Applied Machine Learning

Course number: W207

Applied Machine Learning

Lecture 8 ...

- Project requirements
- SVM (white board example)
- Comparison of ML algorithms discussed in class
- Fourier transform, DFT, FFT and IFFT, variations
- Audio, Speech, Phonemes, Formants, etc.

Scipy Modules

- Here is a list of some of the most common Scipy modules:
 - Scipy.fftpack contains Fast Fourier Transforms (FFTs)
 - Scipy.integrate contains a variety of integrating functions
 - Scipy.interpolate contains a variety of interpolation classes
 - Scipy.io functions for reading and writing data from/to a variety of file formats
 - Scipy.io.wavfile read/write data from/to a variety of file formats 'wav','arff', etc.
 - Scipy.linalg contains linear algebra routines
 - Scipy.ndimage contains many functions for multi-dimensional image processing
 - Scipy.signal rich filtering capabilities, wavlets, spectral analysis, and much more
 - Scipy.optimize local optimization package and root finding
 - Scipy.spatia nearest neighbor queries and distance functions
 - Scipy.stats large number of probability distributions and statistical functions
 - Scipy.special large variety of functions such as: elliptic, bessel, legendre, etc.
 - Scipy.misc variety of other functions

Scipy FFT

- FFT
 - scipy.fftpack vs numpy.fft:
 - Some of the NumPy code is exported through Scipy, hence there are similarities between the two packages:

```
scipy.sin = numpy.sin, etc. - cpy.sin(90)
0.89399666360055785

npy.sin(90)
0.89399666360055785
```

Scipy FFT

- The Scipy FFTpack
 - scipy.fftpack vs numpy.fft:
 - the scipy.fftpack does much more on top of what numpy.fft offers:
 - » fft and ifft the Discrete Fourier Transform and its inverse of real or complex sequence of numbers
 - » fft2 and ifft2 2D discrete Fourier transform and its inverse
 - » fftn and ifftn multidimensional discrete Fourier transform and its inverse
 - » dct and idct Discrete Cosine Transform of arbitrary type sequence
 - » dst and idst Discrete Sine Transform of arbitrary type sequence
 - » tilbert and itilbert the h-Tilbert transform of a periodic sequence and its inverse
 - » hilbert and ihilbert Hilbert Transform of a periodic sequence and its inverse
 - » fftfreq the Discrete Fourier Transform sample frequencies
 - » convolve performs convolution on a given signal
 - » ... and more

Working with files – sound 1/4

```
In [35]: from scipy.io.wavfile import read
In [36]: (fsx, x) = read('files/lecture8/alex_mono.wav')
In [37]: print(len(x.shape)) # '1' is mono
In [38]: print(x[:,]) # to access the channel no digit is used after ','
[-4 43 23 ..., 27 42 -3]
In [39]: x
Out[39]: array([-4, 43, 23, ..., 27, 42, -3], dtype=int16)
In [40]: (fsy, y) = read('files/lecture8/alex stereo.wav')
In [41]: print(len(y.shape)) # '2' is stereo 2-dimensional array
In [42]: y
Out[42]:
array([[-4, -4],
       [44, 43],
       [20, 23],
       [26, 29],
       [43, 41],
       [-4, -3]], dtype=int16)
In [43]: print(y[:,0]) # to access each channel separately use '0' or '1'
[-4 44 20 ..., 26 43 -4]
In [44]: print(y[:,1])
[-4 43 23 ..., 29 41 -3]
```

reading .wav files

Working with files – sound 2/4

```
# More on sound:
    # Example 1:
   from pylab import linspace, plot, title, xlabel, ylabel, grid, axis
   from scipy.io.wavfile import read
    (Fs, x) = read('files/lecture8/alex mono.wav') # Fs - sampling frequency, x - signal
    length = len(x) # number of smaples in 'x'
    time = length/Fs # calculate the length of the .wav file in secs
    t = linspace(0,time,length) # create evenly spaced numbers between [0:time]
76
    plot(t,x) # plot signal 'x'
    title('Sound plot of a .wav file')
                                                                     M Figure 1
78
    xlabel('Time')
    ylabel('Amplitude')
80
    axis('tight')
                                                                Sound plot of a .wav file
81
    grid(True)
                                                10000
```

