

```
SetDirectory["D:\RiskEngine"];
Get["A_Control.m"];
```

```
***** Low level Primitives *****
```

```
***** High level Instruments *****
```

```
***** Risk and Hedge Tools *****
```

```
InitializeData[{usd, dem, frf}]
```

```
Ref.Cur.=Currency[usd]
```

```
File read :usd.zero 15 lines
```

```
File read :usd.index 31 lines
```

```
File read :usd.capvol 46 lines
```

```
File read :usd.floorvol 46 lines
```

```
File read :usd.indexcallvol 46 lines
```

```
File read :usd.indexputvol 46 lines
```

```
File read :dem.zero 15 lines
```

```
File read :dem.index 31 lines
```

```
File read :dem.capvol 46 lines
```

```
File read :dem.floorvol 46 lines
```

```
File read :dem.indexcallvol 46 lines
```

```
File read :dem.indexputvol 46 lines
```

```
File read :frf.zero 15 lines
```

```
File read :frf.index 31 lines
```

```
File read :frf.capvol 46 lines
```

```
File read :frf.floorvol 46 lines
```

```
File read :frf.indexcallvol 46 lines
```

```
File read :frf.indexputvol 46 lines
```

```
File read :PrimeRate 15 lines
```

```
File read :USTreasury 15 lines
```

```
File read :Gold.index 31 lines
```

```
File read :Oil.index 31 lines
```

```
Ref.Cur.=Currency[usd]
```

```
1 dim for the exchange rate :1
```

```
+ 1 dim for the volatility of the exchange rate :1
```

```
+ 1 dim for the index :1
```

```
+ 1 dim for the volatility of the index :1
```

```
+ NbMaturities=16
```

```
+ NbVolatilities=3
```

```
= Total NbDimPerC=23
```

```

X NbCurrencies=3
= NbDim=69
Created Tables
Reading MATH_VOL
143 lines read
SD Currency Currency[usd] handled
SD Currency Currency[dem] handled
SD Currency Currency[frf] handled
SD rates and currencies handled
standard deviations OK
Reading MATH_CORR
10296 lines read
1000 lines handled
2000 lines handled
3000 lines handled
4000 lines handled
5000 lines handled
6000 lines handled
7000 lines handled
8000 lines handled
9000 lines handled
10000 lines handled
Correlations handled
Multiplying SD by correlations to get covariances
Covariances Computation Ended
Checking the definiteness of the covariance matrix
Computing the square root of the covariance matrix

```

```

EvaluationDate = "6-Mar-98";
EvaluationDate2 = "3/06/1998";

```

```

inst = FxOption[buy, call, 100 mm, usd,
TT["30-Mar-98"], currencybase → dem, strike → 1.5]

```

```
forward=1.44333 k=1.5
```

```
vo=0.0546133
```

```

Inst[Option[Call[1.5],  $1.44333 \times 10^8$ ,
  Index[ExchangeRate[0.0657534, Currency[usd], Currency[dem]]],
  Volatility1[Index[ExchangeRate[0.0657534, Currency[usd], Currency[dem]]],
    0.0657534, 0.], 0.0657534, 0, Currency[dem]]]

```

```
Value[inst]
```

f=1.44333 / tp=0.0657534

V=0.0546133 / r=0.0375186

k=1.5

1.13658×10^6

inst

Inst[Option[Call[1.5], 1.44333×10^8 ,
Index[ExchangeRate[0.0657534, Currency[usd], Currency[dem]]],
Volatility1[Index[ExchangeRate[0.0657534, Currency[usd], Currency[dem]]],
0.0657534, 0.], 0.0657534, 0, Currency[dem]]]

NS1[inst]

