$$f(x) = \sum_{r=0}^{\infty} \frac{f(r)(a)}{r!} (x-a)^{r}$$

X=A=E(X)

$$f(X) \approx f(\pi) + f(\pi)(x-\pi)$$

$$= \mathbb{E}(f'(u)(x-u))^{2} - \mathbb{E}[f'(u)(x-u)]$$

$$= \mathbb{E}((f'(u)(x-u))^{2}) - f'(u)^{2} \mathbb{E}(x-u)^{2}$$

$$\approx f(n), E(x-E(x)),$$
  
 $\approx E(f(n), (x-E(x)), )$ 

$$\approx f'(w)^{k} \operatorname{Vol}(X) \sqrt{}$$

```
KIA =q~ (PaisSon (q)
d.a.
        Q ~ Gamma (KB)
    E[a]=k0
     Norla] = KB,
     Show E[k]=ke, Var[k]=ke+ke
     ECK] = ECE [KIA]]
           = E[a] / Gamma dist.
     Noute] = E[Nathro]] + NoutE[FIB]]
             E[a] + var [a]
            = KB + KB2
  B. K'las ~ paissan (sa)
     Q - Gama ( al)
       E[k'] = E[E[k'la,s]]
                            Vor [h] = E[Var[h'|a,5]] + Vor[E[bla]]
             = E (5q)
                                   = E[Sa] + vor[Sa]
             = SE[a]
                                   = Su + 5 vor(a)
             = 5/1
                                              52 (Q42)
                                    = Su. +.
             = M'
                                    = n' + a'20
  C. Y = k
                    = E[k'] = M = M
     Voc[7] = Vac[h]
           = 1/2 Ver [h']
           - 52 (5M + 52 M2 6)
                      af y is dependent an the Size factor stilly
D'tre varionce
                                                Tis still not Stamilized
     Soif Size factor voices, then
```

the delta mothad.

٠.				٠	٠		٠				٠	٠		٠			٠	٠		٠			٠				٠					
			٠								٠									٠										٠		
٠	٠	٠	٠	٠	٠	٠	٠	٠	٠	٠	٠	٠	٠	•	٠	٠	٠	٠	•	٠	٠	•	•	•	٠	٠	٠		•	٠	•	٠
•	h	ttps:/	/colat	rese	earch	anna.	ile co	om/di	rive/1	zkBA	AaMn	owD	kvkul	Uriilik	MX4	· i Fxa	a1mn	n?usr	· n=sha	arina	•	•	٠	•	•	٠	٠	•	٠	٠	٠	٠
٠	.11	iribo''	OOIGE	2.1000	, QI OI I	.9000	aiō.ō.	711/21	IIVO/ I	2110/	<i>i</i> dirib	OWD	ityitut	ŌŢŪIJ.	01023	)—i -V	*7,1141	ı. uok	<u>,                                    </u>	σίμιθ	٠	٠	٠	٠	٠	٠	٠	٠	٠	٠	٠	٠
٠	٠	٠	٠	٠	٠	٠	٠	٠	٠	٠	٠	٠	٠	٠	٠	٠	٠	٠	٠	٠	٠		٠	٠	٠	٠	٠	٠	٠	٠	٠	
		٠			٠	٠	٠	٠			٠			٠		٠				٠												
			٠		٠		٠	٠			٠				٠	٠		٠		٠												
			٠	٠	٠						٠					٠	٠			٠					٠		٠			٠		
٠	٠	•	٠	٠	٠		٠	•	٠	٠	٠	٠	٠	٠	٠	٠	٠	•	•	٠	٠	•		٠	٠	٠	٠	٠	٠	٠	•	٠
٠	•	٠	٠	٠	٠	٠	٠	٠	٠	٠	٠	٠	٠		٠	٠	٠	٠	٠	٠	٠	•	٠	٠	٠	٠	٠	٠	٠	٠	٠	٠
٠	٠	٠	٠	٠	٠	٠	٠	٠	٠	٠	٠	٠	٠	٠	٠	٠	٠	٠	٠	٠	٠	•	٠	٠	٠	٠	٠	٠	٠	٠	٠	٠
٠	٠	٠	٠	٠	٠	٠	٠	٠	٠	٠	٠	٠	٠	٠	٠	٠	٠	٠	٠	٠	٠	٠	٠	٠	٠	٠	٠	٠	٠	٠	٠	٠
٠			٠	٠	٠		٠	٠	٠	٠	٠	٠	٠	٠	٠	٠	٠	٠		٠	٠		٠	٠	٠	٠	٠	٠	٠	٠		٠
٠							٠	٠	٠						٠							٠							٠			
						٠		٠	٠										٠												٠	
	•	٠	٠	٠	•	٠	•	٠	٠	٠	٠	٠	•	٠	٠	•	٠	•	•	•	•	•	•	•	•	٠	٠	•	•	٠	•	٠
•	٠	•	•	•	•	٠	٠	٠	٠	•	•	•	•	•	٠	٠	•	٠	•	٠	•	•	٠	•	•	•	•	•	٠	•	٠	٠
٠	•	٠	٠	٠	٠	٠	٠	٠	٠	٠	٠	٠	•	•	٠	٠	٠	٠	٠	٠	•	•	٠	•	٠	٠	٠	٠	٠	٠	٠	٠
	٠	٠	٠	٠	٠	٠	٠	٠	٠	٠	٠	٠	٠		٠	٠	٠	٠	٠	٠	٠	•	٠	•		٠	٠		٠	٠	٠	٠
٠	٠	٠	٠	٠	٠	٠	٠	٠	٠	٠	٠	٠	٠	٠	٠	٠	٠	٠	٠	٠	٠	٠	٠	٠	٠	٠	٠	٠	٠	٠	٠	٠
٠	٠	٠	٠	٠	٠	٠	٠	٠	٠	٠	٠	٠	٠	٠	٠	٠	٠	٠	٠	٠	٠		٠	٠	٠	٠	٠	٠	٠	٠	٠	٠
٠			٠	٠			٠				٠				٠											٠			٠	٠		
			٠								٠				٠										٠					٠		
											٠																					
		•																														
		•																														
٠	٠	٠	٠	٠	٠	٠	٠	٠	٠	٠	٠	٠	٠	٠	٠	٠	٠	٠	٠	٠	٠	•	٠	٠	٠	٠	٠	٠	٠	٠	٠	٠
•	٠	•	٠	٠	٠	٠	٠	٠	٠	٠	٠	٠	•	•	٠	٠	٠	٠	٠	٠	٠	•	٠	٠	٠	٠	٠	٠	٠	٠	٠	٠
٠			٠	٠	٠		٠	٠	٠	٠	٠	٠	٠	٠	٠		٠		٠		٠		٠	٠	٠		٠	٠	٠	٠		٠