# League of Legends Early Game Analysis & Prediction with ML Classifiers

League of Legends is a famous online game where 10 players are divided into 2 teams(Blue and Red), each consisting of 5 players. Generally, 5 players assume different roles, one of which is "Jungler"(JG). Game objective is to destroy the opponent"s Nexus to claim victory. Throughout the game, players need to gain an advantage by killing enemy players and contesting to access various resources.

This dataset contains the first 10 min of the game and players have roughly the same level in high ELO games(DIAMOND I to MASTER).

Dataset: <a href="https://www.kaggle.com/datasets/bobbyscience/league-of-legends-diamond-ranked-games-10-min/data">https://www.kaggle.com/datasets/bobbyscience/league-of-legends-diamond-ranked-games-10-min/data</a>)

**XThe analyzed content is simply based on my preferences!:P** 

# **Import Libraries**

```
In [43]: import pandas as pd
import numpy as np
import matplotlib.pyplot as plt
import seaborn as sns
from scipy.stats import ttest_ind
from sklearn.model_selection import train_test_split, cross_validate
from sklearn.preprocessing import MinMaxScaler
from sklearn.metrics import accuracy_score, confusion_matrix, classification_report, plot_roc_cur
from sklearn.linear_model import LogisticRegression
from sklearn import tree
from sklearn.ensemble import RandomForestClassifier
from sklearn.svm import SVC
import warnings
warnings.filterwarnings("ignore")
```

# **Importing Data and Preprocessing**

#### Importing and Overviewing Data

```
In [44]: data= pd.read_csv("LOLstats.csv")
    data.head()
```

#### Out[44]:

	gameld	blueWins	blueWardsPlaced	blueWardsDestroyed	blueFirstBlood	blueKills	blueDeaths	blueAssists	blue
(	4519157822	0	28	2	1	9	6	11	
•	4523371949	0	12	1	0	5	5	5	
2	4521474530	0	15	0	0	7	11	4	
;	4524384067	0	43	1	0	4	5	5	
4	4436033771	0	75	4	0	6	6	6	

5 rows × 40 columns

<class 'pandas.core.frame.DataFrame'> RangeIndex: 9879 entries, 0 to 9878

‡ 	Column	Non-Null Count	Dtype
 3	gameId	9879 non-null	int64
1	blueWins	9879 non-null	int64
2	blueWardsPlaced	9879 non-null	int64
3	blueWardsDestroyed	9879 non-null	int64
4	blueFirstBlood	9879 non-null	int64
5	blueKills	9879 non-null	int64
5	blueDeaths	9879 non-null	int64
7	blueAssists	9879 non-null	int64
3	blueEliteMonsters	9879 non-null	int64
9	blueDragons	9879 non-null	int64
10	blueHeralds	9879 non-null	int64
11	blueTowersDestroyed	9879 non-null	int64
12	blueTotalGold	9879 non-null	int64
13	blueAvgLevel	9879 non-null	float
14	blueTotalExperience	9879 non-null	int64
15	blueTotalMinionsKilled	9879 non-null	int64
16	blueTotalJungleMinionsKilled	9879 non-null	int64
17	blueGoldDiff	9879 non-null	int64
18	blueExperienceDiff	9879 non-null	int64
19	blueCSPerMin	9879 non-null	float
20	blueGoldPerMin	9879 non-null	float
21	redWardsPlaced	9879 non-null	int64
22	redWardsDestroyed	9879 non-null	int64
23	redFirstBlood	9879 non-null	int64
24	redKills	9879 non-null	int64
25	redDeaths	9879 non-null	int64
26	redAssists	9879 non-null	int64
27	redEliteMonsters	9879 non-null	int64
28	redDragons	9879 non-null	int64
29	redHeralds	9879 non-null	int64
30	redTowersDestroyed	9879 non-null	int64
31	redTotalGold	9879 non-null	int64
32	redAvgLevel	9879 non-null	float
33	redTotalExperience	9879 non-null	int64
34	redTotalMinionsKilled	9879 non-null	int64
35	redTotalJungleMinionsKilled	9879 non-null	int64
36	redGoldDiff	9879 non-null	int64
37	redExperienceDiff	9879 non-null	int64
38	redCSPerMin	9879 non-null	float
39	redGoldPerMin	9879 non-null	float

dtypes: float64(6), int64(34)
memory usage: 3.0 MB

```
In [46]: data.isna().sum()
Out[46]: gameId
                                           0
         blueWins
                                           0
         blueWardsPlaced
                                           0
         blueWardsDestroyed
                                           0
                                           0
         blueFirstBlood
         blueKills
                                           0
         blueDeaths
                                           0
         blueAssists
                                           0
         blueEliteMonsters
                                           0
          blueDragons
                                           0
          blueHeralds
                                           0
          blueTowersDestroyed
                                           a
         blueTotalGold
                                           0
         blueAvgLevel
                                           0
         {\tt blueTotalExperience}
                                           0
          blueTotalMinionsKilled
                                           a
         blueTotalJungleMinionsKilled
                                           0
         blueGoldDiff
                                           a
         blueExperienceDiff
                                           0
         blueCSPerMin
                                           0
         blueGoldPerMin
                                           0
          redWardsPlaced
                                           0
          redWardsDestroyed
                                           0
         redFirstBlood
                                           0
         redKills
                                           0
         redDeaths
                                           0
         redAssists
                                           0
                                           0
         redEliteMonsters
         redDragons
                                           0
         redHeralds
                                           0
          redTowersDestroyed
                                           0
          redTotalGold
                                           0
          redAvgLevel
          redTotalExperience
          redTotalMinionsKilled
                                           a
          redTotalJungleMinionsKilled
                                           0
          redGoldDiff
                                           0
          redExperienceDiff
                                           a
          redCSPerMin
                                           0
          redGoldPerMin
                                           0
         dtype: int64
In [47]: print("Duplicates : ", len(data[data.duplicated()]))
```

There is no N/A or duplicated value.

dtype='object')

Duplicates: 0

#### **Removing Unnecessary Data and Renaming Columns**

#### **Data Distribution**

```
In [49]: data.describe()
```

Out[49]:

	BWins	BWardsPlaced	BWardsDestroyed	BFirstBlood	BKills	BDeaths	BAssists	<b>BDragons</b>
count	9879.000000	9879.000000	9879.000000	9879.000000	9879.000000	9879.000000	9879.000000	9879.000000
mean	0.499038	22.288288	2.824881	0.504808	6.183925	6.137666	6.645106	0.361980
std	0.500024	18.019177	2.174998	0.500002	3.011028	2.933818	4.064520	0.480597
min	0.000000	5.000000	0.000000	0.000000	0.000000	0.000000	0.000000	0.000000
25%	0.000000	14.000000	1.000000	0.000000	4.000000	4.000000	4.000000	0.000000
50%	0.000000	16.000000	3.000000	1.000000	6.000000	6.000000	6.000000	0.000000
75%	1.000000	20.000000	4.000000	1.000000	8.000000	8.000000	9.000000	1.000000
max	1.000000	250.000000	27.000000	1.000000	22.000000	22.000000	29.000000	1.000000

8 rows × 31 columns

**Removing Outliers** 

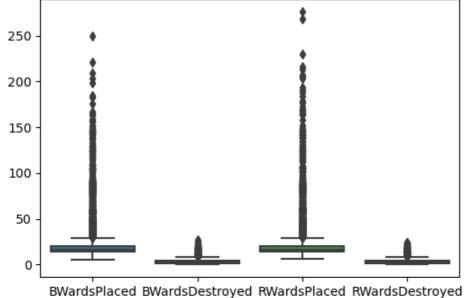
From the describe() function, we can observe that the total num of wards placed on both sides appears to be significantly higher than expected.