5000

-5000

-10000

-15000

0.5

1.0

1.5

Time

2.0

plotting .wav files

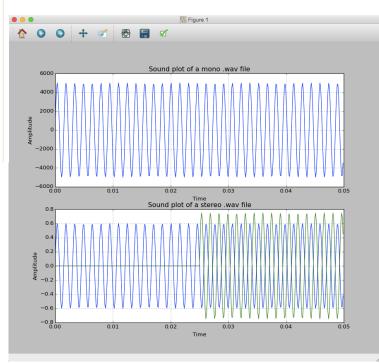
- Working with files sound 3/4
 - lets create a (pseudo) stereo music from a single (mono) channel

```
## Example 3 - manipulating sounds - creating pseudo-stereo from mono:
                      from numpy import zeros, concatenate
                  131
                       from scipy import fft, arange, ifft, sin, pi
                  132
                  133
                        from scipy.io.wavfile import read, write
                  134
manipulating
                  135
                       (Fs, x) = read('files/lecture8/melody.wav')
                  136
                              # contains all the samples
way files
                  137
                        v = x # we create the second channel
                  138
                       z=zeros([200]) # create an array of zeros
                  139
                       # 1. Time/Phase shift the two channel:
                  140
                        L=concatenate((x,z)) # we add zeros after the 'x' signal to create Left channel
                        R=concatenate((z,y)) # we add zeros before the 'y' signal to create Right channel
                  141
                  142
                       A=zeros([len(L),2]) # we now create the array to store 'x' and 'y' as L and R
Note: this is not
                  143
                       A[:,0]=L # we assign the Left channel
a true stereo
                       A[:,1]=R # we assign the Right channel
                  144
                  145
                       # 2. Amplitude change:
Signal
                  146
                       A[:,0]=A[:,0]*1.2e-4 # we decrease the amplitude on the Left to avoid clipping
                       A[:,1]=A[:,1]*1.5e-4 # ampl. decrease on Right channel is more since it is delayed
                  147
                  148
                  149
                      # we write the file:
                  150 write('files/lecture8/melody stereo.wav',Fs,A)
```

- Working with files sound 4/4
 - we plot the mono and stereo music we just created

```
## Lets plot the mono and pseudo-stereo sounds:
153
     from pylab import linspace, plot, subplot, title, xlabel, ylabel, grid, pause
154
155
     length = len(L) # number of smaples in either channel 'L' (they are equal)
156
     time = length/Fs # calculate the length of the .wav file in seconds
157
     t = linspace(0,time,length) # create evenly spaced numbers between [0:time]
158
159
     subplot(2,1,1)
160
     plot(t[0:400],L[0:400]) # plot the first 400 samples from the mono signal 'L'
     title('Sound plot of a mono .wav file')
161
162
     xlabel('Time'); ylabel('Amplitude'); grid(True)
163
164
     subplot(2,1,2)
     plot(t[0:400],A[0:400]) # plot the first 400 samples from the stereo signal 'A'
165
    title('Sound plot of a stereo .wav file')
     xlabel('Time'); vlabel('Amplitude'); grid(True)
168
     pause(1)
```

manipulating .wav files



- The Fast Fourier Transform quick intro
 - FFT is the faster implementation of the DFT
 - FFT is the basis for frequency analysis that converts any signal in time to frequency domain
 - fft is the Fast Fourier Transform (FFT) coverts time-domain signals to frequency-domain
 - ifft is the Inverse Fast Fourier Transform (IFFT) and coverts frequency to time-domain
 - the Fourier transform is represented like this (ex: an audio signal):

$$X_k = \sum_{n=0}^{N-1} x_n e^{-i2\pi k \frac{n}{N}}$$
 Or $\hat{f}(\xi) = \int_{-\infty}^{\infty} f(x) e^{-2\pi i x \xi} dx$

where: $[x_0, ..., x_{N-1}]$ are complex conjugate numbers and [k=0, ..., N-1]

the most commonly used FFT is the Cooley—Tukey algorithm

- The Fast Fourier Transform quick intro
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 - the Fourier transform is represented like this (ex: an image):

$$F(k,l) = \sum_{i=0}^{N-1} \sum_{j=0}^{N-1} f(i,j) e^{-\iota 2\pi (\frac{ki}{N} + \frac{lj}{N})}$$

where: where f(a,b) is the image in the spatial domain and F(k,l) corresponds to each pixel

