

Software Development (cs2500)

Lecture 9: Making Decisions (Continued)

M. R. C. van Dongen

October 11, 2013

Boolean Expressions

Boolean Expressions

Cayley Tables

Distributive Laws

Short-Circuit Evaluation

De Morgan's Laws

Confusion

Precedence Table

Test for Oddness

For Monday

Acknowledgements

References

About this Document

! $\langle \text{expr} \rangle$: true iff $\langle \text{expr} \rangle$ is false.

$\langle \text{fst} \rangle \ \&\& \ \langle \text{snd} \rangle$: true iff $\langle \text{fst} \rangle$ and $\langle \text{snd} \rangle$ are true.

$\langle \text{fst} \rangle \ || \ \langle \text{snd} \rangle$: true iff at least one of $\langle \text{fst} \rangle$ and $\langle \text{snd} \rangle$ are true.

Cayley Table: !

!

false
true

Cayley Table: !

!	
false	true
true	

Cayley Table: !

!	
false	true
true	

Cayley Table: !

!	
false	true
true	false

Cayley Table: !

!	
false	true
true	false

- Pretend false is represented as 0 and true as 1.
- Then `!bool == 1 - bool` for any boolean `bool`.

&&	false	true
false		
true		

Cayley Table: &&

&&	false	true
false		
true		

Cayley Table: &&

&&	false	true
false	false	
true		

&&	false	true
false	false	
true		

Cayley Table: &&

&&	false	true
false	false	false
true	false	false

Cayley Table: &&

&&	false	true
false	false	false
true	false	false

Cayley Table: &&

&&	false	true
false	false	false
true	false	false

&&	false	true
false	false	false
true	false	

Cayley Table: &&

&&	false	true
false	false	false
true	false	true

Behaves as “Minumum”

Behaves as “Minumum”

◀ ◻ ▶ ◀ ◻ ▶ ◀ ≡ ▶ ◀ ≡ ▶ ≡ 🔍 ↺

Cayley Table: ||

	false	true
false		
true		

Cayley Table: | |

	false	true
false		
true		

Cayley Table: | |

	false	true
false	false	
true		

Cayley Table: | |

	false	true
false	false	
true		

Cayley Table: ||

	false	true
false	false	true
true		

Cayley Table: ||

	false	true
false	false	true
true		

Cayley Table: ||

	false	true
false	false	true
true	true	

Cayley Table: ||

	false	true
false	false	true
true	true	

Software Development

M. R. C. van Dongen

Boolean Expressions

Cayley Tables

Distributive Laws

Short-Circuit Evaluation

De Morgan's Laws

Confusion

Precedence Table

Test for Oddness

For Monday

Acknowledgements

References

About this Document

Cayley Table: ||

	false	true
false	false	true
true	true	true

Software Development

M. R. C. van Dongen

Boolean Expressions

Cayley Tables

Distributive Laws

Short-Circuit Evaluation

De Morgan's Laws

Confusion

Precedence Table

Test for Oddness

For Monday

Acknowledgements

References

About this Document

Behaves as “Maximum”

Behaves as “Maximum”

◀ ◻ ▶ ◀ ◻ ▶ ◀ ≡ ▶ ◀ ≡ ▶ ≡ 🔍 ↺

Example (!)

Java

```
if (!(temperatureIndegrees >= FREEZING_TEMPERATURE_OF_WATER)) {  
    System.out.println( "It's freezing." );  
}
```

Software Development

M. R. C. van Dongen

Boolean Expressions

Cayley Tables

Distributivite Laws

Short-Circuit Evaluation

De Morgan's Laws

Confusion

Precedence Table

Test for Oddness

For Monday

Acknowledgements

References

About this Document

Example (!)

Java

```
if (!(temperatureIndegrees >= FREEZING_TEMPERATURE_OF_WATER)) {  
    System.out.println( "It's freezing." );  
}
```

Software Development

M. R. C. van Dongen

Boolean Expressions

Cayley Tables

Distributivite Laws

Short-Circuit Evaluation

De Morgan's Laws

Confusion

Precedence Table

Test for Oddness

For Monday

Acknowledgements

References

About this Document

Example (| |)

Java

```
private static final double KILOGRAM = 1.0;
private static final double EPSILON = 10E-3 * KILOGRAM;
:
:

final double firstWeight = ...;
final double secondWeight = ...;
final double difference = firstWeight - secondWeight;

if ((difference < -EPSILON) || (EPSILON < difference)) {
    System.out.println( "The weights are not in the same range." );
}
```

