```
> restart;
   # --- Initial condition: Gaussian profile`
  f := x \to A * \exp(-\text{lambda} * ((x - L/2)/(L/2))^2):
  L0 := 0.111:
  L := L0:
   A := 1:
   lambda := 100 :
   # Plot the Gaussian function
  plot(f(x), x = 0..L, title = "f(x) - Gaussian Initial Condition");
   # Symbolic solution of Fourier coefficient a[p]
   eqn3 := (2/L) * Int(f(x) * sin(p * Pi * x/L), x = 0..L) =
        (2/L) * int( f(x) * \sin(p * Pi * x/L), x = 0..L) assuming p :: integer:
   unassign('p'):
   N := 30:
   L := L0:
   lambda := 100:
   mu := 2.3446e + 05:
   eta := 1.8958e + 08:
   Lcrit := evalf(Pi * sqrt(mu / eta)):
   for p from 1 by 1 to N do
     aa[p] := evalf(rhs(eqn3));
   end do:
   # -- Time varying solution: n(x,t)
   n := sum(aa[i] * exp(eta * t - mu * (i * Pi/L)^2 * t) * sin(i * Pi * x/L), i = 1..N):
                                        f(x) - Gaussian Initial Condition
                        0.8
                        0.6
                        0.4
                        0.2 -
                                  0.02
                                                            0.08
                                                                     0.10
                                                   0.06
```

```
> plot3d(n, x = 0..L, t = 0..2e-5,

axes = framed,

title = "Neutron Diffusion - L = 11.1 cm, N = 30",

labels = ["x", "t", "n(t,x)"],

orientation = [-48, 69, 1]);

Neutron Diffusion - L = 11.1 cm, N = 30
```



```
> plot(subs(t=0, n) - f(x), x=0..L,

axes = framed,

title = "Neutron Diffusion - Error Plot, t = 0",

labels = ["x", "n(x,t=0)"],

thickness = 2);
```

