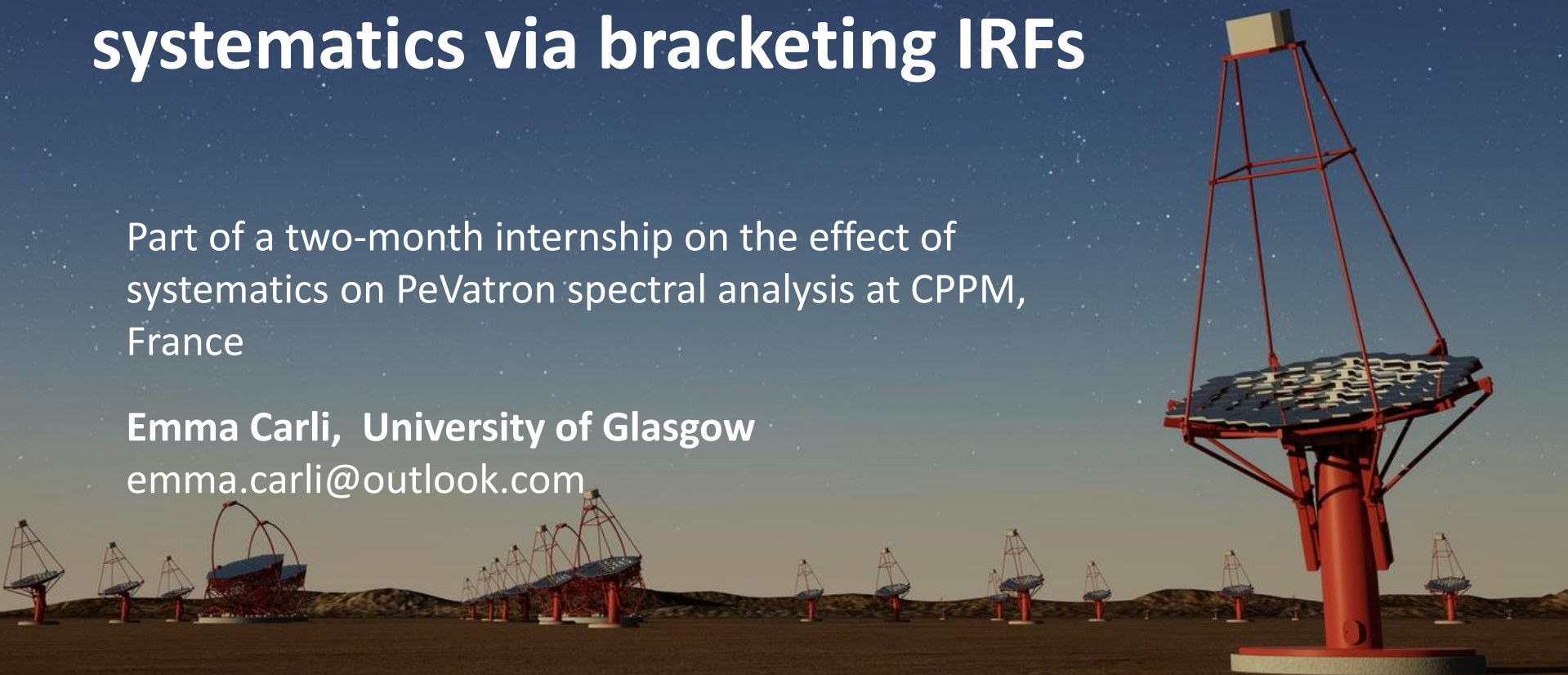


Treatment of energy systematics via bracketing IRFs

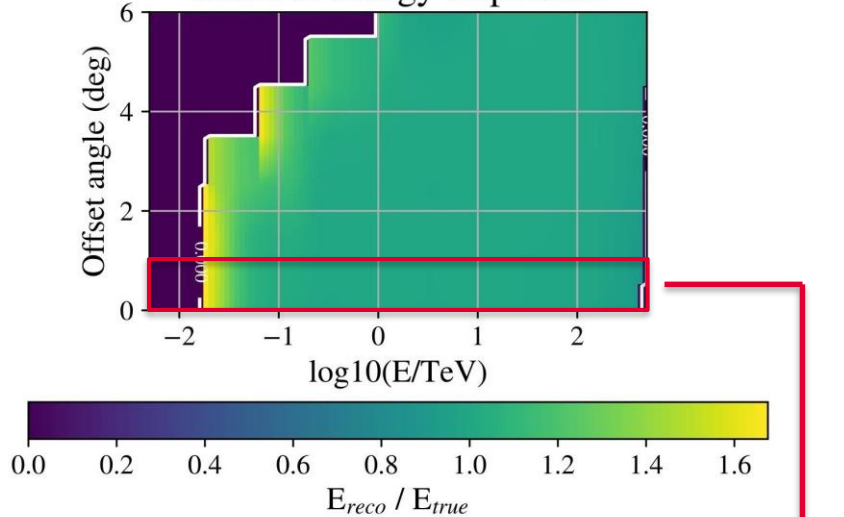
Part of a two-month internship on the effect of systematics on PeVatron spectral analysis at CPPM, France

