

## MATLAB QUICK REFERENCE CARD

Frequently used MATLAB commands – Version v0.4 May 2015

### Getting help

All MATLAB functions have online documentation.

**help command** Help on command

**helpwin**..... invokes windowed help utility

**doc command**. Detailed documentation on command (opens in help browser).

### Commands and Functions

#### Workspace

**who**..... lists variables in memory

**whos**..... lists variable names, sizes, and types in memory

**format**..... invoke output style ..

**sets** the default format how MATLAB displays numbers.

**short** 5 digit fixed point

**long** 15 digit fixed point

**clear, clear v**  
clears workspace, variable *v*

**close all, close n**  
closes all figure windows, window *n*

**Clc**..... clears command window

**Diary**..... creates a copy of all commands and most results

**clock, date**. returns the time, date

**exit**..... terminates MATLAB

**quit**..... terminates MATLAB

#### File & Folder Operations

**cd**..... change direction

**copyfile**..... copy from *pathA* to *pathB*

**dir**..... output content of a folder

**exist**..... determines whether variable, function or folder exists

**open('workspace.mat'), load('workspace.mat')**  
opens file to command line, additionally load it into workspace window

**csvwrite()** .. write to CSV format in current folder

### Variable Information

**length(a)** ... the length of the vector *x*. For matrices length returns the number of rows or columns, whichever is larger.

**[x,y]=size(a)**  
the number of rows (*x*) and columns (*y*) of the matrix *a*

**size(a,1)** ... the number of rows of *a*

**size(a,2)** ... the number of columns of *a*

**numel(a)**..... the number of elements in *a*

**nnz(a)**..... the number of non-zero elements in *a*

### Slicing and Extracting Data

#### Indexing vectors

**x(1)** 1st element

**x(n)** *n*th element

**x(end)** last element

**x(1:n)** first *n* elements

**x(end-n:end)** last *n* + 1 elements

**x([1 2 4])** specific elements (use any row or column vector as index)

**x(x>3)** all elements greater than 3

**x(x>3 & x<5)** all elements between 3 and 5

**x(:)** transformed to column vector

### Data Selection and Manipulation

**x'**..... the complex conjugate transpose of *x*

**x.'**..... the non-conjugate transpose of *x*

**max(x)**..... the greatest element of *x*

**min(x)**..... the smallest element of *x*

**fliplr(x)** ... reverses the elements of *x* from left to right

**flipud(x)** ... reverses the elements of *x* from top to bottom

**[a,i]=max(x)** returns in addition the position *i* of the greatest element

**[a,i]=min(x)** returns in addition the position *i* of the smallest element

**sort(x)**

sorts the elements of *x* in ascending order

**sortrows(x)** . sorts the rows of *x* in ascending order as a group, according to the first column.

**sortrows(x,c)** as above, but sorted according to column *c*. If *c* is negative, the rows are sorted by descending order. If *c* is a vector, the rows are sorted first by column *c*(1), then by column *c*(2), etc.

**find(x)**..... returns the indices corresponding to the nonzero entries of *x*

**find(x==a)** .. returns the indices of the positions *j* such that  $x[j] == a[j]$

**unique(x)** ... returns the same values as in *a* but with no repetitions; the values will also be sorted.

**reshape(x,m,n)**

returns the  $m \times n$  matrix whose elements are taken columnwise from *x*.

### Math

#### Basic Math Functions

These are the standard mathematical functions; they always operate pointwise on their arguments.

**sum(x)**..... sum of the elements of *x*

**prod(x)**..... product of the elements of *x*

**diff(x)**..... difference (and sample-wise derivative) of the vector *x*

**cumsum(x)** ... cumulative sum of the elements of *x* (and sample-wise integral)

**cumprod(x)** .. same, for the product  
**mean(x)** ..... mean of the elements of  $x$   
**median(x)** ... median of the elements of  $x$   
**log(x, base)** computes the logarithm of  $x$  with base  $base$   
**real(x)** ..... real part of a complex number  
**imag(x)** ..... imaginary part of a complex number  
**abs(x)** ..... absolute value of  $x$ , or complex magnitude if  $x$  is a complex number  
**angle(x)** ..... angle in radians of the complex number  
**conj(x)** ..... the complex conjugate of  $x$   
 ⇒ other functions: **sin, cos, tan, asin, acos, atan, atan2, log, log10, exp, ..**

