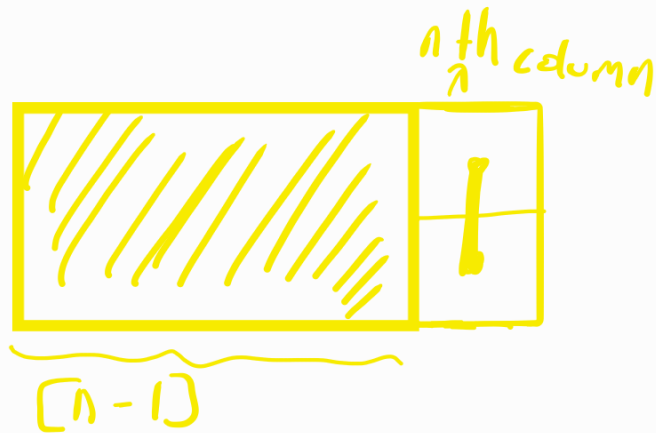
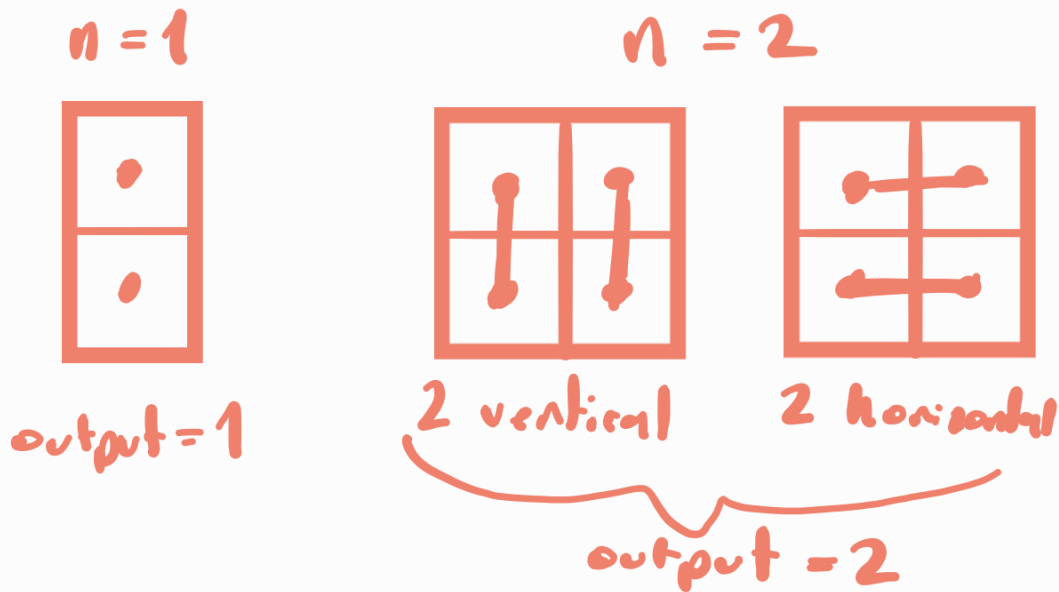


