



Capstone Project: Heatmap Anomaly Detection

Week 13 Progress Report

This week:

1. Metrics dataset with LRT result: Edge Case
2. Results on third dataset
3. Uniform good vs uniform bad: results, Summary of datasets used

Metrics Dataset with LRT result: Edge Case

- Add the LRT result as one feature to metrics dataset
- Add landing rate as a feature
- Perform Random Forest to Prediction on the new data

	Feature	Importance
0	preds	0.675318
5	landing_rate	0.175833
4	avg_last_second_framerate	0.051037
1	displays	0.040884
2	non_bounced_clicks	0.030177
3	closing_events	0.026752

Old Test Data:

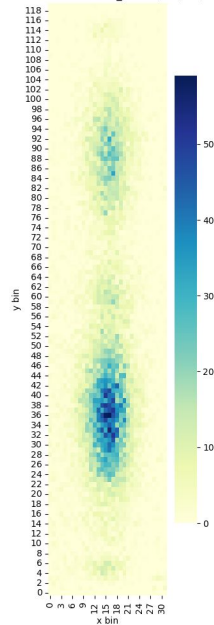
	precision	recall	f1-score	support
0	0.98	0.99	0.99	303
1	0.95	0.89	0.92	44
accuracy				0.98
macro avg				0.97
weighted avg				0.98
[[301 2]				
[5 39]]				
0.9176470588235294				

New Data:

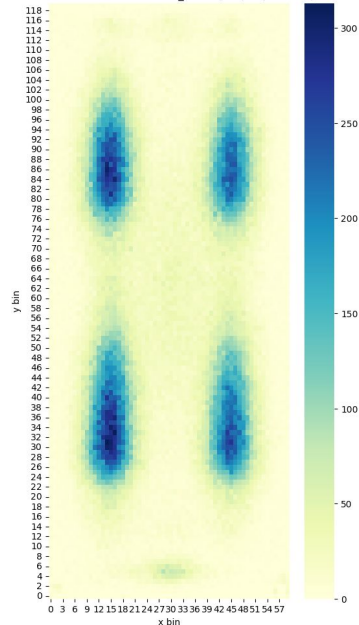
	precision	recall	f1-score	support
0	0.49	0.92	0.64	2966
1	0.40	0.05	0.09	2966
accuracy				0.49
macro avg				0.45
weighted avg				0.45
[[2732 234]				
[2809 157]]				
0.09353589514447422				

New “timestamped” Data:

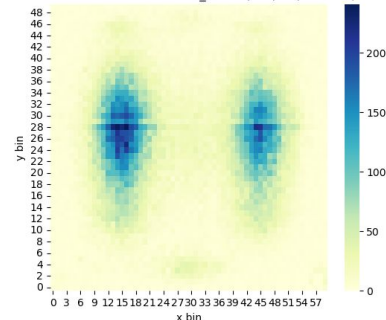
Grid = 333372, domain = ID_2458, (h,w) = (600,160)



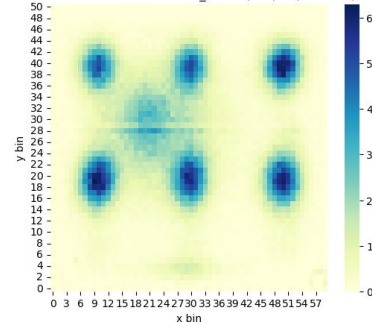
Grid = 333372, domain = ID_6274, (h,w) = (600,300)



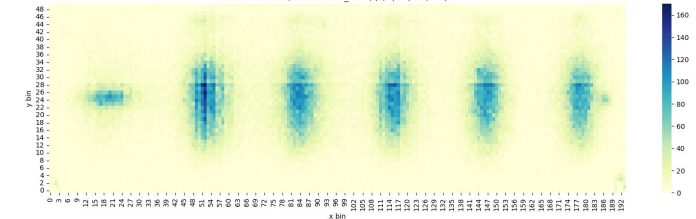
Grid = 333372, domain = ID_6274, (h,w) = (250,300)



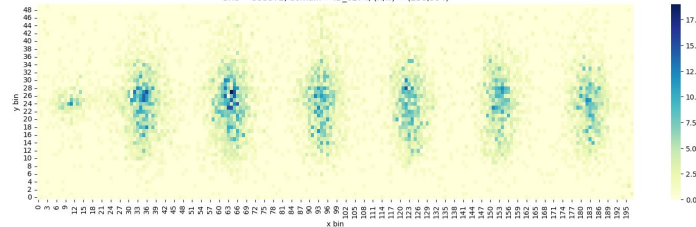
Grid = 333519, domain = ID_2458, (h,w) = (250,300)



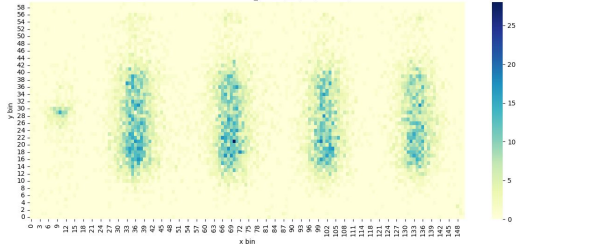
Grid = 333372, domain = ID_6274, (h,w) = (250,970)



