

Emanuele Costantino

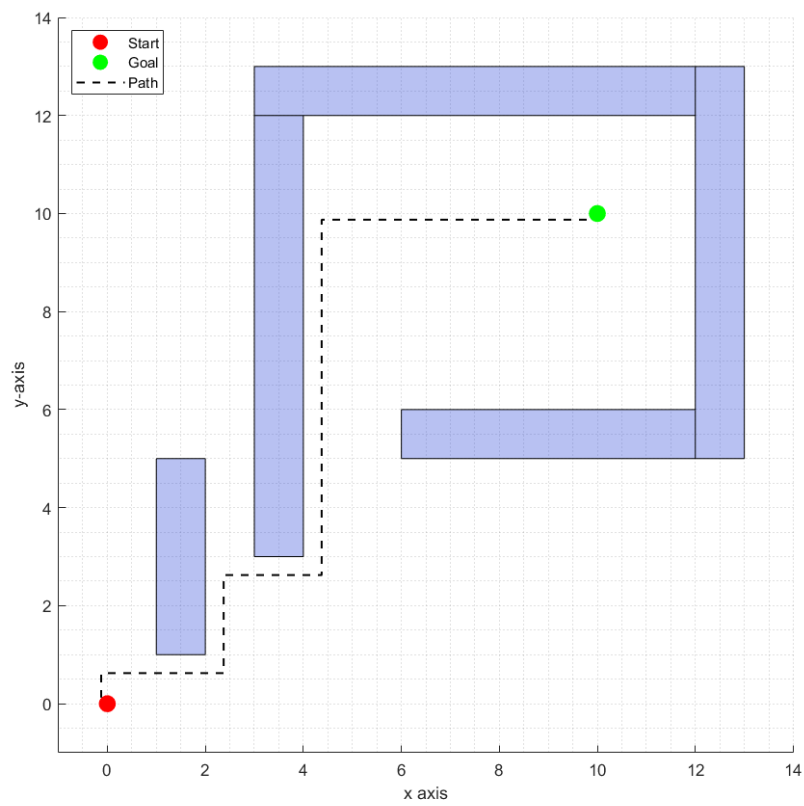
ASEN 5519

Homework #6

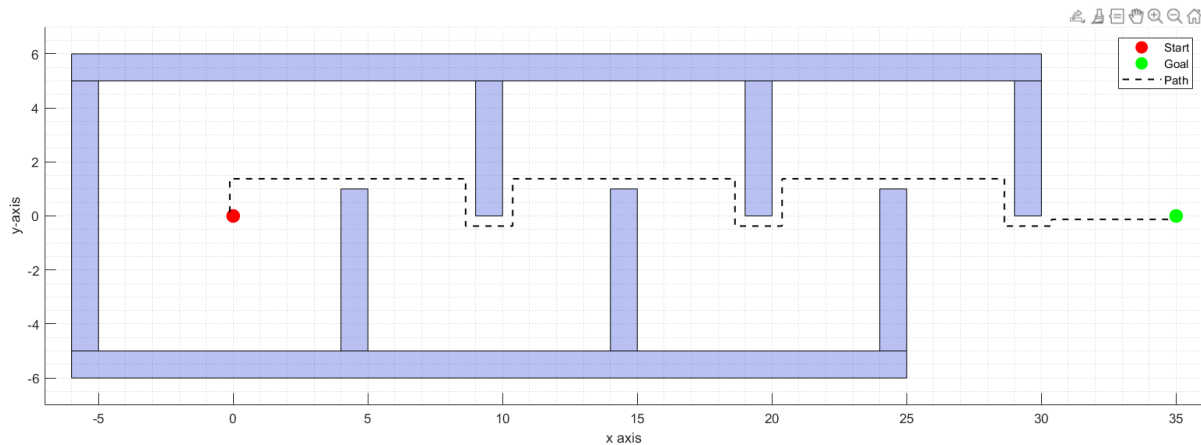
Exercise 1

a) Path plots

Workspace #1



Workspace #2



b)

