

# Model Selection for bank telemarketing

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## Outline

1. Dataset Introduction ✓
2. Data Pre-processing
3. Model Building and Prediction
4. Model Evaluation
5. Conclusion



## Dataset Context (I)

The data is related with direct marketing campaigns of a Portuguese banking institution. The marketing campaigns were based on phone calls. Often, more than one contact to the same client was required, in order to access if the product (bank term deposit) would be ('yes') or not ('no') subscribed.



## Dataset Context (II)

- Objective:

- ▶ The classification goal is to predict if the client will subscribe a term deposit (variable  $y$ ).

- Solution: predictive modeling

- ▶ Predictive modeling helps in determining the main characteristics that affect success and selection of potential buying customers.
- ▶ GLM, RPart Decision Tree, Random Forest Tree, Neural Network algorithms were used to build the model and the appropriate model is selected based ROC and AUC



## Data Attributes

Demographic Information:	Marketing Information	Macro economy Information
age (numeric)	contact (categorical)	emp.var.rate (numeric)
job (categorical)	month(categorical)	cons.price.idx(numeric)
marital(categorical)	day_of_week (categorical)	cons.conf.idx (numeric)
education (categorical)	duration (numeric)	euribor3m (numeric)
Default (categorical)	campaign (numeric)	pr.employed (numeric)
housing (categorical)	pdays (numeric)	
loan (categorical)	previous (numeric)	
	poutcome (categorical)	

Figure 1: Predictive Variables

Target Variable:  $y$  - has the client subscribed a term deposit?  
(binary: 'yes', 'no')



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## Data cleaning (I)

Variable Selection:

Delete: Default and Duration

Demographic Information	age	job	marital	education	default	housing	loan
	0	330	80	1731	8597	990	990
	0	0.80%	0.19%	4.20%	20.87%	2.40%	2.40%

Figure 2: Missing Values



## Data cleaning (II)

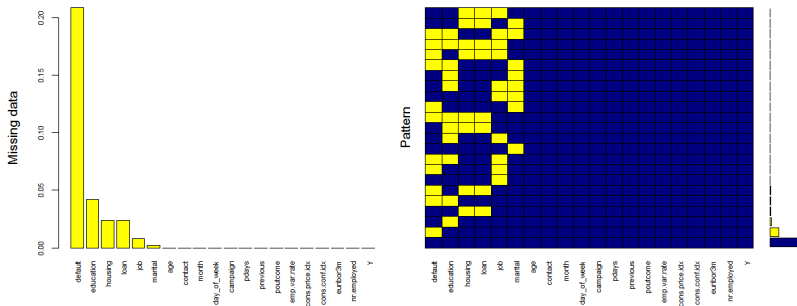


Figure 3: Missing Values Table





## MICE Package

### □ Assumption:

- ▶ the missing data are Missing at Random (MAR)
- ▶ It imputes data on a variable by variable basis by specifying an imputation model per variable.
- ▶ Linear regression is used to predict continuous missing values. Logistic regression is used for categorical missing values.
- ▶ Suppose we have  $X_1, X_2, \dots, X_k$  variables. If  $X_1$  has missing values, then it will be regressed on other variables  $X_2$  to  $X_k$ . The missing values in  $X_1$  will be then replaced by predictive values obtained.

### □ Methods:

- ▶ polyreg (Bayesian polytomous regression) ? For Factor Variables ( $\geq 2$  levels)



## Code

```
1 library(mice)
2 library(VIM)
3 md.pattern(bank)
4 mice_plot <- aggr(bank, col=c('navyblue','yellow
   '),numbers=TRUE, sortVars=TRUE,
5 labels=names(bank), cex.axis=.7, gap=3,
6 ylab=c("Missing data","Pattern"))
7 tempData <- mice(bank,m=5,maxit=50,
8 meth='polyreg',seed=500)
9 summary(tempData)
10 bankfull_NonNA <- complete(tempData,1)
11 write.csv(bankfull_NonNA, "bankclean.csv")
```



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## Logistic Regression Model

### Logistic Regression

- Linear regression with a transformation such that the output is always between 0 and 1, and can thus be interpreted as a probability. It predicts the probability of occurrence of an event by fitting data to a logit function.
- To represent binary / categorical outcome, we use dummy variables.



