



ANDman

Time limit: 1500 ms
Memory limit: 256 MB

And-man is found in a tree with N nodes numbered 1 to N represented by apples. Each apple has a specific weight W_i . Steve Rangers wants to see how reliable And-man is at completing missions, so he gives him various operations to calculate the multiplication of the weights of the apples associated with nodes in a simple path from u to v . But to see if he is really working on each mission, at certain times he will take an apple associated with node u and exchange it for another with the same or different weight. In short, there will be Q operations given by Steve Rangers. Each operation is one of the two following types:

- Type 1: u, v : We change the apple of node u for another one with a weight v .
- Type 2: u, v : Calculate the multiplication of all the weights of the apples associated with nodes in unique single path from u to v, print this number modulo 1000000007 ($10^9 + 7$).

Standard input

The first line is T , the number of testcases. Then T testcases follow.

Each test consists of several lines.

- The first line contains a single integer N - the number of nodes in tree.
- The second line contains N integers W_1, W_2, \dots, W_N where W_i is the weight of the apple associated with node i .
- Then $N - 1$ lines, each line contains two integers u and v ($1 \leq u, v \leq N$) denoting there is a direct edge between node u and node v . It is guaranteed that these edges form a tree.
- Then Q on a single line - the number of operations.
- Q lines follow, each line contains 3 integers t, u, v in which t is 1 or 2 denoting type of this operation described in the statement. If $t = 1$ then $1 \leq u \leq N, 1 \leq v \leq 10^9$. If $t = 2$ then $1 \leq u, v \leq N$.

Standard output

For each operation of type 2, print the answer on a single line.

Constraints and notes

- $1 \leq T \leq 10$
- $1 \leq N \leq 10^5$
- $1 \leq W_i \leq 10^9$
- $1 \leq Q \leq 10^5$

Input	Output	Explanation
<pre>1 5 9 11 11 13 13 1 2 1 3 2 4 2 5 6 2 4 5 1 1 15 2 1 4 2 3 5 1 2 10 2 4 3</pre>	<pre>1859 2145 23595 21450</pre>	<p>The list of operations is:</p> <ul style="list-style-type: none">operation 1: Calculate from node 4 to node 5, $13 \cdot 11 \cdot 13 = 1859$operation 2: Change the apple in node 1 for other with weight 15operation 3: Calculate from node 1 to node 4, $15 \cdot 11 \cdot 13 = 2145$operation 4: Calculate from node 3 to node 5, $11 \cdot 15 \cdot 11 \cdot 13 = 23595$operation 5: Change the apple in node 2 for other with weight 10operation 6: Calculate from node 4 to node 3, $13 \cdot 10 \cdot 15 \cdot 11 = 21450$
<pre>1 6 500000 6 5 7 300000 400000 3 1 2 5 3 6 4 3 4 2 5 2 3 4 2 1 6 2 1 5 1 4 100000 2 6 5</pre>	<pre>35 999993007 999779507 480000021</pre>	<p>The list of operations is:</p> <ul style="list-style-type: none">operation 1: Calculate from node 3 to node 4, $5 \cdot 7 = 35$operation 2: Calculate from node 1 to node 6, $(500000 \cdot 5 \cdot 7 \cdot 6 \cdot 300000) \% 1000000007 = 999993007$operation 3: Calculate from node 1 to node 5, $(500000 \cdot 5 \cdot 7 \cdot 6 \cdot 300000) \% 1000000007 = 999779507$operation 4: Change the apple in node 4 for other with weight 100000operation 5: Calculate from node 6 to node 5, $(400000 \cdot 5 \cdot 100000 \cdot 6 \cdot 300000) \% 1000000007 = 480000021$