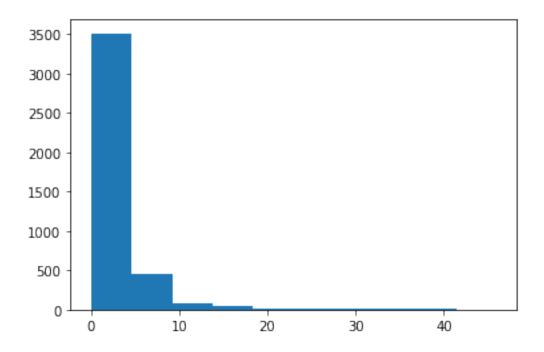
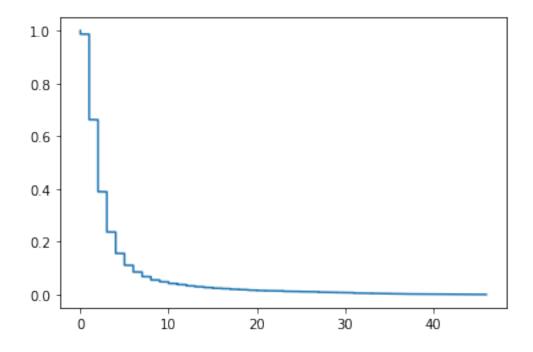
## Problem2

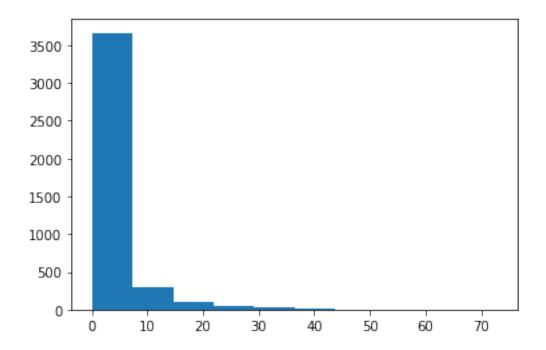
## January 25, 2023

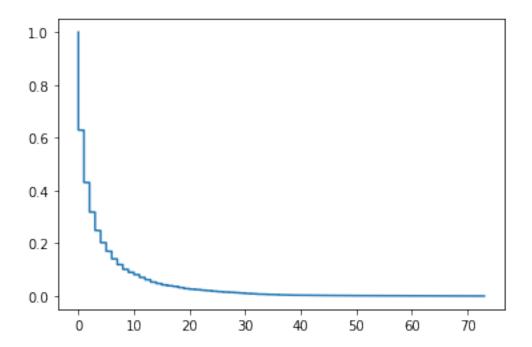
```
in_degrees = np.array([G.in_degree(n) for n in G.nodes()])
    plt.hist(in_degrees)
    plt.show()
    x = np.concatenate([np.sort(list(in_degrees))])
    plt.plot(x, np.linspace(1, 0, len(x)))
    plt.show()
def plot_out_degree_dist(G):
    out_degrees = np.array([G.out_degree(n) for n in G.nodes()])
    plt.hist(out_degrees)
    plt.show()
    # cdf = out_degrees.cumsum() / out_degrees.sum()
    \# \ ccdf = 1 - cdf
    # plt.plot(range(len(out_degrees)), ccdf)
    # plt.show()
    x = np.concatenate([np.sort(list(out_degrees))])
    plt.plot(x, np.linspace(1, 0, len(x)))
    plt.show()
```

plot\_in\_degree\_dist(G)
plot\_out\_degree\_dist(G)









## 2 B

## 3 C

We expect the erdos graph to take on a binomial distribution, but this graph takes on a heavy-tailed distribution more, so it is not a great model. We do not need the histogram to conclude this, as the random graph is an evenly distributed sample of edges between nodes, whereas in the real world they are note quite random and some nodes have many more connections than others based on other properties.