

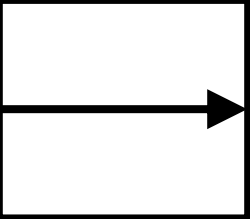
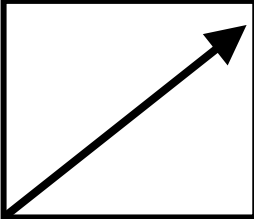
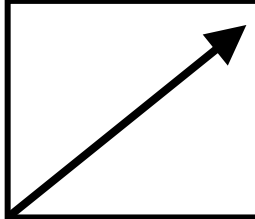
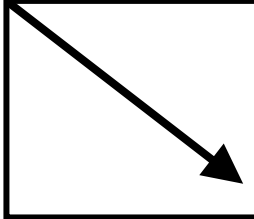
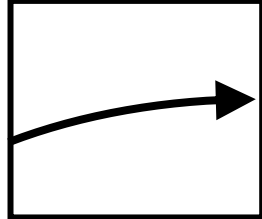
Detecting Idiographic Personality Change

Emorie D Beck

Joshua J Jackson

Washington University in St. Louis





The Big 5		Extraversion	Agreeableness	Conscientiousness	Neuroticism	Openness
Direction						
Magnitude		--	.6 SD	1 SD	-.8 SD	.4 SD
Timing		--	Lifespan	Lifespan	10-35	10-20

Roberts, Walton, & Viechtbauer, 2006



The background of the image is a close-up of a woman's face, which is partially obscured by various mathematical elements. In the top left, there is a diagram of a circle with radius r and formulas πr^2 and $2\pi r$. In the top right, the volume formula for a cone is shown: $V = \frac{1}{3} \pi r^2 h$, with a diagram of a cone below it. In the bottom left, there is a trigonometric table for 45° and 60° angles, and a right-angled triangle with angles 0°, 60°, and 120° (labeled as 2x). In the bottom center, there are several integral formulas: $\int \tan x dx = -\ln|\cos x| + C$, $\int \frac{dx}{\sin x} = \ln\left|\tan \frac{x}{2}\right| + C$, and $\int \frac{dx}{a^2 + x^2} = \frac{1}{a} \arctan \frac{x}{a} + C$. In the bottom right, there is a graph of a function θ/rad and some algebraic formulas like $ax^2 + bx + c$ and $\pi(x^2 + \frac{b}{a}x + \frac{b^2}{4a^2})$.

WHY?

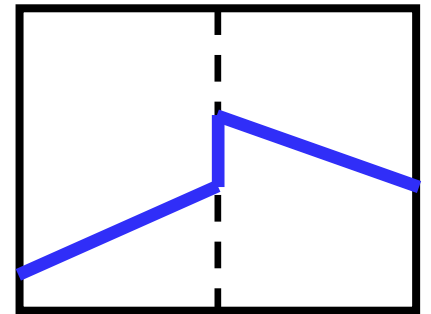
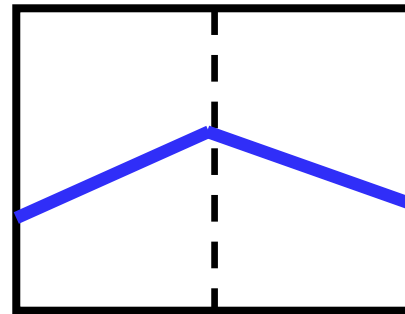
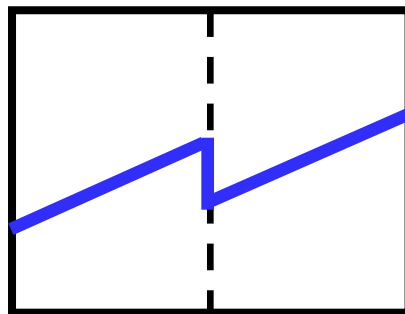
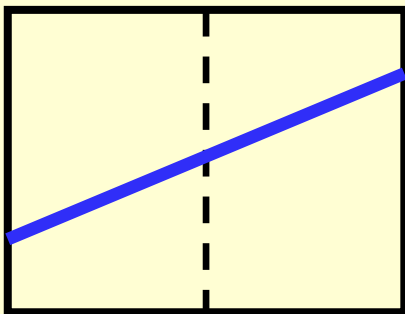
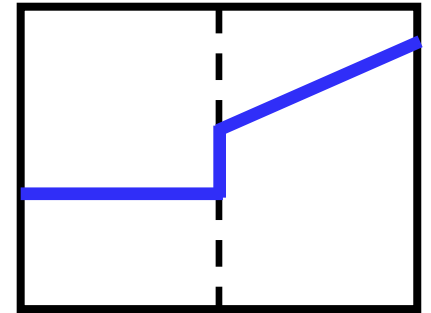
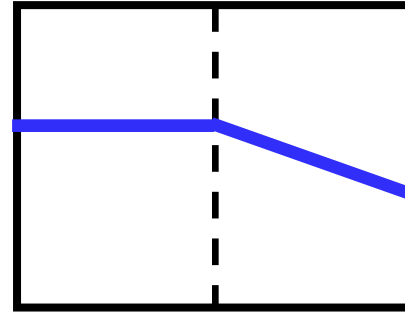
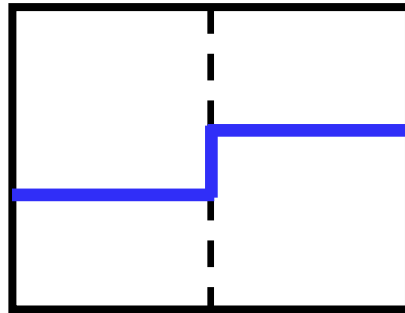
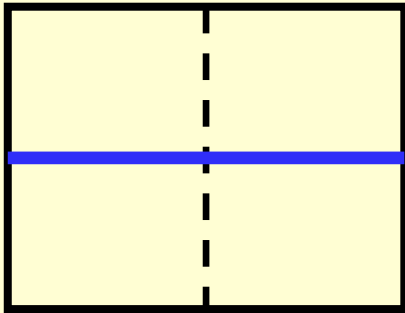
	Marriage	Moved in with Partner	Divorced	Separated from Partner	Death of Partner/Spouse	Leaving Parental Home	Child Leaves Home	Birth of Child	Death of Parent	Unemployment	Retirement	First Job
E	X	X	X	X	X	X		X	X	X	X	X
A	X	X	X		X	X	X	X	X	X	X	X
C	X	X	X	X	X	X	X	X	X	X	X	X
N	X	X	X	X	X	X	X	X	X	X	X	X
O	X	X	X	X	X	X	X	X	X	X	X	X

Problems with Mean-Level Change

Timing

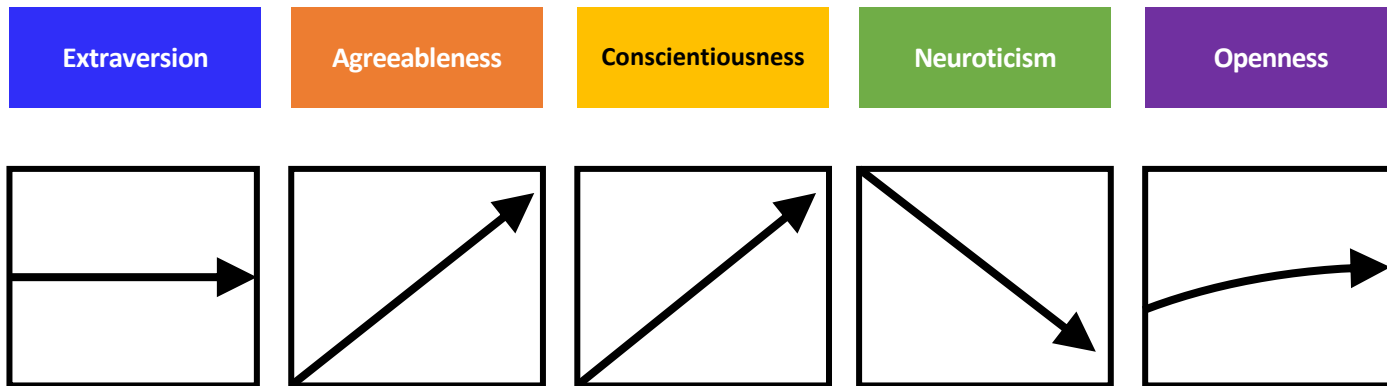
**Independence
of Traits**

Timing of Change



“No trait operates alone”

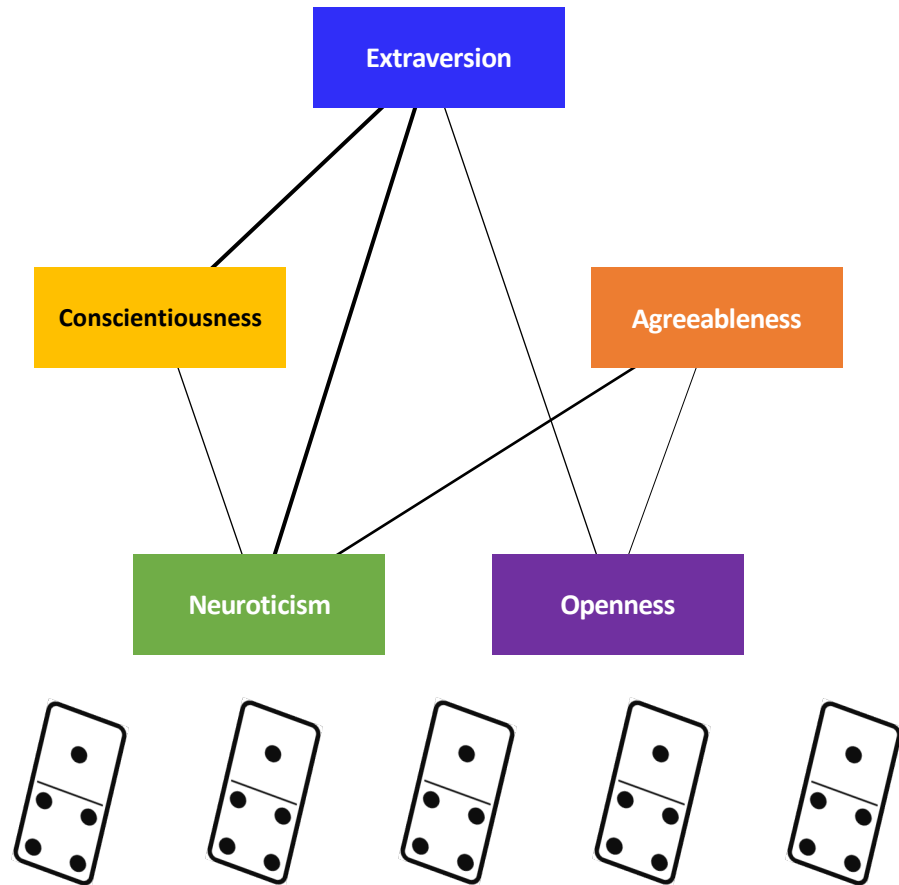
Allport, 1937, p. 330



*“Personality is the dynamic organization
within the individual of those psychophysical
systems that determine his unique adjustments
to his environment”*

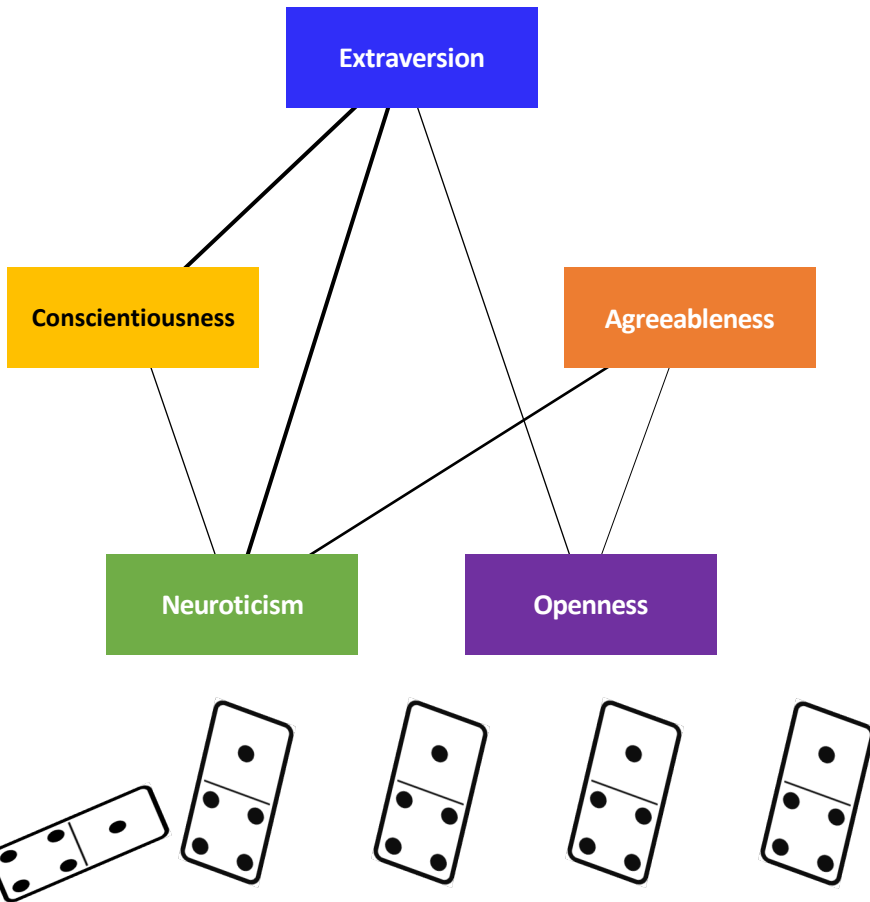
“No trait operates alone”

