

# An API for Autonomous Vehicle Steering Controllers

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**Abstract**—Software reusability is critical to the rapid development and certification of autonomous vehicles (AVs). However, little attention has been given to designing AV controllers for increased software reusability. In this paper we approach the design task from a software reusability perspective to specify an API between higher-level AV action planning and lower-level trajectory optimization. Clearly defining this interface confines hardware dependencies to the lower-level trajectory planning module, improving software reusability. We implement a nonlinear MPC controller in simulation to demonstrate the feasibility of this API in representing common traffic scenarios.

## I. INTRODUCTION

Advanced driver assistance systems (ADAS) and autonomous vehicles are a rapidly growing segment of the automotive industry. However, the rise of automotive software presents new challenges in software reusability. Developing an autonomy stack for a single vehicle is only the first step in bringing autonomous vehicles (AVs) to market. After developing a prototype AV, manufacturers must adapt their stack to vehicles with different capabilities. Software reuse is a key component of this process: if the stack can be certified once under standards such as ASIL and ISO 26262, then deployed to other platforms, AV manufacturers can rapidly enter all segments of the vehicle market.

Autonomous route planning, object recognition, and other high-level decision-making processes are hardware-agnostic. However, steering and acceleration control is tightly coupled to specific hardware. To optimize fuel efficiency, for example, a gasoline-powered vehicle must be driven differently than an electric-gas hybrid or fully electric vehicle with regenerative braking. In emergency situations, knowledge of tire-road interactions, vehicle inertia, center of gravity, and engine performance is critical to averting an accident [1]. Thus, lower level control algorithms are much less portable between different vehicles.

We approach AV steering and acceleration control from a software reusability perspective. We propose that an optimizing controller, requiring only information about its environment and desired behavior, reduces hardware dependencies in higher-level modules and enables AV software reusability. Moreover, this approach allows the desired driving behavior to be changed without re-tuning the controller. The proposed interface decreases software development and certification requirements.

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## II. THE AV STEERING AND ACCELERATION CONTROL PROBLEM

### A. Configurability

Major concerns with steering and acceleration control for autonomous vehicles include energy efficiency, passenger comfort, and safety. However, different applications of autonomy put different weight on these objectives. An autonomous truck prioritizes fuel efficiency. An autonomous taxi must avoid maneuvers that would cause discomfort or alarm to customers. Many ADAS-equipped vehicles in today's market offer the option of switching between different driving modes, for example 'sport' and 'eco-friendly' modes, which change the vehicle's performance. This suggests that fully autonomous consumer vehicles would be expected to offer the same type of configurable experience.

### B. Software Division at Waypoints

To reduce hardware dependencies, one could seek to simplify the low-level controller. Suppose our high-level software plans driving maneuvers (such as turning, stopping, or maintaining a safe distance from another vehicle) and decomposes these maneuvers into a trajectory of closely spaced waypoints specifying the vehicle's state over time. The low level controller tracks this trajectory. Unfortunately, without hardware knowledge informing the trajectory generation, the vehicle follows a sub-optimal path, limiting its ability to handle dynamic emergency situations. With hardware knowledge, the high-level route planner is tied to a specific AV platform.

### C. Software Division at Maneuvers

Alternatively, suppose we divide the software where driving maneuvers are specified. The low-level controller receives data about these maneuvers, including the road boundaries and specific, desired states (such as stopping at a stop sign or maintaining a safe distance behind another car). The controller then computes a trajectory using hardware-specific information. For example, a hybrid with regenerative braking can recover electric energy, while a vehicle without this capability may spend more time coasting to a stop and less time actively braking. A vehicle on a wet road can steer more conservatively. While the trajectory optimization is coupled to the hardware, the higher-level route planner is not.

### D. The Design Task

In this paper we divide hardware-dependent and hardware-independent software at the level of driving maneuvers: the low-level controller receives a driveable corridor, desired

speed, and specific objectives. The controller then computes a trajectory using hardware-specific knowledge. We propose an interface between low level and high level software capable of representing arbitrary driving maneuvers and present an example controller.

