Announcements

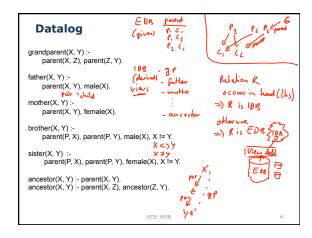
- · Web site and Piazza are "live":
 - sites.google.com/site/ecs165bwinter2014
 - piazza.com/ucdavis/winter2014/ecs165b
 - Sign Up! All announcements and online discussions there! (39 already signed up :-)
- · Starting next week:
 - Discussion sections
 - Office hours → class site:
- Individual Assignment #1 out!
- Group Project #1 coming soon..
- Stanford DB class: db-class.org
 - Sign-up! (optional of course ...)

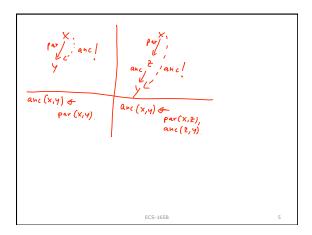
ECS-165B Big Picture

- Database Foundations ("Theory")
 - Recursive queries (Datalog, SQL-with-recursive)
 - Design Theory for Relational Databases (Normalization)
- Advanced & Hands-on Topics ("Practice")
 - XML data management
 - Online Analytical Processing (OLAP), Data Cubes
 - Map-Reduce Parallelism Framework
 - Big Data
 - Other trends (NoSQL)

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Relational Query Languages SELECT ... FROM ... WHERE .. • SQL 🗸 • Relational Algebra (RA) $\sigma,\pi,\bowtie,\delta,\cup,\backslash$ • Relational Calculus (RC) $\forall xF, \exists xF, F \land G, F \lor G, \neg F$ Datalog \approx RC + Recursion EXAMPLE: Given relations employee (Emp, Salary, DeptNo) and dept (DeptNo, Mgr) find all (employee, manager) pairs: Attribute (SQL) SELECT Emp, Mgr FROM employee, dept WHERE employee.DeptNo = dept.DeptNo • SQL: Variables (Datalog) $\pi_{\text{Emp},\text{Mgr}}(\text{employee} \bowtie \text{dept})$ $F\left(\texttt{Emp},\texttt{Mgr}\right) = \\ \exists \texttt{Salary}, \ \texttt{DeptNo}: (\texttt{employee}(\texttt{Emp}, \ \texttt{Salary}, \ \texttt{DeptNo}) \land \texttt{dept}(\texttt{DeptNo},\texttt{Mgr}))$ RC: $\bullet \ \, \textbf{Datalog:} \ \, \texttt{boss(Emp,Mgr)} \, \leftarrow \, \texttt{employee(Emp, Salary, DeptNo), dept(DeptNo,Mgr)} \\$ boss (E, M) < employer (E, S, D), dept (01, M), D = 21





Datalog

- · Logical query language
 - Databases + Logic
 - aka "deductive databases"
- Inspired by logic programming / Prolog
 - Algorithm = Logic + Control
- "Declarative" programming
 - focus on "what" instead of "how"
 - (compare with SQL, Relational Algebra)
- From academia to industry
 - In the 1990's mostly a research vehicle
 - Some ideas made it into products (SQL recursion)
 - Renewed interest, commercial applications
 LogicBlox (Atlanta), Lixto (Vienna, Austria), DLV (UCAL, Italy), ...

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SQL Problem: Recursive Queries

- Certain queries cannot be expressed in SQL (or relational algebra):
 - Bill-of-materials (BOM)
 - Set of parts, made up from subparts
 - Ancestor relations, transitive closure, ...
 - Graph queries: social network analysis, biological networks, ...
- Need recursion and/or iteration!
 - SQL + WITH-RECURSIVE (... next up...)
 - Datalog!

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Datalog: Some Details

- · Rule: head vs body
- · Literals: positive vs negative atoms
- Relational atom vs built-in atom (arithmetic)
- Safety: every variable occurs positive in the body! (why?)
- EDB vs IDB relations (aka "predicates")

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Datalog vs Relational Algebra
Relational operations have concise representations! Examples:
sel(X,Y) :- p(X,Y), X=a, not X=Y. % SELECT some tuples from p(X,Y)
proj(X) :- p(X,Y).
                                                         % PROJECT on the first argument
\texttt{join}(\texttt{X},\texttt{Y},\texttt{Z}) \; :- \; \texttt{p}(\texttt{X},\texttt{Y}) \,, \; \texttt{q}(\texttt{Y},\texttt{Z}) \,. \qquad \, \% \; \texttt{JOIN} \; \texttt{p}(\texttt{A},\texttt{B}) \,, \; \texttt{q}(\texttt{C},\texttt{D}) \; \texttt{s.t.} \; \texttt{B=C}
prod(X,Y) := p(X), q(Y).
                                                         % PRODUCT of p(X) and q(Y)
intersect(X) :- p(X), q(X).
                                                          % INTERSECTION of p(X), q(X)
diff(X) := p(X), \text{ not } q(X).
                                                        % SET-DIFFERENCE: p(X) \setminus q(X)
union(X) :- p(X).
union(X) :- q(X).
                                                           % UNION of p(X), ...
                                                           % ... and q(X)
Rules have a "logical reading" (i.e., rules are formulas):
                                 \begin{array}{l} \forall X \ ( \ \mathrm{diff}(X) \ \leftarrow \ \mathrm{p}(X) \land \neg \ \mathrm{q}(X) \ ). \\ \forall X \ ( \ \mathrm{union}(X) \ \leftarrow \ \mathrm{p}(X) \lor \mathrm{q}(X) \ ). \end{array}
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