-9.09083×10^7 S1[Index[ExchangeRate[Currency[dem], Currency[usd]]] -
 3.3247×10^6 S1[Index[Rate[0.0657534, Currency[dem]]] + 3.08401×10^{-37}
S1[Volatility[Index[ExchangeRate[Currency[dem], Currency[usd]]], 0.0657534]] +
 1.11652×10^{-37} S1S[Index[ExchangeRate[Currency[dem], Currency[usd]]], 2] -
 1.32667×10^{-39} S1S[Index[Rate[0.0194444, Currency[dem]]], 2, 2] +
 1.32457×10^{-39} S1S[Index[Rate[0.0194444, Currency[usd]]], 2, 1] -
 6.65563×10^{-40} S1S[Index[Rate[0.0833333, Currency[dem]]], 3, 2] +
 6.68137×10^{-40} S1S[Index[Rate[0.0833333, Currency[usd]]], 3, 1]

z = inst[[1]][3]

Index[ExchangeRate[0.0657534, Currency[usd], Currency[dem]]]

Value[z]

1.44333

NS1[z]

-2.07735 S1[Index[ExchangeRate[Currency[dem], Currency[usd]]]]

NS1[z, 4 / 365.]

NS1[z, 1.]

PS[inst, 3]

hedg = FxForward[100 mm, dem, TT["30-Sep-98"], soldcurrency → usd, rate → 1.43]

Seq[Inst[Fix[100000000, 0.569863, Currency[dem], 0]],
Inst[Fix[- 1.43×10^8 , 0.569863, Currency[usd], 0]]]

s1 = NS1[hedg]

9.77398×10^7 S1[Index[ExchangeRate[Currency[dem], Currency[usd]]] -
 3.89986×10^7 S1[Index[Rate[0.569863, Currency[dem]]] +
 8.0366×10^7 S1[Index[Rate[0.569863, Currency[usd]]]]

MP[s1]

s2 = NS2[hedg]

cum = CM[inst]

```
CumulantComputation[6]
```

```
deltavector
```

```
gammamatrix
```

```
cum0 = CM[inst, 5]
```

```
ratio = H1[inst, hedg]
```

```
f=1.44333 / tp=0.0657534
```

```
V=0.0546133 / r=0.0375186
```

```
k=1.5
```

```
0.468765
```

```
H2[inst, hedg]
```

```
hedgedinst = MU[Seq[inst, ratio hedg]]
```

```
Seq[Inst[Option[Call[1.5], 1.44333 × 108,
  Index[ExchangeRate[0.0657534, Currency[usd], Currency[dem]]],
  Volatility1[Index[ExchangeRate[0.0657534, Currency[usd], Currency[dem]]],
    0.0657534, 0.], 0.0657534, 0, Currency[dem]]],
  Seq[Inst[Fix[4.68765 × 107, 0.569863, Currency[dem], 0]],
    Inst[Fix[-6.70334 × 107, 0.569863, Currency[usd], 0]]]]
```

```
cum = CM[hedgedinst]
```

```
cum0[[2]] / cum[[2]]
```

```
R1 = NR[cum, 0.05]
```

```
R0 = NR[cum0, 0.05]
```

```
R0 / R1
```

```
RQ1 = Timing[QR[cum, 0.05]]
```

```
RQ0 = Timing[QR[cum0, 0.05]]
```

```
RQ0[[2]] / R0
```

```
RQ0[[2]] / RQ1[[2]]
```

```
inst
```

```
(*----- Scenarios based computation -----*)
```

```
SSValue[inst, Rate[dem] → +0.01] - Value[inst]
```

```
SSValue[inst, ExchangeRate[dem] → +0.0001] - Value[inst]
```

```
SSValue[hedgedinst, ExchangeRate[dem] → +0.0001] - Value[hedgedinst]
```

```

SSValue[inst,
        RateAfter[usd, 1.5] → +0.01,
        RateBetween[dem, 0.001, 4] → -0.01,
        RateVolatilityBetween[dem, 1, 5] → -0.05,
        ExchangeRateVolatility[dem] → 0.1
]

SFValue[inst, 5 / 365.,
        RateAfter[usd, 1.5] → +0.01,
        RateBetween[dem, 0.001, 4] → -0.01,
        RateVolatilityBetween[dem, 1, 5] → -0.05,
        ExchangeRateVolatility[dem] → 0.1
]

SFNS1[inst, 5 / 365.,
        RateAfter[usd, 1.5] → +0.01,
        RateBetween[dem, 0.001, 4] → -0.01,
        RateVolatilityBetween[dem, 1, 5] → -0.05,
        ExchangeRateVolatility[dem] → 0.1
]

CM[inst]

cmf = SFCM[inst, 4, 5 / 365.,
        RateAfter[usd, 1.5] → +0.01,
        RateBetween[dem, 0.001, 4] → -0.01,
        RateVolatilityBetween[dem, 1, 5] → -0.05,
        ExchangeRateVolatility[dem] → 0.1
]

NR[cmf, 0.05]

