

Authenticating Pervasive Devices with Human Protocols

Ari Juels

RSA Laboratories



Stephen A. Weis

MIT CSAIL



Pervasive Devices

- Pervasive Devices:
 - ▶ Low memory, few gates
 - ▶ Low power, no clock, little state
 - ▶ Low computational power
- Billions of pervasive devices are deployed.
- Billions on the way.

Can such feeble devices authenticate themselves?

Example Technologies



“Billions and Billions...”

- Supply chain management, inventory control
- Payment systems, building access
- Prescription drug shipments
- Retail checkout
- Luxury goods
- Currency

Authenticating devices is a growing concern.

Attacks

- **Skimming**: Reading legitimate tag data to produce fraudulent clones.
- **Swapping**: Steal RFID-tagged products then replace with counterfeit-tagged decoys.
- **Denial of Service**: Seeding a system with fake, but authentic acting tags.

Related Work

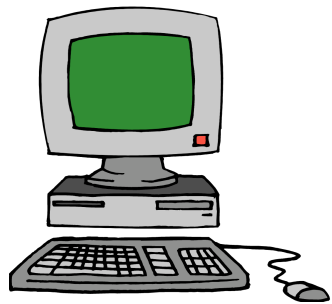
- Low-Cost Access Control:
[SWE02], [WSRE03], [OSK04]
- Pervasive Privacy:
[JP03], [JRS03], [Avoine04], [MW04]
- Human Authentication: [HB01]

Our Contribution

- A new authentication protocol that handles **active** malicious attacks.
- Extremely hardware-efficient
- Secure under same assumption as [HB01]

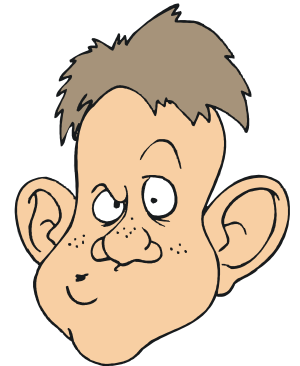
Hopper-Blum Authentication

Computer(**x**)



$z = (\mathbf{a} \cdot \mathbf{x})?$

Bob(**x**, η)



$\mathbf{v} \in_R \{0, 1\}$

$\mathbf{a} \in \{0, 1\}^k$

Challenge

$z = (\mathbf{a} \cdot \mathbf{x}) \oplus \mathbf{v}$

Response

Repeat for q rounds.

Authenticate Bob if he passes $> (1 - \eta)q$ rounds.

Security Against Bad Bob

Computer(**x**)



Adversary



$$\mathbf{a} \in \{0,1\}^k$$

Challenge

$$\mathbf{z} = (\mathbf{a} \cdot ?)$$

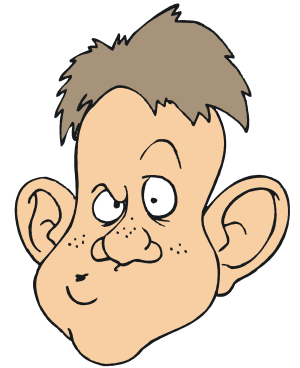
Guess Response

Security Against Passive Eavesdroppers

Computer(**x**)



Bob(**x**, η)



$v \in_R \{0, 1\}$



Eavesdropper

$(\mathbf{a}_0, z_0), (\mathbf{a}_1, z_1), \dots, (\mathbf{a}_q, z_q)$

Find an **x'** that allows you to answer a $(1 - \eta)$ fraction of **a** challenges

Learning Parity with Noise (LPN)

