

## 11398 The Base-1 Number System

As we know, in an  $n$ -based number system, there are  $n$  different types of digits. In this way, a 1-based number system has only 1 type of digit, the '0'. Here are the rules to interpret 1-based numbers. Each number consists of some space separated blocks of 0. A block may have 1, 2 or more 0's. There is a 'flag' variable associated with each number

- A block with a single '0' sets 'flag' variable to 1
- A block with two 0's sets the 'flag' to 0
- If there are  $n$  ( $n > 2$ ) 0's in a block,  $n - 2$  binary digits with the current value of flag is appended to your number.

Note that, the first block of every number will have at most 2 0s. For example, the 1-base number '0 0000 00 000 0 0000' is equivalent to binary '11011'.

- 1st block sets the flag to 1
- 2nd block has 4 0's. So append  $\text{flag}(=1) \ 4 - 2 = 2$  times (11).
- 3rd block has 2 0's. Set the flag to 0
- 4th block has 3 0's. Append  $\text{flag}(=0) \ 3 - 2 = 1$  time (110).
- 5th block has a single '0'. Set flag = 1
- 6th and block has 4 0's. Append  $\text{flag}(=0) \ 4 - 2 = 2$  times (11011).

The final binary number wont have more than 30 digits. Once, youve completed the process, convert the binary value to decimal and print, youre done!

### Input

Input will have at most 100 test cases. Each case consists of a 1-based number as described above. A number may be spanned to multiple lines but a single block will always be in a single line. Termination of a case will be indicated by a single '#' char which will be space-separated from the last digit of your input number. The last case in the input is followed by a '~' character indicating, end of input.

### Output

For each test case, output a single line with the decimal equivalent value of your given 1-based number.

### Sample Input

```
0 0000 00 000 0 0000 #
0 000 #
```

### Sample Output

```
27
1
```