### III. PRIOR WORK

#### A. Classical Control for Trajectory Tracking

Proportional-integral-derivative (PID) controllers can be applied to steering and acceleration control; however, tuning the PID gains remains challenging. Mohajer et al. define a multi-objective problem to evaluate a trajectory for efficiency and passenger comfort, then apply a genetic algorithm to optimize PID gains offline [2]. This significantly reduces path tracking error and undesirable high-frequency control inputs over a baseline of hand-tuned PID gains. However, information about the vehicle's hardware is required to complete the PID tuning. The authors use 28 numerical parameters describing the vehicle's geometry, inertia matrices, and shock absorber performance to simulate the PID controller during the optimization process. This suggests in a practical application, the tuning procedure would need to be rerun for a variety of different configurations.

Classical control has been applied to complex vehicle models. Chebly et al. develop a multi-body model of the vehicle, using 21 bodies connected by joints to represent the chassis, suspension, steering, and wheels [3]. Their work uses 12 parameters including vehicle mass, inertia, and cornering stiffnesses of tires. The high fidelity of this vehicle model enables the steering and acceleration controller to perform well in highly nonlinear situations [3]. The authors also discuss the controller's robustness to errors caused by variations in the vehicle's mass or tire stiffness, verifying the controller can continue to track the reference trajectory with a  $\pm 30\%$  error in these parameters.

#### B. MPC Trajectory Tracking

Farag et al. apply model-predictive control (MPC) trajectory tracking to achieve high performance on tracks featuring tight curves and hairpin turns [4]. Notably, this performance is achieved with only two parameters: the distances  $l_f$  and  $l_r$  from the vehicle's center of mass to its front and rear wheels, respectively. The authors use a simple kinematic bicycle model for the vehicle, noting that this increases the algorithm's portability to different vehicles.

These simpler models appear in many MPC algorithms. Daoud et al. propose a dual-objective nonlinear MPC (NMPC) formulation for trajectory tracking, allowing an electric vehicle to switch between driving modes [5]. They use the kinematic bicycle model with an additional simplification: the center of gravity (CG) is assumed to be at the center of the wheelbase. Only one parameter is needed: the wheelbase length  $l$ . The front and rear axles are a distance  $l/2$  away from the CG. An additional parameter describes electric motor efficiency.

Finally, Beal et al. develop an MPC tracking controller for stabilizing a vehicle during extreme maneuvers [1]. Their

approach uses a more detailed model, including tire behavior, to account for the complex dynamics of these situations.

#### C. Trajectory Optimization

There are fewer trajectory planning controllers, likely due to the increased difficulty of design. Li et al. apply an inner model control framework to split the task into 2 parts: first, given a safe corridor, a trajectory and optimal control input is computed. Then an inner model controller driven by this signal is used to account for disturbances in the vehicle [6]. The authors select a bicycle model with three parameters:  $l_r$ ,  $l_f$ , and vehicle mass. They also use a linear approximation to model tire forces with two parameters for front and rear tire stiffness.

More recently, NMPC has been applied to directly compute the vehicle's state and control signals [7]. Micheli et al. use penalties and hard constraints to represent road boundaries, static obstacles, and moving obstacles in the nonlinear optimization problem. Though NMPC is computationally difficult, zero-order optimization approaches are also possible: Arrigoni et al. apply genetic algorithms to solve the difficult nonlinear optimization problem in real time [8]. NMPC trajectory planning has also been demonstrated on real AV hardware [9].

### IV. AN API FOR AV TRAJECTORY PLANNERS

We propose the following division (Fig. 1), focusing on the Trajectory Planning module. We define an API for the module's inputs and outputs and provide an example controller that implements our interface.

