

Replication of Lyubchich et al. (2020): A data-driven approach to detecting change points in linear regression models

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Warning: package 'funtimes' was built under R version 4.4.2

Regression Models

- (25%) Estimates in equations (8) and (9); retype the equations in this format in your report

$$\hat{y}_{1t} = -0.98 (0.405) + 6.903101e - 06 (1.069109e - 06) JanAprTNLoad_t, \quad (8)$$

$$\hat{y}_{2t} = -0.217 (0.426) + 5.596 \cdot 10^{-6} (1.360 \cdot 10^{-6}) JanMayTNLoad_t, \quad (9)$$

where \hat{y}_{1t} is Chesapeake Bay early summer anoxic volumes, and \hat{y}_{2t} is late summer anoxic volumes, $JanAprTNLoad_t$ is total nitrogen load from Susquehanna and Potomac Rivers during January–April, $JanMayTNLoad_t$ is total nitrogen load from Susquehanna River during January–May, and standard errors of the coefficients are shown in parentheses.

- (25%) Figure 3 (can provide a different look but preserve the superscripts in axes labels and labels for the lines in A and D; format as subfigures and not separate figures)
- (25%) Figure 4 (this figure can be presented as separate figures)
- (25%) Bootstrapped p-values (closely) corresponding to the two lines for CART in Table 2.

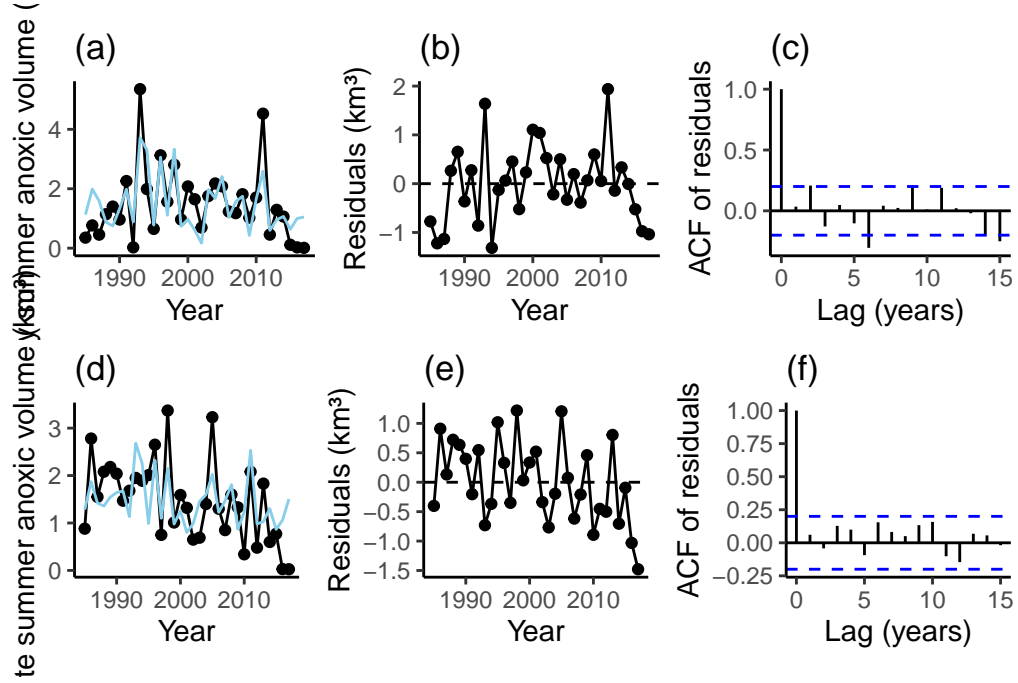


Figure 1: Regression models of anoxic volumes in Chesapeake Bay: (a) anoxic volumes in early summer, fitted with (8); (d) anoxic volumes in late summer, fitted with (9); (b, e) respective residuals; (c, f) sample autocorrelation functions (ACFs) of the residuals

Table 1: Bootstrapped p-values by CART Method

<hr/> x <hr/>
0.0216978
0.0072993 <hr/>