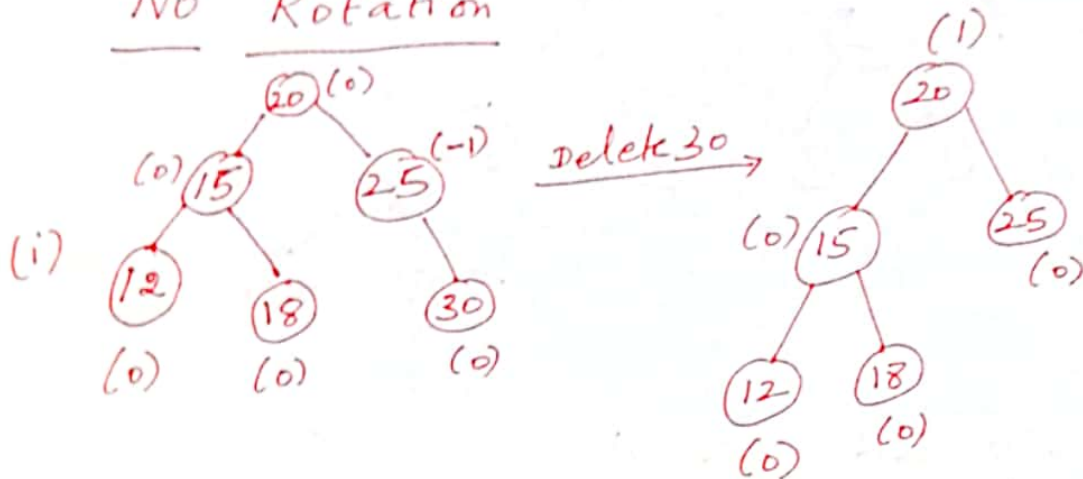
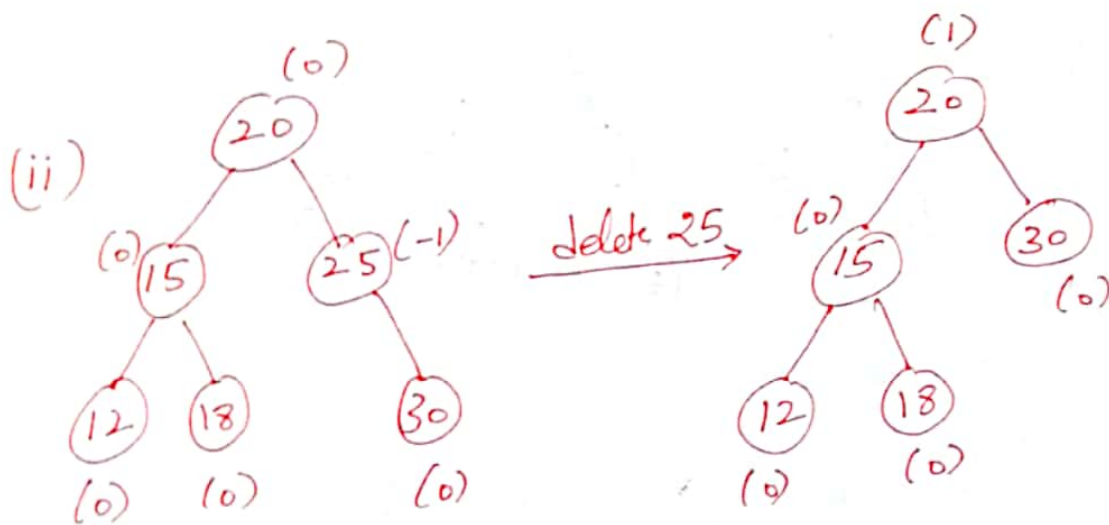


