

Kenar Yakalama

Edge detection

Kenar Maskeleri: Robert, Sobel

-1
1

-1	1
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a b

FIGURE 10.13
One-dimensional masks used to implement Eqs. (10.2-12) and (10.2-13).

Tek boyutlu
Çift boyutlu

z_1	z_2	z_3
z_4	z_5	z_6
z_7	z_8	z_9

-1	0	0	-1
0	1	1	0

-1	-2	-1	-1	0	1
0	0	0	-2	0	2
1	2	1	-1	0	1

a
b c
d e

FIGURE 3.41
A 3×3 region of an image (the z s are intensity values)
(b)-(c) Roberts cross gradient operators.
(d)-(e) Sobel operators. All the mask coefficients sum to zero, as expected of a derivative operator.

$$g_x = (z_9 - z_5) \quad \text{and} \quad g_y = (z_8 - z_4)$$

$$M(x, y) = [(z_9 - z_5)^2 + (z_8 - z_4)^2]^{1/2}$$

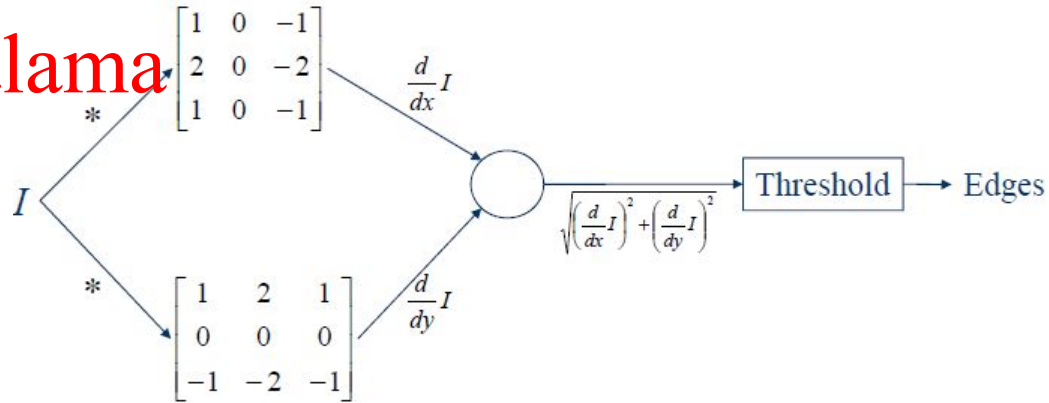
$$M(x, y) \approx |z_9 - z_5| + |z_8 - z_4|$$

$$g_x = \frac{\partial f}{\partial x} = (z_7 + 2z_8 + z_9) - (z_1 + 2z_2 + z_3)$$

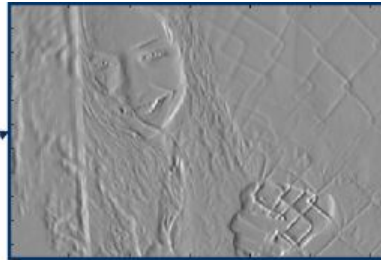
$$g_y = \frac{\partial f}{\partial y} = (z_3 + 2z_6 + z_9) - (z_1 + 2z_4 + z_7)$$

$$M(x, y) \approx |(z_7 + 2z_8 + z_9) - (z_1 + 2z_2 + z_3)| + |(z_3 + 2z_6 + z_9) - (z_1 + 2z_4 + z_7)|$$

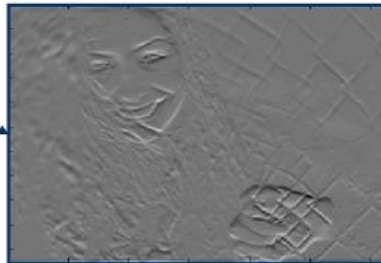
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$\frac{d}{dx}I$



$\frac{d}{dy}I$



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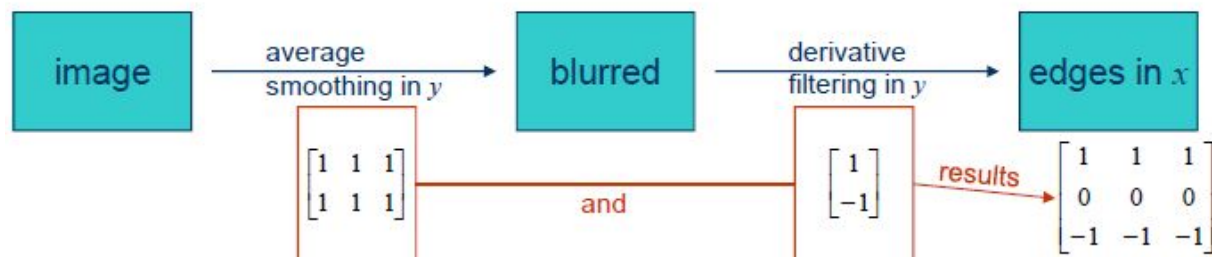
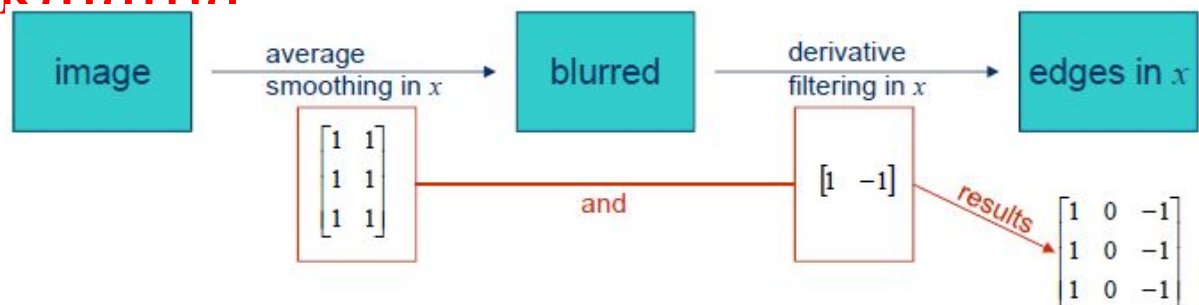
$$\Delta = \sqrt{\left(\frac{d}{dx}I\right)^2 + \left(\frac{d}{dy}I\right)^2}$$