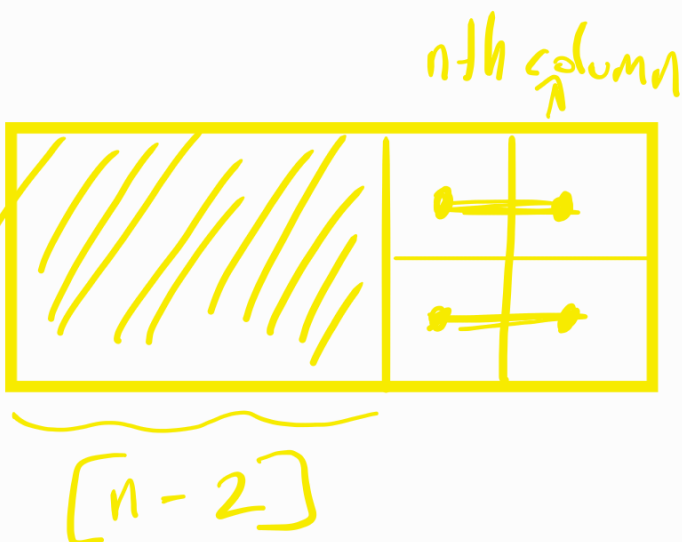
790. Domino and Tromino Tiling

①

* if the $n \leq 3$, output will be n



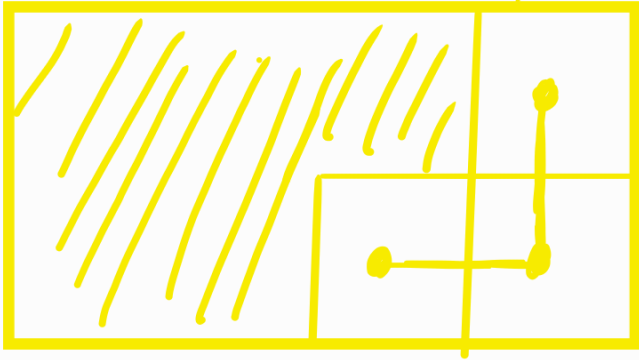
* if this was the case, we would need to solve for $(n-1)$ full grid. Meaning that; $Full[n-1]$



* if this was the case, we would need to solve for $(n-2)$ full grid. Meaning that; $Full[n-2]$

2

(2)

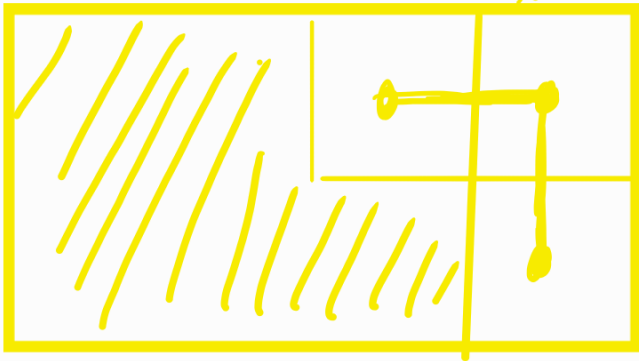
 n th column

$[n-1]$ bottom missing

* if this was the case, we would need to solve for $(n-1)$ grid with bottom gap.

Meaning that;

Bottom Missing $[n-1]$

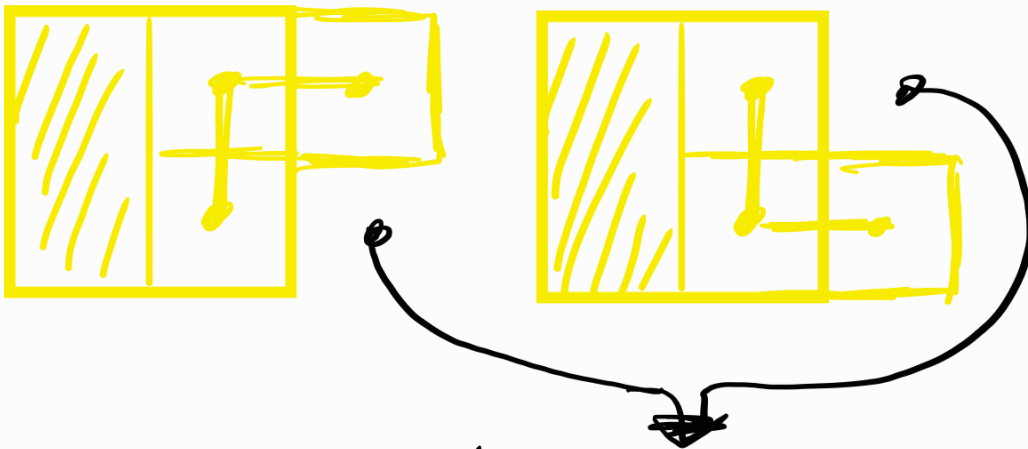
 n th column

$[n-1]$ top missing

* if this was the case, we would need to solve for $(n-1)$ grid with top gap.