AVL TREE DELETION

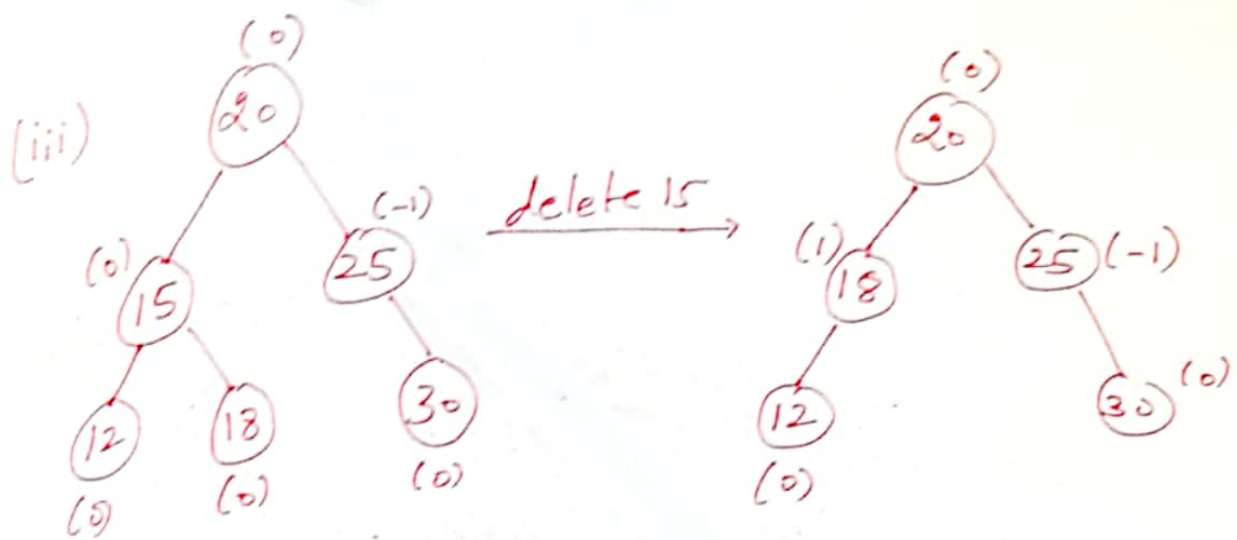
No Rotation



Balanced. Hence no rotation.

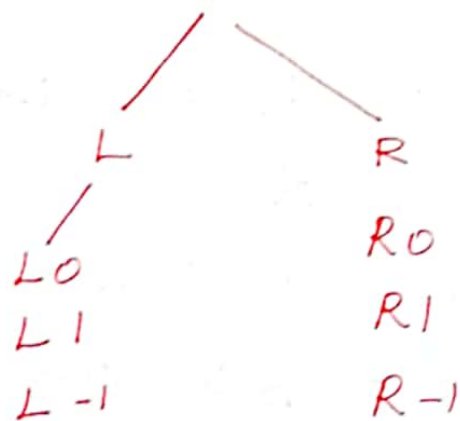


Balanced. Hence no rotation



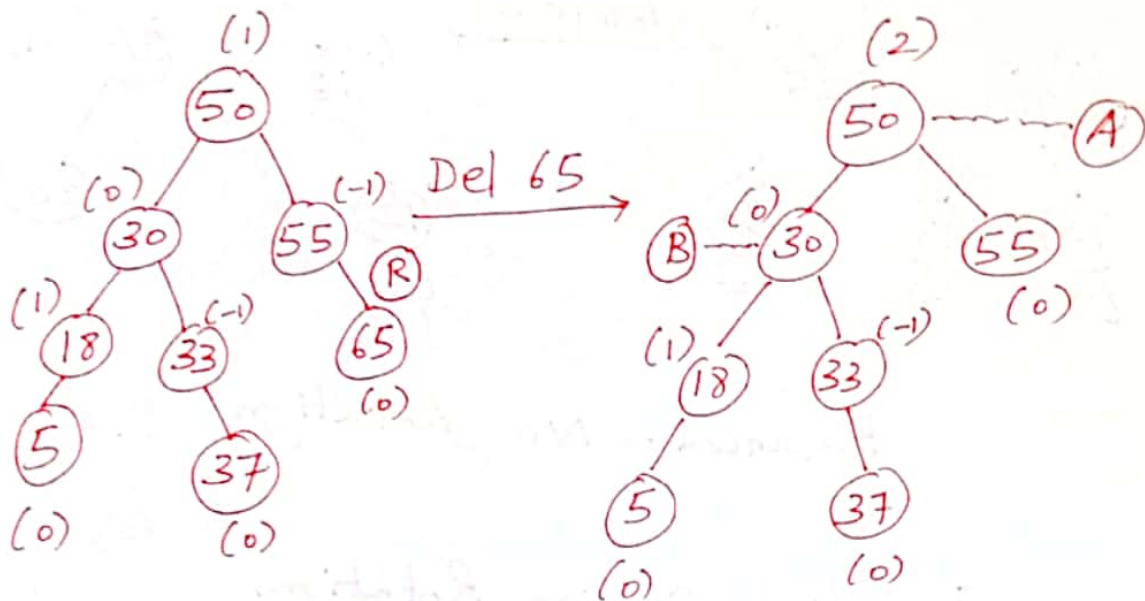
Balanced. No Rotation

Deletion Calling Rotations



R0 Rotation

Example



Deletion is Right Child of Node 'A'.
~~Since~~ Hence 'R'.