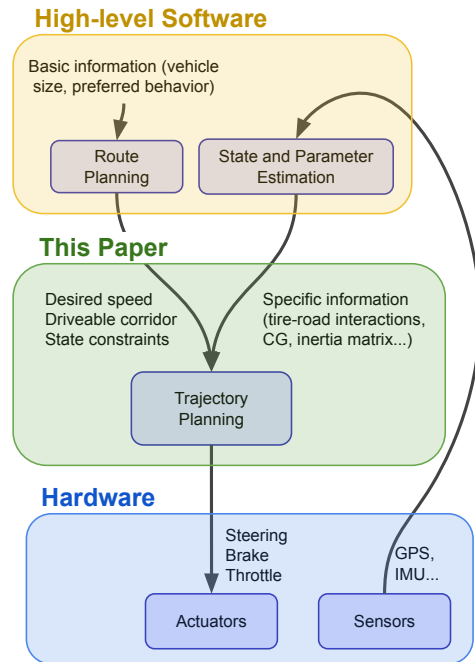


Fig. 1. Block diagram showing how this paper fits into a larger autonomy stack.

The proposed controller is initialized with vehicle-specific information, some of which may be estimated or changed

over time (for example, tire-road friction parameters). In addition it may query three functions provided by high-level software, described below.

#### A. Desired Speed

The desired speed is an estimate of the vehicle's speed provided by high-level software: for example, the speed of other traffic. The controller is not required to remain at this speed if a minor deviation yields improvement in other objectives.

The desired speed is a function of position and timestep: the vehicle can accelerate according to some profile. Providing both position and time enables the function to represent moving obstacles. The function accepts a point  $(x, y)$  in the driveable corridor and a timestep index  $k \in 1, \dots, N$ , then returns the desired speed at step  $k$ :  $v_{des,k}$  (a floating-point value).

$$\text{desired\_speed}(x, y, k) \rightarrow v_{des,k}$$

This can be used to construct a list of desired speeds for  $N$  timesteps:  $v_{des} = [v_{des,1}, \dots, v_{des,N}]$ .

#### B. Driveable Corridor

The driveable corridor function takes the vehicle's current position  $(x, y)$  and an offset  $s$ , returning a new center point  $(x_c, y_c)$  and angle  $\psi_c$  of the road centerline a distance  $s$  away from  $(x, y)$ . Additionally, it returns the distances to the left and right boundaries  $d_l$  and  $d_r$  (measured perpendicular to the center line) at  $(x_c, y_c)$  (Fig. 2).

$$\text{driveable\_corridor}(x, y, s) \rightarrow (x_c, y_c, \psi_c, d_l, d_r)$$

The center point is not necessarily the geometric center of the corridor; providing two boundaries allows turnouts and wide shoulders to be represented (Fig. 3). Additionally, the driveable corridor is not necessarily the entire road. If an obstacle encroaches on the road, the corridor will be reduced. Finally, the corridor representation fails to account for obstacles with free space on both sides. This will be addressed in Section IV-C.

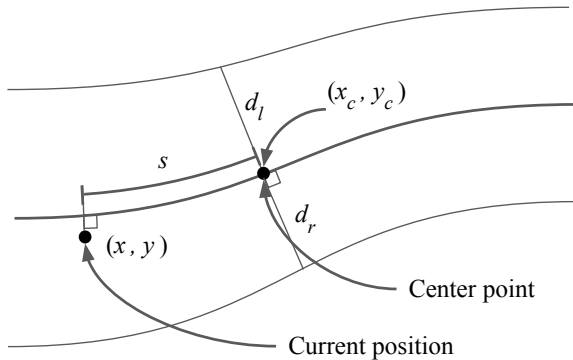


Fig. 2. The driveable corridor function accepts the current position  $(x, y)$  and offset  $s$ , then returns a new position  $(x_c, y_c)$  and distances  $d_l$  and  $d_r$  a distance  $s$  away from the current position.

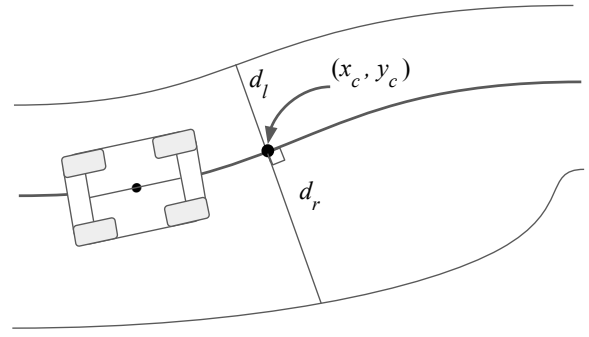


Fig. 3. This road has a wide shoulder. Using a left and right distance allows the centerline to represent the “center” a reasonable human driver would follow.

