



Reconfigurable Intelligent Surfaces: A Signal Processing Perspective

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Outline

Introduction

- Reconfigurable intelligent surface (RIS)
- Vision for how to improve wireless communications

Developing a system model

- Basic signals and systems theory
- Application to model RIS systems
- Optimization of RIS for communication

Spatial channel structure

- Reduce number of parameters to learn

Summary

INTRODUCTION

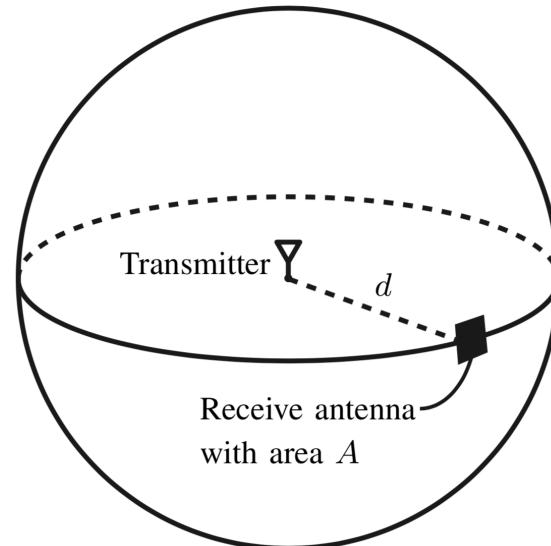
Physics of Wireless Signal Propagation

- Electromagnetic travel at speed of light
 - Spreads out in all directions
- Friis' propagation formula:

$$\text{Receive power} = \text{Transmit power} \cdot \frac{A}{4\pi d^2}$$

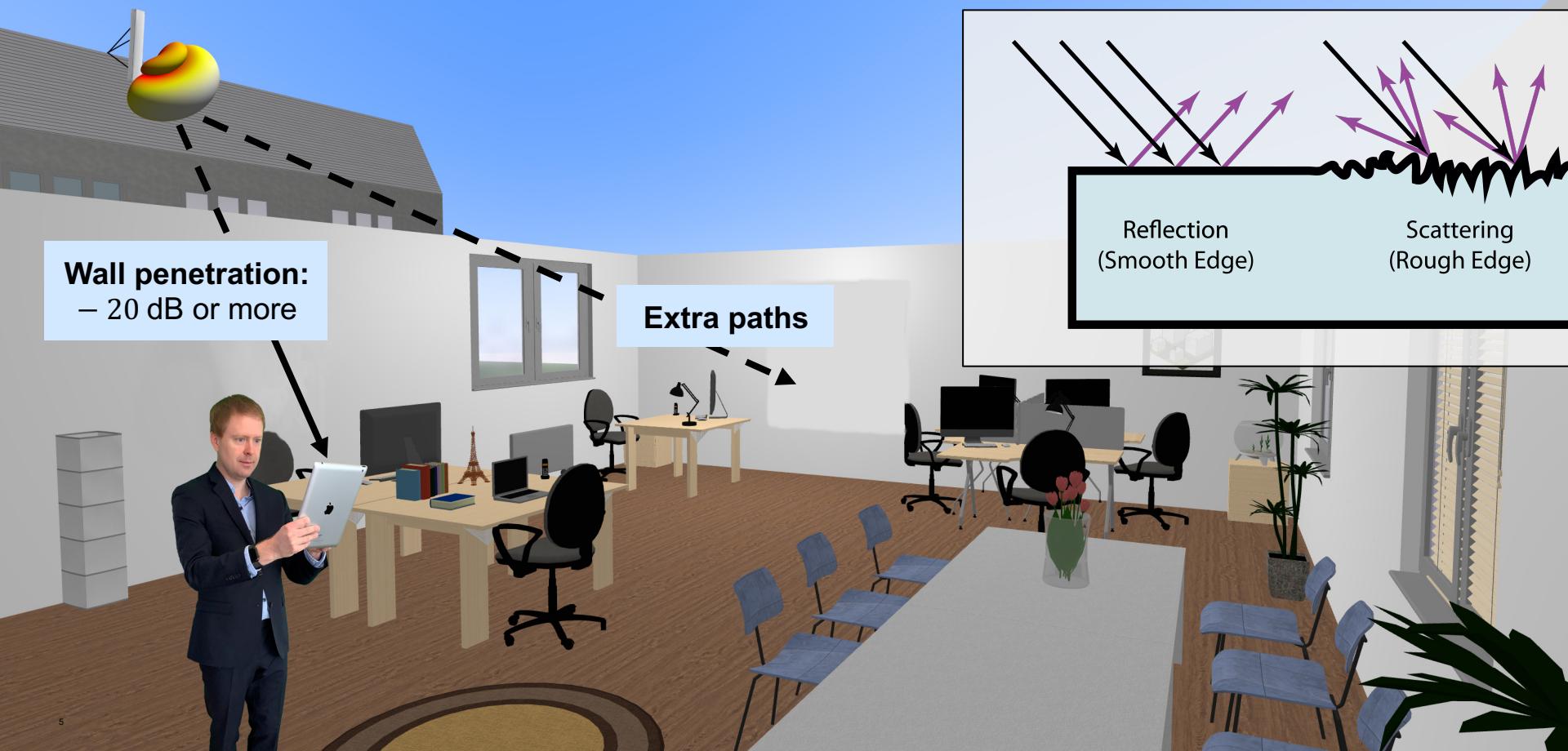
Example: $A = \left(\frac{\lambda}{4}\right)^2$, $\lambda = 0.1 \text{ m (3 GHz)}$

0.005% received at 1 m (-43 dB)
0.00005% received at 10 m (-63 dB)

