

# INFSCI2125 Final Project: Gnutella P2P Network Analysis

Yang

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# Gnutella Network – Unstructured P2P

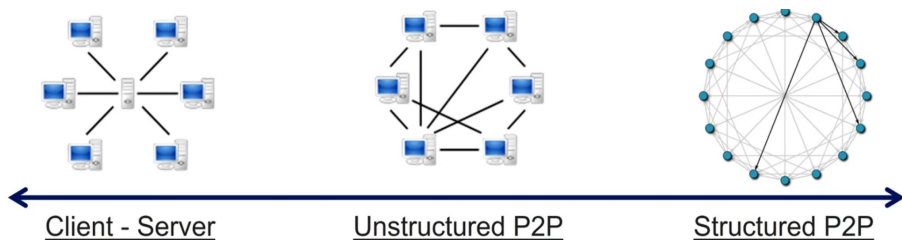


Technical goals:

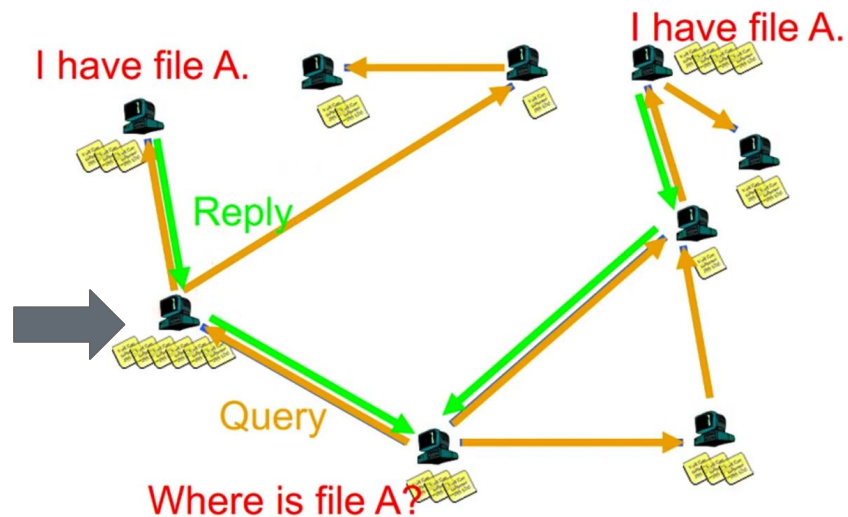
- Self-organization (vs. centralized)
- Availability (vs. failure, censorship)
- Load balancing (vs. freeloading, locality)
- Anonymity (vs. monitoring)

Challenges:

- Node churn
- Control overheads
- Malicious nodes



# Gnutella Network – More Details



## Mechanism - Query Flooding:

- Join the network: ping-pong neighbours
- Publish: no need
- Search: flood query
- Fetch : direct download from peer

## TTL-limited search (usually 7 hops)

- Query dies after
- Only works well for common objects

## Pros:

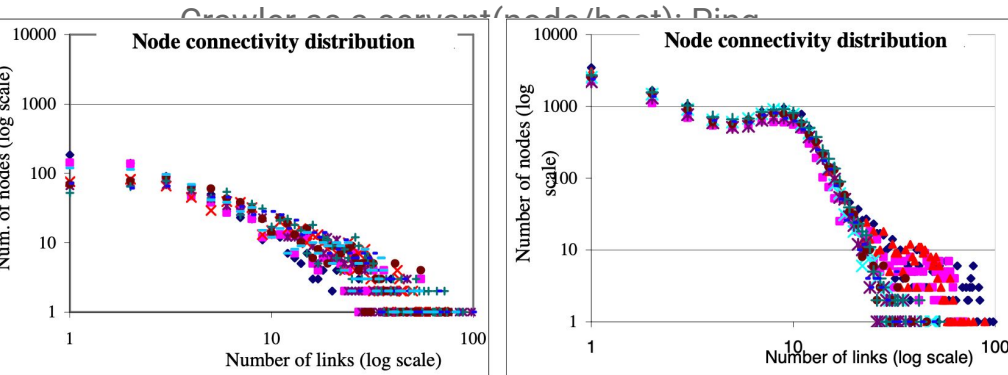
- Fully decentralized
- Search cost distributed

## Cons:

- Search Scope is  $O(N)$
- Search time can't be determined
- Nodes often leave, network unstable