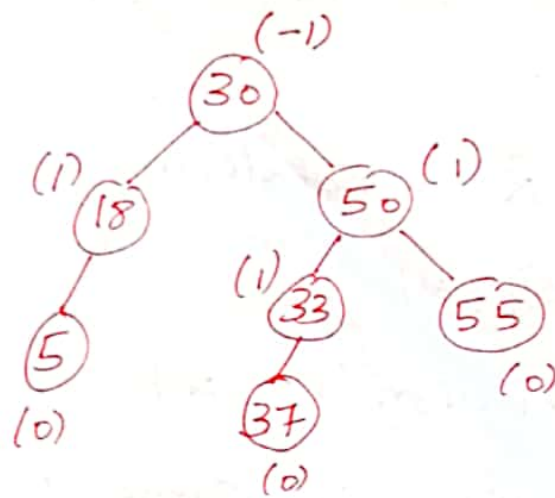
Left Subtree root of A is called 'B'.

\therefore Bf of B is 0.

Hence classification is R0.

R0 Rotation is LL over A
w.r.t. B.

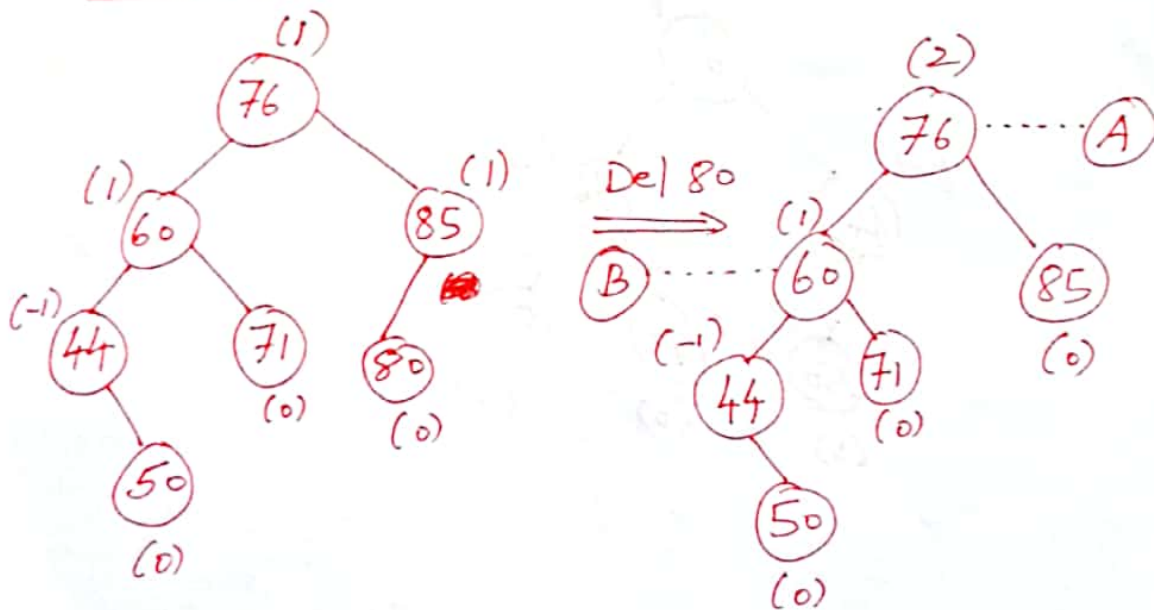
Doing R0



Balanced.

R1 Rotation

Example



Deletion is Right Child of Node A.