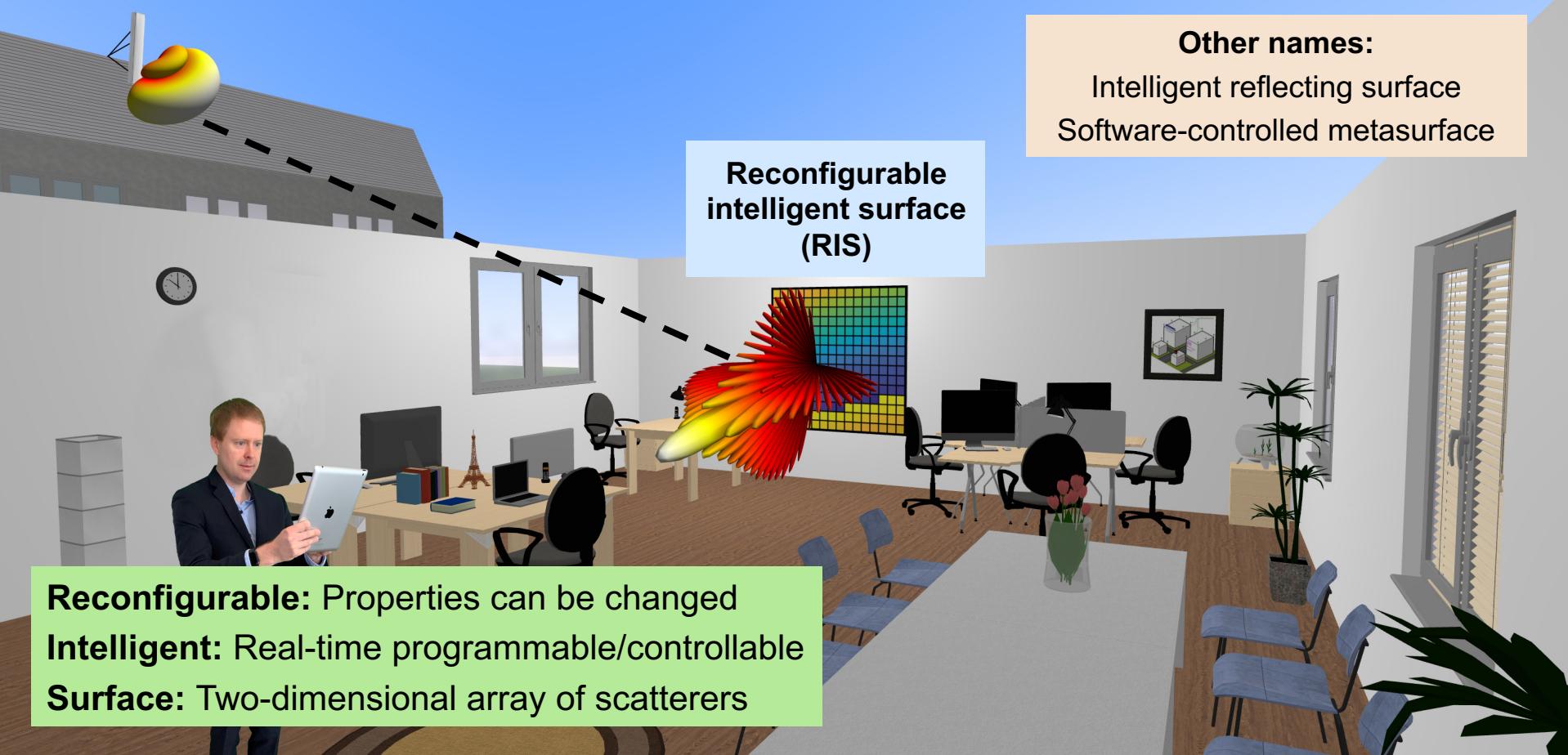


Only a tiny fraction of transmit power is received!

No Direct Path: Even Larger Propagation Losses



Shaping the Signal Scattering Towards the Receiver



Reconfigurable Intelligent Surface (RIS)

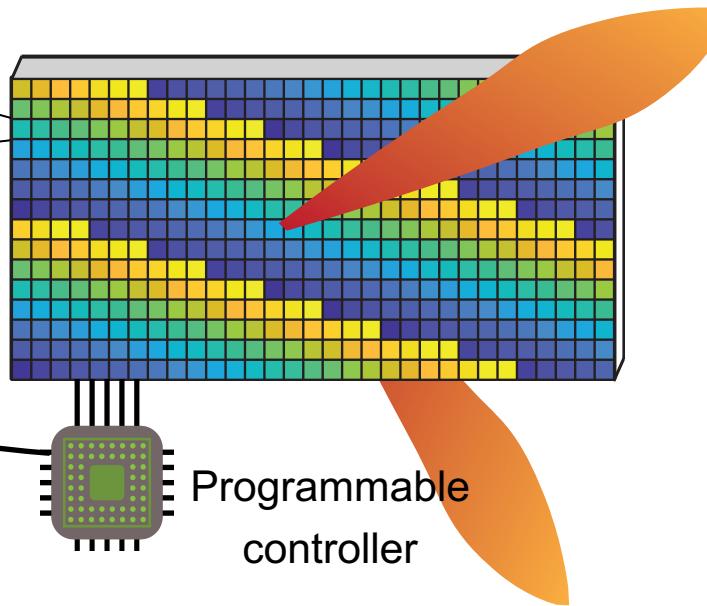


User 2

One element

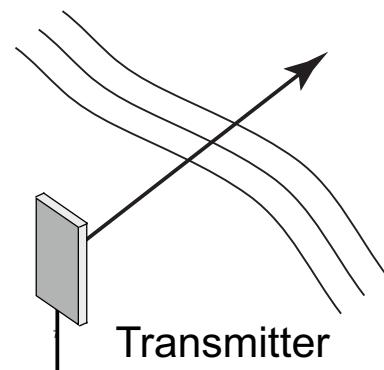
Passive patch

Switch
(e.g., diod)



Pattern of impedances

Approximate shape of another object
Sub-wavelength-sized elements



Transmitter



User 1

Vision: Controllable propagation

RIS **as a whole** can control

- Directivity of scattered signal
- Signal absorption
- Change polarization

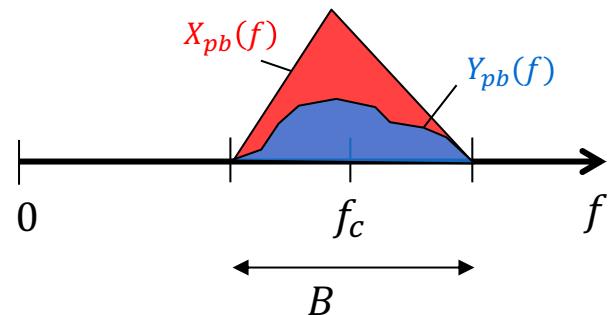
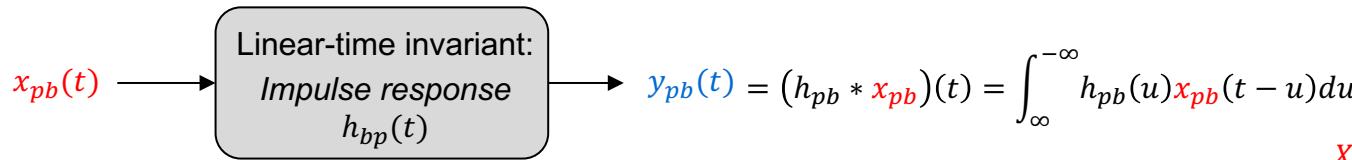
Improved indoor coverage



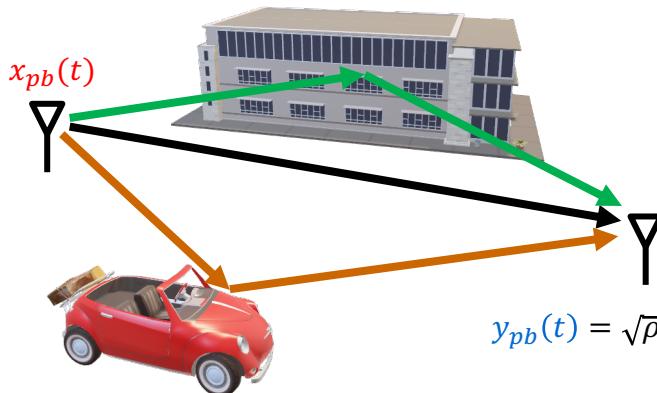
Mitigate shadow fading

DEVELOPING A SYSTEM MODEL

Introduction to Signals and Systems



- Communication channels are systems/filters:



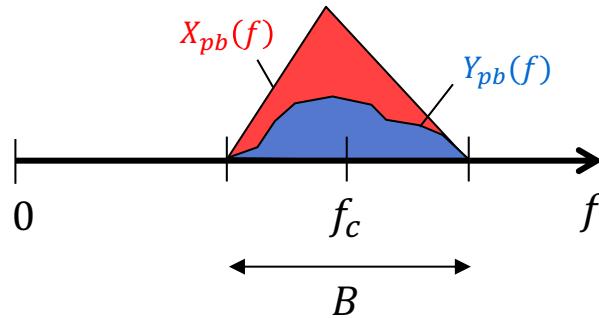
$$y_{pb}(t) = \sqrt{\rho_1}x_{pb}(t - \tau_1) + \sqrt{\rho_2}x_{pb}(t - \tau_2) + \sqrt{\rho_3}x_{pb}(t - \tau_3)$$

Impulse response: $h_{pb}(t) = \sqrt{\rho_1}\delta(t - \tau_1) + \sqrt{\rho_2}\delta(t - \tau_2) + \sqrt{\rho_3}\delta(t - \tau_3)$

