

Regression_MarketingEngagement

May 5, 2019

```
In [1]: import matplotlib.pyplot as plt
import pandas as pd
```

1 1. Loading Data

```
In [2]: df = pd.read_csv('Data/WA_Fn-UseC_-Marketing-Customer-Value-Analysis.csv')
```

```
In [3]: df.shape
```

```
Out[3]: (9134, 24)
```

```
In [4]: df.head()
```

```
Out[4]:
```

	Customer	State	Customer Lifetime Value	Response	Coverage	Education	\
0	BU79786	Washington	2763.519279	No	Basic	Bachelor	
1	QZ44356	Arizona	6979.535903	No	Extended	Bachelor	
2	AI49188	Nevada	12887.431650	No	Premium	Bachelor	
3	WW63253	California	7645.861827	No	Basic	Bachelor	
4	HB64268	Washington	2813.692575	No	Basic	Bachelor	

	Effective To Date	EmploymentStatus	Gender	Income	...	\
0	2/24/11	Employed	F	56274	...	
1	1/31/11	Unemployed	F	0	...	
2	2/19/11	Employed	F	48767	...	
3	1/20/11	Unemployed	M	0	...	
4	2/3/11	Employed	M	43836	...	

	Months Since Policy Inception	Number of Open Complaints	Number of Policies	\
0	5	0	1	
1	42	0	8	
2	38	0	2	
3	65	0	7	
4	44	0	1	

	Policy Type	Policy	Renew Offer Type	Sales Channel	\
0	Corporate Auto	Corporate L3	Offer1	Agent	
1	Personal Auto	Personal L3	Offer3	Agent	

2	Personal Auto	Personal L3	Offer1	Agent
3	Corporate Auto	Corporate L2	Offer1	Call Center
4	Personal Auto	Personal L1	Offer1	Agent

	Total Claim Amount	Vehicle Class	Vehicle Size
0	384.811147	Two-Door Car	Medsize
1	1131.464935	Four-Door Car	Medsize
2	566.472247	Two-Door Car	Medsize
3	529.881344	SUV	Medsize
4	138.130879	Four-Door Car	Medsize

[5 rows x 24 columns]

In [5]: df.tail()

Out [5]:

	Customer	State	Customer Lifetime Value	Response	Coverage	\
9129	LA72316	California	23405.987980	No	Basic	
9130	PK87824	California	3096.511217	Yes	Extended	
9131	TD14365	California	8163.890428	No	Extended	
9132	UP19263	California	7524.442436	No	Extended	
9133	Y167826	California	2611.836866	No	Extended	

	Education	Effective To Date	EmploymentStatus	Gender	Income	...	\
9129	Bachelor	2/10/11	Employed	M	71941	...	
9130	College	2/12/11	Employed	F	21604	...	
9131	Bachelor	2/6/11	Unemployed	M	0	...	
9132	College	2/3/11	Employed	M	21941	...	
9133	College	2/14/11	Unemployed	M	0	...	

	Months Since Policy Inception	Number of Open Complaints	\
9129	89	0	
9130	28	0	
9131	37	3	
9132	3	0	
9133	90	0	

	Number of Policies	Policy Type	Policy	Renew Offer Type	\
9129	2	Personal Auto	Personal L1	Offer2	
9130	1	Corporate Auto	Corporate L3	Offer1	
9131	2	Corporate Auto	Corporate L2	Offer1	
9132	3	Personal Auto	Personal L2	Offer3	
9133	1	Corporate Auto	Corporate L3	Offer4	

	Sales Channel	Total Claim Amount	Vehicle Class	Vehicle Size
9129	Web	198.234764	Four-Door Car	Medsize
9130	Branch	379.200000	Four-Door Car	Medsize
9131	Branch	790.784983	Four-Door Car	Medsize
9132	Branch	691.200000	Four-Door Car	Large

9133	Call Center	369.600000	Two-Door Car	Medsize
------	-------------	------------	--------------	---------

[5 rows x 24 columns]

In [6]: # Encode the y variable as 1 for 'Yes' and as 0 for 'No'

```
df['Engaged'] = df['Response'].apply(lambda x:0 if x == 'No' else 1)
df.head()
```

Out[6]:

	Customer	State	Customer Lifetime Value	Response	Coverage	Education	\
0	BU79786	Washington	2763.519279	No	Basic	Bachelor	
1	QZ44356	Arizona	6979.535903	No	Extended	Bachelor	
2	AI49188	Nevada	12887.431650	No	Premium	Bachelor	
3	WW63253	California	7645.861827	No	Basic	Bachelor	
4	HB64268	Washington	2813.692575	No	Basic	Bachelor	

	Effective To Date	EmploymentStatus	Gender	Income	...	\
0	2/24/11	Employed	F	56274	...	
1	1/31/11	Unemployed	F	0	...	
2	2/19/11	Employed	F	48767	...	
3	1/20/11	Unemployed	M	0	...	
4	2/3/11	Employed	M	43836	...	