∴ R Rotation.

$$Bf(B) = 1.$$

∴ Rotation is R1

R1 Rotation is same as R0

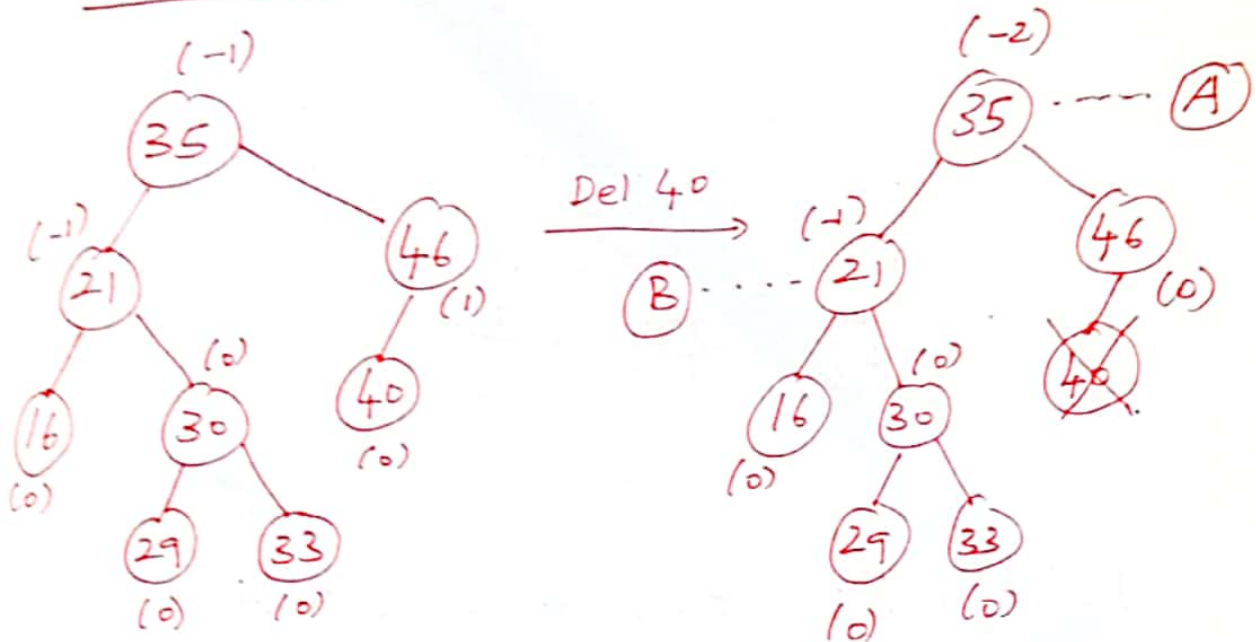
(ie) R1 is LL over A w.r.t. B.

Doing R1



R-1 Rotation

Example



Deletion is Right child of A.

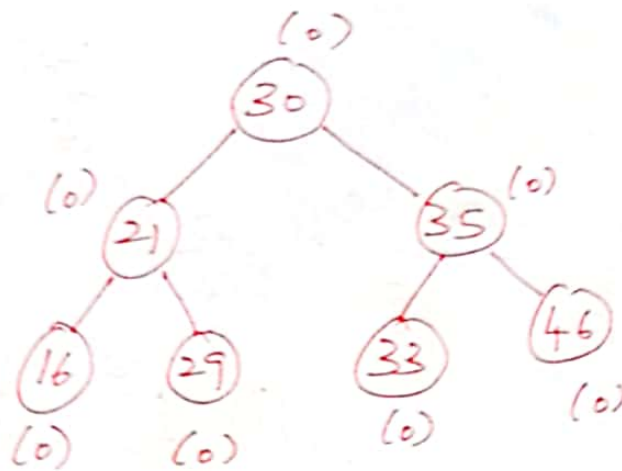
∴ R Rotation.

Bf (B) = -1

∴ R-1 Imbalance

Doing LR over A.