We assume that all players purchase the initial ward item (each ward has a 2-min CD). If each player places a ward at around 1 min into the game, the maximum num of wards a team can place in 10 mins is approx. 20. Assuming all players are proactive in ward placement, the maximum num of wards placed by a team in 10 mins should not exceed 30."

```
In [50]: Outliers_Col= ["BWardsPlaced", "BWardsDestroyed", "RWardsPlaced", "RWardsDestroyed"]

plt.figure(figsize=(6,4))
ax= sns.boxplot(data= data[Outliers_Col])
ax.set(title="Boxplot of Wards Placed and Destroyed")
plt.show()
```



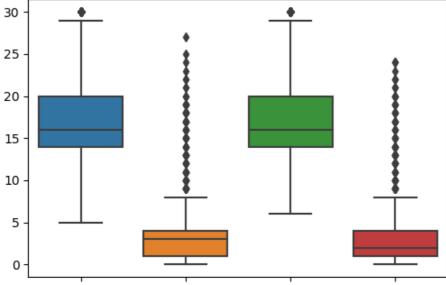


Data does have some non-logical outliers

```
In [52]: lower_l = 0
    upper_l = 30
    #Use np.clip to reset outlier to upperlimit
    for col in Outliers_Col:
        data[col]= np.clip(data[col], lower_l, upper_l)

plt.figure(figsize= (6,4))
    ax= sns.boxplot(data= data[Outliers_Col])
    ax.set(title= "Boxplot of Wards Placed and Destroyed")
    plt.show()
```

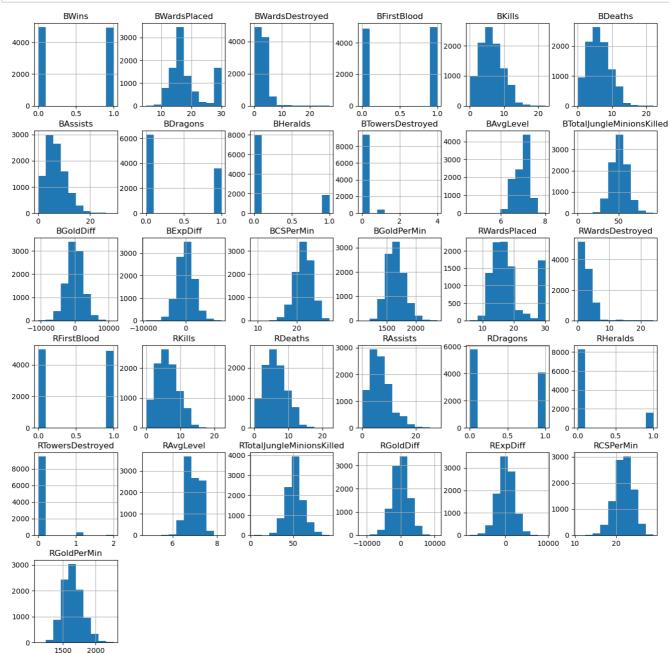
# Boxplot of Wards Placed and Destroyed



# **Exploratory Data Analysis**

# **Visualizing Data Distributions**

In [53]: data.hist(figsize= (16,16))
plt.show()



# **Correlation Among Various Columns**

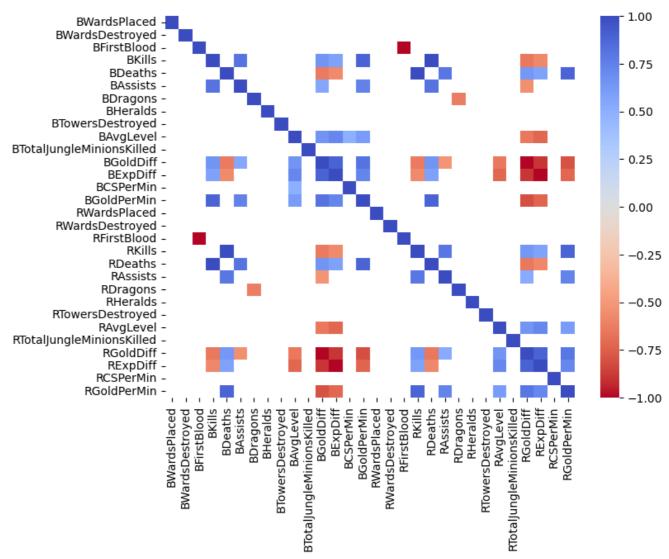
In [54]: data.drop("BWins",axis= 1, inplace= False).corr()

Out[54]:

	BWardsPlaced	BWardsDestroyed	BFirstBlood	BKills	BDeaths	BAssists	BDragons	ВН
BWardsPlaced	1.000000	0.080709	0.015953	0.032652	-0.042695	0.066087	0.026716	0.0
BWardsDestroyed	0.080709	1.000000	0.017717	0.033748	-0.073182	0.067793	0.040504	0.0
BFirstBlood	0.015953	0.017717	1.000000	0.269425	-0.247929	0.229485	0.134309	0.0
BKills	0.032652	0.033748	0.269425	1.000000	0.004044	0.813667	0.170436	0.0
BDeaths	-0.042695	-0.073182	-0.247929	0.004044	1.000000	-0.026372	-0.188852	-0.(
BAssists	0.066087	0.067793	0.229485	0.813667	-0.026372	1.000000	0.170873	0.0
BDragons	0.026716	0.040504	0.134309	0.170436	-0.188852	0.170873	1.000000	0.0
BHeralds	0.018975	0.016940	0.077509	0.076195	-0.095527	0.028434	0.020381	1.0
BTowersDestroyed	-0.003873	-0.009150	0.083316	0.180314	-0.071441	0.123663	0.039750	0.2
BAvgLevel	0.060934	0.060294	0.177617	0.434867	-0.414755	0.292661	0.160683	0.′
BTotalJungleMinionsKilled	0.025711	-0.023452	0.018190	-0.112506	-0.228102	-0.134023	0.159595	0.′
BGoldDiff	0.047861	0.078585	0.378511	0.654148	-0.640000	0.549761	0.233875	0.'
BExpDiff	0.068422	0.077946	0.240665	0.583730	-0.577613	0.437002	0.211496	0.'
BCSPerMin	-0.018427	0.111028	0.125642	-0.030880	-0.468560	-0.062035	0.086686	0.0
BGoldPerMin	0.037676	0.060054	0.312058	0.888751	-0.162572	0.748352	0.186413	0.
RWardsPlaced	-0.012547	0.265523	-0.030261	-0.078182	0.015353	-0.058399	-0.031033	0.0
RWardsDestroyed	0.251259	0.123919	-0.043304	-0.092278	0.038672	-0.064501	-0.023049	0.0
RFirstBlood	-0.015953	-0.017717	-1.000000	-0.269425	0.247929	-0.229485	-0.134309	-0.0
RKills	-0.042695	-0.073182	-0.247929	0.004044	1.000000	-0.026372	-0.188852	-0.0
RDeaths	0.032652	0.033748	0.269425	1.000000	0.004044	0.813667	0.170436	0.0
RAssists	-0.031501	-0.046212	-0.201140	-0.020344	0.804023	-0.007481	-0.162406	-0.0
RDragons	-0.036875	-0.034439	-0.135327	-0.207949	0.150746	-0.189563	-0.631930	0.0
RHeralds	-0.014977	-0.012712	-0.060246	-0.104423	0.076639	-0.058074	-0.016827	-0.2
RTowersDestroyed	-0.024194	-0.023943	-0.069584	-0.082491	0.156780	-0.060880	-0.032865	-0.0
RAvgLevel	-0.043241	-0.059090	-0.182602	-0.412219	0.433383	-0.356928	-0.149806	-0.0
RTotalJungleMinionsKilled	-0.016562	-0.035732	-0.024559	-0.214454	-0.100271	-0.160915	-0.098446	-0.0
RGoldDiff	-0.047861	-0.078585	-0.378511	-0.654148	0.640000	-0.549761	-0.233875	-0.
RExpDiff	-0.068422	-0.077946	-0.240665	-0.583730	0.577613	-0.437002	-0.211496	-0.
RCSPerMin	0.003263	0.040023	-0.156711	-0.472203	-0.040521	-0.337515	-0.059803	-0.0
RGoldPerMin	-0.039955	-0.067467	-0.301479	-0.161127	0.885728	-0.133948	-0.192871	-0.
30 rows × 30 columns								
1								