#### C. State Constraints

State constraints allow high-level software to ensure a safety or legal requirement is met. For example, a constraint could ensure the vehicle has 0 velocity at an  $x - y$  position corresponding to a stop sign. A time-dependent constraint could limit position to ensure a minimum following distance behind another vehicle. Finally, a constraint could keep the vehicle away from an obstruction in the driveable corridor. This accounts for the situation mentioned in Section (IV-B).

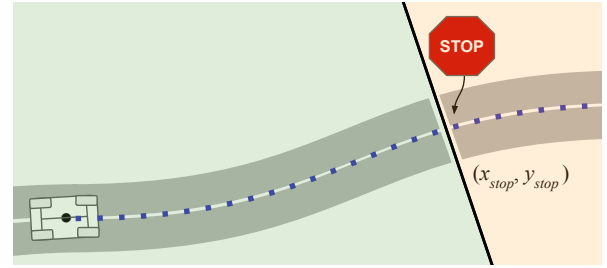


Fig. 4. When stopping, the vehicle must stay behind the line. Its position is constrained using a linear inequality to restrict it to the green region.

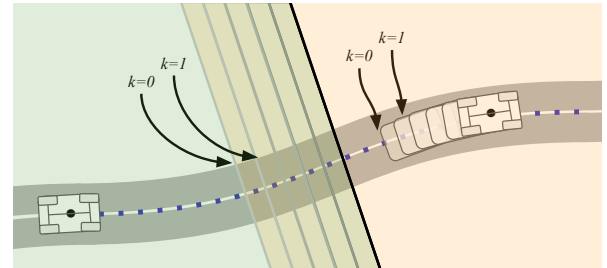


Fig. 5. The ego vehicle is following another car. The linear inequality moves at each timestep  $k = 1, \dots, N$ , to enforce a minimum safe distance.

To accommodate these and other situations, a constraint generator function takes an  $x - y$  position, a speed  $v$  (which may be the desired or estimated speed), and a timestep  $k = 1, \dots, N$ . It returns a function  $g$  representing a vector of inequality constraints on  $x_k, y_k, v_k$ : the vehicle's position and speed at timestep  $k$ . These constraints may be nonlinear and

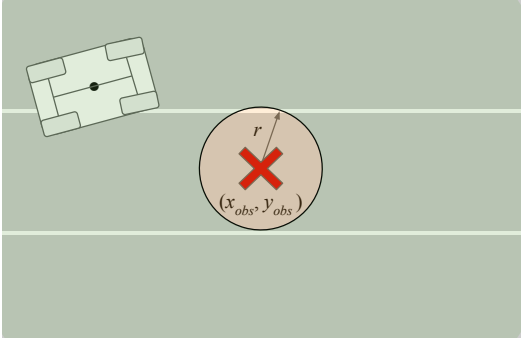


Fig. 6. An obstacle (X) obstructs one lane, creating a circular keep-out region of radius  $r$ . The vehicle must stay out of the circle, creating a nonconvex constraint  $(x - x_{obs})^2 + (y - y_{obs})^2 \geq r^2$

nonconvex (Fig. 6).

`constraint_generator( $z_k, k$ )  $\rightarrow g(\cdot, \cdot, \cdot)$`

The constraints are satisfied at step  $k$  if  $g(z_k) \leq 0$  (where  $z_k = [x_k \ y_k \ \psi_k \ v_k]$  is the state vector).

## V. IMPLEMENTATION

We implemented an NMPC controller using this interface. To model the vehicle, we used a kinematic bicycle model (1), also used in [4] and shown in Fig. 7. There are two system parameters:  $l_f$ , the distance from the center of mass (CoM) to the front axle, and  $l_r$ , the distance from the CoM to the rear axle. We used  $l_r = 2.10$  m and  $l_f = 2.67$  m for all simulations: the same values as [4].