# Literature Review – Mapping the Gnutella Network

## Data

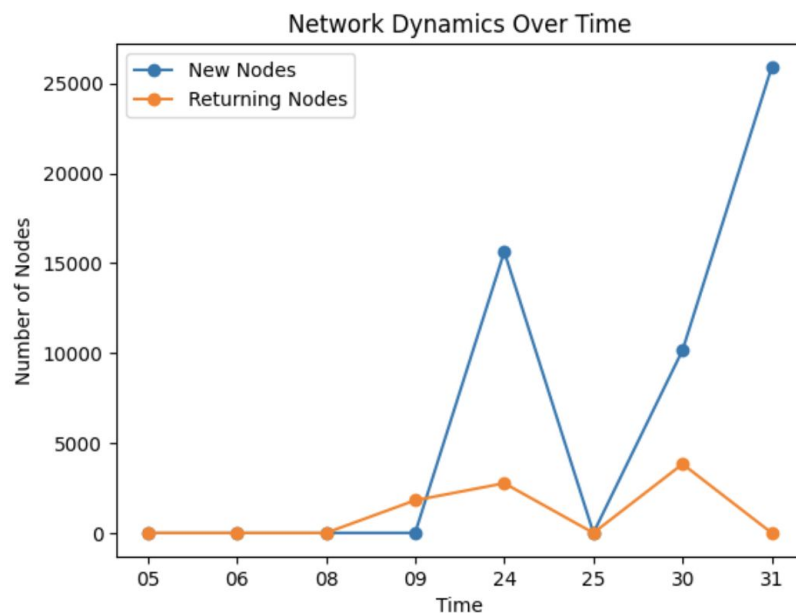
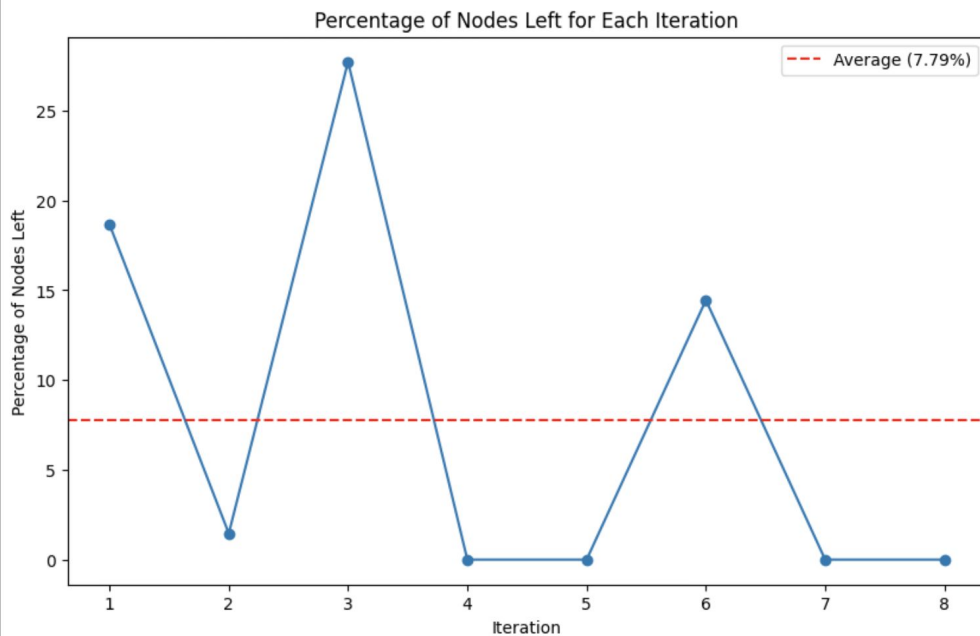


because the node has set limited number of TCP connections, or the node has left the network.

## Findings:

1. Dynamic network: 40% of the nodes leave the network in less than 4 hours, only 25% of the nodes are alive for more than 24 hours.
2. Massive overhead traffic in the early stage with more than 55% (Nov 2000). Dropped to 8% later with newer implementations (June 2001).
3. Power-law distribution before Nov 2000; too few nodes with low connectivity to form a pure power-law network afterwards

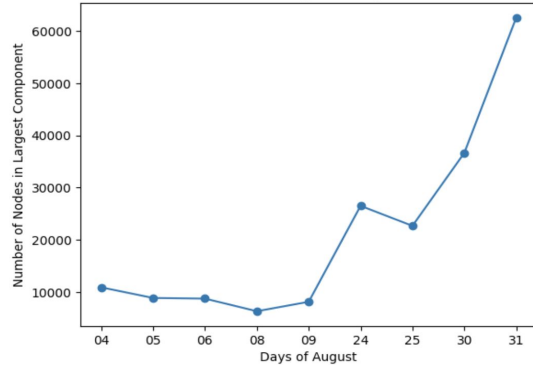
# Churn Rate



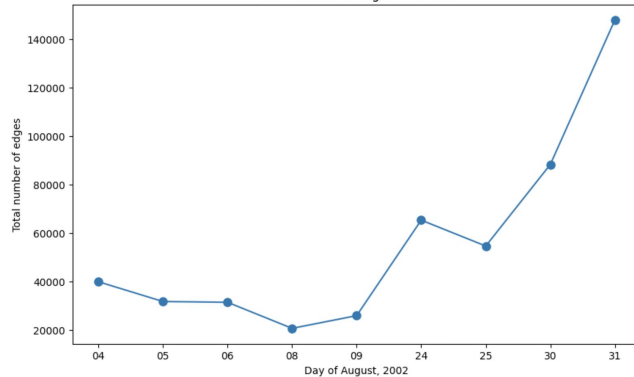
Days: ['04', '05', '06', '08', '09', '24', '25', '30', '31']