## Code (I)

```
1 library(caret)
2 bank.train.dummy <- predict(dummyVars(y ~ . ,data=
   bank_train), newdata=bank_train)
3 bank.train.dummy <- data.frame(bank.train.dummy, y=
   factor(bank_train$y))
4 bank.test.dummy <- predict(dummyVars(y ~ . ,data=
   bank_test), newdata=bank_test)
5 bank.test.dummy <- data.frame(bank.test.dummy, y=
   factor(bank_test$y))
```



## Code (II)

```
1 trControl=cvCtrl, metric="ROC", tuneLength=1)
2 predict.logit.train <- predict.train(logit)
3 predict.logit.test <- predict(logit, bank.test.dummy
  , type="prob")
4 (auc.logit <- auc(bank.test.dummy$y, predict.logit.
  test2$yes))
```



call:

NULL

Deviance Residuals:

Min	1Q	Median	3Q	Max
-2.0879	-0.3893	-0.3187	-0.2657	2.9410

Coefficients: (9 not defined because of singularities)

	Estimate	Std. Error	z value	Pr(> z )
(Intercept)	1.027e+12	7.251e+12	0.142	0.887353
age	3.824e-04	2.358e-03	0.162	0.871179
job.admin.	9.897e-03	1.221e-01	0.081	0.935405
job.blue.collar	-1.783e-01	1.284e-01	-1.388	0.165004
job.entrepreneur	-4.033e-03	1.598e-01	-0.025	0.979865
job.housemaid	-1.367e-01	1.796e-01	-0.761	0.446530
job.management	-1.219e-01	1.397e-01	-0.873	0.382836
job.retired	2.266e-01	1.473e-01	1.538	0.124142
job.self.employed	-1.105e-01	1.580e-01	-0.699	0.484256
job.services	-1.104e-01	1.365e-01	-0.809	0.418521
job.student	2.742e-01	1.533e-01	1.789	0.073606
job.technician	-3.165e-02	1.280e-01	-0.247	0.804745
job.unemployed	NA	NA	NA	NA
marital.divorced	-1.206e-01	7.706e-02	-1.564	0.117711
marital.married	-4.574e-02	5.043e-02	-0.907	0.364343
marital.single	NA	NA	NA	NA
education.basic.4y	-1.741e-01	8.832e-02	-1.971	0.048746 *
education.basic.6y	5.133e-02	1.036e-01	0.495	0.620268
education.basic.9y	-1.354e-01	7.800e-02	-1.736	0.082606
education.high.school	-1.159e-01	5.807e-02	-1.995	0.046009 *
education.illiterate	3.343e-01	5.538e-01	0.604	0.546086
education.professional.course	-8.343e-02	7.327e-02	-1.139	0.254851
education.university.degree	NA	NA	NA	NA



month.aug	2.847e-01	1.426e-01	1.996	0.045955	*
month.dec	3.289e-02	2.237e-01	0.147	0.883102	
month.jul	-1.424e-01	1.745e-01	-0.816	0.414664	
month.jun	-8.640e-01	2.349e-01	-3.678	0.000235	***
month.mar	1.349e+00	1.579e-01	8.540	< 2e-16	***
month.may	-5.649e-01	1.516e-01	-3.726	0.000194	***
month.nov	-6.370e-01	1.536e-01	-4.146	3.39e-05	***
month.oct	-1.151e-01	1.463e-01	-0.787	0.431438	
month.sep	NA	NA	NA	NA	
day_of_week.fri	-1.718e-01	6.362e-02	-2.700	0.006928	**
day_of_week.mon	-3.925e-01	6.368e-02	-6.163	7.14e-10	***
day_of_week.tue	-1.093e-01	6.120e-02	-1.786	0.074139	.
day_of_week.thu	-1.201e-01	6.247e-02	-1.923	0.054539	.
day_of_week.wed	NA	NA	NA	NA	
campaign	-3.739e-02	1.018e-02	-3.674	0.000239	***
pdays	1.121e+00	2.299e-01	4.873	1.10e-06	***
previous	-6.913e-02	6.292e-02	-1.099	0.271876	
poutcome.failure	-8.085e-01	2.268e-01	-3.565	0.000365	***
poutcome.nonexistent	-3.264e-01	2.286e-01	-1.428	0.153363	
poutcome.success	NA	NA	NA	NA	
emp.var.rate	-1.549e+00	1.390e-01	-11.140	< 2e-16	***
cons.price.idx	2.117e+00	2.468e-01	8.580	< 2e-16	***
cons.conf.idx	2.895e-02	7.842e-03	3.691	0.000223	***
euribor3m	2.479e-01	1.278e-01	1.940	0.052327	.
nr.employed	6.639e-03	3.034e-03	2.188	0.028636	*