Allport, 1937, p. 330



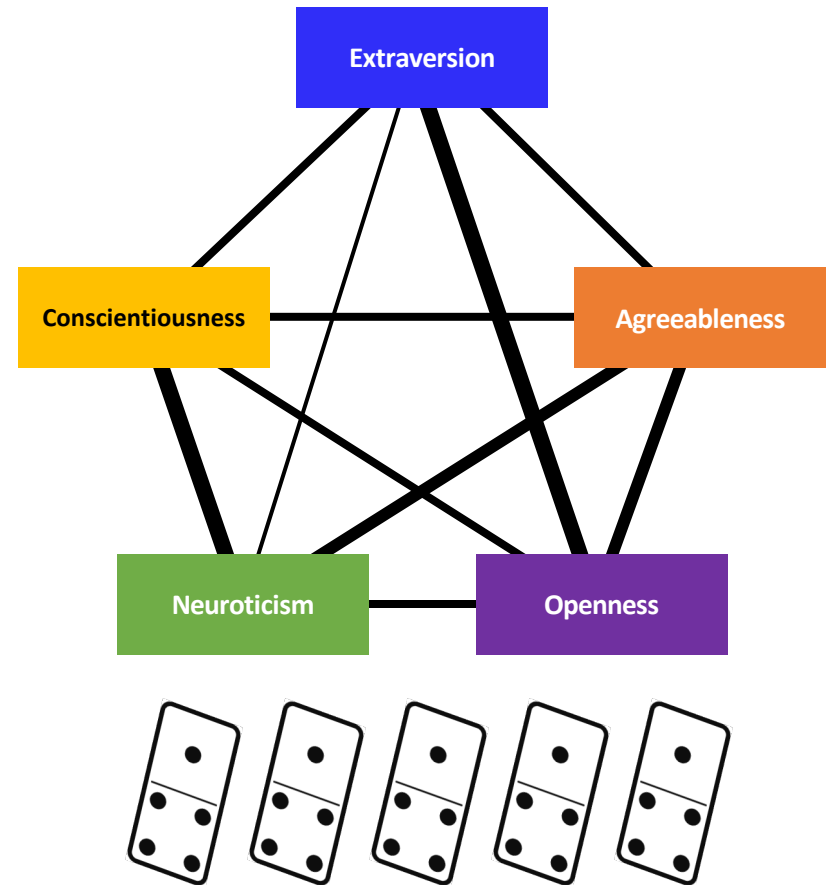
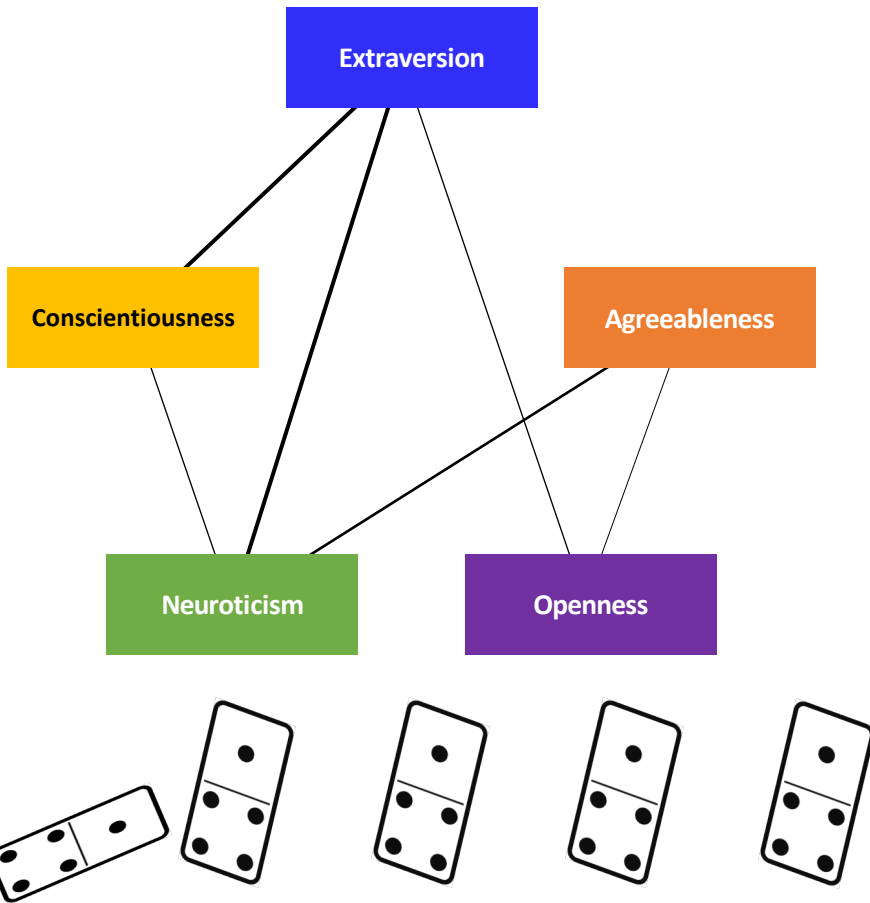
“No trait operates alone”

Allport, 1937, p. 330



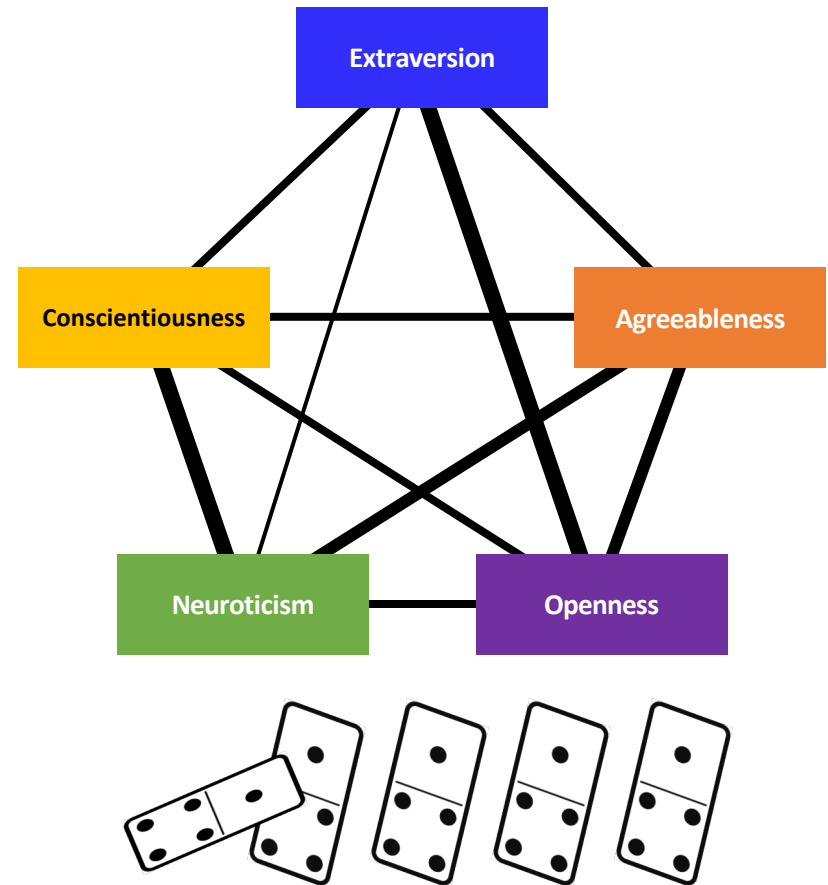
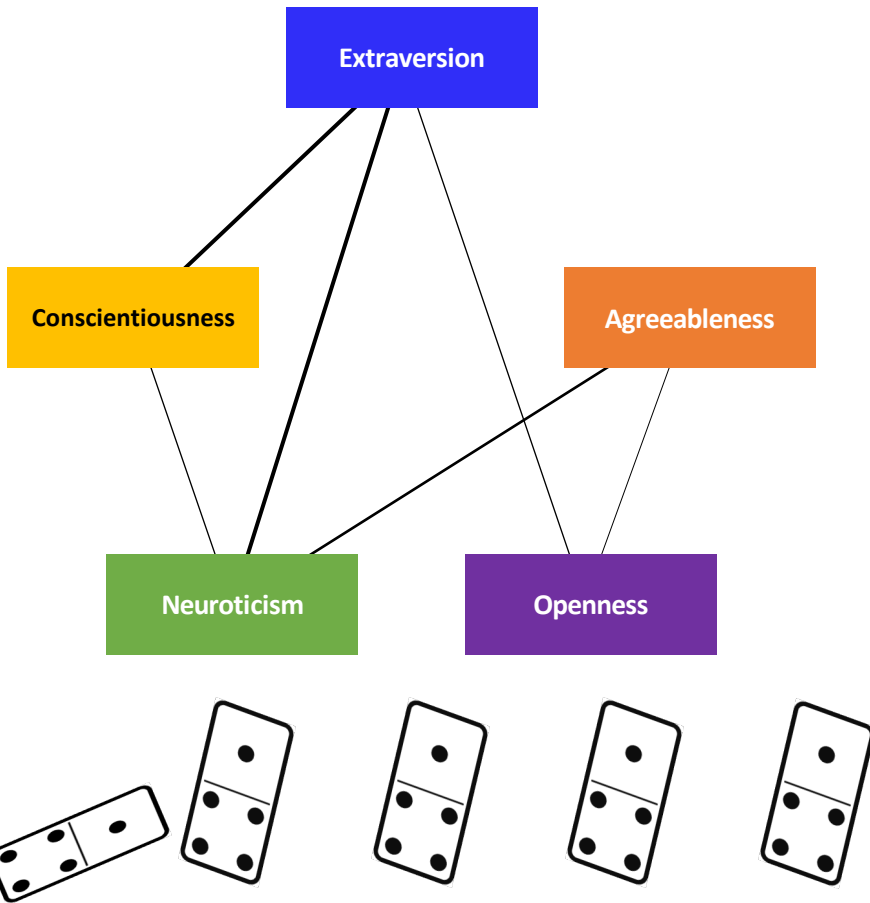
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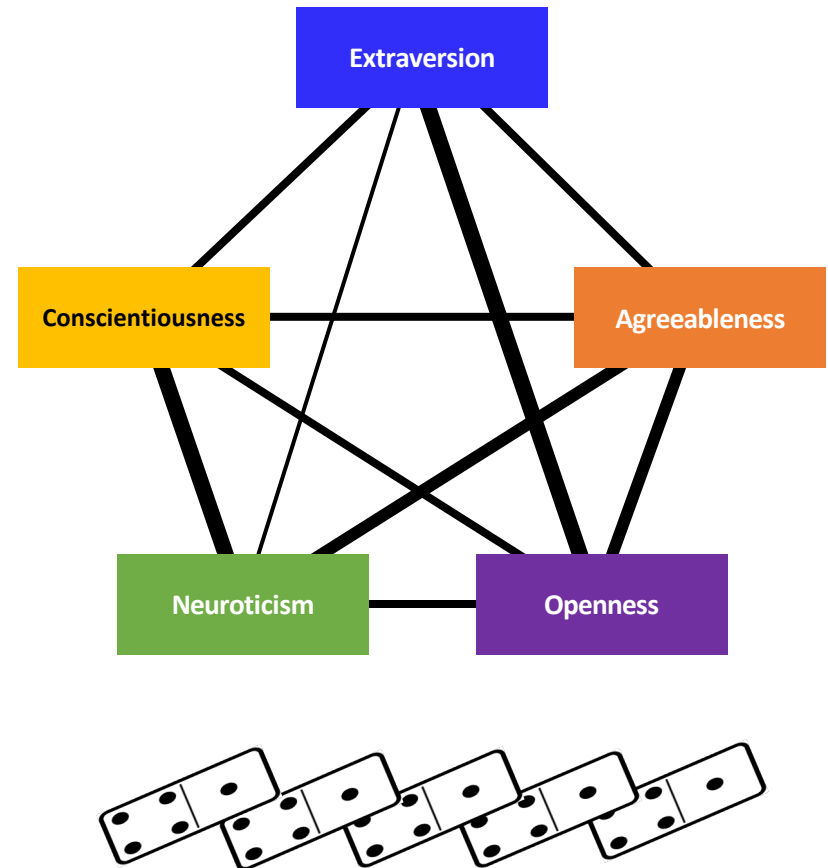
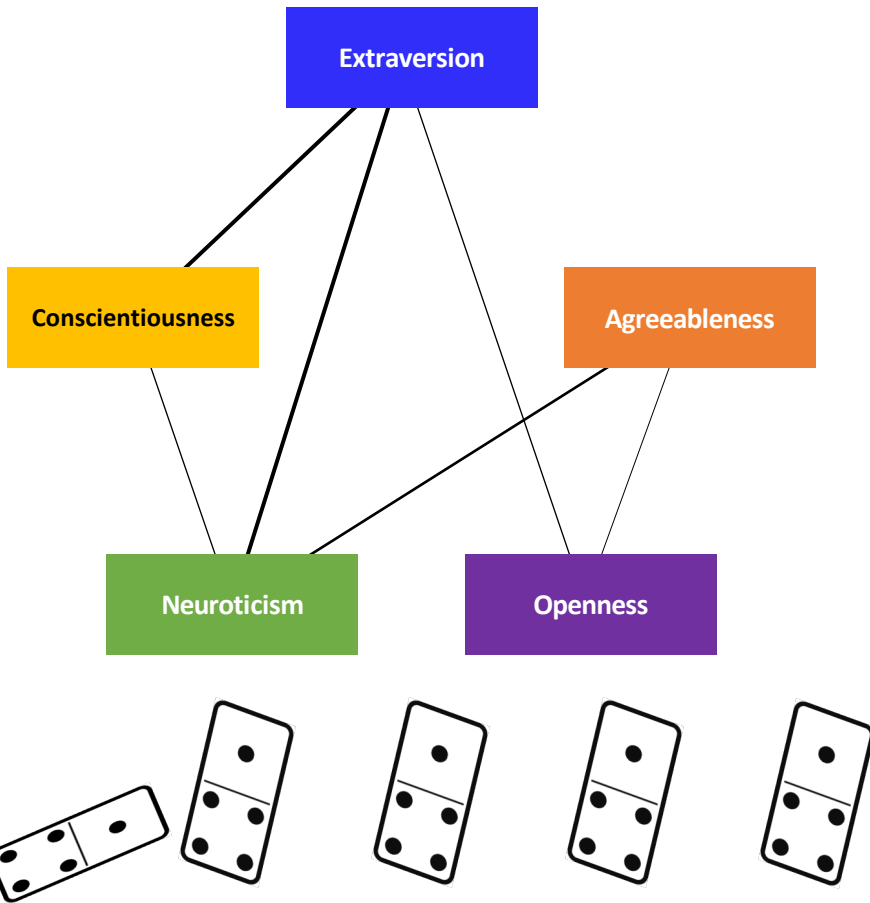
“No trait operates alone”