	Number of Open Complaints	Number of Policies	Policy Type	Policy	\
0	0	1	Corporate Auto	Corporate L3	
1	0	8	Personal Auto	Personal L3	
2	0	2	Personal Auto	Personal L3	
3	0	7	Corporate Auto	Corporate L2	
4	0	1	Personal Auto	Personal L1	

	Renew Offer Type	Sales Channel	Total Claim Amount	Vehicle Class	\
0	Offer1	Agent	384.811147	Two-Door Car	
1	Offer3	Agent	1131.464935	Four-Door Car	
2	Offer1	Agent	566.472247	Two-Door Car	
3	Offer1	Call Center	529.881344	SUV	
4	Offer1	Agent	138.130879	Four-Door Car	

	Vehicle Size	Engaged
0	Medsize	0
1	Medsize	0
2	Medsize	0
3	Medsize	0
4	Medsize	0

[5 rows x 25 columns]

2 2. Data Analysis

```
In [7]: list(df.columns)
```

```
Out[7]: ['Customer',
        'State',
        'Customer Lifetime Value',
        'Response',
        'Coverage',
        'Education',
        'Effective To Date',
        'EmploymentStatus',
        'Gender',
        'Income',
        'Location Code',
        'Marital Status',
        'Monthly Premium Auto',
        'Months Since Last Claim',
        'Months Since Policy Inception',
        'Number of Open Complaints',
        'Number of Policies',
        'Policy Type',
        'Policy',
        'Renew Offer Type',
        'Sales Channel',
        'Total Claim Amount',
        'Vehicle Class',
        'Vehicle Size',
        'Engaged']
```

2.1 Engagement Rate

```
In [8]: engagement_rate_df = pd.DataFrame(
        df.groupby('Engaged').count()['Response'] / df.shape[0] * 100.0
    )
```

```
In [9]: engagement_rate_df
```

```
Out[9]:
```

	Response
Engaged	
0	85.679877
1	14.320123

```
In [10]: # Transpose the df
         engagement_rate_df.T
```

```
Out[10]:
```

Engaged	0	1
Response	85.679877	14.320123

Notice that about 14% of the customers have responded to marketing calls, and the remaining 86% of the customers have not responded.

2.1.1 - by Renew Offer Type

```
In [11]: engagement_by_offer_type_df = pd.pivot_table(
        df, values='Response', index='Renew Offer Type', columns='Engaged', aggfunc=len
    ).fillna(0.0)
```

```
engagement_by_offer_type_df.columns = ['Not Engaged', 'Engaged']
```

aggfunc() allows us to supply the type of aggregation we want to perform. We use len function to simply count the number of clients for each group.

```
In [12]: engagement_by_offer_type_df
```

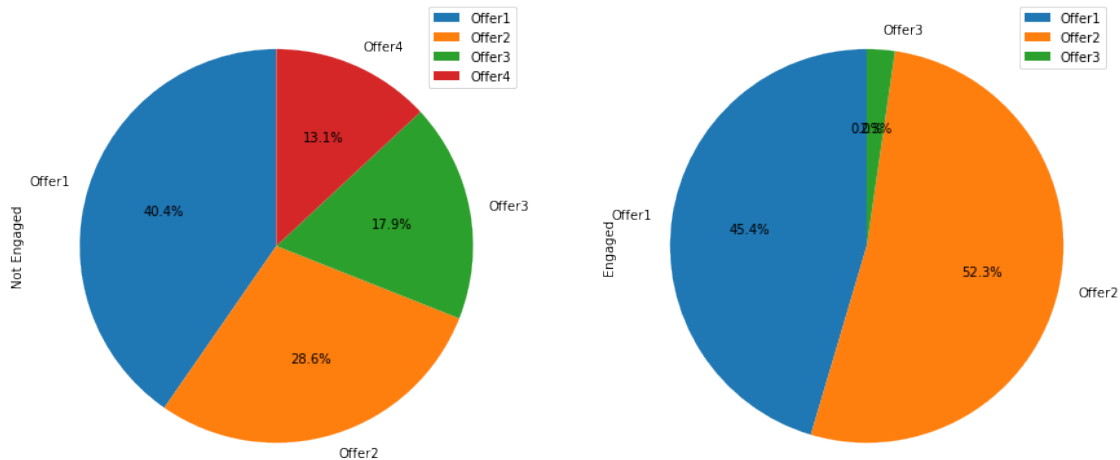
```
Out[12]:
```

Renew Offer Type	Not Engaged	Engaged
Offer1	3158.0	594.0
Offer2	2242.0	684.0
Offer3	1402.0	30.0
Offer4	1024.0	0.0

```
In [13]: # Visualize the renew offer type distributions between engaged
        # and non-engaged customers
```

```
engagement_by_offer_type_df.plot(
    kind='pie',
    figsize=(15, 7),
    startangle=90,
    subplots=True,
    autopct=lambda x: '%0.1f%%' % x
)
```

```
plt.show()
```