---  
 signif. codes: 0 '\*\*\*' 0.001 '\*\*' 0.01 '\*' 0.05 '.' 0.1 ' ' 1

(Dispersion parameter for binomial family taken to be 1)

Null deviance: 23071 on 32950 degrees of freedom  
 Residual deviance: 18118 on 32903 degrees of freedom  
 AIC: 18214





## Decision Tree - General Introduction

Decision tree is a set of (splitting) rules to recursively partition a data set. The decision tree model is one of the most commonly used predictive models in statistics, data mining and machine learning.

- Classification Tree    ✓
  - ▶ The predicted outcome is the class to which the data belongs.
  - ▶ The Splitting Rule is to minimize mixture of classes (impurity) within nodes
- Regression Tree
  - ▶ The predicted outcome can be considered a real number.
  - ▶ The Splitting Rule is to minimize the variance of the response variable within nodes



## Classification Tree - Splitting Criteria

Different decision tree algorithms use different splitting criteria for measuring the node impurity. Here listed two main splitting criterias. Let  $I(N)$  denote the impurity of some node  $N$ .

### □ Gini impurity

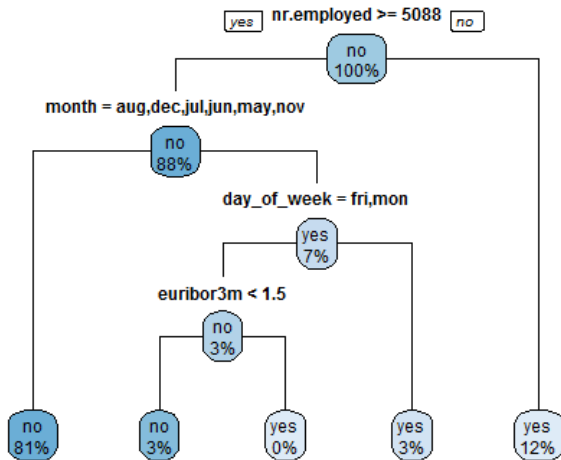
- ▶ Gini Index  $I(N) = 1 - \sum_j p(c_j|N)^2$
- ▶ Favors larger partitions.
- ▶ Perfectly classified, Gini Index would be zero when perfectly classified. So a low Gini Index is preferred.

### □ Information gain and Entropy

- ▶ Entropy  $I(N) = - \sum_j p(c_j|N) * \log_2(p(c_j|N))$
- ▶ Favors splits with small counts but many unique values.
- ▶ Information Gain = Entropy(parent) - Weighted Sum of Entropy(Children)



## Classification Tree built with training data



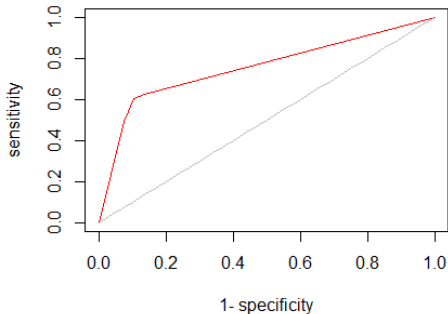
## Code

```
1 library(rpart)
2 rpart.control= rpart.control(minsplit=20, minbucket
   = round(20/3), cp=0.005)
3 dtm<-rpart(y~.,data_train,
4           parms=list(loss=matrix(c(0,1,5,0),byrow=
5                                TRUE,nrow=2)),
6           control=rpart.control)
7 printcp(dtm)
8 bestcp <- dtm$cptable[which.min(dtm$cptable[, "xerror
   "]), "CP"]
9 rpart.control= rpart.control(minsplit=20, minbucket
   = round(20/3), cp=bestcp)
10 dtm<-rpart(y~.,data_train,method= control=rpart.
   control)
11 summary(dtm)
12 rpart.plot(dtm,type=1,extra=100)
```