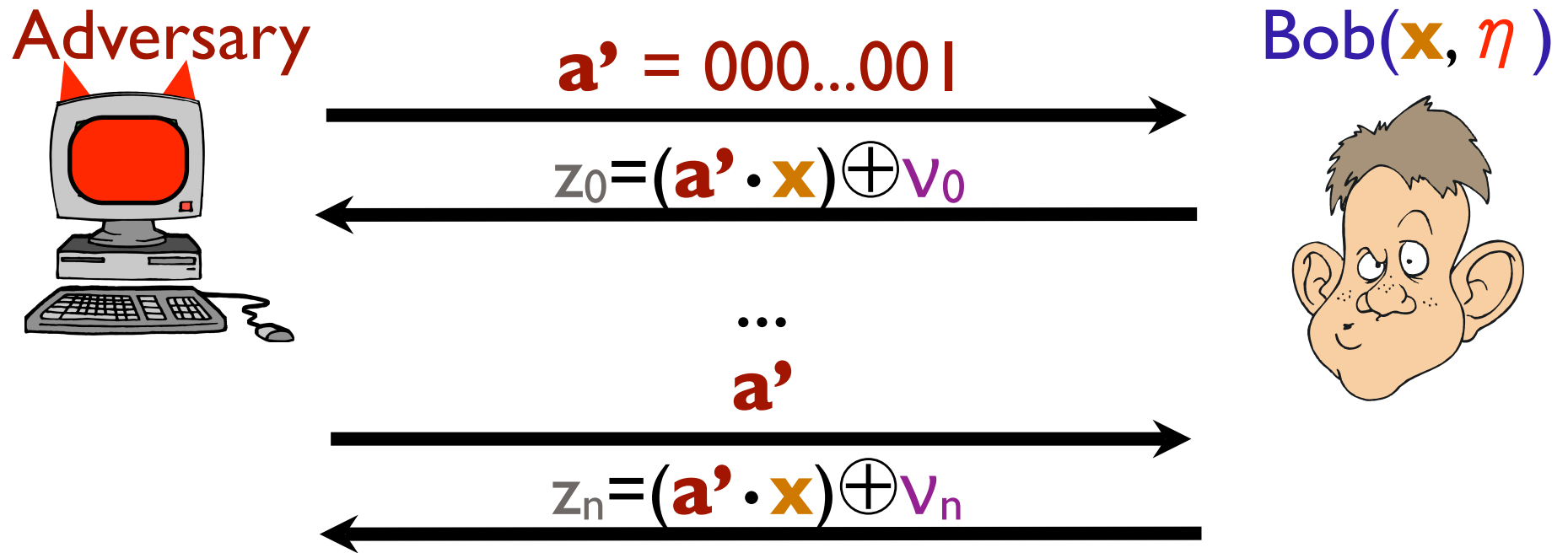
- Crypto and learning problems: [BFKL93]
- $O(2^{\frac{k}{\lg k}})$ LPN algorithm: [BKW03]
- Shortest Vector Problem reduction: [Regev05]

Concrete Security

Key Size (k)	Best Attack
64	2^{35}
128	2^{56}
192	2^{72}
224	2^{80}
256	2^{88}
288	2^{96}