Doing R-1 Rotation

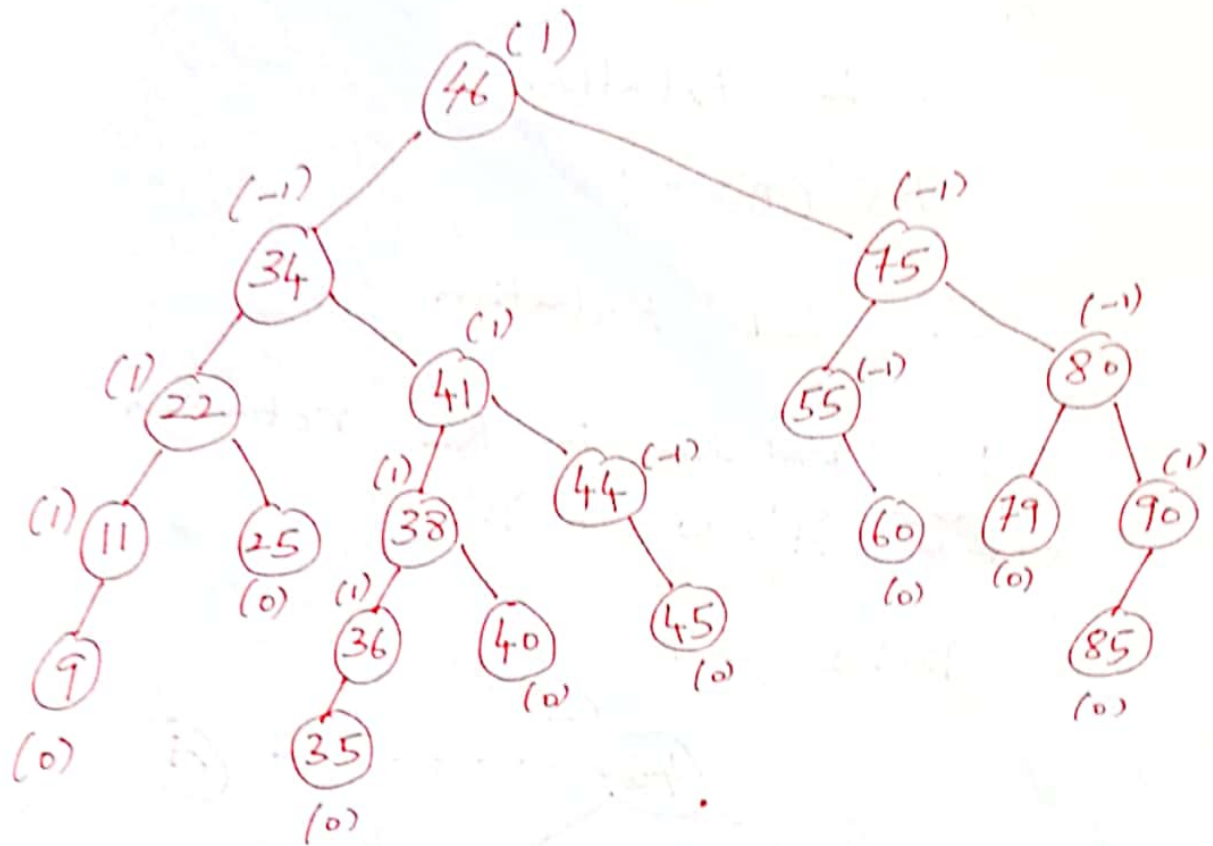


∴ R0, R1 - LL over A
R-1 - LR over A

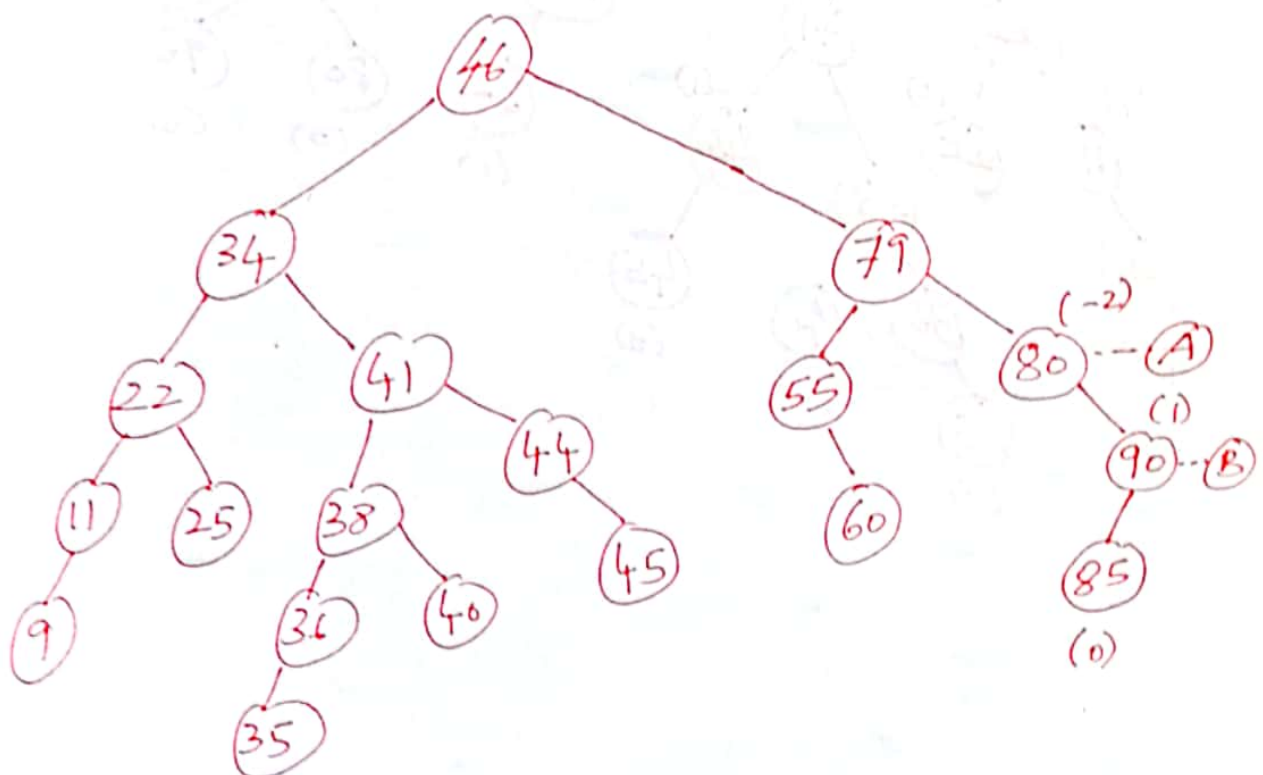
Similarly,

