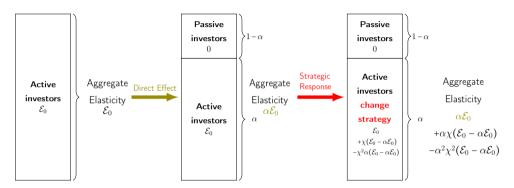
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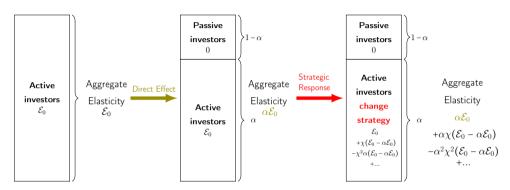
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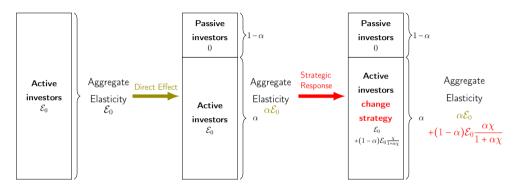
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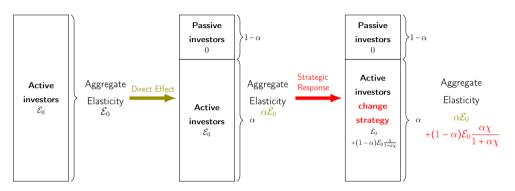
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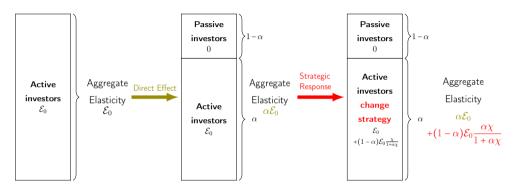


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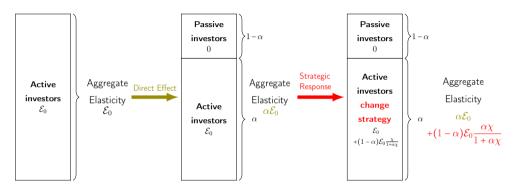


- Empirical increase in fraction of passive investors:  $\alpha = 70\%$ 
  - No strategic response ( $\chi = 0$ ): proportional reduction,  $\mathcal{E}_{NEW} = \alpha \mathcal{E}_0 = 70\% \times \mathcal{E}_0$
  - ▶ "Perfectly competitive financial markets"  $(\chi \to \infty)$ : nothing happens,

$$\mathcal{E}_{NEW} = \alpha \mathcal{E}_0 + (1 - \alpha)\mathcal{E}_0 = \mathcal{E}_0$$



- Empirical increase in fraction of passive investors:  $\alpha = 70\%$ 
  - ▶ Identify the *constant* degree of strategic response using the cross-section  $\rightarrow \chi = 2$



- Empirical increase in fraction of passive investors:  $\alpha = 70\%$ 
  - ▶ Identify the *constant* degree of strategic response using the cross-section  $\rightarrow \chi = 2$
  - $\Rightarrow \mathcal{E}_{NEW} = 87.5\% \times \mathcal{E}_0$  (vs 100% with full response and 70% without strategic response)

#### Outline

1 Quantitative Model

#### Data

- Stock level data
  - CRSP and COMPUSTAT
  - ▶ Price and characteristics: book equity, dividends, profitability, investment
- Portfolio data
  - ▶ 13F filings from SEC, 2000–2020 (Backus, Conlon and Sinkinson, 2020)
  - Every institution with AUM over \$100m reports stock positions quarterly
  - ▶ Includes 80% of total ownership in U.S. stock market (2008)
  - Residual for market clearing collected as "households"
  - ▶ Each quarter: keep track of 1300 investors and 2800 stocks

#### **Quantitative Model**

■ Portfolio choice represented by a logit in portfolio shares  $w_{ik}$  (Koijen Yogo 2019)

$$\underbrace{\log \frac{w_{ik}}{w_{i0}} - p_k}_{\text{relative demand}} = \underbrace{-\mathcal{E}_{ik} \ p_k}_{\text{price elasticity}} + \underline{\underline{d}_{0i}} + \underline{\underline{d}'_{1i}} X_k + \epsilon_{ik}$$

$$\mathcal{E}_{ik} = \underbrace{\mathcal{E}_{0i} + \mathcal{E}'_{1i} X_k}_{\text{baseline elasticity}} - \underbrace{\chi \mathcal{E}_{agg,k}}_{\text{strategic response}}$$

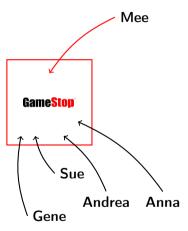
- Baseline demand  $\underline{d}_i$
- lacksquare Baseline elasticity  $\underline{\mathcal{E}}_i$ 
  - Embeds Koijen Yogo 2019, who assume no competition:  $\chi = 0$
- Passive investors:  $\mathcal{E}_i = 0$  (includes index investing, identified using KY elasticity)