# Giant Component

Number of Nodes in Largest Component vs. Time



Total number of edges over time



Percentages of nodes in the largest connected component for each graph:

Graph 0: 100.00%

Graph 1: 99.95%

Graph 2: 100.00%

Graph 3: 99.97%

Graph 4: 99.88%

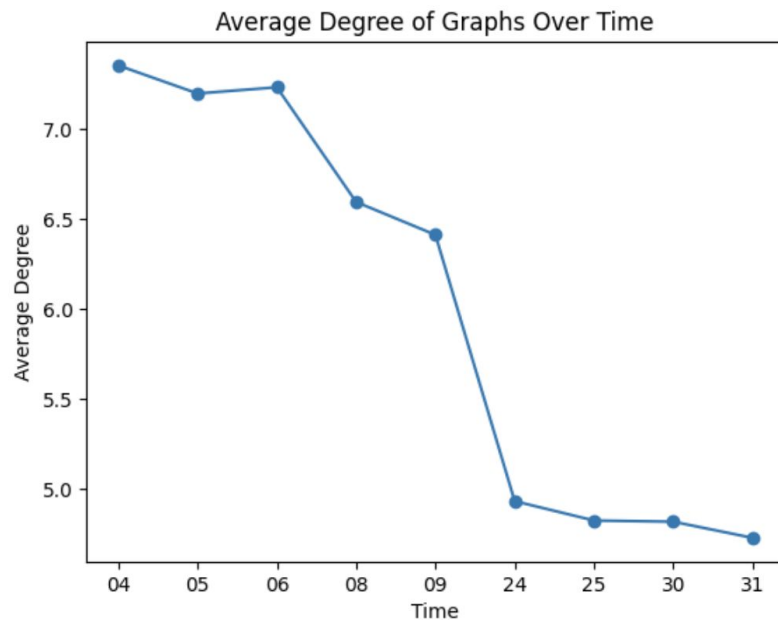
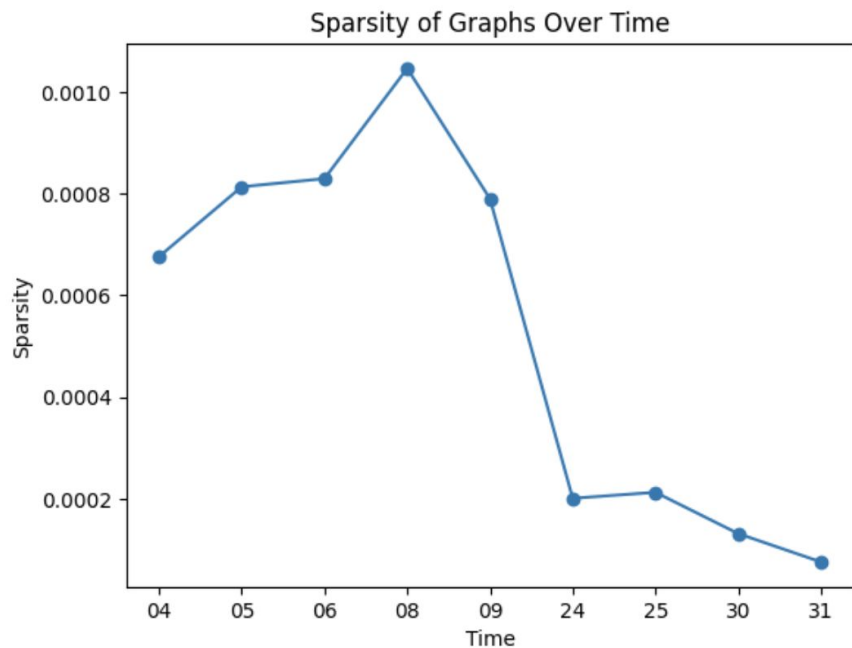
Graph 5: 99.92%