```

```

ScenarioSet1 = {
  {RateAfter[usd, 1.5] → +0.01,
    RateBetween[dem, 0.001, 4] → -0.01,
    RateVolatilityBetween[dem, 1, 5] → -0.05,
    ExchangeRateVolatility[dem] → 0.1},
  {RateAfter[usd, 1.5] → +0.02,
    RateBetween[dem, 0.001, 4] → -0.02,
    RateVolatilityBetween[dem, 1, 5] → -0.05,
    ExchangeRateVolatility[dem] → 0.1},
  {RateAfter[usd, 1.5] → +0.03,
    RateBetween[dem, 0.001, 4] → -0.03,
    RateVolatilityBetween[dem, 1, 5] → -0.05,
    ExchangeRateVolatility[dem] → 0.1},
  {RateAfter[usd, 1.5] → -0.01,
    RateBetween[dem, 0.001, 4] → 0.01,
    RateVolatilityBetween[dem, 1, 5] → -0.05,
    ExchangeRateVolatility[dem] → 0.1},
  {RateAfter[usd, 1.5] → -0.02,
    RateBetween[dem, 0.001, 4] → 0.02,
    RateVolatilityBetween[dem, 1, 5] → -0.05,
    ExchangeRateVolatility[dem] → 0.1},
  {RateAfter[usd, 1.5] → -0.03,
    RateBetween[dem, 0.001, 4] → 0.03,
    RateVolatilityBetween[dem, 1, 5] → -0.05,
    ExchangeRateVolatility[dem] → 0.1}
};

SSValue[inst, 5 / 365., ScenarioSet1]
{828 148., 828 538., 828 928., 827 369., 826 979., 826 589.}

fss = ScenarioD[inst, 5 / 365., ScenarioSet1,
  weightlist → {1 / 8, 1 / 8, 1 / 4, 1 / 4, 1 / 8, 1 / 8}]
{
  { $\{-262\,161., \frac{1}{8}\}$ ,  $\{-261\,771., \frac{1}{4}\}$ ,  $\{-261\,381., \frac{1}{2}\}$ ,
  { $\{-260\,601., \frac{5}{8}\}$ ,  $\{-260\,211., \frac{3}{4}\}$ ,  $\{-259\,821., 1\}$ }

ListPlot[fss, PlotStyle → RGBColor[1, 0, 0], PlotJoined → True]

MCRisk[fss, 0.25]

(* ----- Monte Carlo Computations -----*)

fmc = MonteCarloD[hedgedinst, 10]
simulation time :0.04 Second
{
  { $\{-1.07593 \times 10^7, 0.1\}$ ,  $\{-9.21899 \times 10^6, 0.2\}$ ,  $\{-6.74365 \times 10^6, 0.3\}$ ,
  { $\{-3.7198 \times 10^6, 0.4\}$ ,  $\{-3.32288 \times 10^6, 0.5\}$ ,  $\{1.48524 \times 10^6, 0.6\}$ ,
  { $\{2.49259 \times 10^6, 0.7\}$ ,  $\{4.47273 \times 10^6, 0.8\}$ ,  $\{5.48905 \times 10^6, 0.9\}$ ,  $\{1.9825 \times 10^7, 1.\}$ }