Here we only show the high(>0.5) and low(<-0.5) corr graph.

```
In [55]: plt.figure(figsize= (8, 6))
    corr= data.drop("BWins", axis= 1).corr()
    filtered_corr= corr[(corr> 0.5) | (corr< -0.5)]
    sns.heatmap(filtered_corr, cmap= "coolwarm_r")
    plt.show()</pre>
```

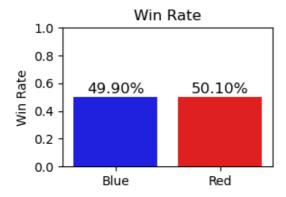


### Win Rate

```
In [56]: #Win Rate of 2 sides
B_wins_count= data["BWins"].sum()
R_wins_count= len(data)- B_wins_count
B_WR= (B_wins_count / len(data))
R_WR= 1 - B_WR
print(B_WR,R_WR)
```

 $0.4990383642069035 \ 0.5009616357930965 \\$ 

```
In [57]: plt.figure(figsize=(3,2))
barplot = sns.barplot(x= ["Blue", "Red"], y=[B_WR, R_WR], palette=["Blue", "Red"])
for index, value in enumerate([B_WR, R_WR]):
    barplot.text(index, value + 0.01, f"{value:.2%}", ha="center", va="bottom", fontsize=12)
plt.title("Win Rate")
plt.ylabel("Win Rate")
plt.ylim(0,1)
plt.show()
```



#### Win Rate with First Blood

```
In [58]: B_FB_Wins= len(data[(data["BFirstBlood"]== 1) & (data["BWins"]== 1)])
B_FB= len(data[data["BFirstBlood"]== 1])
B_WR_FB= B_FB_Wins/ B_FB

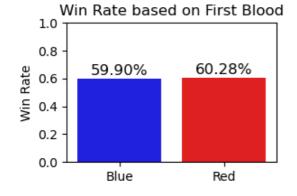
R_FB_Wins= len(data[(data["RFirstBlood"]== 1) & (data["BWins"]== 0)])

R_FB= len(data[data["RFirstBlood"]== 1])
R_WR_FB= R_FB_Wins/ R_FB

print(f"Blue Teams' Win Rate If Secure First Blood: {B_WR_FB:.2%}")
print(f"Red Teams' Win Rate If Secure First Blood: {R_WR_FB:.2%}")
```

Blue Teams' Win Rate If Secure First Blood: 59.90% Red Teams' Win Rate If Secure First Blood: 60.28%

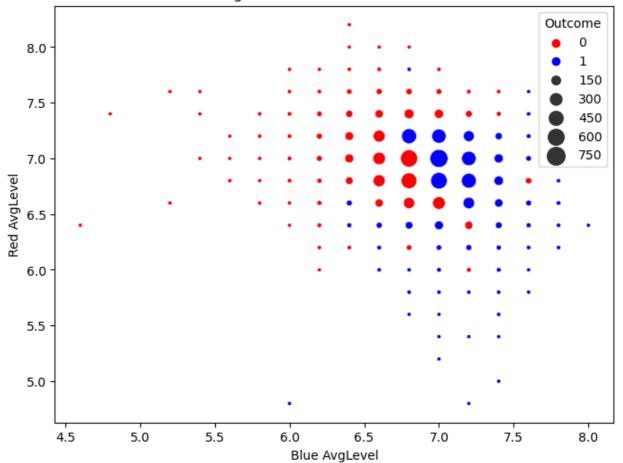
```
In [59]: plt.figure(figsize=(3,2))
    barplot = sns.barplot(x= ["Blue", "Red"], y=[B_WR_FB, R_WR_FB], palette=["Blue", "Red"])
    for index, value in enumerate([B_WR_FB, R_WR_FB]):
        barplot.text(index, value + 0.01, f"{value:.2%}", ha="center", va="bottom", fontsize=12)
    plt.title("Win Rate based on First Blood")
    plt.ylabel("Win Rate")
    plt.ylim(0,1)
    plt.show()
```



If secures the FirstBlood in the first 10 min of the game, the Win Rate is approx.10% higher than the original Win Rate.

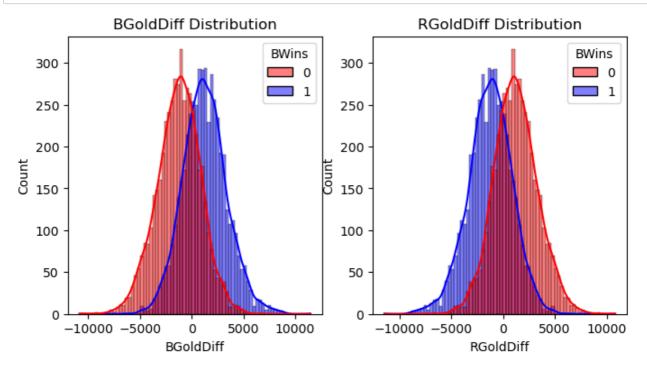
# **Average Level**





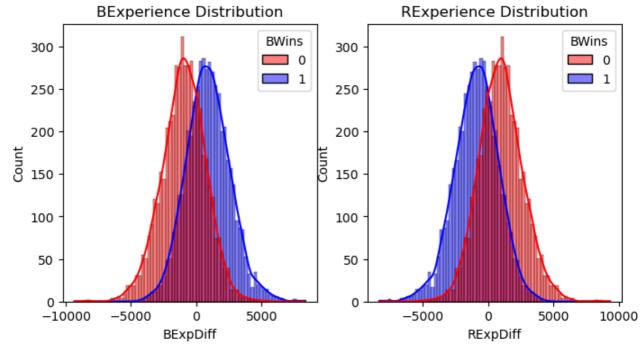
#### **Gold Difference**

```
In [65]: fig, axes= plt.subplots(1,2 , figsize=(8, 4))
    sns.histplot(x= data["BGoldDiff"],kde= True, hue= data["BWins"],palette= lol_P, ax= axes[0])
    axes[0].set_title("BGoldDiff Distribution")
    sns.histplot(x= data["RGoldDiff"],kde= True, hue= data["BWins"],palette= lol_P )
    axes[1].set_title("RGoldDiff Distribution")
    plt.show()
```