Graph 6: 99.89%

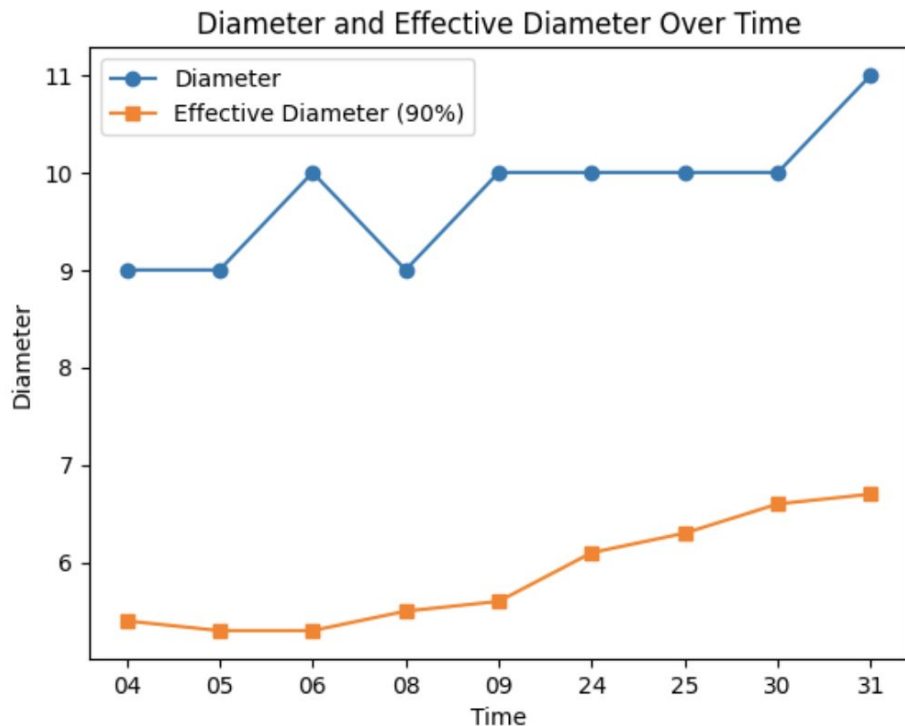
Graph 7: 99.90%

Graph 8: 99.96%

# Sparsity



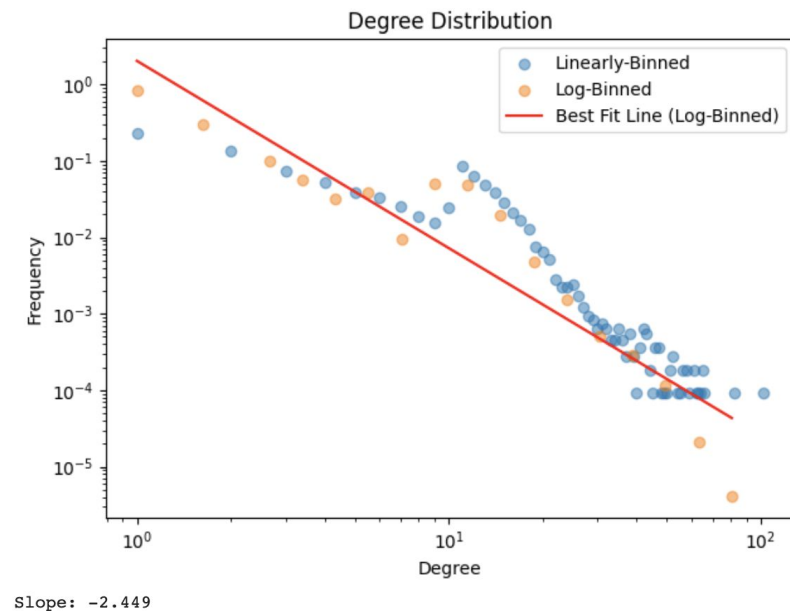
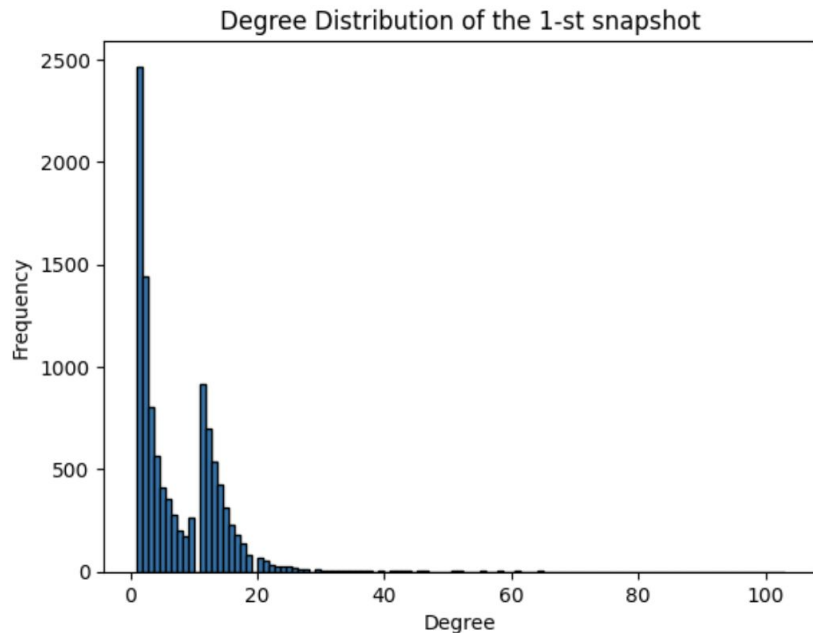
# Diameter