Allport, 1937, p. 330



“No trait operates alone”

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SCIENTIFIC REPORTS



OPEN

Testing for the Presence of Correlation Changes in a Multivariate Time Series: A Permutation Based Approach

Jedelyn Cabrieto¹, Francis Tuerlinckx¹, Peter Kuppens¹, Borbála Hunyadi^{2,3} & Eva Ceulemans¹

Received: 23 August 2017

Accepted: 11 December 2017

Published online: 15 January 2018

Fraley Longitudinal Project

E

Extraverted, enthusiastic

Reserved, quiet (-)

A

Critical, quarrelsome (-)

Sympathetic, warm

C

Dependable, self-disciplined

Disorganized, careless (-)

N

Anxious, easily upset

Calm, emotionally stable (-)

O

Open to new experiences, complex

Conventional, uncreative (-)

N = 388 participants (total N = 21,790)
60 possible assessments

Personality

Baseline



60 weeks

Life Events

Preregistration: <https://osf.io/mfn8w/>

1 Moving Window Correlations

2 Gaussian Similarity between all possible phases for different k

3 Calculate average within-phase Variance of Gaussian Similarity

4 Repeat steps 1 and 2 for 1000 permuted data sets

5 Perform the variance test

6 Perform the variance drop test

7 Declare significance if either the variance or variance drop tests passes

8 Keep k of minimum penalized average within-phase variance

$$Gk(\mathbf{R}_i, \mathbf{R}_j) = \exp\left(\frac{-\|\mathbf{R}_i - \mathbf{R}_j\|^2}{2h_R^2}\right) \quad \mathbf{R}_i = \begin{bmatrix} w_{i,1} \\ w_{i,2} \\ \vdots \\ w_{i, \frac{V(V-1)}{2}} \end{bmatrix}$$

$$\hat{R}(\tau_1, \tau_2, \dots, \tau_K) = \frac{1}{n} \sum_{n=1}^{K+1} \hat{V}_p, \tau_1, \tau_2, \dots, \tau_K$$

$$\hat{V}_{p, \tau_1, \tau_2, \dots, \tau_K} = (\tau_p - \tau_{p-1}) - \frac{1}{\tau_p - \tau_{p-1}} \sum_{i=\tau_{p-1}+1}^{\tau_p} \sum_{j=\tau_{p-1}+1}^{\tau_p} Gk(\mathbf{R}_i, \mathbf{R}_j)$$

$$p_{\text{variancetest}} = \frac{\#(\hat{R}_{\min, K=0, \text{perm}} > \hat{R}_{\min, K=0})}{B}$$

$$p_{\text{variancedroptest}} = \frac{\#(\max \text{ variance drop}_{\text{perm}} > \max \text{ variance drop})}{B}$$

$$\text{pen}_K = C^{\frac{V_{\max}(K+1)}{n}} [1 + \log(\frac{n}{K+1})]$$

$$\hat{K} = \arg \min \hat{R}_{\min, K} + \text{pen}_K,$$

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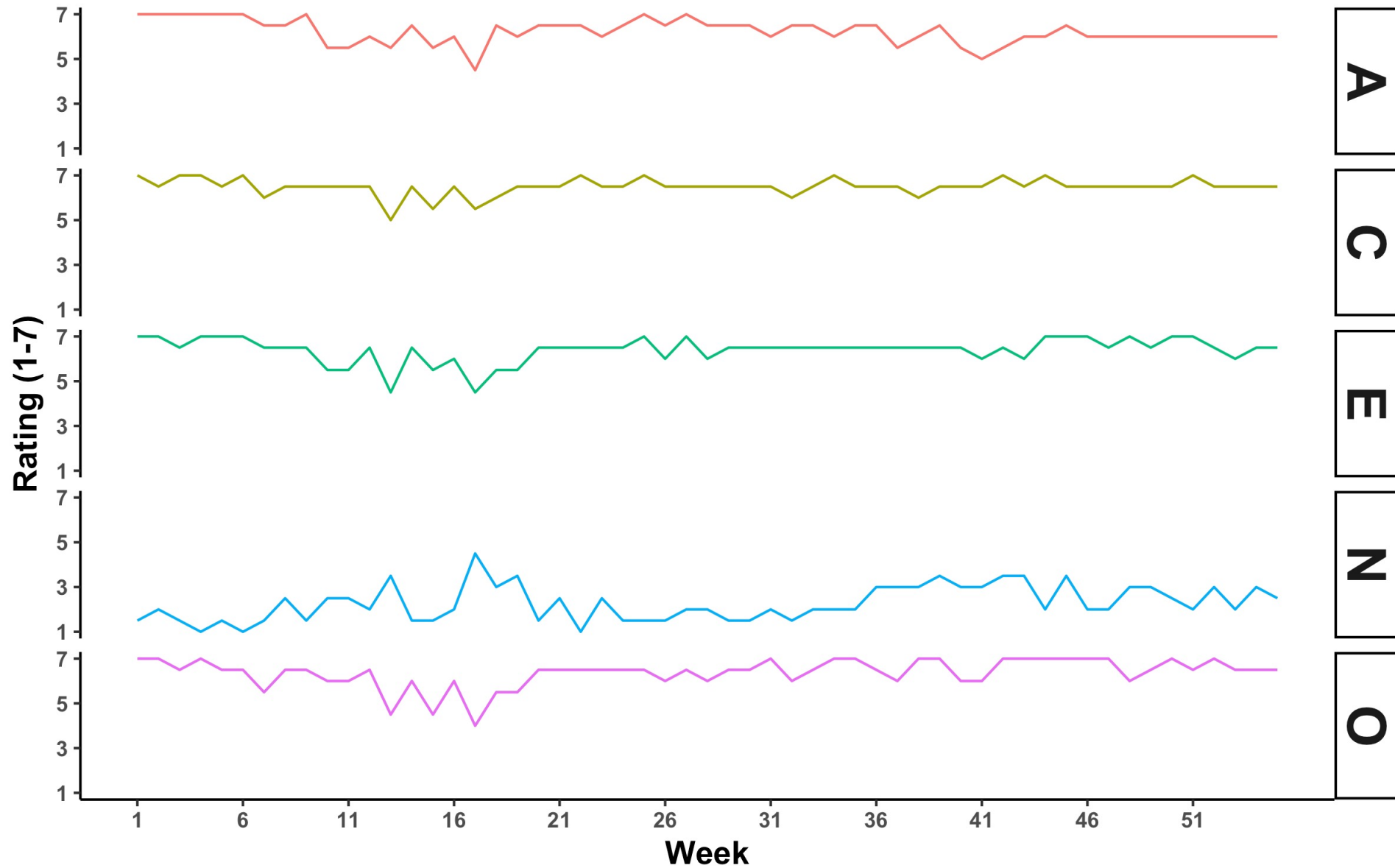
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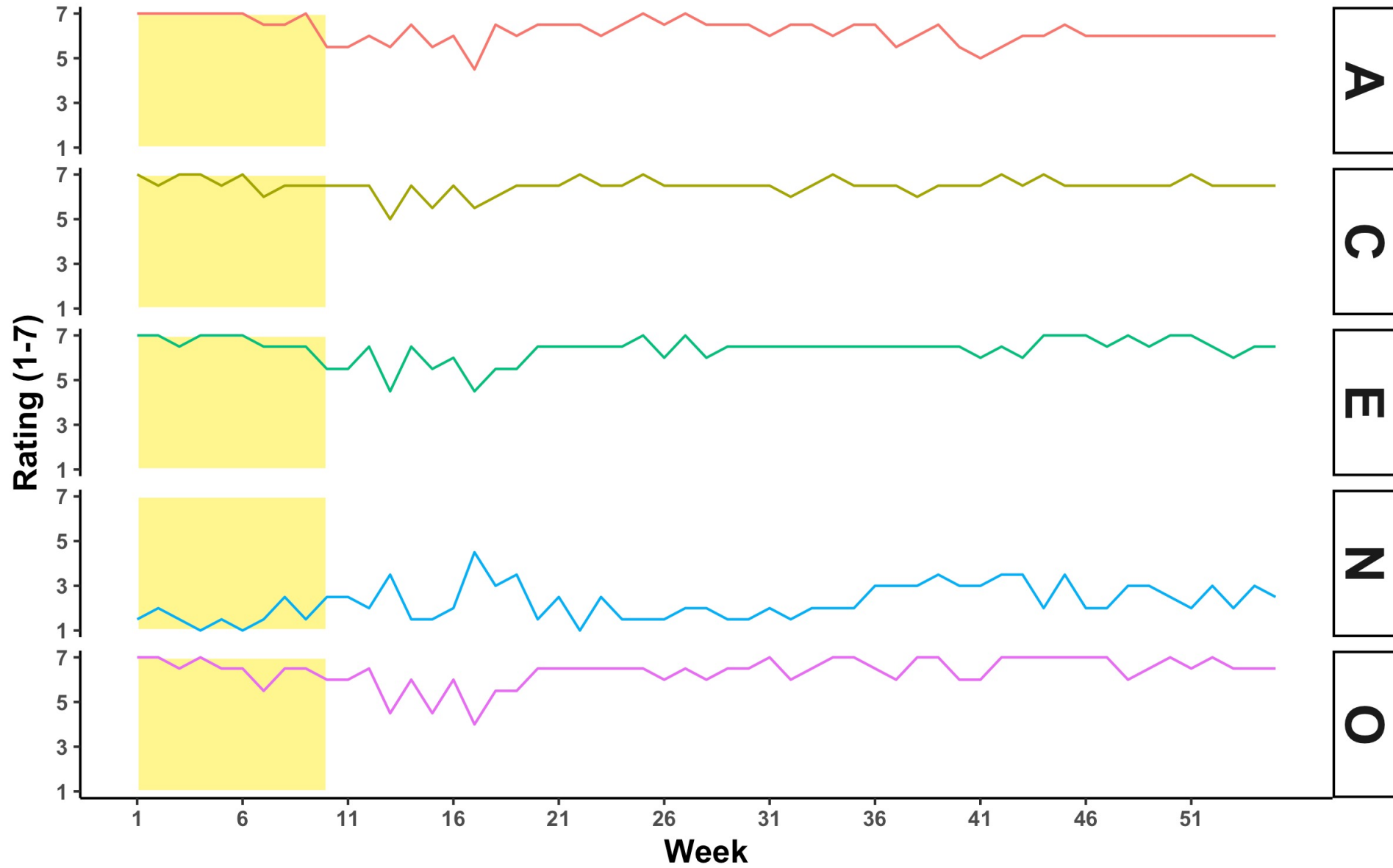
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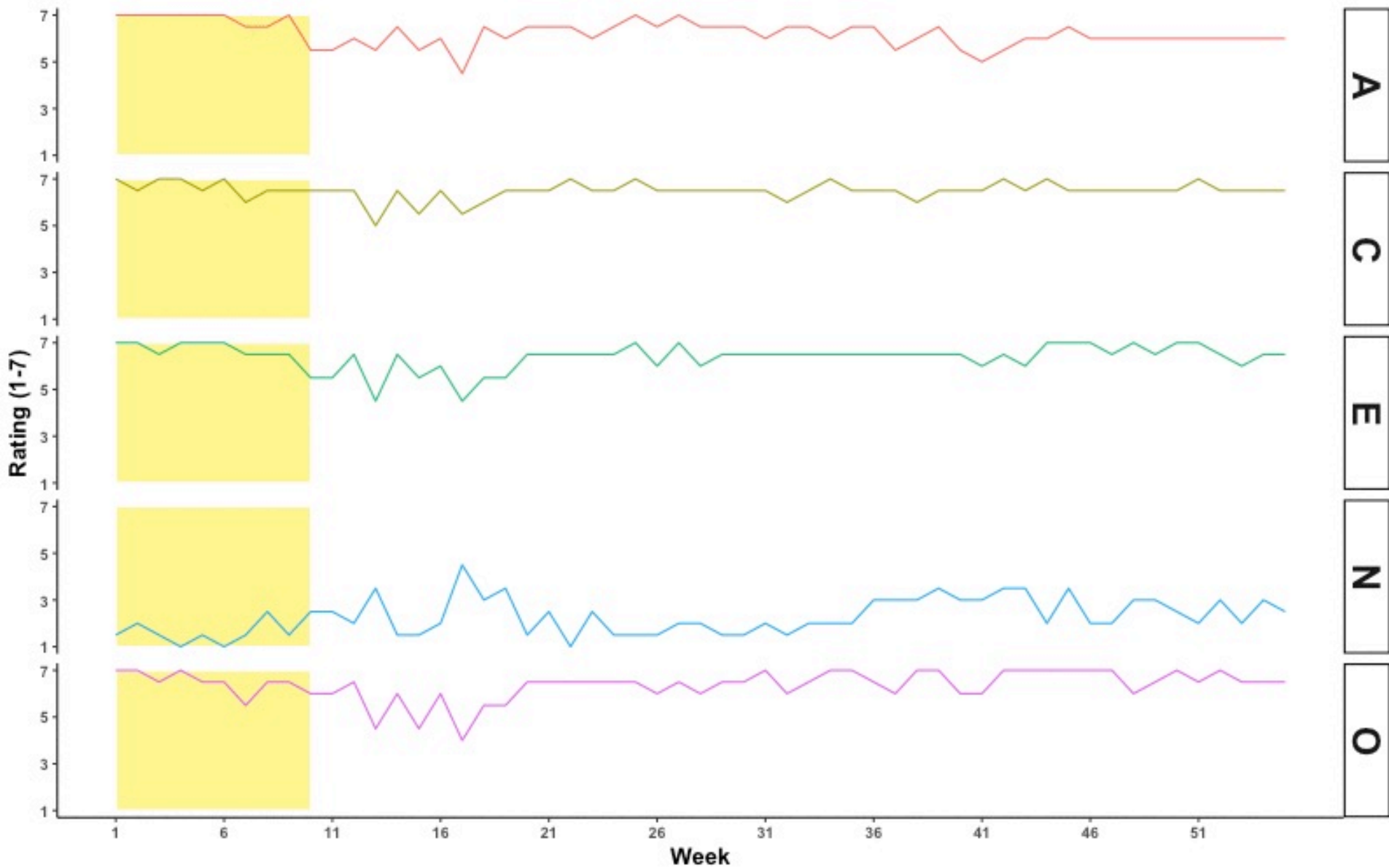
Idiographic Time Series