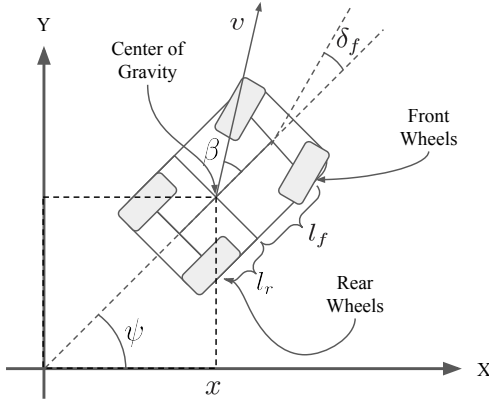


Fig. 7. Kinematic bicycle model.

$$z = \begin{bmatrix} x \\ y \\ v \\ \psi \end{bmatrix}, \quad \begin{bmatrix} \dot{x} \\ \dot{y} \\ \dot{v} \\ \dot{\psi} \end{bmatrix} = \begin{bmatrix} v \cos(\psi + \beta) \\ v \sin(\psi + \beta) \\ a \\ \frac{v}{l_r} \sin(\beta) \end{bmatrix} \quad (1)$$

$$\beta = \tan^{-1} \left( \frac{l_r}{l_f + l_r} \tan(\delta_f) \right) \quad (2)$$

The control signals are  $a$ , the longitudinal acceleration of the car, and  $\delta_f$ , the steering angle of its front wheels. The control vector is  $u = [a \ \delta_f] \in \mathbb{R}^2$ .

We consider an NMPC problem with lookahead steps  $k = 1, \dots, N$  with  $N = 30$  steps spaced a distance  $\Delta_t = 0.075$  s apart. The nonlinearity is confined to the dynamics model (1) and constraints (Fig. 6). The cost function is quadratic.

In our implementation, we used the driveable corridor function to generate a list of linear inequalities representing the road as shown in Fig. 8. Each right and left boundary constrains the vehicle's  $x - y$  position at one step: for  $N$  lookahead steps,  $2N$  lines are generated. Arbitrarily tight curvatures can be represented by decreasing the time between each step.

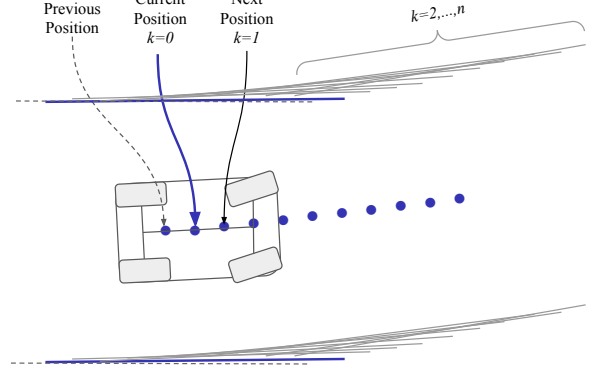


Fig. 8. A short sample of overlapping lines to define the road corridor. 2 lines are used to constrain the vehicle's position at each step  $k$ .

### A. Cost function

Our multi-objective cost function penalizes sharp accelerations which degrade passenger comfort and deviations from the desired speed and center of the driveable corridor. We use 2 terms to control this accuracy:

$$J_{\text{position}} = \sum_{k=1}^N \left\| \begin{bmatrix} x_k \\ y_k \end{bmatrix} - \begin{bmatrix} x_{\text{center},k} \\ y_{\text{center},k} \end{bmatrix} \right\|_2^2 \quad (3)$$

$$J_{\text{angle}} = \sum_{k=1}^N (\psi_k - \psi_{\text{center},k})^2 \quad (4)$$

$$J_{\text{speed}} = \sum_{k=1}^N (v_k - v_{\text{des},k})^2 \quad (5)$$

where  $(x_{\text{center},k}, y_{\text{center},k}, \psi_{\text{center},k})$  is returned by `driveable_corridor` and  $v_{\text{des},k}$  is returned by `desired_speed`. These two functions are provided by the higher-level software (Fig. 1).

Equations (3) and (4) controls path-following accuracy, while (5) controls how closely the vehicle stays at the desired speed. Because the desired speed could be small or large, (3), (4), and (5) are separated so they can be weighted differently.