Grid = 333372, domain = ID_6274, (h,w) = (250,994)

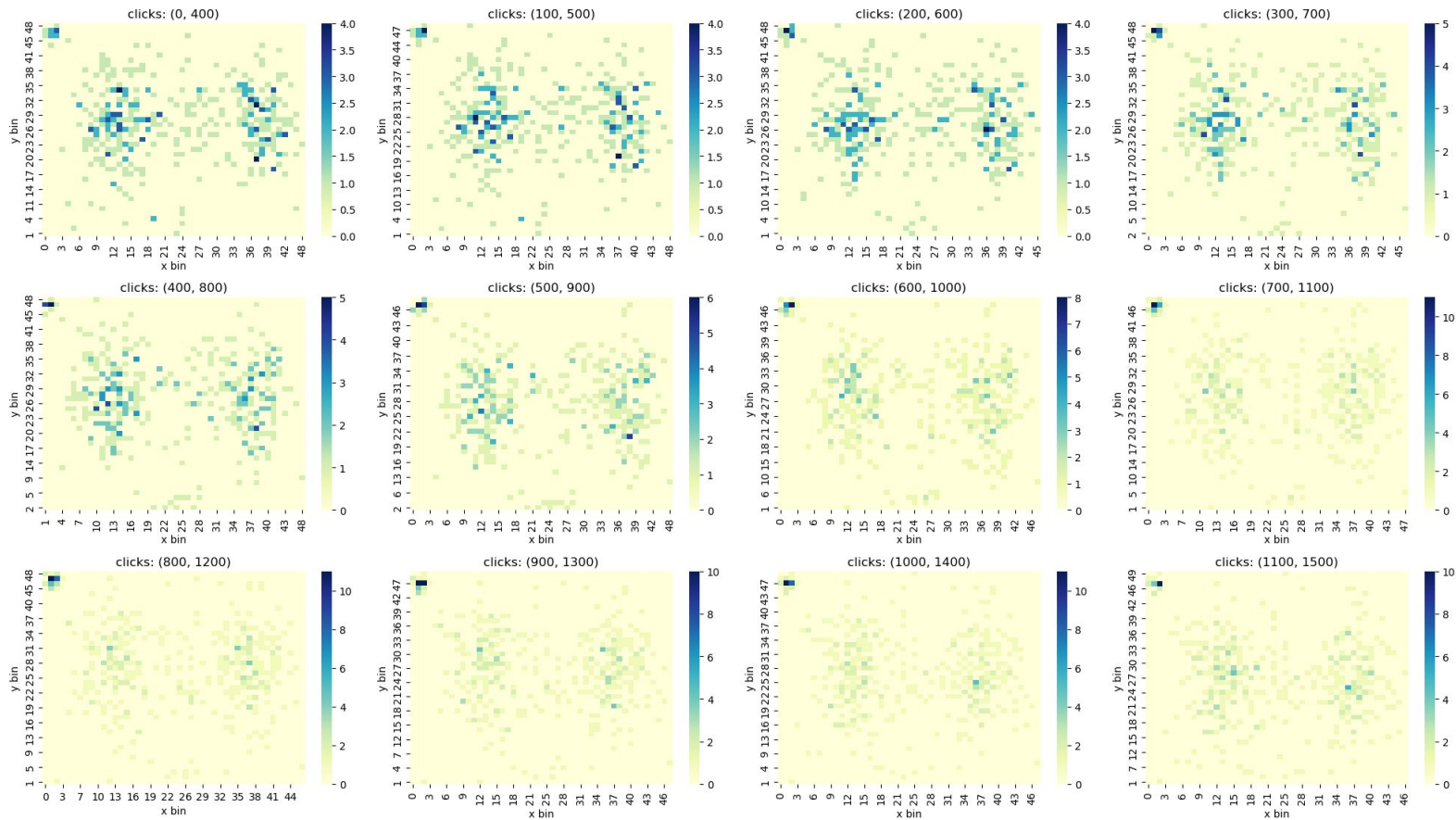


Grid = 333372, domain = ID_7573, (h,w) = (300,750)

