

Model based design of QTL, GP and GWAS phenotyping experiments using genetic relatedness.

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Model based design with genetic relatedness

Aim: Improvement of design efficiency through inclusion of genetic relatedness

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- Design software; **odw** [2] allows for inclusion of such information in the design process through the genomic relationship matrix (K)

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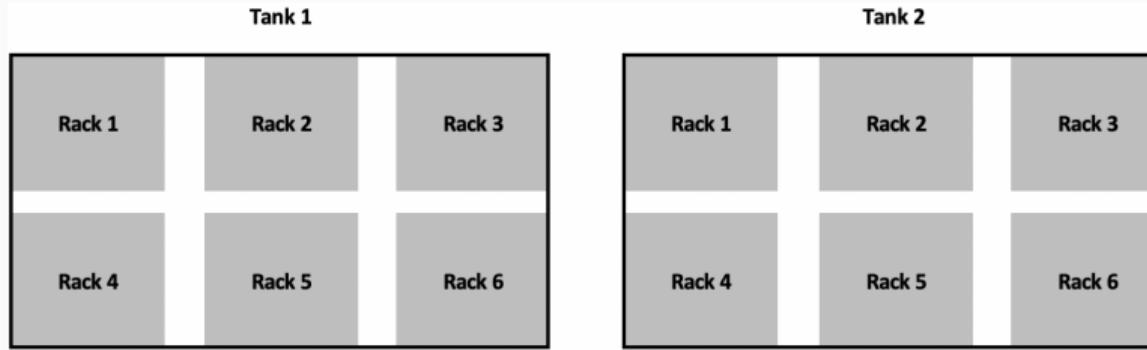
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- Plot structure: **2 Tanks**, each with **6 Racks** and with each rack containing **56 Holes = 672 Holes**
- Holes are both the smallest unit on which an observation can be made (observational unit) and the smallest unit to which a treatment can be applied (experimental unit)