L0, L-1 - RR over A
L1 - RL over A

Delete 75.



Deleting 75



Deletion is done to Left of
A.

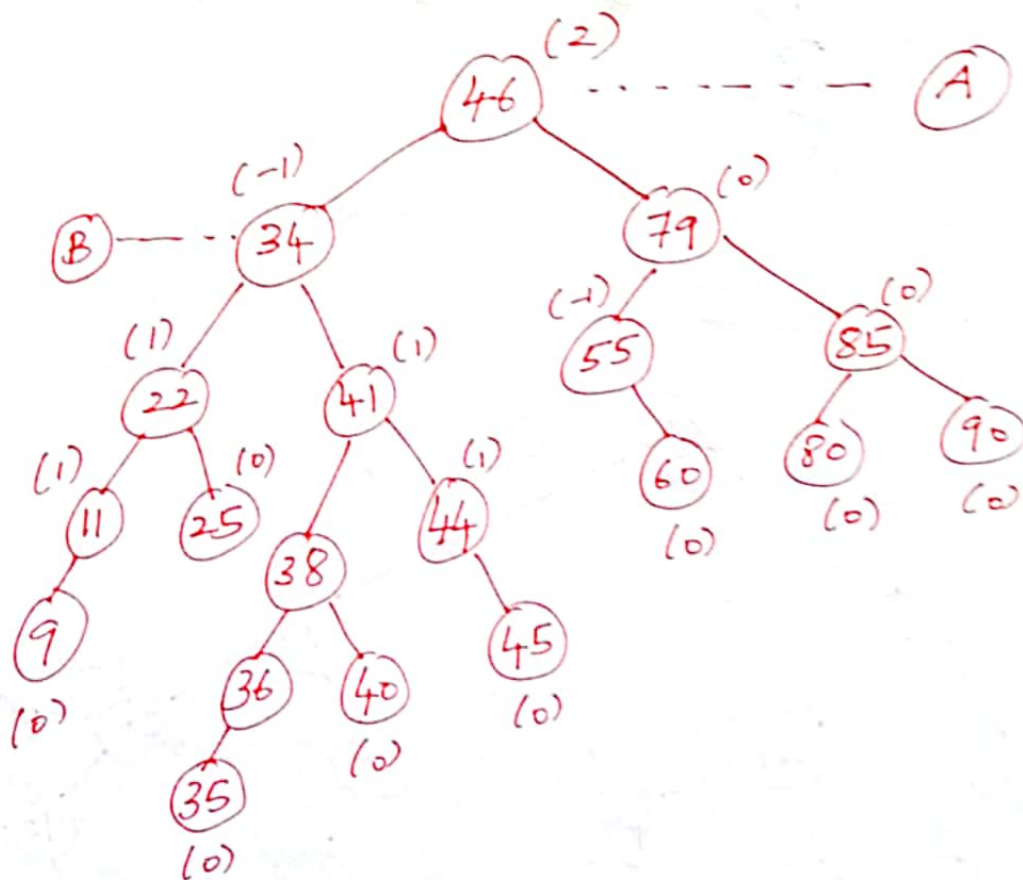
\therefore L Rotation.