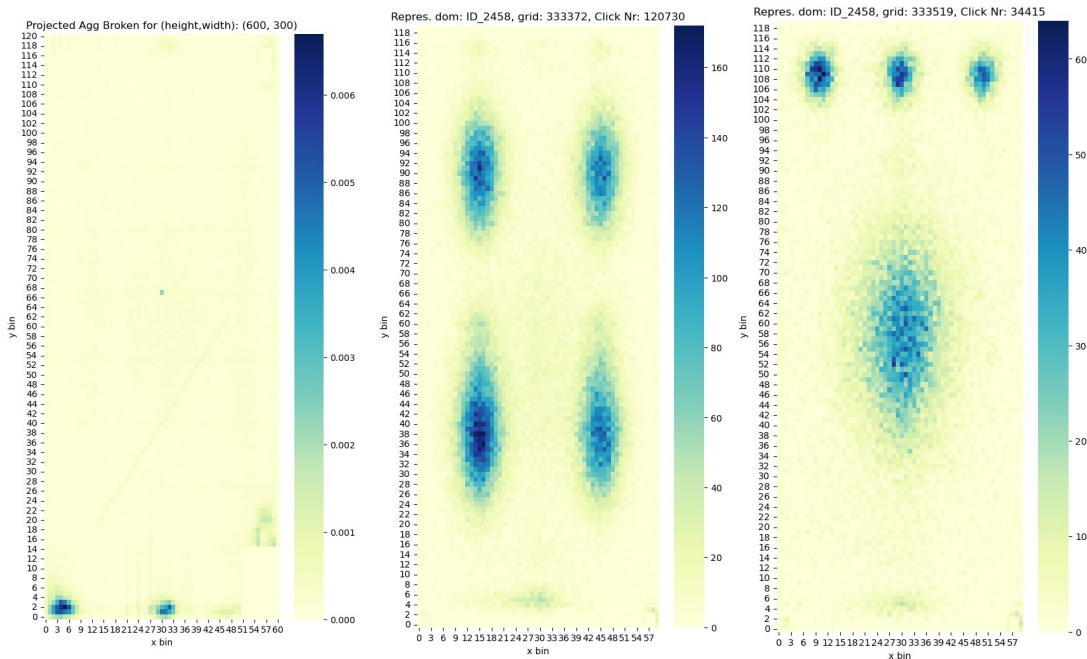


Example of “degradation”:

Grid = 333372, Dom = ID_957, (height,width): (250, 300)

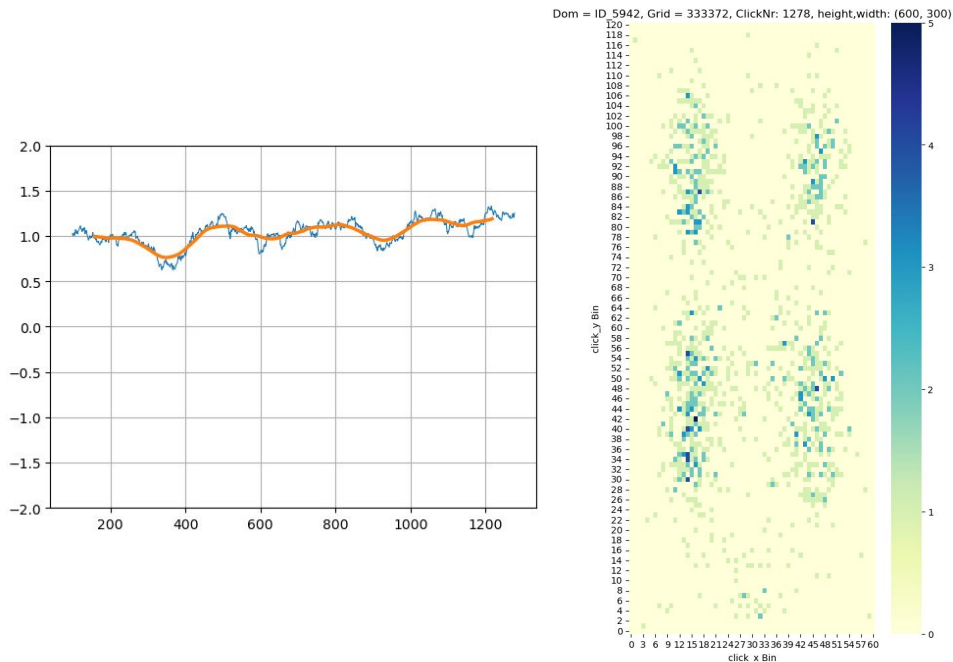


Time-series of LR (1-shot):



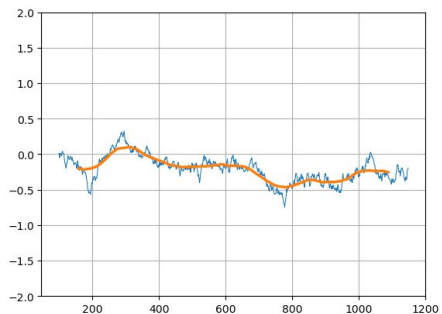
- Project aggregated broken banners to new size (eg. 600,300)
- Generate representative samples as before
- Compute LR across different window
- Plot (smoothed) LR over time
 - Careful to adjust epsilon to not be too large otherwise we get many outliers
- Study average derivative over window/smoothed curve and inspect for “degradation” of pattern.

Time-series of LR (1-shot):

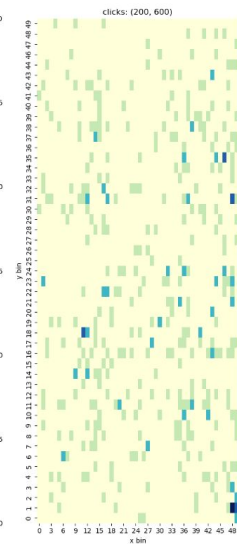
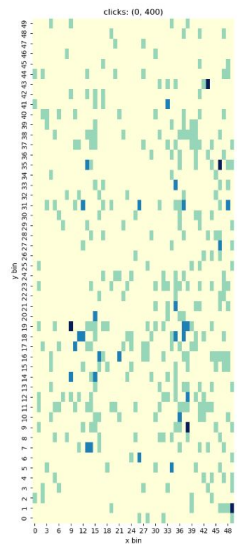
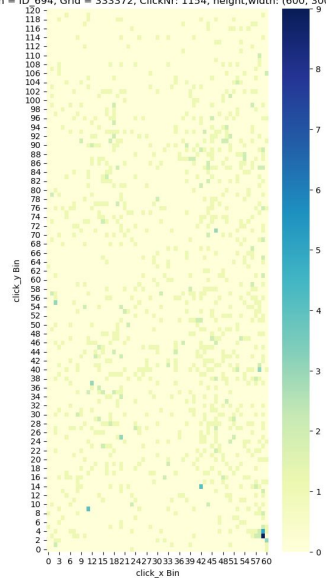


- Plot (smoothed) LR over time
 - Rolling window of 100 clicks in order.
 - Careful to adjust epsilon to not be too large otherwise we get many outliers
- Study average derivative over window/smoothed curve and inspect for “degradation” of pattern.