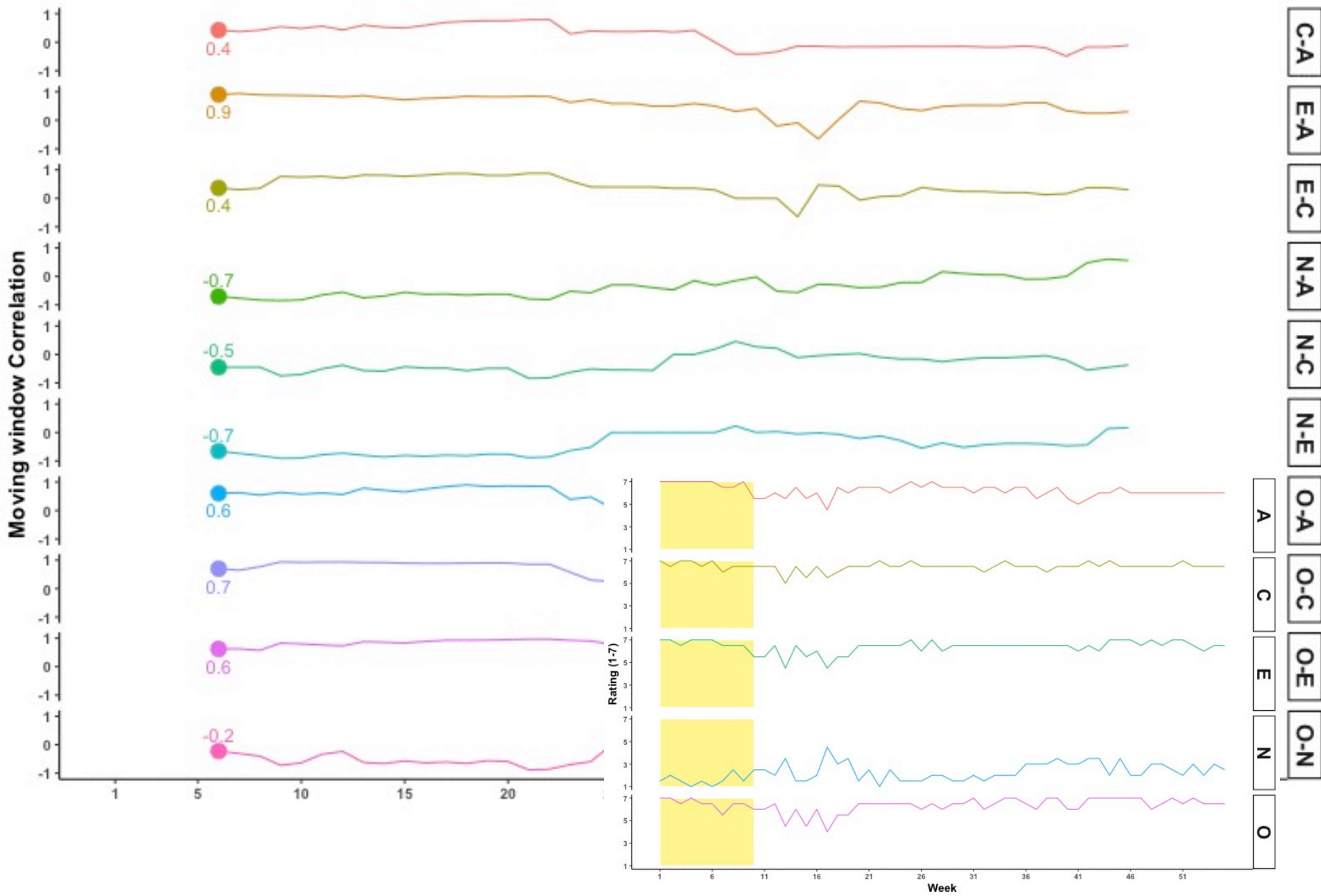
Idiographic Time Series



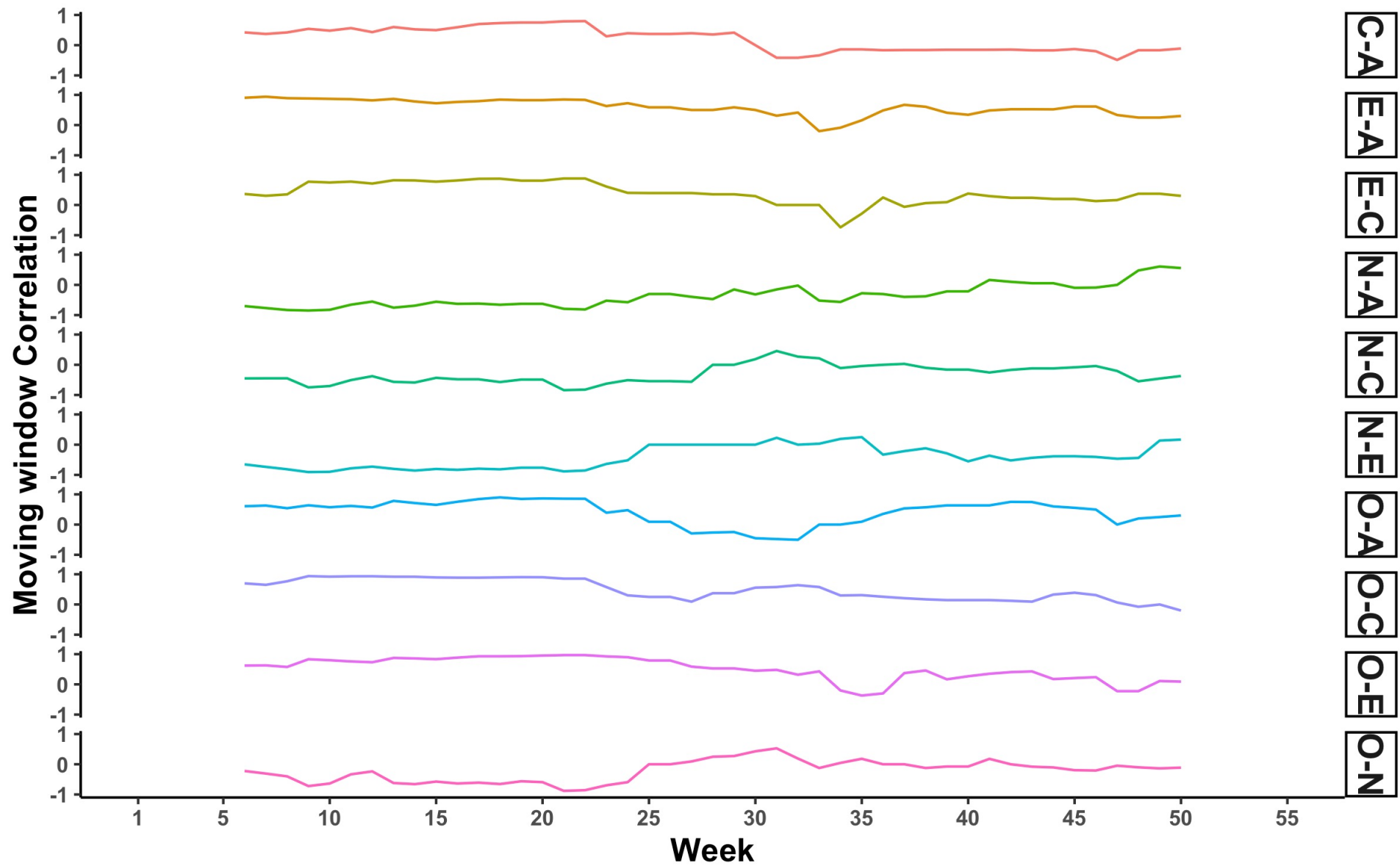
Idiographic Time Series



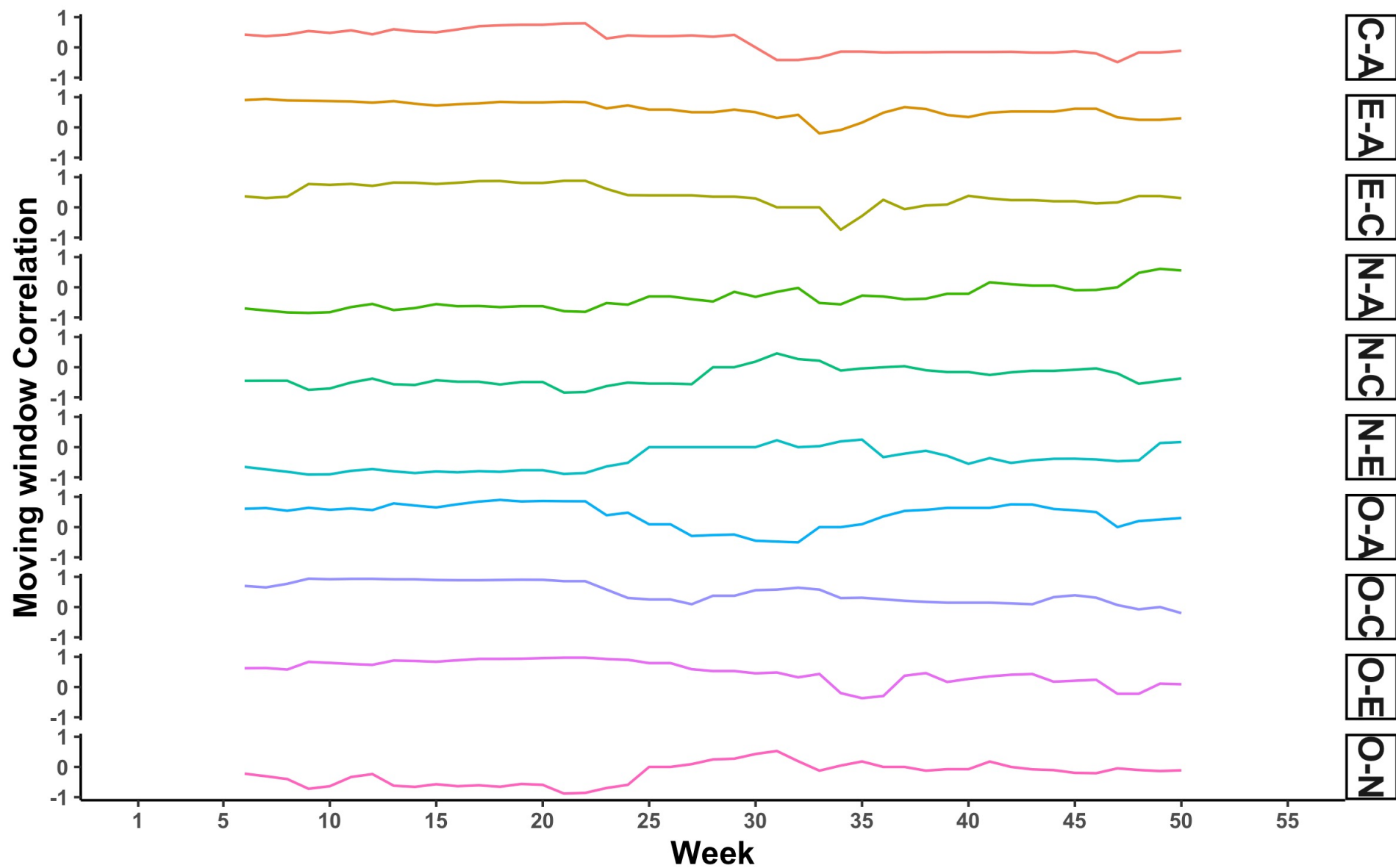
Moving Window Correlation Time Series