#### Basic Math Operations

+	addition
-	subtraction
*	multiplication
.*	array multiplication
/	division
./	array division
^	exponential
.^	array exponential

#### Special Characters

[]	forms matrices
()	used in statements to group operations
.	decimal point
,!	separates subscripts or matrix elements
;	separates rows in a matrix definition or suppresses output
:	indicates all rows or all columns
=	assignment operator (not equality)
%	indicates a comment

%%	cell divider
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Special Variables & Constants

Inf	Infinity; results e.g. when dividing a non-zero value by zero.
NaN	Not a number; results e.g. when computing 0/0.
ans	most recent temporary answer
eps	Spacing of floating point numbers. Use it to prevent unwanted behavior due to rounding errors.
⇒ default:	$2.2204e^{-16}$
exp(1)	The base of the natural logarithm.
flops	count of floating point operations
i	Imaginary unit $\sqrt{-1}$
j	same.
pi	the math pi (3.1415e)
realmin, realmax	smallest, largest real number MATLAB can represent
intmin, intmax	returns smallest, largest possible integer used in MATLAB

#### Relational and Logical Operators

<	less than
<=	less than or equal to
>	greater than
>=	greater than or equal to
==	equal to
~=	not equal to
&	and
!	or
~	not

#### Vectors & Matrices

##### Creating Vectors

<b>linspace(a,b,n)</b>	a row vector with $n$ values linearly spaced from $a$ to $b$ (inclusive)
<b>x=[1,2,4,..]</b>	define a row vector $x$
<b>x=[1 2 4 ..]</b>	same.
<b>x=[1; 2; 5; ..]</b>	define a column vector $x$
<b>a:c</b>	the range $a..c$ ; equivalent to $[a, a+1, ..., c-1, c]$
<b>a:b:c</b>	the range $a..c$ with step size $b$ ; equivalent to $[a, a+b, a+2*b, ..., c-b, c]$

#### Creating Matrices

<b>eye(n)</b> .....	the $n \times n$ identity matrix
<b>zeros(n)</b> .....	a $n \times n$ zero matrix
<b>zeros(m,n)</b> ..	a $m \times n$ zero matrix
<b>ones(n)</b> .....	a $n \times n$ all-one matrix
<b>ones(m,n)</b> ...	a $m \times n$ all-one matrix
<b>diag(x)</b> .....	creates a diagonal matrix whose diagonal consists of the entries of the vector $x$
<b>[X,Y]=meshgrid(x,y)</b>	transforms the domain specified by vectors $x$ and $y$ into matrices $X$ and $Y$ that can be used for the evaluation of functions of two variables.

#### Indexing matrices

<b>x(i,j)</b>	element at row $i$ , column $j$
<b>x(i,:)</b>	row $i$
<b>x(:,j)</b>	column $j$
<b>x(1:m,:)</b>	first $n$ rows
<b>x(:,1:n)</b>	first $n$ columns
<b>x(end,end)</b>	The last element in the last row
<b>x(:)</b>	transformed to column vector (column by column)