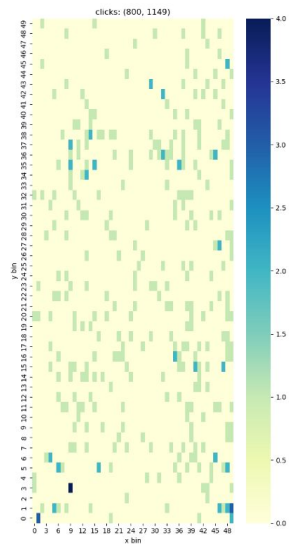
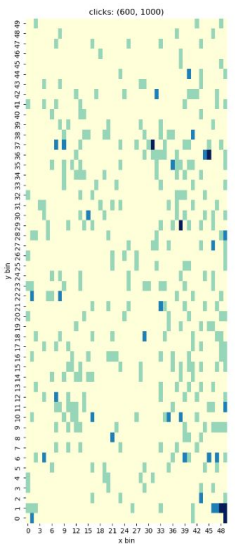
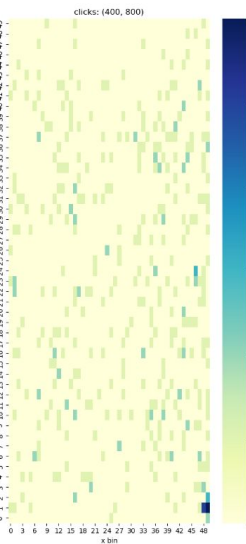
1st Example



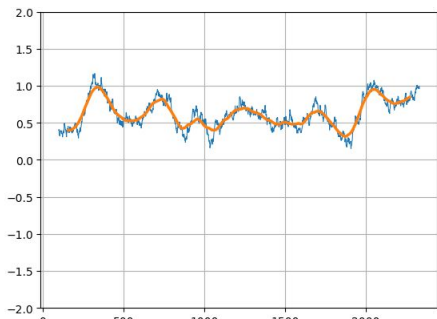
Dom = ID_694, Grid = 333372, ClickNr: 1154, height,width: (600, 300)



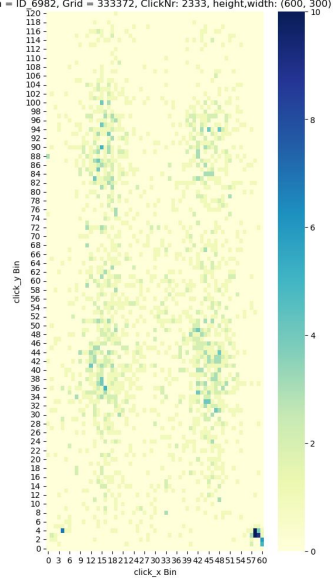
Grid = 333372, Dom = ID_694, (height,width: (600, 300))