```

```

fmc = MonteCarloD[hedgedinst, 1000];

ListPlot[fmc, PlotStyle → RGBColor[1, 0, 0], PlotJoined → True]

MCRisk[fmc, 0.05]

MCCM[fmc, 4]

ds = MCSample[fmc, 200];

ds3 = MCSampleDerive[ds, 1000];
ListPlot[ds3, PlotStyle → RGBColor[0, 1, 0], PlotRange → {0, 10-5}, PlotJoined → True]

(* -----Credit
   Risk Computation ----- *)

X2 = Bond[buy, 25 mm, usd, TT["15-May-07"], coupon → 0.065, bondprice → 97.6]

Seq[Inst[Fix[311644., 0.191781, Currency[usd], 0.003536]],
    Inst[Fix[1.625 × 106, 1.19178, Currency[usd], 0.003536]],
    Inst[Fix[1.625 × 106, 2.19178, Currency[usd], 0.003536]],
    Inst[Fix[1.625 × 106, 3.19178, Currency[usd], 0.003536]],
    Inst[Fix[1.625 × 106, 4.19178, Currency[usd], 0.003536]],
    Inst[Fix[1.625 × 106, 5.19178, Currency[usd], 0.003536]],
    Inst[Fix[1.625 × 106, 6.19178, Currency[usd], 0.003536]],
    Inst[Fix[1.625 × 106, 7.19178, Currency[usd], 0.003536]],
    Inst[Fix[1.625 × 106, 8.19178, Currency[usd], 0.003536]],
    Inst[Fix[2.6625 × 107, 9.19178, Currency[usd], 0.003536]]]

EXPO[X2, 1]

EXPO[X2, 2]

X3 = Swap[receivefloat, 125 mm, usd,
    TT["31-Dec-05"], fixed → 0.074, reset → 0.07, frequency → 0.5];

Value[X3]

FindRoot[Value[Swap[receivefloat, 125 mm, usd, TT["31-Dec-05"],
    fixed → fff, reset → 0.07, frequency → 0.5]] == 0, {fff, 0.05}]

X3 = Swap[receivefloat, 125 mm, usd,
    TT["31-Dec-05"], fixed → 0.0674014, reset → 0.07, frequency → 0.5];

Value[X3]

(*----- Computation of the exposition -----*)

Plot[EXPO[X3, t], {t, 0.01, 10}]

(* ----- non linear adjustment to options -----*)

bb = Bond[buy, 125 mm, dem, TT["20-May-01"], coupon → 0.06375]