Path Length Workspace #1: 19.750

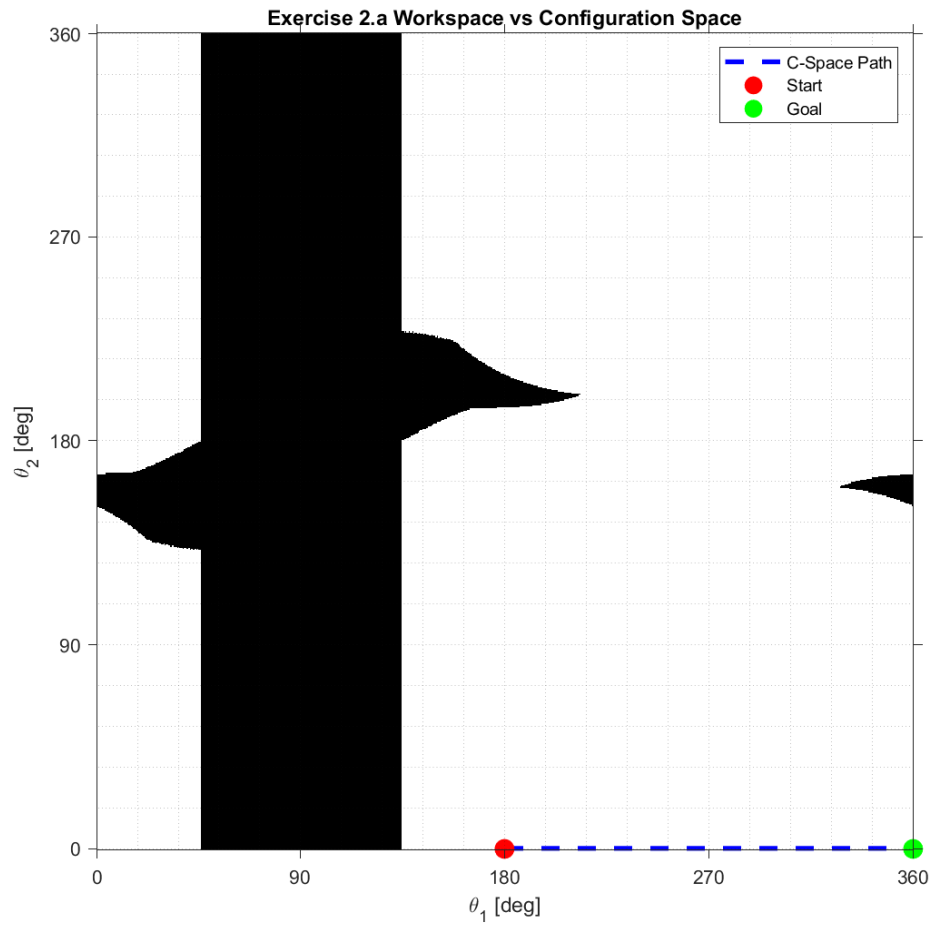
Path Length Workspace #2: 45.250

- c) I would expect the path length to be smaller for Workspace #2 but NOT Workspace #1. The reason for this is that no matter how small we make our grid size, in Workspace 1 the distance to goal will always be the total Manhattan distance to goal. This is not the case in Workspace # 2 because we have to “wind” around the obstacle and as the grid size decreases, so will the total displacement along the y direction. NOTE: I am ignoring the small changes in distance that may occur at the end of the path due **only** to the change in grid size. Otherwise, I would expect Workspace #1 path to increase in length slightly and Workspace #2 would still decrease in length.
- d) The wavefront planner is far more reliable than the gradient descent planner as it is complete with respect to the grid resolutions. I was not able to generate a path to goal for Workspace #2 using the gradient descent planner from HW5, but the wavefront planner was able to find a path easily without having to tune obstacle/goal parameters.

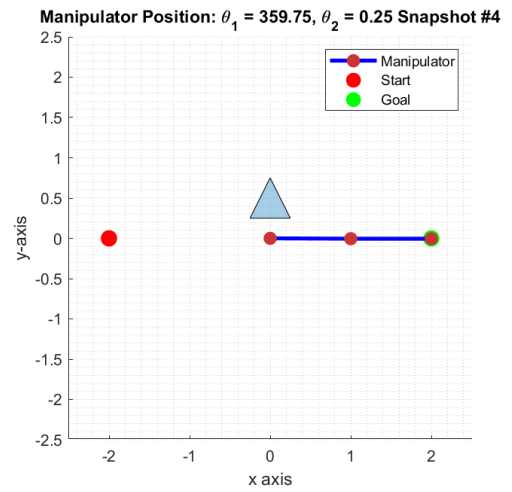
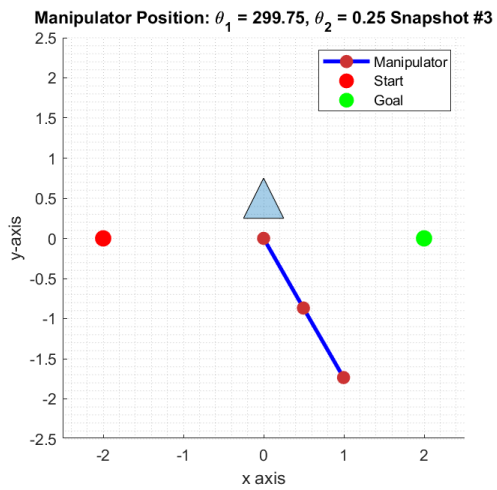
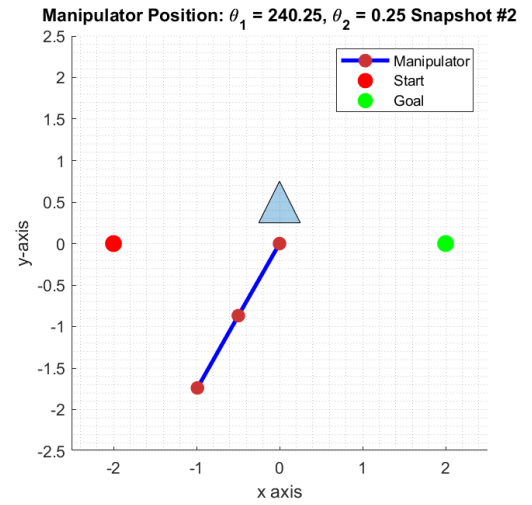
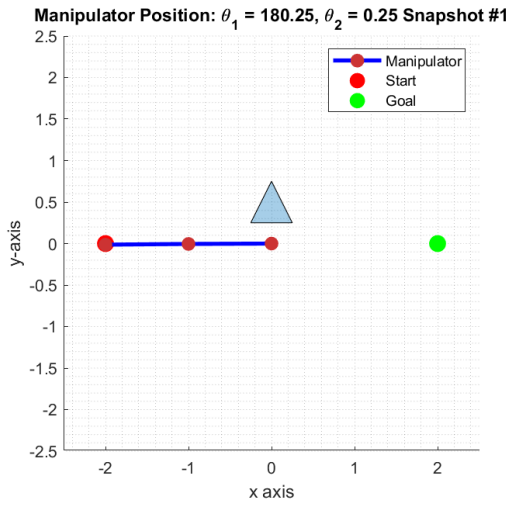
Exercise 2