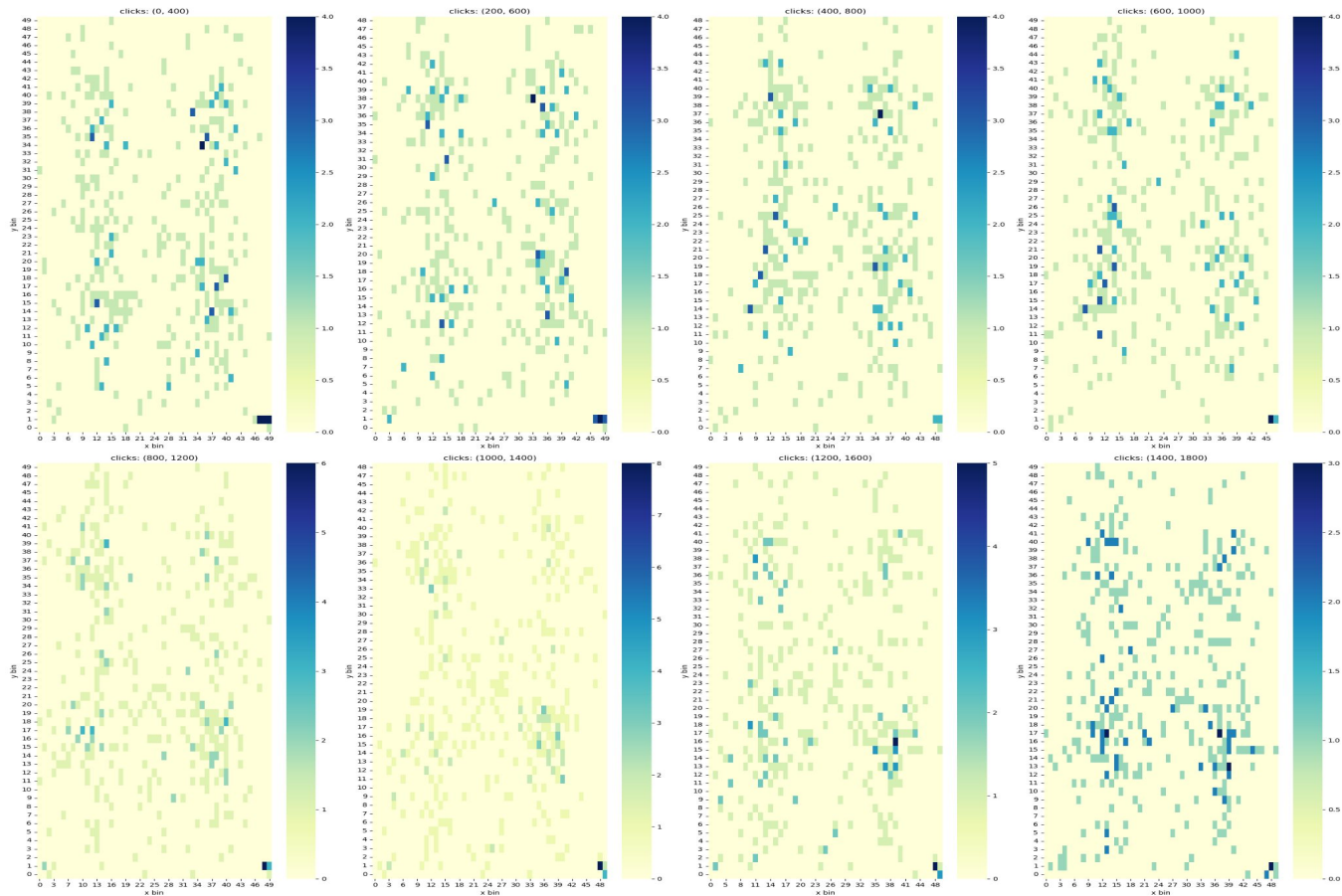
2nd Example



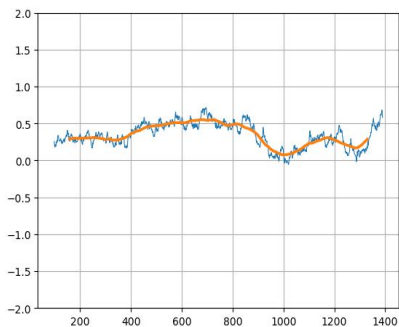
Dom = ID_6982, Grid = 333372, ClickNr: 2333, height,width: (600, 300)



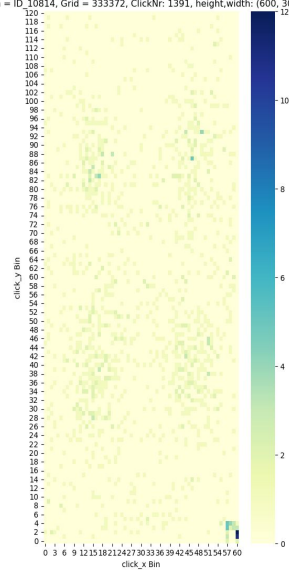
Grid = 333372, Dom = ID_6982, (height,width): (600, 300)