Moving Window Correlation Time Series

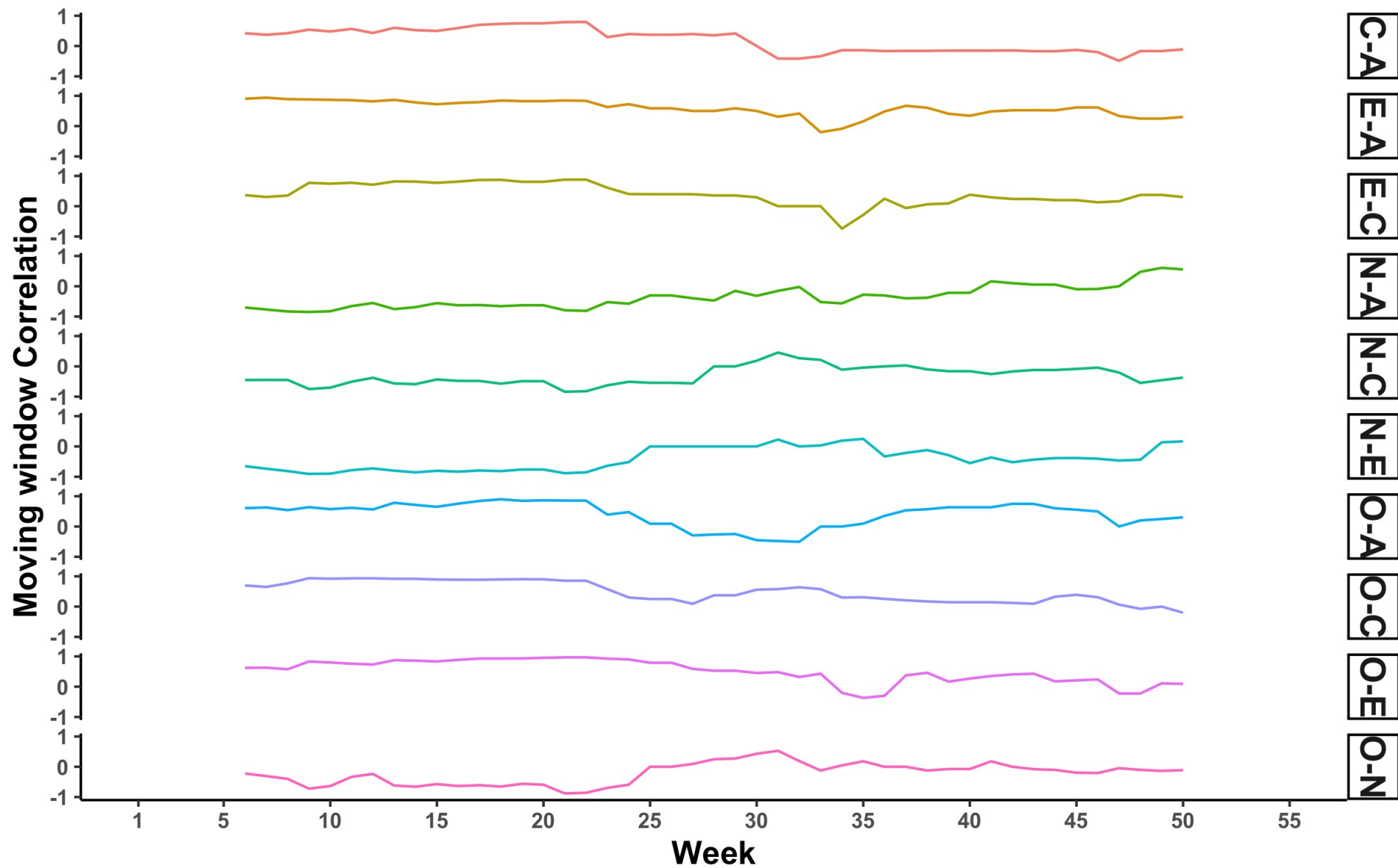


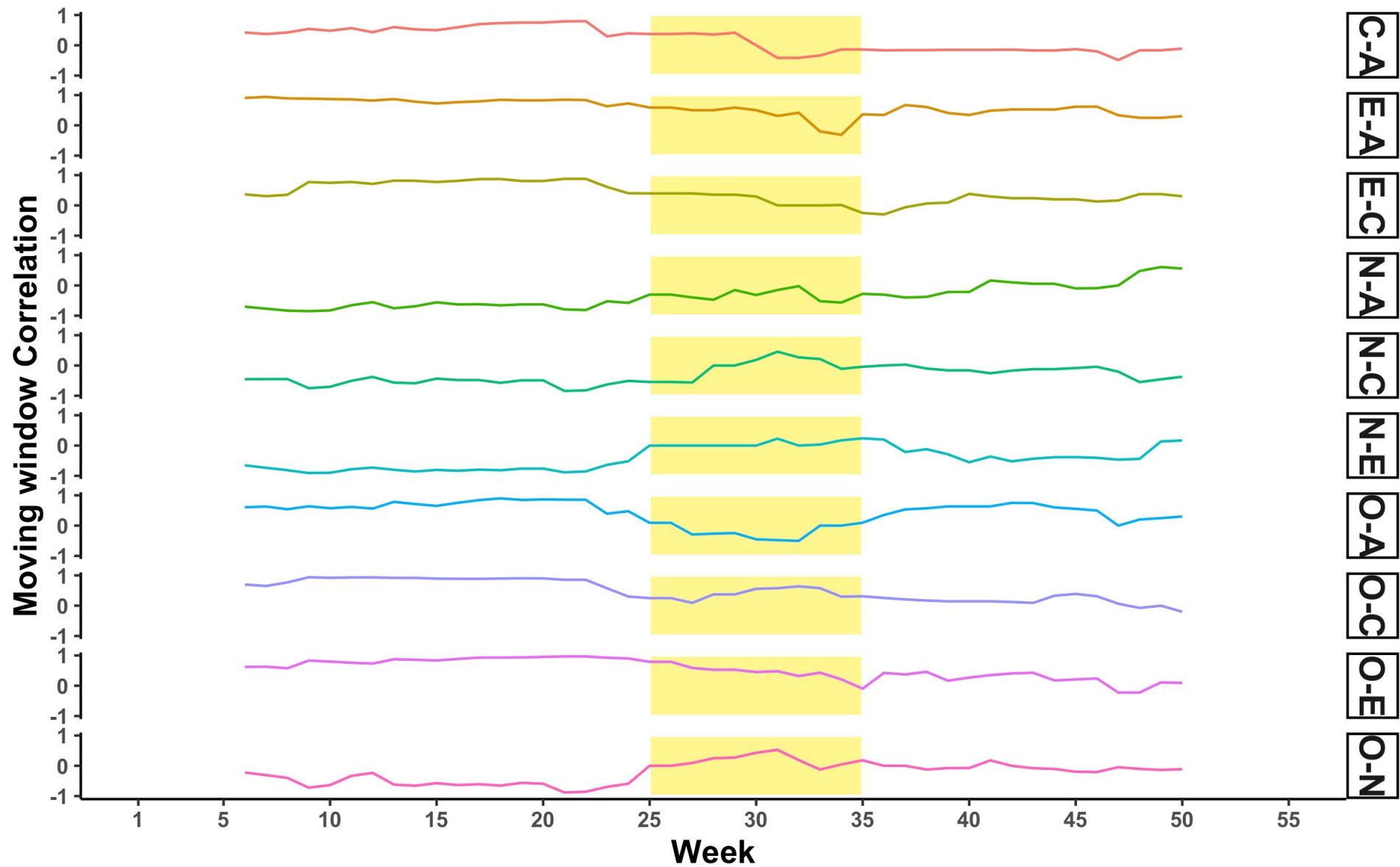
Phases: $k = 0$



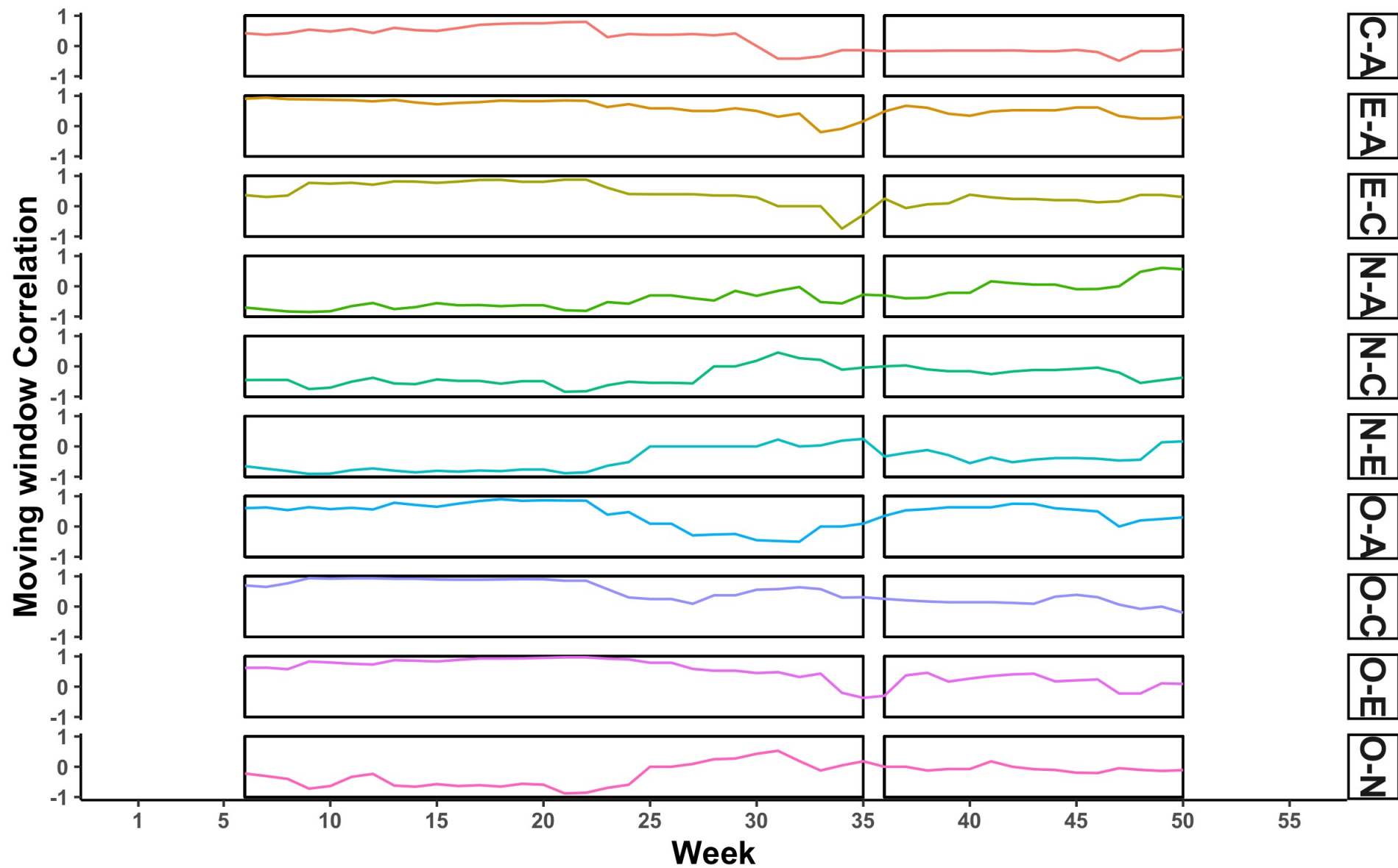
**Correlations within
a phase should be
homogeneous**