Example (&&)

Java

```
final Person person = new Person( );

if ((temperatureInDegrees < FREEZING_TEMPERATURE_OF_WATER)
    && (person.isOutSide( ))) {
    person.shiver( );
}
```

Example (|| and &&)

Java

```
final Person person = new Person( );

if ((person.isOutside( ))
    && ((temperatureInDegrees < 0.0)
        || ((person.isIrish( )) && (temperatureInDegrees < 15.0)))) {
    person.complain( "It's freezing." );
}
```


Distributive Laws

- Let D be a domain (of values/booleans).
- Let \oplus_1 and \oplus_2 be operations on D .
- If $a \oplus_1 (b \oplus_2 c) = (a \oplus_1 b) \oplus_2 (a \oplus_1 c)$ for any a , b , and c in D .
- Then \oplus_1 is said to *distribute over* \oplus_2 .

Distributive Laws

- Let D be a domain (of values/booleans).
- Let \oplus_1 and \oplus_2 be operations on D .
- If $a \oplus_1 (b \oplus_2 c) = (a \oplus_1 b) \oplus_2 (a \oplus_1 c)$ for any a , b , and c in D .
- Then \oplus_1 is said to *distribute over* \oplus_2 .
- Multiplication distributes over addition:
 - $a * (b + c) == (a * b) + (a * c)$.

Distributive Laws

- Let D be a domain (of values/booleans).
- Let \oplus_1 and \oplus_2 be operations on D .
- If $a \oplus_1 (b \oplus_2 c) = (a \oplus_1 b) \oplus_2 (a \oplus_1 c)$ for any a , b , and c in D .
- Then \oplus_1 is said to *distribute over* \oplus_2 .
- Multiplication distributes over addition:
 - $a * (b + c) == (a * b) + (a * c)$.
- Multiplication distributes over subtraction:
 - $a * (b - c) == (a * b) - (a * c)$.

Distributive Laws

- Let D be a domain (of values/booleans).
- Let \oplus_1 and \oplus_2 be operations on D .
- If $a \oplus_1 (b \oplus_2 c) = (a \oplus_1 b) \oplus_2 (a \oplus_1 c)$ for any a , b , and c in D .
- Then \oplus_1 is said to *distribute over* \oplus_2 .
- Multiplication distributes over addition:
 - $a * (b + c) == (a * b) + (a * c)$.
- Multiplication distributes over subtraction:
 - $a * (b - c) == (a * b) - (a * c)$.
- Conjunction (&&) distributes over itself:
 - $a \&\& (b \&\& c) == (a \&\& b) \&\& (a \&\& c)$.

Distributive Laws

- Let D be a domain (of values/booleans).
- Let \oplus_1 and \oplus_2 be operations on D .
- If $a \oplus_1 (b \oplus_2 c) = (a \oplus_1 b) \oplus_2 (a \oplus_1 c)$ for any a , b , and c in D .
- Then \oplus_1 is said to *distribute over* \oplus_2 .
- Multiplication distributes over addition:
 - $a * (b + c) == (a * b) + (a * c)$.
- Multiplication distributes over subtraction:
 - $a * (b - c) == (a * b) - (a * c)$.
- Conjunction (&&) distributes over itself:
 - $a \&\& (b \&\& c) == (a \&\& b) \&\& (a \&\& c)$.
- Conjunction distributes over disjunction (||):
 - $a \&\& (b || c) == (a \&\& b) || (a \&\& c)$.

Proof of Claim of Distributivity

a	b	c	a && (b c)	(a && b) (a && c)
false	false	false		
false	false	true		
false	true	false		
false	true	true		
true	false	false		
true	false	true		
true	true	false		
true	true	true		

Proof of Claim of Distributivity

a	b	c	a && (b c)	(a && b) (a && c)
false	false	false	false	false
false	false	true	false	false
false	true	false	false	false
false	true	true	false	false
true	false	false	true	true
true	false	true	true	true
true	true	false	true	true
true	true	true	true	true

Proof of Claim of Distributivity

a	b	c	$a \ \&\& \ (b \ \ c)$	$(a \ \&\& \ b) \ \ (a \ \&\& \ c)$
false	false	false	false	false
false	false	true		
false	true	false		
false	true	true		
true	false	false		
true	false	true		
true	true	false		
true	true	true		