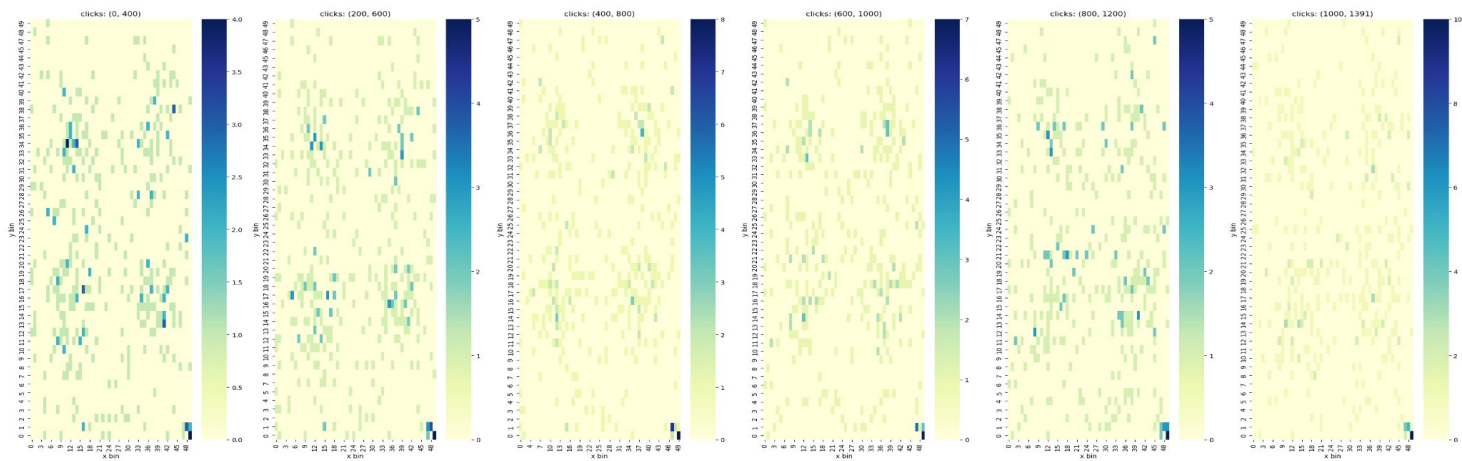
3rd Example



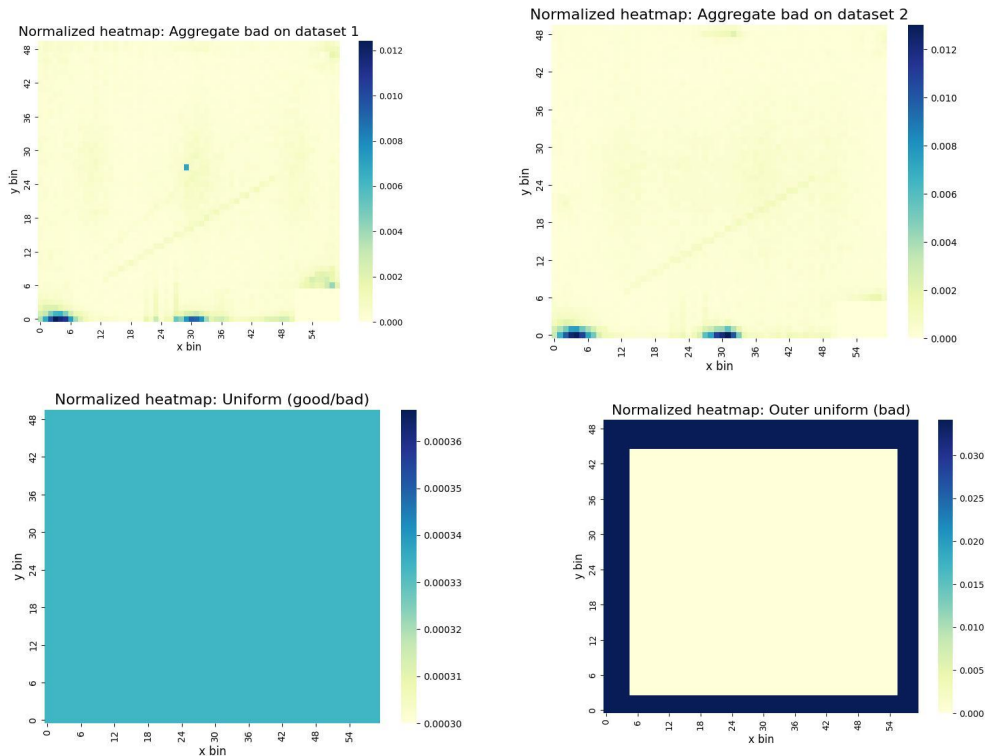
Dom = ID_10814, Grid = 333372, ClickN: 1391, height,width: (600, 300)



Grid = 333372, Dom = ID_10814, (height,width): (600, 300)

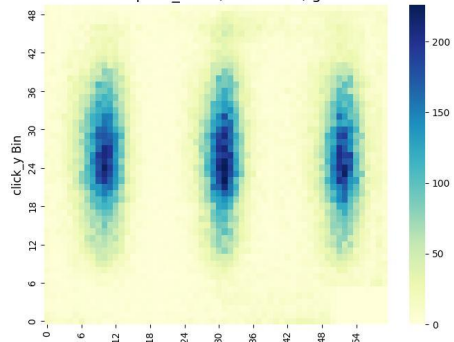


Visualization of bad representative banners

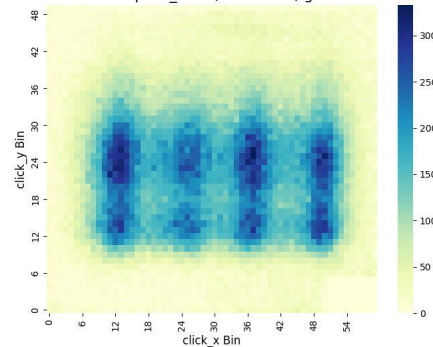


Visualization of good representative banners

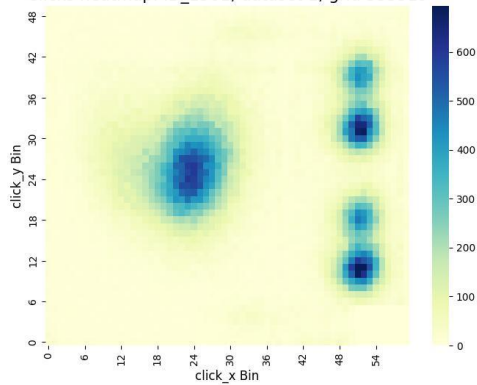
Clicks heatmap: ID_1501, dataset 1, grid 333346



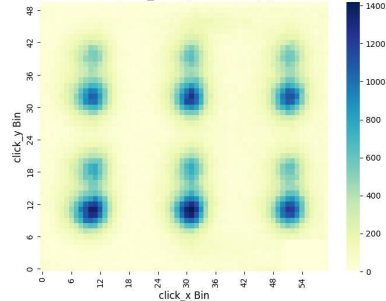
Clicks heatmap: ID_3516, dataset 2, grid 333346