Phases: $k = 0$

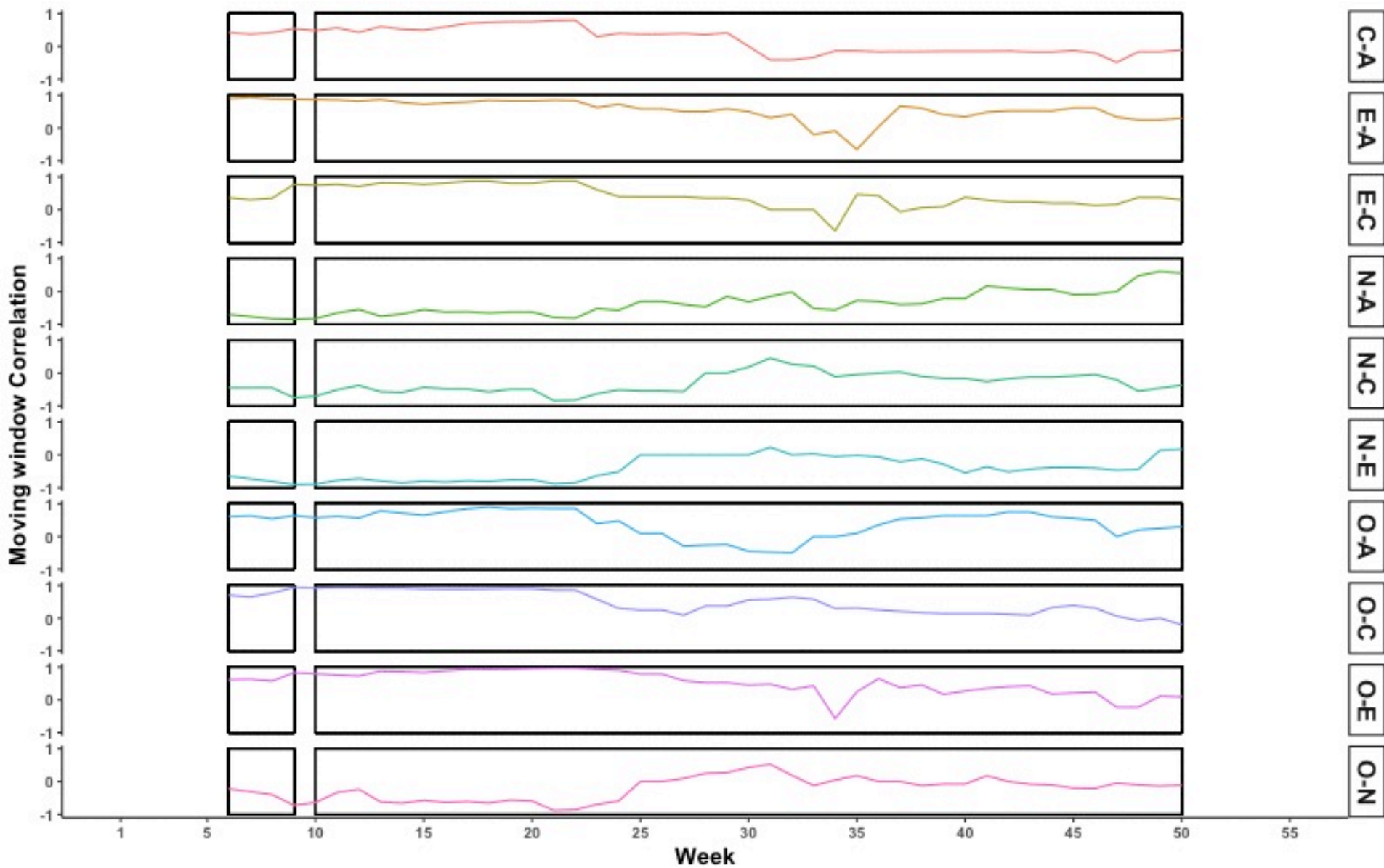




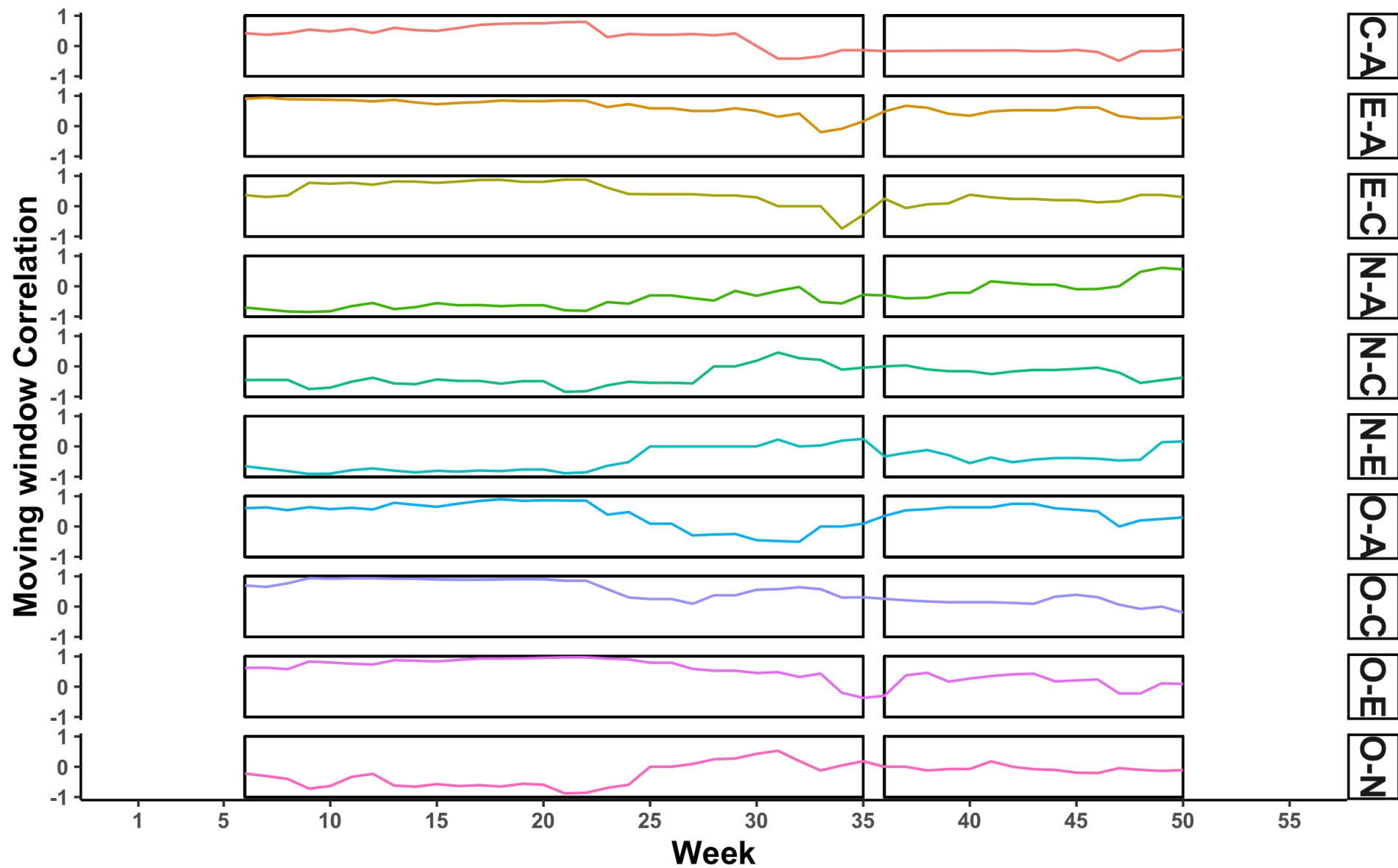
Phases: $k = 1$



Phases: $k = 1$



Phases: $k = 1$



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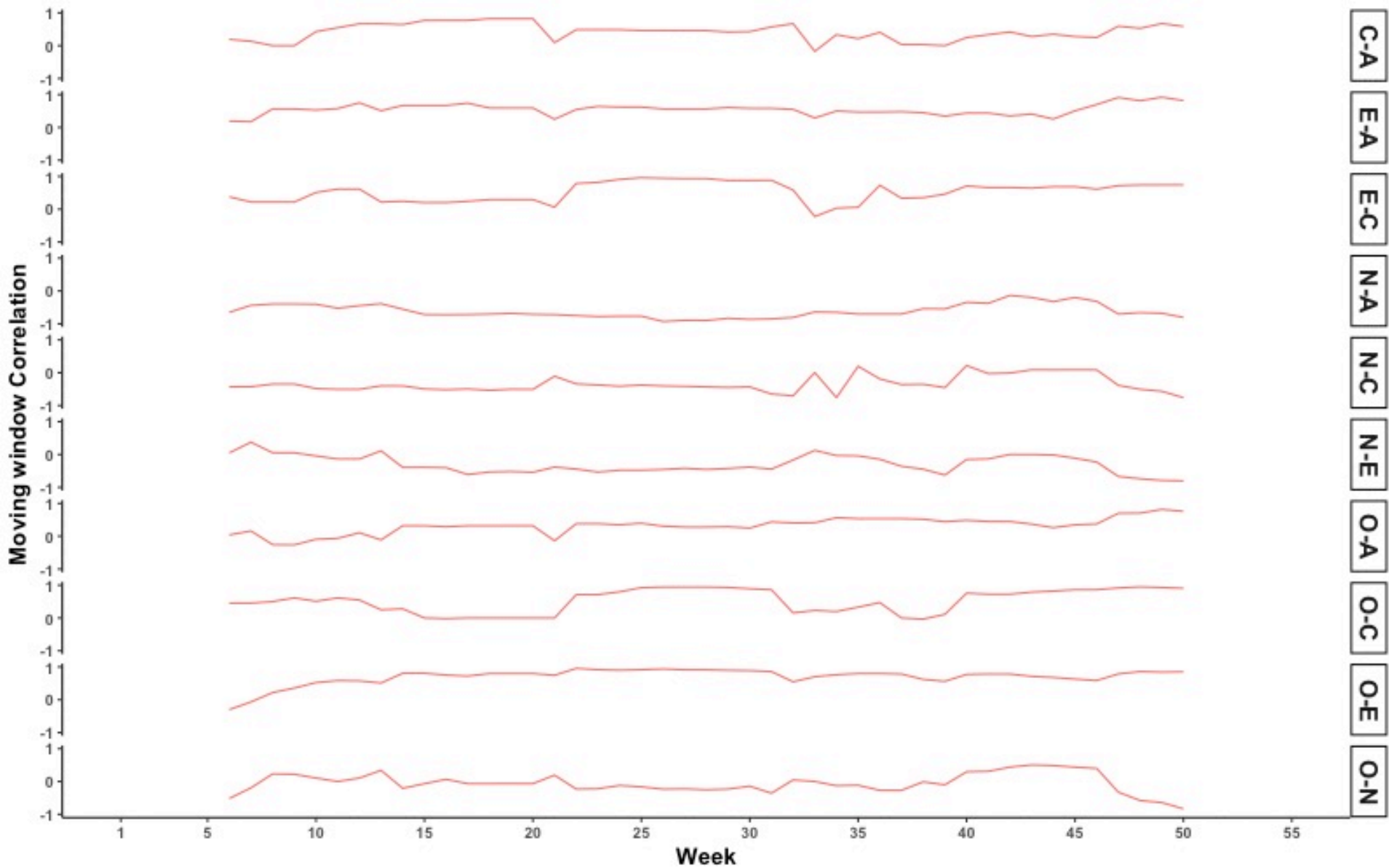
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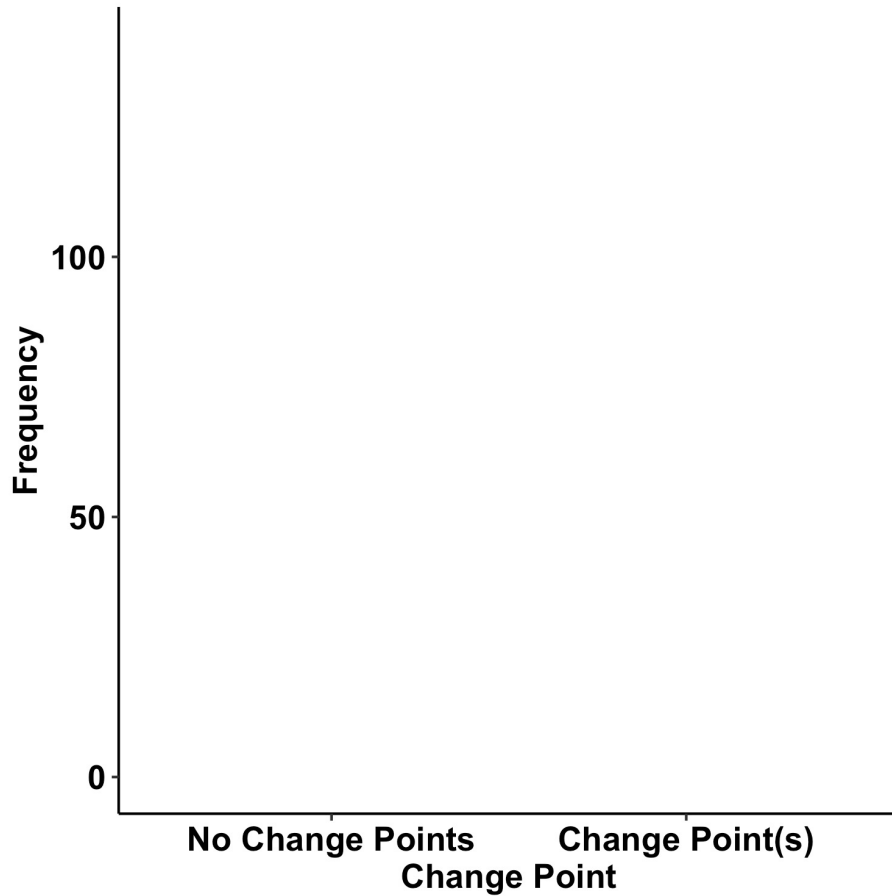
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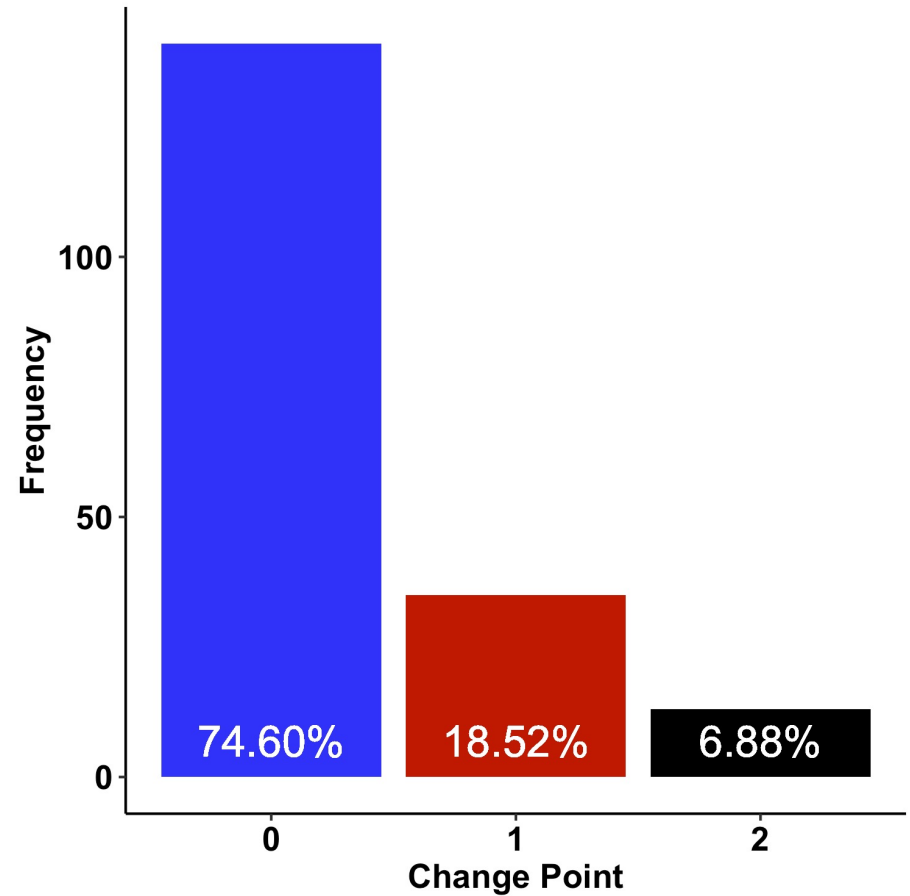
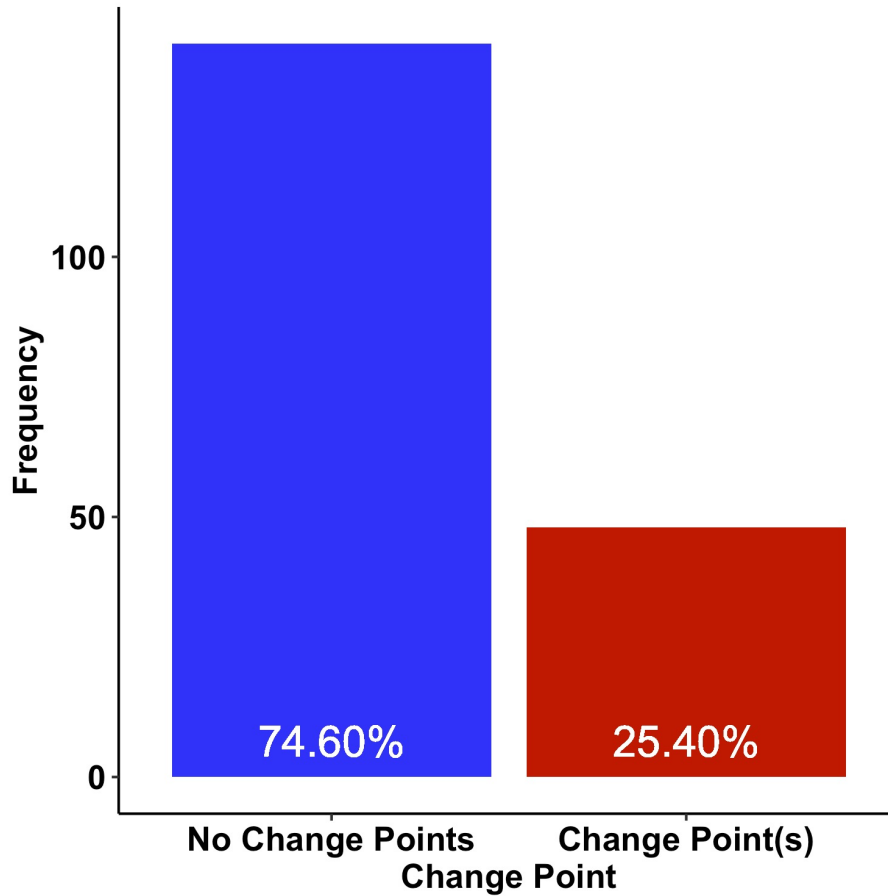
***Compared to permuted time series**