## Prediction Result - ROC Curve

ROC Curve for Decision Tree Model



Area under the ROC Curve(AUC)=0.756398



## Random Forest Output

```
1  randomForest(x = bank.train.1, y = bank.label,
2      ntree = 1000, importance = TRUE)
3  Type of random forest: classification
4  Number of trees: 1000
5  No. of variables tried at each split: 4
6
7  OOB estimate of  error rate: 10.01%
8  Confusion matrix:
9  no  yes class.error
10 no 28581 689 0.02353946
    yes 2610 1071 0.70904645
```

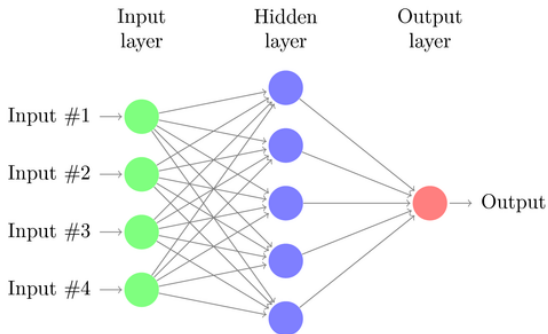


## Neural Networks

- Neural networks is a computational approach that is modeled on the way a biological brain solves problems.
- Recieves input signals (variable values)
- Aggregates input signals (a weighted sum)
- Non-linear transformation (logistic, hyperbolic)
- Sends output signal (result)



## Neural Networks





## Code for Neural Network

```
1  model.control<- trainControl(  
2  method = "cv", # 'cv' for cross validation  
3  number = 5, # number of folds in cross  
   validation  
4  classProbs = TRUE,  
5  summaryFunction = twoClassSummary,  
6  returnData = FALSE # The training data will not  
   be included in the ouput training object)  
7  
8  nn.parms <- expand.grid(decay = c(0, 10^seq(-3,  
   0, 1))),  
9  size = seq(3,15,2))
```



## Code for Neural Network

```
1  nn <- train(y~., data = train,  
2  method = "nnet",  
3  maxit = 200,  
4  trace = FALSE, # options for nnet function  
5  tuneGrid = nn.parms, # parameters to be tested  
6  metric = "ROC", trControl = model.control)
```

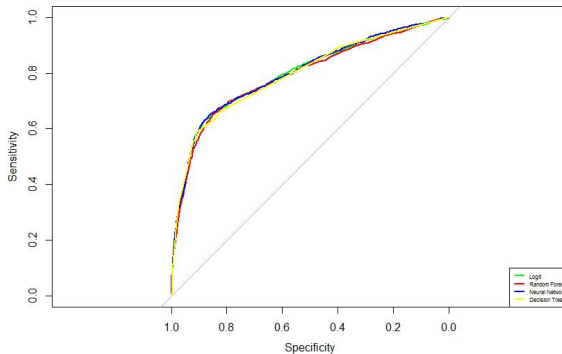


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## Conclusion (I)

- A client with an education of 4 years basic and high school are less likely.
- A client contacted by bank via cellular are significantly more likely.
- Campaign is more likely to be successful during March and August, and less likely during May, Jun, and November.
- Campaign conducted on Friday and Monday are less likely.



## Conclusion (II)

- A client who used to be contacted are more likely to deposit their money in the bank.
- A client who used to give negative reply are more likely to reject again.
- When macro economy statistics, such as cons.price.idx (consumer price index), cons.conf.idx (consumer confidence index) and nr.employed (number of employees increases), increases, the more likely clients sign for term deposit.
- When macro economy statistics emp.var.rate (employment variation rate) increase, the less likely.

