Programming Languages and Compiler Design

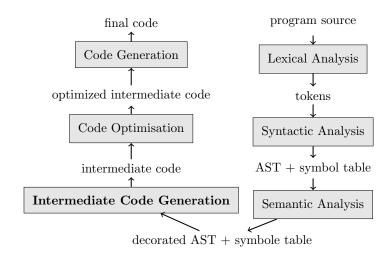
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Intermediate Code Generation

Where are we in the compiler steps?



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Intermediate Code Generation

We are interested in the **While** programming language with an abstract grammar that describes abstract syntax trees.

We consider the following problem:

Intermediate-Code Generation Problem

"Given an abstract syntax tree, how to generate 3-address code?"

About 3-address code

- ▶ General-purpose intermediate representation of programs.
- Many analysis can be performed on it.
- Easy to translate to assembly code.

Abstract Syntax

Syntactic Categories

Metavariables	Categories	Comments
а	AExp	arithmetical expressions
b	BExp	Boolean expressions
S	Inst	statements

Statements

$$S o name := a \mid \text{skip} \mid S; S \mid \text{If } b \text{ then } S \text{ else } S \ \mid \text{while } b \text{ do } S \text{ od} \ name o x \mid tab[i] \mid tab[i,j]$$

Arithmetical expressions

$$a \rightarrow n \mid x \mid a + a \mid tab[i] \mid tab[i,j]$$

Boolean expressions

$$b \rightarrow \text{True} \mid \text{False} \mid \neg b \mid b \wedge b \mid a = a \mid a < a$$

3-address code

We first define the *syntax* of 3-address code.

We use the following functions:

- ▶ Let Name be the space of names that can either:
 - appear in the program, or
 - ▶ are created by function $newTemp : \rightarrow Name$.
- ► Let N be the set of natural numbers. There is a partial function

$$\mathtt{val}: \mathbf{Aexp} \to (\mathtt{Name} \cup \mathsf{I\!N}).$$

Let Label be the set of labels. They are created by function newLabel: → Label

Meta-variables: $x \in Name$ and $y, z \in (Name \cup IN)$, $I \in \mathcal{L}abel$.

Syntactic Categories and Grammar

Syntactic categories

Metavariables	Categories	Comments
С	Code	3-address code
op	$Op = \{+, -, *\}$	
oprel	$egin{array}{ll} Op=\{+,-,*\} \\ Oprel=\{<,>,=,\leq,\geq\} \end{array}$	

Grammar

$$\begin{array}{ll} C & \rightarrow & \texttt{x} := \texttt{y} \text{ op } \texttt{z} \mid \texttt{x} := \texttt{y} \\ & \mid \texttt{if} \texttt{ y} \text{ oprel } \texttt{x} \text{ goto } \texttt{I} \mid \texttt{goto } \texttt{I} \\ & \mid \texttt{x} := \texttt{y}[\texttt{z}] \\ & \mid \texttt{y}[\texttt{z}] := \texttt{x} \end{array}$$

Principles of Code Generation

Our objective is to define 3-address code:

Code Generation Functions

```
\begin{array}{lll} {\sf GCodeAExp} & : & {\sf AExp} \to {\sf Code}^* \times ({\tt Name} \cup {\tt I\!N}) \\ {\sf GCodeBExp} & : & {\sf BExp} \times \mathcal{L}{\sf abel} \times \mathcal{L}{\sf abel} \to {\sf Code}^* \\ {\sf GCodeStm} & : & {\sf Inst} \to {\sf Code}^* \end{array}
```

where:

- ► Code* is the set of 3-address code sequences,
- ▶ the sequence delimiter is ||.

Code Generation for Arithmetical Expressions

We consider:

- ▶ 1-dimensional arrays with N elements ranging from 0 to N-1, and
- ightharpoonup 2-dimensional arrays with $N \times M$ elements, where
 - N is the number of lines,
 - M is the number of columns.

The size of an element is T.

Access to an element

Consider a 2-dimensional array:

if the array is sorted by columns:

$$Tab[i,j]$$
 is at $N*T*j+i*T$

if the array is sorted by lines:

$$Tab[i,j]$$
 is at $M*T*i+j*T$

Code Generation for Arithmetical Expressions

GCodeAExp(x)	=		(ε, x)
GCodeAExp(n)	=		(ε,n)
GCodeAExp(tab[i])	=	Let	
			t1=newTemp, $t2=$ newTemp
		in	$(t_1 := T*i \parallel$
			$t_2 := tab[t_1], t_2)$
<pre>GCodeAExp(tab[i,j])</pre>	=	Let	
			t1=newTemp(), t2=newTemp()
			t3=newTemp(), t4=newTemp()
			t5 = newTemp()
		in	$(t_1 := T*i \parallel$
			$t_2 := N \! imes T \ $
			$t_3 := t_2 \! imes j \parallel$
			$t_4 := t_1 {+} t_3 \parallel$
			$t_5 := tab[t_4], t_5)$
$GCodeAExp(a_1 + a_2)$	=	Let	$(C_1,t_1)=$ GCodeAExp (a_1) ,
			$(C_2, t_2) = GCodeAExp(a_2),$
			$t=\mathtt{newTemp}$
		in	$(C_1 C_2 t := t_1 + t_2, t)$

Code Generation for Boolean Expressions

$GCodeBExp(a_1 < a_2, Itrue, Ifalse)$	=	Let	$(C_1,t_1)=GCodeAExp(a_1),$
			$(C_2,t_2)=GCodeAExp(a_2),$
		in	$C_1 \ C_2 \ $
			$ \text{if } t_1 < t_2$
			goto Itrue \parallel
			goto Ifalse
GCodeBExp($b_1 \wedge b_2$, Itrue, Ifalse)	=	Let	l=newLabel()
		in	$GCodeBExp(b_1, I, Ifalse)$
			I:
			$GCodeBExp(b_2, Itrue, Ifalse)$
GCodeBExp(¬ b, ltrue, lfalse)	=		GCodeBExp(b, Ifalse, Itrue)

Code Generation for Statements

Assignment and sequential composition

To each node of the abstract syntax tree, we associate code.

GCodeStm (x := a)	=	Let	(C,t)=GCodeAExp(a)
		in	$C \parallel x := t$
GCodeStm(tab[i] := a)	=	Let	t1=newTemp,
			(C,t)=GCodeAExp(a)
		in	$(t_1 := T*i \parallel$
			$C \parallel tab[t_1] := t)$
GCodeStm (S ₁ ; S ₂)	=	Let	$C_1 = \mathtt{GCodeStm}(S_1),$
			$C_2 = \mathtt{GCodeStm}(S_2)$
		in	$C_1 \parallel C_2$

Code Generation for Statements

Iterative statement

Code Generation for Statements

Conditional statement

Summary - Intermediate-Code Generation

Intermediate-Code Generation

- ▶ From While to 3-address code.
- ▶ 3-address code = general-purpose representation of code:
 - easy to generate,
 - suitable for optimization,
 - easy to generate to assembly code.
- ► Ready for optimization!