Workspace #1

C-space

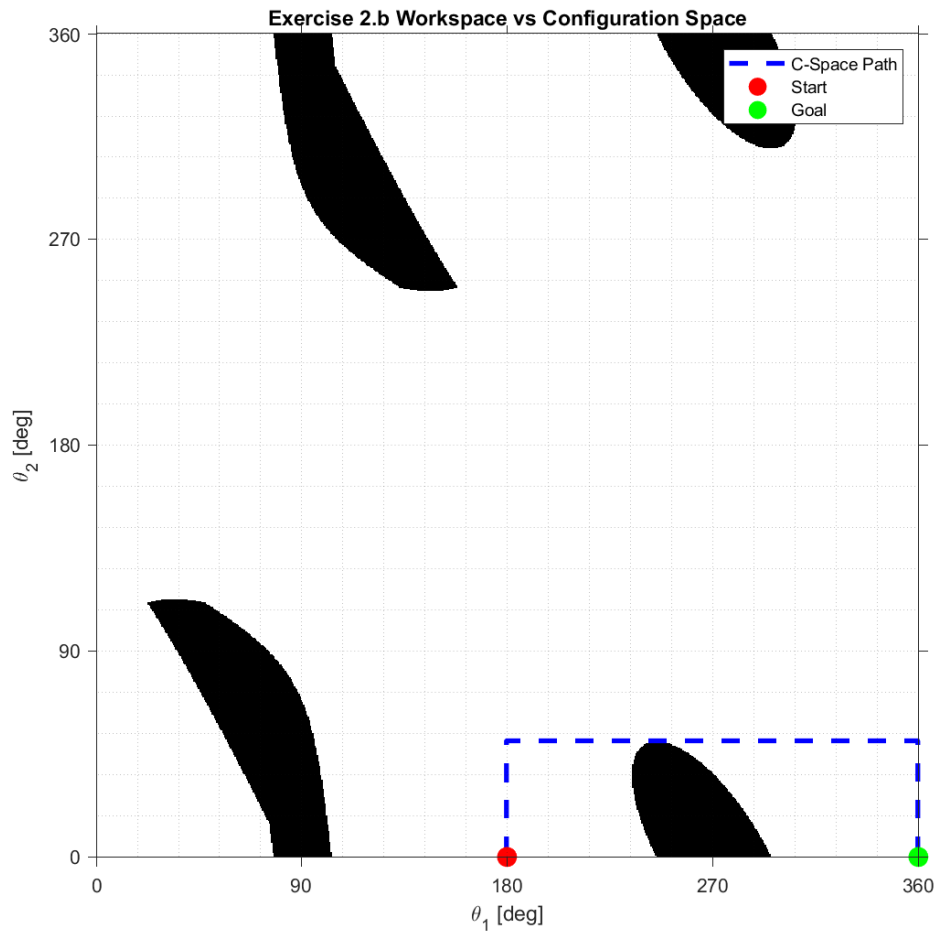


Snapshots

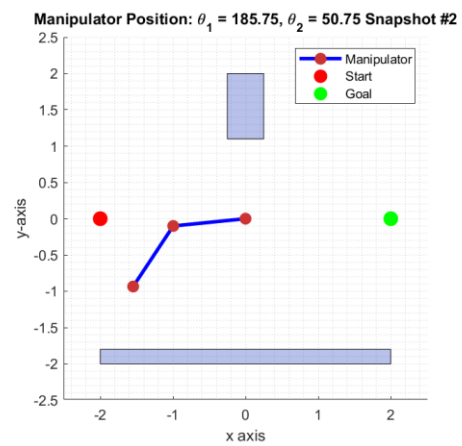
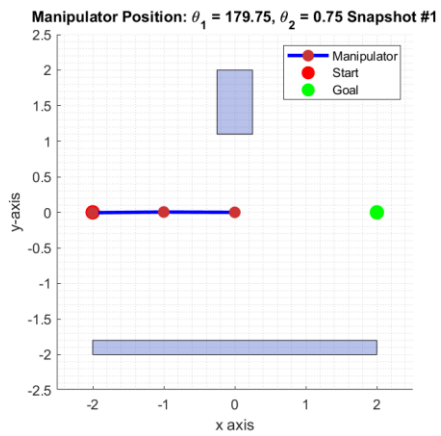


