

# lab3\_EMF

Elizabeth Miles-Flynn

2026-02-04

## Set Up

### 1. Discrete Probability Distributions

#1a. a. Say you flip a fair, unweighted coin 20 times. What is the probability of obtaining 5 or fewer heads?

```
pbinom(q = 5, size = 20, prob = 0.5)
```

```
## [1] 0.02069473
```

#1b. Now, you switch to using an unfair, weighted coin whose probability of landing on heads is 80%. If you flip it 15 times, what is the probability of getting 10 or more heads?

```
1-(pbinom(q = 10, size = 15, prob = 0.80))
```

```
## [1] 0.8357663
```

#1c. Many busy ocean shipping routes overlap with key whale migratory routes along the coast. In the San Diego area, there is a 12.2% chance of a whale strike each year. What is the probability of having 6 or fewer whale strikes in a year?

```
dpois(x = 6, lambda = 12.2)
```

```
## [1] 0.02303742
```

```
ppois(q = 6, lambda = 12.2)
```

```
## [1] 0.04097388
```

### Question 1 ANSWERS:

- 1a. There is a 0.021 probability of obtaining 5 or fewer heads, after flipping a fair coin 20 times.
- 1b. There is a 0.836 probability of obtaining 10 or more heads, after flipping a weighted coin 15 times.
- 1c. The probability that only 6 whale strikes will occur this coming year is 0.023. While there is a probability that 6 or fewer whale strikes will occur this coming year is 0.041.

## 2. Assessing Normality

These data are from the Long Term Ecological Research Program (LTER) Network's Konza Prairie. Use library(lterdatasampler) to load the package which includes the bison data.

Examine the data using View(knz\_bison). Create a new dataset to filter for records only from adult bison (age > 3 years) (Hint: You will likely first need to create a new column using mutate() to calculate the age of each bison based on their birth year and the year of the measurement.)

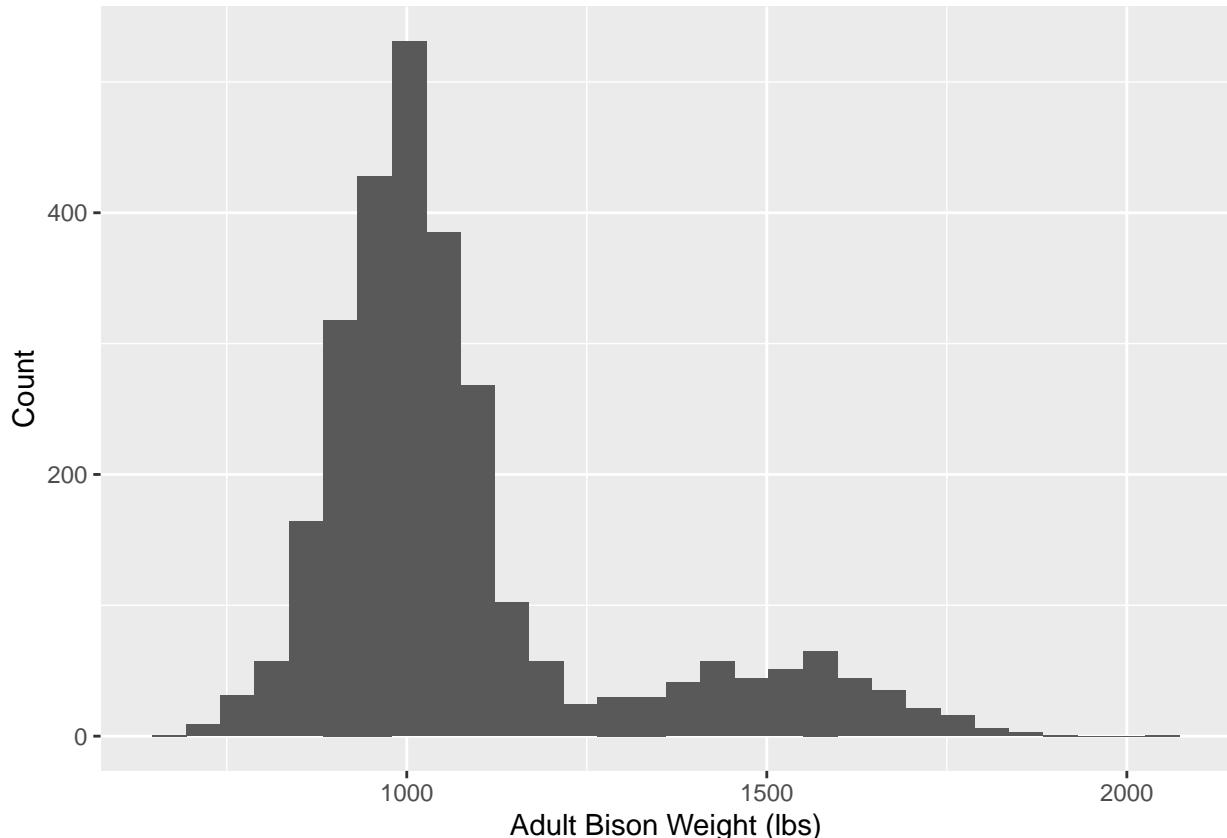
#2a. Each year since 1994, the Konza Prairie Biological Station in Kansas rounds up a herd of 300+ bison  
library(lterdatasampler)

```
## Warning: package 'lterdatasampler' was built under R version 4.5.2
```