2.1.2 - by Sales Channel

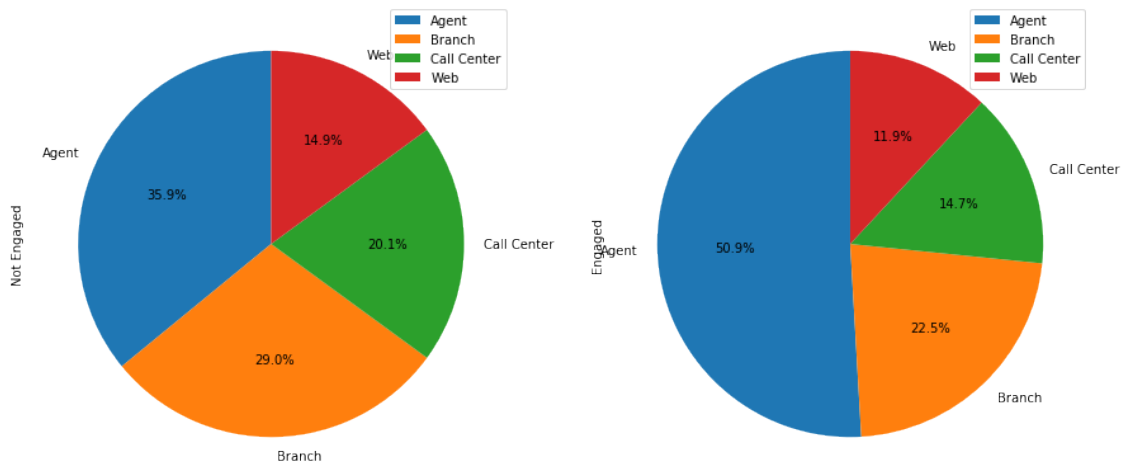
```
In [14]: engagement_by_sales_channel_df = pd.pivot_table(
        df, values='Response', index='Sales Channel', columns='Engaged', aggfunc=len
    ).fillna(0.0)

    engagement_by_sales_channel_df.columns = ['Not Engaged', 'Engaged']

In [15]: # Visualize the sales channel distributions between engaged
        # and non-engaged customers

    engagement_by_sales_channel_df.plot(
        kind='pie',
        figsize=(15, 7),
        startangle=90,
        subplots=True,
        autopct=lambda x: '%0.1f%%' % x
    )

    plt.show()
```



2.1.3 - by Total Claim Amount Distributions

```
In [16]: # Look at the differences in the distributions of Total Claim Amount between engaged
        # and non-engaged customers by using box plots

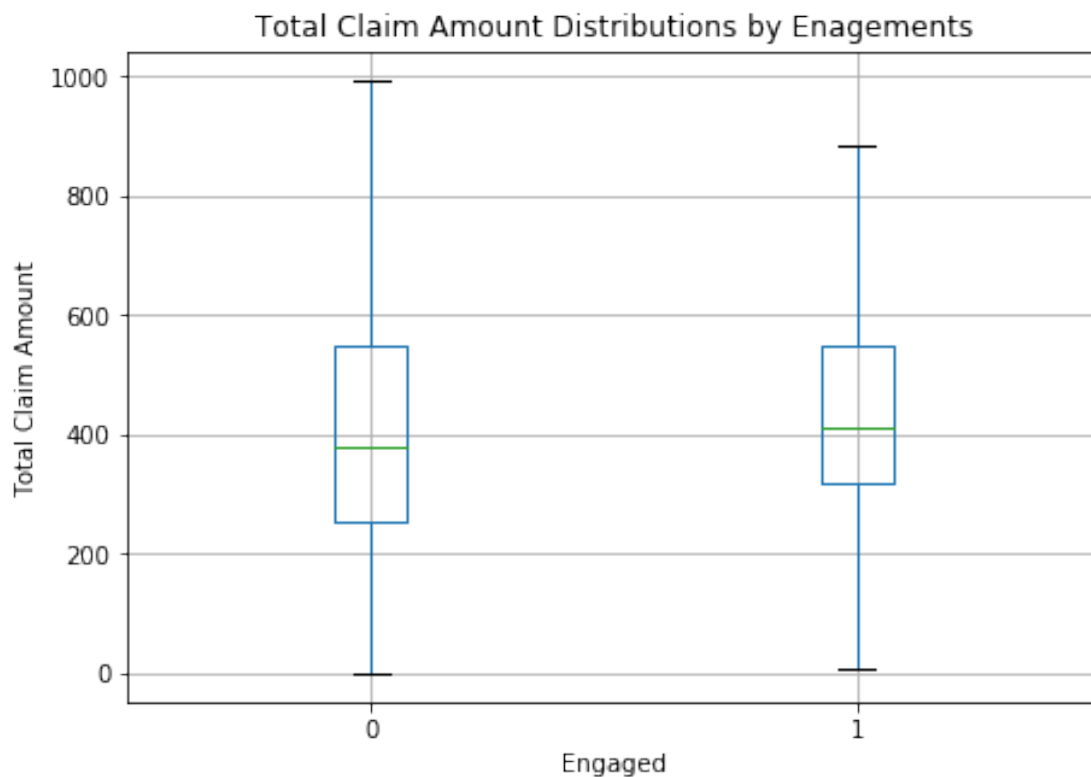
    ax = df[['Engaged', 'Total Claim Amount']].boxplot(
        by='Engaged',
        showfliers=False,
        figsize=(7,5)
    )
```

```

ax.set_xlabel('Engaged')
ax.set_ylabel('Total Claim Amount')
ax.set_title('Total Claim Amount Distributions by Engagements')

plt.suptitle("")
plt.show()