Proof of Claim of Distributivity

a	b	c	a && (b c)	(a && b) (a && c)
false	false	false	false	false
false	false	true	false	false
false	true	false	false	false
false	true	true	false	false
true	false	false	true	false
true	false	true	true	false
true	true	false	true	true
true	true	true	true	true

Proof of Claim of Distributivity

a	b	c	a && (b c)	(a && b) (a && c)
false	false	false	false	false
false	false	true	false	
false	true	false		
false	true	true		
true	false	false		
true	false	true		
true	true	false		
true	true	true		

Proof of Claim of Distributivity

a	b	c	a && (b c)	(a && b) (a && c)
false	false	false	false	false
false	false	true	false	false
false	true	false		
false	true	true		
true	false	false		
true	false	true		
true	true	false		
true	true	true		

Proof of Claim of Distributivity

a	b	c	a && (b c)	(a && b) (a && c)
false	false	false	false	false
false	false	true	false	false
false	true	false		
false	true	true		
true	false	false		
true	false	true		
true	true	false		
true	true	true		

Proof of Claim of Distributivity

a	b	c	a && (b c)	(a && b) (a && c)
false	false	false	false	false
false	false	true	false	false
false	true	false	false	
false	true	true		
true	false	false		
true	false	true		
true	true	false		
true	true	true		

Proof of Claim of Distributivity

a	b	c	a && (b c)	(a && b) (a && c)
false	false	false	false	false
false	false	true	false	false
false	true	false	false	false
false	true	true		
true	false	false		
true	false	true		
true	true	false		
true	true	true		

Proof of Claim of Distributivity

a	b	c	a && (b c)	(a && b) (a && c)
false	false	false	false	false
false	false	true	false	false
false	true	false	false	false
false	true	true		
true	false	false		
true	false	true		
true	true	false		
true	true	true		

Proof of Claim of Distributivity

a	b	c	a && (b c)	(a && b) (a && c)
false	false	false	false	false
false	false	true	false	false
false	true	false	false	false
false	true	true	false	false
true	false	false	true	true
true	false	true	true	true
true	true	false	true	true
true	true	true	true	true

Proof of Claim of Distributivity

a	b	c	a && (b c)	(a && b) (a && c)
false	false	false	false	false
false	false	true	false	false
false	true	false	false	false
false	true	true	false	false
true	false	false		
true	false	true		
true	true	false		
true	true	true		

Proof of Claim of Distributivity

a	b	c	a && (b c)	(a && b) (a && c)
false	false	false	false	false
false	false	true	false	false
false	true	false	false	false
false	true	true	false	false
true	false	false		
true	false	true		
true	true	false		
true	true	true		

Proof of Claim of Distributivity

a	b	c	a && (b c)	(a && b) (a && c)
false	false	false	false	false
false	false	true	false	false
false	true	false	false	false
false	true	true	false	false
true	false	false	false	
true	false	true		
true	true	false		
true	true	true		

Proof of Claim of Distributivity

a	b	c	a && (b c)	(a && b) (a && c)
false	false	false	false	false
false	false	true	false	false
false	true	false	false	false
false	true	true	false	false
true	false	false	false	false
true	false	true		
true	true	false		
true	true	true		

Proof of Claim of Distributivity

a	b	c	a && (b c)	(a && b) (a && c)
false	false	false	false	false
false	false	true	false	false
false	true	false	false	false
false	true	true	false	false
true	false	false	false	false
true	false	true		
true	true	false		
true	true	true		

Proof of Claim of Distributivity

a	b	c	a && (b c)	(a && b) (a && c)
false	false	false	false	false
false	false	true	false	false
false	true	false	false	false
false	true	true	false	false
true	false	false	false	false
true	false	true	true	
true	true	false		
true	true	true		

Proof of Claim of Distributivity

a	b	c	a && (b c)	(a && b) (a && c)
false	false	false	false	false
false	false	true	false	false
false	true	false	false	false
false	true	true	false	false
true	false	false	false	false
true	false	true	true	true
true	true	false		
true	true	true		

