

1 Formalization

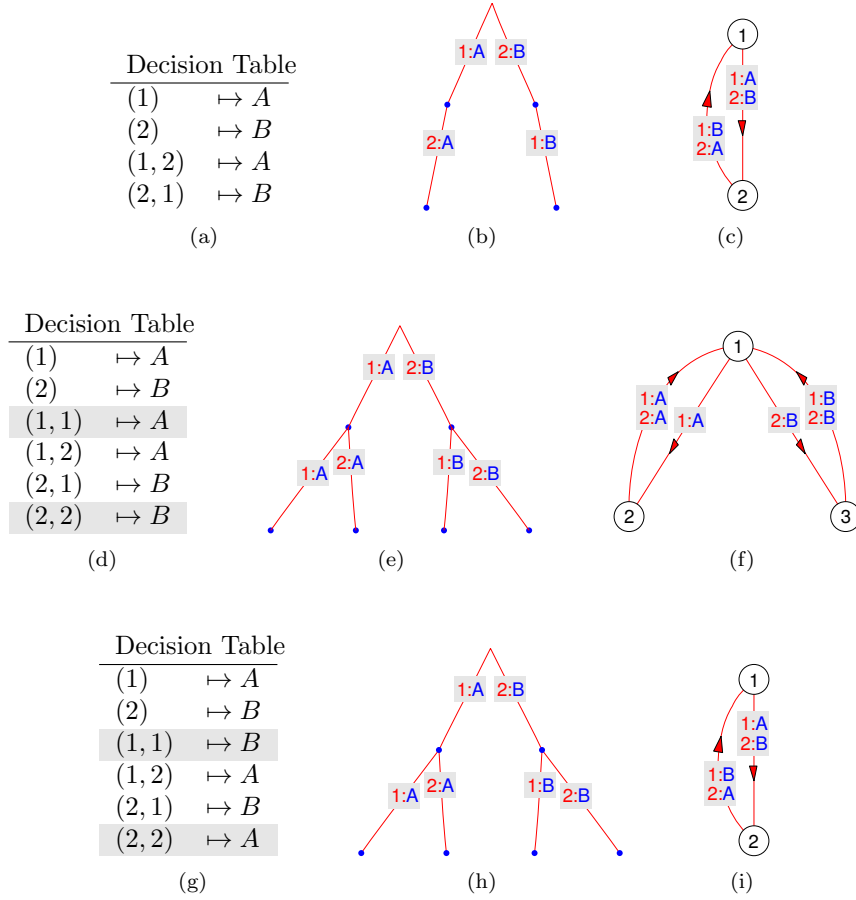
The original formalization has

This “completely determined” formalization requires that we define a response $\mathcal{T}(c, y)$ for each $y \in \mathcal{Y}$ and $c \in \mathcal{C} := \mathcal{Y}^* = \mathcal{U}_{n=1}^\infty \mathcal{Y}^n$. This condition is stronger than necessary, as there may be contexts c in which certain observations $y \in \mathcal{Y}$ are unexpected. In such a context, any assignment $\mathcal{T}(c, y) := u$, $u \in \mathcal{U}$, would give the same policy. However, the wrong choice of $\mathcal{T}(c, y)$ can interfere with attempts at state reduction

Example 1 Suppose $\mathcal{Y} = \{1, 2\}$ and $\mathcal{U} = \{A, B\}$, and

$$\mathcal{T}(c, y) = \begin{cases} A & (c = \emptyset, y = 1) \vee (c = 1, y = 2) \\ B & (c = \emptyset, y = 2) \vee (c = 2, y = 1) \\ \mathcal{T}'(c, y) & \text{otherwise.} \end{cases}$$

is an optimal policy, for arbitrary $\mathcal{T}' : (\mathcal{C} \times \mathcal{Y}) \rightarrow \mathcal{U}$.



Decision tables $\mathcal{T} : \mathcal{C} \rightarrow \mathcal{U}$, where $\mathcal{C} = \bigcup_{i=1}^\infty \mathcal{C}_i$, and we recursively define

$$\mathcal{C}_0 = \{\emptyset\} \quad \text{and} \quad \mathcal{C}_{i+1} = \{(c_1, \dots, c_i, y) \mid c = (c_1, \dots, c_i) \in \mathcal{C}_i, y \in \mathcal{Y}_c\}. \quad (1)$$

where \mathcal{Y}_c is the set of observations that may be seen in

Alternatively we can use the equivalent to adding a nop command to

The advantage to this formalization is that it allows

2 Algorithm

2.1 Compatibility Relations

2.2 Assembling Cliques

3 Code

The main MATLAB routine is in `decision_script.m`.