Workspace #2

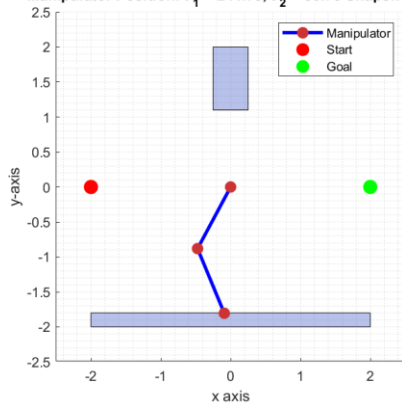
C-space



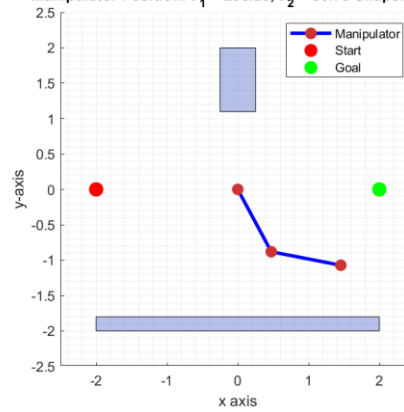
Snapshots



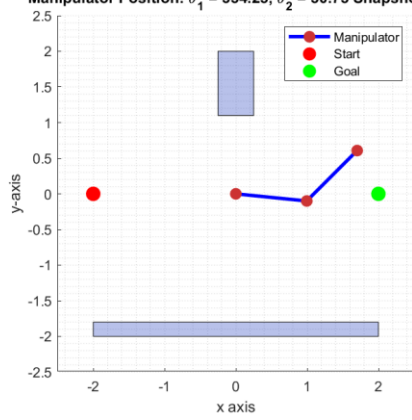
Manipulator Position: $\theta_1 = 241.75$, $\theta_2 = 50.75$ Snapshot #3



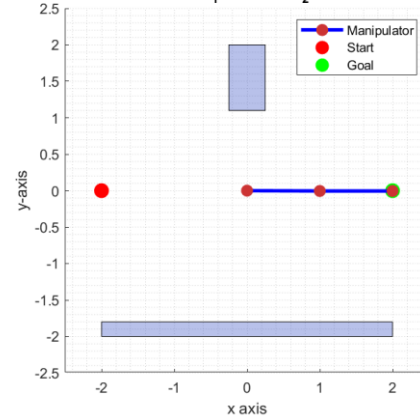
Manipulator Position: $\theta_1 = 298.25$, $\theta_2 = 50.75$ Snapshot #4