the most commonly used FFT is the Cooley—Tukey algorithm

The Fast Fourier Transform

represents frequency in [Hz] ->

FFT example: Example: from numpy.fft import rfft 244 from scipy import arange, sin, pi, fft, real ,imag, log10 245 from scipy.io.wavfile import write 246 from matplotlib.pyplot import figure, plot, subplot, axis, grid - notice that we only 247 248 from pylab import xticks, yticks, xlim, ylim, xlabel, ylabel, title import what we need 249 250 Fs=4000 # sampling frequency 251 a = arange(1024) # create a vector holding the number of bins 252 signal1 = sin(2*pi*a*(650/Fs))# create a tone with frequency = 650Hz - we add three simple 253 signal2 = sin(2*pi*a*(1150/Fs))# create a tone with frequency = 1.15kHz 254 signal3 = sin(2*pi*a*(1450/Fs))# create a tone with frequency = 1.425kHz tones to create one 255 signal4 = sin(2*pi*a*(1250/Fs))# create a tone with frequency = 1.25kHz 256 complex tone 257 # Create a complex tone: signal = signal1 + signal2 + signal3 258 259 # Take the FFT of the complex signal: 260 - to go from freq domain npy = rfft(signal) # using npy 261 time domain to freq domain cpy = fft(signal) # using cpy 262 # calculate the value of each frequeny bin in [Hz] 263 bin val = Fs/len(a)frequency domain 264 bin val # each bin in [Hz] we use fft in two ways 265 t = arange(1,Fs/2+2,bin val) # create a vector of frequency bins in [Hz] 266 267 # Save into a way file: write('files/lecture8/fft file example.wav',Fs,signal) # save to file - each frequency bin

In [113]: bin val # each bin in [Hz]

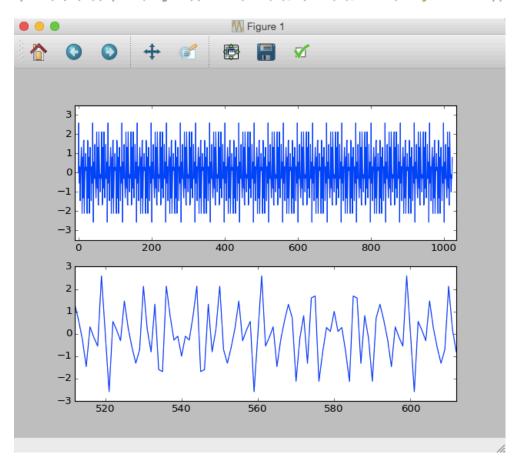
Python —

Out[113]: 3.90625

The Fast Fourier Transform

```
Example:

# Plot the raw Time domain signal:
figure(1), subplot(2,1,1), plot(signal), xlim(-10, len(a)+10), ylim(-3.5,3.5)
subplot(2,1,2), plot(signal), xlim(len(a)/2,len(a)/2+100) # just a snipped of the signal
```



The Fast Fourier Transform

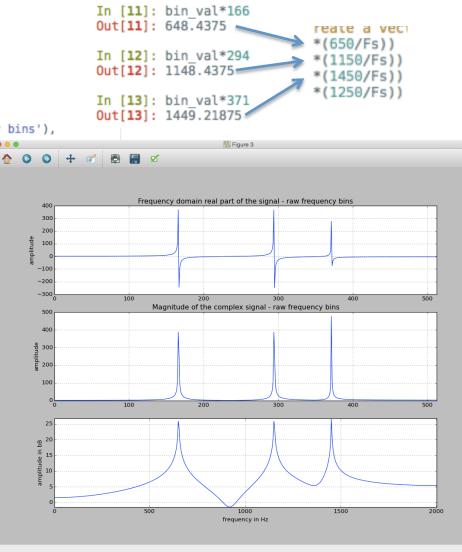
Plot the Frequency domain of 'signal4': figure(2), plot(rfft(signal4)) # observe the quantization noise due to rounding errors Example: grid(True) M Figure 2 1.0 le-11 0.5 -1.8- observe the quantization noise -1.9 due to rounding -2.0 errors -0.5-2.1 pan/zoom, x=319.574 y=-2.1052e-11 we obtain the frequency in [Hz]: Python 🚽 📝 🍃 🔼 🔞 In [114]: bin val*320 Out[114]: 1250.0 -2.5100 200 300 400 500 600