```



Box plots are a great way to visualize the distribution of continuous variables. They show the min, max, first quartile, median and third quartile, all in one view. The central rectangle spans from the first quartile to the third quartile, and the green line shows the median. The lower and upper ends show the minimum and the maximum of each distribution.

In [17]: *# See what happens if we set showfliers=True*

```

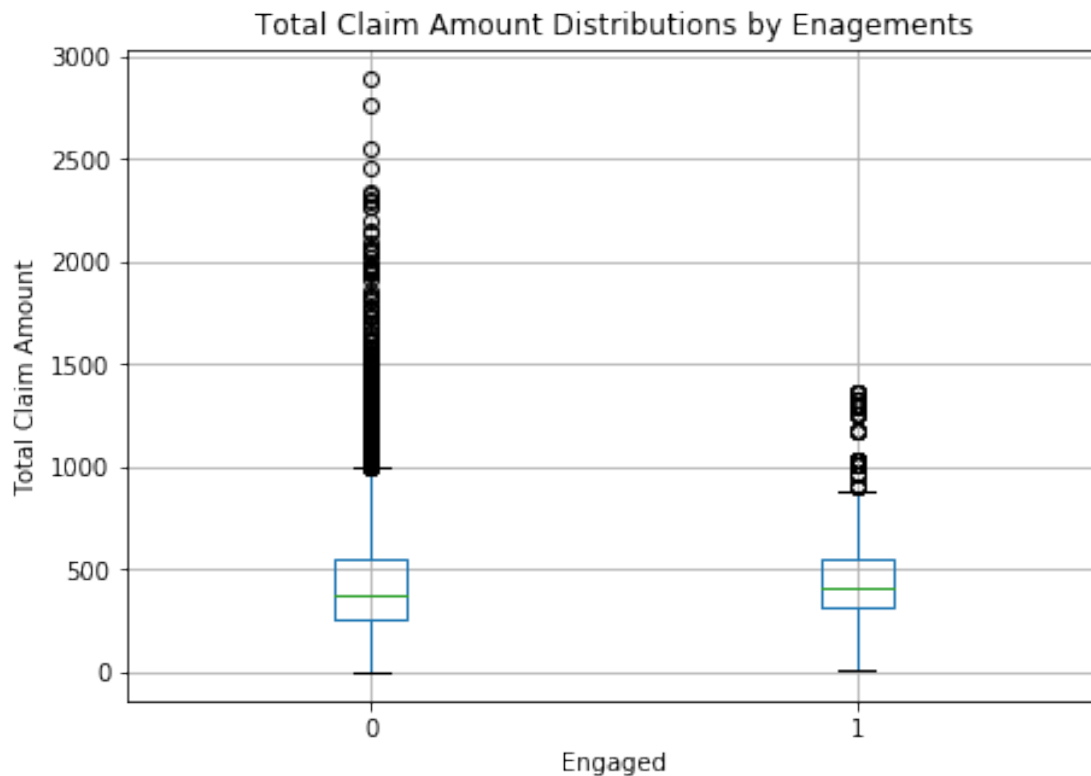
ax = df[['Engaged', 'Total Claim Amount']].boxplot(
    by='Engaged',
    showfliers=True,
    figsize=(7,5)
)

ax.set_xlabel('Engaged')
ax.set_ylabel('Total Claim Amount')