Manipulator Position: $\theta_1 = 354.25$, $\theta_2 = 50.75$ Snapshot #5

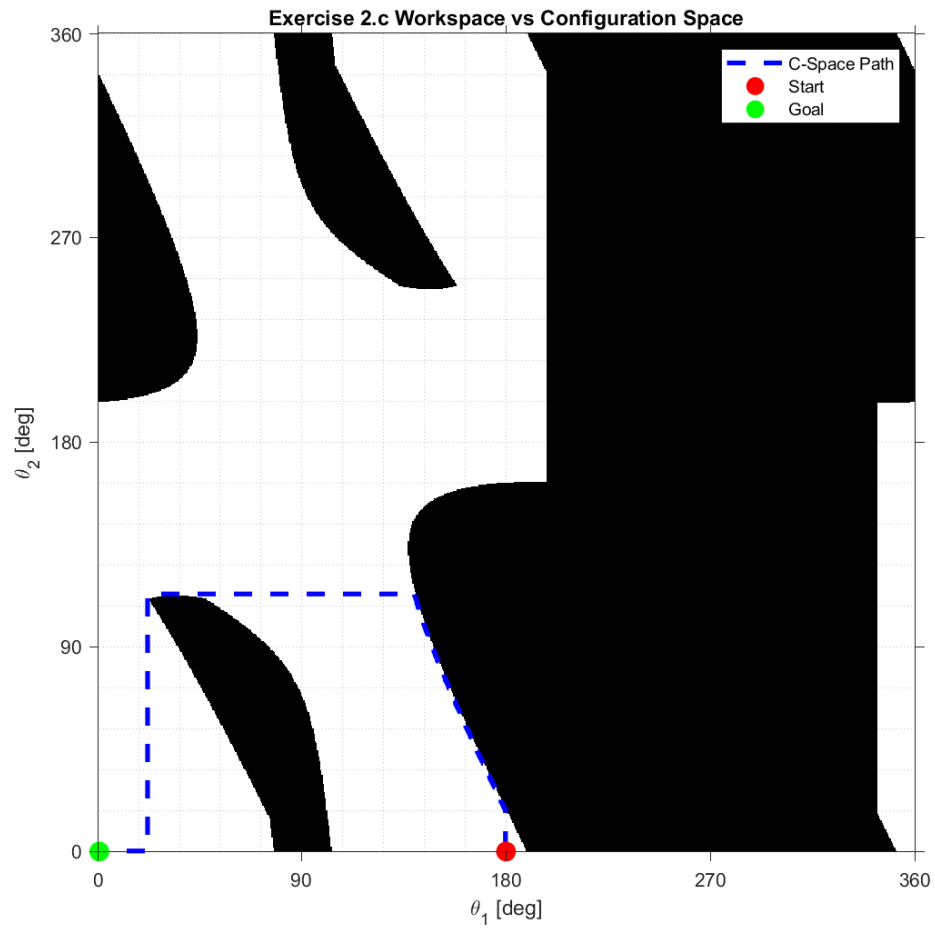


Manipulator Position: $\theta_1 = 359.75$, $\theta_2 = 0.25$ Snapshot #6



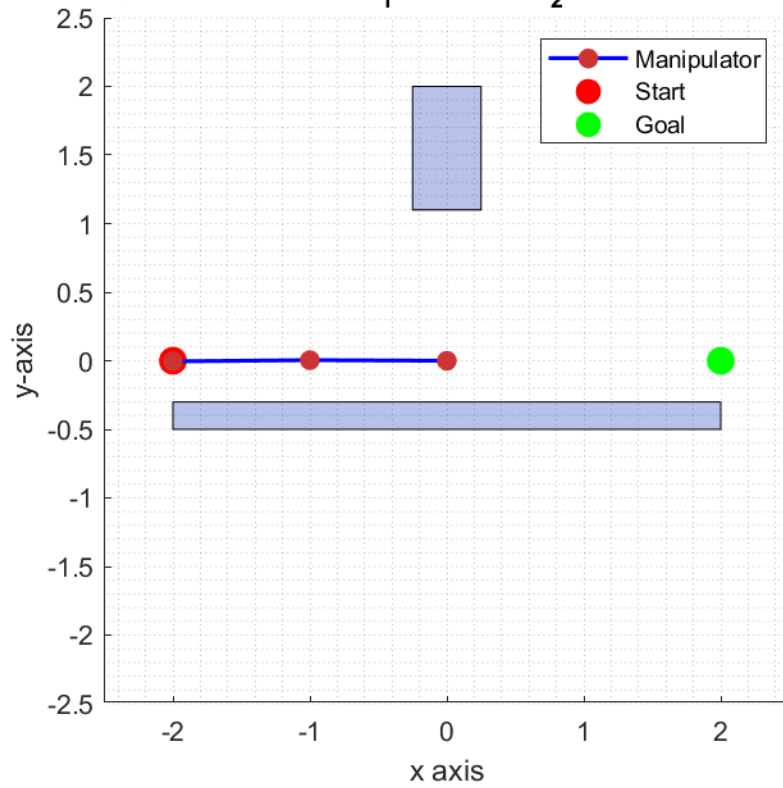
Workspace #3

C-space

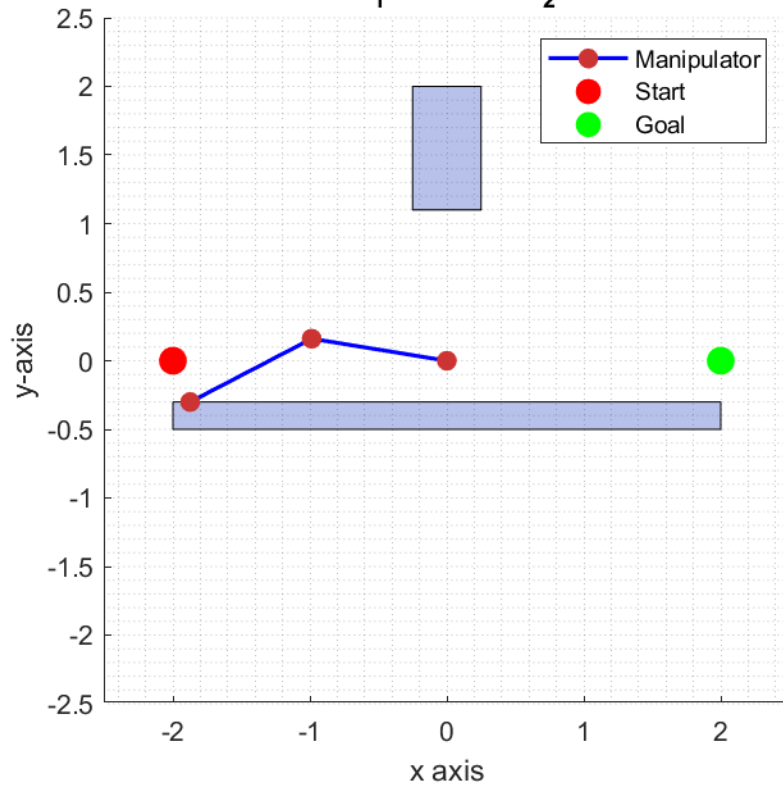


Snapshots

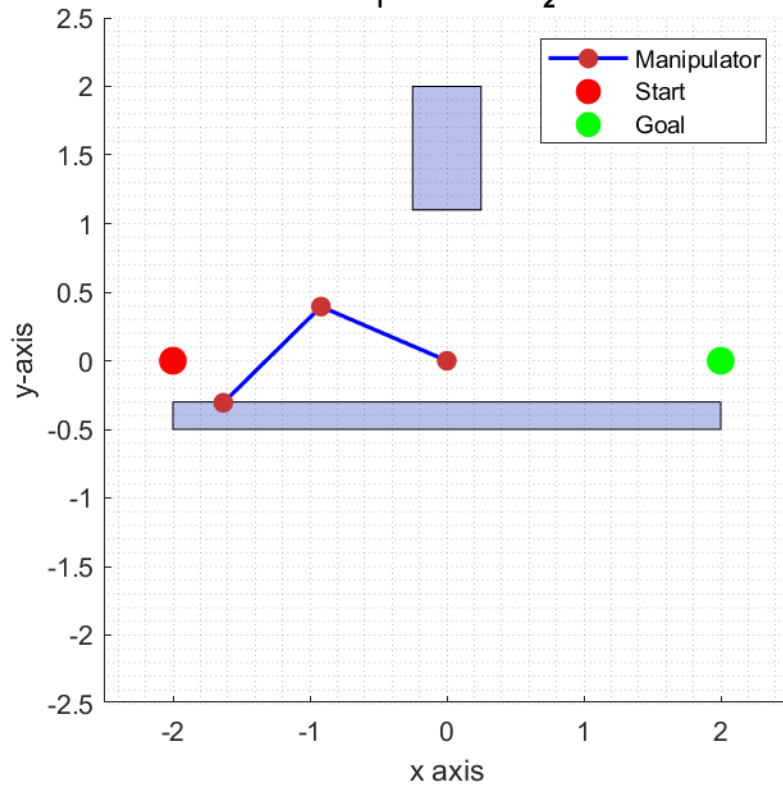
Manipulator Position: $\theta_1 = 179.75$, $\theta_2 = 0.75$ Snapshot #1