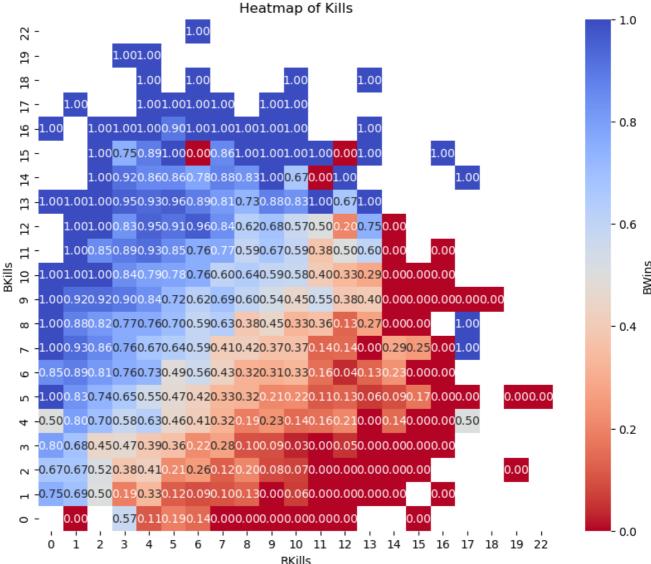
## **Experience**

```
In [66]: fig, axes= plt.subplots(1,2 , figsize= (8, 4))
    sns.histplot(x= data["BExpDiff"],kde= True, hue= data["BWins"],palette= lol_P, ax= axes[0])
    axes[0].set_title("BExperience Distribution")
    sns.histplot(x= data["RExpDiff"],kde= True, hue= data["BWins"],palette= lol_P, )
    axes[1].set_title("RExperience Distribution")
    plt.show()
```



# **KDA Analysis - Kills**

**XPlease noted that 1 =Blue wins, 0 = Red wins.** 



### **KDA Analysis - Deaths**

13

14

- 19

17 - 18

61 -

<u>년</u> -0.00

0.00

```
In [68]:
           plt.figure(figsize= (10,8))
            ax= sns.heatmap(data.pivot_table(index= "BDeaths", columns= "RDeaths", values= "BWins"), cmap= "c
                                fmt= ".2f", cbar_kws= {"label": "BWins"})
            ax.set(title= "Heatmap of Deaths", xlabel= "RDeaths", ylabel= "BDeaths")
           plt.show()
                                                       Heatmap of Deaths
                                                                                                                                1.0
                         0.750.670.80<mark>0.50</mark>1.000.851.001.001.001.00
                                                                                             1.00
                                                                               1.00
                    <mark>0.00</mark>0.690.670.680.800.830.890.930.880.921.001.001.001.00
                                                                                                 1.00
                         \underline{0.500.520.45}0.700.740.810.860.820.921.000.851.001.001.001.001.00
                m -0.570.190.380.470.580.650.760.760.770.900.840.890.830.950.920.751.00
                                                                                                                              - 0.8
                   \textcolor{red}{\textbf{-0.110.330.410.390.630.550.730.670.760.840.790.930.950.930.860.891.001.001.001.001.001.000}
                μ -0.190.120.21<mark>0.360.460.470.490.640.700.72</mark>0.780.850.910.960.861.000.901.00
                φ -0.140.090.260.22<mark>0.410.42</mark>0.560.590.590.62<mark>0.760.76</mark>0.960.890.78<mark>0.00</mark>1.001.001.00
                                                                                                               1.00
                -0.000.100.120.280.320.330.430.410.630.690.600.770.840.810.880.861.001.00
                   -0.000.130.200.100.190.320.320.420.380.600.640.590.620.730.831.001.00
                                                                                                                              - 0.6
                σ -<mark>0.000.00</mark>0.080.09<mark>0.230.210.310.370.450.540.590.670.68</mark>0.88<mark>1.001.001.001</mark>.00
```

 $0.000.060.070.030.140.220.330.370.330.450.580.590.570.83 \\0.671.001.001.001.00$ 

0.000.000.00

**RDeaths** 

1.001.00

1.00

10 11 12 13 14 15 16 17 18 19 22

1.00

 $\simeq -0.000.000.000.050.210.130.040.140.130.380.330.500.200.671.000.000$ 

0.000.000.000.000.060.13<mark>0.00</mark>0.270.400.29<mark>0.600.75</mark>1.00

7 8

1.001.00<mark>0.00</mark>

0.000.000.00<mark>0.140.090.23<mark>0.29</mark>0.000.000.000.000.00</mark>

0.000.000.00<mark>0.17</mark>0.00<mark>0.25</mark>0.000.000.00

0.000.000.000.000.00

0.00

0.500.00

- 0.4

- 0.2

- 0.0

### **KDA Analysis - Assists**

```
In [69]:
         plt.figure(figsize= (10,8))
          ax= sns.heatmap(data.pivot_table(index= "BAssists", columns= "RAssists", values= "BWins")[::-1],
                           fmt= ".2f", cbar_kws= {"label": "BWins"})
          ax.set(title= "Heatmap of Assists", xlabel= "RAssists", ylabel= "BAssists")
          plt.show()
                                              Heatmap of Assists
                                                                                                          1.0
                                          1.00
              28
                                    1.00
                                                           1.00
             24252627
                                 0.50
                                                .00
                                     .00.00.00
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              2021
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                                       0.00.50.67
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                                  1.00
                                                                 L.00
                              0.750.50.00.00
                   1.00.50.00
              19
                                             ..00.00.00.67
                                                                                    0.00
                   1.00.00.00.80.50.76.80.80.8
                                                                                                          0.6
                -1.00.00.60.80.00.78.51.00.78.88.80.00
                                                           1.00.00.5(1.0(
                                                                                  0.00
                -.00.00.00.86.00.00.8B.80.71.00.75.75.61.00.50.60.00.00.00
                 .00.00.80.71.00.67.70.50.90.58.60.80.5(1.00.00.00.00
                -.00.69.80.74.70.8B.8B.78.80.60.40.64.3B.50.25 0.40.00.00
                -1.00.9B.90.70.90.80.50.7B.60.60.5b.29.56.54.00.50
                                                                 0.00.00
                -.00.90.70.80.80.7D.6B.72.70.6D.6D.6D.60.10.60.40.6D.00.50.00
                                                                                    0.00
                                                                                                         - 0.4
                -0.89.80.70.80.70.70.70.69.50.69.60.60.50.50.50.50.20.60.20.20.30.00.00.00.00
              9 -0.90.80.70.74.70.66.60.50.40.50.38.50.30.50.60.00.30.00.30.00
                -1.00.80.7B.7D.74.6B.6D.6D.5D.5D.5B.59.48.29.10.20.20.00.20.00.40
                                                                                           .00
              - 0.2
              0.70.79.50.60.59.50.40.40.30.39.30.30.18.10.29.30.20.00.00.40.50 D.00.00

      4
      0.7B.69.70.59.5D.4D.46.3D.29.3D.28.30.20.08.20.10.50.1D.00.50.00.00.00.00.00

              m -0.70.69.60.50.46.40.39.28.29.20.20.19.20.08.10.30.20.00.30.00.00.00
                                                                                             0.00
              ~ <del>0.69.6</del>₽.4₽.48.3₽.29.3₽.30.16.20.16.09.0₽.09.2₽.2₽.00.00.00.00.00.00.00
              ы -0.70.5b.44.20.34.44.20.20.19.06.18.10.10.2b.20.00.00.2b.20.00
                                                                            0.00.00
             o -0.20.25.38.20.10.20.10.19.20.20.20.00.00.00.00.00.00.00
                                                                                                          0.0
```

#### **KDA Analysis**

KDA =( Kills + Assists ) / Deaths, its a indicator that usually used to evaluate a player"s performance in many online game.