Meaning that;

Top Missing $[n-1]$



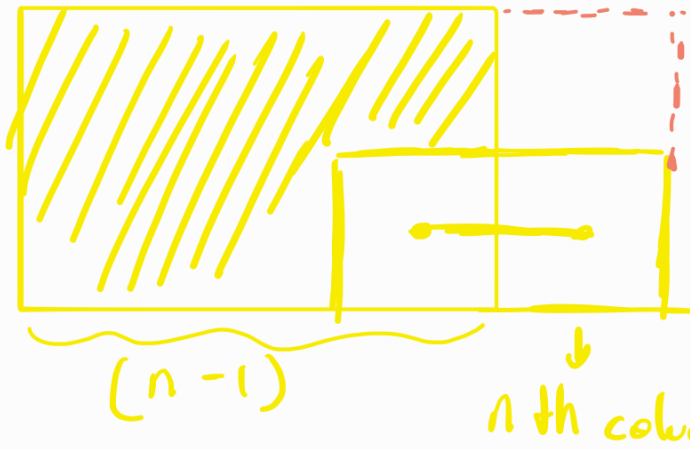
these gaps cannot be filled, so, no solution!

Computation of Top-Bottom Missing Pieces

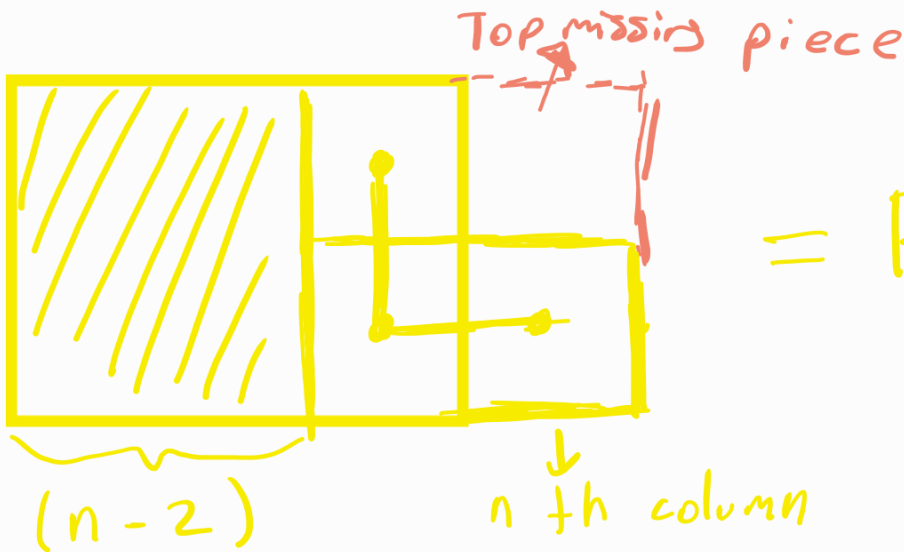
(3)

