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Algorithms Stacks & Queues.

1.) push(8): the stack contains 8:[8]

push(2): now we have 2[8,2]

pop(): we remove top element 2, becomes [8]

push(pop() * 2) we remove 8 then empty stack

then we pop 8 back then multiply by 2

$$[8 \cdot 2] = [16]$$

push(10): we stack 10 to the stack; [16, 10]

push(pop() / 2) we get rid of 10 then stack becomes [16], then [16] is divided by 2

$$\text{so new stack } [16, 5]$$

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2) push(4): the stack now has 4
[4]

push(pop() + 4): we remove 4 from stack
then we pop 4 to the stack to add to 4. $4 + 4$
[8]

push(8): we push 8 into the stack we
now have [8, 8]

push(pop() / 2): remove top element 8, then
we will $8/2$ onto the stack and pop 4
back into stack: [8, 4]

pop(): we will remove 4 first from stack [8]

pop(): remove 8 from stack []

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3.) We will use a front and back pointer which we will start from the front. for example initialize a counter to 0 for position.

Compare i-th element to front and back if left pointer is \leq to right pointer

if it is return to current position.

then check if $\text{right} = \text{right} - 1$ where

n is the total number of elements in deque. while i is front search which increments by 1. right side/rear

decrement by 1. Increment current position by 1 to keep track of position.

if the element isn't found at the cross section it will return same time complexity

while $\text{left} \leq \text{right}$:

if $\text{deque}[\text{left}] == x$

return pos

if $\text{deque}[\text{right}] == x$

return $\text{len}(\text{deque}) - \text{pos} - 1$

left += 1

right -= 1

position += 1