

(1)

## Unit-4

### Semantic Analysis

- \* Semantic analysis phase is the Third Phase of the compiler. Semantic analysis checks the source program for semantic errors.
- \* It uses the hierarchical structure determined by the syntax analysis phase to identify the operators and operands of expressions and statements.
- \* Semantic analysis performs type checking, i.e., it checks that whether each operator has operands that are permitted by the source language specification.

Ex:- If a real number is used to index an array i.e.,  $a[1.5]$  then the compiler will report an error. This error is handled during semantic analysis.

#### Semantic errors:

1, Missing parenthesis in expr

2, Matching if-else statement

3, Type checking etc.

- \* After syntax analysis, it produces hierarchical structure, which is determined by the parse tree, called AST, i.e., It is nothing but a parse tree, variables are not shown in parse tree.

## Syntax-directed translation: - (SDT)

(2)

- \* Till now as we know how an input string is syntactically checked by the syntax analysis, now, we should know how to analyse the input semantically.

### Need of semantic analysis:

The semantic analysis is done in order to obtain the precise meaning of programming construct.

SDT it is, to translate a programming language construct, i.e, In Compiler Design, along with a grammar we have to give some meaningful Rules (Formal Notation).

i.e,  $\boxed{\text{Grammar} + \text{Semantic Rule} = \text{SDT}}$

So, a compiler has to keep track of syntax analysis, I-C.G, C-O, symbol table Generation, expression evaluation many things can be done parallel at the time of Parsing.

(8)

- \* SDT is to construct a parse tree (8) syntax tree, and then to compute the values of attribute at the nodes of the tree by visiting the nodes of the tree.
- \* A formal notation list called as 4 syntax-directed definition is used for specifying translatability for programming language constructs.

- \* A syntax-directed definition (SDD) is a content-free grammar together with attribute and rules. ③
- \* Attribute are associated with grammatical symbols and
- \* Rules are associated with productions.
- \* If 'x' is a symbol and 'a' is one of its attributes then we write  $x.a$  to denote the value of 'a' at a particular parse tree node labeled 'x'.
- \* set of attribute can be associated with each terminal and Non-terminal symbol. and attribute can be a string, number, a type, a memory location & anything else.
- \* we shall deal with two kinds of attribute for non-terminals.

1, synthesized Attribute

2, Inherited Attribute.

synthesized Attribute:

Consider  $X \rightarrow \alpha$  be a content tree grammar and  $a := f(b_1, b_2, \dots, b_K)$  where ' $a$ ' is the attribute.

then, ① The attribute ' $a$ ' is called synthesized attribute if  $X$  and  $b_1, b_2, \dots, b_K$  all attribute belonging to the production symbol.

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the value of synthesized attribute at a node is computed from the values of attributes at the children of that node in the parse tree.

2 A synthesized attribute is an attribute of the non-terminal on the left-hand side of a production.

② the attribute 'a' is called an inherited attribute if one of the grammar symbol on the R.H.S of the production i.e.,  $\alpha$  and  $b_1, b_2, \dots, b_k$  are belonging to either  $X(\alpha)$  or

In inherited attributes can be computed from the values of the attributes at the siblings and parent of that node.

3 An attribute of a non-terminal on the right-hand side of a production is called an inherited attribute.

SDT for evaluation of expression:

$$E \rightarrow E_1 + T \quad \{ E \cdot \text{value} = E_1 \cdot \text{value} + T \cdot \text{value} \}$$

$$T \rightarrow T_1 * F \quad \{ T \cdot \text{value} = T_1 \cdot \text{value} * F \cdot \text{value} \}$$

$$T \rightarrow T_1 * F \quad \{ T \cdot \text{value} = T_1 \cdot \text{value} * F \cdot \text{value} \}$$

$$F \rightarrow \text{num} \quad \{ F \cdot \text{value} = \text{num} \cdot \text{value} \}$$

the above grammar, which is used to evaluate some expression

2 + 3 \* 4

## Syntax-Directed Translation Schemes:

①

- \* The syntax directed translation scheme is a content-free grammar, it is used to evaluate the order of semantic rules.
- \* In translation scheme, the semantic rules are embedded within the right side of the productions.
- \* The position at which an action is to be executed is shown by enclosed between braces. It is written within the right side of the production.
- \* So, a translation scheme is like a syntax directed definition, except that the order of evaluation of semantic rules is explicitly shown.
- \* The order in which the actions are executed is the order in which they appear during a depth-first traversal of a parse-tree. (left-right depth first order)

$$N = L_1 \cdot L_2 \quad \{ N \cdot \text{dval} = L_1 \cdot \text{dval} + L_2 \cdot \text{dval}; \}$$

11.01

$$L = L_1 \cdot B \quad \{ L \cdot C = L_1 \cdot C + B \cdot C, L \cdot \text{dval} = L_1 \cdot \text{dval} + B \cdot \text{dval}; \}$$

$$B \rightarrow 0 \quad \{ B \cdot C = 1, B \cdot \text{dval} = 0 \}$$

$$B \rightarrow 1 \quad \{ B \cdot C = 1, B \cdot \text{dval} = 1 \}$$

# Syntax Directed Translation scheme

$E \rightarrow E + T \quad \{ \text{printf}(" + "); \} - \textcircled{1}$

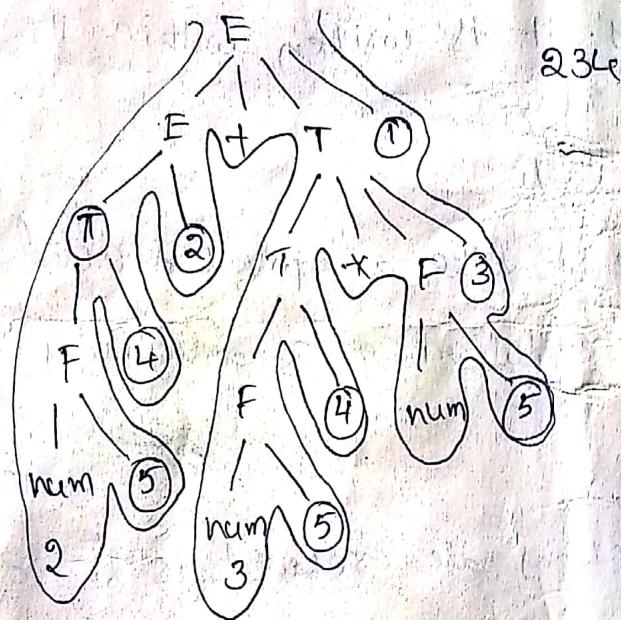
$| T \} - \textcircled{2}$

$T \rightarrow T * F \quad \{ \text{printf}(" * "); \} - \textcircled{3}$

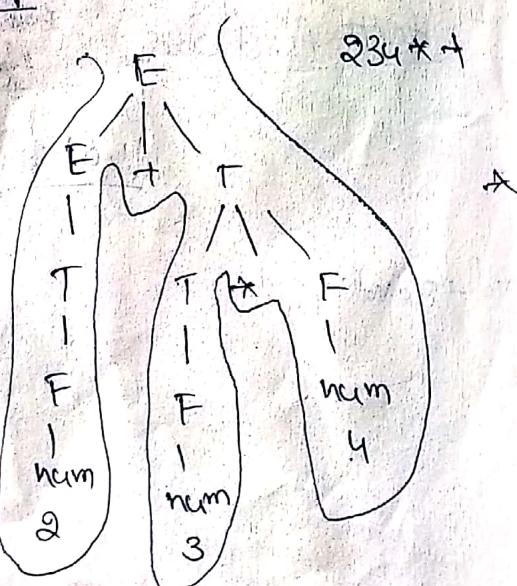
$| F \} - \textcircled{4}$

$F \rightarrow \text{num} \quad \{ \text{printf}(\text{num} \cdot \text{level}); \} - \textcircled{5}$