Equations (6) and (7) penalize undesirable sharp changes in acceleration ( $\text{m/s}^2$ ) and steering angle ( $\text{deg}$ ).

$$J_{\text{jerk}} = \sum_{k=2}^N (a_k - a_{k-1})^2 \quad (6)$$

$$J_{\text{accel}} = \sum_{k=2}^N (\delta_{f,k} - \delta_{f,k-1})^2 \quad (7)$$

By separating these terms, they can be weighted to produce different behaviors (8).

$$J = a_1 J_{\text{position}} + J_{\text{angle}} + a_2 J_{\text{speed}} + a_3 J_{\text{jerk}} + a_4 J_{\text{steering}} \quad (8)$$

We use the notation  $z$  to denote a list of states  $z_1, \dots, z_N$  and controls  $u = u_1, \dots, u_N$ . The final NMPC problem is:

$$\text{minimize } J(z, u) \quad (9)$$

$$\text{subject to } z_k = f(z_{k-1}, u_{k-1}), \quad k = 1, \dots, N \quad (10)$$

$$u_{\min} \leq u \leq u_{\max} \quad (11)$$

$$v_{\min} \leq v \leq v_{\max} \quad (12)$$

$$\psi_{\min} \leq \psi \leq \psi_{\max} \quad (13)$$

$$A_k \begin{bmatrix} x_k \\ y_k \end{bmatrix} \geq 0, \quad k = 1, \dots, N \quad (14)$$

$$g(x_k, y_k, \psi_k, v_k) \leq 0, \quad k = 1, \dots, N \quad (15)$$

where  $A_k$  is a matrix of linear inequalities constructed from `driveable_corridor` and `desired_speed` describing the corridor boundaries at the  $k$ th step.

### B. Implementation Details

The  $x - y$  position of the vehicle is constrained by the linear inequalities, so there is no need to impose any other condition on it. The velocity was constrained to  $0 \leq v \leq 50$  m/s. The control signals were limited to  $-5 \leq a \leq 2.5$  and  $-\pi/4 \leq \delta_f \leq \pi/4$ .

The problem was defined using CasADi in Python and solved with ipopt [10] [11]. Ipopt requires initialization when solving a nonlinear optimization problem: an estimated speed and position must be provided. Using the solution of the  $k$ th problem as the initial guess for the  $k + 1$ th NMPC problem provided a significant reduction in computation time.

We provide an outline of this implementation:

Listing 1. Nonlinear MPC controller using proposed API.

```
class TrajectoryPlanner():
    def run(self, initial_state:np.array,
            driveable_corridor :callable,
            desired_speed      :callable,
            constraint_generator:callable):
        # See section IV for definitions of these
        # callables
        self.z0 = initial_state
        self.initialize_first_mpc_problem(
            driveable_corridor, desired_speed,
            constraint_generator)

        while True:
            # Construct the MPC problem
            problem = self.build_mpc_problem(
                driveable_corridor, desired_speed,
                constraint_generator)

            # Compute the trajectory z and control u:
            # a list of states and control signals
            # from 1,..N
            z, u = self.solve_mpc_problem(problem)
            # Move forward one timestep
            self.z0 = self.apply_control(u[0])
```

```
# Initialize next problem with previous
# result
self.initialize_nth_mpc_problem(z, u)
```

## VI. RESULTS

We tested the controller on three scenarios. In the double-lane-change simulation, the vehicle is driving at 10 m/s (36 km/h) and must navigate the ISO double lane-change path. Positional accuracy (3), (4) and steering smoothness (7) contribute to the cost function.

The stop sign scenario consists of a straight road with a stop sign. The vehicle is driving at 4 m/s (14.4 km/h), detects the stop sign from 10 m away, and must smoothly come to a stop.

Finally, the vehicle following scenario consists of a straight road with another vehicle. The ego vehicle is initially driving at 4 m/s but must slow down to maintain a minimum safe distance behind a slower driver.

### A. Double lane change

In this scenario, we tested a range of weights for the cost function (8). Accuracy terms (3) and (5) were grouped. Jerk (6) and steering change terms (7) were also grouped.