$$\Delta \geq Threshold = 100$$



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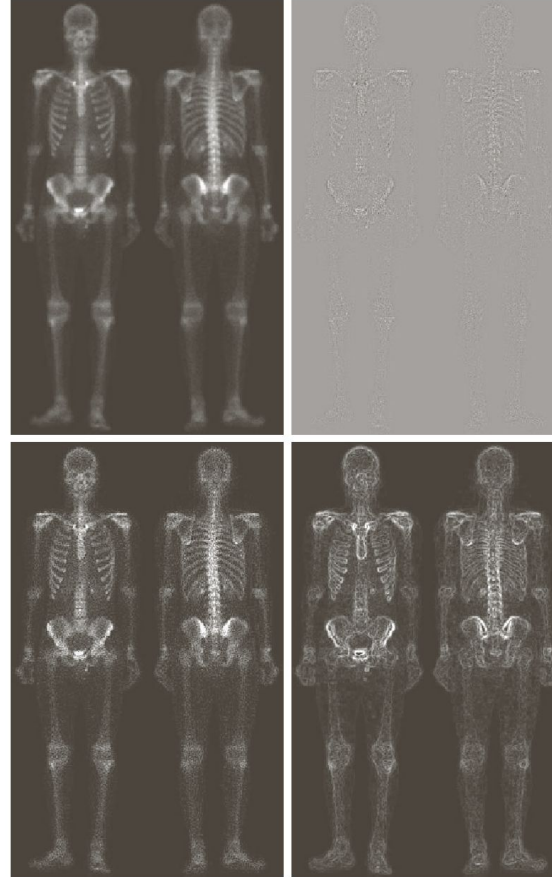


Kapsayıcı Bir Örnek

Bu uygulamada (a) daki kemikleri görünen, fakat yumuşak dokusu görülmeyen insanın bütün vücut silüetinin ortaya çıkarılmasını sağlayacağız.

Unutmayalım ki;

Birinci türev (gradyan) ana kenarların güçlenmesinde, ikinci türev (laplacian) ise ince (detay) kenarların ortaya çıkarılmasında kullanılmaktadır.



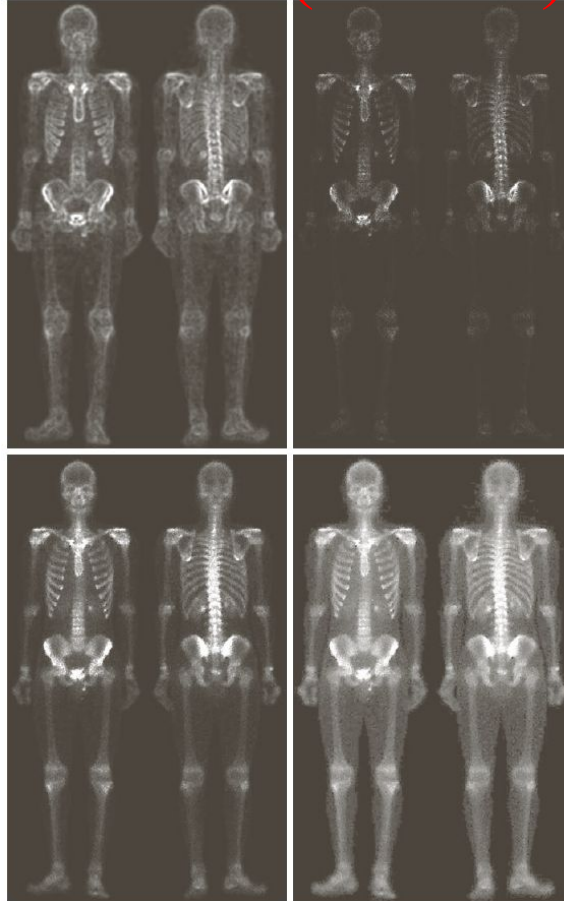
a b
c d

FIGURE 3.43

(a) Image of whole body bone scan.

(b) Laplacian of (a). (c) Sharpened image obtained by adding (a) and (b). (d) Sobel gradient of (a).

Kapsayıcı Bir Örnek (devam)



e f
g h

FIGURE 3.43

(Continued)

(e) Sobel image smoothed with a 5×5 averaging filter. (f) Mask image formed by the product of (c) and (e).

(g) Sharpened image obtained by the sum of (a) and (f). (h) Final result obtained by applying a power-law transformation to (g). Compare (g) and (h) with (a). (Original image courtesy of G.E. Medical Systems.)