Proof of Claim of Distributivity

a	b	c	a && (b c)	(a && b) (a && c)
false	false	false	false	false
false	false	true	false	false
false	true	false	false	false
false	true	true	false	false
true	false	false	false	false
true	false	true	true	true
true	true	false		
true	true	true		

a	b	c	a && (b c)	(a && b) (a && c)
false	false	false	false	false
false	false	true	false	false
false	true	false	false	false
false	true	true	false	false
true	false	false	false	false
true	false	true	true	true
true	true	false	true	true
true	true	true	true	true

Proof of Claim of Distributivity

a	b	c	a && (b c)	(a && b) (a && c)
false	false	false	false	false
false	false	true	false	false
false	true	false	false	false
false	true	true	false	false
true	false	false	false	false
true	false	true	true	true
true	true	false	true	true
true	true	true		

Proof of Claim of Distributivity

a	b	c	a && (b c)	(a && b) (a && c)
false	false	false	false	false
false	false	true	false	false
false	true	false	false	false
false	true	true	false	false
true	false	false	false	false
true	false	true	true	true
true	true	false	true	true
true	true	true		

Proof of Claim of Distributivity


a	b	c	a && (b c)	(a && b) (a && c)
false	false	false	false	false
false	false	true	false	false
false	true	false	false	false
false	true	true	false	false
true	false	false	false	false
true	false	true	true	true
true	true	false	true	true
true	true	true	true	true

Proof of Claim of Distributivity

a	b	c	a && (b c)	(a && b) (a && c)
false	false	false	false	false
false	false	true	false	false
false	true	false	false	false
false	true	true	false	false
true	false	false	false	false
true	false	true	true	true
true	true	false	true	true
true	true	true	true	true


Short-Circuit Evaluation

- When one of the operands of `&&` is false, the result is false.
- When one of the operands of `||` is true, the result is true.
- When this happens, we say that the operand *forecasts* the result.¹
- Java exploits result forecasting to save time.
- When the first operand forecasts the result, Java doesn't evaluate the second operand.
- This is called *short-circuit* evaluation.
- Using short-circuit evaluation doesn't make any difference.

¹The notion of forecasting the result is not standard. 


Short-Circuit Evaluation

- When one of the operands of `&&` is false, the result is false.
- When one of the operands of `||` is true, the result is true.
- When this happens, we say that the operand *forecasts* the result.¹
- Java exploits result forecasting to save time.
- When the first operand forecasts the result, Java doesn't evaluate the second operand.
- This is called *short-circuit* evaluation.
- Using short-circuit evaluation doesn't make any difference.

¹The notion of forecasting the result is not standard. 


Short-Circuit Evaluation

- When one of the operands of `&&` is false, the result is false.
- When one of the operands of `||` is true, the result is true.
- When this happens, we say that the operand *forecasts* the result.¹
- Java exploits result forecasting to save time.
- When the first operand forecasts the result, Java doesn't evaluate the second operand.
- This is called *short-circuit* evaluation.
- Using short-circuit evaluation doesn't make any difference.

¹The notion of forecasting the result is not standard. 


Short-Circuit Evaluation

- When one of the operands of `&&` is false, the result is false.
- When one of the operands of `||` is true, the result is true.
- When this happens, we say that the operand *forecasts* the result.¹
- Java exploits result forecasting to save time.
- When the first operand forecasts the result, Java doesn't evaluate the second operand.
- This is called *short-circuit evaluation*.
- Using short-circuit evaluation doesn't make any difference.

¹The notion of forecasting the result is not standard. 

Short-Circuit Evaluation


- When one of the operands of `&&` is false, the result is false.
- When one of the operands of `||` is true, the result is true.
- When this happens, we say that the operand *forecasts* the result.¹
- Java exploits result forecasting to save time.
- When the first operand forecasts the result, Java doesn't evaluate the second operand.
- This is called *short-circuit* evaluation.
- Using short-circuit evaluation doesn't make any difference.

¹The notion of forecasting the result is not standard. 

Short-Circuit Evaluation

- When one of the operands of `&&` is false, the result is false.
- When one of the operands of `||` is true, the result is true.
- When this happens, we say that the operand *forecasts* the result.¹
- Java exploits result forecasting to save time.
- When the first operand forecasts the result, Java doesn't evaluate the second operand.
- This is called *short-circuit* evaluation.
- Using short-circuit evaluation doesn't make any difference,

Except when there are side effects.

¹The notion of forecasting the result is not standard. 

Example

Prints ?