The Fast Fourier Transform

Example:

```
# Plot the Frequency domain signal using numpy:
279
     figure(3)
     subplot(3,1,1),
280
     title('Frequency domain real part of the signal - raw frequency bins'),
     plot(freq domain npy),
     xlim(0,len(a)/2).
     vlabel('amplitude'),
283
284
     arid(True)
285
286
     # Plot the magnitude of the complex signal output:
287
     subplot(3,1,2),
288
     plot(abs(freq domain cpy)),
     title('Magnitude of the complex signal - raw frequency bins'),
289
290
     xlim(0,len(a)/2).
291
     vlabel('amplitude'),
292
     arid(True)
293
294
     # Plot in dB scale:
295
     subplot(3,1,3),
296
     plot(t,10*log10(freg domain npy)),
     xlabel('frequency in Hz'),
297
298
     ylabel('amplitude in bB'),
299
     axis('tight'),
     grid(True)
```

- notice the difference in the x scales

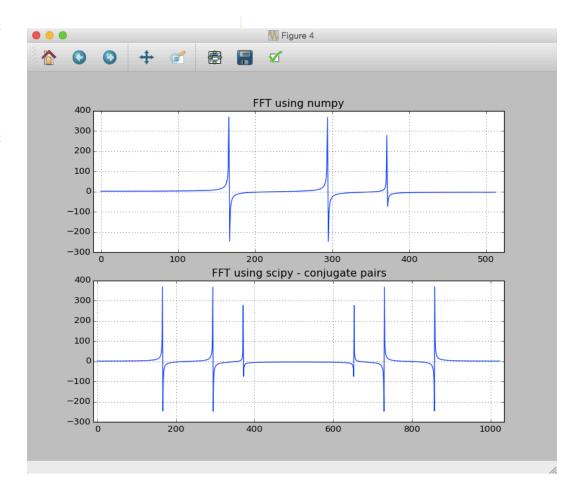


The Fast Fourier Transform

Example:

```
# Plot the Frequency domain signal using numpy:
303
     figure(4)
304
     subplot(2,1,1),
     plot(freq domain npy),
305
306
     xlim(-10,len(t)+10),
307
     title('FFT using numpy'),
308
     grid(True)
309
310
     # Plot the Frequency domain signal using scipy:
     subplot(2,1,2),
311
312
     plot(freq domain cpy),
     xlim(-10,len(freq domain cpy)+10),
313
     title('FFT using scipy - conjugate pairs'),
314
     grid(True)
315
384
     pause(1)
```

 notice the difference between:
 rfft from NumPy and fft from Scipy



- Signal Processing sound processing: spectrogram
 - spectrogram is a 3-D way of visualizing the frequency domain of any given signal
 - spectrograms are 3-D because they represent frequencies and their magnitudes over time in a given signal
 - signals are usually: sounds, music and speech, but can also be image signals
 - sometimes spectrograms are referred to as waterfalls, voiceprints, or voicegrams
 - they are the perfect tool for phonetic analysis in visualizing spoken words
 - spectrogram visualizing functionality can be uploaded in one of two ways:

```
In [1]: from pylab import specgram ... or
In [1]: from matplotlib.pyplot import specgram
```

- sometimes the spectrogram format varies and the vertical and horizontal axes can be switched
- spectrograms are usually generated in two ways, by using:
 - FFT calculated from a given time signal
 - Filterbanks resulting from a sequence of bandpass filters

- Signal Processing sound processing: spectrogram
 - here are some of the parameters users have control over:
 - Fs the sampling frequency calculating the Fourier frequencies, in cycles per time
 - NFFT the amount of frequency bins represented in each FFT window
 - window type used Hamming, Hanning, Bratlett, Blackman, Kaiser
 - noverlap amount of overlap between window blocks. the default overlap is 128 samples
 - mode type of spectrogram to visualize: { 'psd' | 'magnitude' | 'angle' | 'phase' }, where:
 - psd is the power spectral density
 - magnitude is the magnitude spectrum
 - angle represents the phase spectrum without unwrapping
 - phase is the phase spectrum with unwrapping
 - scale how the data should be displayed {'default' | 'linear' | 'dB' }, where:
 - default linear
 - linear means no scaling will be used
 - dB when mode=psd' the dB scale is (10*log10), otherwise it is (20*log10)
 - Fc the center frequency can be controlled
 - cmap is the colormap chosen

