# Tag, You're It!

# Classifying Jets With A Transformer Architecture

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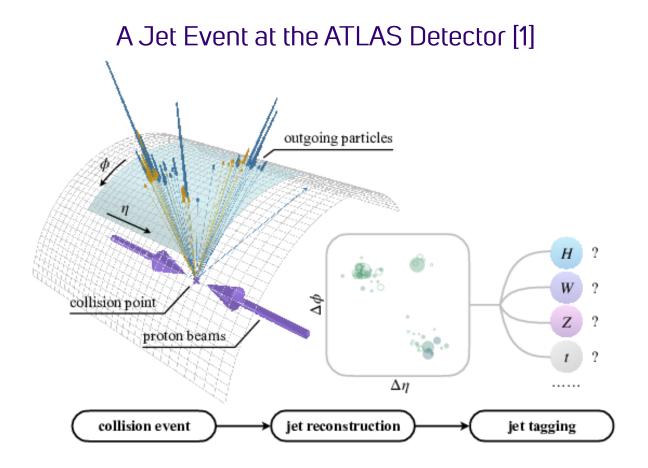
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### **Abstract**

Understanding particle behavior could uncover mysteries of the universe or the discovery of new building blocks of matter. A transformer network is a powerful guide in the process.

A particle beam collision sprays out debris of various, unstable particles that decay into a cluster, or **jet**. With hundreds of particles, or **constituents**, in a single jet, it can be difficult to identify types and reconstruct the event with static parameters.

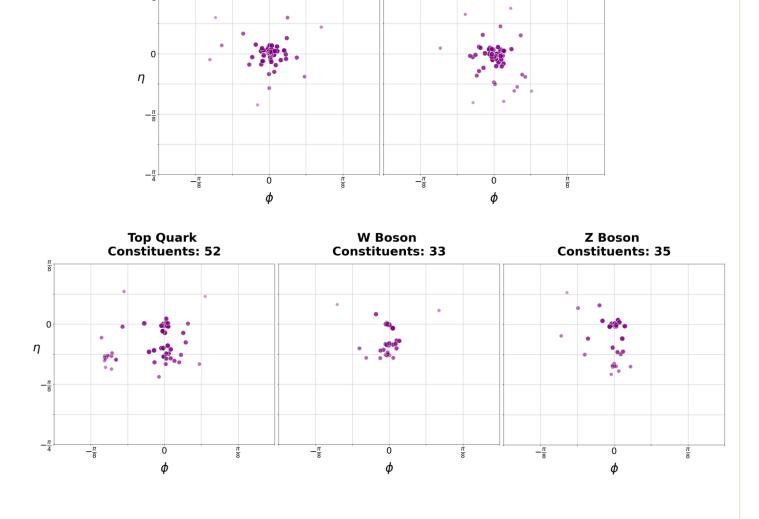


The flexibility of a many-to-one transformer is advantageous in finding patterns to categorize, or **tag**, these particle jets. Source particles can be accurately identified while simultaneously lowering the complexity of classification.

### **DECAY PATTERNS**

Gluon Constituents: 63 **Light Quark** 

Constituents: 59



### **The Top Tagging Dataset**

This dataset is sourced from the **ATLAS Detector** in the Large Hadron Collider at CERN. Comprised of ~2M event files, each jet is categorized into a <u>class</u>: Gluon, Light Quark, W Boson, Z Boson, or Top Quark.

### **Recorded Features of Each Constituent**

 $p_T$  - Momentum as a Fraction of the Jet Total

 $\eta$  – Angular Coordinate (Pseudorapidity)

 $\phi$  – Angular Coordinate (Azimuthal Angle)

*E* – Energy of the Constituent Particle

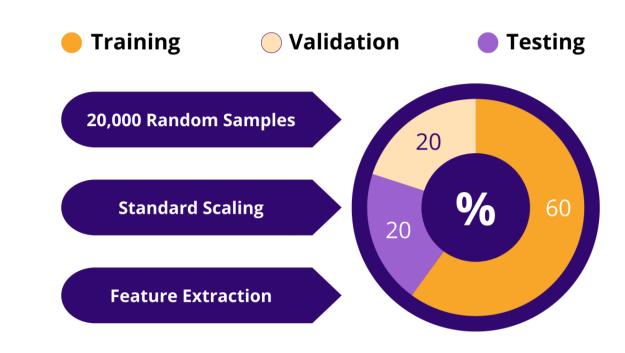
 $\Delta R - \sqrt{\eta^2 + \phi^2}$ 

### **Total Jet Class Characteristics**

$$I = \begin{bmatrix} p_{t,1} & \eta_1 & \phi_1 & E_1 & \Delta R_1 \\ p_{t,2} & \eta_2 & \phi_2 & E_2 & \Delta R_2 \\ \vdots & \vdots & \vdots & \vdots \\ p_{t,n} & \eta_n & \phi_n & E_n & \Delta R_n \end{bmatrix}$$

# **Data Preprocessing**

A **60 / 20 / 20 split** was used to allocate the proper training, testing, and validation data, respectively.