Java

```
public class ShortCircuitEvaluation {
    public static void main( String[] args ) {
        final boolean tt = booleanCall( true, 1 ) && booleanCall( true, 2 );
        final boolean tf = booleanCall( true, 3 ) && booleanCall( false, 4 );
        final boolean ft = booleanCall( false, 5 ) && booleanCall( true, 6 );
        final boolean ff = booleanCall( false, 7 ) && booleanCall( false, 8 );
    }

    private static boolean booleanCall( final boolean result, final int number ) {
        System.out.print( number );
        return result;
    }
}
```

Software Development

M. R. C. van Dongen

Boolean Expressions

Cayley Tables

Distributive Laws

Short-Circuit Evaluation

De Morgan's Laws

Confusion

Precedence Table

Test for Oddness

For Monday

Acknowledgements

References

About this Document

Example

Prints 1

Java

```
public class ShortCircuitEvaluation {  
    public static void main( String[] args ) {  
        final boolean tt = booleanCall( true, 1 ) && booleanCall( true, 2 );  
        final boolean tf = booleanCall( true, 3 ) && booleanCall( false, 4 );  
        final boolean ft = booleanCall( false, 5 ) && booleanCall( true, 6 );  
        final boolean ff = booleanCall( false, 7 ) && booleanCall( false, 8 );  
    }  
  
    private static boolean booleanCall( final boolean result, final int number ) {  
        System.out.print( number );  
        return result;  
    }  
}
```

Software Development

M. R. C. van Dongen

Boolean Expressions

Cayley Tables

Distributive Laws

Short-Circuit Evaluation

De Morgan's Laws

Confusion

Precedence Table

Test for Oddness

For Monday

Acknowledgements

References

About this Document

Example

Prints 1

Java

```
public class ShortCircuitEvaluation {
    public static void main( String[] args ) {
        final boolean tt = booleanCall( true, 1 ) && booleanCall( true, 2 );
        final boolean tf = booleanCall( true, 3 ) && booleanCall( false, 4 );
        final boolean ft = booleanCall( false, 5 ) && booleanCall( true, 6 );
        final boolean ff = booleanCall( false, 7 ) && booleanCall( false, 8 );
    }

    private static boolean booleanCall( final boolean result, final int number ) {
        System.out.print( number );
        return result;
    }
}
```

Software Development

M. R. C. van Dongen

Boolean Expressions

Cayley Tables

Distributive Laws

Short-Circuit Evaluation

De Morgan's Laws

Confusion

Precedence Table

Test for Oddness

For Monday

Acknowledgements

References

About this Document

Example

Prints 12

Java

```
public class ShortCircuitEvaluation {
    public static void main( String[] args ) {
        final boolean tt = booleanCall( true, 1 ) && booleanCall( true, 2 );
        final boolean tf = booleanCall( true, 3 ) && booleanCall( false, 4 );
        final boolean ft = booleanCall( false, 5 ) && booleanCall( true, 6 );
        final boolean ff = booleanCall( false, 7 ) && booleanCall( false, 8 );
    }

    private static boolean booleanCall( final boolean result, final int number ) {
        System.out.print( number );
        return result;
    }
}
```

Software Development

M. R. C. van Dongen

Boolean Expressions

Cayley Tables

Distributive Laws

Short-Circuit Evaluation

De Morgan's Laws

Confusion

Precedence Table

Test for Oddness

For Monday

Acknowledgements

References

About this Document

Example

Prints 12

Java

```
public class ShortCircuitEvaluation {
    public static void main( String[] args ) {
        final boolean tt = booleanCall( true, 1 ) && booleanCall( true, 2 );
        final boolean tf = booleanCall( true, 3 ) && booleanCall( false, 4 );
        final boolean ft = booleanCall( false, 5 ) && booleanCall( true, 6 );
        final boolean ff = booleanCall( false, 7 ) && booleanCall( false, 8 );
    }

    private static boolean booleanCall( final boolean result, final int number ) {
        System.out.print( number );
        return result;
    }
}
```

Software Development

M. R. C. van Dongen

Boolean Expressions

Cayley Tables

Distributive Laws

Short-Circuit Evaluation

De Morgan's Laws

Confusion

Precedence Table

Test for Oddness

For Monday

Acknowledgements

References

About this Document

Example

Prints 123

Java

```
public class ShortCircuitEvaluation {
    public static void main( String[] args ) {
        final boolean tt = booleanCall( true, 1 ) && booleanCall( true, 2 );
        final boolean tf = booleanCall( true, 3 ) && booleanCall( false, 4 );
        final boolean ft = booleanCall( false, 5 ) && booleanCall( true, 6 );
        final boolean ff = booleanCall( false, 7 ) && booleanCall( false, 8 );
    }

    private static boolean booleanCall( final boolean result, final int number ) {
        System.out.print( number );
        return result;
    }
}
```