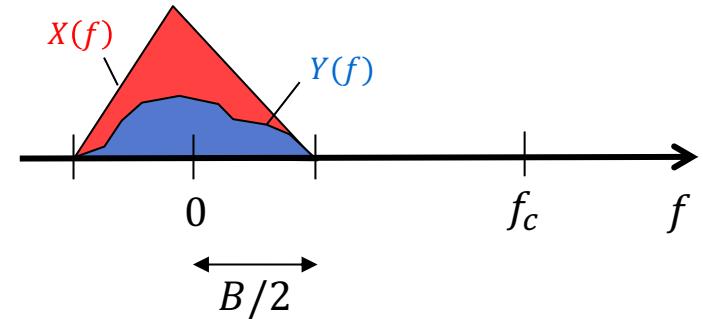
Complex Baseband Representation

- Communication theory is developed for the baseband

Real passband



Complex baseband

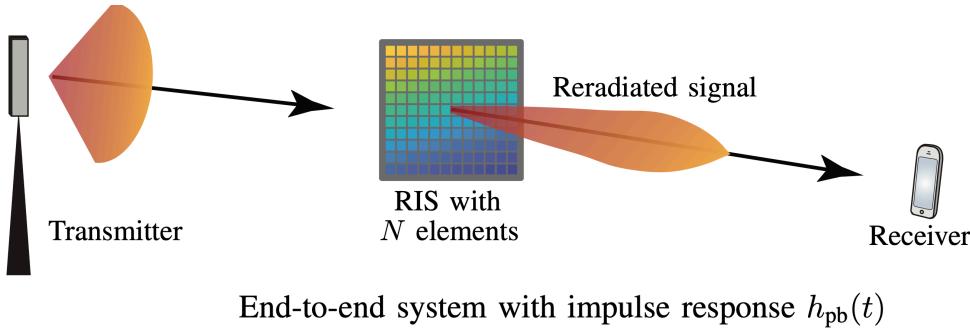


- Connection: $X_{pb}(f) = \frac{X(f-f_c)+X^*(-f-f_c)}{\sqrt{2}}$, $Y_{pb}(f) = \frac{Y(f-f_c)+Y^*(-f-f_c)}{\sqrt{2}}$



Downshifted channel: $h(t) = h_{pb}(t)e^{-j2\pi f_c t}$

Analyzing Reconfigurable Intelligent Surface

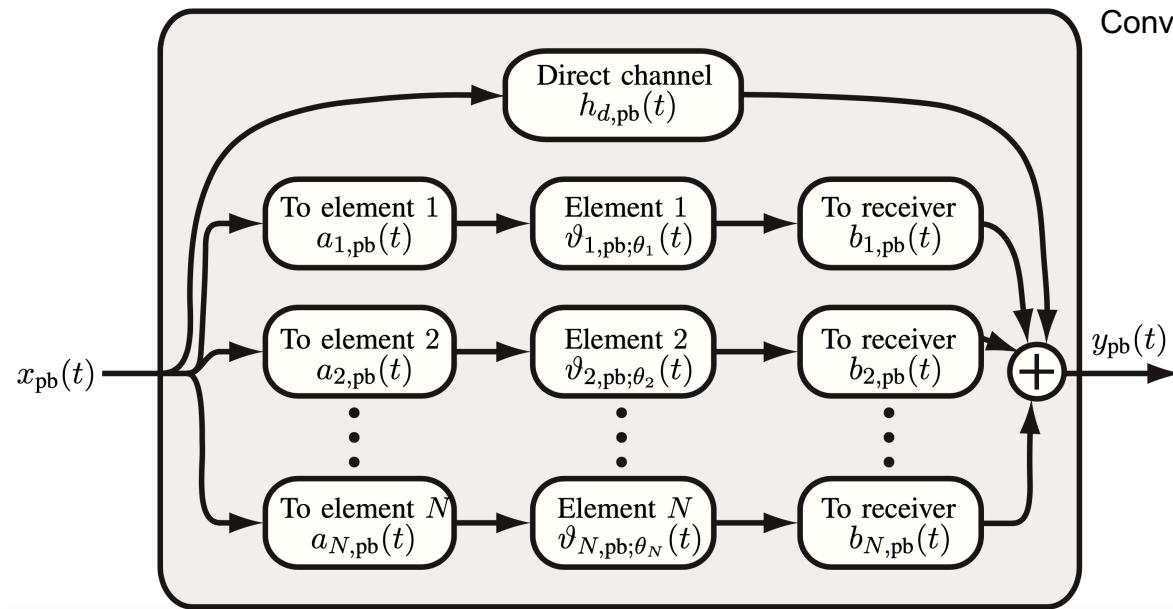


End-to-end impulse response:

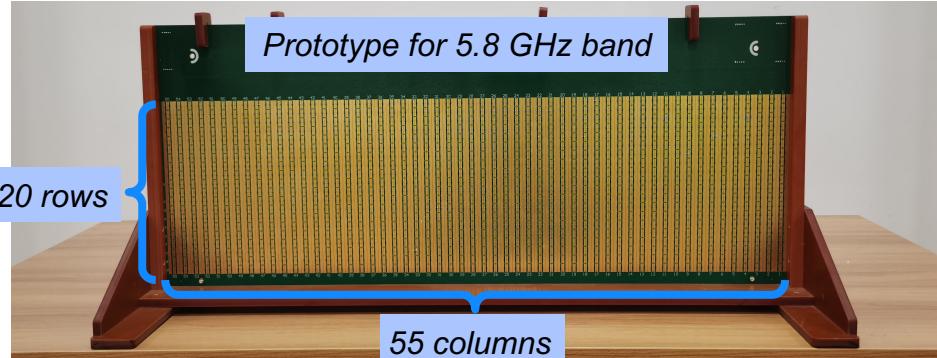
$$h_{pb}(t) = h_{d,pb}(t) + \sum_{n=1}^N (b_{n,pb} * \vartheta_{n,pb;\theta_n} * a_{n,pb})(t)$$

Conventional channel models

Controlled by RIS using $\theta_1, \dots, \theta_N$

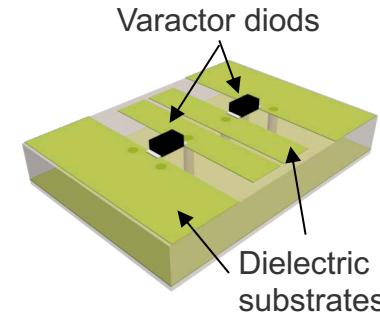


How Will an RIS Element Filter the Signal?

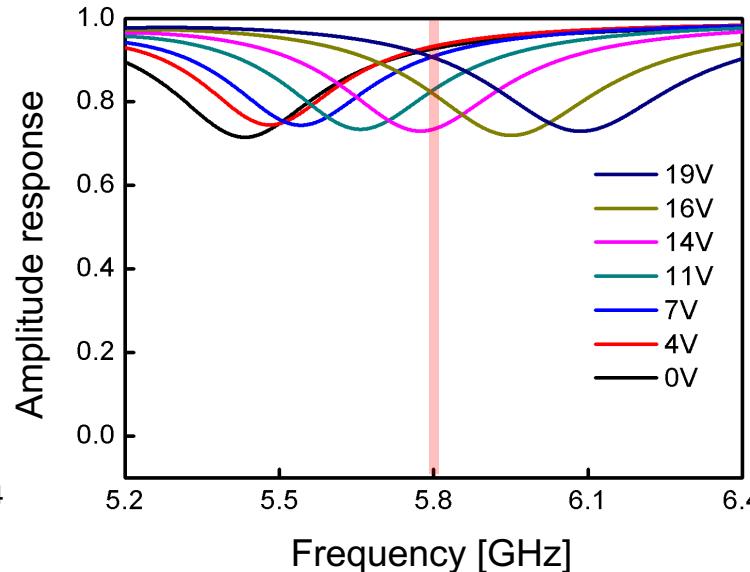
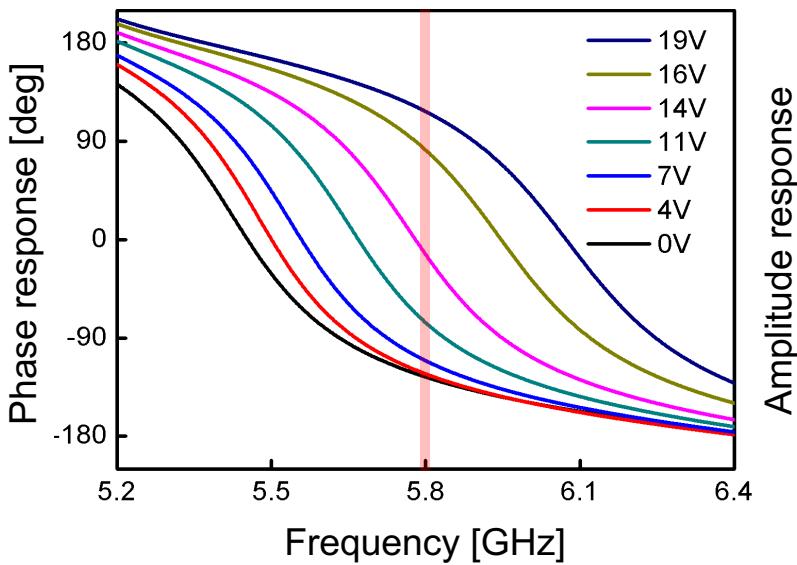