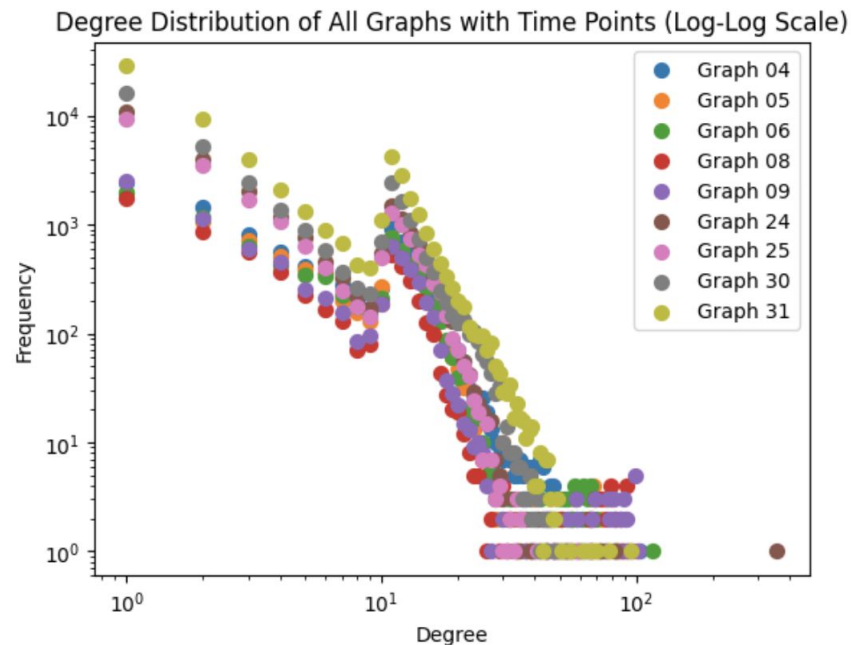
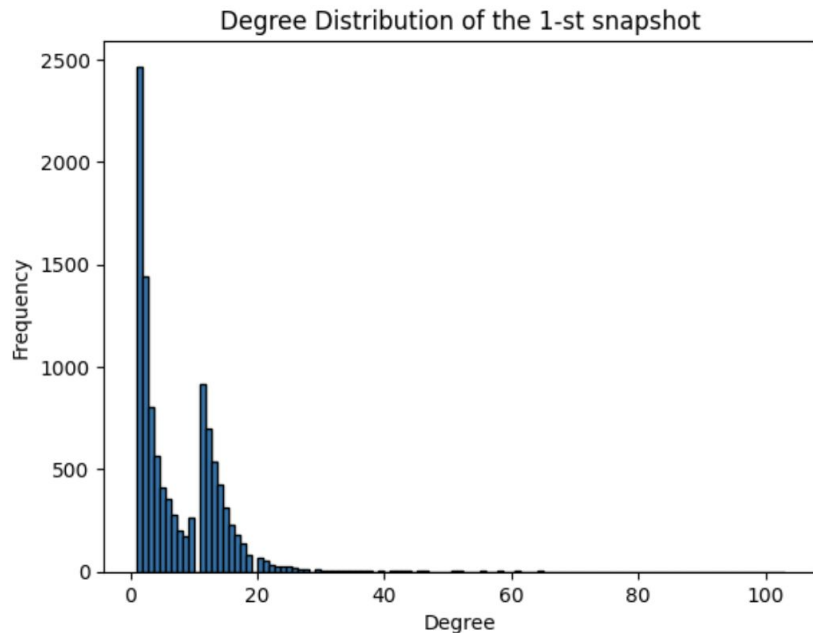
- Network expanding faster than densification
- No effects on query due to TTL 7 hops limitation.



# Scale-Free: Power-law Distribution



# Scale-Free: Power-law Distribution



# Scale-Free: Preferential Attachment

Days: ['04', '05', '06', '08', '09', '24', '25', '30', '31']