Software Development

M. R. C. van Dongen

Boolean Expressions

Cayley Tables

Distributive Laws

Short-Circuit Evaluation

De Morgan's Laws

Confusion

Precedence Table

Test for Oddness

For Monday

Acknowledgements

References

About this Document

Example

Prints 123

Java

```
public class ShortCircuitEvaluation {
    public static void main( String[] args ) {
        final boolean tt = booleanCall( true, 1 ) && booleanCall( true, 2 );
        final boolean tf = booleanCall( true, 3 ) && booleanCall( false, 4 );
        final boolean ft = booleanCall( false, 5 ) && booleanCall( true, 6 );
        final boolean ff = booleanCall( false, 7 ) && booleanCall( false, 8 );
    }

    private static boolean booleanCall( final boolean result, final int number ) {
        System.out.print( number );
        return result;
    }
}
```

Software Development

M. R. C. van Dongen

Boolean Expressions

Cayley Tables

Distributive Laws

Short-Circuit Evaluation

De Morgan's Laws

Confusion

Precedence Table

Test for Oddness

For Monday

Acknowledgements

References

About this Document

Example

Prints 1234

Java

```
public class ShortCircuitEvaluation {
    public static void main( String[] args ) {
        final boolean tt = booleanCall( true, 1 ) && booleanCall( true, 2 );
        final boolean tf = booleanCall( true, 3 ) && booleanCall( false, 4 );
        final boolean ft = booleanCall( false, 5 ) && booleanCall( true, 6 );
        final boolean ff = booleanCall( false, 7 ) && booleanCall( false, 8 );
    }

    private static boolean booleanCall( final boolean result, final int number ) {
        System.out.print( number );
        return result;
    }
}
```

Software Development

M. R. C. van Dongen

Boolean Expressions

Cayley Tables

Distributive Laws

Short-Circuit Evaluation

De Morgan's Laws

Confusion

Precedence Table

Test for Oddness

For Monday

Acknowledgements

References

About this Document

Example

Prints 1234

Java

```
public class ShortCircuitEvaluation {
    public static void main( String[] args ) {
        final boolean tt = booleanCall( true, 1 ) && booleanCall( true, 2 );
        final boolean tf = booleanCall( true, 3 ) && booleanCall( false, 4 );
        final boolean ft = booleanCall( false, 5 ) && booleanCall( true, 6 );
        final boolean ff = booleanCall( false, 7 ) && booleanCall( false, 8 );
    }

    private static boolean booleanCall( final boolean result, final int number ) {
        System.out.print( number );
        return result;
    }
}
```

Software Development

M. R. C. van Dongen

Boolean Expressions

Cayley Tables

Distributive Laws

Short-Circuit Evaluation

De Morgan's Laws

Confusion

Precedence Table

Test for Oddness

For Monday

Acknowledgements

References

About this Document

Example

Prints 12345

Java

```
public class ShortCircuitEvaluation {
    public static void main( String[] args ) {
        final boolean tt = booleanCall( true, 1 ) && booleanCall( true, 2 );
        final boolean tf = booleanCall( true, 3 ) && booleanCall( false, 4 );
        final boolean ft = booleanCall( false, 5 ) && booleanCall( true, 6 );
        final boolean ff = booleanCall( false, 7 ) && booleanCall( false, 8 );
    }

    private static boolean booleanCall( final boolean result, final int number ) {
        System.out.print( number );
        return result;
    }
}
```

Software Development

M. R. C. van Dongen

Boolean Expressions

Cayley Tables

Distributive Laws

Short-Circuit Evaluation

De Morgan's Laws

Confusion

Precedence Table

Test for Oddness

For Monday

Acknowledgements

References

About this Document

Example

Prints 12345

Java

```
public class ShortCircuitEvaluation {
    public static void main( String[] args ) {
        final boolean tt = booleanCall( true, 1 ) && booleanCall( true, 2 );
        final boolean tf = booleanCall( true, 3 ) && booleanCall( false, 4 );
        final boolean ft = booleanCall( false, 5 ) && booleanCall( true, 6 );
        final boolean ff = booleanCall( false, 7 ) && booleanCall( false, 8 );
    }

    private static boolean booleanCall( final boolean result, final int number ) {
        System.out.print( number );
        return result;
    }
}
```