Initial tuning was performed to keep the grouped terms within an order of magnitude of each other, resulting in a cost function with one adjustable weight  $a$ :

$$J = (J_{\text{position}} + J_{\text{angle}} + 10^3 J_{\text{speed}}) + a(10J_{\text{jerk}} + J_{\text{steering}}),$$

A large value of  $a$  corresponds to a high weight on comfort (smaller and smoother control signals) while a small value corresponds to a high weight on position and speed accuracy. Results are provided for several weights of  $a$  to illustrate this tradeoff. In practice the weights would be application-dependent or adjusted on the fly as discussed in [7].

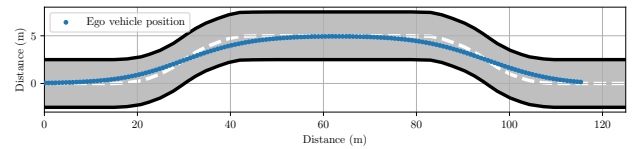


Fig. 9. The double-lane-change scenario. The road width is 5 m and the desired speed is 10 m/s. To minimize jerk and sharp changes in steering angle, the vehicle deviates from the road centerline.

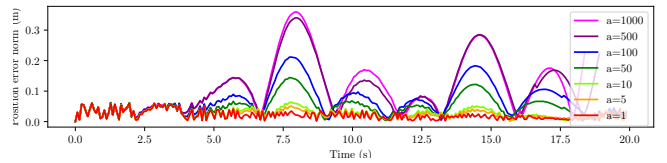


Fig. 10. Position error from the road centerline (meters) in the double-lane-change scenario with different MPC weights.

As expected, the position error is low for high accuracy runs and increases for high comfort runs (Fig. 10).



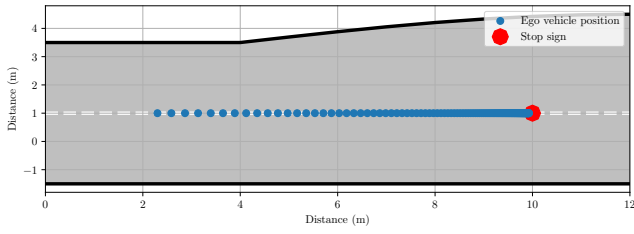


Fig. 11. Using a hard constraint to enforce 0 velocity at a stop sign.

### B. Stop sign

In this test, the road is straight: the car never deviates from the road centerline so there is no position error as defined in Fig. 10. Similarly, the steering signal remains at 0. The goal is to minimize acceleration and jerk.

The desired velocity profile was a rough estimate: the velocity was set at 4 m/s until the stop sign is detected at 10 m/s away; after that it decreases linearly (with distance) to 0. Despite this discontinuity, the NMPC controller produces a smooth velocity profile (Fig. 12).

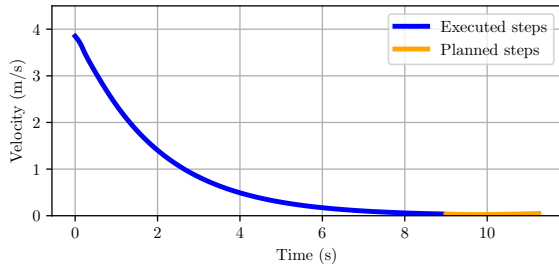


Fig. 12. Velocity in stop sign test vs time. The desired speed was 4 m/s.

### C. Following another vehicle

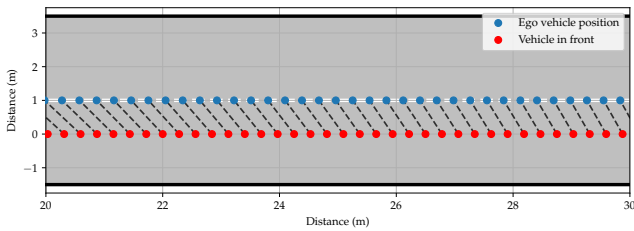


Fig. 13. Following a slower car. The desired speed is 4 m/s but the car ahead is traveling at 3.75 m/s. The white lines connect the two vehicle's positions at each time step, showing how a safe distance is maintained.

