

• Muddiest Points from Class 04/24

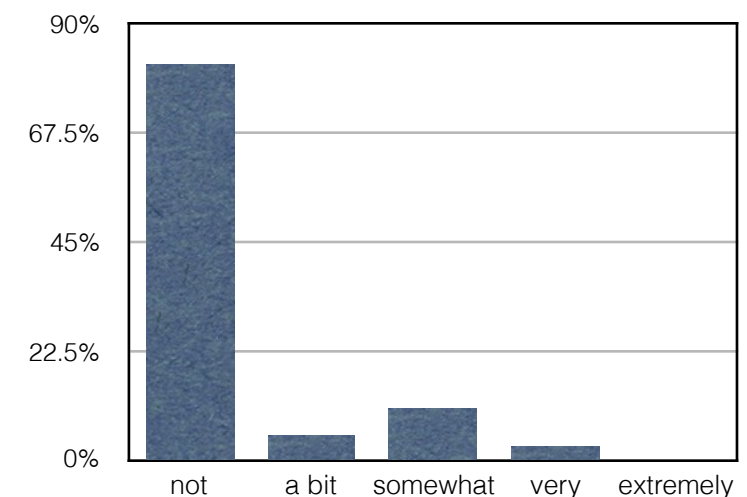
- *“Can you tell us more clearly how can I determine the steady state R? I just determine this by visualize the R(t) plot currently which makes me feel unreliable.”*
 - You likely already store R(t) and t in 1D arrays for plotting: R(k) and t(k) with k the time step number
 - Simply evaluate discretely the steady state condition using first order backward finite differences with step size s

$$\left| \frac{dR}{dt} \right| < \epsilon \quad \Rightarrow \quad \left| \frac{R(k) - R(k-s)}{t(k) - t(k-s)} \right| < \epsilon$$

- here k is the current time step number and s is the step size, for example 20 (or 50)
- ϵ has to be small enough to not impact the spatial error analysis of GCI
- *“Since the GCI analysis this time really takes a long time, can I first calculate steady state R for each mesh separately like the table in bonus homework problem 6 and then do the GCI analysis?”*
 - I don’t follow: the GCI analysis is quick, it’s generating the steady state R values that is time consuming
 - Unless you have coded the GCI analysis as an outer loop in your actual code: DON’T DO THAT!!!
 - Have your code give you the solution for one mesh resolution and then transfer the data into a table for GCI analysis
- *“For the purposes of the final project do we have to implement one of the advanced boundary conditions? Or is the simple volume flux corrected extrapolation sufficient?”*
 - As stated in the slides: simple constant extrapolation is sufficient
 - The volume flux correction for the outlet has to be performed irrespective of the choice of outlet condition
 - One minor correction to the outlet boundary condition for the transverse velocity v: the HW10 debug file used Dirichlet conditions with v=0 at the outlet, a likely better choice would be zero Neumann. But: this does not impact the results to any significant degree, so either one is fine

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- *“However, in problem 6 of bonus homework #11, what does it mean when it asks for error bars on the solution? Aren't we only outputting a single solution point, what would be the purpose of graphing it with error bars?”*
 - The term error bars refers to providing the accuracy range Y of the solution as in $X \pm Y\%$
- *“Do we need to store the predictor velocities v^* and u^* ? Or can we overwrite them?”*
 - No need to store them for the next time step, however you need them for the corrector/projection step
 - Also: the only quantity to store for each time step is R and t for plotting
- *“Implementation of VCycle in final project.”*
 - See HW5 and associated slides.
 - The only things that must be modified is changing the j -direction loop index from M to N and the calculation routine for the number of grid levels to traverse (using $\min(M, N)$ instead of M)
- *“for convergence conditions for V-cycle, for example, what exactly values of absolute value should I take? machine zero? or sth else?”*
 - machine zero would be overkill (and likely not reachable due to finite precision errors)
 - The value you choose must be small enough to not impact the GCI analysis of the spatial errors
 - the value does not need to be very small during the non-steady state evolution of the flow
 - when analyzing (plotting) the time evolution, the value shouldn't be too large



- **Please fill out the course evaluation forms online!**

	responses	students	response rate
AEE 471	7	27	25.93%
MAE 561	24	46	52.17%

as of 04/25 10am

- Questions about the Final Project?