

Writeup Lab 3

2.a

"DoStatic" should "perform Static" in {

```
assertResult(N(2)) {
  iterateStep(parse("const x =1;const f =function f(z) {return z+x}; const x=2; f(1)"))
}
```

"EvalDynamic" should "perform Dynamic" in {

```
assertResult(N(3)) {
  evaluate(parse("const x =1;const f =function f(z) {return z+x}; const x=2; f(1)"))
}
```

Both cases run the program `const x =1;const f =function f(z) {return z+x}; const x=2; f(1)`, however the first program uses static typing while the second uses dynamic. In dynamic typing, variable assignments are stored in the environment, and earlier assignments get overwritten by later assignments. When `f(1)` gets called, the variable `x` has been assigned to 2, so `f(1)` evaluates to 3. In static typing, the first assignment of `x` substitutes the assignment value into all non-bound instances of `x`, so the function becomes `1+z`. The second assignment to `x` does not change this since `x` no longer is inside the function, and `f(1)` returns `1+1=2`.

3. d. The judgement form $e \rightarrow e'$ is deterministic for the judgement forms implemented in the this lab, since our reduction system has the determinism property which means that if $e \rightarrow e'$ and $e \rightarrow e''$ then $e'' = e'$. Essentially, there can only ever be one next step. Since no possible e in our system fits multiple rules, our system is deterministic.

4. The evaluation order of $e_1 + e_2$ is left associative, meaning e_1 will be evaluated before e_2 . The `searchBinary` rule explicitly tells us that any $e_1 \text{ bop } e_2$ will step to $e_1' \text{ bop } e_2$, where $e_1 \rightarrow e_1'$. The rules could be changed to be right associative by making cases where both e_1 and e_2 are

not values evaluate e_2 first. For bop, we change the rule to make $e_1 \text{ bop } e_2$ step to $e_1 \text{ bop } e_2'$ where $e_2 \rightarrow e_2'$.

5. a. The statement `true or !(!(!(false))))` benefits from short circuit evaluation by evaluating directly to true because the first argument is true, saving it from wasting several cycles evaluating the value of `!(!(!(false)))`

5.b yes, `e1&&e2` short circuits. Our semantics is left associative, so `e1` will step until it reaches a value. If that value is false the evaluation of `e2` is skipped, short circuiting and saving cycles.