## Knuckle boom

Mass properties of Jib+telescope

Configuration: Version K4 (arme ude)

Coordinate system: Point C

\* Includes the mass properties of one or more hidden components/bodies.

Mass = 842.2 kilograms

Volume = 0.1092 cubic meters

Surface area = 38.6 square meters

Center of mass: (meters)

X = 0.9806

Y = 0.1814

Z = -0.2939

Principal axes of inertia and principal moments of inertia: (kilograms \* square meters)

Taken at the center of mass.

Ix = (0.9996, 0.0179, -0.0211) Px = 31.34

ly = (-0.0174, 0.9995, 0.0264) Py = 566.5

Iz = (0.0215, -0.026, 0.9994) Pz = 573.4

Moments of inertia: (kilograms \* square meters)

Taken at the center of mass and aligned with the output coordinate system. (Using positive tensor notation.)

Lxx = 31.75 Lxy = 9.588 Lxz = -11.42

Lyx = 9.588 Lyy = 566.3 Lyz = -0.0237

Lzx = -11.42 Lzy = -0.0237 Lzz = 573.1

Moments of inertia: (kilograms \* square meters)

Taken at the output coordinate system. (Using positive tensor notation.)

lxx = 132.2 lxy = 159.4 lxz = -254.1

lyx = 159.4 lyy = 1449 lyz = -44.91

Izx = -254.1 Izy = -44.91 Izz = 1411

## Main boom

Mass properties of selected components

Coordinate system: Point B

The center of mass and the moments of inertia are output in the coordinate system of MainBoom

Mass = 216.5 kilograms

Volume = 0.0277 cubic meters

Surface area = 7.882 square meters

Center of mass: ( meters )

$$X = 1.134$$

Y = 0.1674

Z = -0.0018

Principal axes of inertia and principal moments of inertia: (kilograms \* square meters)

Taken at the center of mass.

$$Ix = (0.9987, 0.0519, 0.0007)$$
  $Px = 6.083$ 

$$Iz = (-0.0516, 0.9943, -0.0935)$$
  $Pz = 160.7$ 

Moments of inertia: (kilograms \* square meters)

Taken at the center of mass and aligned with the output coordinate system. (Using positive tensor notation.)

$$Lxx = 6.5$$
  $Lxy = 8.016$   $Lxz = 0.1093$ 

Moments of inertia: (kilograms \* square meters)

$$lxx = 12.56$$
  $lxy = 49.09$   $lxz = -0.3321$ 

$$lyx = 49.09$$
  $lyy = 438.5$   $lyz = 0.0014$ 

$$Izx = -0.3321$$
  $Izy = 0.0014$   $Izz = 444.3$ 

## Column

Mass properties of selected components

Coordinate system: Point A

The center of mass and the moments of inertia are output in the coordinate system of Column

Mass = 239385.0582 grams

Volume = 30506961.0343 cubic millimeters

Surface area = 5914286.7537 square millimeters

Center of mass: (millimeters)

X = -100.6662

Y = 0.0662

Z = 435.1073

Principal axes of inertia and principal moments of inertia: (grams \* square millimeters)

Taken at the center of mass.

Ix = (-0.2023, 0.0003, 0.9793) Px = 4548681998.0964

ly = (-0.9793, 0.0087, -0.2023) Py = 113490610230.2879

Iz = (-0.0086, -1.0000, -0.0015) Pz = 114019173455.4535

Moments of inertia: (grams \* square millimeters)

Taken at the center of mass and aligned with the output coordinate system. (Using positive tensor notation.)

Lyx = -11270678.4889 Lyy = 114019123306.8452 Lyz = 31851426.2467

Lzx = -21586700991.0242 Lzy = 31851426.2467 Lzz = 9008653515.7132

Moments of inertia: (grams \* square millimeters)

Taken at the output coordinate system. (Using positive tensor notation.)

lxx = 154350682737.6009 lxy = -12866519.8657 lxz = -32071914120.7848

lyx = -12866519.8657 lyy = 161764970320.8656 lyz = 38749094.3108

|zx = -32071914120.7848|zy = 38749094.3108 |zz = 11434508753.0520

## Dogbone

-----D2E--G2H------

Mass properties of 6344163

Configuration: 6344163

Coordinate system: Point D

Density = 7850 kilograms per cubic meter

Mass = 6.426 kilograms

Volume = 0.0008 cubic meters

Surface area = 0.138 square meters

Center of mass: ( meters )

$$X = 0.245$$

Y = 0

Z = 0

Principal axes of inertia and principal moments of inertia: (kilograms \* square meters)