Example: Patch with bias voltage V
Reflection coefficient:

$$\frac{Z_n(V) - Z_0}{Z_n(V) + Z_0}$$



Reference: X. Pei, H. Yin, L. Tan, L. Cao, Z. Li, K. Wang, K. Zhang, E. Björnson, "RIS-Aided Wireless Communications: Prototyping, Adaptive Beamforming, and Indoor/Outdoor Field Trials," arXiv:2103.00534



How To Transmit Data?

- Pulse amplitude modulation:

$$x(t) = \sum_m x[m] p\left(t - \frac{m}{B}\right)$$

- Transmit discrete sequence: $x[m]$, m = integer

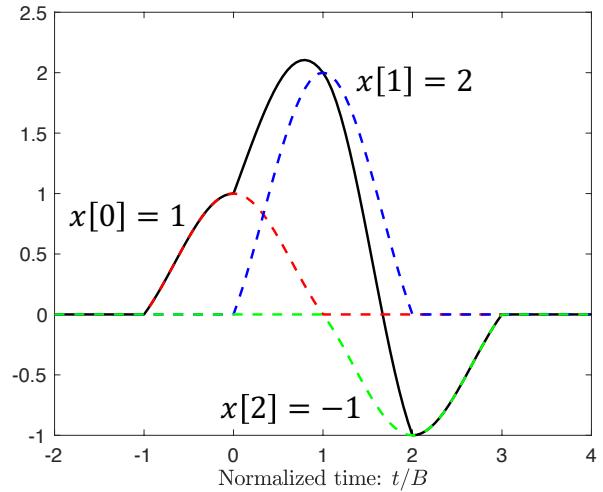
Use a pulse-form $p(t)$ satisfying the Nyquist criterion:

$$p\left(\frac{m}{B}\right) = 0 \text{ for integer } m \neq 0 \text{ and non-zero for } m = 0$$

- Example:** $p(t) = \sqrt{B} \operatorname{sinc}(Bt)$

Sampling of received signal $y(t) = x(t)$:

$$y\left(\frac{k}{B}\right) = x\left(\frac{k}{B}\right) = \sum_m x[m] p\left(\frac{k-m}{B}\right) = x[k]$$



Reception with Channel and Noise

- Received signal (with **Gaussian noise**):

$$y(t) = (h * x)(t) + w(t)$$

- Filter using $p(t) = \sqrt{B}\text{sinc}(Bt)$:

$$z(t) = (p * y)(t) = \sum_m x[m] (p * h * p) \left(t - \frac{m}{B} \right) + (p * w)(t)$$

- Sample received signal:

$$z\left(\frac{k}{B}\right) = \underbrace{\sum_m x[m]}_{\text{Call it } z[k]} \underbrace{(p * h * p)\left(\frac{k-m}{B}\right)}_{\text{Effective pulse function}} + \underbrace{(p * w)\left(\frac{k}{B}\right)}_{\text{Complex Gaussian noise } CN(0, N_0)}$$

Narrowband channel: $h \approx \text{constant} \cdot \delta(t - \tau)$ in the band, Nyquist criterion satisfied

$$z[k] = \text{constant} \cdot x[k] + \text{Gaussian noise}$$

Putting the Pieces Together: Narrowband Channels

- Direct channel: $h_{d,pb}(t) = \sqrt{\rho}\delta(t - \tau_d) \rightarrow h_d(t) = \sqrt{\rho}e^{-j2\pi f_c t}\delta(t - \tau_d)$
- Related to element n :
 $a_{n,pb}(t) = \sqrt{\alpha_n}\delta(t - \tau_{n,a}) \rightarrow a_n(t) = \sqrt{\alpha_n}e^{-j2\pi f_c t}\delta(t - \tau_{n,a})$
 $\vartheta_{n,pb;\theta_n}(t) = \sqrt{\gamma_n}\delta(t - \tau_{\theta_n}) \rightarrow \vartheta_{n;\theta_n}(t) = \sqrt{\gamma_n}e^{-j2\pi f_c t}\delta(t - \tau_{\theta_n})$
 $b_{n,pb}(t) = \sqrt{\beta_n}\delta(t - \tau_{n,b}) \rightarrow b_n(t) = \sqrt{\beta_n}e^{-j2\pi f_c t}\delta(t - \tau_{n,b})$

End-to-end system with impulse response $h_{pb}(t)$

End-to-end discrete-time system model:

$$z[k] = \left(\sqrt{\rho}e^{-j2\pi f_c \tau_d} + \sum_{n=1}^N \sqrt{\alpha_n \beta_n \gamma_n} e^{-j2\pi f_c (\tau_{n,a} + \tau_{\theta_n} + \tau_{n,b})} \right) x[k] + \text{Noise}$$

Diagram illustrating the end-to-end discrete-time system model:

- Direct path: $d_{N,pb}(t)$
- Joint amplitude losses: $\vartheta_{N,pb;\theta_N}(t)$
- Elements: $v_{N,pb;\theta_N}(t)$, $b_{N,pb}(t)$
- Tunable joint delay: $\tau_{n,a} + \tau_{\theta_n} + \tau_{n,b}$

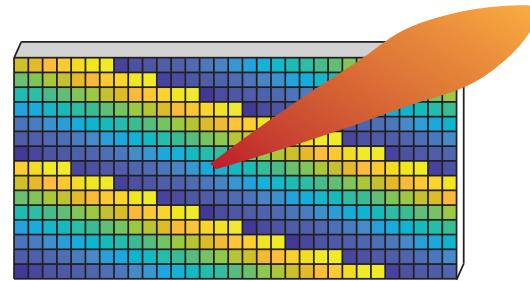
OPTIMIZING COMMUNICATION PERFORMANCE

Maximizing Performance Without a Direct Path



Received signal without direct path:

$$y = \sum_{n=1}^N \sqrt{\alpha_n \beta_n \gamma_n} e^{-j2\pi f_c(\tau_{n,a} + \tau_{\theta_n} + \tau_{n,b})} \cdot \text{signal} + \text{noise}$$



Signal processing problem:
Maximize the signal-to-noise ratio

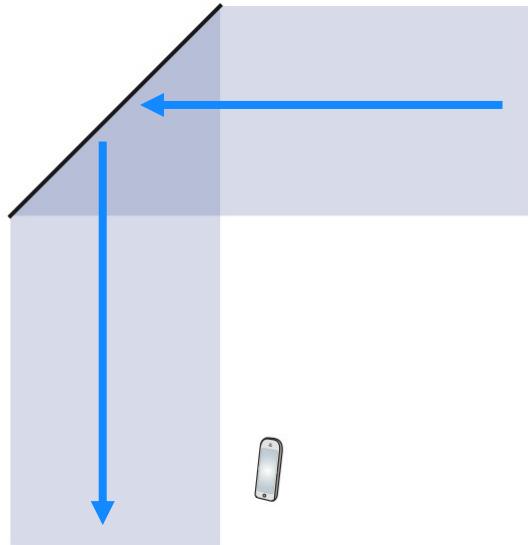
Minimum positive delay solution:

$$\tau_{\theta_n} = \max_m (\tau_{m,a} + \tau_{m,b}) - (\tau_{n,a} + \tau_{n,b})$$