Topdown parse



bottom-up



### (3)

Translation scheme for generating a string from SDT:

$$S \rightarrow xxw \{ \text{printf}(1); \}$$

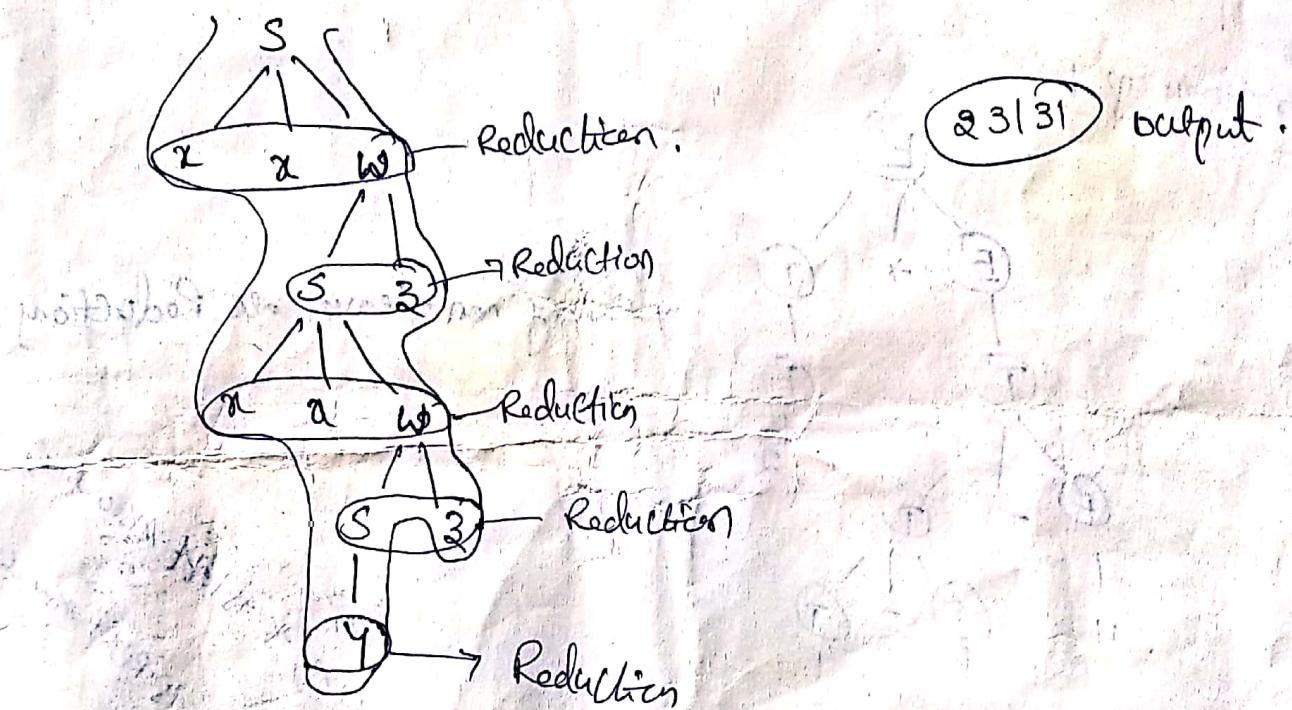
$$| y \{ \text{printf}(2); \}$$

$$w \rightarrow s3 \{ \text{printf}(3); \}$$

$$\text{String } w = x x x y z z,$$

find the output of this string.

If we use LR parser, In order to generate a particular string from SDT, how will a tree appear.



$$E \rightarrow E \# T \{ E.\text{val} = E.\text{val} * T.\text{val}; \}$$

$$| T \{ E.\text{val} = T.\text{val}; \}$$

$$| T \rightarrow T \& F \{ T.\text{val} = T.\text{val} + F.\text{val} \}$$

$$| F \{ T.\text{val} = F.\text{val}; \}$$

$$| F \rightarrow \text{num} \{ F.\text{val} = \text{num}.\text{val}; \}$$

$$w = 2 \# 3 \& 5 \# 6 8 4 - \text{output} - ?$$

$$= 2 + \frac{(3+5)}{1} + \frac{(6+4)}{2}$$

$$= ((2+8)*10) = 160$$

(4)

$$E \rightarrow E * T \quad \{ E\text{-val} = E\text{-val} * T\text{-val}; \}$$

$$(T \quad \{ E\text{-val} = T\text{-val}; \})$$

$$T \rightarrow F - T \quad \{ T\text{-val} = F\text{-val} - T\text{-val}; \}$$

$$IF \quad \{ T\text{-val} = F\text{-val}; \}$$

$$w = \left( \left( \frac{2}{4 - \frac{2-4}{1}} \right) \times 2 \right) \frac{2}{3}$$

$$4 - (-2) \times 2$$

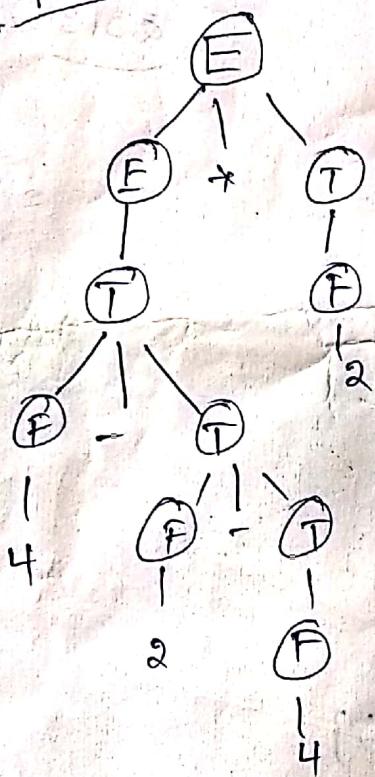
$$6 \times 1 = 12$$

$$F \rightarrow \{ F\text{-val} = 2; \}$$

$$\{ F\text{-val} = 4; \}$$

lexemes (if we observe one thing lexemes are using directly).

bottom-up parse:



Every non-leaf is a Reduction.