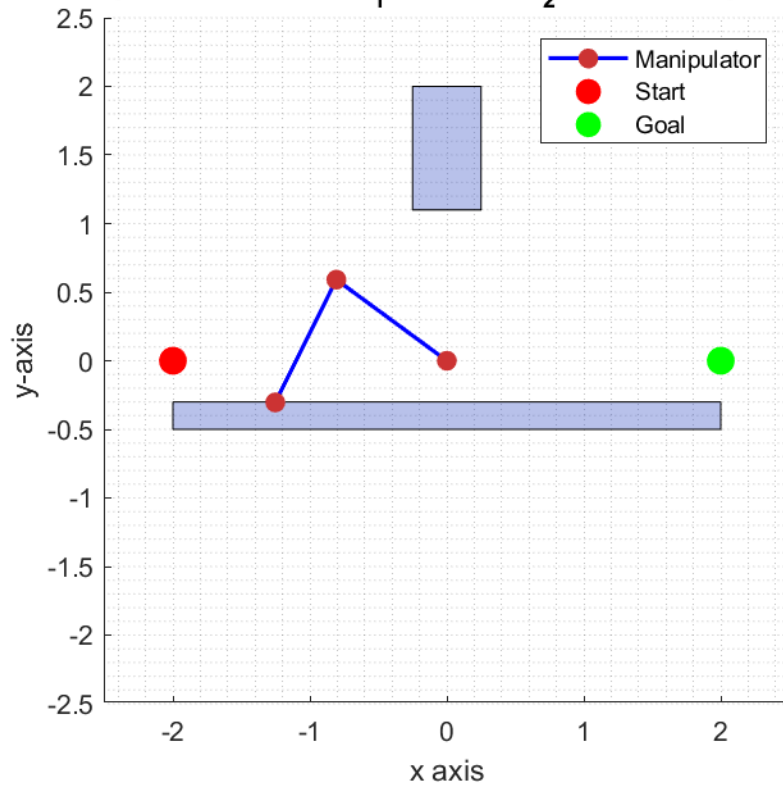
Manipulator Position: $\theta_1 = 170.75$, $\theta_2 = 36.75$ Snapshot #2



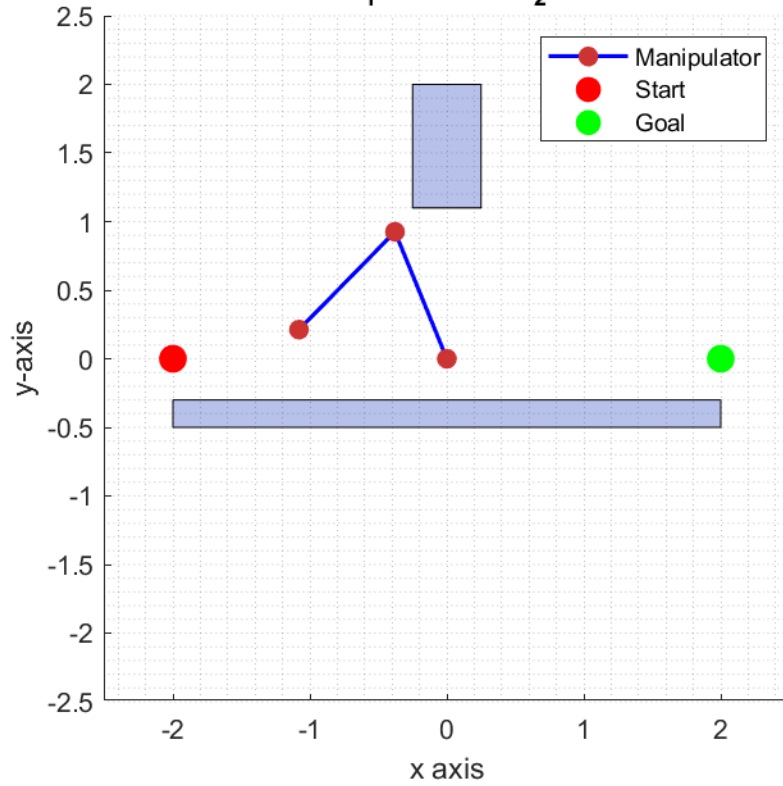
Manipulator Position: $\theta_1 = 156.75$, $\theta_2 = 67.75$ Snapshot #3