```

```
ax.set_title('Total Claim Amount Distributions by Engagements')

plt.suptitle("")
plt.show()
```



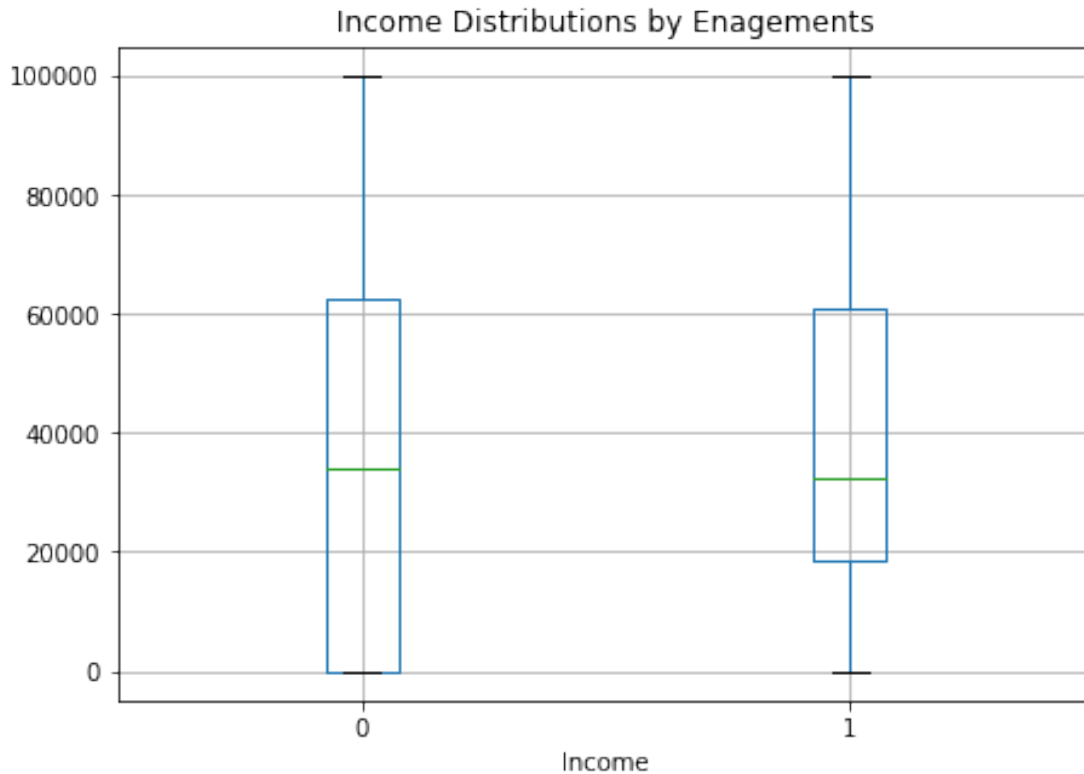
The dots above the upper boundary line show the suspected outliers that are decided based on the 'Interquartile range (IQR)'. The points that fall $1.5 * IQR$ above the third quartile or $1.5 * IQR$ below the first quartile are suspected outliers and are drawn with the dots.

2.1.4 - by Income Distributions

```
In [18]: ax = df[['Engaged', 'Income']].boxplot(
        by='Engaged',
        showfliers=True,
        figsize=(7,5)
    )

    ax.set_xlabel('Engaged')
    ax.set_xlabel('Income')
    ax.set_title('Income Distributions by Engagements')

    plt.suptitle("")
    plt.show()
```

```
In [19]: df.groupby('Engaged').describe()['Income'].T
```

```
Out[19]: Engaged      0      1
count    7826.000000  1308.000000
mean     37509.190008  38544.027523
std      30752.259099  28043.637944
min        0.000000    0.000000
25%        0.000000   18495.000000
50%     34091.000000   32234.000000
75%     62454.250000   60880.000000
max     99981.000000   99845.000000
```

3. Regression Analysis with Continuous Variables Only

```
In [20]: import statsmodels.formula.api as sm
```

```
In [21]: df.describe()
```

```
Out[21]:
```

	Customer Lifetime Value	Income	Monthly Premium Auto \
count	9134.000000	9134.000000	9134.000000
mean	8004.940475	37657.380009	93.219291
std	6870.967608	30379.904734	34.407967

min	1898.007675	0.000000	61.000000
25%	3994.251794	0.000000	68.000000
50%	5780.182197	33889.500000	83.000000
75%	8962.167041	62320.000000	109.000000
max	83325.381190	99981.000000	298.000000