$E \rightarrow E * T$  (it is left recursive, \* is left associative)

$T \rightarrow T - T$  (it is right recursive, - is right associative)

↳ less nested precedence (Isam X)

Std to build syntax tree:

(3)

$E \rightarrow E_1 + T \quad \{ E.npt8 = mknod (E_1.npt8, '+', T.npt8); \}$

$| T \quad \{ E.npt8 = T.npt8; \}$

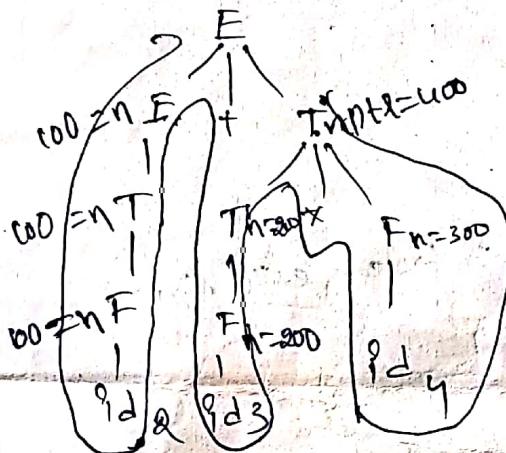
$T \rightarrow T_1 * F \quad \{ T_1.npt8 = mknod (T_1.npt8, '*', F.npt8); \}$

$| F \quad \{ T.npt8 = F.npt8; \}$

$F \rightarrow \text{Id} \quad \{ F.npt8 = mknod \{ \text{null, id\_name, null 1, value} \}; \}$

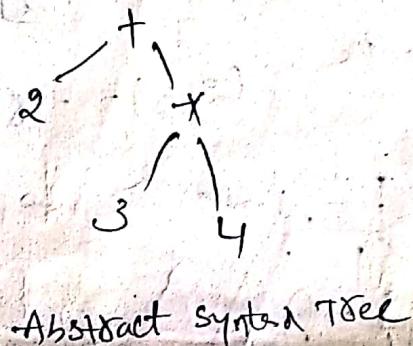
If I have an expr.  $2 + 3 * 4$

$npt8 = \frac{\text{node Pointed}}{\downarrow}$   
attribute



Parse Tree ( $\delta$ )

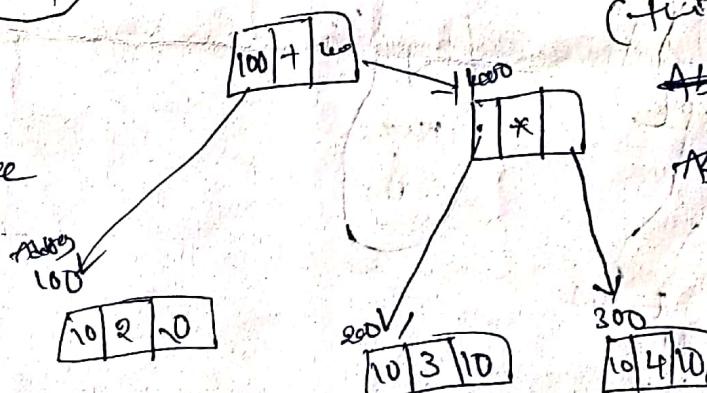
Concrete Syntax Tree



Abstract Syntax Tree

mknod - Function

(+ tree) is nothing but  
the data structure of  
Abstract Parse Tree.



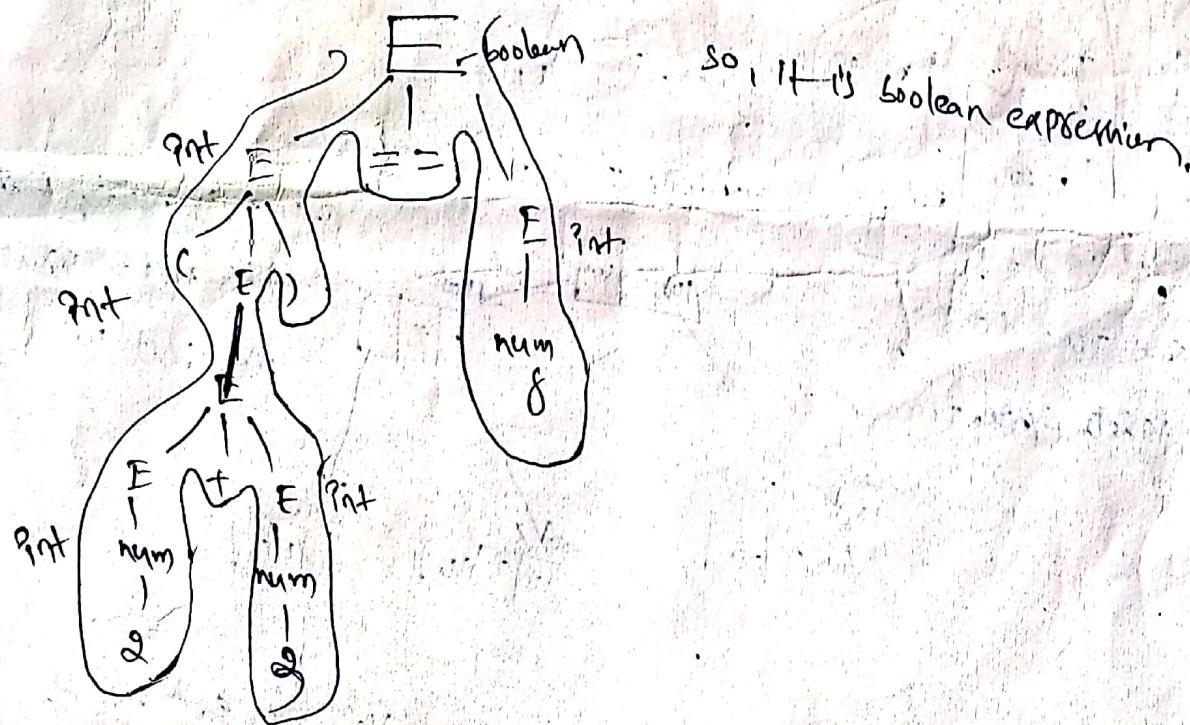
## Type check

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$E \rightarrow E_1 + E_2$  if  $(E_1.type = E_2.type) \& (E_1.type = \text{int})$  then  $E.type = \text{int}$   
 $E_1 = E_2$  if  $(E_1.type = E_2.type) \& (E_1.type = \text{Point/boolean})$  then  $E.type = \text{Point/boolean}$  else error;  
 $E_1$   $\{ E.type = E_1.type \}$   $E.type = \text{boolean} \text{ or error}$   
 $\text{num}$   $\{ E.type = \text{int} \}$   
 $\text{true}$   $\{ E.type = \text{boolean} \}$   
 $\text{false}$   $\{ E.type = \text{boolean} \}$   
 an error

Ex 1 I shall take an example

$$(2+3) = 5$$

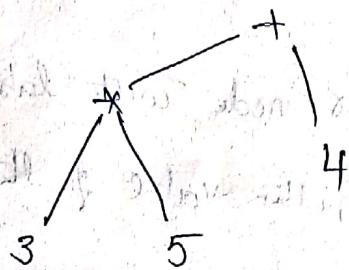


## Construction of Syntax Tree:-

①

- \* A Syntax Tree, It is a compressed Representation of a parse tree.
- \* In which operators are appear as parent node, and operands are appear as children nodes of that operator in syntax tree.
- \* Syntax-directed definitions can be used to specify the construction of syntax trees and other graphical Representations of language constructs.
- \* Syntax tree is one of the Intermediate Representation.
- \* In syntax tree, operators and keywords do not appear as leaves, but rather than they are associated with Interior node that would be the parent of those leaves in the parse tree.

The syntax tree for the expression  $3 \times 5 + 4$  is given by



- \* Construction of a syntax tree for an expression is similar to the translation of the expression into Postfix form.
- \* Subtrees are constructed for sub expression by creating a node for each operator and operand.
- \* In the node for an operator, one field identifies the operator and the remaining fields contain pointers to the nodes for the operands.
- \* The operand is called the label of the node.

The following functions are used to create the nodes of syntax tree for expressions.