### **MODEL ARCHITECTURE**

Classification of All Five Jets in Parallel

Encoder Layer

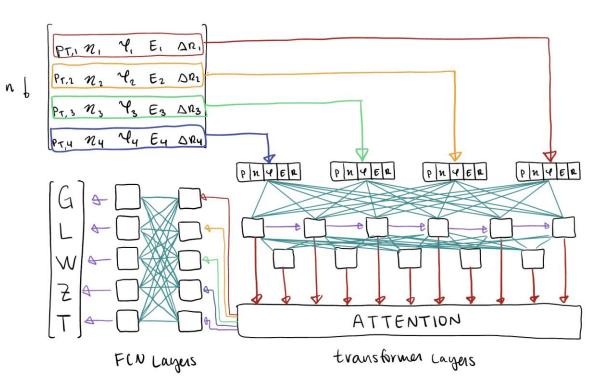
- 5 Attention Heads
- 2 Layers
- 256 Neurons per Layer
- 10% Dropout Rate

Fully Connected Network Layer

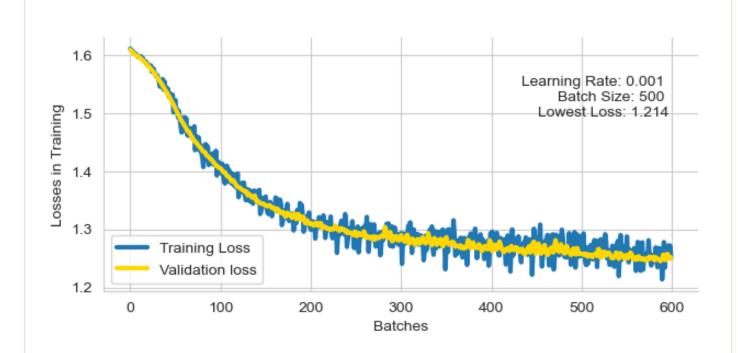
- Hidden Layer with 5→100 Neurons and ReLU Activation
- Output Layer with 100→5 Neurons and Softmax Activation

# **Training Performance**

Following the architecture design, the transformer trained to tag the jet classes **in parallel**.



With 25 epochs, it learned to recognize patterns in 24 batches of 500 events. The **training loss** and **validating accuracy** were recorded throughout the process to monitor a stable convergence towards high accuracies.



### Parallel Classifier Accuracy of 64.80%

Advanced models have demonstrated accuracies of **up to 84%**, prompting for a further investigation on the features of this dataset and the parallel model. Subsets of the training data were created by filtering pairs of classes for a **binary classifier** for better context of the model's limitations.

# **Testing Statistics**

For statistical analysis, these equations are derived:

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Overall Accuracy	<b>Binary Subsets</b>
$A_T = \frac{\sum_m C_{mm}}{\sum_n \sum_l C_{nl}}$	$c_{i \rightleftharpoons j} = \begin{bmatrix} C_{ii} & C_{ij} \\ C_{ji} & C_{jj} \end{bmatrix}$
Individual Accuracy	Binary Accuracy
$A_i = \frac{C_{ii}}{\sum_m C_{mi}}$	$a_{i \rightleftharpoons j} = \frac{\sum_{m} c_{mm}}{\sum_{n} \sum_{l} c_{nl}}$

#### The Confusion Matrix

The <u>confusion matrix</u> is a powerful metric for analyzing performance through the distributions of correct and incorrect classifications. Here, the matrices have been normalized to show the **ratio of each outcome to the total outputs**:

#### Parallel Classifier

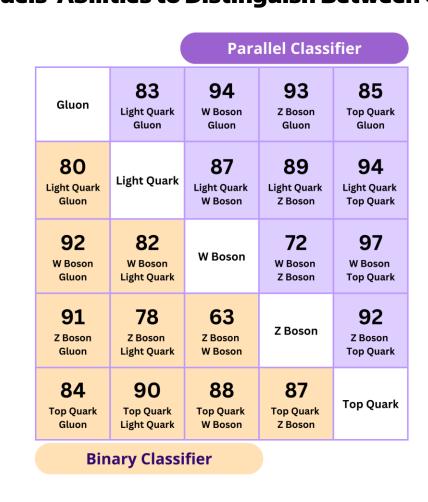
$$C_{5,net} = \begin{bmatrix} 14.62 & 3.42 & 1.50 & 1.60 & 2.67 \\ 2.25 & 12.12 & 3.20 & 2.00 & 0.35 \\ 0.30 & 0.90 & 14.45 & 6.92 & 0.85 \\ 0.27 & 0.47 & 2.30 & 8.90 & 1.52 \\ 2.40 & 1.42 & 0.15 & 0.68 & 14.70 \end{bmatrix}$$

$$A_T = 64.80\%$$

### Binary Classifiers

$C_{5,binary} =$	11.25 2.61 0.94 0.61	3.08 9.88 3.62 2.81	1.34 1.14 11.94 4.35	1.67 2.81 5.76 10.55	1.21 1.07 1.81 1.41	$A_T = 56\%$
	3.08	1.41	1.34	1.94	12.37	

### Success Rate Table: The Models' Abilities to Distinguish Between Classes



### Discussion

To determine whether our model met or exceeded the performance of binary classifiers, we can evaluate the following (matrix dot and magnitude)

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Theory		Calculation
$\hat{C} = \frac{C}{\sqrt{\sum_{m,n}  C_{mn} ^2}}$ $S_{dir} = \sum_{m} \sum_{n} \hat{C}_{1,mn} \hat{C}_{2,mr}$ $D_{mag} = \sqrt{\sum_{m,n}  C_{1,mn} - C_{2,mr} }$		$ C_{5,net} _F = 31.21$ $ C_{5,binary} _F = 27.58$ $S_{dir} = 0.98$ $D_{mag} = 7.27$

From this, it is evident that there is no significant lapse in performance between the binary and parallel classifiers.

### CONCLUSIONS

The application of this novel transformer model to CERN's Top Tagging dataset paves the way for further research in this area. Computing power and time limits constrained the potential of this model, but the rapid development in both consumer computing power and the architectural design itself may soon enable more accurate networks to be created.

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