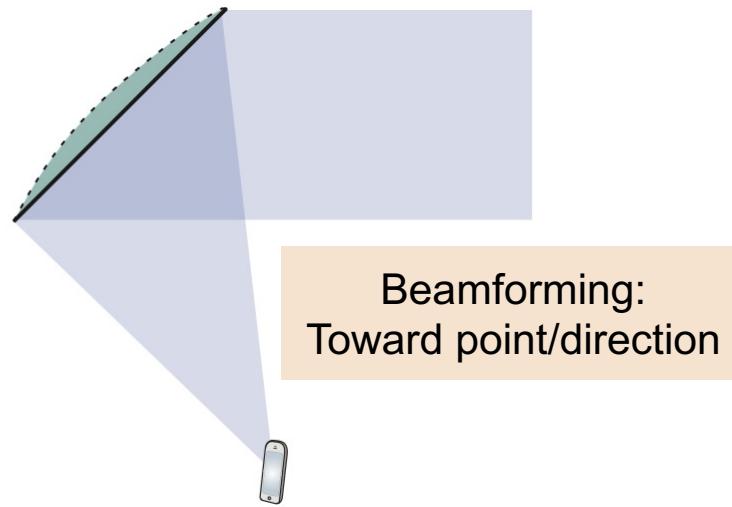
$$\left| \sum_{n=1}^N \sqrt{\alpha_n \beta_n \gamma_n} e^{-j2\pi f_c(\tau_{n,a} + \tau_{\theta_n} + \tau_{n,b})} \right|^2 \leq \left| \sum_{n=1}^N \sqrt{\alpha_n \beta_n \gamma_n} \right|^2 \approx N^2 \alpha \beta \gamma$$

↑
Cauchy–Schwarz inequality
 $(\tau_{n,a} + \tau_{\theta_n} + \tau_{n,b} = \text{constant})$

Example: Synthesizing Surface Shapes



1: Normal reflection



2: Signal focusing

Maximizing Performance With a Direct Path

Received signal with direct path:

$$y = \left(\sqrt{\rho} e^{-j2\pi f_c \tau_d} + \sum_{n=1}^N \sqrt{\alpha_n \beta_n \gamma_n} e^{-j2\pi f_c (\tau_{n,a} + \tau_{\theta_n} + \tau_{n,b})} \right) \cdot \text{signal} + \text{noise}$$

Maximize channel gain:

$$\left| \sqrt{\rho} e^{-j2\pi f_c \tau_d} + \sum_{n=1}^N \sqrt{\alpha_n \beta_n \gamma_n} e^{-j2\pi f_c (\tau_{n,a} + \tau_{\theta_n} + \tau_{n,b})} \right|^2 \leq \left| \sqrt{\rho} + \sum_{n=1}^N \sqrt{\alpha_n \beta_n \gamma_n} \right|^2$$

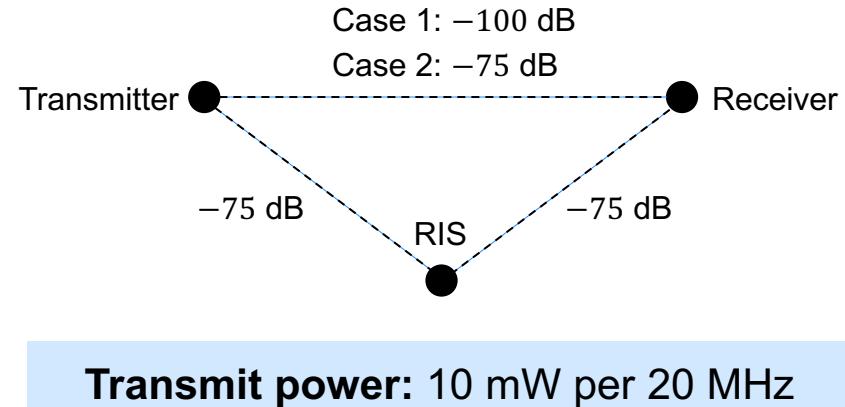
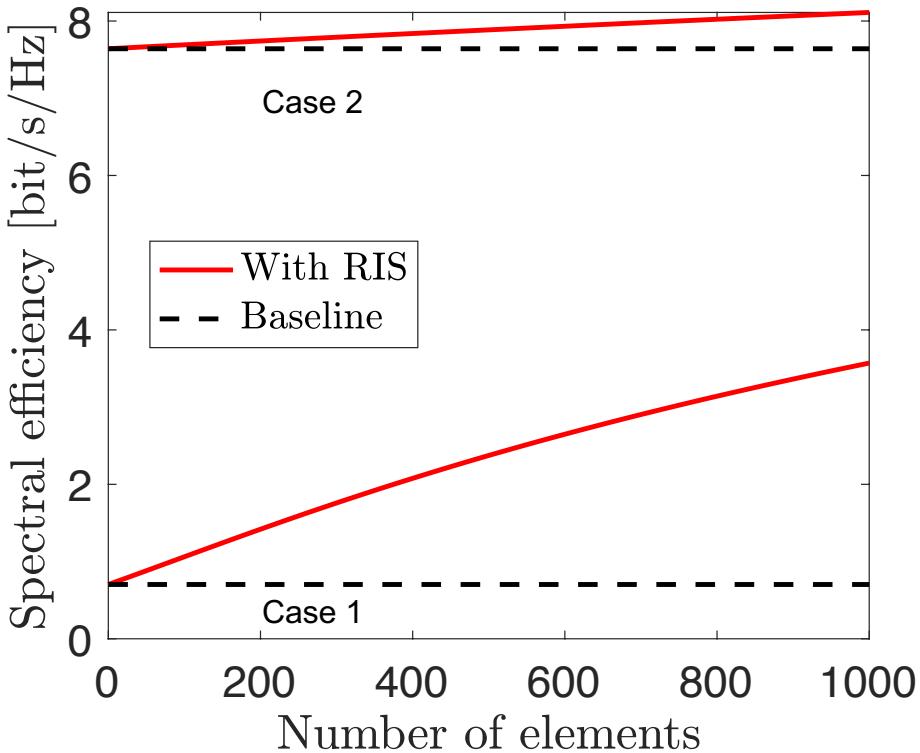
Achieved when:

$$\tau_{n,a} + \tau_{\theta_n} + \tau_{n,b} = \tau_d$$

Minimum positive delay solution:

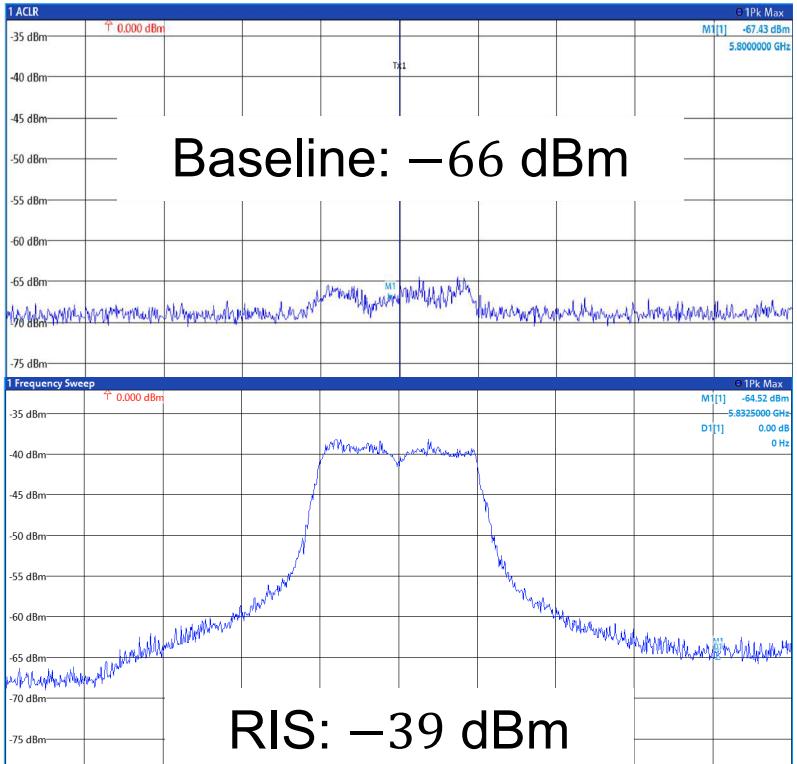
$$\tau_{\theta_n} = \tau_d - (\tau_{n,a} + \tau_{n,b}) + \frac{\text{integer}}{f_c}$$