0 1 2 3 4 5 6 7 8 9 10 11 12 13 14 15 16 17 18 19 20 21 22 23 24 25 26 28 RAssists

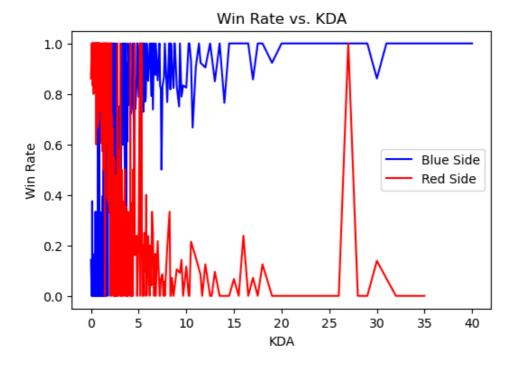
A high KDA usually means that the player achieved more kills and reduced the number of deaths in the battle, that is more helpful in the game.

We set the upper limit to 30, lower limit to 0 to avoid inf or -inf values when dealing with data that might be zero.

```
In [70]: data["BKDA"]= (data["BKills"] + data["BAssists"]) / data["BDeaths"]
data["RKDA"]= (data["RKills"] + data["RAssists"]) / data["RDeaths"]

# To Avoid inf or -inf output.
data.loc[np.isinf(data["BKDA"]), "BKDA"]= 30
data.loc[np.isinf(data["RKDA"]), "RKDA"]= 30
data.loc[np.isneginf(data["BKDA"]), "BKDA"]= 0
data.loc[np.isneginf(data["RKDA"]), "RKDA"]= 0
```

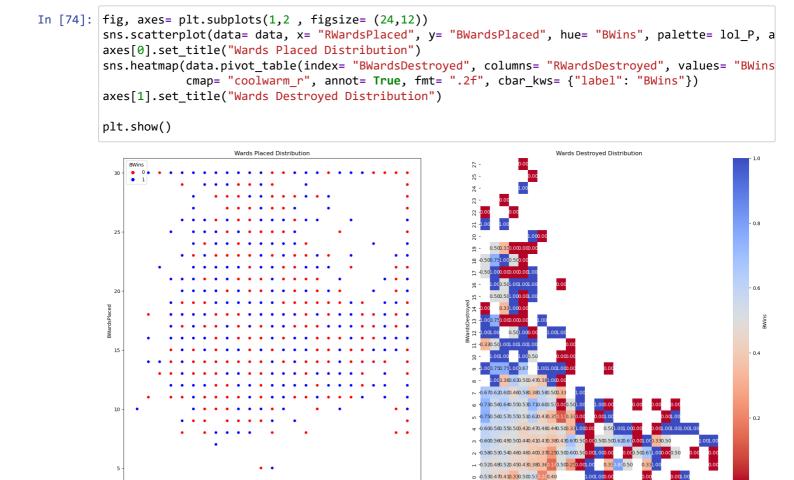
```
In [73]: plt.figure(figsize= (6,4))
    ax= sns.lineplot(data= data, x= "BKDA", y= "BWins", label= "Blue Side", ci= None, color= "blue")
    sns.lineplot(data= data, x= "RKDA", y= "BWins", label= "Red Side", ci= None, color= "red")
    ax.set(title= "Win Rate vs. KDA", xlabel= "KDA", ylabel= "Win Rate")
    ax.legend()
    plt.show()
```



#### **Wards Placed**

Wards are items placed on the map to enhance visibility in the game. (In the games, much of the map is shrouded in the fog of war, preventing players from seeing the movements of enemies.)

Having ample vision is crucial, enabling teams to identify enemy positions, control key map locations, and anticipate enemy's actions in advance.



#### **Gold & Income**

In LOL, 2 teams' Nexuses periodically spawn minions, providing players with a key source of gold income. Players can strategically eliminate these minions to get advantage in the game.

1 player in the team often assumes the role of the "Jungler"(JG). In the early stages, JGs strategically navigate the map's periphery, relying not on minions but on jungle monsters as their main source of gold income.

17 18 19 20 21 22 23 24

40

RTotalJungleMinionsKilled

60

80

20

#### **\*\*Here CS Per Min = Minions been killed by the team per min**

20

```
fig, axes= plt.subplots(1, 3 , figsize= (16, 4))
sns.scatterplot(data= data, x= "RCSPerMin", y= "BCSPerMin", hue= "BWins", palette= lol_P, ax= axe
axes[0].set title("CS Per Min Distribution")
sns.scatterplot(data= data, x= "RGoldPerMin", y= "BGoldPerMin", hue= "BWins", palette= lol_P, ax=
axes[1].set title("Gold Per Min Distribution")
sns.scatterplot( data= data, x= "RTotalJungleMinionsKilled", y= "BTotalJungleMinionsKilled", hue=
axes[2].set_title("Jungle Minions Killed Distribution")
plt.show()
                                                                                  Jungle Minions Killed Distribution
             CS Per Min Distribution
                                                 Gold Per Min Distribution
                                      2400
  27.5
                                      2200
  25.0
                                       2000
  22.5
                                                                            60
  20.0
                                       1800
 BCS 17.5
                                      1600
  15.0
                                      1400
  12.5
                                      1200
  10.0
```

1800

1600

### **Other Objectives**

In LOL, the map features elite monsters known as "Dragon" and "Herald". Killing them provides huge buffs or benefits, significantly enhancing advantages or turning the tide in a team's favor. Both sides frequently engage in contested battles to secure these valuable objectives.

Dragons spawn every 5 mins, starting from the 5th min of the game, and respawn every 5 mins after being killed.

Heralds appear at the 8th min and similarly respawn every 5 mins.

0

1

1

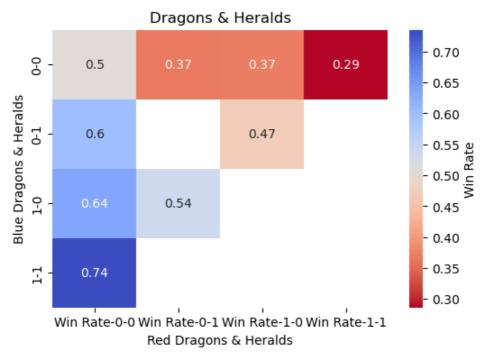
Consequently, within the first 10 mins of a match, only 1 Dragon and 1 Herald can be slain.

```
In [76]:
         Object_Scenario= [(b_dragon, b_herald, r_dragon, r_herald)
                        for b_dragon in [0, 1]
                        for b herald in [0, 1]
                        for r dragon in [0, 1]
                        for r_herald in [0, 1]]
         Object_WR= []
         for s in Object_Scenario:
             b_dragon, b_herald, r_dragon, r_herald= s
             condition= (data["BDragons"]== b_dragon) & (data["BHeralds"]== b_herald) & (data["RDragons"]=
             o_wr= data[condition]["BWins"].mean()
             Object_WR.append(o_wr)
         Object_df= pd.DataFrame(Object_WR, index= pd.MultiIndex.from_tuples(Object_Scenario, names= ["BDr
         Object_df= Object_df.sort_index(level= ["BDragons", "BHeralds", "RDragons", "RHeralds"])
         print(Object df)
                                                Win Rate
         BDragons BHeralds RDragons RHeralds
                                     0
                                                0.504442
                                     1
                                                0.366883
                                     0
                            1
                                                0.369001
                                     1
                                                0.286301
                                     0
                   1
                            0
                                                0.600592
                                     1
                                                     NaN
                                     0
                            1
                                                0.469716
                                     1
                                                     NaN
         1
                   0
                            0
                                     0
                                                0.636677
                                     1
                                                0.535912
                            1
                                     0
                                                     NaN
                                     1
                                                     NaN
                                     0
                                                0.735211
                   1
                            0
                                     1
                                                     NaN
```