##### Matrix Computations

<b>a+b</b>	If $a$ and $b$ are $m \times n$ matrices, this is the standard matrix addition. If $a$ is a matrix and $b$ is a scalar, or vice-versa, the scalar is added to every entry of the matrix.
<b>a-b</b>	If $a$ and $b$ are $m \times n$ matrices, this is the standard matrix subtraction. If $a$ is a matrix and $b$ is a scalar, or vice-versa, the scalar is subtracted from every entry of the matrix.
<b>a*b</b>	If $a$ is an $k \times m$ matrix and $b$ is an $m \times n$ matrix, this is the standard matrix multiplication, i.e., yielding an $k \times n$ matrix. If $a$ is a matrix and $b$ is a scalar, or vice-versa, every element of the matrix is multiplied by the scalar.
<b>a.*b</b>	If $a$ and $b$ are $m \times n$ matrices, this is their pointwise multiplication. If either element is a scalar, this is the same as $a * b$ .
<b>a/b</b>	If $a$ and $b$ are matrices of appropriate dimensions, this is roughly $a * \text{inv}(b)$ . If $b$ is a scalar, this divides every entry of $a$ by $b$ .
<b>a./b</b>	If $a$ and $b$ are $m \times n$ matrices, this is their pointwise division. If $a$ is a scalar, then this divides $a$ by every entry of $b$ . If $b$ is a scalar, then this divides every entry of $a$ by $b$ .
<b>a\b</b>	If $a$ is an $n \times n$ matrix and $b$ is an $n \times 1$ column vector, or a matrix with several such columns, then $x = a \backslash b$ is the solution to the equation $a * x = b$ . If $a$ is a scalar, then this divides every entry of $b$ by $a$ .

<b>a.\b</b>	If $a$ and $b$ are $m \times n$ matrices, this is their left pointwise division. If $a$ is a scalar, then this divides every entry of $b$ by $a$ . If $b$ is a scalar, then this divides $b$ by every entry of $a$ .
<b>a' * b</b>	If $a$ and $b$ are $n \times 1$ column vectors, this is their inner product (or scalar product or dot product). (This is not another operator, just a combination of ' (conjugate transpose) and *).
<b>inv(a)</b>	The inverse of the $n \times n$ matrix $a$ .
<b>eig(a)</b>	is a vector containing the eigenvalues of the $n \times n$ matrix $a$ .
<b>[v,d]=eig(a)</b>	produces a diagonal matrix $d$ of eigenvalues and a full matrix $v$ whose columns are the corresponding eigenvectors such that $a*v = v * d$ .
<b>rank(a)</b>	is the rank, or number of linearly independent rows or columns of the matrix $a$ .

### Sparse Matrices

Using sparse matrices can result in a significant computational gain if you work with large matrices that have relatively few non-zero entries.

<b>sparse(x)</b>	... converts a sparse or full matrix to sparse
<b>sparse(m,n)</b>	... creates an $m \times n$ all-zero sparse matrix
<b>speye(n)</b>	... creates an $n \times n$ sparse identity matrix
<b>spones(x)</b>	... creates a matrix with the same sparsity structure as $x$ , but with ones in the nonzero positions.

### Signal Processing

<b>c=conv(a,b)</b>	Convolution; e.g., $c(1) = a(1) * b(1)$
<b>c=xcorr(a,b)</b>	Cross-correlation estimates.
<b>fft(x)</b>	Fast Fourier Transform of the vector $x$
<b>ifft(x)</b>	Inverse Fast Fourier Transform

<b>fftshift(x)</b>	swaps the left and right halves of $x$ to shift the zerofrequency component to the center of the spectrum.
<b>filter(b,a,x)</b>	filters the data in vector $x$ with the filter described by vectors $a$ and $b$ .
<b>[b,a]=butter(n,Wn)</b>	designs an $n$ th order lowpass digital Butterworth filter and returns the filter coefficients in the vectors $b$ (numerator) and $a$ (denominator). The cutoff frequency must be $0.0 < Wn < 1.0$ , with 1.0 corresponding to half the sample rate.
<b>downsample(x,n)</b>	downsamples the signal $x$ by keeping every $n$ th sample starting with the first.
<b>upsample(x,n)</b>	upsamples the signal $x$ by inserting $n-1$ zeros between input samples.
<b>resample(x,p,q)</b>	resamples the signal $x$ at $p/q$ times the original sample rate.