Software Development

M. R. C. van Dongen

Boolean Expressions

Cayley Tables

Distributive Laws

Short-Circuit Evaluation

De Morgan's Laws

Confusion

Precedence Table

Test for Oddness

For Monday

Acknowledgements

References

About this Document

Example

Prints 123457

Java

```
public class ShortCircuitEvaluation {
    public static void main( String[] args ) {
        final boolean tt = booleanCall( true, 1 ) && booleanCall( true, 2 );
        final boolean tf = booleanCall( true, 3 ) && booleanCall( false, 4 );
        final boolean ft = booleanCall( false, 5 ) && booleanCall( true, 6 );
        final boolean ff = booleanCall( false, 7 ) && booleanCall( false, 8 );
    }

    private static boolean booleanCall( final boolean result, final int number ) {
        System.out.print( number );
        return result;
    }
}
```

Software Development

M. R. C. van Dongen

Boolean Expressions

Cayley Tables

Distributive Laws

Short-Circuit Evaluation

De Morgan's Laws

Confusion

Precedence Table

Test for Oddness

For Monday

Acknowledgements

References

About this Document

Example

Prints 123457

Java

```
public class ShortCircuitEvaluation {
    public static void main( String[] args ) {
        final boolean tt = booleanCall( true, 1 ) && booleanCall( true, 2 );
        final boolean tf = booleanCall( true, 3 ) && booleanCall( false, 4 );
        final boolean ft = booleanCall( false, 5 ) && booleanCall( true, 6 );
        final boolean ff = booleanCall( false, 7 ) && booleanCall( false, 8 );
    }

    private static boolean booleanCall( final boolean result, final int number ) {
        System.out.print( number );
        return result;
    }
}
```

Software Development

M. R. C. van Dongen

Boolean Expressions

Cayley Tables

Distributive Laws

Short-Circuit Evaluation

De Morgan's Laws

Confusion

Precedence Table

Test for Oddness

For Monday

Acknowledgements

References

About this Document

De Morgan's Laws

- Many expressions combine negation (!) with conjunction (&&) or disjunction (||).
- *De Morgan's Law* explains how to simplify these expressions.
- If A and B are boolean values, then:
 - 1 ! (A && B) is equal to (!A) || (!B); and
 - 2 ! (A || B) is equal to (!A) && (!B).

De Morgan's Laws

If it's not true that both A and B are true, at least one of them must be false

- Many expressions combine negation (!) with conjunction (&&) or disjunction (||).
- *De Morgan's Law* explains how to simplify these expressions.
- If A and B are boolean values, then:
 - 1 $!(A \ \&\& \ B)$ is equal to $(!A) \ || \ (!B)$; and
 - 2 $!(A \ || \ B)$ is equal to $(!A) \ \&\& \ (!B)$.

De Morgan's Laws

If it's not true that at least one of A and B is true, both must be false

- Many expressions combine negation (!) with conjunction (&&) or disjunction (||).
- De Morgan's Law* explains how to simplify these expressions.
- If A and B are boolean values, then:
 - $!(A \ \&\& \ B)$ is equal to $(!A) \ || \ (!B)$; and
 - $!(A \ || \ B)$ is equal to $(!A) \ \&\& \ (!B)$.

Confusing

Assume that $\langle \text{condition} \rangle$ is Side-effect Free

Java

```
if ( $\langle \text{condition} \rangle_1$ ) {  
    //  $\langle \text{condition} \rangle_1$  is true.  
     $\langle \text{statements} \rangle_1$   
} else if (! $\langle \text{condition} \rangle_1$  &&  $\langle \text{condition} \rangle_2$ ) {  
    //  $\langle \text{condition} \rangle_1$  is false and  
    //  $\langle \text{condition} \rangle_2$  is true.  
     $\langle \text{statements} \rangle_2$   
} else if (! $\langle \text{condition} \rangle_1$  && ! $\langle \text{condition} \rangle_2$ ) {  
    //  $\langle \text{condition} \rangle_1$  is false and  
    //  $\langle \text{condition} \rangle_2$  is false.  
     $\langle \text{statements} \rangle_3$   
}
```