- 1) mk-node (op, left, right): creates an operator node with label op and two fields containing pointers to left and right operands.
- 2) mkleaf (id, entry): creates an identifier node with label id and a field containing entry, which is a pointer to the symbol-table entry for the identifier.
- 3) mkleaf (num, val): creates a number node with label num and a field containing val, the value of the number.

For example, To construct a syntax-tree for the expression,

$a - 4 + c$ , the sequence of functions calls

- $P_1, P_2 \dots P_5$  are the pointers to nodes
- entry a and entry c are pointers to the symbol-table

entries for identifiers a and c, respectively. (3)

1)  $P_1 := \text{mkleaf}(\text{Id}, \text{entry } a);$

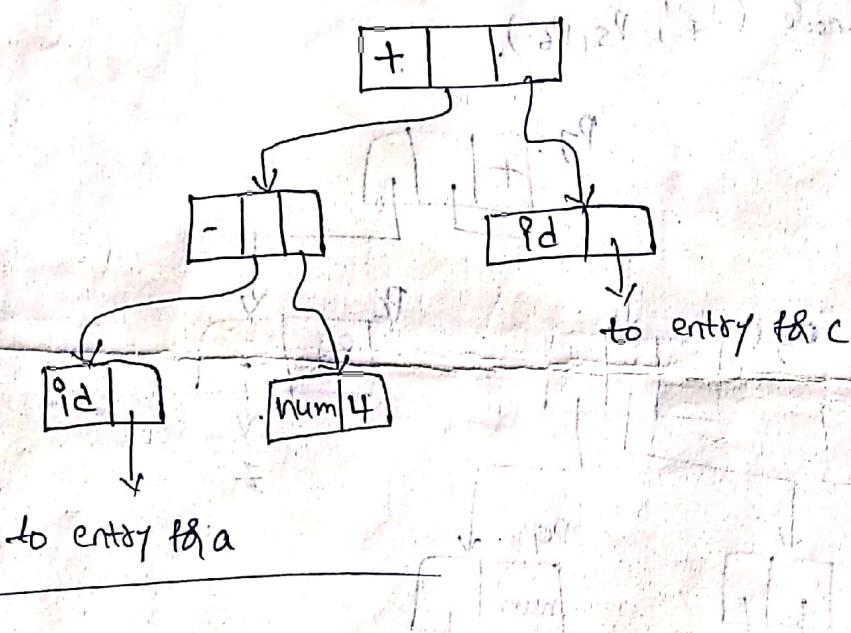
2)  $P_2 := \text{mkleaf}(\text{num}, 4);$

3)  $P_3 := \text{mknode}('1', P_1, P_2);$

4)  $P_4 := \text{mkleaf}(\text{Id}, \text{entry } c);$

5)  $P_5 := \text{mknode}('1+', P_3, P_4);$

The syntax tree is shown below



Ex: Constructing a Syntax tree for an expression Grammar

$$E \rightarrow E + T$$

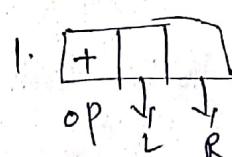
$$E \rightarrow E - T$$

$$E \rightarrow E \times T$$

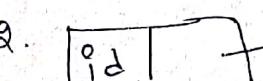
$$E \rightarrow T$$

$$T \rightarrow \text{Id}$$

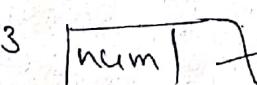
$$T \rightarrow \text{num}$$



1.  $\text{mknode}(\text{op}, \text{left}, \text{right})$



2.  $\text{mkleaf}(\text{Id}, \text{entry})$



3.  $\text{mkleaf}(\text{num}, \text{val})$

Ex:  $2 * 4 - 5 + z \Rightarrow xy + 5 - z +$

infix

Postfix

$P_1 = \text{mkleaf}(\text{Pd}, \text{ptr to entry } x)$

$P_2 = \text{mkleaf}(\text{Pd}, \text{ptr to entry } y)$

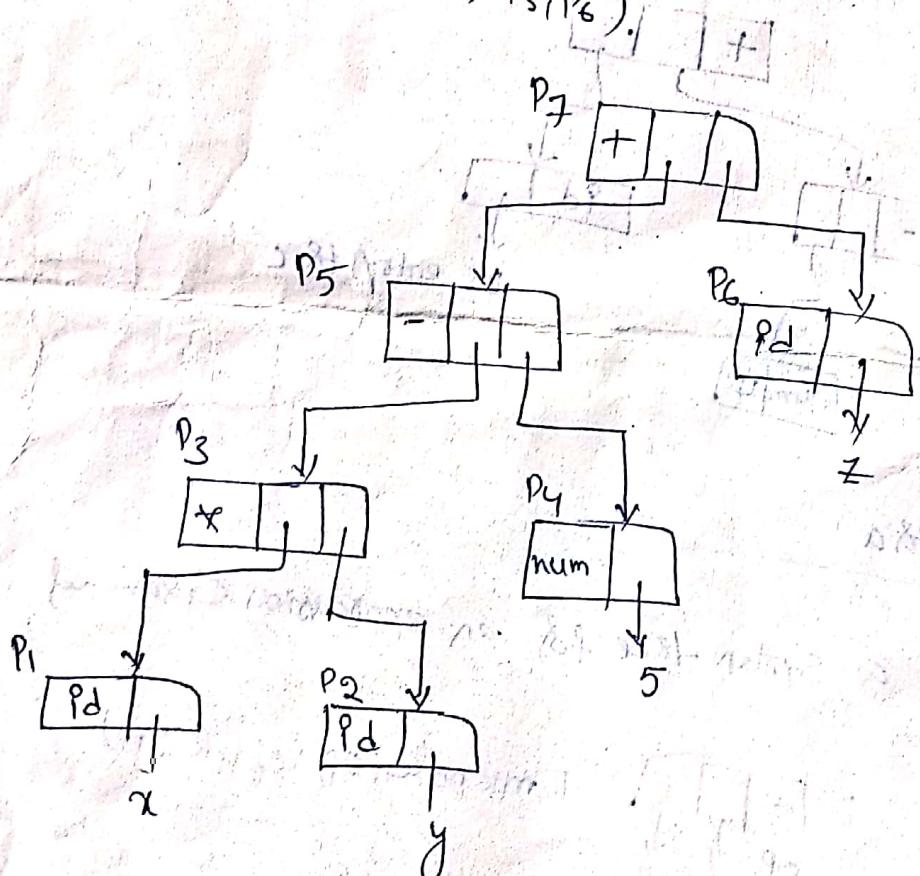
$P_3 = \text{mknode}('x', P_1, P_2)$

$P_4 = \text{mkleaf}(\text{num}, 5)$

$P_5 = \text{mknode}('-', P_3, P_4)$

$P_6 = \text{mkleaf}(\text{Pd}, \text{ptr to entry } z)$

$P_7 = \text{mknode}('+', P_5, P_6)$



SDD

③

$E \rightarrow E_1 + T \quad E \cdot \text{npt8} := \text{mknode}('+'; E_1 \cdot \text{npt8}, T \cdot \text{npt8})$

$E \rightarrow E_1 - T \quad E \cdot \text{npt8} := \text{mknode}(' - '; E_1 \cdot \text{npt8}, T \cdot \text{npt8})$

$E \rightarrow E_1 * T \quad E \cdot \text{npt8} := \text{mknode}(' * '; E_1 \cdot \text{npt8}, T \cdot \text{npt8})$