Top Missing

Top missing piece



= Bottom Missing $[n-1]$

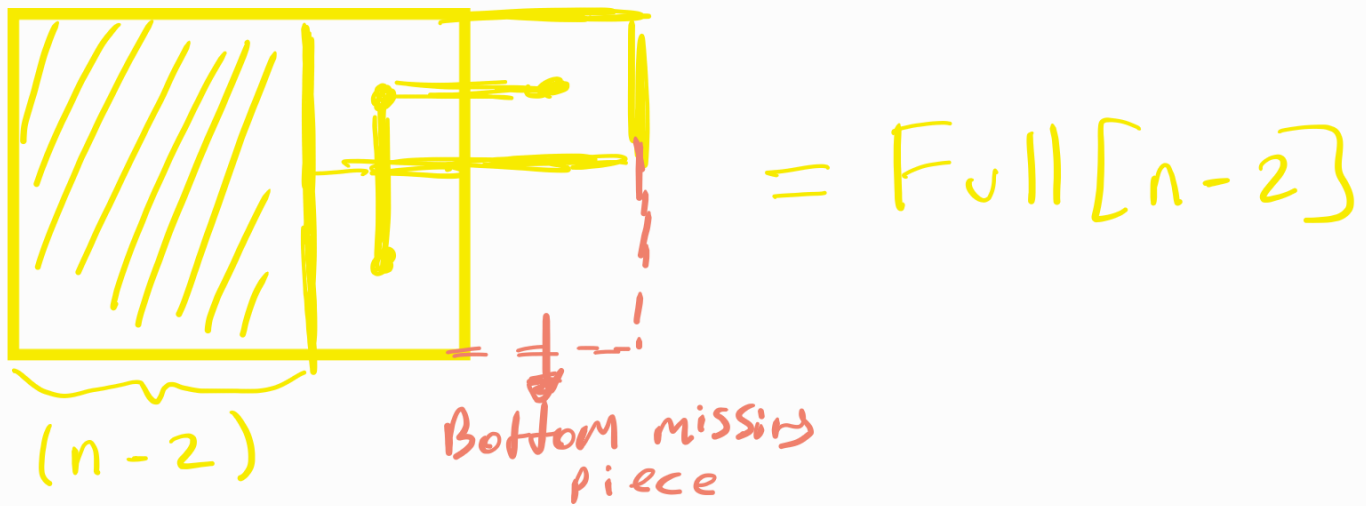
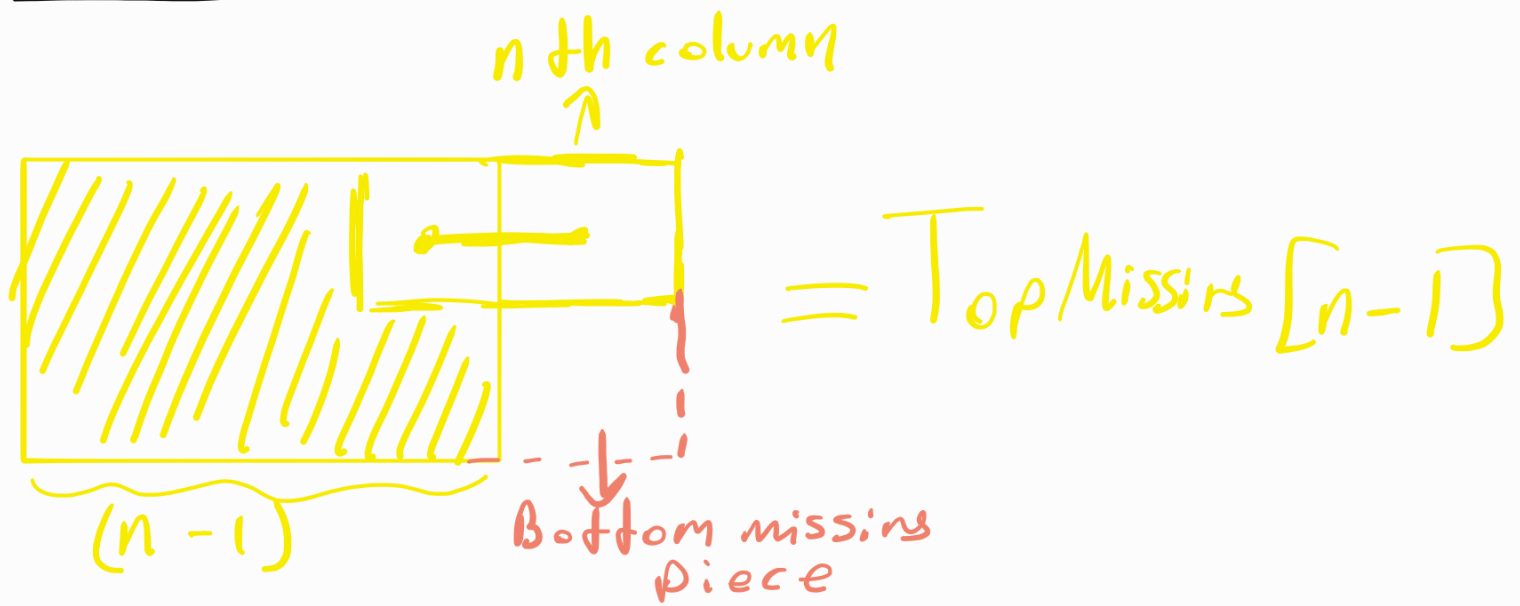


= Full $[n-2]$

Overall, TopMissing piece can be obtained by these two patterns. So,

$$\text{TopMissing}[n] = \text{BottomMissing}[n-1] + \text{Full}[n-2]$$

(4)

Bottom Missing

Overall, Bottom Missing piece can be obtained by these two patterns. So;

$$\text{BottomMissing}[n] = \text{TopMissing}[n-1] + \text{Full}[n-2]$$

Concluding The Solution

⑤

* Initialize,

$$F[0] = 1, F[1] = 1$$

↓
empty
grid

↓
Recall; if $n < 3$, output = 1

$$T.M[1] = 0, B.M[1] = 0$$

impossible to insert these
when $n = 1$

* Apply the following,

$$Full[n] = Full[n-1] + Full[n-2]$$

$$+ TopMissing[n-1] + BottomMissing[n-1]$$