	Months Since Last Claim	Months Since Policy Inception \
count	9134.000000	9134.000000
mean	15.097000	48.064594
std	10.073257	27.905991
min	0.000000	0.000000
25%	6.000000	24.000000
50%	14.000000	48.000000
75%	23.000000	71.000000
max	35.000000	99.000000

	Number of Open Complaints	Number of Policies	Total Claim Amount \
count	9134.000000	9134.000000	9134.000000
mean	0.384388	2.966170	434.088794
std	0.910384	2.390182	290.500092
min	0.000000	1.000000	0.099007
25%	0.000000	1.000000	272.258244
50%	0.000000	2.000000	383.945434
75%	0.000000	4.000000	547.514839
max	5.000000	9.000000	2893.239678

	Engaged
count	9134.000000
mean	0.143201
std	0.350297
min	0.000000
25%	0.000000
50%	0.000000
75%	0.000000
max	1.000000

```
In [22]: df['Income'].dtype
```

```
Out[22]: dtype('int64')
```

```
In [23]: df['Customer Lifetime Value'].dtype
```

```
Out[23]: dtype('float64')
```

```
In [24]: # Store the continuous variables in a separate variable
```

```
continuous_vars = [
    'Customer Lifetime Value', 'Income', 'Monthly Premium Auto',
    'Months Since Last Claim', 'Months Since Policy Inception',
```

```

        'Number of Open Complaints', 'Number of Policies',
        'Total Claim Amount'
    ]

In [25]: # Initiate a logistic regression model supplying the Engaged column as the output
# variable (target) and the continuous variables as the input variables

logit = sm.Logit(
    df['Engaged'],
    df[continuous_vars]
)

In [26]: # Train or fit this model

logit_fit = logit.fit()

Optimization terminated successfully.
Current function value: 0.421189
Iterations 6

In [27]: # Get a detailed description of the trained model

logit_fit.summary()

Out[27]: <class 'statsmodels.iolib.summary.Summary'>
"""
                                Logit Regression Results
=====
Dep. Variable:                  Engaged    No. Observations:                  9134
Model:                          Logit      Df Residuals:                      9126
Method:                         MLE        Df Model:                          7
Date:                            Sun, 05 May 2019    Pseudo R-squ.:                   -0.02546
Time:                            22:35:43      Log-Likelihood:                   -3847.1
converged:                       True        LL-Null:                         -3751.6
                                      LLR p-value:                        1.000
=====
                                coef      std err          z      P>|z|      [0.025
-----
Customer Lifetime Value      -6.741e-06   5.04e-06   -1.337     0.181   -1.66e-05
Income                      -2.857e-06   1.03e-06   -2.766     0.006   -4.88e-06
Monthly Premium Auto         -0.0084      0.001     -6.889     0.000   -0.011
Months Since Last Claim      -0.0202      0.003     -7.238     0.000   -0.026
Months Since Policy Inception -0.0060      0.001     -6.148     0.000   -0.008
Number of Open Complaints    -0.0829      0.034     -2.424     0.015   -0.150
Number of Policies           -0.0810      0.013     -6.356     0.000   -0.106
Total Claim Amount           0.0001      0.000      0.711     0.477   -0.000
=====
"""

```

By looking at the p-value of “Income”, “Monthly Premium Auto”, “Months Since Last Claim”, “Months Since Policy Inception”, “Number of Open Complaints”, “Number of Open Complaints”, “Number of Policies”, these input variables seems to have significant relationships with the output variable “Engaged”. By looking at the coefficients, they are all negatively correlated to the Engaged variable.

4 4. Regression Analysis with Categorical Variables

In [28]: df.describe()

```
Out[28]:
```

	Customer Lifetime Value	Income	Monthly Premium Auto	\
count	9134.000000	9134.000000	9134.000000	
mean	8004.940475	37657.380009	93.219291	
std	6870.967608	30379.904734	34.407967	
min	1898.007675	0.000000	61.000000	
25%	3994.251794	0.000000	68.000000	
50%	5780.182197	33889.500000	83.000000	
75%	8962.167041	62320.000000	109.000000	
max	83325.381190	99981.000000	298.000000	

	Months Since Last Claim	Months Since Policy Inception	\
count	9134.000000	9134.000000	
mean	15.097000	48.064594	
std	10.073257	27.905991	
min	0.000000	0.000000	
25%	6.000000	24.000000	
50%	14.000000	48.000000	
75%	23.000000	71.000000	
max	35.000000	99.000000	

