### **HW-Topic-3**

Data Acquisition, Modeling and Analysis: Big Data Analytics

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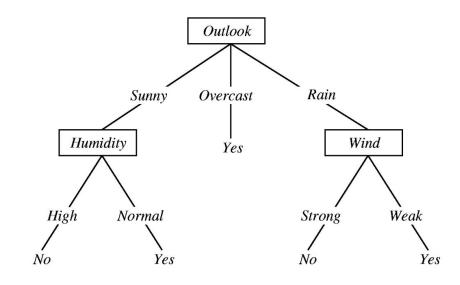
## DLT - Decision Tree Learning

#### WHAT IS IT?

- · A supervised machine learning algorithm used for classification and regression.
- Represents decisions as a tree structure.

#### **KEY CONCEPTS**

- Splitting: Dividing dataset based on feature values.
- Entropy: Measure of randomness or impurity.
- Information Gain: Reduction in entropy after a split.
- Pruning: Removing branches to reduce overfitting.



#### **TYPES**

- Classification Tree: Predicts discrete labels (e.g., Yes/No)
- Regression Tree: Predicts continuous values

Pros	Cons
<ul> <li>Easy to understand &amp; visualize</li> <li>Handles categorical &amp; numerical data</li> </ul>	<ul> <li>Prone to overfitting</li> <li>Sensitive to small changes in data</li> </ul>

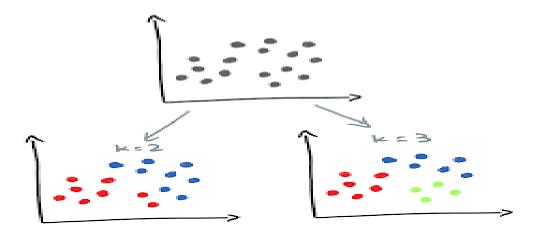
# KNN - K-Nearest Neighbours

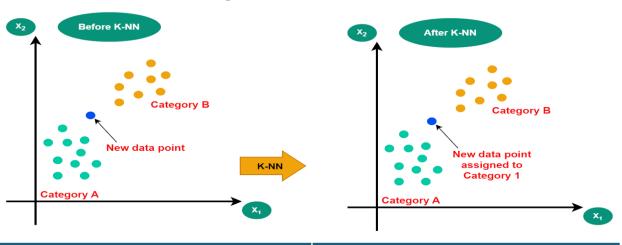
#### WHAT IS IT?

- A supervised machine learning algorithm used for classification and regression.
- Classifies a data point based on the majority class of its K nearest neighbors

#### **KEY CONCEPTS**

- K Value: Number of neighbors considered
- Distance Metrics: How similarity is measured
  - o Euclidean Distance
  - Manhattan Distance





Pros	Cons
<ul> <li>Simple and easy to understand</li> <li>Works well with small datasets</li> </ul>	<ul> <li>Computationally expensive for large datasets</li> <li>Poor performance on high-dimensional data</li> </ul>

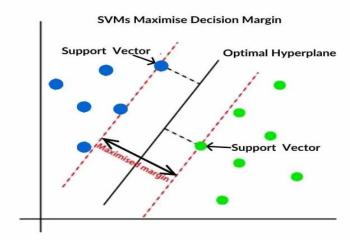
### **SVM – Support Vector Machine**

#### WHAT IS IT?

- A supervised machine learning algorithm used for classification and regression.
- Finds the best hyperplane that separates classes with the maximum margin.
- Works well for linear and non-linear data using kernel functions.

#### **KEY CONCEPTS**

- **Hyperplane:** Decision boundary separating classes
- Support Vectors: Data points closest to the hyperplane
- **Margin:** Distance between support vectors of different classes (maximizing this improves generalization)



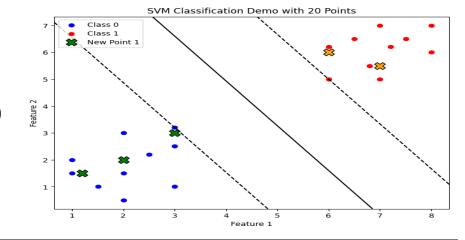
#### **TYPES**

- Linear SVM: Data is linearly separable
- Non-linear SVM: Uses kernels for complex datasets

Pros	Cons
<ul> <li>Effective in high- dimensional spaces</li> <li>Works well for linearly and non-linearly separable data</li> </ul>	<ul> <li>Computationally expensive for very large datasets</li> <li>Choosing the right kernel can be tricky</li> </ul>

```
import numpy as np
import matplotlib.pyplot as plt
from sklearn import svm
X = np.array([
    [1,2], [2,3], [3,1], [2,1.5], [3,2.5],
    [1.5,1], [2.5,2.2], [3,3.2], [2,0.5], [1,1.5],
    [6,5], [7,7], [8,6], [7,5], [6.5,6.5],
    [8,7], [7.2,6.2], [6.8,5.5], [7.5,6.5], [6,6.2]
# declaring labels for points
y = np.array([0]*10 + [1]*10) # 0 = Class A, 1 = Class B
model = svm.SVC(kernel='linear')
model.fit(X, y)
# New points to classify
new points = np.array([
    [2,2], [3,3], [6,6], [7,5.5], [1.2,1.5]
predictions = model.predict(new points)
for point, label in zip(new points, predictions):
   print(f"Point {point} is classified as Class {label}")
# Plot
plt.figure(figsize=(8,6))
# Plot original points
plt.scatter(X[:10,0], X[:10,1], color='blue', label='Class
plt.scatter(X[10:,0], X[10:,1], color='red', label='Class
```

### SVM Code Demo (python)



```
# Plot new points with classification
for i, point in enumerate (new points):
    plt.scatter(point[0], point[1], color='green' if predictions[i]==0 else 'orange',
                edgecolors='k', s=150, marker='X', label=f'New Point {i+1}' if i==0 else
ax = plt.gca()
xlim = ax.get xlim()
ylim = ax.get ylim()
xx = np.linspace(xlim[0], xlim[1], 50)
yy = np.linspace(ylim[0], ylim[1], 50)
YY, XX = np.meshgrid(yy, xx)
Z = model.decision function(np.c [XX.ravel(), YY.ravel()]).reshape(XX.shape)
ax.contour(XX, YY, Z, levels=[0], colors='k')
ax.contour(XX, YY, Z, levels=[-1,1], colors='k', linestyles='--') # margins
plt.xlabel("Feature 1")
plt.ylabel("Feature 2")
plt.title("SVM Classification Demo with 20 Points")
plt.legend()
plt.show()
```