# ${\bf Description:}$

A simply Supported square plate with distributed load (q).

### Reference:

S. Timoshenko , S . Woinowsky , Theory of Plates and Shells , pg:381, Article : 30 .

# Material and Geometric data:

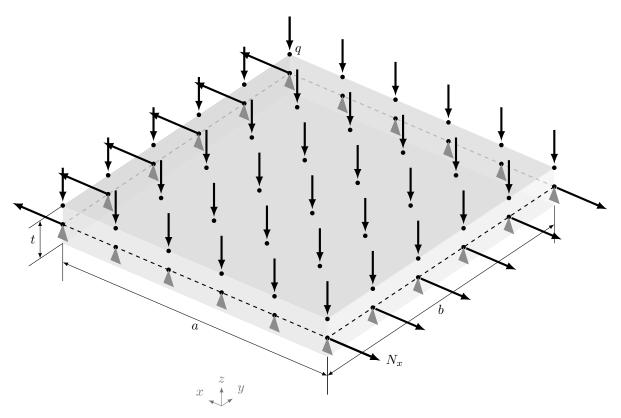


Figure 1: TIM381

Table 1: Input Data

Material Property		Geometric Data		Loading Data			
Young's Modulus (E)	2E11 pa	Length (a)	10 m	Axial Tension $(N_x)$	2E7 N/m		
Poission's Ratio $(\nu)$	0.3	Breath (b)	10~m	Distributed Load $(q)$	$1000\ N/m^2$		
		Thickness $(t)$	0.1~m				

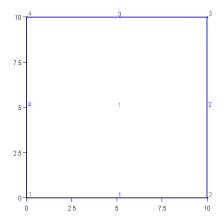
# Mesh and boundary condition :

### Analytically solution:

The  $w_{max}$  which is the w displacement at the middle of the plate is given by

$$w_{max} = \alpha \frac{qb^4}{Et^3} \tag{1}$$

Where  $\alpha$  can be taken from the graph given in the figure : ??. For this problem alpha is taken as  $\alpha \approx 0.0113$ .



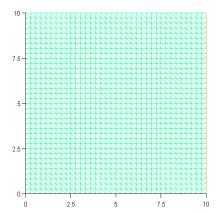


Figure 2: Geomentry and Mesh of TIM381

Table 2: FEM and Boundary condition data

Direchlet Boundary			Neumann Boundary					
Geo -Entity	w	$\theta_x$	$\theta_y$	Geo -Entity	$F_z$	$M_x$	$M_y$	
line {1,2,3,4}	Fixed	Free	Free	Area {1}	$1000 \ N/m^2$			
				Geo -Entity	Fx			
				$line{1,3}$	2E7 N/m			

The parameter  $\gamma$  is given by

$$\gamma = \frac{N_x b^2}{4\pi^2 D} \tag{2}$$

The analytically solution of the problem is calculated as  $w_{max} = 0.000565m$ 

### Result and error analysis:

The maximum displacement of the domain is our solution . w displacement at middle is 0.000566m.

So the Error percentage is 0.17%.

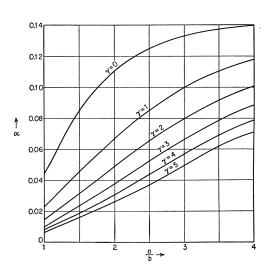


Figure 3: Graph to find  $\alpha$  .

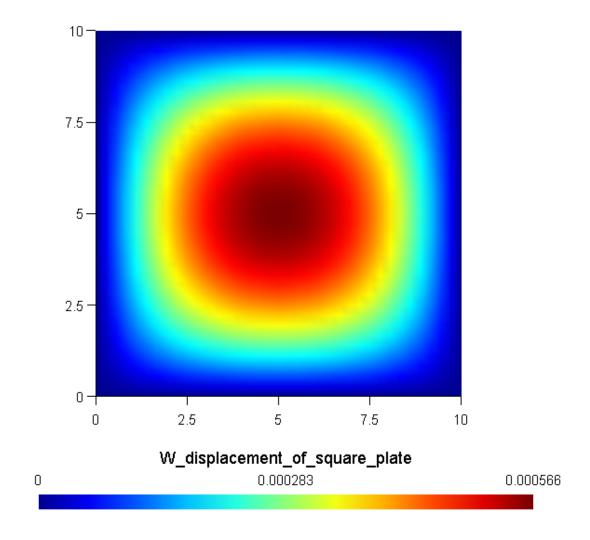


Figure 4: FEM solution plot