The hard constraint causes the vehicle's speed to decrease, maintaining a safe distance from a slower car. Fig. 13 shows the position of each vehicle over time.

## VII. CONCLUSIONS

In this paper we defined an API for the trajectory planning module of an autonomous driving stack (Fig. 1). The inputs to this module consist of information about the driveable corridor, constraints imposed by obstacles and rules of the road, and a desired speed: all information that can be

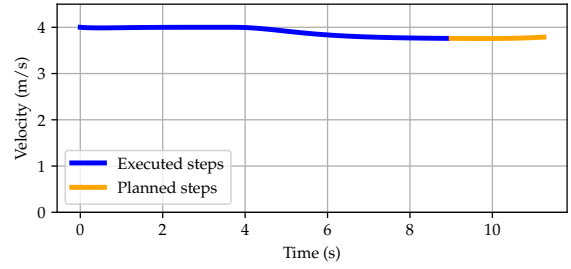


Fig. 14. Ego vehicle velocity decreases to maintain a safe distance from another car.

provided by higher-level software with little knowledge of vehicle hardware. Therefore, the higher-level software can be certified once and installed on different AV platforms. We also demonstrate an NMPC trajectory planner that implements this API. The trajectory planner contains hardware-specific parameters, but can be ported to similar vehicles by changing said parameters. The controller is of similar design to recent work in NMPC steering and acceleration control [7], suggesting the relevance of this software reusability-focused API to current AV research.

## VIII. ACKNOWLEDGMENTS

The NMPC code was based on several open-source files provided with CasADi. Code for this paper is published at [https://github.com/elsoroka/AutonomousCarMPC/tree/master/code\\_for\\_paper](https://github.com/elsoroka/AutonomousCarMPC/tree/master/code_for_paper)

## REFERENCES

- [1] C. Beal and Gerdes J. Model predictive control for vehicle stabilization at the limits of handling. *IEEE Transactions on Control Systems Technology*, 21(4):1258–1269, 2013.
- [2] N. Mohajer, S. Nahavandi, H. Abdi, and Z. Najdovski. Enhancing passenger comfort in autonomous vehicles through vehicle handling analysis and optimization. *IEEE Intelligent Transportation Systems Magazine*, pages 0–0, 2020.
- [3] A. Chebly, R. Talj, and A. Charara. Coupled longitudinal and lateral control for an autonomous vehicle dynamics modeled using a robotics formalism. *IFAC-PapersOnLine*, 50(1):12526–12532, 2017. 20th IFAC World Congress.
- [4] W. Farag. Complex-track following in real-time using model-based predictive control. *International Journal of Intelligent Transportation Systems Research*, 2020.
- [5] M. A. Daoud, M. Osman, M. W. Mehrez, and W. W. Melek. Path-following and adjustable driving behavior of autonomous vehicles using dual-objective nonlinear MPC. In *2019 IEEE International Conference on Vehicular Electronics and Safety (ICVES)*, pages 1–6, 2019.
- [6] X. Li, Z. Sun, Q. Chen, and J. Wang. A novel path tracking controller for ackerman steering vehicles. In *Proceedings of the 32nd Chinese Control Conference*, pages 4177–4182, 2013.
- [7] F. Micheli, M. Bersani, S. Arrigoni, F. Braghin, and F. Cheli. NMPC trajectory planner for urban autonomous driving. *CoRR*, abs/2105.04034, 2021.
- [8] S. Arrigoni, F. Braghin, and F. Cheli. MPC path-planner for autonomous driving solved by genetic algorithm technique, 2021.
- [9] S. Arrigoni, S. Mentasti, F. Cheli, M. Matteucci, and F. Braghin. Design of a prototypical platform for autonomous and connected vehicles. *CoRR*, abs/2106.09307, 2021.
- [10] J. Andersson, J. Gillis, G. Horn, J. Rawlings, and M. Diehl. CasADi – A software framework for nonlinear optimization and optimal control. *Mathematical Programming Computation*, 11(1):1–36, 2019.
- [11] A. Wächter and L. Biegler. On the implementation of an interior-point filter line-search algorithm for large-scale nonlinear programming. *Mathematical Programming*, 106, 2006.