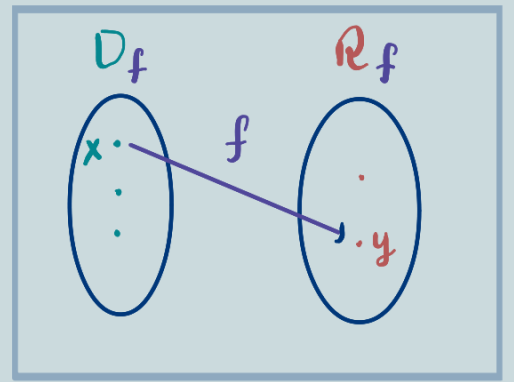


# Algebra

## #2, Linear Functions.

Function:  $f$

1. Input **one** number  $x$
2. Output **one** number  $f(x) = y$



We write:  $f(x) = y$ .

$D_f = \{ \text{all possible input} \}$  ;  $R_f = \{ \text{all possible output} \}$   
"the Set of" "the Set of"  
Domain Range

Linear Function:

$y(x) = mx + c$  ,  $m, c$  constants

Why linear? Looks like a line!

→ A linear function is determined by  
 $\begin{cases} (2, 4) = (x_1, y_1) \\ (1, 2) = (x_2, y_2) \end{cases}$

1.  $m$ , slope

$$\rightarrow m = \frac{\text{change in } y}{\text{change in } x} = \frac{2}{1} = \frac{y_2 - y_1}{x_2 - x_1} = \frac{y_1 - y_2}{x_1 - x_2}$$

2.  $c$ ,  $\rightarrow c = f(0)$

$$y(0) = m \cdot 0 + c = c$$

Key: For most word problems,

→  $c$  is the initial value, height, cost, ...

→  $m$  is the rate of change, growth, decay, ...