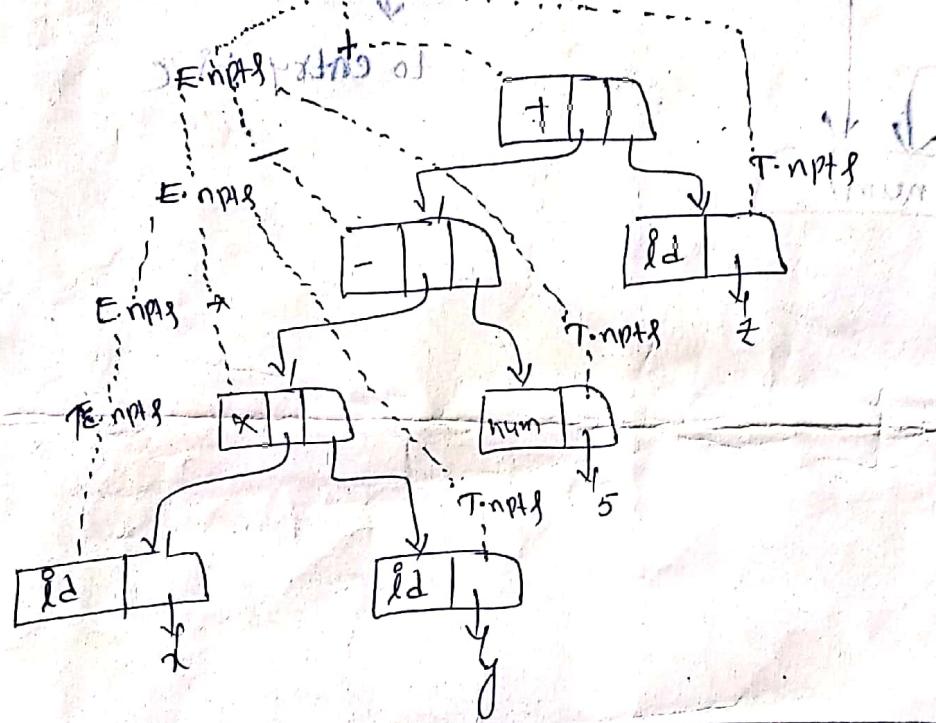
$E \rightarrow T \quad E \cdot \text{npt8} := T \cdot \text{npt8}$

$T \rightarrow \text{id}$

$T \rightarrow \text{num}$

$T \cdot \text{npt8} := \text{mkleaf}(\text{id}, \text{id} \cdot \text{pt8\_entry})$

$T \cdot \text{npt8} := \text{mkleaf}(\text{num}, \text{num} \cdot \text{val})$



Syntax-directed definition for constructing a syntax tree for  
an expression:  $a - b * c$

$E \rightarrow E_1 + T \quad \{ E \cdot \text{npt8} := \text{mknode}('+'; E_1 \cdot \text{npt8}, T \cdot \text{npt8}) \}$

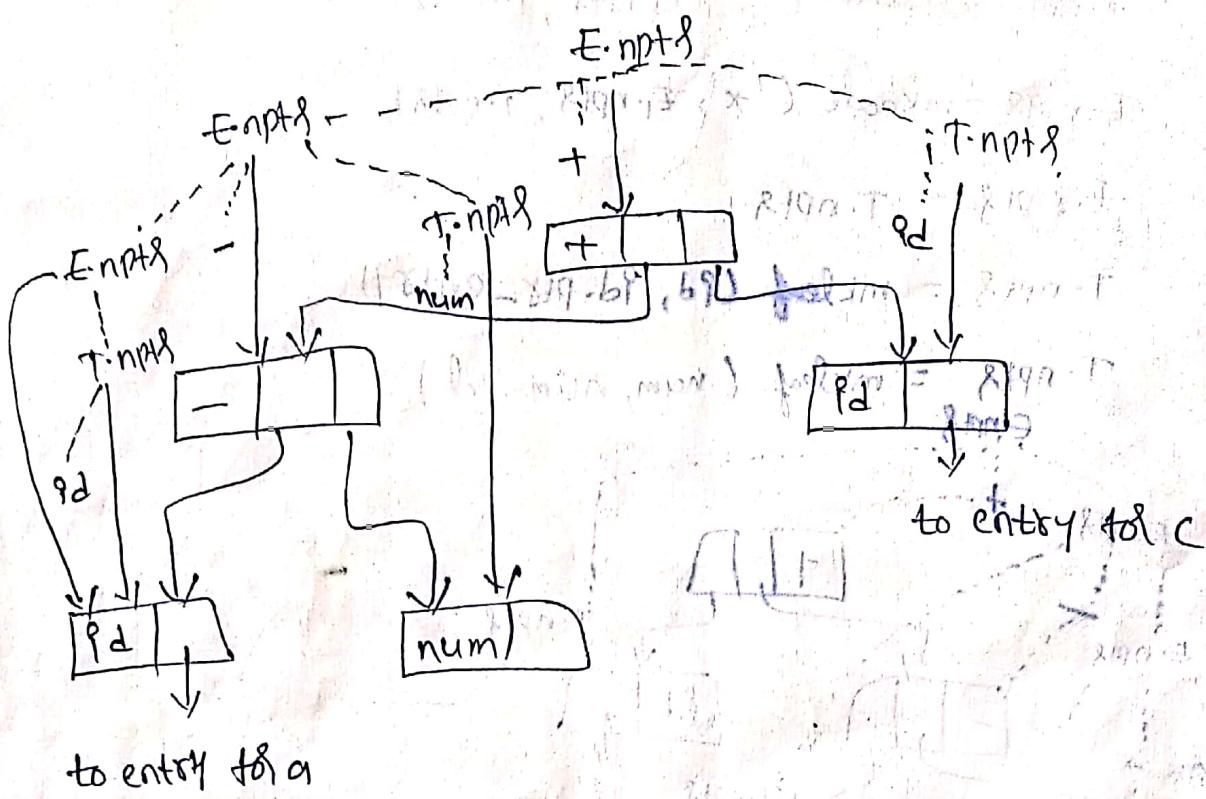
$E \rightarrow E_1 - T \quad \{ E \cdot \text{npt8} := \text{mknode}(' - '; E_1 \cdot \text{npt8}, T \cdot \text{npt8}) \}$

$E \rightarrow T \quad \{ E \cdot \text{npt8} := T \cdot \text{npt8} \}$

$\# \rightarrow (E) \quad \{ T \cdot \text{npt8} := E \cdot \text{npt8} \}$

$E \rightarrow Pd \quad \{ T \cdot nptr := \text{mkleaf}(Pd, \text{pd.entry}) \}$

$T \rightarrow \text{num} \quad \{ T \cdot nptr := \text{mkleaf}(\text{num}, \text{num} \cdot \text{val}) \}$



Annotated Parse Tree:-

- \* The Rules of an SDD are applied by first constructing a parse tree and then using the Rules to evaluate all of the attributes at each of the nodes of the parse tree.
- \* → A parse tree, showing the value(s) of its attribute(s) is called an annotated parse tree.
- \* How do we construct an annotated parse tree? In what order do we evaluate attributes? Before we can evaluate an attribute at a node of a parse tree, we must evaluate all the attributes upon which its value depends.
- \* If for example, all attributes are synthesized, then we must evaluate the Val attribute at all of the children of a node before we can evaluate the Val attribute at the node itself.
- \* With synthesized attributes, we can evaluate attributes in any bottom-up order, such as that of a postorder traversal of the parse tree;