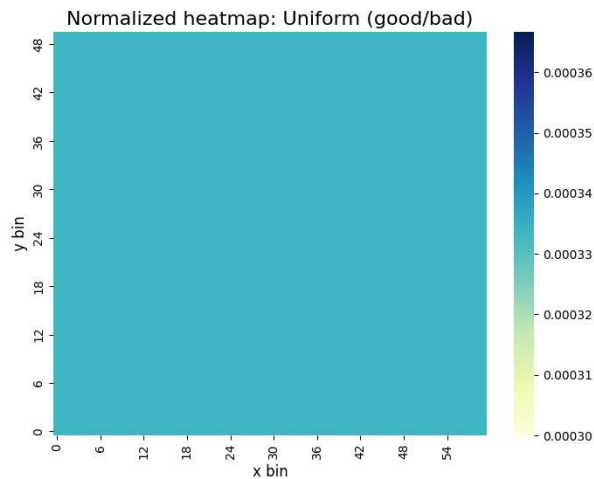
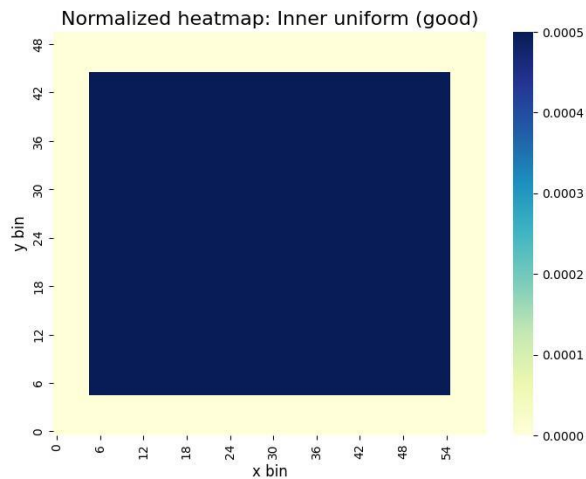
Clicks heatmap: ID_1501, dataset 1, grid 333519

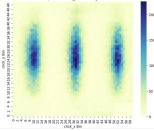
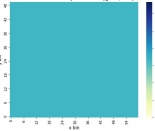


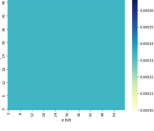
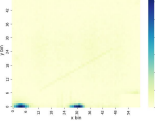
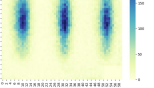



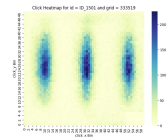
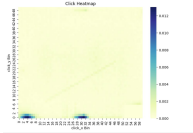

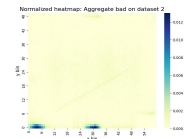
Clicks heatmap: ID_3516, dataset 2, grid 333519

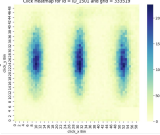
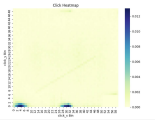
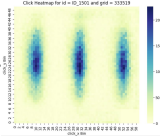
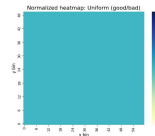

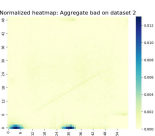
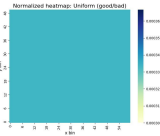
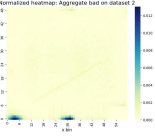
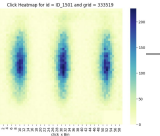
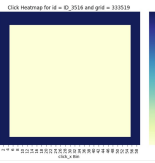


Visualization of good representative banners



"Good" banner	"Bad" banner	Learning	f1: 1st data (macro/macro o)	f1: 2nd data (macro/macro)
		<u>One shot</u>	<u>0.95</u> <u>0.92</u>	<u>0.85</u> <u>0.92</u>
		One shot	0.94 0.73	0.79 0.9
		<u>Zero shot</u>	<u>0.91</u> <u>0.91</u>	<u>0.88</u> <u>0.89</u>
		Zero shot	0.84	0.89
		One shot	0.51	0.53

"Good" banner	"Bad" banner	Learning	Macro f1 (same dataset)	Macro f1 (different dataset)
		One shot	0.95	0.92
		Zero shot	0.91	0.91

"Good" banner	"Bad" banner	Learning	f1: 1st data (macro/bin ary)	f1: 2nd data (macro/binary)
		<u>One shot</u>	<u>0.95</u> <u>0.87</u>	<u>0.73</u> <u>0.92</u>
				
		One shot	0.94 0.58	0.61 0.9
		<u>Zero shot</u>	<u>0.91</u> <u>0.75</u>	<u>0.79</u> <u>0.89</u>
				
		Zero shot	0.84	0.89
		One shot	0.51	0.53

	"Good" banner	"Bad" banner	Learning	Results: old data (f1,CM, latency per banner)	Results: new data (f1/CM)
1	Landed clicks ratio > 0.8 + most no. clicks	Agg. bad data from other dataset	One shot	0.95 [[1502 19] [15 197]]	0.92 [[2782 22] [44 182]]
2	representative	uni	One shot	0.94 [[1508 13] [29 183]]	0.9 [[2769 35] [48 178]]
3	Step uni	agg	Zero shot	0.91 [[1503 18] [44 168]]	0.89 [[2774 30] [58 168]]
5	uni	agg	One shot	0.84 [[1517 4] [93 119]]	0.89 [[2768 24] [64 174]]
6	representative	step uni	One shot	0.51 [[1521 0] [202 10]]	0.53 [[2803 1] [215 11]]