```

```
X27 = EuropeanBondOption[buy, 10, call, usd, bb, 0.3, strike → 1.01];
```

```
Value[X27]
```

```
X27 = EuropeanBondOption[buy, 10, call, usd, bb, 0.3, strike → 1.01, cumulants → 4];
```

```
v00 = Value[X27]
```

```
debugflag = 1;
```

```
Value[X27]
```

```
(*----- find a volatility spread due to the non linearity -----*)
```

```
X27 = EuropeanBondOption[buy, 10, call, usd, bb, 0.3, strike → 1.01, cumulants → 4];
```

```
v00 = Value[X27]
```

```
FindRoot[Value[EuropeanBondOption[buy, 10, call, usd, bb, 0.3,  
strike → 1.01, volatilityspread → spx]] == v00, {spx, 0.00001, 0.00005}]
```

```
Value[EuropeanBondOption[buy, 10, call, usd,  
bb, 0.3, strike → 1.01, volatilityspread → -0.00004136]]
```

```
debugflag = 0;
```

```
Value[X27]
```

```
(*----- effect of non linearity on a  
highly non linear option -----Exemple 1 *)
```

```
inst = FxOption[buy, call, 95 mm, usd,  
TT["30-Mar-98"], currencybase → dem, strike →  $\frac{1}{1.5}$ ]
```

```
forward=1.44333 k=0.666667
```

```
vo=0.0546133
```

```
Inst[Option[Call[0.666667], 1.37116 × 108,  
Index[ExchangeRate[0.0657534, Currency[usd], Currency[dem]]],  
Volatility1[Index[ExchangeRate[0.0657534, Currency[usd], Currency[dem]]],  
0.0657534, 0.], 0.0657534, 0, Currency[dem]]]
```

```
v1 = Value[inst, TT["15-Mar-98"]]
```

```
(*----- effect of non linearity on a  
highly non linear option -----Exemple 2 *)
```

```
xi = EuropeanOption[buy, Call, 100 mm, usd, inst, TT["15-Mar-98"], strike → 1.01]
```

```
Value[xi]
```



```

xi1 = EuropeanOption[buy, Call, 100 mm,
  usd, inst, TT["15-Mar-98"], strike → 1.01, cumulants → 5]
Value[xi1]
Sqrt[CM1[inst, TT["15-Mar-98"]][[1]] × TT["15-Mar-98"] / ProvidedStatisticalTime] /
  Value[inst, TT["15-Mar-98"]]

(*----- simple hedging on the FX market -----*)
Value[Index[ExchangeRate[1, Currency[dem], Currency[usd]]]]
Plot[SSValue[Index[ExchangeRate[Currency[dem], Currency[usd]]],
  ExchangeRate[dem] → xx], {xx, -0.4, 0.2}]
insta = FxOption[buy, call, 100 mm, dem, 1., currencybase → usd, strike → 0.7]
Plot[SSValue[insta, ExchangeRate[dem] → xx], {xx, -0.4, 0.2}]
hedg = FxForward[45 mm, dem, TT["30-Sep-98"], soldcurrency → usd, rate → 1.43];
ratio = H1[insta, hedg]
hedgedinsta = MU[Seq[insta, ratio hedg]]
Plot[SSValue[hedgedinsta, ExchangeRate[dem] → xx] - Value[hedgedinsta], {xx, -0.4, 0.2}]

(*----- Use of pseudo-
sensitivities for hedging barrier options -----*)
instb = FxBarrierOption[buy, call, upandout,
  100 mm, dem, .1, currencybase → usd, strike → 0.7, barrier → 10.9]
NS1a[instb]
insta = FxOption[buy, call, 100 mm, dem, .1, currencybase → usd, strike → 0.7]
Value[insta]
NS1a[insta]
Plot[{ SSValue[instb, ExchangeRate[dem] → xx],
  SSValue[insta, ExchangeRate[dem] → xx] }, {xx, -0.2, 0.2}]
- Graphics -
hedg = FxForward[45 mm, dem, TT["30-Sep-98"], soldcurrency → usd, rate → 1.43];
ratiob = H1[instb, hedg]
ratioa = H1[insta, hedg]
hedgedinstb = MU[Seq[instb, ratiob hedg]]
Plot[SSValue[hedgedinstb, ExchangeRate[dem] → xx], {xx, -0.2, 0.2}]
NS1a[instb]
ratiob = H1[instb, hedg]
(* If we enlarge the horizon for meta sensitivities *)

