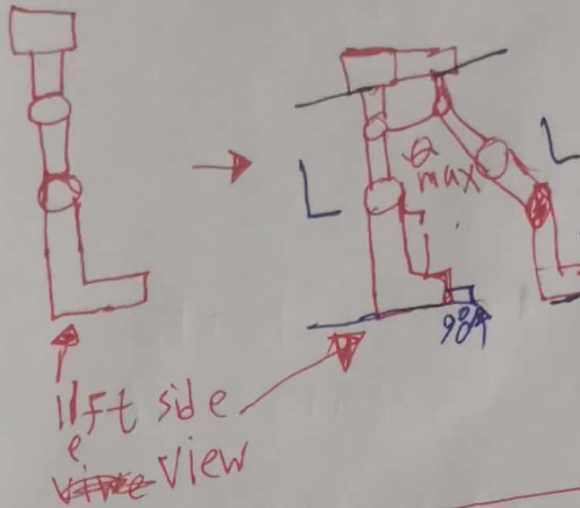
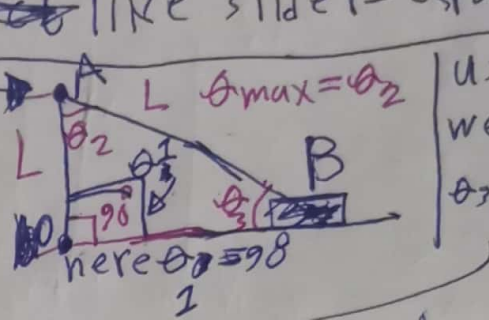


Angle Task

Find the max angle without lifting foot off the ground



assume; slider-crank mechanism
since that system or mechanism act
~~act~~ like slider-crank

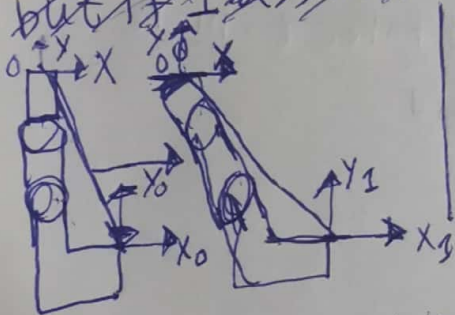


using trig function
we know that
 $\theta = \sin^{-1} \left(\frac{OA}{AB} \right) = \sin^{-1} \left(\frac{1}{2} \right)$

or simple use $\theta_1 + \theta_2 + \theta_3 = 180^\circ$, since $\theta_1 = 90^\circ$.
 $\theta_2 + \theta_2 = 90^\circ$, use a lot of m. Answer-

or simple use $\theta_1 + \theta_2 + \theta_3 = 180^\circ$, since
 ~~$\theta_2 + \theta_2 = 90^\circ$~~ use a lot of method
 and all of them give me wrong Answer that $\theta_2 = 90^\circ$
 but I know all the formulas used are correct $\theta_3 = 0^\circ$
 the wrong come from Joint
 Print

and all of them
but I know all the formulas like
but if I ~~assume~~ the wrong come from joint
same start point
but different end point
The degrees of freedom in the joints are
responsible for this.



So I will assume that $\theta_2 = \theta_3$ $\theta_2 + \theta_3 = 90^\circ \rightarrow 2\theta_2 = 90^\circ \rightarrow \theta_2 = 45^\circ$
 We will get $\theta_2 = \theta_3 = 45^\circ$. $\theta_{max} = \theta_2 = 45^\circ$

Motors location

assume:

we have 2 motors

$$1: 0.0001 \text{ HP} = 0.0746 \text{ watt}$$

$$2: 0.1 \text{ HP} = 74.6 \text{ watt}$$

~~we know~~ ^{good angular velocity}

$$P = \tau \omega, \text{ let } \omega = 1 \text{ rad/s}$$

$$\tau = \frac{P}{\omega}, \tau_1 = \frac{P_1}{\omega_1}, \tau_2 = \frac{P_2}{\omega_2}$$

$$\tau = F \cdot X \rightarrow F = \frac{\tau}{X}$$

$$\tau_1 = 0.0746 \text{ N}\cdot\text{cm}, \tau_2 = 74.6 \text{ N}\cdot\text{cm}$$

we need a little force to move the foot forward but before that we have to overcome the weight and friction

X_1 : location of Motors 1, X_2 : location of Motors 2

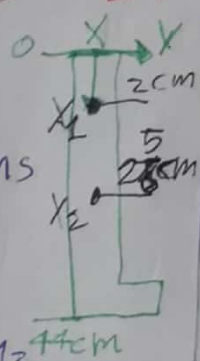
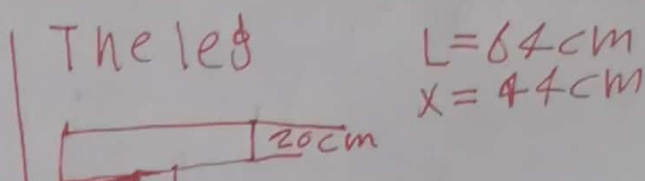
~~using Newton 2nd law~~ $F = F_{\text{total}}$ we need to get $F > F_w$

$$F = F_1 + F_2 = \frac{\tau_1}{X_1} + \frac{\tau_2}{X_2}$$

After a few calculations I got the following

$$X_1 = 2 \text{ cm}, X_2 = 2 \text{ cm}$$

$$F = \frac{\tau_1}{X_1} + \frac{\tau_2}{X_2} = 302.13$$



$$F_x = F - F_{\text{total}}$$

$$F_x = 302.13 - 300 = 2.13 \text{ N}$$

little enough force to move foot forward