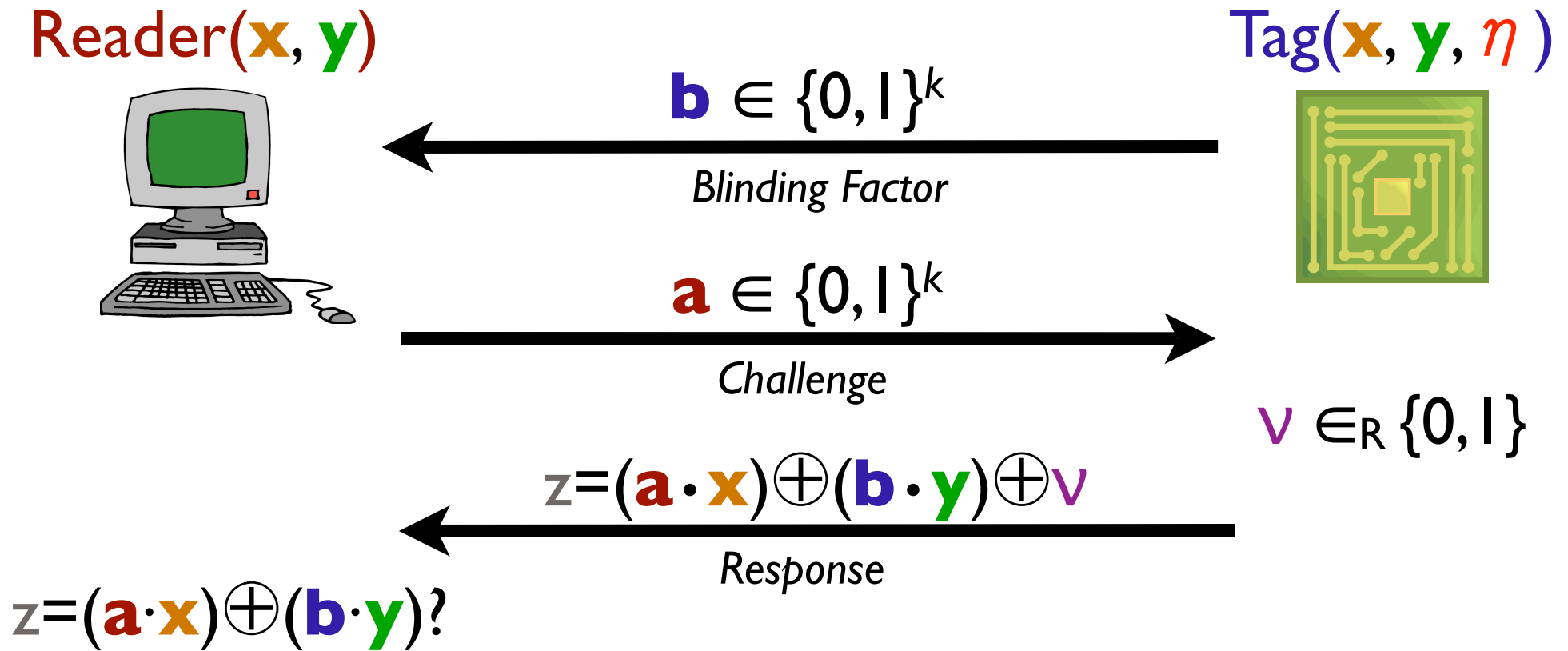
Obligatory grain of salt → □

Active Attack against HB



Adversary takes majority of z_i values to get noise-free parity bit

Our New Protocol: HB+

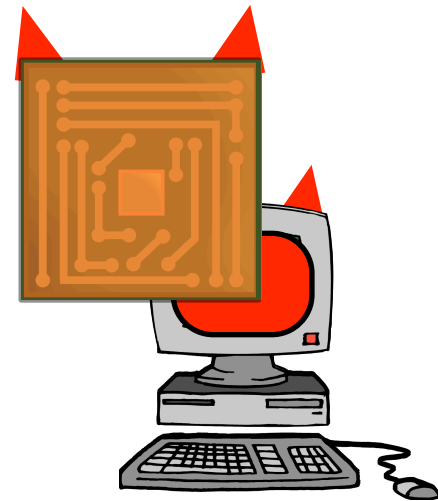


Security Against Bad Bob

Reader(**x**, **y**)



Adversary



b'