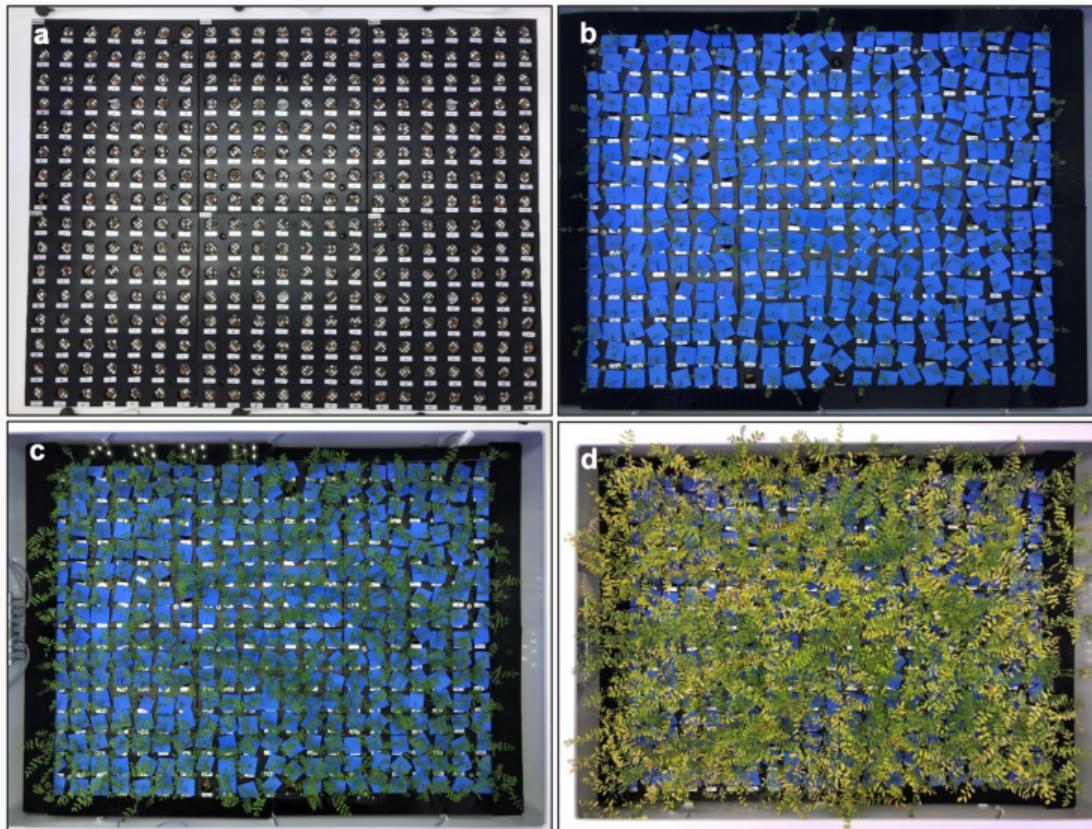
PRR Hydroponic Experimental Layout



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Plant and root systems after PRR exposure



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- 660 (672-12) holes available, hence $660/185 = 3.57 \notin \mathbb{Z}$

Design process

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Design process

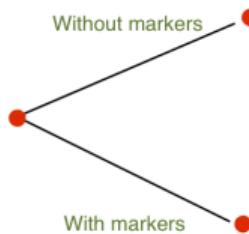
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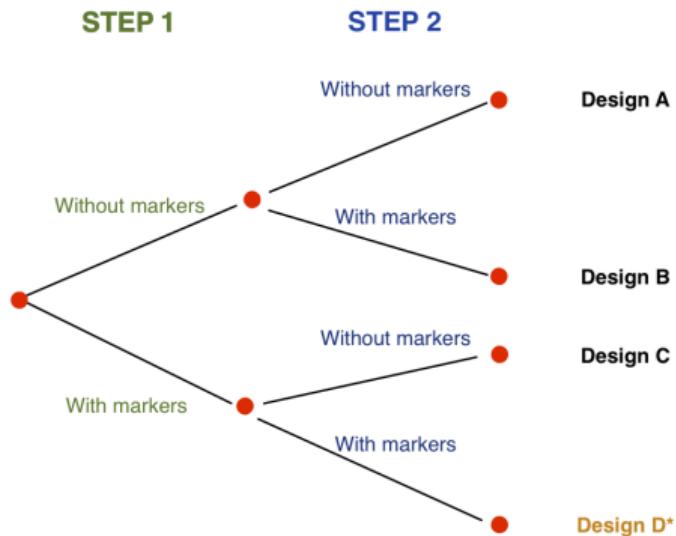
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- Step 2 - Determine allocation of packets to holes

Designs for Comparison

STEP 1



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- Option 2 - Determine replication based on genotyping information, that is, allow **odw** to allocate lines to replication status (packets) such that genetic diversity is maximised across the two replication groups [3]

Step 2: Assigning lines to holes

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- Option 2 - Allocate packets within the experiment such that genetic correlation between lines is considered in the (linear mixed) model-based design

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- Namely, via evaluating the final design generated by Designs A, B and C under the model for Design D

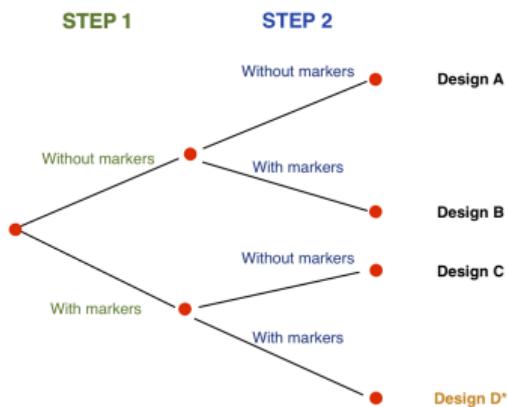
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- Namely, via evaluating the final design generated by Designs A, B and C under the model for Design D
- Cullis et al. (2020) [4] indicates there exists a direct correlation between \mathcal{A} -values and response to selection gain

Results

	Design A	Design B	Design C	Design D
\mathcal{A} -values	0.195181	0.191557	0.193097	0.189527
Difference	0.005654	0.00203	0.00357	0

Table 1: Summary of \mathcal{A} -values for the different designs



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- Points to inclusion of markers in the final allocation as the slightly larger of the two effects
- Effect of both markers in step 1 and step 2 appears to be additive (absence of interaction)

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