```

```

MetaSensitivityFactor = 0.99;
NS1a[instb]

ratiob = H1[instb, hedg]

hedgedinstb = MU[Seq[instb, ratiob hedg]];

Value[Volatility[Index[ExchangeRate[Currency[usd], Currency[dem]]], 1], 0]

StDeviation[index_, tm_, tf_] := Value[Volatility[index, tm], tf] * Value[index, tf]

sdfx = StDeviation[Index[ExchangeRate[Currency[usd], Currency[dem]]], 1, 0]

Plot[SSValue[hedgedinstb, ExchangeRate[dem] → xx], {xx, -sdfx, sdfx}]

(* ----- Barrier Option on Bonds -----*)

bb = Bond[buy, 125 mm, dem, TT["20-May-01"], coupon → 0.06375]

Seq[Inst[Fix[ $1.63741 \times 10^6$ , 0.205479, Currency[dem], 0]],
  Inst[Fix[ $7.96875 \times 10^6$ , 1.20548, Currency[dem], 0]],
  Inst[Fix[ $7.96875 \times 10^6$ , 2.20548, Currency[dem], 0]],
  Inst[Fix[ $1.32969 \times 10^8$ , 3.20548, Currency[dem], 0]]]

Value[EuropeanOption[buy, Call, 100 mm, usd, bb, TT["15-Oct-98"], strike → 1.01]]

v0=0.162701  f=8.97159×107  k=9.06131×107

5.81506×106

Value[BarrierOption[buy, call, upandout, 100 mm,
  usd, bb, TT["15-Oct-98"], strike → 1.01, barrier → 1.2]]

vo=0.162701

forward=8.97159×107  k=9.06131×107  b=1.07659×108

1.48487×106

xinst = BarrierOption[buy, call, upandout,
  100 mm, usd, bb, TT["15-Oct-98"], strike → 1.01, barrier → 1.2];

vo=0.162701

forward=8.97159×107  k=9.06131×107  b=1.07659×108

xhedg = BarrierOption[buy, call, upandout,
  100 mm, usd, bb, TT["15-Oct-98"], strike → 1.01, barrier → 1.2];

vo=0.162701

forward=8.97159×107  k=9.06131×107  b=1.07659×108

xratio = H1[xinst, xhedg]

-1.

s2 = NS2[inst];

f=1.44333 / tp=0.0657534

V=0.0546133 / r=0.0375186

k=1.5

```

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```
GammaInitialize[];
```

 θ

