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ECO 602

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### Week 12 Reading Questions

**Q1 (2 pts.):** In the context of a dataset (real or made up), describe the inherent conflict between using a complicated model that minimizes the unexplained variation and using a simple model that is easy to communicate. Consider the trade-off between model complexity and interpretability. Since your answer is targeted to a non-scientist audience, you should use narrative style using a concrete example.

The inherent trade-off between complexity and simplicity in a modeling framework is a “biological accuracy” of what’s actually happening in the model versus statistical power and accuracy of the statistics. For example, if I wanted to make a model of how landscape variables influence the number of pathogens in bumble bees in Massachusetts, I could incorporate a model that has many landscape variables, as well as environmental variables, to try to isolate biological causes and eliminate errors. However, the more things I put into my model, the less accurate the mathematics behind the statistics get. If I keep my model simple in examining the landscape factors, I’m much more likely to have a result I’m confident in mathematically. This is a difficult trade-off and is something for every scientist to keep in mind.

**Q2 (1 pt.):** Which of the following predictor variables had slope coefficients that were significantly different from zero at a 95% confidence level? Select the correct answer(s)

- A. water
- B. nitrogen
- C. phosphorus
- D. None

**Q3 (2 pts.):** Using the information in the model coefficient table above, calculate the expected biomass for a plant given:

- E. 0 mL water per week
- F. 0 mg nitrogen per week
- G. 0 mg phosphorus per week

**Explain how you made the calculation.**

$(0 \text{ mL water/week}) * (0.043 \text{ (the estimated mean mass of the water treatment)}) = 0 \text{ mg}$

$(0 \text{ mL nitrogen/week}) * (0.192 \text{ (the estimated mean mass of the nitrogen treatment)}) = 0 \text{ mg}$

$(0 \text{ mL phosphorus/week}) * (-0.027 \text{ (the estimated mean mass of the phosphorous treatment)}) = 0 \text{ mg}$

**Q4 (2 pts.):** Using the information in the model coefficient table above, what is the expected biomass for a plant given:

- 10 mL water per week
- 30 mg nitrogen per week
- 20 mg phosphorus per week

**Explain how you made the calculation.**

(10 mL water/week)\* (0.043 (the estimated mean mass of the water treatment)) = 0.43 mg

(30 mg nitrogen/week)\* (0.192 (the estimated mean mass of the nitrogen treatment)) = 5.76 mg

(20 mg phosphorus/week)\* (-0.027 (the estimated mean mass of the phosphorous treatment)) = -0.54 mg

**Q5 (1 pt.):** Describe the key difference between a simple linear regression and a 1-way analysis of variance.

Mathematically, ANOVA and linear regression are identical, but the main difference is that ANOVA can have the independent variable as categorical, while regression can use both categorical and continuous.

**We often present the equation for a simple linear regression model as:**

$$y_i = \alpha + \beta_1 x_i + \epsilon$$

**Q6 (1 pt.):** Identify the *deterministic* component(s) of the model equation.

The deterministic portions of the model are  $\alpha + \beta_1 x_i$ , this portion essentially tells you the slope, and the position of the data point  $x$ .

**Q7 (1 pt.):** Identify the *stochastic* component(s) of the model equation.

The stochastic portion of the model is the error term,  $\epsilon$ .