More information on the experiment



Average latency: 0.05s / banner

CPU specs: Intel i7 processor, 4.7GHz, 16GB RAM

Number of banners processed:

Old: 872 with 75 broken (333519), 861 with 137 broken (333346)

New: 2061 with 73 broken (333519), 969 with 153 broken (33346)



Types of good/bad banners

Good:

1. One shot: "Best" representative from the same dataset
- ~~2. Zero shot: Normal uniform distribution~~
3. Zero shot: Step uniform distribution

Bad:

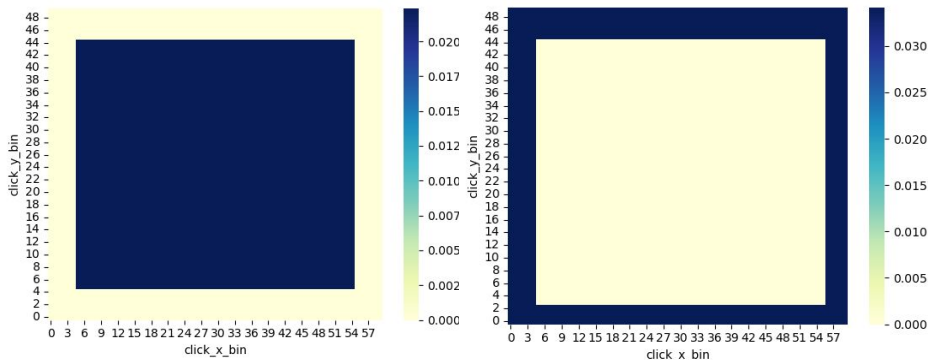
1. Zero shot: Aggregating all bad banners from other dataset
- ~~2. Zero shot: Normal uniform distribution~~
3. Zero shot: Inverse step uniform distribution (toy banner)

Note: One shot is not done here as the bad banners can look quite different

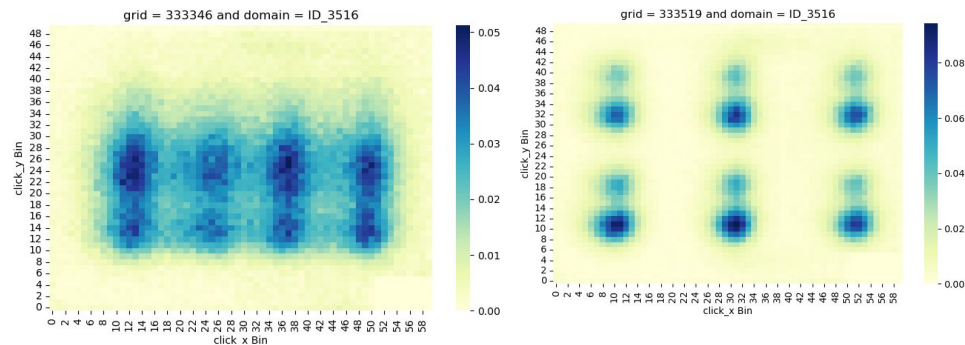
Question to answer: which distribution, good or broken, can be better modeled by a uniform distribution?

Uniform bad clusters + Good representative clusters

Bad Clusters



Good Clusters





Setting Thresholds

Using only cosine similarity with each cluster

`max_f1 = 0.78`

`best_thresholds = [0.13, 0.85, 0.15, 0.11]`

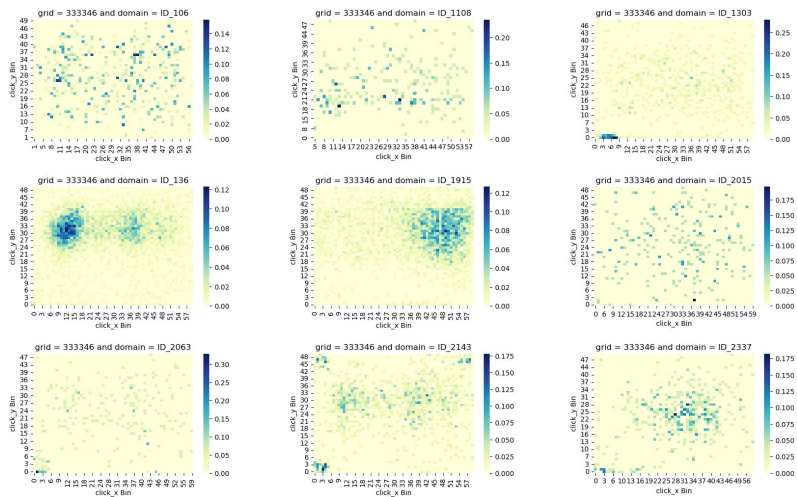
Using (sum of similarity to good clusters)/(sum of similarity to bad clusters) & $\log(\text{product of similarities to good cluster}) - \log(\text{product of similarities to bad cluster})$

`max_f1 = 0.83`

`best_thresholds = [1.23, 0.11]`



FN



FP