Malicious Blinding Factor

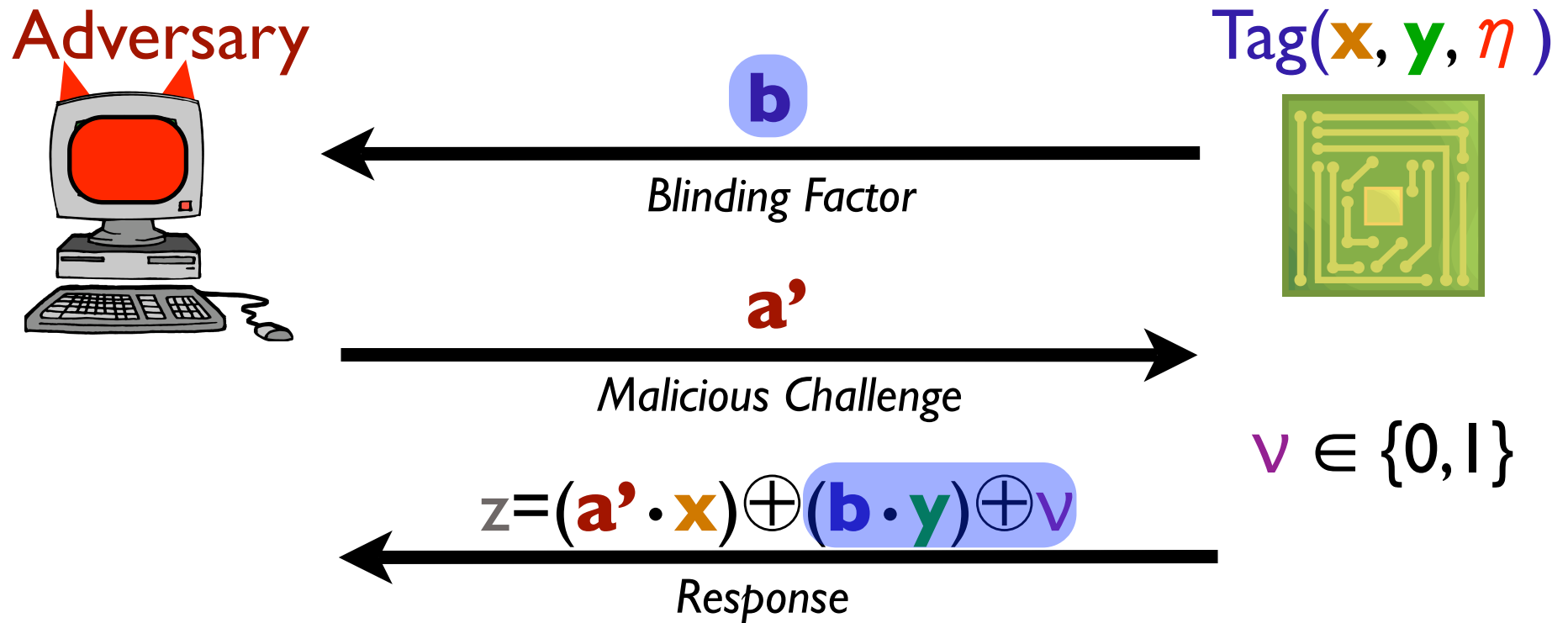
a

Challenge

$$z = (\mathbf{a} \cdot \mathbf{?}) \oplus (\mathbf{b'} \cdot \mathbf{?})$$

Guess Response

Security against Active Attacks



Skewing Randomness



What if the adversary can skew a tag's random number generator?

All bets are off!

Future Work

- Two-round or ~~parallel~~ HB+ (*Rump Session*)
- Random Number Generation
- Underlying hardness of LPN
- Adapting other HumanAuth protocols

Questions?

Ari Juels

ajuels@rsasecurity.com

www.ari-juels.com

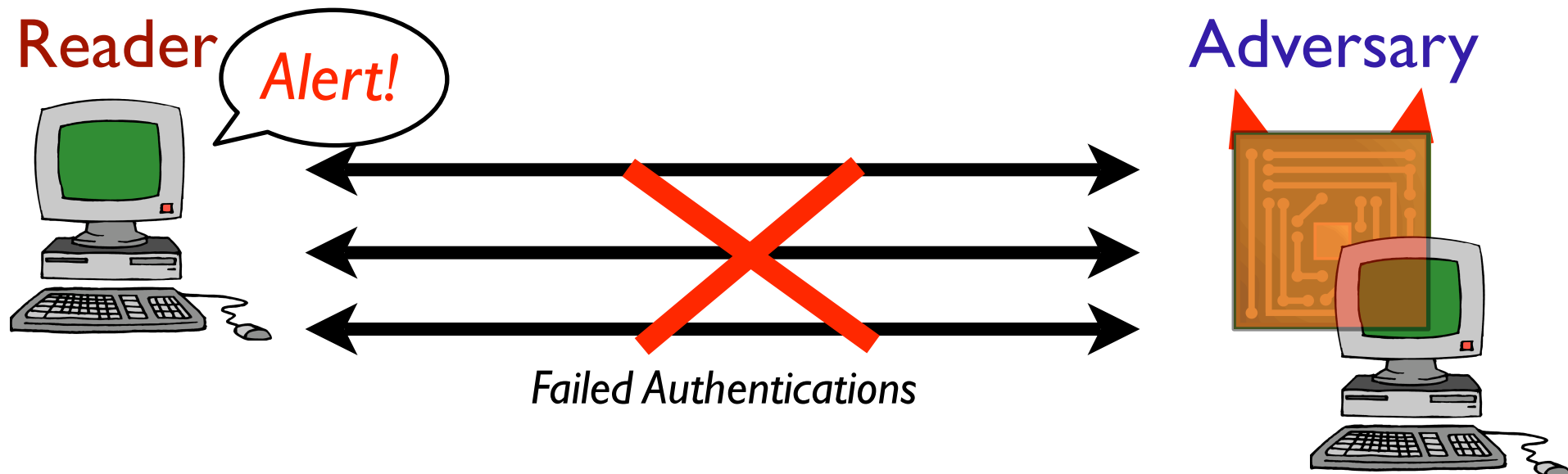


Stephen Weis

sweis@mit.edu

crypto.csail.mit.edu/~sweis

Detection Security Model



Assume valid readers will detect suspicious failures:
No Reader oracles.