CS4618: Artificial Intelligence I

Genetic Algorithms

Derek Bridge School of Computer Science and Information Technology University College Cork

Initialization

```
In [1]: %reload_ext autoreload
%autoreload 2
%matplotlib inline
```

In [2]: import pandas as pd
import numpy as np
import matplotlib.pyplot as plt

Evolving Table-Driven Agents

- Previously, we programmed the agent: by filling in the table
- Today, we will evolve the agent
- To make the problem harder
 - ...we will now allow all 8 sensors



- ...and 4 actions
 - o MOVE
 - O TURN(RIGHT, 2)
 - O TURN(RIGHT, 4)
 - O TURN(LEFT, 2)

Evolution by Natural Selection

- Inheritance: Individuals inherit characteristics from their parents
- Variation: But individuals vary
 - By combining and mutating inherited characteristics
- Fitness: Lower fitness characteristics are selectively eliminated ('survival of the fittest')

Genetic Algorithms (GAs)

- GAs emulate evolution
- They iteratively update a **population** of **individuals**
- Each new generation of the population is obtained by probabilistically selecting fitter individuals from the current generation
 - Some of these individuals are **copied** to the next generation unchanged
 - Some are subject to **crossover** to create new offspring
 - Some of the new generation undergo mutation
- GAs differ from real-world evolution, e.g. each generation is the same size as the previous one

A genetic algorithm

- *n* is the number of individuals in the population
- ullet χ is the proportion of the population to be replaced by crossover, e.g. 0.8
- μ is the mutation rate, e.g. 0.01

```
GA(n, \chi, \mu)
 • // Initialise generation 0:
    k = 0:
    P_k = a population of n randomly-generated individuals;
 • // Evaluate P_k:
    Compute fitness(i) for each i \in P_k;
 • do {
      ■ // Create generation k+1:
        Select (1 - \chi) \times n members of P_k and insert into P_{k+1};
        // 2. Crossover:
         Select \chi \times n members of P_k;
         pair them up;
        produce offspring;
        insert the offspring into P_{k+1};
        // 3. Mutate:
         Select \mu \times n members of P_{k+1};
        invert a randomly-selected bit in each;
      ■ // Evaluate P_{k+1}:
         Compute fitness(i) for each i \in P_{k+1};
      ■ // Increment:
         k = k + 1:
    } while fitness of fittest individual in P_k is not high enough;
 • return the fittest individual from P_k;
```

Representation of individuals

- Individuals are represented by bit strings
- This requires a way of encoding and decoding

Encoding/decoding

• Suppose this is the agent's table:

Percept	Action	
00000000	MOVE	
0000001	TURN(LEFT, 2)	
0000010	TURN(RIGHT, 4)	
:	:	

• We can assign unique codes to the actions:

Action	Bt string	
MOVE	00	
TURN(RIGHT, 2)	01	
TURN(RIGHT, 4)	10	
TURN(LEFT, 2)	11	

• We can concatenate all entries in the table to form one long bit string:

000000000 0000000111 0000001010 ...

- Class exercise: How long will this bit string be?
- In fact, we don't need to include the percepts:

- Class exercise: How long will this bit string be now?
- Class exercise: How many different bit strings (or tables or agents) are there?

Fitness

- The GA needs a (task-specific) fitness function
- E.g. place an individual into a room then, of all the cells that it visits, calculate the proportion that are adjacent to walls
- Typically, average performance over several tasks is computed

Copy

- How do we select the $(1 \chi) \times n$ individuals who will be copied over?
- Obviously, influenced by their fitness, but we don't simply take the fittest
- Instead, it is probabilistic, e.g.:
 - Roulette wheel selection:

o Probability of selection is equal to relative fitness:
$$Prob(choice = i) = \frac{fitness(i)}{\sum_{j=1}^{n} fitness(j)}$$

- Rank selection:
 - O Probability of selection is inversely proportional to position in the population after sorting by
- Tournament selection:
 - O Repeatedly, select a random subset of the population and chose the fittest in this subset
- Selection is usually done with replacement: an individual can be picked more than once

Crossover

- In crossover:
 - Select $\chi \times n$ individuals
 - O How? By roulette wheel, rank or tournament selection
 - Pair them up, giving $(\chi \times n)/2$ pairs
 - Swap a random portion of the father with a random portion of the mother, giving two new offspring
- The offspring may or may not be fitter than their parents:
 - We hope roulette wheel/rank/tournament seletion has chosen reasonably fit parents, and the offspring might have some fitness advantage by incorporating parts of these parents
 - On the other hand, no guarantees!
- Single-point crossover: choose a random position and swap
- (There are other froms of crossover, e.g. two-point crossover, uniform crossover not covered in CS4618)

Single-point crossover

11101001000

11101010101

00001010101

00001001000

Efficient single-point crossover

• Generate two masks, e.g.:

 $mask_1: 11111100000$ $mask_2: 00000011111$

Then

 $offspring_1 = (parent_1 \land mask_1) \lor (parent_2 \land mask_2)$ $offspring_2 = (parent_1 \land mask_2) \lor (parent_2 \land mask_1)$

Example of efficient single-point crossover

 parent1:
 11101001000 parent2:
 00001010101

 mask1:
 111110000000 mask2:
 00000111111

 Λ :
 11101000000 Λ :
 00000010101

V: 11101010101

Mutate

- Select $\mu \times n$ individuals from the *new* generation
 - How? Random with *uniform* probability, not by fitness
- For each selected individual, a bit is chosen at random and this bit is inverted
- E.a.

111010<u>0</u>1000 111010<u>1</u>1000

Efficient mutation

Generate a mask, e.g.:

mask: 00000010000

Then

 $newindividual = individual \oplus mask$

where \bigoplus is exclusive-or

• E.g.

individual: 11101001000

mask: 00000010000

 \oplus : 111010<u>1</u>1000

Discussion

- There's a risk of **crowding**:
 - This is where a fit individual reproduces a lot and it (or minor variants of it) dominate the population
 - It results in a lack of diversity and possible stagnation
- How to overcome crowding
 - Mutation
 - Rank selection or tournament selection
 - ...

Applications

- GAs have been used to evolve:
 - Digital circuits
 - Factory schedules
 - University timetables
 - Neural network architectures
 - Similarity measures
 - **...**
- Lecture discussion: How would we do university timetabling using a GA? Are there difficulties?

In []:			
---------	--	--	--