NaN

NaN





# **Dominant Factors in the First 10 Minutes and Their Impact on Game Outcome**

```
In [79]:
         BR_WR = pd.DataFrame({"Blue's WR": B_WR_FB, "Red's WR": R_WR_FB}, index=["FirstBlood"])
         print(BR_WR)
                     Blue's WR Red's WR
         FirstBlood
                     0.598957
                               0.602821
In [80]: KDA_Columns= ["Kills", "Deaths", "Assists", "KDA"]
         for col in KDA_Columns:
             B_adv_col= f"B{col}"
             R_adv_col= f"R{col}"
             B_WR_Adv= data[data[B_adv_col] > data[R_adv_col]]["BWins"].mean()
             R_WR_Adv= 1 - data[data[R_adv_col] > data[B_adv_col]]["BWins"].mean()
             BR_WR.loc[col, "Blue's WR"]= B_WR_Adv
             BR_WR.loc[col, "Red's WR"] = R_WR_Adv
         print(BR WR)
                     Blue's WR Red's WR
         FirstBlood
                               0.602821
                      0.598957
         Kills
                      0.724107 0.728665
         Deaths
                      0.271335 0.275893
                      0.675652 0.677349
         Assists
         KDA
                      0.700919 0.705226
```

```
In [81]: KDA_Columns= ["WardsPlaced", "AvgLevel", "CSPerMin", "GoldPerMin"]
         for col in KDA_Columns:
             B_adv_col= f"B{col}"
             R_adv_col= f"R{col}"
             B_WR_Adv= data[data[B_adv_col] > data[R_adv_col]]["BWins"].mean()
             R_WR_Adv= 1 - data[data[R_adv_col] > data[B_adv_col]]["BWins"].mean()
             BR_WR.loc[col, "Blue's WR"]= B_WR_Adv
BR_WR.loc[col, "Red's WR"]= R_WR_Adv
         print(BR_WR)
                      Blue's WR Red's WR
                     0.598957 0.602821
         FirstBlood
                      0.724107 0.728665
         Kills
         Deaths
                     0.271335 0.275893
         Assists
                     0.675652 0.677349
                     0.700919 0.705226
         KDA
         WardsPlaced 0.531076 0.533454
         AvgLevel 0.731775 0.726245
         CSPerMin
                     0.629684 0.626584
         GoldPerMin 0.720968 0.724832
In [82]: | Object_Columns= ["Dragons", "Heralds", "TowersDestroyed"]
         for col in Object_Columns:
             B_Adv_Col= f"B{col}"
             R_Adv_Col= f"R{col}"
             B_WR_Adv= data[data[B_Adv_Col] > data[R_Adv_Col]]["BWins"].mean()
             R_WR_Adv= 1 - data[data[R_Adv_Col] > data[B_Adv_Col]]["BWins"].mean()
             BR_WR.loc[col, "Blue's WR"] = B_WR_Adv
             BR_WR.loc[col, "Red's WR"]= R_WR_Adv
         print(BR_WR)
         BR_corr= BR_WR["Blue's WR"].corr(BR WR["Red's WR"])
         print(f"Correlation : {BR_corr}")
                          Blue's WR Red's WR
         FirstBlood
                          0.598957 0.602821
         Kills
                          0.724107 0.728665
                          0.271335 0.275893
         Deaths
                         0.675652 0.677349
         Assists
         KDA
                         0.700919 0.705226
                        0.531076 0.533454
         WardsPlaced
         AvgLevel
                         0.731775 0.726245
         CSPerMin
                         0.629684 0.626584
         GoldPerMin
                         0.720968 0.724832
                         0.640940 0.625827
         Dragons
                         0.595046 0.612271
         Heralds
         TowersDestroyed 0.759637 0.786096
         Correlation : 0.9969642648617048
In [83]: B_Top5,R_Top5= BR_WR["Blue's WR"].nlargest(5).index, BR_WR["Red's WR"].nlargest(5).index
         are_equal= set(B_Top5)== set(R_Top5)
         print(f"Blue's WR Highest 5 Factors:: {B_Top5}")
         print(f"Red's WR Highest 5 Factors: {R_Top5}")
         print(f"Same or not: {are_equal}")
         Blue's WR Highest 5 Factors:: Index(['TowersDestroyed', 'AvgLevel', 'Kills', 'GoldPerMin', 'KD
         A'], dtype='object')
         Red's WR Highest 5 Factors: Index(['TowersDestroyed', 'Kills', 'AvgLevel', 'GoldPerMin', 'KDA'],
         dtype='object')
         Same or not: True
```

Once your team gets an advantage at TowersDestroyed in the first 10 min, you"re very likely to win the game (75%+ WR)

# Does Being on Red side or Blue side Have a Significant Impact on Win Rate?

p\_value: 0.9452662043772597
There's no significant diff between 2 teams's Win Rate Data.(Null hypothesis cannot be rejected)

# **Feature Engineering**

#### **Feature Creation**

We selected some features to avoid multicollinearity, all analyzed in relation to whether Blue team wins / loses. In the following analysis, we adopt the perspective of the Blue team as the primary viewpoint.

Wins: Binary value,1 = Blue team wins, 0 = Red team Wins.

FirstBlood: Binary value, 1 = Blue team secures the first kill in the game, and 0 = Red team gets the first kill.

GoldDiff: Blue teams' gold - Red teams' gold. (In the 10th min)

KDADiff: Blue teams' KDA - Red teams' KDA. (In the 10th min)

And so forth.

Out[85]:

	Wins	FirstBlood	GoldDiff	KDADiff	WardsPlacedDiff	WardsDestroyedDiff	TowersDestroyedDiff	AvgLevelDiff	CSPei
0	0	1	643	1.777778	13	-4	0	-0.2	
1	0	0	-2908	0.600000	0	0	-1	-0.2	
2	0	0	-1172	-2.571429	0	-3	0	-0.4	
3	0	0	-1321	-1.950000	15	-1	0	0.0	
4	0	0	-1004	-0.166667	13	2	0	0.0	

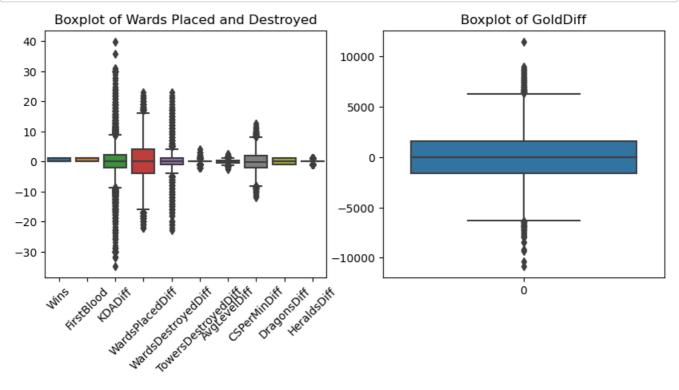
### **Check The Data Distribution of Features**

```
In [86]: df.describe()
```