#### Three Challenges for Estimation

- Reflection problem (Manski 1993)
- Endogeneity in demand estimation
  - Koijen-Yogo (2019) price instrument + model-based instruments for aggregate elasticity
- Implementation
  - ▶ An efficient algorithm to run large dimensional regressions and solve all the equilibria simultaneously: process each quarter of data in about 2 minutes

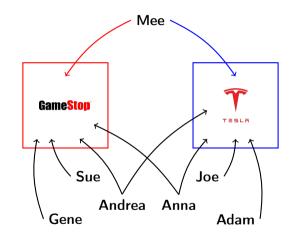
#### The Reflection Problem

- Does Mee trade GameStop agressively because
  - she is an agressive trader: high  $\underline{\mathcal{E}}_i$
  - of the influence of other traders



#### The Reflection Problem

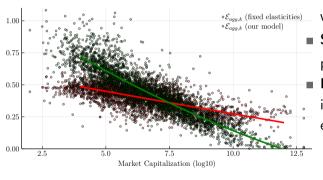
- Does Mee trade GameStop agressively because
  - she is an agressive trader: high  $\underline{\mathcal{E}}_i$
  - of the influence of other traders
- → Mee faces a different mix of other investors for different stocks



# Estimates of Strategic Response $\chi$

- Degree of strategic response estimate stable over time,  $\chi = 2.15$
- Substantial individual response: The same investor responds less to price movements for assets with more aggressive investors than assets with less aggressive investors
  - $\triangleright$  If all other investors are more elastic by 1, lower my elasticity by 2.15
- $\blacksquare$  Far from "competitive financial markets",  $\chi \ll \infty$ 
  - ▶ In simple calculation, needed  $\chi > 18$  to compensate 90% of direct effect

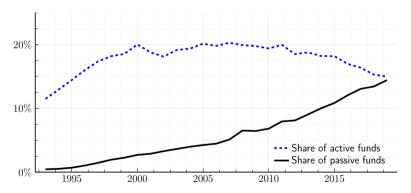
#### Estimates of Aggregate Elasticity by Stock



- Elasticities are low  $\approx 0.4$ : consistent with previous studies
- Size effect: less willing to adjust positions with large weights
  - Less cross-sectional variation: important to account for the elasticity equilibrium
    - If an active investor shows up in one stock, others become more passive

#### The Rise of Passive Investing

Active and passive (+ ETF) mutual funds as fraction of US total market cap. (source: ICI)



■ In our estimation, fraction of active investors down from 81% to 59% from 2001 to  $_{15}$ 

#### The Rise of Passive Investing

#### What does the model predict about the effect of this trend?

Aggregate elasticity equilibrium:

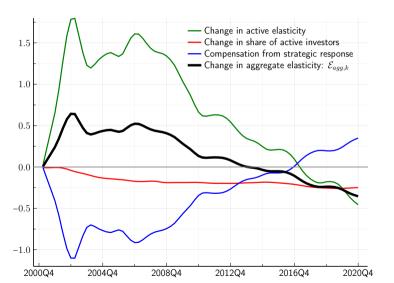
$$\mathcal{E}_{agg,k} = \underbrace{|A_k|}_{\text{fraction active}} \times \underbrace{\mathbf{E}\left(\underline{\mathcal{E}}_{ik} \middle| i \in A_k\right)}_{\text{avg. active elasticity}} \times \underbrace{\frac{1}{1 + \chi |A_k|}}_{\text{general equilibrium}}$$

- Effect of change in active share:
  - Assuming random investors switch:

$$\frac{d \log \mathcal{E}_{agg}}{d \log |A|} = \frac{1}{1 + \underbrace{\chi}_{2.15} \underbrace{|A|}_{68\%}} = 40.6\%$$

Elasticities drop by  $40.6\% \times 32\% = 13\%$ 

# **Decomposing Actual Changes in Elasticity**



# Implications for Price Dynamics

The rise of passive investing decreased elasticities by 13%

elasticity ↓ ⇒ volatility ↑, price informativeness ↑, liquidity↓

## **Beyond Passive Investing**

Lack of strategic response implies that:

- There are profitable trading opportunities where others haven't stepped in yet
- There are crowded trades that many take even if unprofitable
- **Key source of information**: follow where different investors are going, analyze holdings data

#### **Conclusion**

- Degree of strategic response  $\chi$ : useful statistic to understand the equilibrium effect of changes in specific investors' behavior
  - A tractable approach: 2-layer equilibrium
- Stock market far from the "perfectly competitive ideal",  $\chi = 2 \ll \infty$ 
  - Dampen direct effects by 60%
- Rise of passive investing leads to 15% more inelastic markets
  - Effect on cross-section of stocks in the paper
- More applications:
  - Financial health and regulation of intermediaries
  - Role of big data
  - International finance: what if China stops buying treasuries?