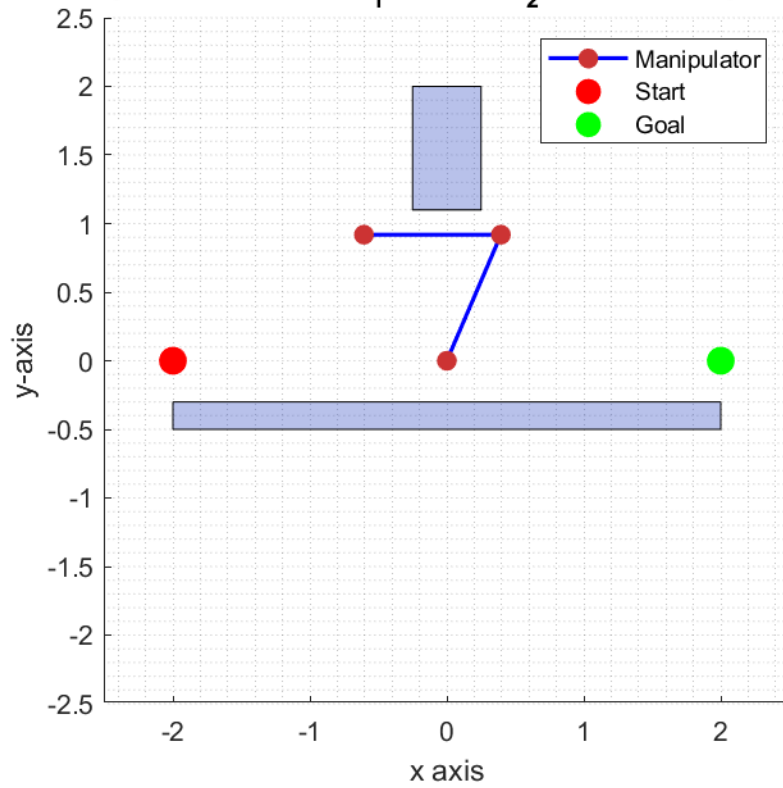
Manipulator Position: $\theta_1 = 143.75$, $\theta_2 = 99.75$ Snapshot #4



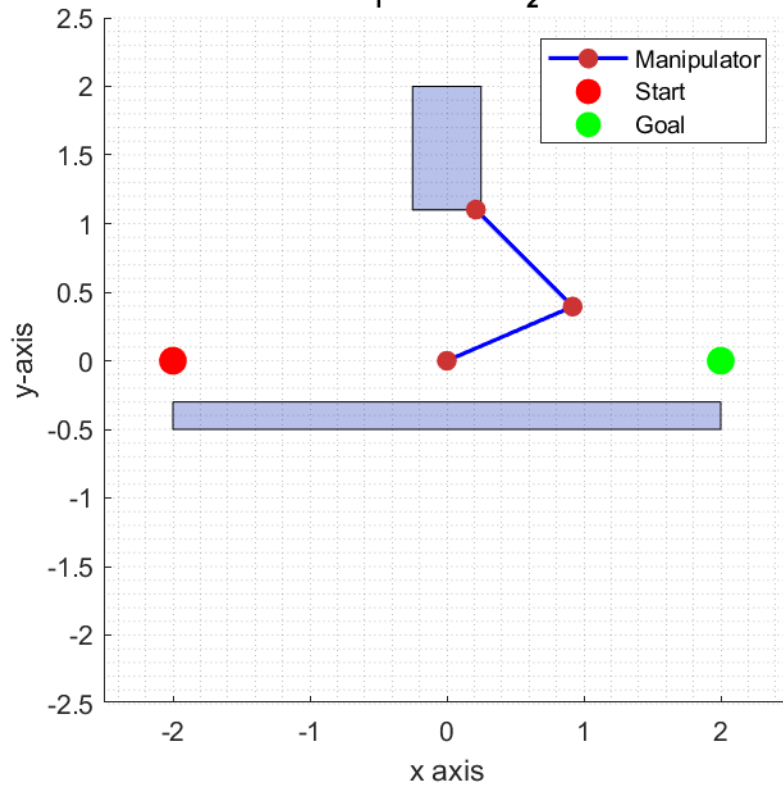
Manipulator Position: $\theta_1 = 112.25$, $\theta_2 = 113.25$ Snapshot #5



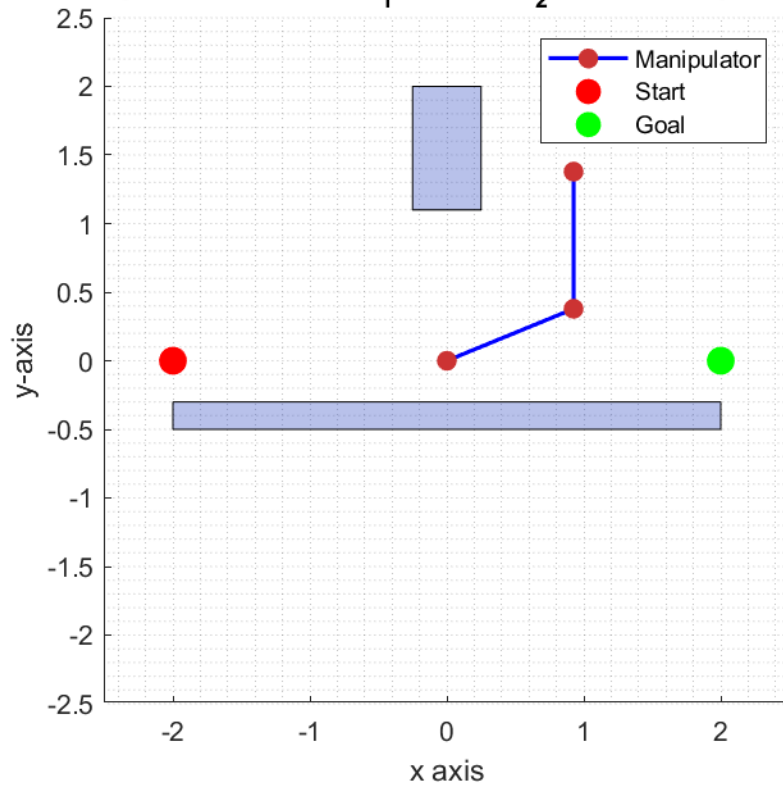
Manipulator Position: $\theta_1 = 66.75$, $\theta_2 = 113.25$ Snapshot #6