## Hypothesis 1

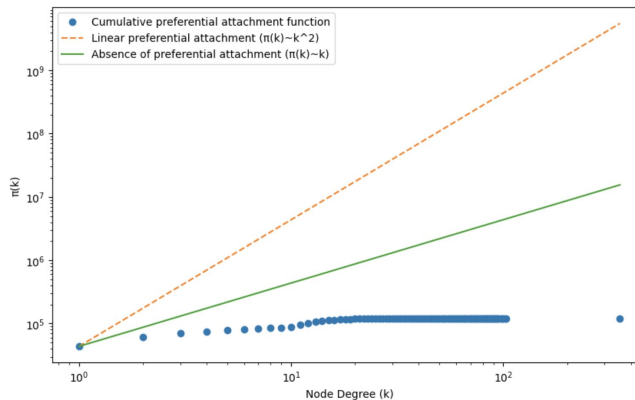
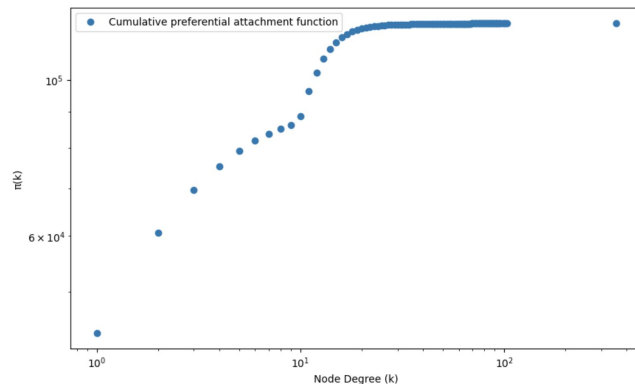
The likelihood to connect to a node depends on that node's degree  $k$ . This is in contrast with the random network model, for which  $\Pi(k)$  is independent of  $k$ .

## Hypothesis 2

The functional form of  $\Pi(k)$  is linear in  $k$ .

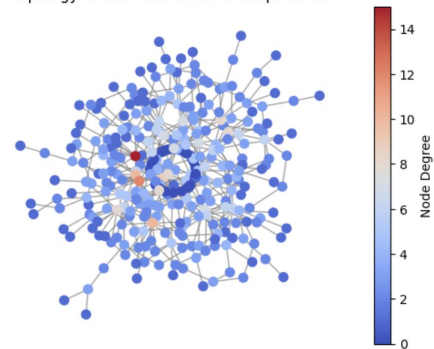
We detect  $k$ -dependance, thus it is in line with H1.

Grows slower than ( $\pi(k) \sim k^2$ ), thus sublinear.

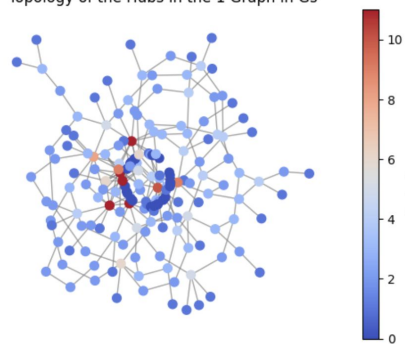


# Hubs – Threshold 20

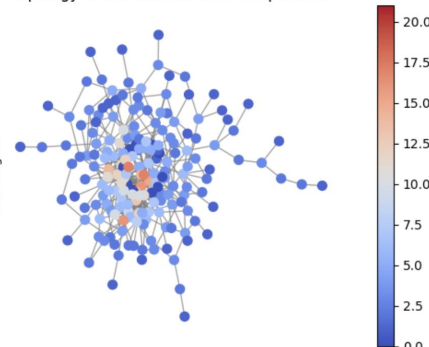
Topology of the Hubs in the 0 Graph in Gs



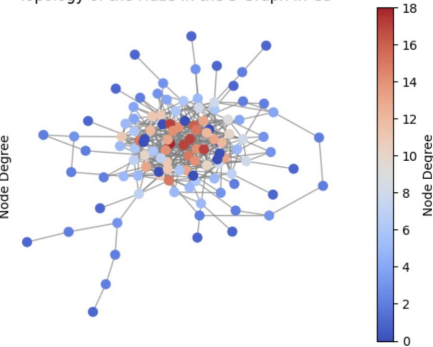
Topology of the Hubs in the 1 Graph in Gs



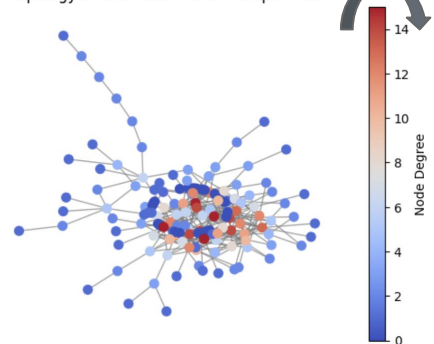
Topology of the Hubs in the 2 Graph in Gs



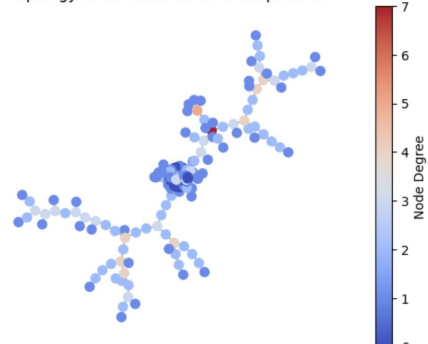
Topology of the Hubs in the 3 Graph in Gs



