

 $C = rac{\lambda}{2} \sum_{i=1}^d \log(1+w_i^2).$

 dC/dw_i

that apply)?

 $\frac{\partial E_{tot}}{\partial w_i} = -(t - w_i x_i) - \lambda w_i$

 $rac{\partial E_{tot}}{\partial w_i} = -(t-w_i x_i) - 2\lambda rac{w_i}{(1+w_i^2)}$

 $\frac{\partial E_{tot}}{\partial w_i} = -(t - w^T x)x_i + \frac{\lambda w_i}{(1+w_i^2)}$

 $rac{\partial E_{tot}}{\partial w_i} = -(t-w^Tx)x_i + rac{\lambda}{(1+w_i^2)^2}$

4.

5.

points

binary during the forward pass which limits the modeling capacity of the network. Given the shown histogram of activations (just before the nonlinear logistic nonlinearity) for a Neural Network, what is the regularization method that has been used (check all

Different regularization methods have different effects on the learning process. For example L2 regularization penalizes high weight values. L1 regularization penalizes

that the learned hidden representations take extreme values. Sampling the hidden

representations regularizes the network by pushing the hidden representation to be

weight values that do not equal zero. Adding noise to the weights during learning ensures

Weight value

In a linear regression task, a d dimensional input vector x is used to predict the output

where t is the target output value. We want to use a student-t cost for the weights:

The total error to be optimized $E_{tot}=E+C$. What is the expression for $\frac{\partial E_{tot}}{\partial w_i}$?

First you compute dE/dy then you multiply it by dy/dw_i then you add on

value y using the weight vector w where $y=w^Tx$. The error function $E=\frac{1}{2}(t-w^Tx)^2$

Histogram of activations (values just before the logistic nonlinearity) Sampling the hidden representation Correct When you sample the hidden states, the sampling creates noise if the logistic is in its sensitive region. The learning tends to find solutions that minimize this noise by keeping units firmly on or firmly off. L2 regularization Un-selected is correct L1 regularization

Un-selected is correct

Adding weight noise

Correct Noise in the weights will make the outputs of the units noisy unless they are firmly on or firmly off. The learning will therefore tend to stop once the units

behave like this.

6.

Suppose we have trained a neural network with one hidden layer and a single logistic output unit to predict whether or not an image contains a bird. If we retrain the network

in the same way on the same data but using half as many hidden units, which of the following statements is true: It will almost certainly do worse on the training data. Correct

It will almost certainly do better on the test data. Un-selected is correct

It will almost certainly do better on the training data.

It will almost certainly do worse on the test data.

Un-selected is correct

Un-selected is correct