```
SecondOrderVarianceAnalysisG[inst, 10^10]
```

V=0.0546133 / r=0.0375186

f=1.44333 / tp=0.0657534

 $k=1.5$ [illegible][illegible][illegible][illegible][illegible][illegible][illegible][illegible][illegible][illegible][illegible][illegible][illegible][illegible]

(0., 0.),
 {0., 0., 0., 0., 0., 68945.7, 68965.4, 0., 0., 0., 0., 0., 0., 0., 0., 0., 0.

{0., 0., 0., 0., 0., 68945.7, 69365.4, 0., 0., 0., 0., 0., 0., 0., 0., 0.,

0., 0., 0., 0., 0., 0., 0., 0., 0., 0., 0., 0., 0., 0., 0., 0.,

0., 0., 0., 0., 0., -4.54503 $\times 10^{-5}$, 47267.7, 0., 0., 0., -142016., -71240.7,

0., 0., 0., 0., 0., 0., 0., 0., 0., 0., 0., 0., 0., 0., 0., 0., 0., 0.,

0., 0., 0., 0., 0., 0., 0., 0., 0., 0., 0., 0., 0., 0., 0., 0., 0., 0.,

$$\{0., 0., 0., 0., 0., 0., 0., 0., 0., 0., 0., 0., 0., 0., 0., 0., 0., 0.\},$$

{0., 0., 0., 0., 0., 69565.4, 17547.7, 0., 0., 0., 0., 0., 0., 0., 0., 0., 0., 0.,

0., 0., 0., 0., 0., -2.29294×10^0 , 23 842.7, 0., 0., 0., -71 646.1, -35 940.4,

0., 0., 0., 0., 0., 0., 0., 0., 0., 0., 0., 0., 0., 0., 0., 0., 0., 0., 0.,

$$0., 0., 0., 0., 0., 0., 0., 0., 0., 0., 0., 0., 0., 0., 0., 0., 0., 0., \}$$
[illegible][illegible][illegible][illegible][illegible][illegible][illegible][illegible]

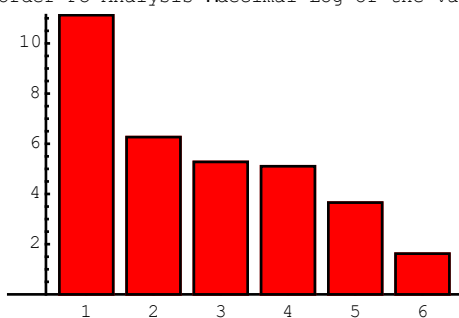
[illegible]

RiskEngine Features Show.nb

[illegible]

[illegible]

nd order PC Analysis Hdecimal Log of the varianc



- Graphics -

SecondOrderVarianceAnalysisG2[hedgedinst, 10^10]

f=1.44333 / tp=0.0657534

V=0.0546133 / r=0.0375186

k=1.5

f=1.44333 / tp=0.0657534

V=0.0546133 / r=0.0375186

k=1.5

diagonalicite: 1.29374×10^{-16}

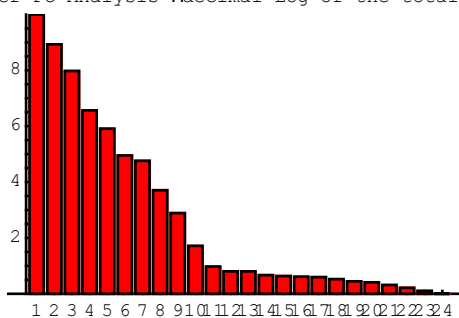
variance of the vectors with gamma :

delta : $\{1.75745 \times 10^6, 4.25261 \times 10^8, 4.71763 \times 10^7, 1.83796 \times 10^6, 405186., 2546.38, 28680.3, 44481.7, 386.003\}$
 gamma : $\{4.93809 \times 10^9, 60.2521, 2.63587, 0.110263, 0.00892548, 0.00256252, 0.00119913, 0.000140338, 5.5895 \times 10^{-6}\}$

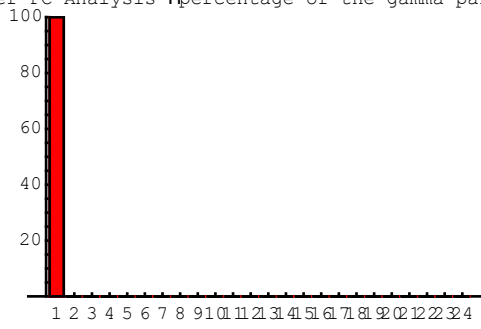
variance of the vectors without gamma :

$\{1.39627, 0.000933129, 0.26889, 1.66517, 1.26017 \times 10^{-25}, 0.0488521, 0.014169, 0.239644, 0.271787, 1.02831, 0.000670823, 1.20874 \times 10^{-47}, 9.76249 \times 10^{-67}, 0.0442176, 0.338565, 0., 0., 0.000396258, 0., 2.32086, 0., 0., 25.826, 0.164707, 0., 0., 0.00152434, 0.186628, 0., 0.0896037, 1.2855, 0.498891, 0.0378803, 0.430883, 0.0018159, 3.1637, 1.96869, 0.815355, 0., 0.632267, 4.69032, 0., 3.18226, 2.15367, 0., 0.468981, 0.0381076, 0.307644, 2.03083, 0.102066, 0.000157434, 0., 0.097282, 0.00586214, 0.0491286, 0.113251, 0.0151251, 0.00426049, 0.00797376, 0.00822766\}$
 $\{4.93985 \times 10^9, 4.25261 \times 10^8, 4.71763 \times 10^7, 1.83796 \times 10^6, 405186., 44481.7, 28680.3, 2546.38, 386.003, 25.826, 4.69032, 3.18226, 3.1637, 2.32086, 2.15367, 2.03083, 1.96869, 1.66517, 1.39627, 1.2855, 1.02831, 0.815355, 0.632267, 0.498891\}$

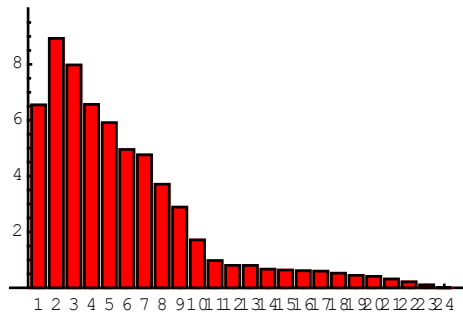
order PC Analysis Hdecimal Log of the total vari



Order PC Analysis H Percentage of the gamma part va



PC Analysis H Decimal Log of the first order only;



- Graphics -