Out[86]:

	Wins	FirstBlood	GoldDiff	KDADiff	WardsPlacedDiff	WardsDestroyedDiff	TowersDestroyedDiff
count	9879.000000	9879.000000	9879.000000	9879.000000	9879.000000	9879.000000	9879.000000
mean	0.499038	0.504808	14.414111	0.009623	-0.020144	0.101731	0.008402
std	0.500024	0.500002	2453.349179	6.049175	8.453528	2.854910	0.324835
min	0.000000	0.000000	-10830.000000	-34.857143	-22.000000	-23.000000	-2.000000
25%	0.000000	0.000000	-1585.500000	-2.200000	-4.000000	-1.000000	0.000000
50%	0.000000	1.000000	14.000000	0.000000	0.000000	0.000000	0.000000
75%	1.000000	1.000000	1596.000000	2.171429	4.000000	1.000000	0.000000
max	1.000000	1.000000	11467.000000	39.823529	23.000000	23.000000	4.000000

```
In [87]: fig, axes= plt.subplots(1, 2, figsize= (10, 4))
sns.boxplot(data= df[df.columns[df.columns!= "GoldDiff"]], ax= axes[0])
axes[0].set(title= "Boxplot of Wards Placed and Destroyed")
axes[0].set_xticklabels(df.columns[df.columns!= "GoldDiff"], rotation= 45)
sns.boxplot(data= df["GoldDiff"], ax= axes[1])
axes[1].set(title= "Boxplot of GoldDiff")
plt.show()
```



There's no non-logical outliers.

# **Model Building**

#### **Scaling Data**

```
In [88]: X= df.drop(["Wins"], axis= 1).values
Y= df["Wins"].values
scaler= MinMaxScaler().fit(X)
X= scaler.transform(X)
```

# **Splitting Data**

**Splitting Data into Trainging and Teststing Sets.** 

```
In [89]: X_train, X_test, Y_train, Y_test= train_test_split(X, Y, test_size= .2, random_state= 11)
for n, d in [("X_train", X_train), ("X_test", X_test), ("Y_train", Y_train), ("Y_test", Y_test)]:
    print(f"{n} Shape= {d.shape}")

X_train Shape= (7903, 10)
    X_test Shape= (1976, 10)
    Y_train Shape= (7903,)
    Y_test Shape= (1976,)
```

## **Model Training and Prediction**

- · Logistic Regression (LR)
- · Decision Tree (Tree)
- · Random Forest (RF)
- · Support Vector Machine (SVC)

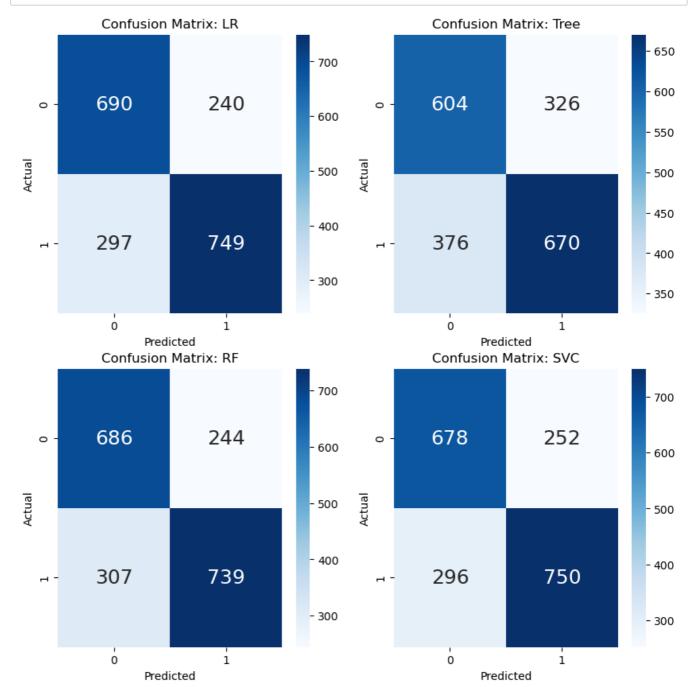
We test these models and evaluate the predictive performance of each model.

```
In [90]: Models= {
    "LR": LogisticRegression(),
    "Tree": tree.DecisionTreeClassifier(),
    "RF": RandomForestClassifier(),
    "SVC": SVC()}
```

```
In [91]: # LRModel= Models["LR"].fit(X_train, Y_train)
         # LRPred= LRModel.predict(X_test)
         # TreeModel= Models["Tree"].fit(X_train, Y_train)
         # TreePred= TreeModel.predict(X_test)
         # RFModel= Models["RF"].fit(X_train, Y_train)
         # RFPred= RFModel.predict(X_test)
         # SVCModel= Models["SVC"].fit(X_train, Y_train)
         # SVCPred= SVCModel.predict(X test)
         prediction = {}
         for model name, model in Models.items():
             fitted_model= model.fit(X_train, Y_train)
             prediction[model_name]= fitted_model.predict(X_test)
             print(f"{model_name}: { round(model.score(X_test, Y_test),4)*100} %")
             print(classification_report(prediction[model_name],Y_test))
         LR: 72.82 %
                                     recall f1-score
                        precision
                                                         support
                     0
                             0.74
                                       0.70
                                                  0.72
                                                             987
                     1
                                       0.76
                                                  0.74
                                                             989
                             0.72
             accuracy
                                                  0.73
                                                            1976
            macro avg
                             0.73
                                       0.73
                                                  0.73
                                                            1976
         weighted avg
                             0.73
                                       0.73
                                                  0.73
                                                            1976
         Tree: 64.47 %
                        precision
                                     recall f1-score
                                                         support
                     0
                             0.65
                                                  0.63
                                       0.62
                                                             980
                             0.64
                                       0.67
                                                             996
                     1
                                                  0.66
                                                  0.64
                                                            1976
             accuracy
                                                  0.64
             macro avg
                             0.64
                                       0.64
                                                            1976
         weighted avg
                             0.64
                                       0.64
                                                  0.64
                                                            1976
         RF: 72.119999999999999999 %
                        precision
                                     recall f1-score
                                                         support
                     0
                             0.74
                                       0.69
                                                  0.71
                                                             993
                                       0.75
                     1
                             0.71
                                                  0.73
                                                             983
                                                            1976
             accuracy
                                                  0.72
             macro avg
                             0.72
                                       0.72
                                                  0.72
                                                            1976
         weighted avg
                             0.72
                                       0.72
                                                  0.72
                                                            1976
         SVC: 72.27 %
                        precision
                                     recall f1-score
                                                         support
                             0.73
                                       0.70
                                                  0.71
                                                             974
                     0
                     1
                             0.72
                                       0.75
                                                  0.73
                                                            1002
                                                  0.72
                                                            1976
             accuracy
             macro avg
                             0.72
                                       0.72
                                                  0.72
                                                            1976
         weighted avg
                             0.72
                                       0.72
                                                  0.72
                                                            1976
```

Let's check the Confusion Matrix of these outputs.

```
In [92]: fig, axes= plt.subplots(2, 2, figsize= (10, 10))
for (model_name, predicted_labels), ax in zip(prediction.items(), axes.flatten()):
    cm= confusion_matrix(Y_test, predicted_labels)
    sns.heatmap(cm, annot= True, annot_kws= {"size": 18}, fmt= "d", cmap= "Blues", ax= ax)
    ax.set(title= f"Confusion Matrix: {model_name}", xlabel="Predicted", ylabel="Actual")
plt.show()
```



From the Classification Report and Confusion Matrix, we can observe that the performance of the Decision Tree model is noticeably inferior to the other three.