Results

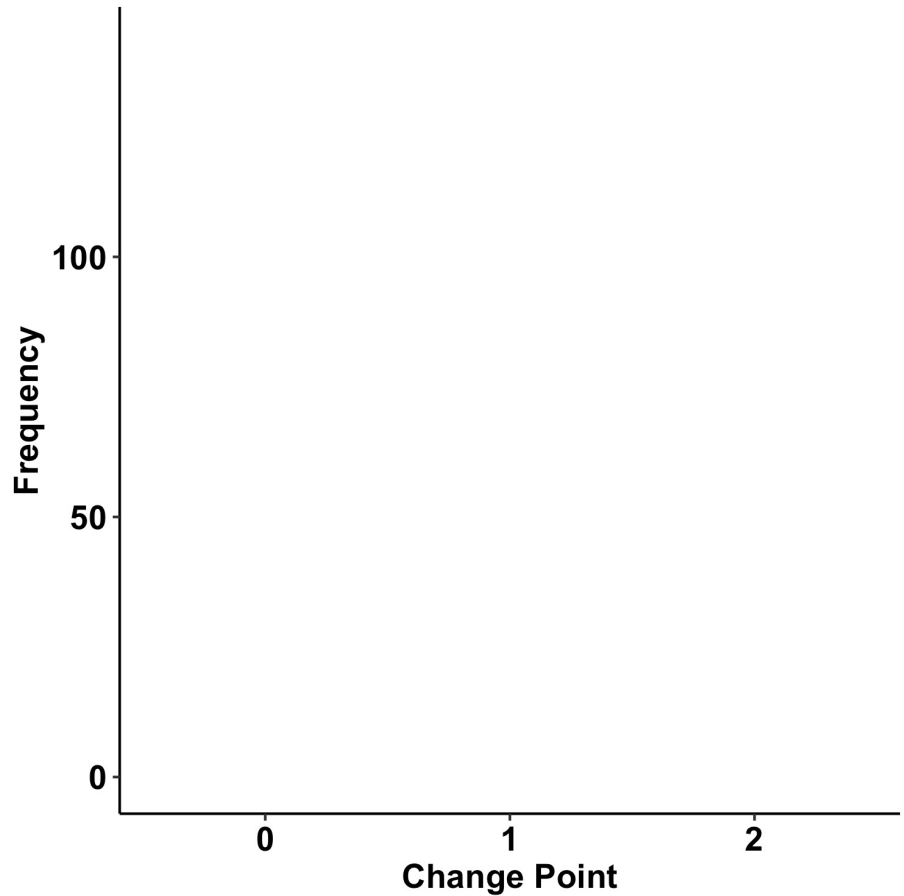
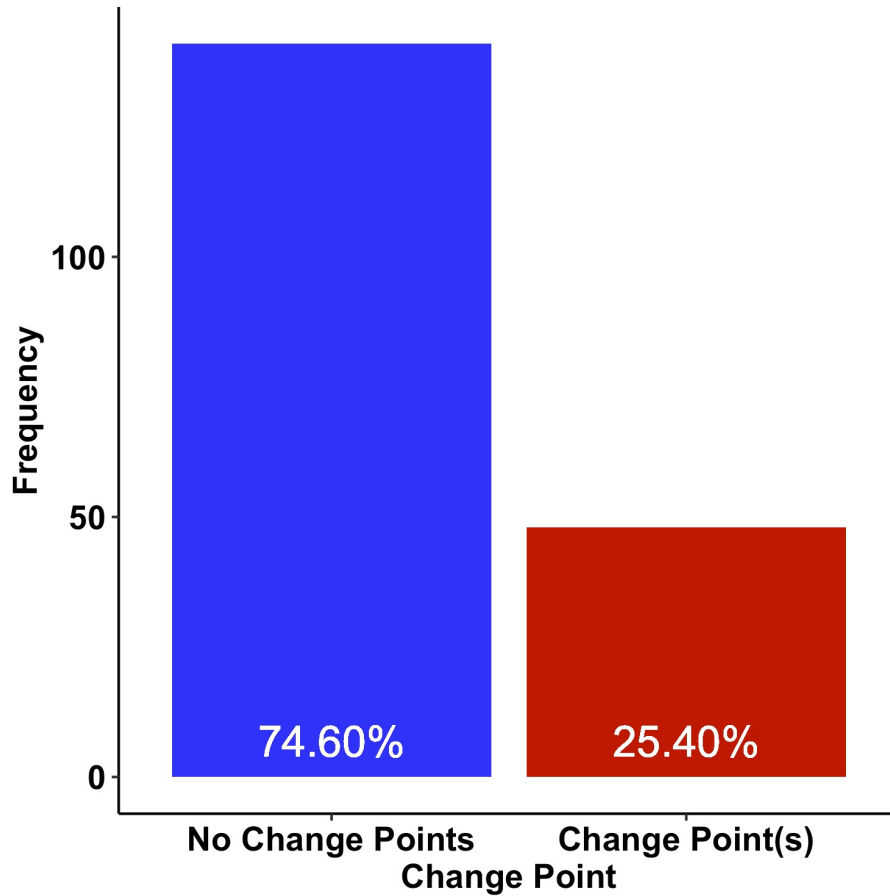
Did people show correlational changes?