Signal Processing – sound processing: spectrogram

Example:

```
# Signal Processing:
    ## 1. Spectrogram:
    from pylab import specgram, plot, subplot, title, xlabel, ylabel, grid, axis, xlim, ylim, pause
 7
    from scipy.io.wavfile import read
 8
9
    (Fs, x) = read('files/lecture9/melody.wav') # Fs - sampling frequency, x - signal
10
    # Lets plot signal 'x':
11
12
    subplot (2,1,1)
13
    plot(x)
   xlim([-50,29750]); ylim([-5800,5800]) # limit it to the first 6 tones only
14
   title('Plot the first 6 tones of our melody')
    xlabel('Samples in time'); ylabel('Amplitude')
    grid(True)
17
                                                                          18
19
   # Now we plot the spectrogram of the first 6 tones:
20
    subplot(2,1,2)
    xlabel('Time, [sec]'); ylabel('Frequency, [Hz]')
    specgram(x[0:29750], NFFT=512, Fs=Fs, noverlap=64, mode='magnitude')
23
    pause(1)
                                                                           至 2500
                                                                            2000
                                                                            1500
```

Signal Processing – sound processing: spectrogram

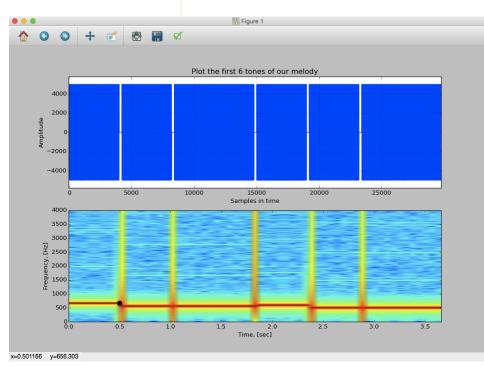
Example:

lets recall the code snipped from the melody:

and the melody: E C# C# D B B A B C# D E E E E C# C# D B B A C# E E A A A

Al = note(440, Fs, 0.8, amplitude=5000)

- notice how the frequency tones are represented by the 'hottest' red line in the spectrum
- we also notice how the timing of each tone corresponds to 0.5 and 0.8 sec
- for E: x=0.501166 [sec], y=656.303 [Hz]



Signal Processing – sound processing: speech

Vowels and phonemes in American – English

We use five letters to represent the vowel sounds: a, e, i, o, u

Words∂	Ladefoged (2006)	Roach (2009)	Words₽	Ladefoged (2006)₽	Roach (2009)
f <u>ee</u> t ★₽	/ i /₽	/i <u>r</u> /₽	b <u>ir</u> d ★ ₽	/ <mark>3/,/3</mark> ~/4 ³	/31/↔
h <u>ar</u> d★₽	/α/₽	/a:/₽	b <u>e</u> d ★ ₽	/ε/↩	/e/₄³
f <u>oo</u> d ★ ₽	/ u /₽	/u:/↔	<u>a</u> ttend₽	/9/√	/9/43
l <u>or</u> d★₽	/ɔ/↩	/31/₽	b <u>oo</u> k₽	/υ/↩	/ U /4 ³
h <u>o</u> t ★ ₽	/a/(GA),↔	/10/√□	go★₽	/ou/(GA)↔	/əʊ/↩
	/p/ (RP)+3			/əʊ/(RP),₽	
b <u>u</u> s,₽	/ V /4 ³	/ V /€3	b <u>oy</u> ₽	/>IC\	/>IC\
b <u>oo</u> k₽	/ʊ/↩	/υ/↔	b <u>i</u> g₽	/I/↔	/I/43
d <u>ea</u> r,₽	/I9/€	/ie/42	care★₽	/€ə/↩	/eə/₽
b <u>i</u> ke₽	/aɪ/↔	/aɪ/4 ²	h <u>ow</u> ₽	/au/ <i>↩</i>	/au/₽
c <u>a</u> ke₽	/eI/₄ ³	/eɪ/↩	t <u>our</u> ₽	/ʊə/₽	/ʊə/↩

IPA fonts in Ladefoged (2006) and Roach (2009)

Signal Processing – sound processing: speech

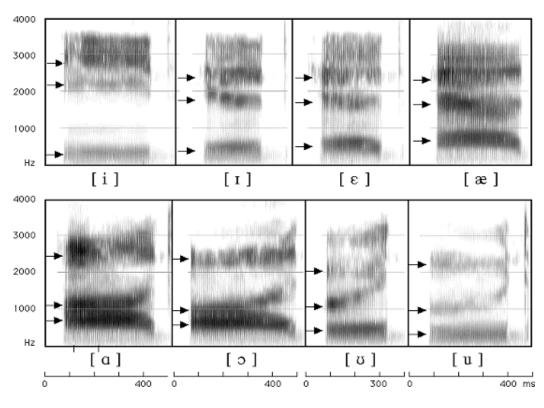
Formants are resonances in the vocal tract