Example:

$$L \rightarrow E_n$$

$$L \cdot \text{Val} = E \cdot \text{Val}$$

$$E \rightarrow E_i + T$$

$$E \cdot \text{Val} = E_i \cdot \text{Val} + T \cdot \text{Val}$$

$$E \rightarrow T$$

$$E \cdot \text{Val} = T \cdot \text{Val}$$

$$T \rightarrow T_1 * F$$

$$T \cdot \text{Val} = T_1 \cdot \text{Val} * F \cdot \text{Val}$$

$$T \rightarrow F$$

$$T \cdot \text{Val} = F \cdot \text{Val}$$

$$F \rightarrow ( E )$$

$$F \cdot \text{Val} = E \cdot \text{Val}$$

$$F \rightarrow \text{digit}$$

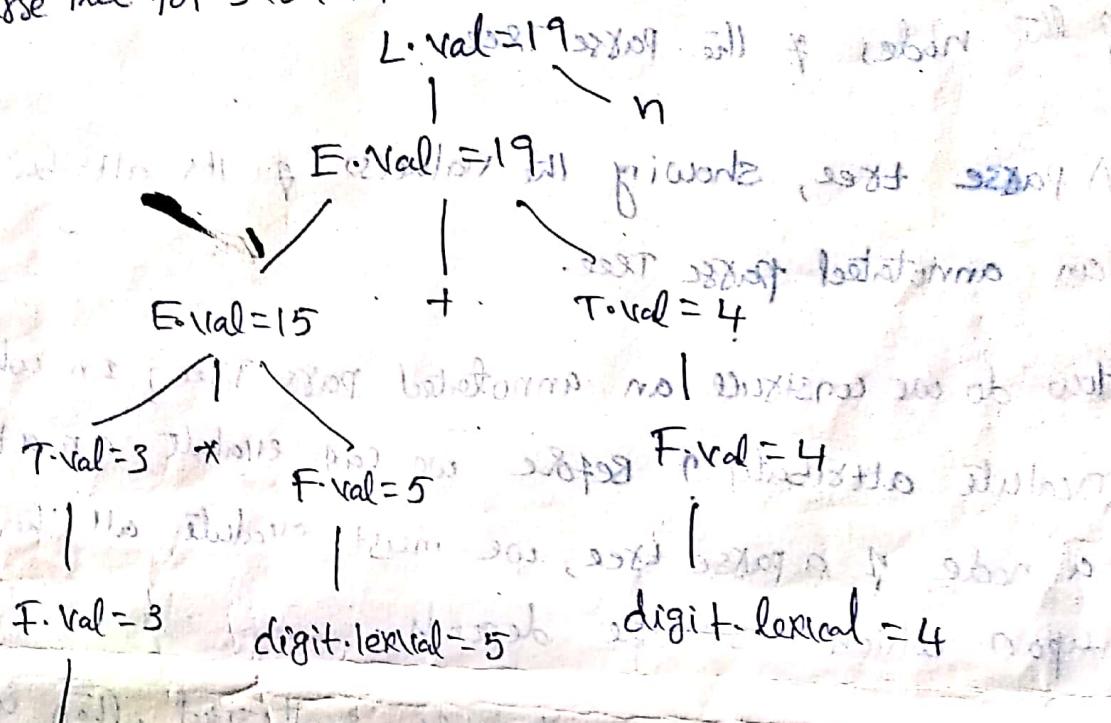
$$F \cdot \text{Val} = \text{digit} \cdot \text{lexVal}$$

## dependence Graph:-

→ the Rule for production,  $L \rightarrow E_n$ , sets  $L\text{-val}$  to  $E\text{-val}$ , which we shall see is the numerical value of the entire expression. (2)

Ex:  $3 \times 5 + 4n$

Annotated parse tree for  $3 \times 5 + 4n$



## Dependency Graph:

③

- \* A dependency graph depicts the flow of information among the attribute instances in a particular parse tree.
- \* An edge from one attribute instance to an other, means that the value of the first is needed to compute the second. Edges express constraints implied by the semantic rule.
- \* For each parse tree node, say a node labeled by grammar symbol  $X$ , the dependency graph has a node for each attribute associated with  $X$ .
- \* The directed graph that represents the interdependencies b/w the synthesized and inherited attribute at nodes in the parse tree.

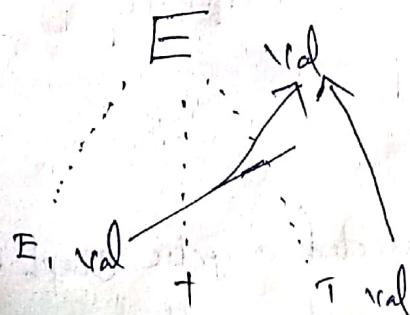
Consider the following production rule:

PRODUCTION

$$E \rightarrow E_1 + T$$

SEMANTIC RULE

$$E \cdot \text{val} = E_1 \cdot \text{val} + T \cdot \text{val}$$



$E \cdot \text{val}$  is synthesized from  $E_1 \cdot \text{val}$  and  $T \cdot \text{val}$ .

## Synthesized + Inherited Attributes:

(4)

production

$$D \rightarrow TL$$

semantic Rule

$$L.Pn \equiv T.type$$

$$T \rightarrow Pn$$

~~follow no at-type~~  $T.type = "integer"$

$$T \rightarrow \text{real}$$

~~follow no at-type~~  $T.type = "real"$

$$L \rightarrow L_1, id$$

~~follow no at-type~~  $L.Pn := L.Pn$ ; add-type (Pd.entry, L.Pn)

$$L \rightarrow id$$

~~follow no at-type~~ add-type (Pd.entry, L.Pn)

Synthesized: T.type, id.entry

Inherited = L.Pn

selected from graph, start of attribute

ex:

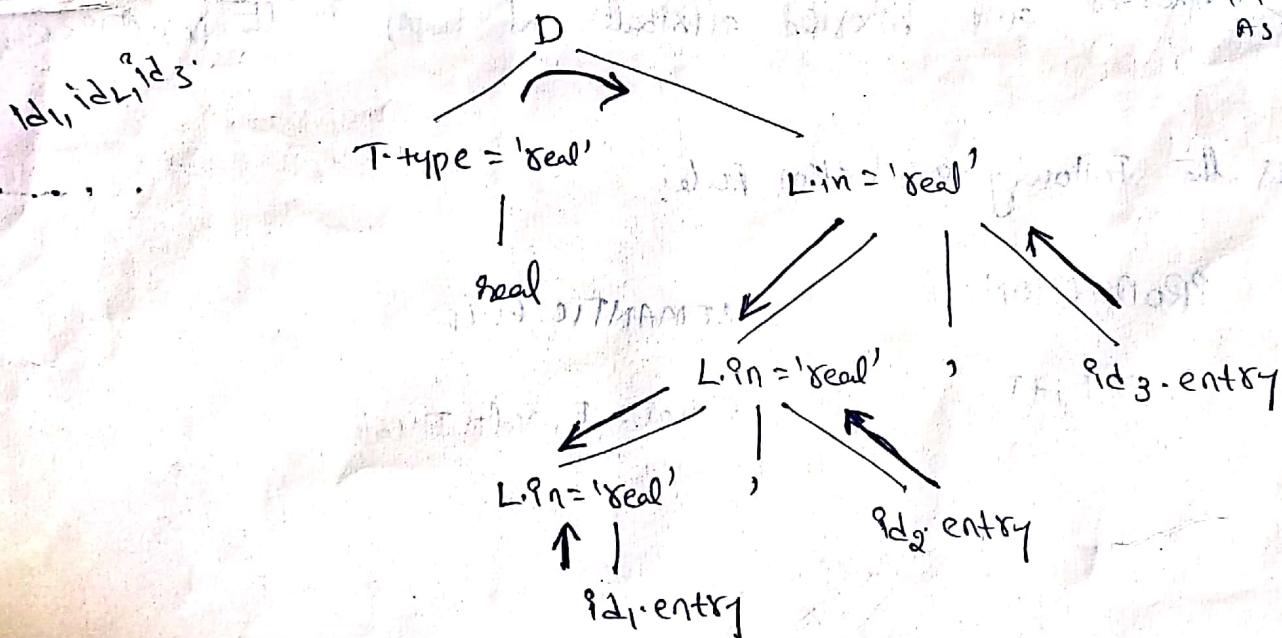
$$A \rightarrow XY$$

$$\begin{array}{ccc} x.i = A.P & A & A.s = Y.J \\ \downarrow & \nearrow & \nearrow \\ X & Y & \end{array}$$

$$Y.i = X.s$$

$$\begin{array}{l} X.i = A.P \\ Y.i = X.J \\ A.s = Y.J \end{array}$$

Dependency Graph for S-attribute and L-attribute



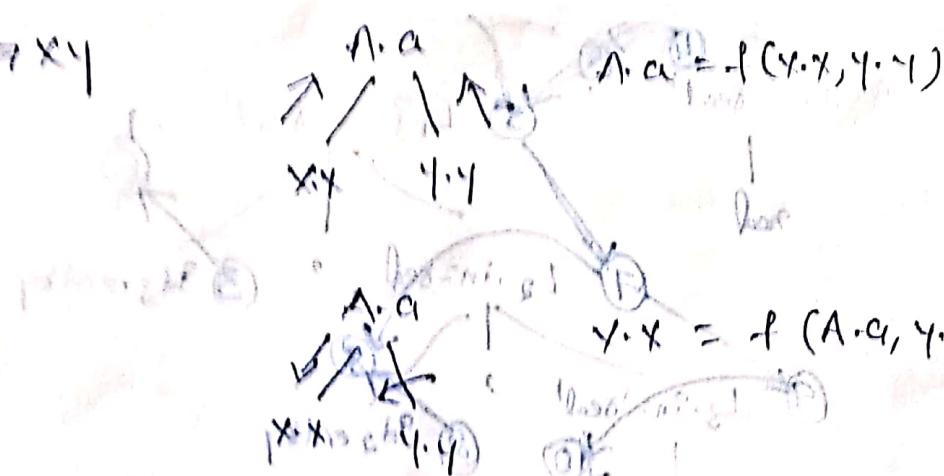
Evaluation Order:

A topological sort of a directed acyclic graph (DAG) is any ordering  $m_1, m_2, \dots, m_n$  of the nodes of the graph, such that if  $m_i \rightarrow m_j$  is an edge then  $m_i$  appears before  $m_j$ .

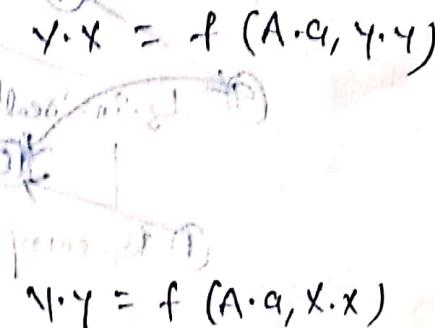
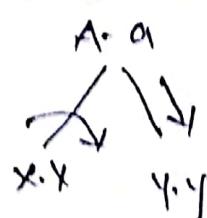
type.

## Dependence Graph

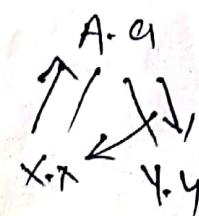
$A \rightarrow x \cdot y$



Direction of  
value dependence.



cyclic dependence graph



to avoid computation  
difficulties, it has to  
be a acyclic graph

dependence of a Graph, shows the direction of dependence of

one variable (or) one attribute on the other.

where the non-terminals

D represents declaration

T Represents the keywords Pat (or) real,

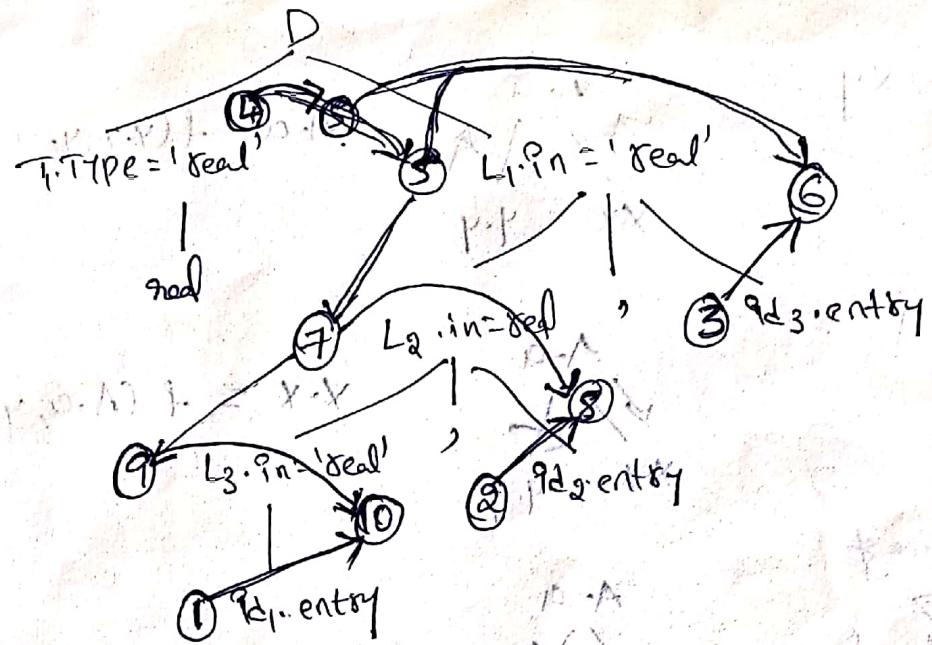
L Represents list of identifiers.

The declaration is generated by D which consists of keywords

Pat (or) real and list of identifiers.

The non-terminal T has a synthesized attribute "type", whose value is determined by the keyword in the declaration.

The non-terminal L has an inherited attribute "in", whose value is defined in terms of declaration of T-type.



## Topological sorting

1. Get id, entry

2. Get  $id_2$  entry

### 3. Get $\text{fd}_3$ -entry

4.  $T_1$ -type = 'real'

$$5. \quad 4.9n = T_1 \cdot \text{type}$$

## 6. addtype (id<sub>3</sub>.entry, L<sub>1</sub>.P<sub>n</sub>)

$$7. \quad L_2 \cdot \varrho_n = 4 \cdot \varrho_n$$

8. addtype(9d2·entry, L2·in)

$$q. \quad L_3 \cdot q_n = L_2 \cdot q_n$$

10. addtype = (id1, entry, L3, P1).