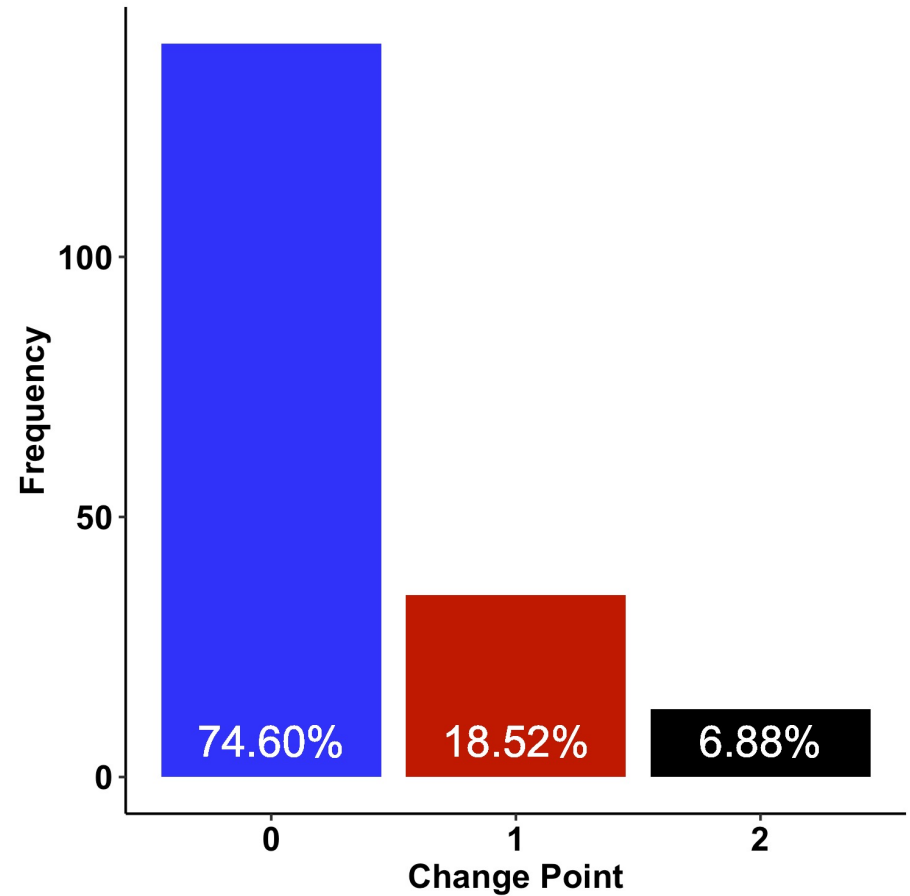
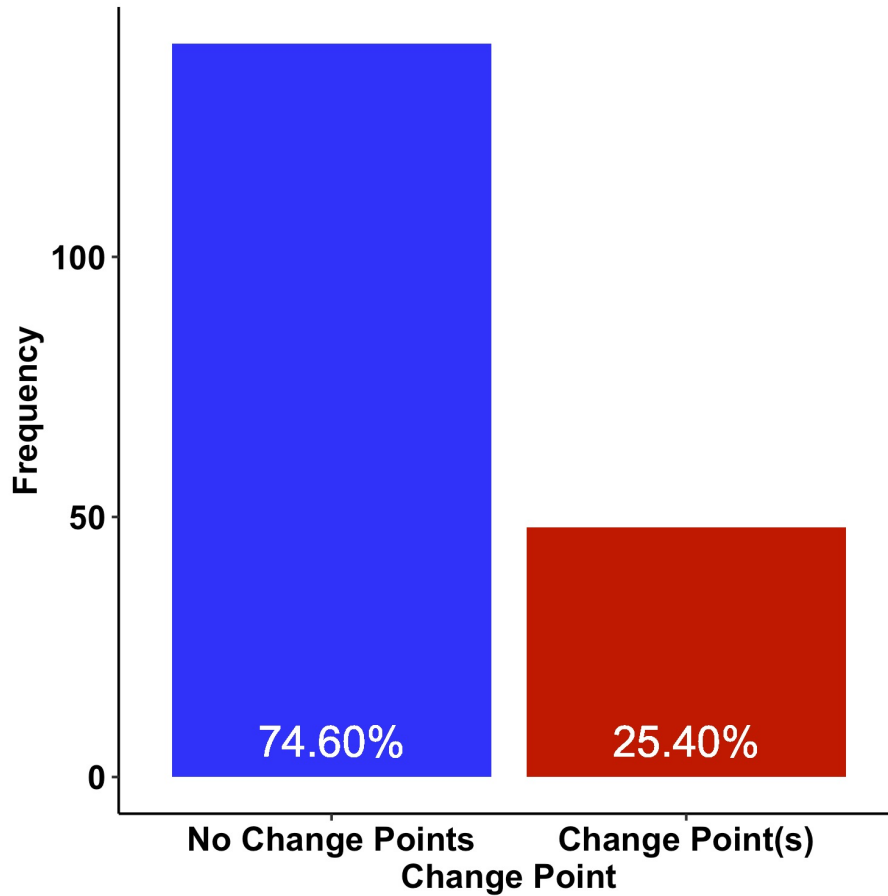
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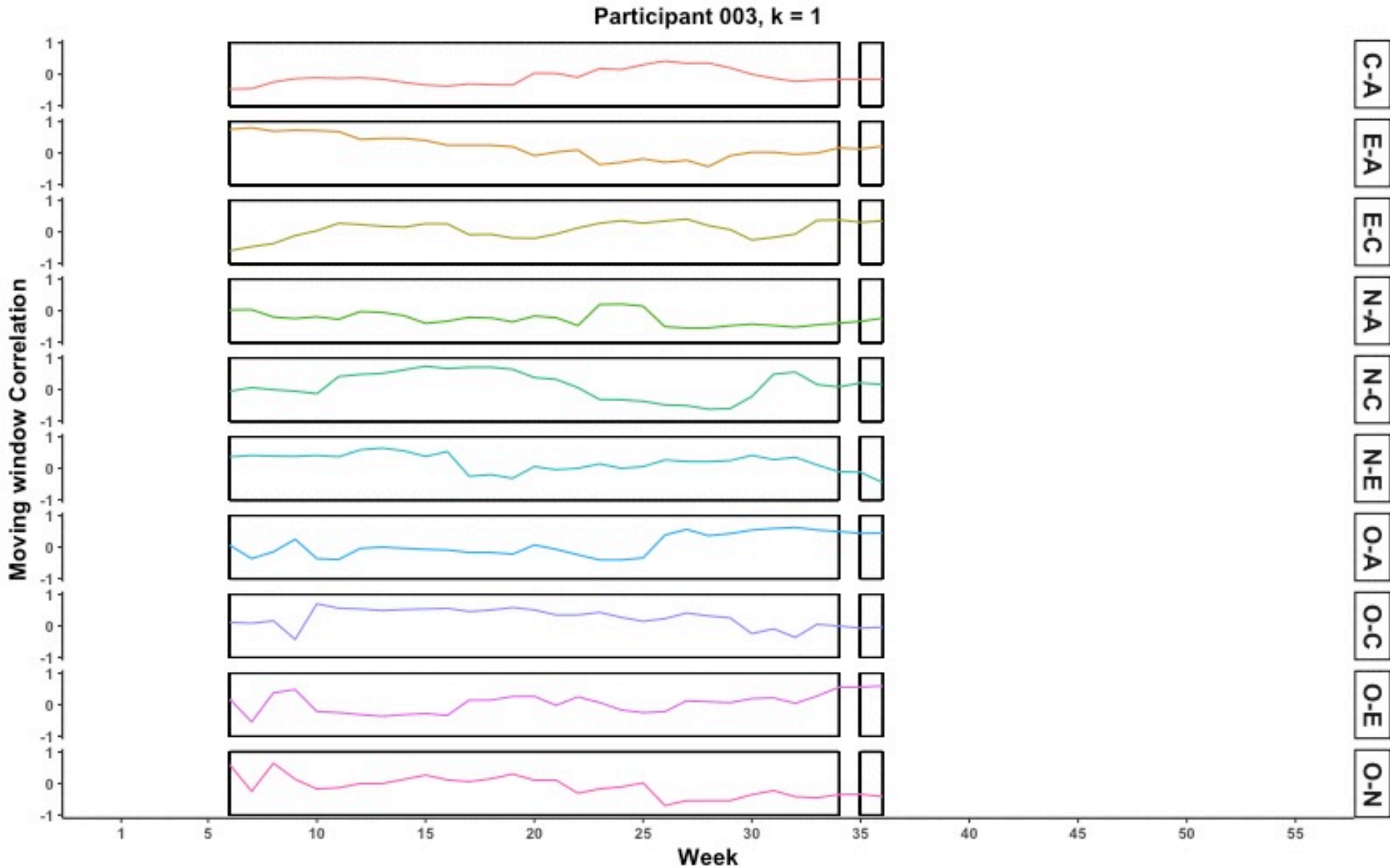
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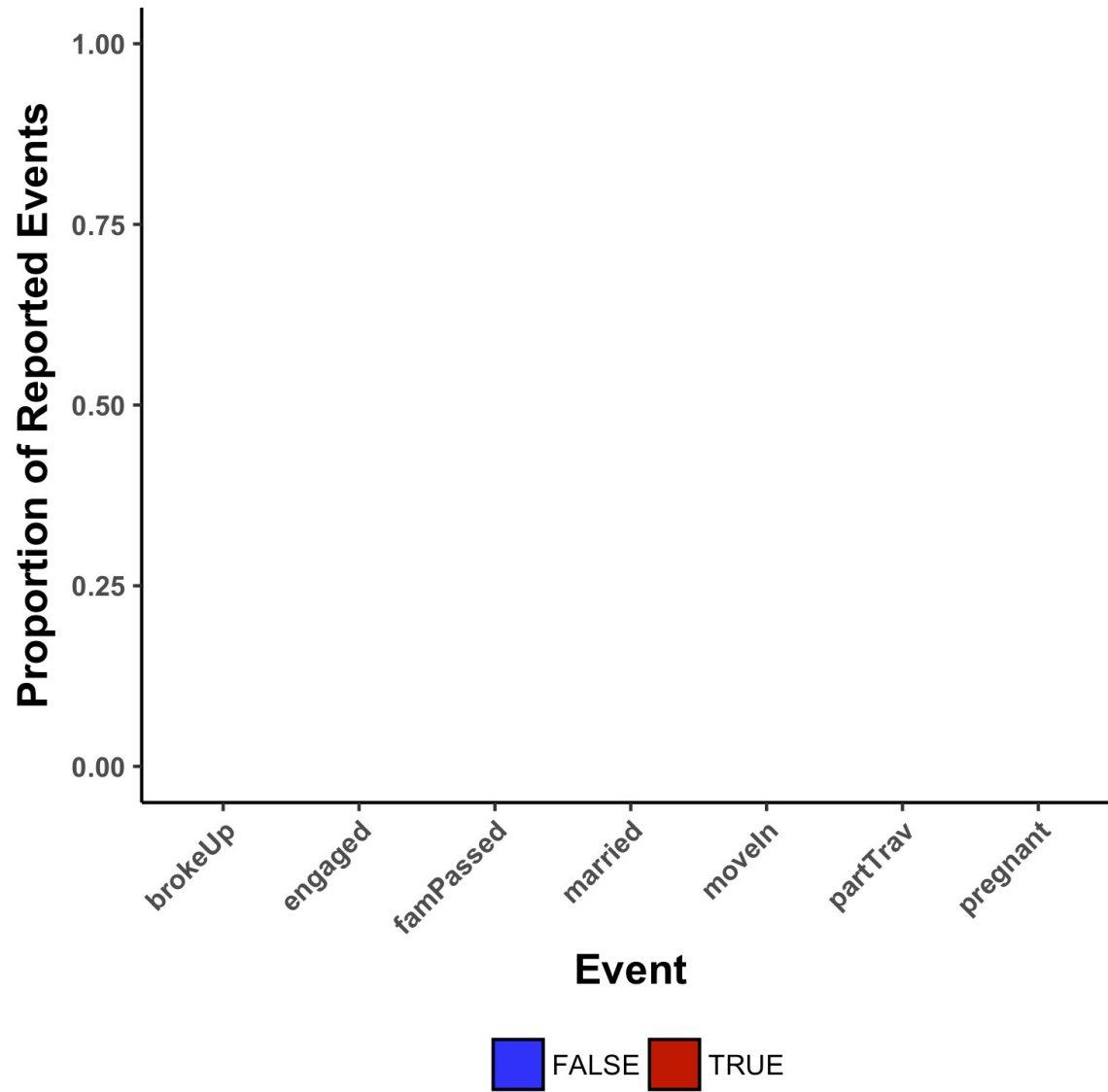
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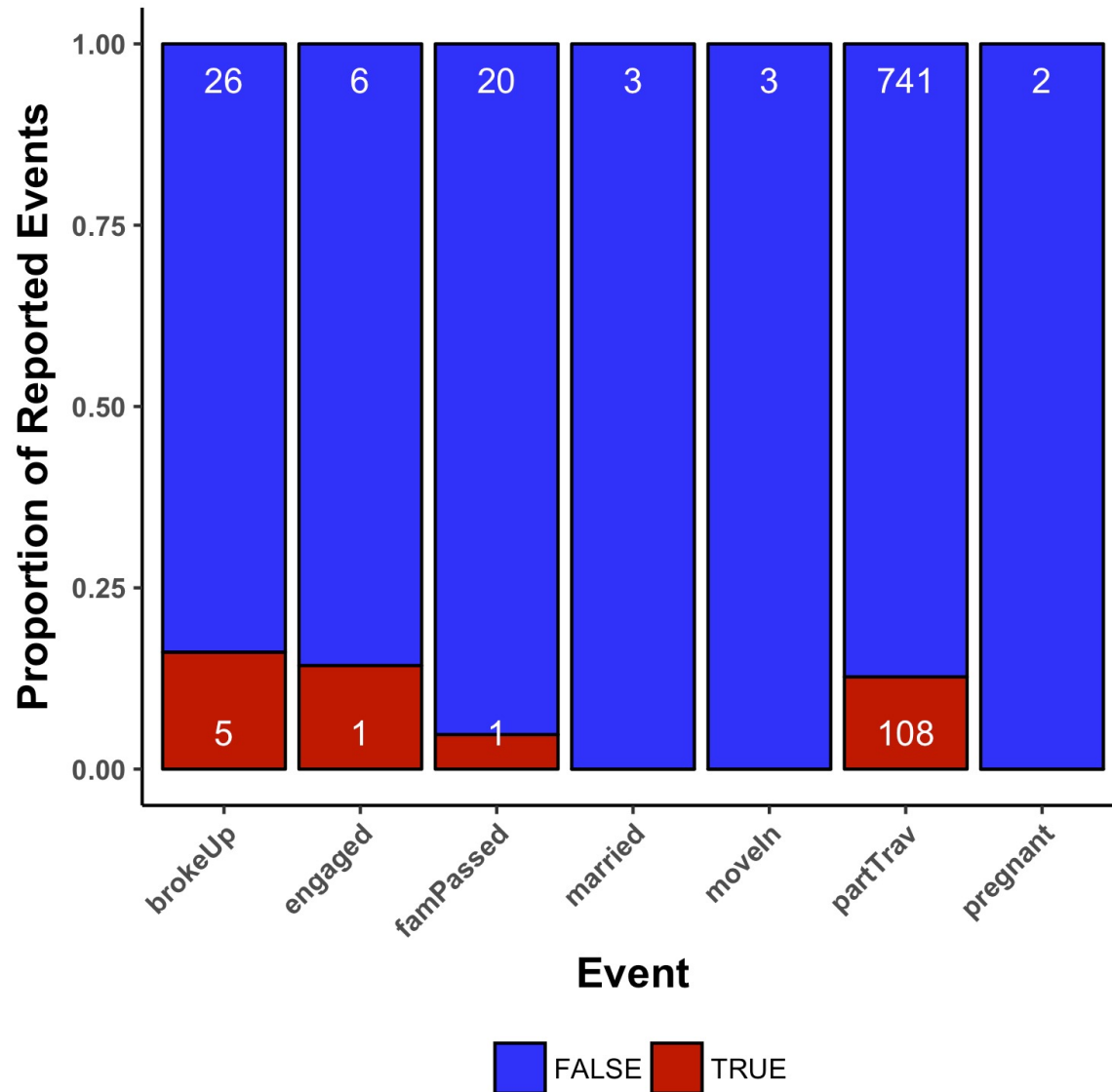
Did people show correlational changes?



Did changes map onto events?



Did changes map onto events?



We can detect idiographic change?

We should be thinking about
personality at the level of person
and as a system

Happen at different time scale
Seem to be lasting at least in terms
of months

Do life events do
anything??????????????