Emma Carli, University of Glasgow
emma.carli@outlook.com



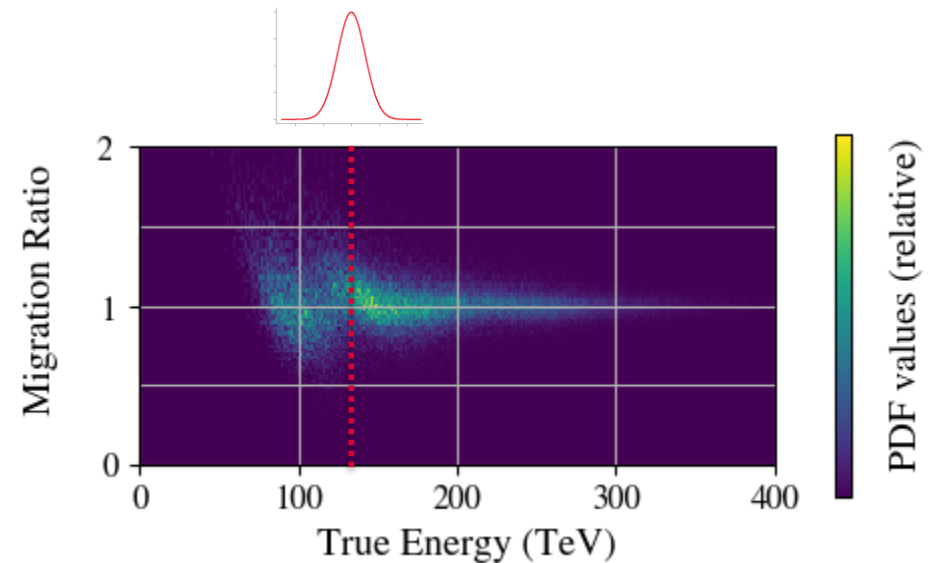
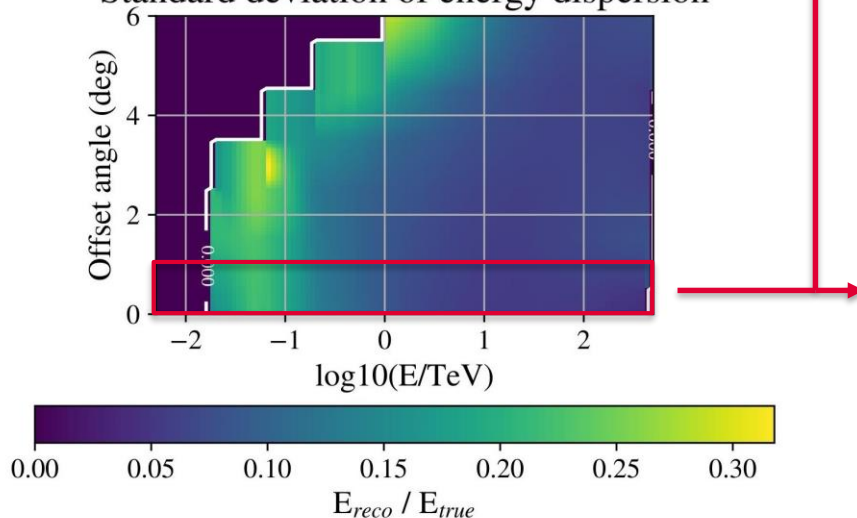
IRF Energy Dispersion component

Mean of energy dispersion



- The energy dispersion component of the IRFs contains a probability density function. The latter is defined over a grid of the energy migration (ratio of reconstructed to true energy of the event), the true energy of the event, and the offset angle.