Confusing

Assume that $\langle \text{condition} \rangle$ is Side-effect Free

Java

```
if ( $\langle \text{condition} \rangle_1$ ) {  
    //  $\langle \text{condition} \rangle_1$  is true.  
     $\langle \text{statements} \rangle_1$   
} else if ( $\langle \text{condition} \rangle_2$ ) {  
    //  $\langle \text{condition} \rangle_1$  is false and  
    //  $\langle \text{condition} \rangle_2$  is true.  
     $\langle \text{statements} \rangle_2$   
} else {  
    //  $\langle \text{condition} \rangle_1$  is false and  
    //  $\langle \text{condition} \rangle_2$  is false.  
     $\langle \text{statements} \rangle_3$   
}
```

Partial Operator Precedence Table

Software Development

M. R. C. van Dongen

Boolean Expressions

Cayley Tables

Distributive Laws

Short-Circuit Evaluation

De Morgan's Laws

Confusion

Precedence Table

Test for Oddness

For Monday

Acknowledgements

References

About this Document

Description	Operator	Associativity
post-*crement	$\langle \text{lvalue} \rangle ++$ and $\langle \text{lvalue} \rangle --$	left
pre-*crement, unary	$++\langle \text{lvalue} \rangle$, $--\langle \text{lvalue} \rangle$, $+\langle \text{expr} \rangle$, $-\langle \text{expr} \rangle$, and $!\langle \text{expr} \rangle$	right
object creation	new	right
multiplicative	$*$, $/$, and $\%$	left
additive	$+$ and $-$	right
relational	$<$, $>$, $<=$, and $>=$	left
equality	$==$ and $!=$	left
logical and	$\&\&$	left
logical or	$ $	left
ternary	$\langle \text{condition} \rangle ? \langle \text{expr} \rangle : \langle \text{expr} \rangle$	right
assignment	$=$, $+=$, $-=$, $*=$, $/=$, and $\%=$	right

Test for Oddness

ODD-SHAPED EYEGLASSES EXPRESS PERSONALITY



“INDIVIDUALIZED” eyeglasses are becoming a fad in England, and makers, departing from the convention that lenses and frames must be round or oval, are producing them in bizarre patterns. A heart-shaped pair, for feminine wearer, is illustrated.

Puzzler: Implementing a Test for Oddness

Is this Correct?

Don't Try This at Home

```
public static boolean isOdd( int number ) {  
    return number % 2 == 1;  
}
```

Software Development

M. R. C. van Dongen

Boolean Expressions

Cayley Tables

Distributive Laws

Short-Circuit Evaluation

De Morgan's Laws

Confusion

Precedence Table

Test for Oddness

For Monday

Acknowledgements

References

About this Document

Puzzler: Implementing a Test for Oddness

Solution

Java

```
public static boolean isOdd( int number ) {  
    return number % 2 != 0;  
}
```

Software Development

M. R. C. van Dongen

Boolean Expressions

Cayley Tables

Distributive Laws

Short-Circuit Evaluation

De Morgan's Laws

Confusion

Precedence Table

Test for Oddness

For Monday

Acknowledgements

References

About this Document

For Monday


- Study Sections 4.7, and 4.8.
- Optional: study Section 4.4 and 4.6.
- Carry out Programming Exercise 4.28.

Acknowledgements

- This lecture corresponds to [*Big Java, Early Objects*, 3.1–3.2].
- The partial operator precedence table is based on <http://download.oracle.com/javase/tutorial/java/nutsandbolts/operators.html>.
- The puzzler is based on Bloch, and Gafter 2005, Puzzles 1.

Bibliography

 Bloch, Joshua, and Neal Gafter [2005]. *Java Puzzlers Traps, Pitfalls, and Corner Cases*. Addison–Wesley. ISBN: 0-321-33678-x.

 Horstmann, Cay S. *Big Java, Early Objects*. International Student Version. Wiley. ISBN: 978-1-118-31877-5.

About this Document

- This document was created with pdf \LaTeX atex.
- The \LaTeX document class is beamer.

Software Development

M. R. C. van Dongen

Boolean Expressions

Cayley Tables

Distributive Laws

Short-Circuit Evaluation

De Morgan's Laws

Confusion

Precedence Table

Test for Oddness

For Monday

Acknowledgements

References

About this Document