Taken at the center of mass.

$$Ix = (-1, 0, 0)$$
  $Px = 0.0069$ 

$$ly = (0, 1, 0)$$
  $Py = 0.2419$ 

$$Iz = (0, 0, -1)$$
  $Pz = 0.2485$ 

Moments of inertia: (kilograms \* square meters)

Taken at the center of mass and aligned with the output coordinate system. (Using positive tensor notation.)

$$Lxx = 0.0069$$
  $Lxy = 0$   $Lxz = 0$ 

Lyx = 0 Lyy = 
$$0.2419$$
 Lyz =  $0$ 

$$Lzx = 0$$
  $Lzy = 0$   $Lzz = 0.2485$ 

Moments of inertia: (kilograms \* square meters)

$$1xx = 0.0069$$
  $1xy = 0$   $1xz = 0$ 

$$lyx = 0$$
  $lyy = 0.6276$   $lyz = 0$ 

$$Izx = 0$$
  $Izy = 0$   $Izz = 0.6342$ 

-----E2F------

Mass properties of 15373

Configuration: Default

Coordinate system: Point E

Density = 7850 kilograms per cubic meter

Mass = 7.076 kilograms

Volume = 0.0009 cubic meters

Surface area = 0.1017 square meters

Center of mass: ( meters )

$$X = 0.0817$$

Y = 0

Z = 0.0023

Principal axes of inertia and principal moments of inertia: (kilograms \* square meters)

Taken at the center of mass.

$$Ix = (-0.984, 0, 0.1782)$$
  $Px = 0.0095$ 

$$Iy = (0, -1, 0)$$
  $Py = 0.0546$ 

$$Iz = (0.1782, 0, 0.984)$$
  $Pz = 0.0603$ 

Moments of inertia: ( kilograms \* square meters )

Taken at the center of mass and aligned with the output coordinate system. (Using positive tensor notation.)

$$Lxx = 0.0111$$
  $Lxy = 0$   $Lxz = -0.0089$ 

Lyx = 0 Lyy = 
$$0.0546$$
 Lyz =  $0$ 

$$Lzx = -0.0089$$
  $Lzy = 0$   $Lzz = 0.0587$ 

Moments of inertia: (kilograms \* square meters)

$$Ixx = 0.0112$$
  $Ixy = 0$   $Ixz = -0.0075$ 

$$lyx = 0$$
  $lyy = 0.1019$   $lyz = 0$ 

$$Izx = -0.0075$$
  $Izy = 0$   $Izz = 0.1059$ 

------H2I------

Mass properties of 15377

Configuration: Default

Coordinate system: Point H

Density = 7850 kilograms per cubic meter

Mass = 22.05 kilograms

Volume = 0.0028 cubic meters

Surface area = 0.3182 square meters

Center of mass: ( meters )

$$X = 0.1206$$

Y = 0

Z = 0

Principal axes of inertia and principal moments of inertia: (kilograms \* square meters)

Taken at the center of mass.

$$Ix = (0, 0, 1)$$
  $Px = 0.1901$ 

$$ly = (1, 0, 0)$$
  $Py = 0.2636$ 

$$Iz = (0, 1, 0)$$
  $Pz = 0.4184$ 

Moments of inertia: ( kilograms \* square meters )

Taken at the center of mass and aligned with the output coordinate system. (Using positive tensor notation.)

$$Lxx = 0.2636$$
  $Lxy = 0$   $Lxz = 0$ 

Lyx = 0 Lyy = 
$$0.4184$$
 Lyz =  $0$ 

$$Lzx = 0$$
  $Lzy = 0$   $Lzz = 0.1901$ 

Moments of inertia: (kilograms \* square meters)

$$Ixx = 0.2636$$
  $Ixy = 0$   $Ixz = 0$ 

$$lyx = 0$$
  $lyy = 0.7389$   $lyz = 0$ 

$$Izx = 0$$
  $Izy = 0$   $Izz = 0.5106$