

1.6) 1" Graph
Columns

		[0]	[i]	[2]	[3]	[4]	[5]	[6]
Rows	[0]		1.0		1.0	1.0	1.0	
	[1]	1.0		1.0	1.0	1.0		1.0
	[2]		1.0		1.0		1.0	C.1
	[3]	1.0	1.0	1.0		1.0	1.0	1.0
	[4]	1.0	1.0		1.0		1.0	
	[5]	1.0		1.0	1.0	1.0		1.0
	[6]		1.0	1.0	1.0		1.0	

	[6]	נין	[2]	[3]	(4)	[5]	[6]
[0]		1.0			1.0		
[i]	1.0		1.0	1.0			
[2]		1.0					1.0
[3]		1.0				10	
[4]	1.0						
[5]				1.0			
[6]			1.0		ļ		

Denvity is ratio of
$$m to n^2$$

$$0 = \frac{16}{49}$$

For vectord graph
$$|V|=n=7$$

$$|E|=m=6$$

$$D = \underline{m} = \underline{6}$$

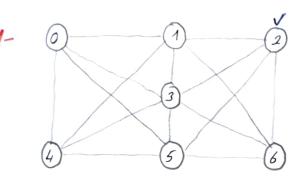
$$n^2 \quad 49$$

For first graph, number of edge is bipper than vertices. That means this graph is dense graph. Adjacency matrix is appropriate for that graph. Because adjaceny matrix is good for dense graph

for second graph, edge is less than vertices. This graph is sparse graph. Adjacency list is appropriate for sparse graphs. Because it pives better performance

for first graph, because of matrix is used, there is no wasted space so much for second praph, storage occurs because adjacency matrix is 0/025 fill

1. d) 1st Graph



Visit Order: 2 Finish Order:

2- Proverse largest to smallest. So now, we go to the vertex 6.

Visit order: 2,6

Finish order:

3- From 6 to 5 (Largest to smallest)

Visit order: 2,6,5 Finish order:

4- Now in (0,3,4), we go to the 4

Visit order: 2,6,5,4
Finish order:

5- We are at vertex 4. Our not being visited vertex are 0,1,3.

So we go to the vertex 3

Visit order: 2,6,5,4,3

Finish order:

6- From vertex 3, we go to the 1. Because 1 is greater than 0. Visit order: 2,6,5,4,3,1

-11

- 7- Now we go to the 0.

 Visit order: 2,6,5,4,3,1,0

 Finish order:
- 8- There is no being visited vertex. So we mark 0 as visited and return 1

 Visit order: 2,6,5,4,3,1,0

 Finish order: 0
- 9- Wark 1 visited and return 3 (Because all adjacent nodes to 1 being visited)

 Visit order: 2,6,5,4,3,1,0

 Pinish order: 0,1
- 10- Mark 3 visited and return Ly (All nodes to 3 being visited)

 Visit order: 2,6,5,4,3,1,0

 Finish order: 0,1,3
- 11- Work Ly visited and return 5 (All nodes to 4 being visited)

 Visit order: 2,6,5,4,3,1,0

 Finish order: 0,1,3,4
- 12 Wark 5 visited and return 6 (All nodes to 5 being visited)

 Visit order: 2,6,5,4,3,1,0

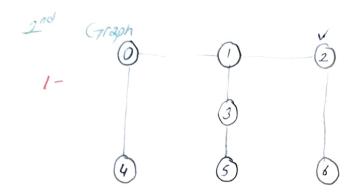
 Finish order: 0,1,3,4,5
- 13 Mark 6 and return 2 (All nodes to 6 being visited)

 Visit order: 2,6,5,4,3,1,0

 Finish order: 0,1,3,4,5,6
- 14- There are no adjacent to not being vivited. Wark 2 and finish.

 Visit order: 2,6,5,4,3,1,0

 Finish order: 0,1,3,4,5,6,2



Visit order: 2 Finish order:

2 - Praverse largest to smallest. So now, we go to the vertex 6

Visit order: 2,6

Pinish order:

3-There are no vertices adjacent to 6.05 we mark 6 as visited and return 2

Visit order: 2,6

Finish order: 6

4-1 is adjacent to 2 and not being visited

Visit order: 2,6,1

Finish order: 6

5-0 now we can go 0 and 3. Praverse largest to smallest, so we go to the vertex 3

Visit order: 2,6,1,3

Finish order: 6

6- We go the vertex 5.

Visit order: 2,6,1,3,5

Finish order: 6

7- Phere are no vertices adjacent to 5. Vo we mark 5 as visited and return 3.

Finish order: 6,5

- 8- There is no more adjacent to not being visited. Mark 3 and , return 1

 Visit order 2,6,1,3,5

 Finish order 6,5,3
- 9-0 is not being visited.

 Visit order: 2,6,1,3,5,0

 Finish order: 6,5,3
- 10-4 is not being visited.

 Visit order: 2,6,1,3,5,0,4

 Finish order: 6,5,3
- 11- Phere is no more adjacent to not being visited. Mark Li and return 0
 Visit order: 2,6,1,3,5,0,4

 Finish order: 6,5,3,4
- 12 There is no more adjacent to not being vivited. Wark 0 and return 1

 Vivit order: 2,6,13,5,0,4

 Finish order: 6,5,3,4,0
- 13 Phere is no more adjacent to not being vixited. Work I and return 2

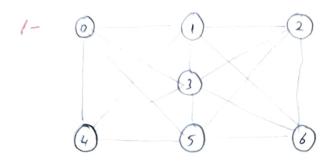
 Visit order: 2,6,1,3,5,0,4

 Finish order: 6,5,3,4,0,1
- 14- Phere is no more adjacent to not being vivited. Mark 2 and finish

 Vivit order: 2,6,1,3,5,0,4

 Finish order: 6,5,3,4,0,1,2

1.e) I' Graph



Queue: 6, 5, 3, 1

Visit: 2

2 - Now 2 is done and visit the node 6

Queue: 5,3,1 Visit: 2,6

3-6's all adjacent has been visited and now 5 is visited.

Queue: 3,1,4,0

Visit: 2,6,5,

4-5's adjacents are 4 and 0. We add to queve and now we visit the node 3.

Queve: 1,4,0

Visit: 2,6,5,3

5-3's adjacents have been visited. So we are now in node 1 Queue: 4,0 Visit: 2,6,5,3,1

6-1's adjacents have been visited. We are in node 4

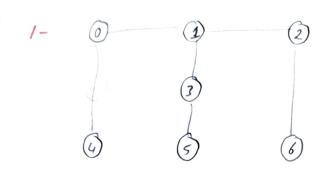
Queve: 0

Visit: 2,6,5,3,1,4

7-We are in node 0 and it is last node It has no adjacents

Queue: Visit: 2,6,5,3,1,4,0

2nd Graph



Queue: 6, 1 Visit: 2

2- Now we note with 2 and go to the node 6.

Queve: 1

Visit: 2,6

3-6 has no adjacent. We are in node 1 Queue: 3,0 Visit: 2,6,1

4- Node 1 has adjacent which is 3 and 0. Now in node 3;

Queue: 0,5

Visit: 2,6,1,3

5-Node 3 has adjacent which is 5. Now we are in node 0.

Queue: 5,4

Visit: 2,6,1,3,0

6-Node O has adjacent with node 4. We add queue and now in node 5;

Queue 4

Visit: 2,6,1,3,0,5

7-Node 5 has no adjacent and now we are in but made which is y

Queue:
Visit: 2,6,1,3,0,5,4

4 has no adjacent and search is done.