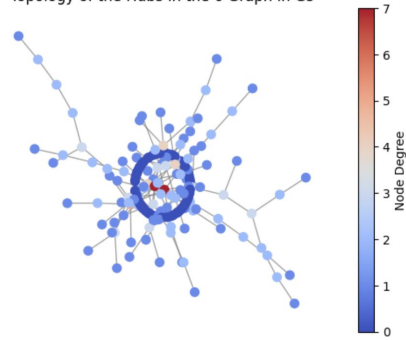
Topology of the Hubs in the 4 Graph in Gs



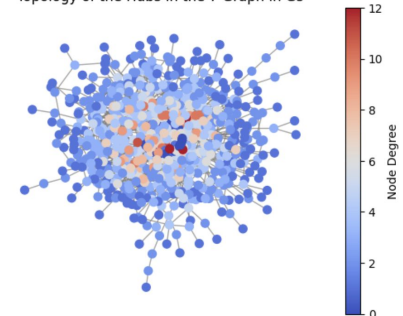
Topology of the Hubs in the 5 Graph in Gs



Topology of the Hubs in the 6 Graph in Gs

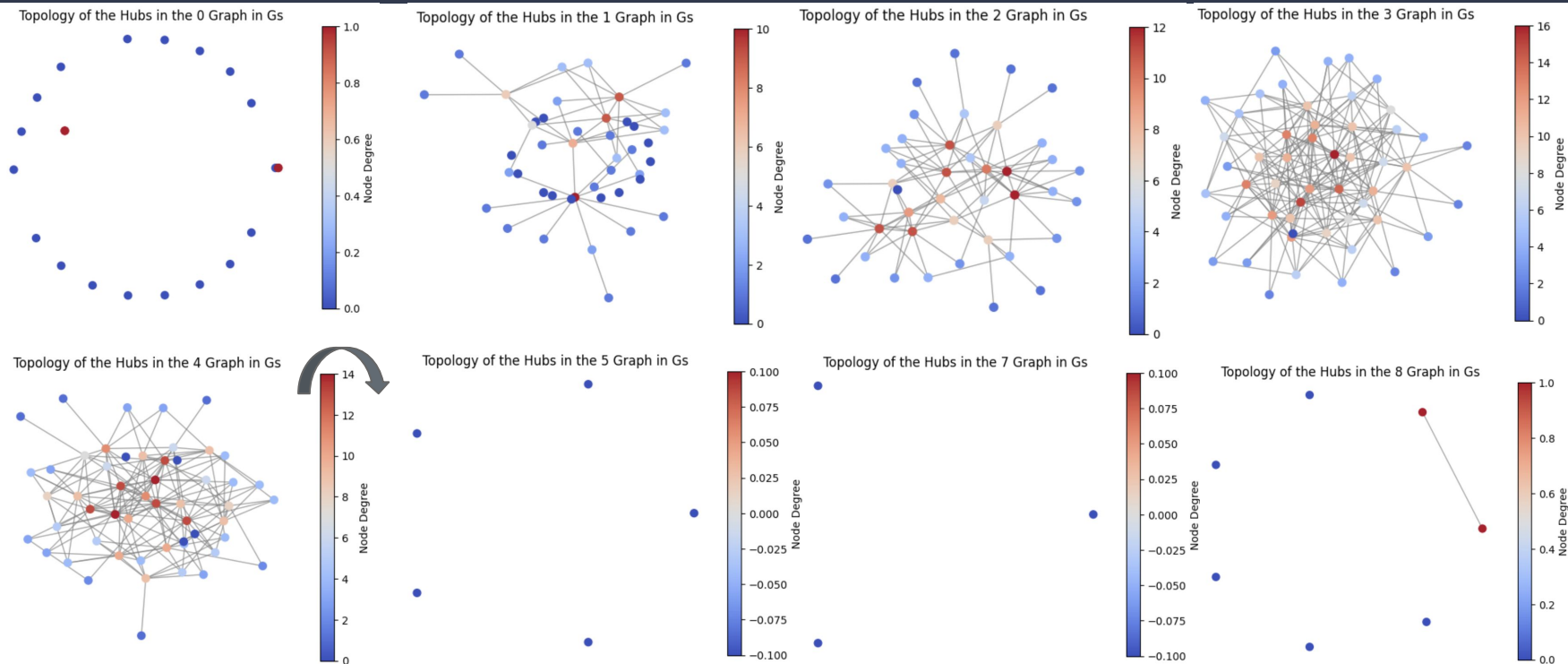


Topology of the Hubs in the 7 Graph in Gs



Days: ['04', '05', '06', '08', '09', '24', '25', '30', '31']