Standard deviation of energy dispersion



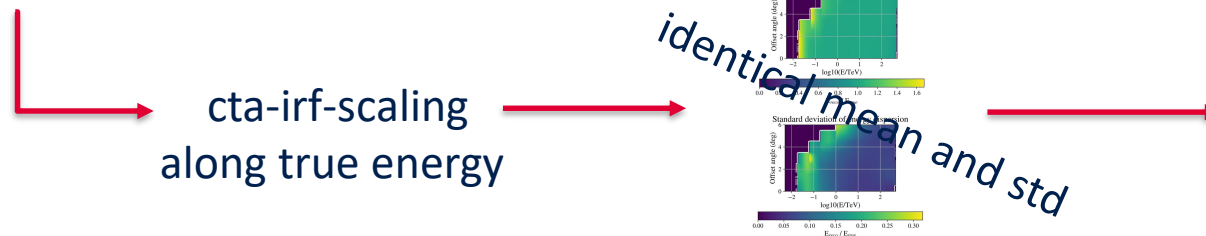
EDisp component modification



Table 3b: Energy-dependent error functions for CTA South

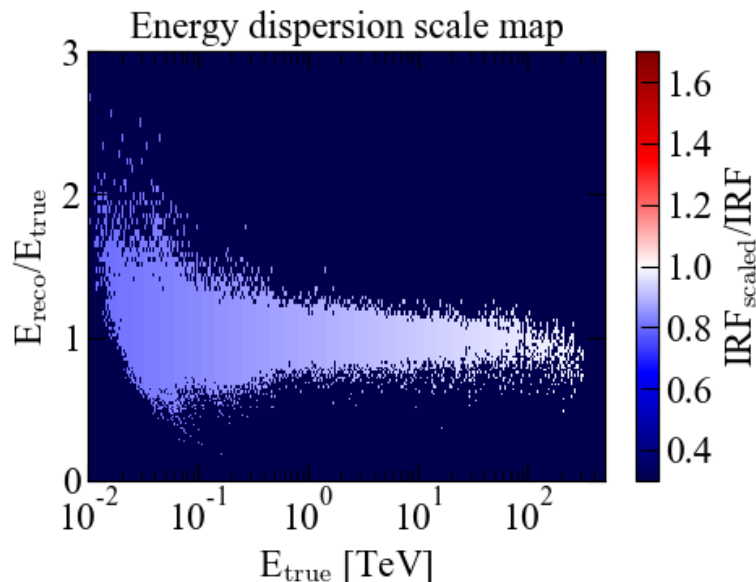
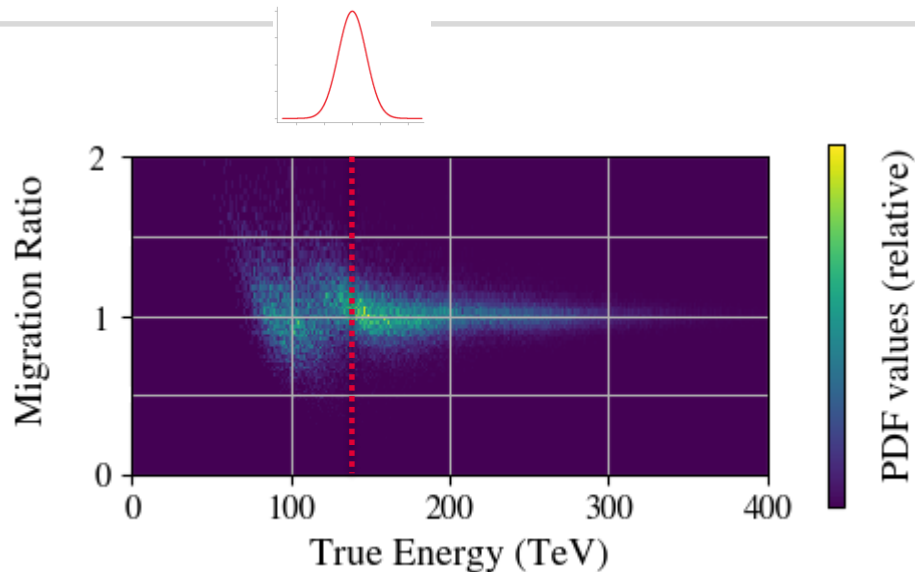
Modification type	Function, B	Graphics	Applicability
Constant	1		<ul style="list-style-type: none"> A_{eff}, N: flux normalization σ_{θ}: small extension E_{scale}: spectral cut-off σ_E: search for lines
Gradient	$[\ln(E/E_{\text{min}}) + \ln(E/E_{\text{max}})] / \ln(E_{\text{max}}/E_{\text{min}})$		<ul style="list-style-type: none"> A_{eff}, N: spectral index, spectral cut-off E_{scale}: spectral curvature
Dromedary	$\tanh[\ln(E/E_0)/(1.31 \sigma(E)/E_0)]$ if $E < (E_0 \times E_1)^{0.5}$ $\tanh[\ln(E/E_2)/(1.31 \sigma(E)/E_2)]$ if $E > (E_1 \times E_2)^{0.5}$		<ul style="list-style-type: none"> A_{eff}, N: spectral index, spectral cut-off E_{scale}: spectral curvature

- To emulate the effect of systematic errors, one can modify the Instrument Response Functions, coined “bracketing”
- Following the systematics guidelines (https://docs.google.com/document/d/1oBOwOOgMcL8Shww6oLjiQoQVbOwl0HGuBTv1YGHTc_k), I attempted to bracket the Energy Dispersion component, on the true energy axis, using the cta-irf-scaling software (<https://github.com/cta-observatory/cta-irf-scaling>), but I noticed the values drawn from the PDF were left unchanged.



no change to simulations using energy-bracketed IRF

Why it may not work



- In cta-irf-scaling, the PDF in each true energy bin (vertical on the graphs) is scaled by a constant. This constant can change between bins however, in this example it increases with true energy (gradient function).
- In any case, each PDF's mean and standard deviation are unchanged by the constant scaling.
- Indeed, this does not change the position of this distribution on the ratio axis (or its width if considering energy resolution scaling).
- Any suggestions on implementation?
- Open issue at <https://github.com/cta-observatory/cta-irf-scaling/issues/3>