$$Bf(B) = 1$$

\therefore L1 Rotation.

L1 Rotation is RL rotation
over 'A'. w.r.t. 'B'.

Doing L1



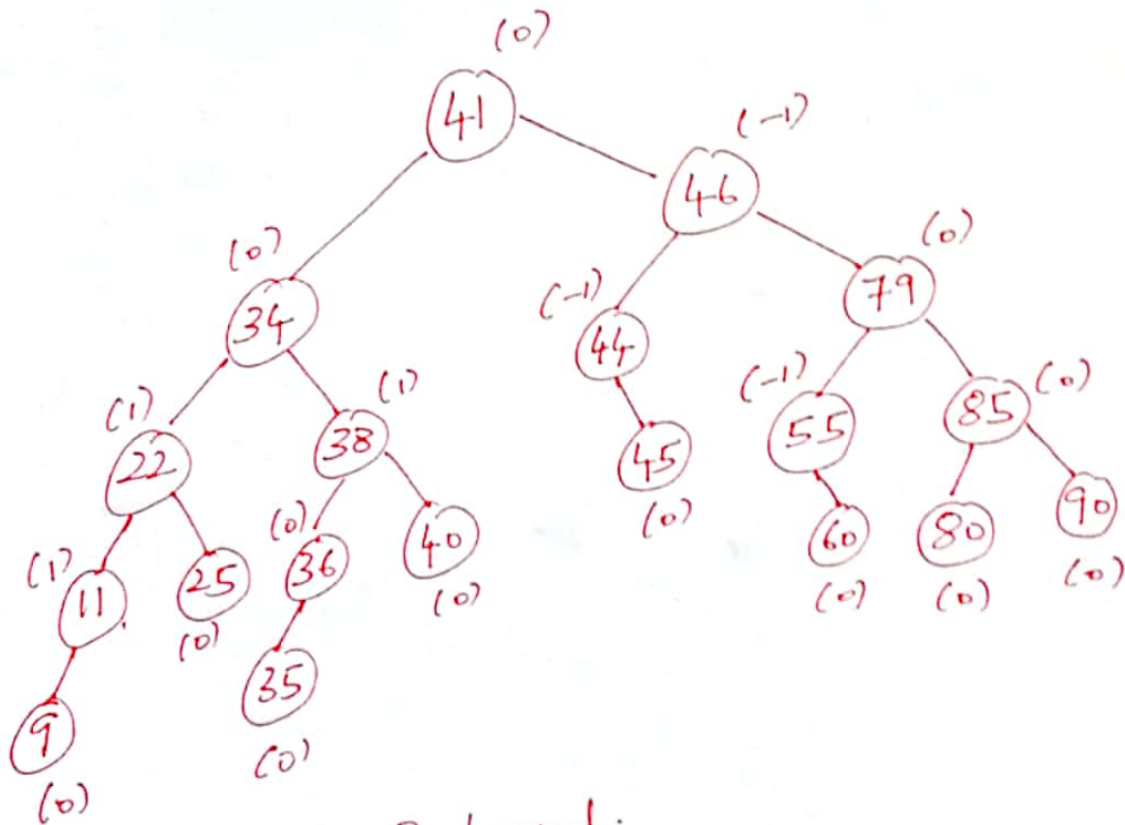
Deletion is done to Right of
A.

\therefore R Rotation

$$Bf(B) = -1$$

\therefore R-1 Rotation.

R-1 Rotation is LR over A
w.r.t. B.



Balanced.