These models have an accuracy rate of 70% or above in their predictions, except for the decision tree.

#### **Cross Validation**

We utilize cross validation to assess models' performance and generalization capabilities.

Let's try Logistic Regression model at first.

```
In [93]: Cv= 10
    Model_LR= Models["LR"]
    Score_LR= cross_validate(Model_LR, X_train, Y_train, cv= Cv, scoring= "accuracy")["test_score"]
    AvgAcc_LR= np.mean(Score_LR)
    SD_LR= np.std(Score_LR)
    print(f"Logistic Regression Cross-val Score = {AvgAcc_LR}, ", f"Standard Deviation = {SD_LR}")
```

Logistic Regression Cross-val Score = 0.7317460673078461, Standard Deviation = 0.01243028270048

#### Let"s try other models

9926

```
In [94]:
         Model df= pd.DataFrame(columns= ["Model", "Cross-val Score", "Standard Deviation"])
         for model name, model in Models.items():
             Scores= cross validate(model, X train, Y train, cv= Cv, scoring="accuracy")["test score"]
             Avg acc= np.mean(Scores)
             Std acc= np.std(Scores)
             Model df= Model df.append({"Model": model name, "Cross-val Score": Avg acc, "Standard Deviati
         print(Model_df)
           Model Cross-val Score Standard Deviation
         0
                         0.731746
                                              0.012430
              I R
                         0.640528
                                              0.026605
         1
            Tree
                         0.718084
                                              0.014840
         2
              RF
                                              0.014008
                         0.724533
         3
             SVC
```

#### **ROC Visualization**

ROC (Receiver Operating Characteristic) curve is a representation of a binary classification model's performance across different classification thresholds.

AUC (Area Under the Curve) provides a single scalar value summarizing the performance of a classifier across various threshold settings, ranging from 0 to 1.(A higher value indicates better model performance)

\*\*An 0.5 AUC suggests that the model performs no better than random, and an 1.0 AUC indicates perfect classification.

```
In [95]: fig, axes= plt.subplots(2, 2, figsize= (12, 10))
              for (model_name, model), ax in zip(Models.items(), axes.flatten()):
                    fitted_model= model.fit(X_train, Y_train)
                    plot_roc_curve(model, X_test, Y_test, ax= ax)
                    ax.set_title(f"ROC Curve - {model_name}")
              plt.show()
                                             ROC Curve - LR
                                                                                                                      ROC Curve - Tree
                  1.0
                                                                                             1.0
               True Positive Rate (Positive label: 1)
                                                                                          True Positive Rate (Positive label: 1)
                  0.8
                                                                                             0.8
                  0.6
                                                                                             0.6
                  0.4
                                                                                             0.4
                  0.2
                                                                                             0.2
                                                  LogisticRegression (AUC = 0.81)
                                                                                                                         DecisionTreeClassifier (AUC = 0.64)
                  0.0
                                                                                             0.0
                        0.0
                                    0.2
                                               0.4
                                                          0.6
                                                                     0.8
                                                                                 1.0
                                                                                                   0.0
                                                                                                                          0.4
                                                                                                                                     0.6
                                                                                                                                                0.8
                                                                                                                                                            1.0
                                   False Positive Rate (Positive label: 1)
                                                                                                              False Positive Rate (Positive label: 1)
                                             ROC Curve - RF
                                                                                                                       ROC Curve - SVC
                  1.0
                                                                                             1.0
               True Positive Rate (Positive label: 1)
                                                                                          True Positive Rate (Positive label: 1)
```

# **Weights Visualization**

0.2

0.4

False Positive Rate (Positive label: 1)

0.8

0.6

0.4

0.2

0.0

0.0

Visualizing coefficients or feature importance of the model provides insights into which features contribute the most to the model's predictions.

1.0

RandomForestClassifier (AUC = 0.80)

0.8

0.6

0.8

0.6

0.4

0.2

0.0

0.0

0.2

0.4

0.6

False Positive Rate (Positive label: 1)

SVC (AUC = 0.80)

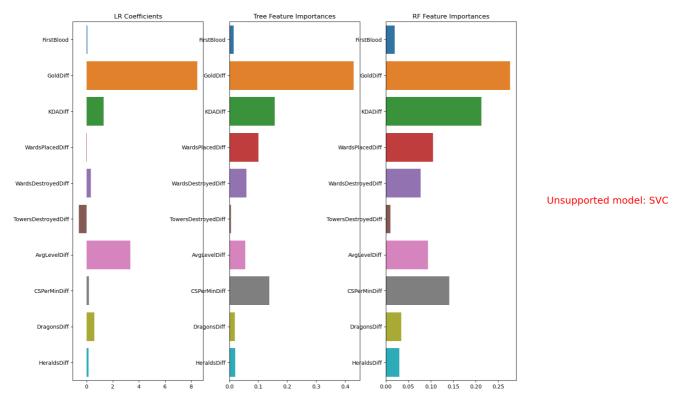
1.0

0.8

```
In [96]: fig, axes= plt.subplots(1, len(Models), figsize= (20, 12))

for idx, (model_name, model) in enumerate(Models.items()):
    model.fit(X_train, Y_train)
    if hasattr(model, "coef_"):
        sns.barplot(x= model.coef_[0], y= df.columns[1:], ax= axes[idx])
        axes[idx].set_title(ff"{model_name} Coefficients")
    elif hasattr(model, "feature_importances_"):
        sns.barplot(x= model.feature_importances_", y= df.columns[1:], ax= axes[idx])
        axes[idx].set_title(ff"{model_name} Feature Importances")
    else:
        axes[idx].text(0.5, 0.5, ff"Unsupported model: {model_name}", ha= "center", va= "center",
        axes[idx].axis("off")
        print(ff"Unsupported model: {model_name}")
```

#### Unsupported model: SVC



### Conclusion

#### From EDA,

we have obtained valuable information, such as:

Within the first 10 mins

- 1. The win rate for the team that secures firstblood has increased by approx. 10% compared to the original win rate.
- 2. The distribution of average levels for both sides falls between 6.5 and 7.5. If the average level exceeds 7.5, it can be considered a huge advantage.
- 3. The distribution of gold and level data is very similar.
- 4. The explanatory power of jungle monster kills is weaker than that of minion kills.
- 5. Teams that kills 1Dragon + 1Herald have an increased win rate of approx. 20% compared to the original wing rate.

- 6. KDA is an informative indicator for game outcomes.
- 7.Considering the analyzed factors, there is no significant difference in win rates between Blue or Red sides.

### From the Weights Visualization,

it can be observed that GoldDiff is the most crucial factor in determining the game outcome. However, in LOL, many movements contribute to the acquisition of Gold, such as eliminating enemy players, destroying enemy towers, killing minions, jungle minions, and etc. all fundamentally aimed at obtaining Gold (and Experience).

Besides, we can also observe that WardsPlaced and WardsDestroyed carry significant weight (Noted that destroying wards provides only a minimal amount of gold, which can be disregarded), indicating that vision control is also one of the important factors in predicting the outcome of the game.

Based on the issues mentioned above, there may have some collinearity problems in this prediction. But due to limitations in the data provided by the dataset, achieving flawless feature engineering is a challenging task. I believe there is room for further improvement."