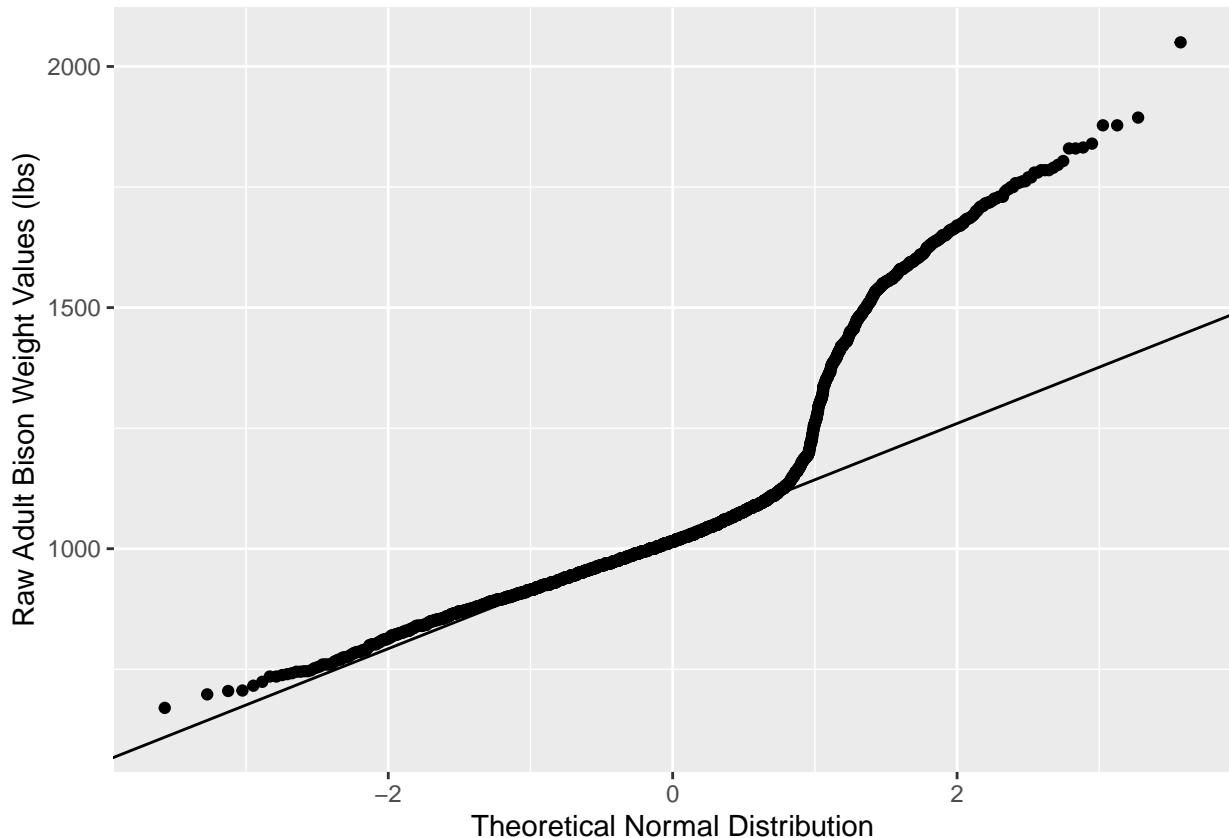
```
View(knz_bison)
knz_bison <- mutate(knz_bison, age = rec_year - animal_yob)
adult_bison <- filter(knz_bison, age > 3)

adult_bison_histogram <- ggplot(adult_bison, aes(x = animal_weight)) +
  geom_histogram() +
  labs(x = "Adult Bison Weight (lbs)",
       y = "Count")
adult_bison_histogram
```

```
## `stat_bin()` using `bins = 30`. Pick better value `binwidth`.
```



```
adult_bison_QQPlot <- ggplot(adult_bison, aes(sample = animal_weight)) +
  geom_qq() +
  geom_qq_line() +
  labs (x = "Theoretical Normal Distribution",
        y = "Raw Adult Bison Weight Values (lbs)")
adult_bison_QQPlot
```



#2b. For the same bison data, calculate and report the skewness and kurtosis values for the weight of a

```
skewness(adult_bison$animal_weight)
```

```
## [1] 1.531318
```

```
kurtosis(adult_bison$animal_weight)
```

```
## [1] 4.764673
```

#2c. Based on the information provided, your figures, and your analyses, explain in 1-2 sentences why y

## Question 2 ANSWERS:

The distribution of adult bison weights have a long, right tailed-skew (1.53 skewness is greater than 1 representing a high skew AND 4.76 kurtosis is greater than 3 representing a leptokurtic, heavier tail than normal distribution). Therefore, adult bison weight is not assumed to be normally distributed because the Q-Q Plot showcases raw adult bison weight distributed far beyond the normality reference line after the z-score of 1 from the theoretical normal distribution.

### 3. Continuous Probability Distributions

```
#3a. Continuing to use the same bison data, create a new dataset that filters your adult bison data only
adult_bison_F <- filter(adult_bison, animal_sex == "F")
mean(adult_bison_F$animal_weight)

## [1] 992.5751

sd(adult_bison_F$animal_weight)

## [1] 90.00992

#3b. Assuming the adult, female bison weight data are normally distributed, what is the probability of
pnorm(q = 900, mean = 992.5751, sd = 90.00992)

## [1] 0.1518576

pnorm(q = 1100, mean = 992.5751, sd = 90.00992) - pnorm(q = 900, mean = 992.5751, sd = 90.00992)

## [1] 0.7318014

qnorm(p = 0.95, mean = 992.5751, sd = 90.00992)

## [1] 1140.628
```

#### Question 3 ANSWERS:

- 3a. The mean adult, female bison weight is 992.6 pounds and the standard deviation is 90 pounds.
- 3b. There is a 15.2% chance of capturing an adult, female bison weighing less than 900 pounds. There is a 73.2% chance of capturing an adult, female bison weighing between 900 and 1100 pounds. 95% of adult female bison are expected to weigh less than 1141 pounds.