	Number of Open Complaints	Number of Policies	Total Claim Amount	\
count	9134.000000	9134.000000	9134.000000	
mean	0.384388	2.966170	434.088794	
std	0.910384	2.390182	290.500092	
min	0.000000	1.000000	0.099007	
25%	0.000000	1.000000	272.258244	
50%	0.000000	2.000000	383.945434	
75%	0.000000	4.000000	547.514839	
max	5.000000	9.000000	2893.239678	

	Engaged
count	9134.000000
mean	0.143201
std	0.350297
min	0.000000
25%	0.000000
50%	0.000000

```
75%      0.000000
max      1.000000
```

```
In [29]: df.columns
```

```
Out[29]: Index(['Customer', 'State', 'Customer Lifetime Value', 'Response', 'Coverage',
               'Education', 'Effective To Date', 'EmploymentStatus', 'Gender',
               'Income', 'Location Code', 'Marital Status', 'Monthly Premium Auto',
               'Months Since Last Claim', 'Months Since Policy Inception',
               'Number of Open Complaints', 'Number of Policies', 'Policy Type',
               'Policy', 'Renew Offer Type', 'Sales Channel', 'Total Claim Amount',
               'Vehicle Class', 'Vehicle Size', 'Engaged'],
              dtype='object')
```

```
In [30]: df.filter(items=['Gender']).head()
```

```
Out[30]:   Gender
0        F
1        F
2        F
3        M
4        M
```

4.1 Different ways to handle categorical variables

4.1.1 1. Factorizing

```
In [31]: gender_values, gender_labels = df['Gender'].factorize()
```

The pandas function **factorize()** encodes categorical variables with numerical variables by enumerating through the values. Let's take a look:

```
In [32]: gender_values
```

```
Out[32]: array([0, 0, 0, ..., 1, 1, 1], dtype=int64)
```

```
In [33]: gender_labels
```

```
Out[33]: Index(['F', 'M'], dtype='object')
```

As you can see, **0** symbolizes **female (F)** and **1** symbolizes **male (M)**

```
In [34]: labels, levels = df['Education'].factorize()
```

```
In [35]: labels
```

```
Out[35]: array([0, 0, 0, ..., 0, 1, 1], dtype=int64)
```

```
In [36]: levels
```

```
Out[36]: Index(['Bachelor', 'College', 'Master', 'High School or Below', 'Doctor'], dtype='object')
```

This method is not appropriate because the feature of Education has 5 different categories.

4.1.2 2. pandas' Categorical variable series

```
In [37]: categories = pd.Categorical(  
        df['Education'],  
        categories=['High School or Below', 'Bachelor', 'College', 'Master', 'Doctor']  
        )  
  
In [38]: categories.categories  
  
Out[38]: Index(['High School or Below', 'Bachelor', 'College', 'Master', 'Doctor'], dtype='object')  
  
In [39]: categories.codes  
  
Out[39]: array([1, 1, 1, ..., 1, 2, 2], dtype=int8)
```

4.1.3 3. dummy variables

```
In [40]: pd.get_dummies(df['Education']).head(10)  
  
Out[40]:
```

	Bachelor	College	Doctor	High School or Below	Master
0	1	0	0	0	0
1	1	0	0	0	0
2	1	0	0	0	0
3	1	0	0	0	0
4	1	0	0	0	0
5	1	0	0	0	0
6	0	1	0	0	0
7	0	0	0	0	1
8	1	0	0	0	0
9	0	1	0	0	0

4.2 Adding these encoded variables of Gender and Education

```
In [41]: df['GenderFactorized'] = gender_values  
  
In [42]: df['EducationFactorized'] = categories.codes  
  
In [43]: df.head()  
  
Out[43]:
```

	Customer	State	Customer Lifetime Value	Response	Coverage	Education	\
0	BU79786	Washington	2763.519279	No	Basic	Bachelor	
1	QZ44356	Arizona	6979.535903	No	Extended	Bachelor	
2	AI49188	Nevada	12887.431650	No	Premium	Bachelor	
3	WW63253	California	7645.861827	No	Basic	Bachelor	
4	HB64268	Washington	2813.692575	No	Basic	Bachelor	

	Effective To Date	EmploymentStatus	Gender	Income	...	Policy Type	\
0	2/24/11	Employed	F	56274	...	Corporate Auto	
1	1/31/11	Unemployed	F	0	...	Personal Auto	
2	2/19/11	Employed	F	48767	...	Personal Auto	

3	1/20/11	Unemployed	M	0	...	Corporate Auto
4	2/3/11	Employed	M	43836	...	Personal Auto

	Policy	Renew	Offer Type	Sales Channel	Total Claim Amount \
0	Corporate L3		Offer1	Agent	384.811147
1	Personal L3		Offer3	Agent	1131.464935
2	Personal L3		Offer1	Agent	566.472247
3	Corporate L2		Offer1	Call Center	529.881344
4	Personal L1		Offer1	Agent	138.130879