### Communication Toolbox

<b>randint(m,n)</b>	generates an $m \times n$ matrix of random binary numbers.
<b>randint(m,n,p)</b>	generates an $m \times n$ matrix of random integers between 0 and $p-1$ .
<b>pskmod,pskdemod</b>	phase shift keying modulation, demodulation
<b>qammod,qamdemod</b>	quadrature amplitude modulation, demodulation
<b>rcosine</b>	designs a raised or root raised cosine filter
<b>rcosflt</b>	filters a signal using raised or root raised cosine filter
<b>awgn</b>	add white Gaussian noise to a signal
<b>biterr</b>	computes the bit error rate

`symerr` ..... computes the symbol error rate

## Plotting

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`plot(x)` ..... plot of the values of  $x$  (on the y-axis) versus  $0 : \text{length}(x) - 1$

`plot(x,y)` ... bivariate plot of  $x$  (on the x-axis) and  $y$  (on the y-axis)

`plot(x,y,...)` . allows you to specify formatting options (cf. `help plot`)

`hist(x)` ..... histogram of the frequencies of  $x$

`stem(..)` ..... is the same as `plot(..)`, but the data sequence is plotted as discrete "stems" from the x-axis with circles for the data values.

`semilogy(..)` . is the same as `plot(..)`, except a logarithmic (base 10) scale is used for the y-axis.

`scatterplot(x)`  
generates a scatter plot of  $x$ .  $x$  can be a real or complex vector, or a two-column matrix with real signal in the first column and imaginary signal in the second column.

## Figures

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`h=figure` ..... creates a new figure and returns its handle.

`figure(h)` ... makes  $h$  the current figure, forces it to become visible, and raises it above all other figures on the screen.

`figure('name', '..')`  
creates a new figure window with the specified window title

`subplot(m,n,k)`  
divides the current figure window into  $m \times n$  subfigures and selects the  $k$ th for the current plot.

`xlabel('..')` . sets the text for the x-axis. *xlabel*, as well as *ylabel*, title etc. accept basic LaTeX -like strings such as  $a^2$  for  $a^2$  or  $\alpha$  for  $\alpha$ .

`ylabel('..')` . sets the text for the y-axis.

`title('..')` .. sets a title for the current plot.

`print -depsc2 fig.eps`  
saves the current figure into the file *fig.eps*.

## Input and Output

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`input('prompt', fmt)`  
shows prompt for user input

⇒ assigns 'string' to variable  $x$  (quotation marks matters): `x=input('foo bar:')`

⇒ option 's' interprets all input as character string, eg. `numbers.: x=input('foo bar: ', s)`

`disp(x)` ..... displays the contents of variable  $x$

`fprintf(fmt, vars, ..)`  
Like the C function *printf*

`isnumeric()`, `ischar()`  
tests whether content of  $x$  is numeric or a character textstring (boolean logic).

`sprintf(fmt, vars, ..)`  
Like *printf*, but returns the string instead of printing it to the screen.

`error('..')` .. displays an error message and halts execution. The message can also be a formatting string as for *fprintf*, followed by the corresponding variables, e.g. `error('Warning \%d\n', val)`.

`warning('..')` Like `error`, but execution of the function/script is continued.

`waitbar` ..... displays progress information.

`load foo` ..... loads the variables saved in the file *foo.mat* into the current workspace.

`load('foo')` . returns the variables saved in the file *foo.mat* as a structure;

⇒ `a = load('foo')`: if *foo.mat* contains variables  $x$  and  $y$ , and you load the file like this, then  $x$  and  $y$  will be accessible as *a.x* and *a.y*.

`save foo a b` or `save('foo', 'a', 'b')`  
saves the variables  $a, b$ , etc. in the file *foo.mat*.

## String Conversions

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`func2str` Constructs a function name string from a function handle

`str2func` Constructs a function handle from a function name string

`int2str` Integer to string conversion

`mat2str` Convert a matrix into a string

`num2str` Number to string conversion

`sprintf` Write formatted data to a string

`sscanf` Read string under format control

`str2double` Convert string to double-precision value

`str2mat` String to matrix conversion

`str2num` String to number conversion

`bin2dec` Binary to decimal number conversion

`dec2bin` Nonnegative integer decimal to binary number conversion

`dec2hex` Decimal to hexadecimal number conversion

`hex2dec` Hexadecimal to decimal number conversion

`hex2num` Hexadecimal to double number conversion

## Conditional Statements

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```

if expression
  statements
elseif expression
  statements
else expression
  statements
end

switch switch_expression
  statements
case case_expression
  statements
case case_expression
  statements
otherwise
  statements
end

for k = vectorOrColumnList
  statements
end

while logicalExpression
  statements
end

```