Basic Performance Benefit

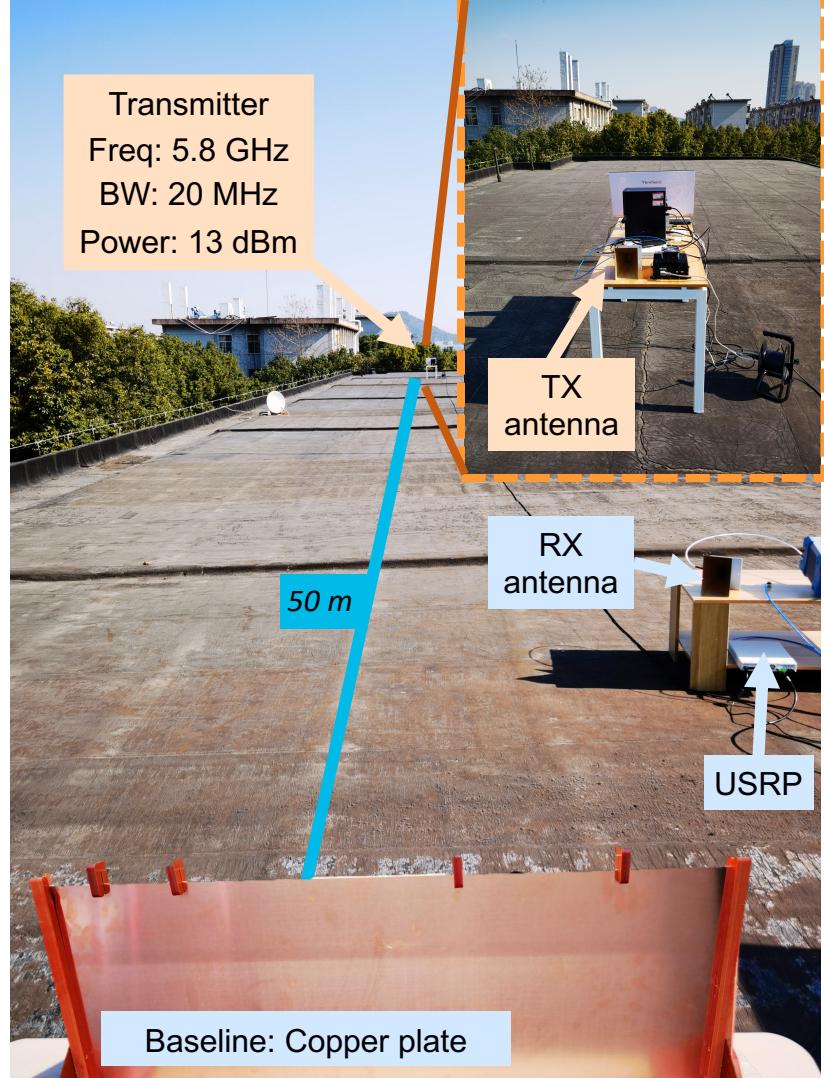


RIS is particularly helpful
when direct path is relatively weak

Experimental Validation

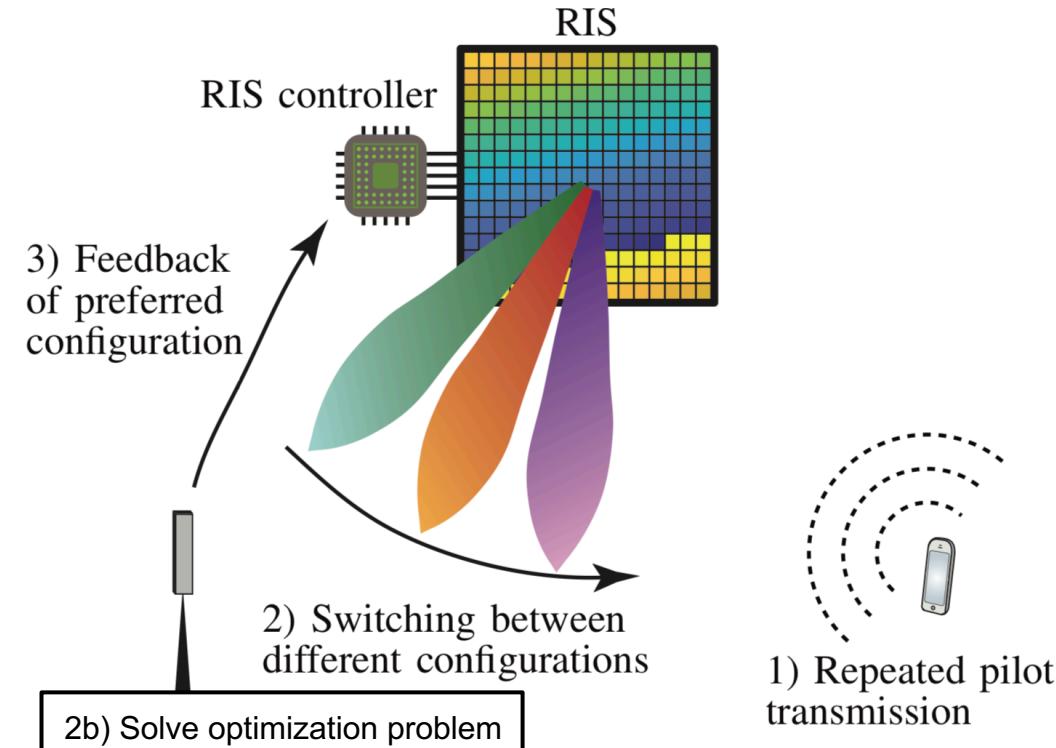


Reference: X. Pei, H. Yin, L. Tan, L. Cao, Z. Li, K. Wang, K. Zhang, E. Björnson, "RIS-Aided Wireless Communications: Prototyping, Adaptive Beamforming, and Indoor/Outdoor Field Trials," arXiv:2103.00534



Reconfigurability is Complicated?

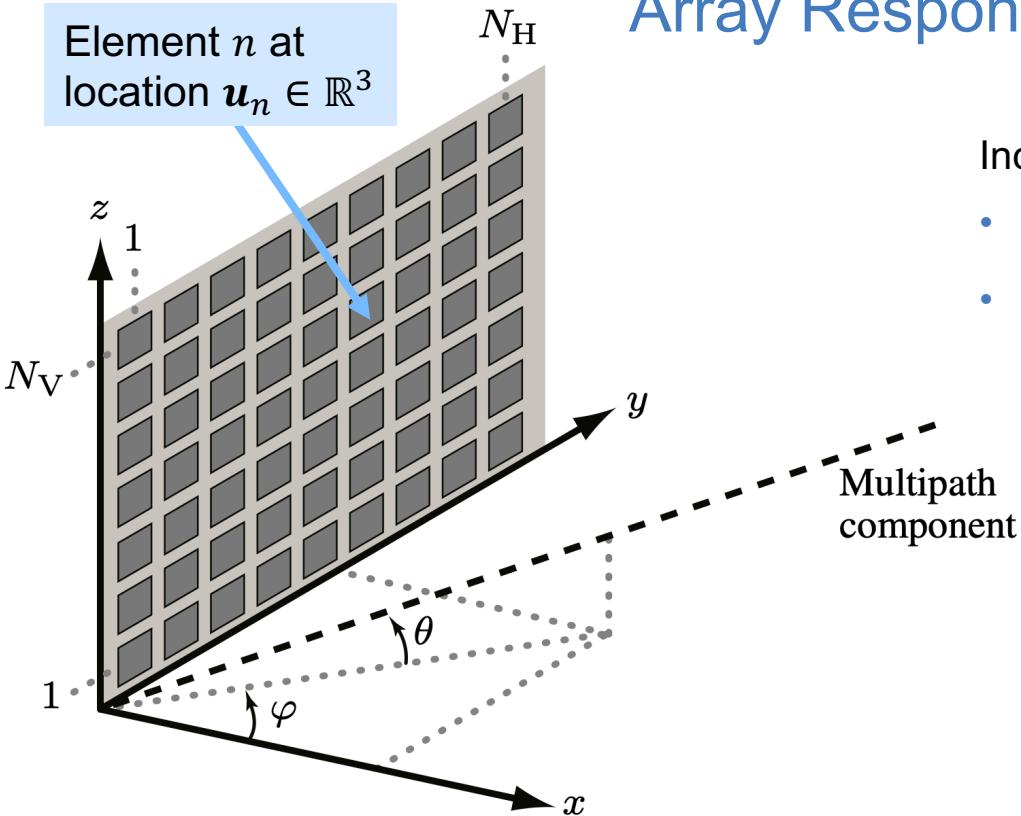
The RIS is blind!