3.1 Input Format

Given a decision table \mathcal{T} :

```
fsm = {[8, 5, 2], ... % 1
       [2, 5, 3; 6, 3, 4; 10, 1, 5], ... % 2
       [7, 4, 6; 8, 7, 7], ... % 3
       [], ... % 4
       [5, 10, 8; 7, 6, 9], ... % 5
       [4, 9, 10; 5, 5, 11; 7, 9, 12], ... % 6
       [], ... % 7
       [9, 7, 13], ... % 8
       [3, 8, 14], ... % 9
       [], ... % 10
       [], ... % 11
       [4, 1, 15; 6, 6, 16], ... % 12
       [1, 3, 17], ... % 13
       [7, 1, 18], ... % 14
       [], ... % 15
       [], ... % 16
       []}; ... % 17
```

3.2 Console Output

Initial FSM:

```
-----
01: 08-->(05, 02),
02: 02-->(05, 03), 06-->(03, 04), 10-->(01, 05),
03: 07-->(04, 06), 08-->(07, 07),
04:
05: 05-->(10, 08), 07-->(06, 09),
06: 04-->(09, 10), 05-->(05, 11), 07-->(09, 12),
07:
08: 09-->(07, 13),
09: 03-->(08, 14),
10:
11:
12: 04-->(01, 15), 06-->(06, 16),
13: 01-->(03, 17),
14: 07-->(01, 18),
15:
16:
17:
18:
```

Final equivalence classes: {1, 2, 4, 5, 7, 8, 9, 10, 11, 13, 15, 16, 17, 18} {3, 12} {6} {14}

An optional section of this script uses Graphviz to produce high-quality FSM visualizations

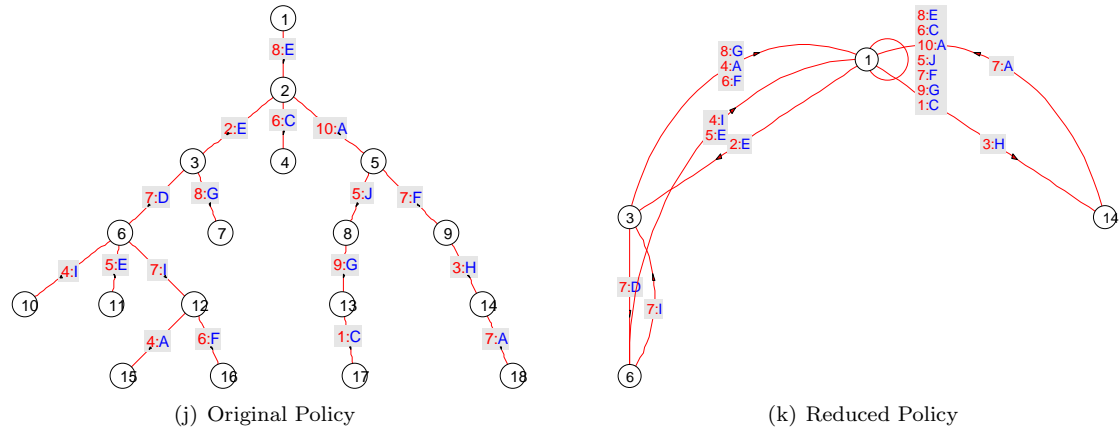


Figure 1: MATLAB Visualizations

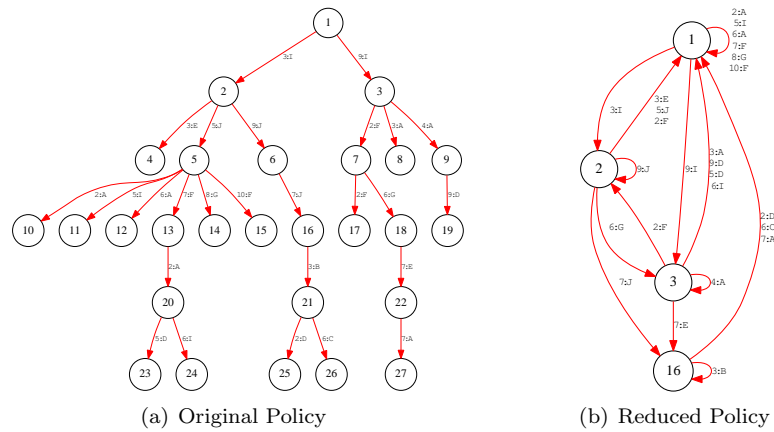


Figure 2: Graphviz Visualizations

This makes a system call to the script `drawgraph.sh`, which runs in the bash shell, and uses a few non-standard graphics utilities. In Ubuntu, these dependencies should be resolved by the command

```
$ sudo apt-get install ghostscript texlive-extra-utils graphviz evince
```