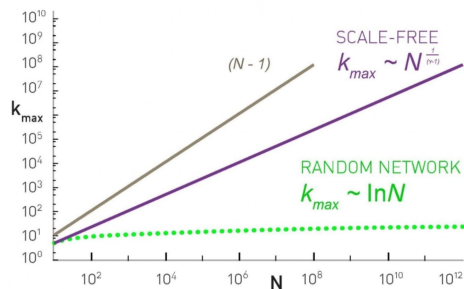
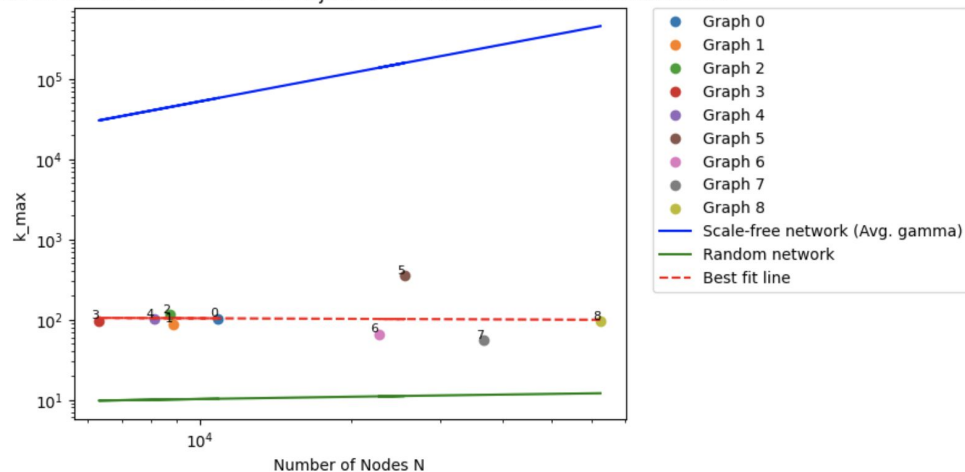
# Hubs – Threshold 50



Days: ['04', '05', '06', '08', '09', '24', '25', '30', '31']

# Hubs – $k_{\max}$ vs. $N$

$k_{\max}$  vs. Number of Nodes  $N$  with Adjusted Scale-free and Random Network Lines



$\gamma = [1.668, 1.674, 1.673, 1.754, 1.780, 1.986, 1.994, 2.036, 2.063]$

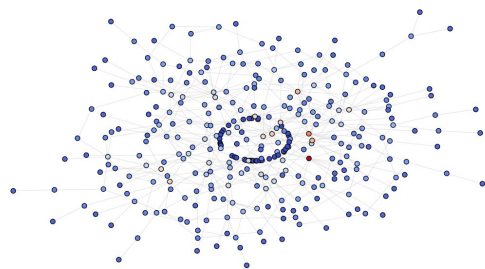
Average  $\gamma = 1.848$

**Anomalous Regime ( $\gamma = 2$ ):** or  $\gamma = 2$  the degree of the biggest hub grows linearly with the system size, i.e.  $k_{\max} \sim N$ . This forces the network into a hub and spoke configuration in which all nodes are close to each other because they all connect to the same central hub. In this regime the average path length does not depend on  $N$ .

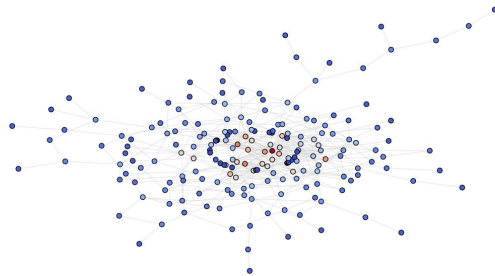
# Future Work

- More consistent dataset in time-series
- Community detection
- SIR simulation on Gnutella network

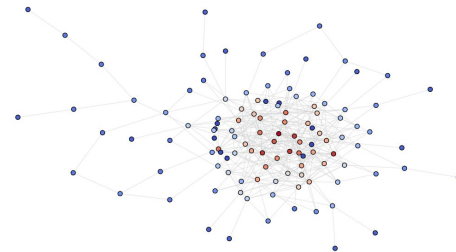
Topology of the Hubs in the 0-th Graph in  $G_S$



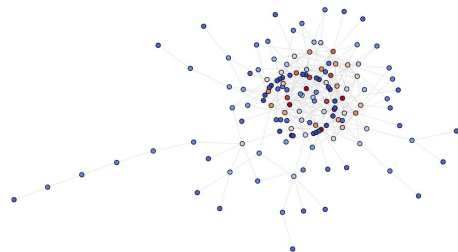
Topology of the Hubs in the 2-th Graph in  $G_S$



Topology of the Hubs in the 3-th Graph in  $G_S$

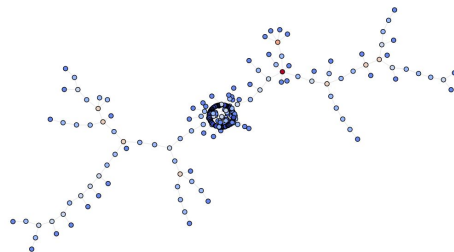


Topology of the Hubs in the 4-th Graph in  $G_S$



change

Topology of the Hubs in the 5-th Graph in  $G_S$



Topology of the Hubs in the 7-th Graph in  $G_S$