SPATIAL CHANNEL STRUCTURE

Array Response Vector

Element n at
location $\mathbf{u}_n \in \mathbb{R}^3$



Incoming/outgoing plane wave determined by

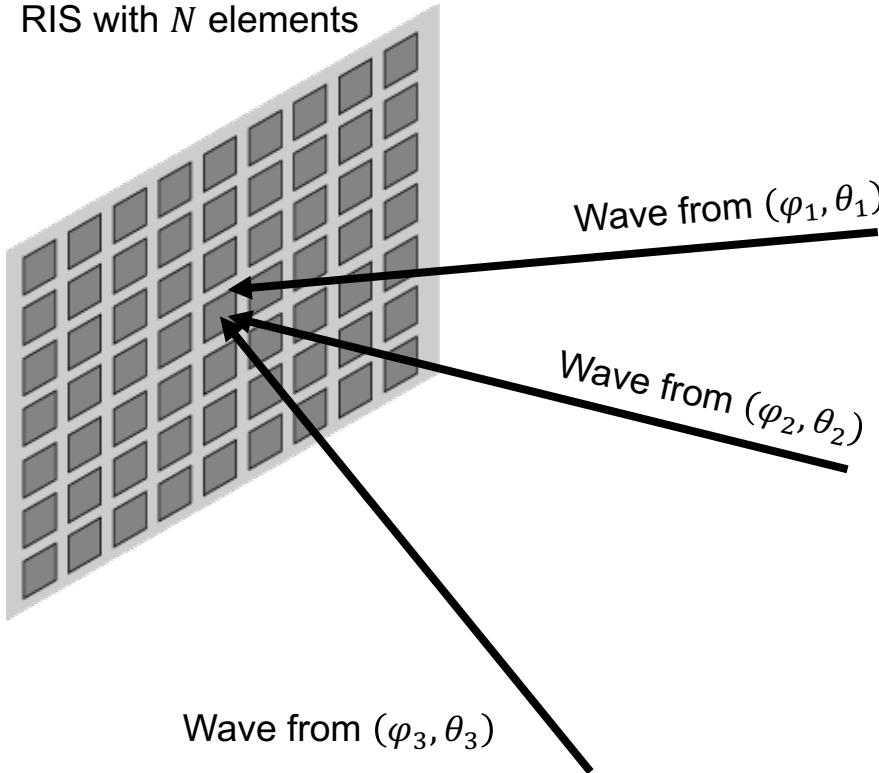
- Azimuth angle $\varphi \in [-\pi, \pi]$
- Elevation angle $\theta \in \left[-\frac{\pi}{2}, \frac{\pi}{2}\right]$

Channel vector for one plane wave
constant $\cdot a(\varphi, \theta)$

$$a(\varphi, \theta) = \begin{bmatrix} e^{j\mathbf{k}(\varphi, \theta)^T \mathbf{u}_1} \\ \vdots \\ e^{j\mathbf{k}(\varphi, \theta)^T \mathbf{u}_N} \end{bmatrix}, \quad \mathbf{k}(\varphi, \theta) = \frac{2\pi}{\lambda} \begin{bmatrix} \cos(\theta) \cos(\varphi) \\ \cos(\theta) \sin(\varphi) \\ \sin(\theta) \end{bmatrix}$$

Sparse Multipath Channel

RIS with N elements



Channel vector for L plane wave

$$\mathbf{h} = \sum_{l=1}^L c_l \cdot a(\varphi_l, \theta_l)$$

Number of parameters

N complex parameters in \mathbf{h}
or $3L$ real parameters

Sparse channels

L is small or one path is much stronger than all other

Sparse Channels with RIS

Recall the channel gain:

$$\begin{aligned} & \sqrt{\rho}e^{-j2\pi f_c \tau_d} + \sum_{n=1}^N \sqrt{\alpha_n \beta_n \gamma_n} e^{-j2\pi f_c (\tau_{n,a} + \tau_{\theta_n} + \tau_{n,b})} \\ &= \sqrt{\rho}e^{-j2\pi f_c \tau_d} + \left(\begin{bmatrix} \sqrt{\beta_1} e^{-j2\pi f_c \tau_{1,b}} \\ \vdots \\ \sqrt{\beta_N} e^{-j2\pi f_c \tau_{N,b}} \end{bmatrix} \odot \begin{bmatrix} \sqrt{\alpha_1} e^{-j2\pi f_c \tau_{1,a}} \\ \vdots \\ \sqrt{\alpha_N} e^{-j2\pi f_c \tau_{N,a}} \end{bmatrix} \right)^T \begin{bmatrix} \sqrt{\gamma_1} e^{-j2\pi f_c \tau_{\theta_1}} \\ \vdots \\ \sqrt{\gamma_N} e^{-j2\pi f_c \tau_{\theta_N}} \end{bmatrix} \end{aligned}$$

Sparse channel from RIS? Sparse channel to RIS? Controllable vector

Element-wise multiplication

The diagram illustrates the element-wise multiplication of two sparse channel vectors and a controllable vector. It shows three vectors: a top vector with elements $\sqrt{\beta_1} e^{-j2\pi f_c \tau_{1,b}}, \dots, \sqrt{\beta_N} e^{-j2\pi f_c \tau_{N,b}}$, a middle vector with elements $\sqrt{\alpha_1} e^{-j2\pi f_c \tau_{1,a}}, \dots, \sqrt{\alpha_N} e^{-j2\pi f_c \tau_{N,a}}$, and a bottom vector with elements $\sqrt{\gamma_1} e^{-j2\pi f_c \tau_{\theta_1}}, \dots, \sqrt{\gamma_N} e^{-j2\pi f_c \tau_{\theta_N}}$. A blue bracket under the first vector is labeled 'Sparse channel from RIS?'. A green bracket under the second vector is labeled 'Sparse channel to RIS?'. A red bracket under the third vector is labeled 'Controllable vector'. An arrow points from the top vector to the middle vector, indicating the element-wise multiplication operation. A blue box labeled 'Element-wise multiplication' is positioned above the middle vector.