Each vowel is formed by formants: a concentration of acoustic energy around a specific frequency

Each formant has a different center frequency with higher amplitude

Formants for different genders or kids vary

Spectrograms of the American English Vowels



(Ladeforged 2006:185-187)

Signal Processing – sound processing: speech

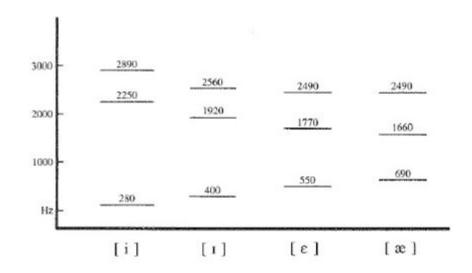
Spectrograms of the American English Vowels

Formants are resonances in the vocal tract

Each vowel is formed by formants: a concentration of acoustic energy around a specific frequency

Each formant has a different center frequency with higher amplitude

Formants for different genders or kids vary



(Ladefoged & Johnson, 2011:193)

Signal Processing – sound processing: speech

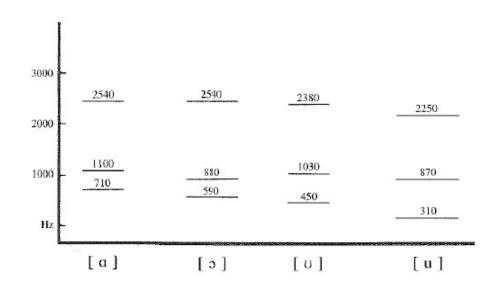
Formants are resonances in the vocal tract

Each vowel is formed by formants: a concentration of acoustic energy around a specific frequency

Each formant has a different center frequency with higher amplitude

Formants for different genders or kids vary

Spectrograms of the American English Vowels



(Ladefoged & Johnson, 2011:193)

Signal Processing – sound processing: speech

Formant frequencies for each vowel

We use five letters to represent the vowel sounds: a, e, i, o, u

use LPC for formant estimation from Audiolazy:

pip install audiolazy

	Vowel	F1(Hz)	F2(Hz)	F3(Hz)
	i:	280	2620	3380
	I	360	2220	2960
	e	600	2060	2840
	æ	800	1760	2500
	Λ	760	1320	2500
\longrightarrow	a:	740	1180	2640
	D	560	920	2560
	3:	480	760	2620
	U	380	940	2300
	u:	320	920	2200
	3!	560	1480	2520

Adult male formant frequencies in Hertz collected by J.C.Wells around 1960. Note how F1 and F2 vary more than F3.

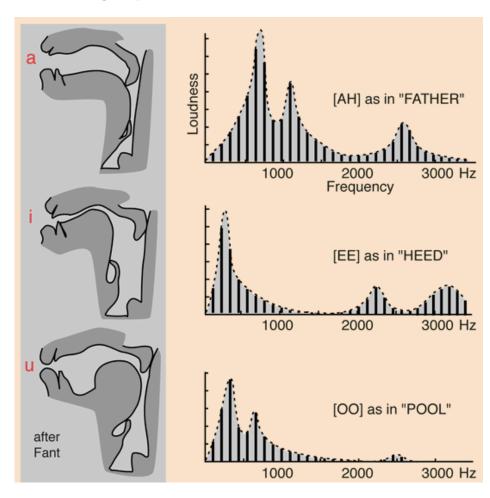
Signal Processing – sound processing: speech

See levels for each formant

Each vowel is formed by formants

Each formant has a different frequency and amplitude

Formants for different genders or kids vary



Feature Extraction – glottal signal

The Glottal Signal:

conveys speaker identity, mode of speaking airflow passing through the glottis creates voiced sounds: *vowels, semivowels, nasals, diphthongs, consonants*



Glottal waveform is greatly affected by the emotional state - Laukkanen et al., 1996

MRI - collected from **Centre for Speech Technology** and I'Institute da la Communication Parlee in Grenoble

Feature Extraction – glottal signal

Speech production model:

3 concatenated linear time-varying subsystems