## Semantic Rules

$D \rightarrow T \{ L.9n := T.type \} L$

$T \rightarrow \text{int} \quad \{ T.\text{type} = \text{'integer'} \}$

$T \rightarrow \text{Real}$  }  $T.\text{type} = \text{'Real'}$

$$L \rightarrow \{L \cdot p_n = L \cdot p_n\} L, p \in \{$$

```
addtype(id.entry, L.in)}
```

$L \rightarrow \text{Id} \{ \text{addtype}(\text{Id}.entry, L.Pn) \}$

SDT to generate three address code:-

Statement can be identifier and an expression.

$S \rightarrow \text{id} = E \{ \text{gen}(\text{id.name} = E.\text{place}); \}$

$E \rightarrow E + T \{ E.\text{place} = \text{new Temp}(1); \text{gen}(E.\text{place} = E.\text{place} + T.\text{place}); \}$   
 $T \rightarrow T_1 * F \{ T.\text{place} = \text{new temp}(1); \text{gen}(T.\text{place} = T_1.\text{place} * F.\text{place}); \}$

$F \rightarrow \text{id} \{ F.\text{place} = \text{id.name}; \}$

$F \rightarrow \text{id} \{ F.\text{place} = \text{id.name}; \}$

Statement  $x = a + b * c$

Identifier

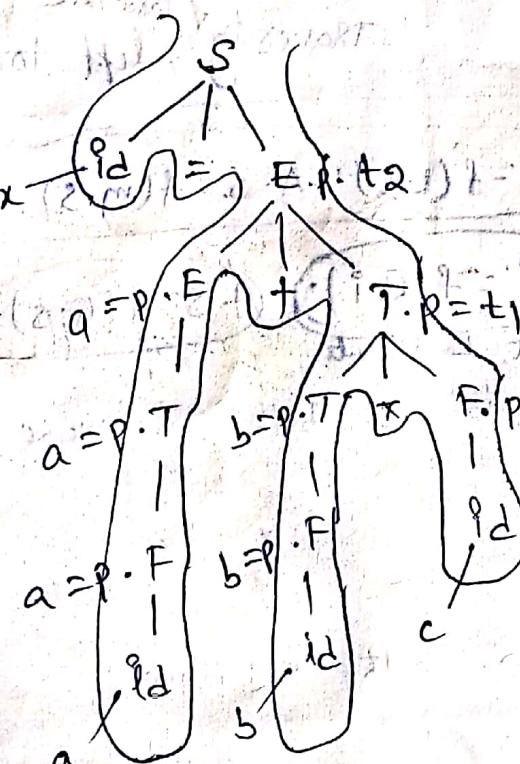
expression

$x = a + b * c$

$t_1 = b * c$

$t_2 = a + t_1$

$x = t_2$



## Bottom up-Evaluation of S-attribute SOT and L-attribute SOT

### S-attribute SOT

1) uses only synthesized attribute

2) Semantic actions are placed at right end of production

$$A \rightarrow B \{ \}$$

3) Attributes are evaluated during BUP

hot-scattering

### L-attribute SOT

1) uses both L-attribute and S-attribute  
Each L-attribute is restricted to inherit either from parent or left sibling only

Ex:  $A \rightarrow XYZ \{ Y.S = A.S, Y.S = X.S, Y.S = Z.S \}$

2) Semantic Actions are placed anywhere on R.H.S

$$A \rightarrow \{ \} BC$$

$$A \rightarrow \{ \} DE$$

$$A \rightarrow \{ \} FG$$

3) Attributes are evaluated by depth first traversal of parse tree, left to right.

# (3)

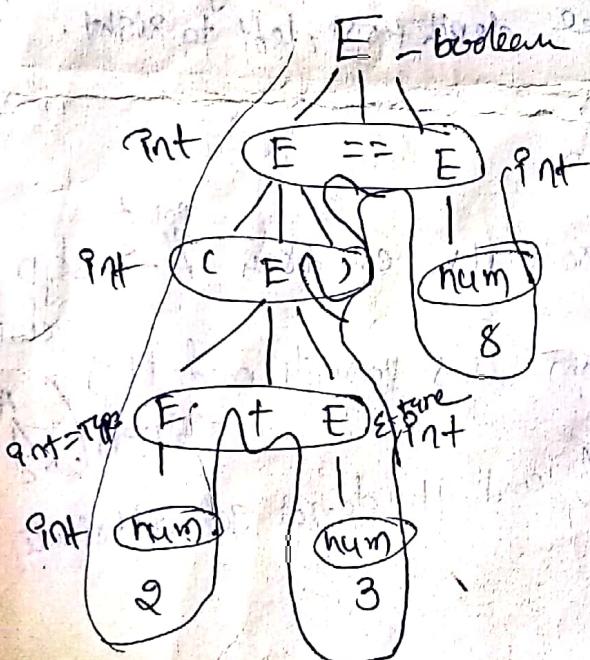
## Syntax Directed Translation Scheme for Typechecking:-

(we can not add a boolean variable)

$E \rightarrow E_1 + E_2 \quad \{ \text{if } (E_1.\text{type} == E_2.\text{type}) \& (E_1.\text{type} == \text{int}) \text{ then } E.\text{type} = \text{int}$   
 $\quad \quad \quad | E_1 == E_2 \quad \{ \text{if } (E_1.\text{type} == E_2.\text{type}) \& (E_1.\text{type} == \text{int/boolean}) \text{ then } E.\text{type} = \text{boolean} \text{ else error; } \}$   
 $\quad \quad \quad | (E) \quad \{ E.\text{type} = E.\text{TYPE} \} \quad ( \text{what is the type of inside } E, \text{ which is equal to outside } E )$   
 $\quad \quad \quad | \text{num } \quad \{ E.\text{type} = \text{int; } \} \quad (\text{i.e., it is identified})$   
 $\quad \quad \quad | \text{True } \quad \{ E.\text{type} = \text{boolean; } \}$   
 $\quad \quad \quad | \text{False } \quad \{ E.\text{type} = \text{boolean; } \}$

Ex:  $(2+3) == 8$ , so it's a boolean expression.

it is meaningful or not.



## S-attribute SDT

1) uses only synthesized attribute

1) uses both inherited attribute and synthesized attribute is restricted to left inherit either from parent or sibling only.

Ex:  $A \rightarrow XYZ \quad | \quad s = A.s, y.s = x.s, z.s = y.s$

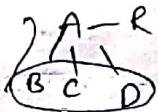
2) semantic actions are

placed at right end of production

$A \rightarrow BCC \quad | \quad$

key (Postfix SDT)

3) Attribute are evaluated only bottomup parser.

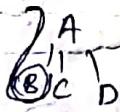


$A \rightarrow 23BC$

$| \quad D \quad 3 \quad E$

$| \quad FG \quad 2 \quad 3$

3) Attribute are evaluated by traversing parse tree depth first, left to right.



Synthesized: If a node taking attribute from its children  $A \rightarrow BCD$

Inherited: if a node taking attribute from its parent and its siblings  $A \rightarrow BCD$

L-attribute: it uses both S-ATTR, & Inherited, and it do not get attribute from its Right siblings.

$A \rightarrow BCD$  (if it have a production)

A can have attribute  $A.s = f(B.s, C.s, D.s)$ , if it is getting attribute

from function  $f(B.s, C.s, D.s)$ , which mean A is taking value from its children, B, C, D.

if C is taking attribute from its parent or its sibling.  $C \rightarrow C$   
 $C.i = A.i, C.i = B.i, C.i = D.i$

## L-attribute SDT.

(6)