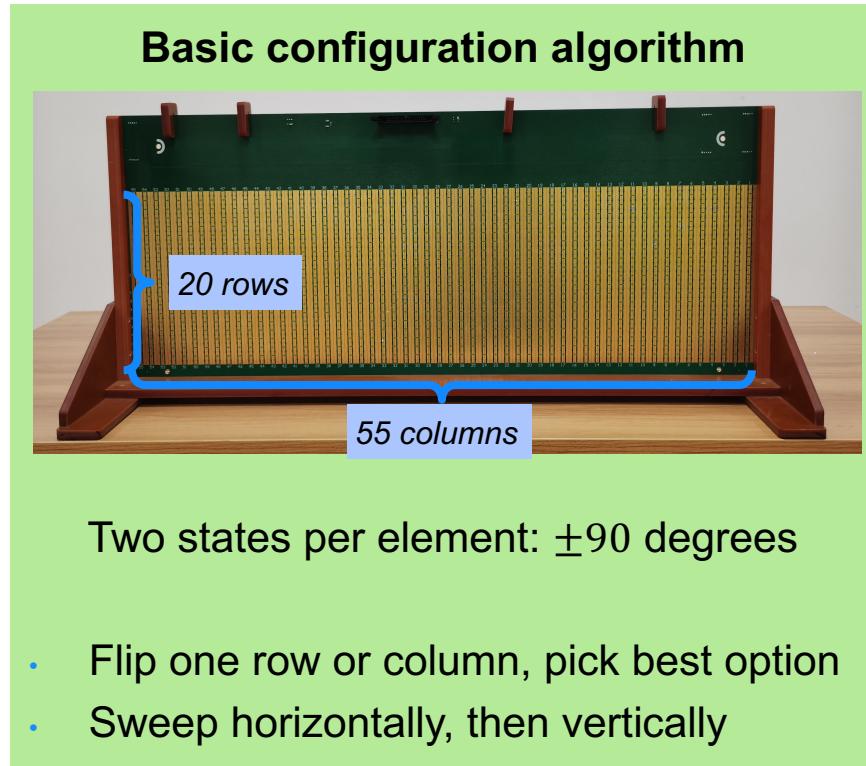
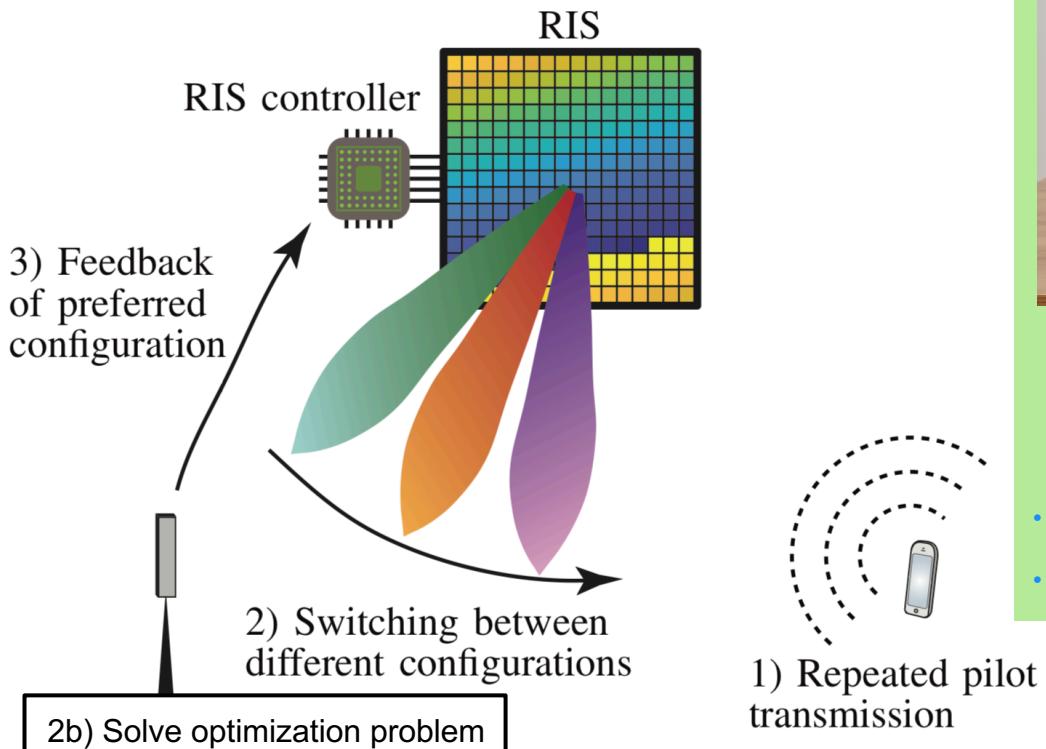
Unknowns *without* sparsity: $N + 1$

Unknowns *with* sparsity: Much fewer?

Slow variations for adjacent elements:

Similar phase shifts in RIS

Reconfigure RIS by Exploiting Channel Sparsity



SUMMARY

Reconfigurable Intelligent Surfaces for Wireless Communications

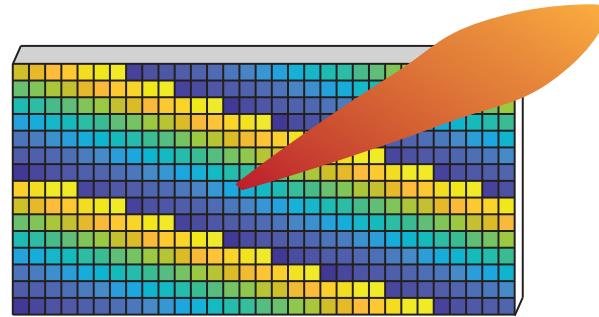


Use RIS technology to:

- Control propagation environment
- Example: Improve signal-to-noise ratio

A signal processing problem

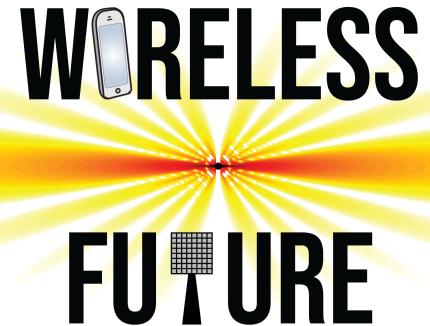
- Learn propagation channels
- Determine how to configure the RIS



Speculations about the future

- A cost and energy efficient relay?
- Suitable when there is sparsity
 - “Easier” to channel estimate
 - Sensitive propagation
- Particularly useful above 100 GHz?

Podcast:



YouTube Videos

Two Prospective Use Cases

Transmitter → User 1 (in Energy Harvesting)

Transmitter → User 2 (in Energy harvesting) → User 1 (Information signal)

Transmitter → User 2 (Information signal) → User 1 (Information signal)

BTS controller

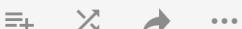
BTS controller

PLAY ALL

A thumbnail for a YouTube channel. It features a video player showing a man speaking, with the text "Intelligent reflecting surfaces for 6G" above it. Below the video player is the channel's name and a "PLAY ALL" button. The main title "Intelligent reflecting surfaces for 6G" is displayed prominently.

Intelligent reflecting surfaces for 6G

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Wireless Future / Communication Systems

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- Communication Using Reconfigurable Intelligent Surfaces: Fundamentals and Recent Insights**
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4 27:23
- Power Scaling Laws and Near-Field Behaviors of Massive MIMO and Intelligent Reflecting Surfaces**
IEEEComSoc

5 5:05

Key References

Overview papers

1. E. Björnson, H. Wymeersch, B. Matthiesen, P. Popovski, L. Sanguinetti, E. de Carvalho, "A Signal Processing Perspective on Reconfigurable Intelligent Surfaces With Wireless Applications", Available on arXiv:2102.00742.
2. E. Björnson, Ö. Özdogan, E. G. Larsson, "Reconfigurable Intelligent Surfaces: Three Myths and Two Critical Questions," IEEE Communications Magazine, 2020.

Channel modeling

3. Ö. Özdogan, E. Björnson, E. G. Larsson, "Intelligent Reflecting Surfaces: Physics, Propagation, and Pathloss Modeling," IEEE Wireless Commun. Letters, 2020.
4. E. Björnson, L. Sanguinetti, "Power Scaling Laws and Near-Field Behaviors of Massive MIMO and Intelligent Reflecting Surfaces," IEEE O. J. Commun. Soc. 2020.

Prototyping and field trials

5. X. Pei, H. Yin, L. Tan, L. Cao, Z. Li, K. Wang, K. Zhang, E. Björnson, "RIS-Aided Wireless Communications: Prototyping, Adaptive Beamforming, and Indoor/Outdoor Field Trials," Available on arXiv:2102.00742

Questions?