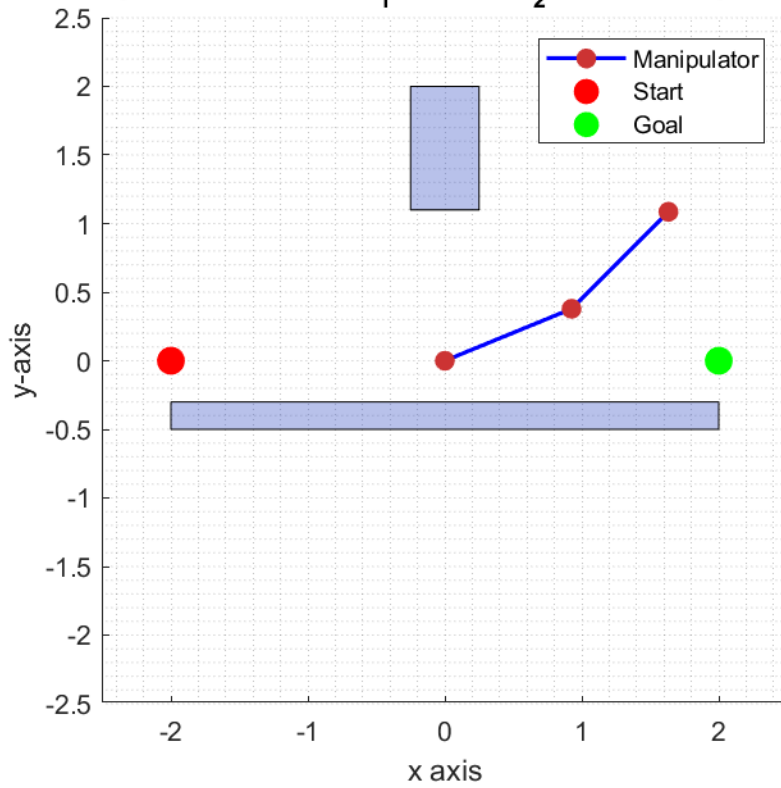
Manipulator Position: $\theta_1 = 23.25$, $\theta_2 = 111.75$ Snapshot #7



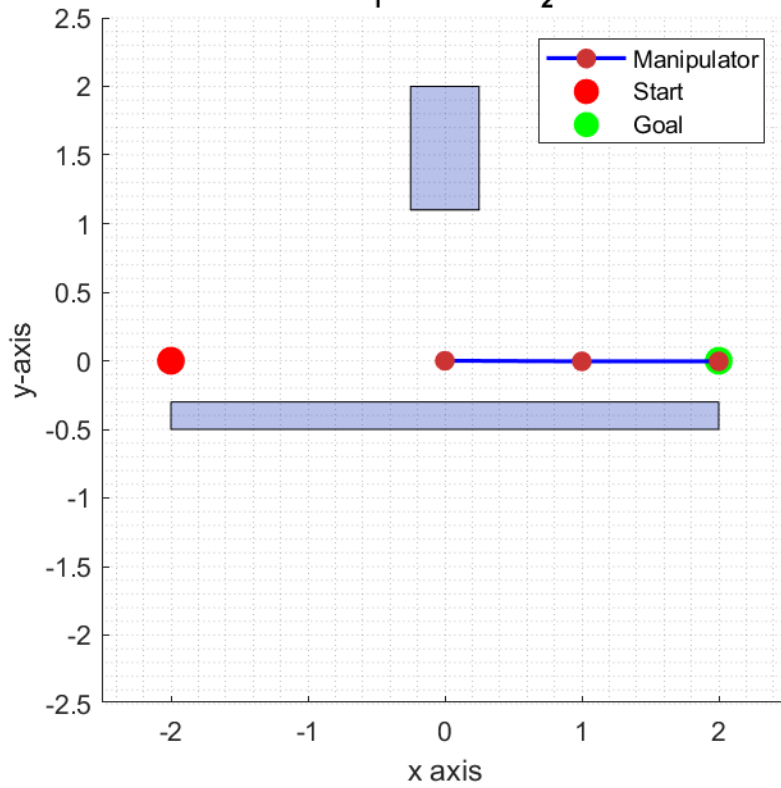
Manipulator Position: $\theta_1 = 22.25$, $\theta_2 = 67.75$ Snapshot #8



Manipulator Position: $\theta_1 = 22.25$, $\theta_2 = 22.75$ Snapshot #9



Manipulator Position: $\theta_1 = 359.75$, $\theta_2 = 0.25$ Snapshot #10



Exercise 3

- a) A* implementation:
 - a. Path: $0 \rightarrow 2 \rightarrow 9 \rightarrow 13$
 - b. Path Length: 5
 - c. Number of Iterations: 9
- b) To turn the A* algorithm into Dijkstra's you have to stop using the heuristic and we do not sort the O list. Instead of picking the node with the smallest f (which would now equal g) value in the O list, we just pick the first node of the O list. This is called breadth first search because we look at the subsequent layers of nodes from each node.
- c) Dijkstra's implementation:
 - a. Path: $0 \rightarrow 2 \rightarrow 7 \rightarrow 13$
 - b. Path Length: 5
 - c. Number of Iterations: 13
- d) A* performed better than Dijkstra's in that it found the goal in less iterations. If I was equipped with a good heuristic (admissible) I would choose A* to search a large map from start to goal and from start to any node in V.
- e) I used an adjacency matrix to represent my graph. If I were to implement an undirected graph I would make the adjacency matrix *symmetric*. The A* algorithm implemented in this assignment would be able to run over this graph still.