	Vehicle Class	Vehicle Size	Engaged	GenderFactorized	EducationFactorized
0	Two-Door Car	Medsize	0	0	1
1	Four-Door Car	Medsize	0	0	1
2	Two-Door Car	Medsize	0	0	1
3	SUV	Medsize	0	1	1
4	Four-Door Car	Medsize	0	1	1

[5 rows x 27 columns]

4.3 Fit a logistic regression model with two categorical variables Gender and Education

```
In [44]: logit = sm.Logit(
            df['Engaged'],
            df[[
                'GenderFactorized',
                'EducationFactorized'
            ]]
        )
```

```
In [45]: logit_fit = logit.fit()
```

Optimization terminated successfully.
 Current function value: 0.493068
 Iterations 6

```
In [46]: logit_fit.summary()
```

```
Out[46]: <class 'statsmodels.iolib.summary.Summary'>
        """
```

```

                                Logit Regression Results
=====
Dep. Variable:                  Engaged    No. Observations:                  9134
Model:                            Logit    Df Residuals:                      9132
Method:                           MLE     Df Model:                          1
Date:                            Sun, 05 May 2019    Pseudo R-squ.:                  -0.2005
Time:                            22:35:45    Log-Likelihood:                  -4503.7
converged:                        True     LL-Null:                          -3751.6
```

	LLR p-value:				1.000	
	coef	std err	z	P> z	[0.025	0.975
GenderFactorized	-1.1266	0.047	-24.116	0.000	-1.218	-1.035
EducationFactorized	-0.6256	0.021	-29.900	0.000	-0.667	-0.584

```

=====
"""

```

By looking at the p-value, both the 2 input variables are seems to have significant relationships with the output variable Engaged. By looking at the coefficients, both are negative correlated with the output. This suggests that male customers, encoded with 1 in the GenderFactorized, are less likely to be engaged with marketing calls than female customers, encoded with 0. Similarly, the higher the customers' education levels are, the less likely that will be engaged with marketing calls.

5. Regression Analysis with both Continuous and Categorical Variables

```

In [47]: logit = sm.Logit(
            df['Engaged'],
            df[['Customer Lifetime Value',
                'Income',
                'Monthly Premium Auto',
                'Months Since Last Claim',
                'Months Since Policy Inception',
                'Number of Open Complaints',
                'Number of Policies',
                'Total Claim Amount',
                'GenderFactorized',
                'EducationFactorized'
            ]])

```

```

In [48]: logit_fit = logit.fit()

```

```

Optimization terminated successfully.
Current function value: 0.420810
Iterations 6

```

```

In [49]: logit_fit.summary()

```

```

Out[49]: <class 'statsmodels.iolib.summary.Summary'>
"""

```

Logit Regression Results		
=====		
Dep. Variable:	Engaged	No. Observations: 9134


```

Model:                Logit      Df Residuals:                9124
Method:                MLE       Df Model:                9
Date:                 Sun, 05 May 2019   Pseudo R-squ.:            -0.02454
Time:                 22:35:46    Log-Likelihood:           -3843.7
converged:            True        LL-Null:                -3751.6
                                LLR p-value:            1.000

```

	coef	std err	z	P> z	[0.025
Customer Lifetime Value	-6.909e-06	5.03e-06	-1.373	0.170	-1.68e-05
Income	-2.59e-06	1.04e-06	-2.494	0.013	-4.63e-06
Monthly Premium Auto	-0.0081	0.001	-6.526	0.000	-0.011
Months Since Last Claim	-0.0194	0.003	-6.858	0.000	-0.025
Months Since Policy Inception	-0.0057	0.001	-5.827	0.000	-0.008
Number of Open Complaints	-0.0813	0.034	-2.376	0.017	-0.148
Number of Policies	-0.0781	0.013	-6.114	0.000	-0.103
Total Claim Amount	0.0001	0.000	0.943	0.346	-0.000
GenderFactorized	-0.1500	0.058	-2.592	0.010	-0.263
EducationFactorized	-0.0070	0.027	-0.264	0.792	-0.059

By looking at the p-value, the **'Income'**, **'Monthly Premium Auto'**, **'Months Since Last Claim'**, **'Months Since Policy Inception'**, **'Number of Open Complaints'**, **'Number of Policies'**, and **'GenderFactorized'** variables are significant at 0.05 significance level, and all of them have *negative relationships* with the output variable, **Engaged**.

Conclusions: The higher the income is, the less likely that the customer will be engaged with marketing calls. Alike, the policies the customer has, the less likely that the customer will be engaged. In addition, male customers are less likely to engage with marketing calls than female ones, and so on.